



# Introduction to Machine Learning

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# About me

- Current - Sr. Solutions Consultant @Cloudera
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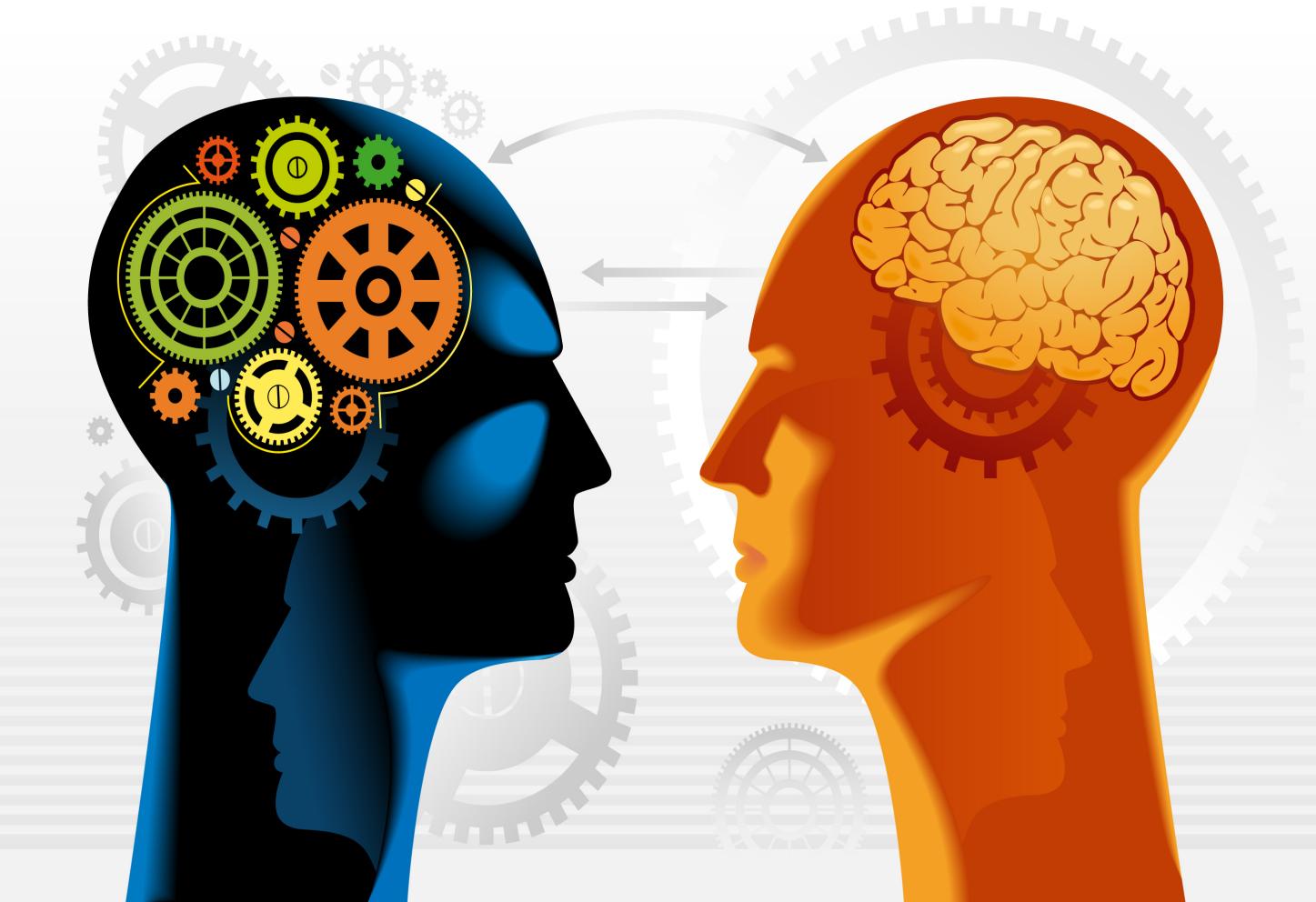
# Goals of this talk

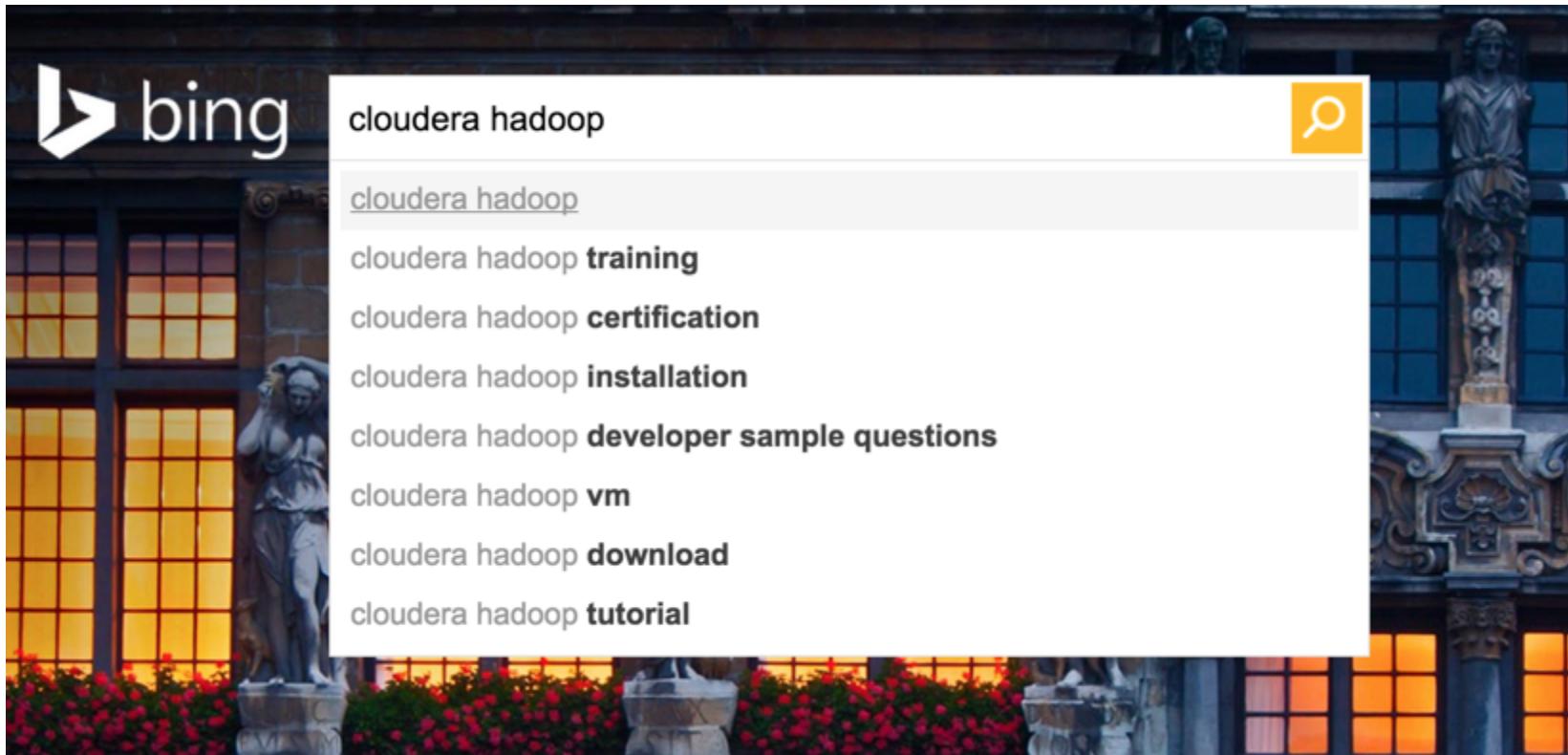
- Introduce machine learning
- Get familiar with simple machine learning tools and techniques available.
- Enable you to run linear regression algorithms on datasets at any scale.

# In this talk

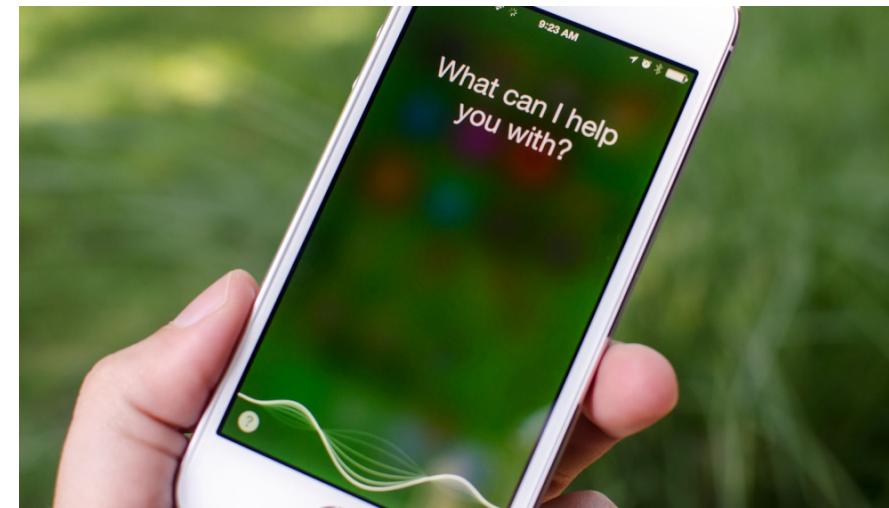
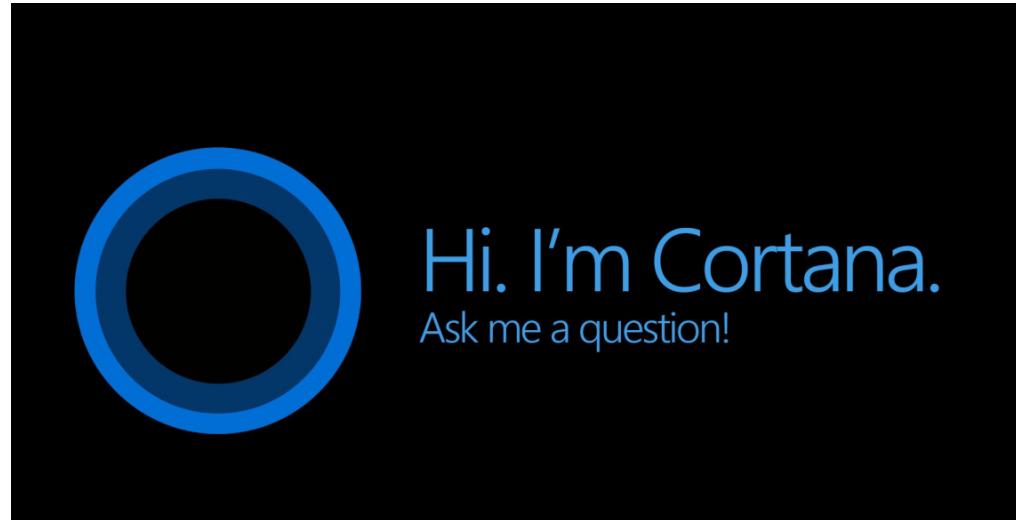
- Machine Learning Motivation
- Machine Learning Definition
- Machine Learning Algorithms
- Linear Regression Motivation
- Linear Regression Deep Dive
- Demo: Linear Regression

# Machine Learning: Motivation









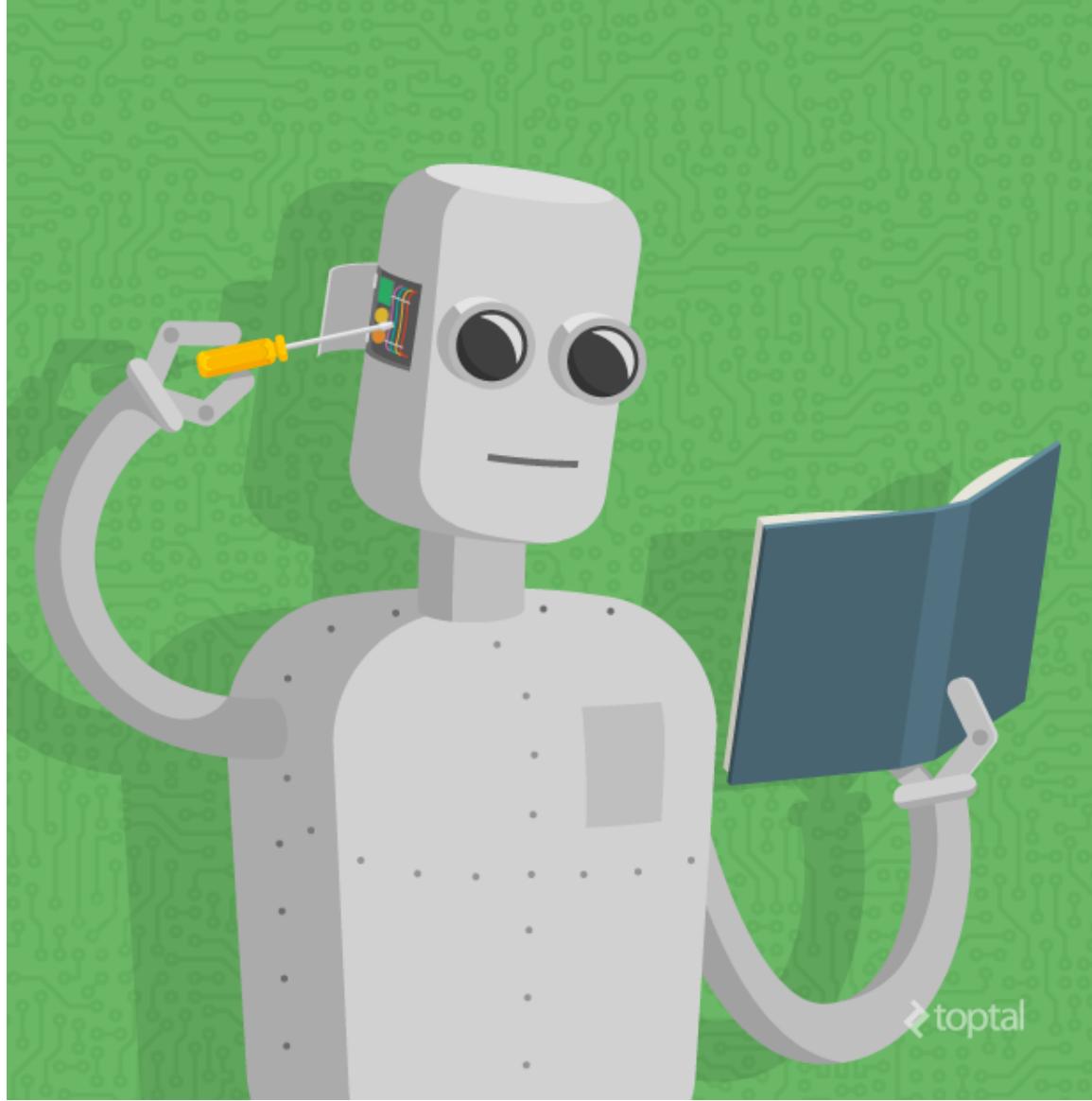
# ML is Applied Everywhere

- Data Mining
  - Large datasets from growth of mobile, web, cloud
  - E.g., location data, web click data, genomics
- Applications hard to program by hand
  - E.g., handwriting recognition, computer vision, natural language processing
- Self-customizing programs
  - Netflix, Spotify, Amazon recommendations
- Understanding human learning (brain, real AI)

# Machine Learning

- In all these applications, it is very hard to write a computer program to perform these tasks.
- We would like the computer to learn by itself how to perform these various tasks

# Machine Learning: Definition



# Machine Learning: Definition -1

- Arthur Samuel in 1959 described it as:

“ The field of study that gives computers the ability to learn without being explicitly programmed.”

- This is an older, informal definition

[https://en.wikipedia.org/wiki/Machine\\_learning](https://en.wikipedia.org/wiki/Machine_learning)

# Machine Learning: Definition -2

- Tom Mitchell in 1998 described a well-posed learning problem as:

“A computer program is said to learn from experience E with respect to some class of tasks T and performance measure P, if its performance at tasks in T, as measured by P, improves with Experience E.”

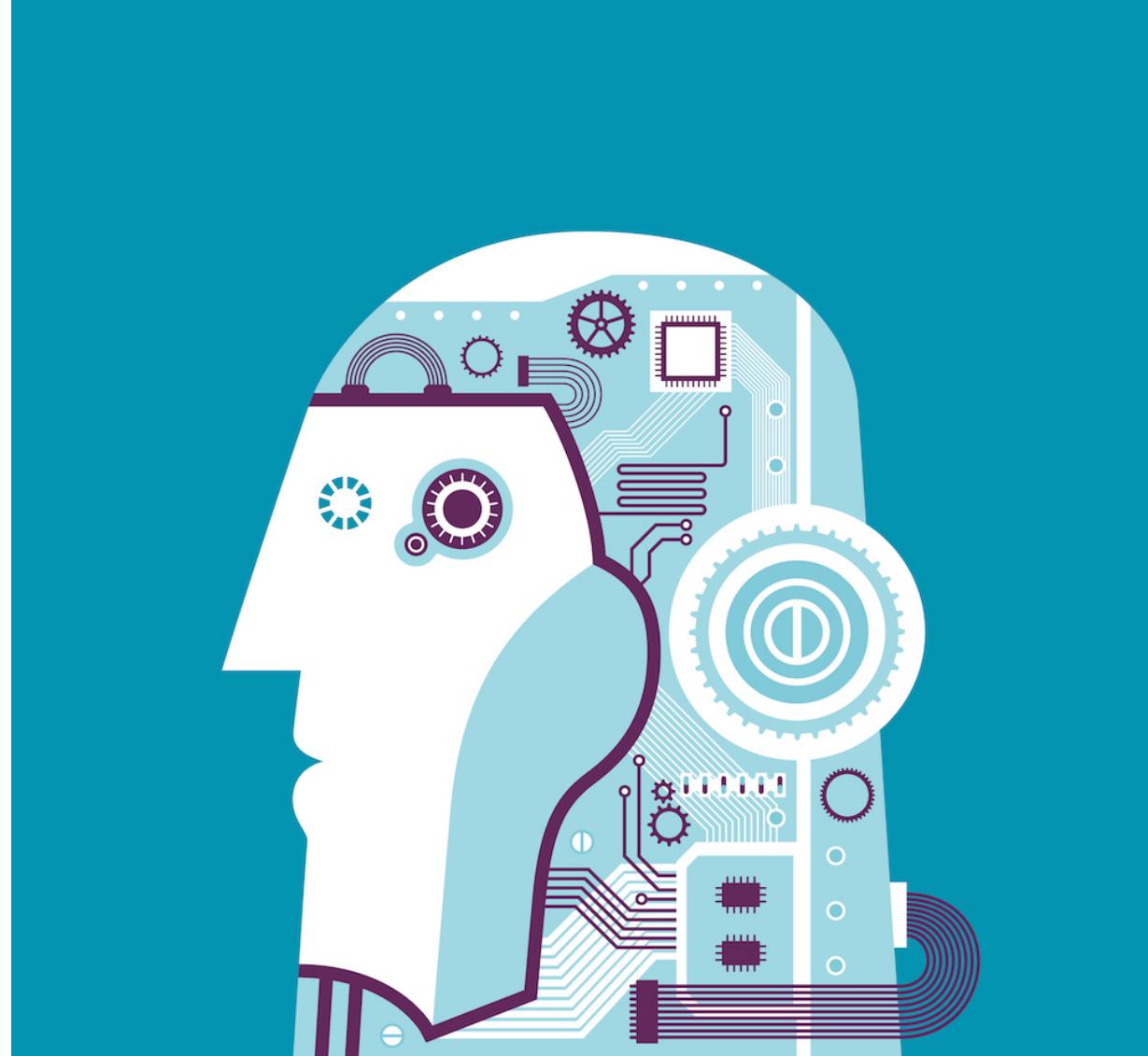
- This is a more modern definition

[https://en.wikipedia.org/wiki/Machine\\_learning](https://en.wikipedia.org/wiki/Machine_learning)

# Example 1: Spam Detection

- E = Watching you label emails as spam or not spam
- T = Task of classifying emails as spam or not spam
- P = The number (or fraction) of emails correctly classifies as spam/not spam

# Machine Learning: Algorithms



# Types of algorithms

- Supervised learning
- Unsupervised learning
- Others: reinforcement learning, recommender systems

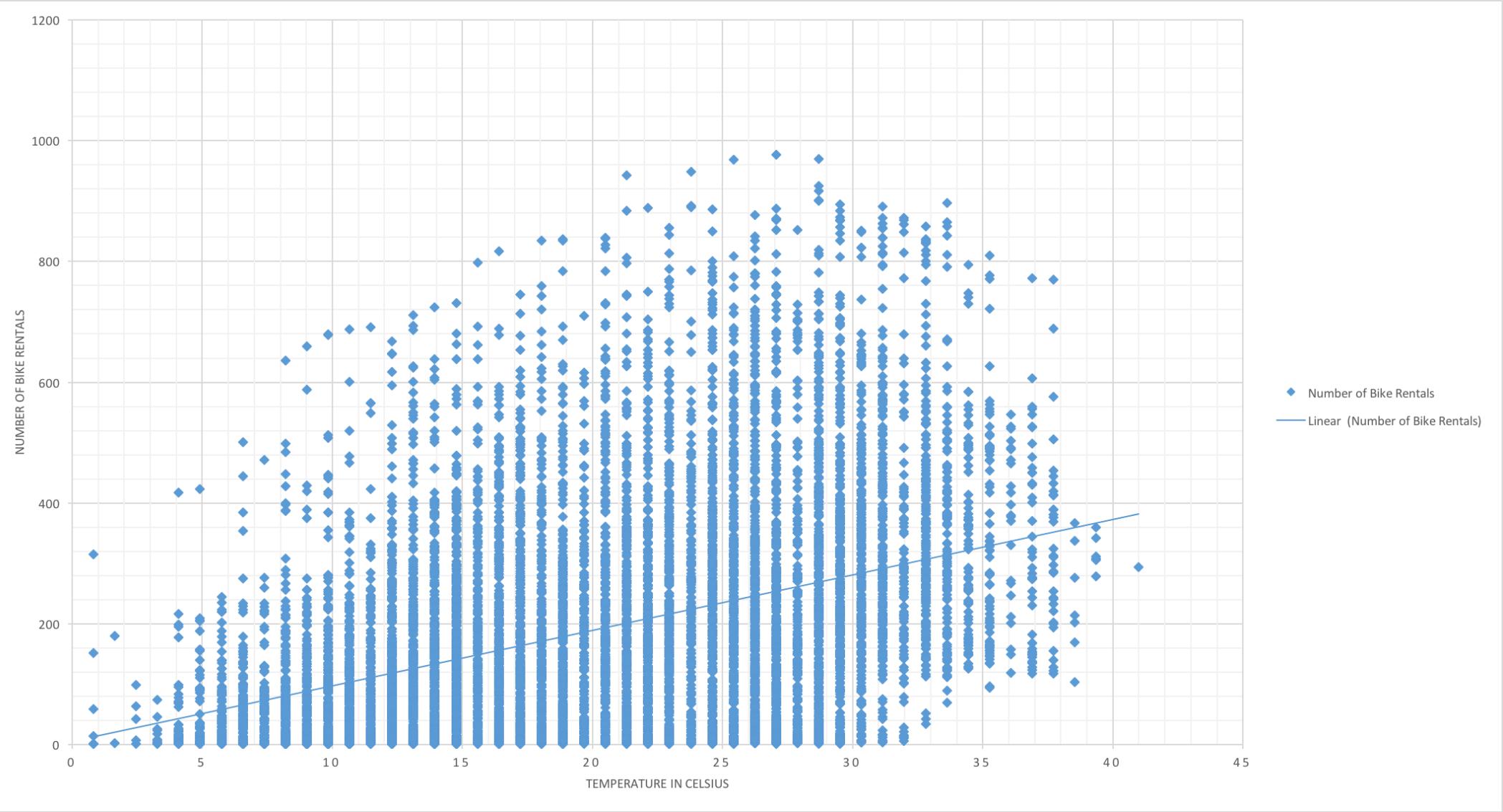
# Supervised Learning

- Definition (Wikipedia): “Supervised learning is the machine learning task of inferring a function from labeled training data.”
- Two common examples:
  1. Regression: map input variables to some continuous function
  2. Classification: map input variables into discrete categories

# Regression Example:

Given the data about the temperature and number of bike rentals on various days, try to predict the number of bike rentals in the future based on temperature

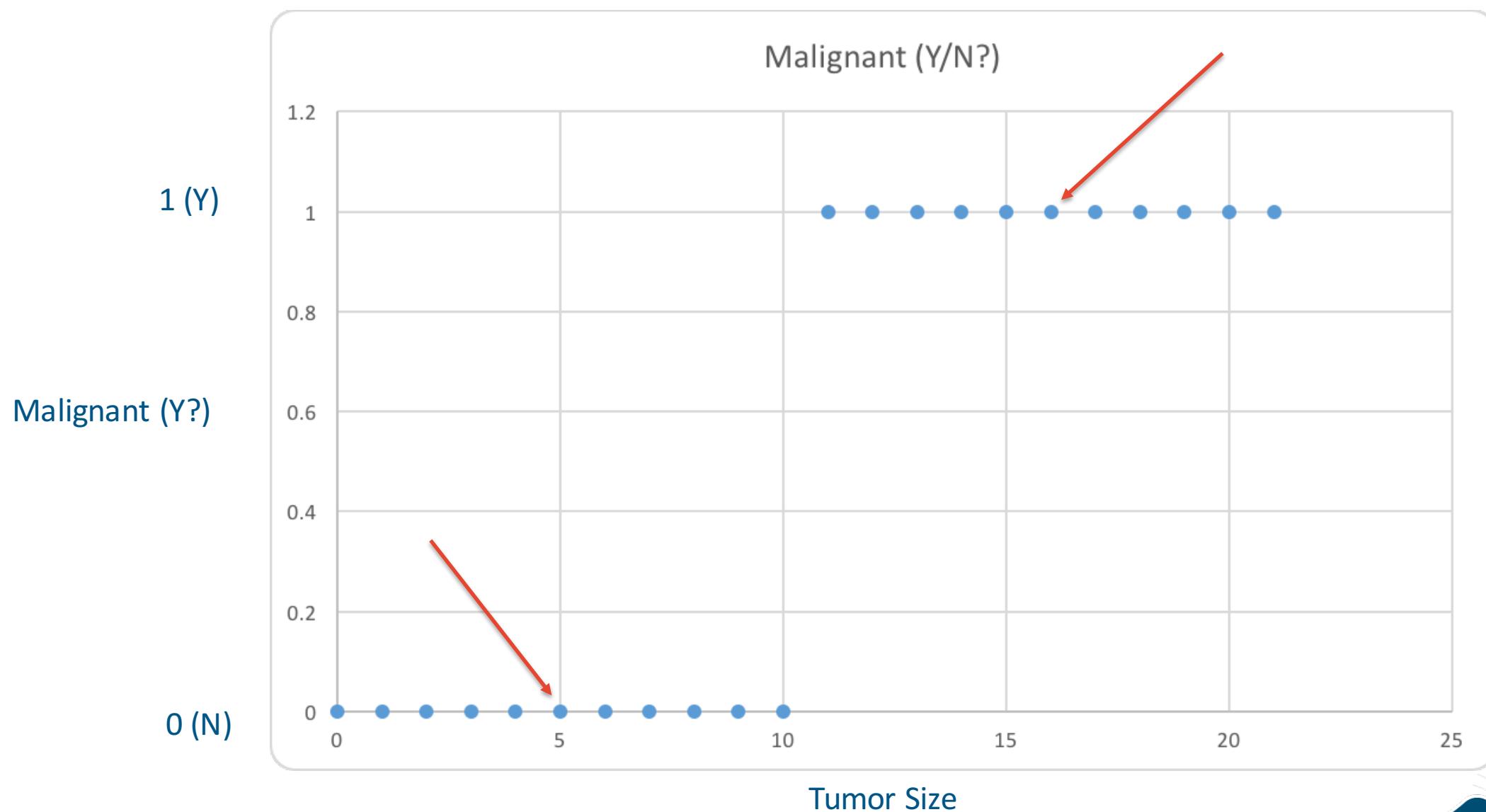
Temperature in Celsius	Number of Bike Rentals
9.84	16
9.02	40
9.84	13
9.02	17
15.58	36
20.10	34
42.10	37
8.2	3
13.12	??
20.33	??



# Classification: Example

Given the data about the various cancer tumor sizes and whether they are malignant or not, try to predict if a tumor is benign or malignant based on tumor size

Tumor Size	Malignant (Y/N)?
0	N
1	N
3	N
4	N
5	N
11	Y
13	Y
14	Y
16	??
17	??



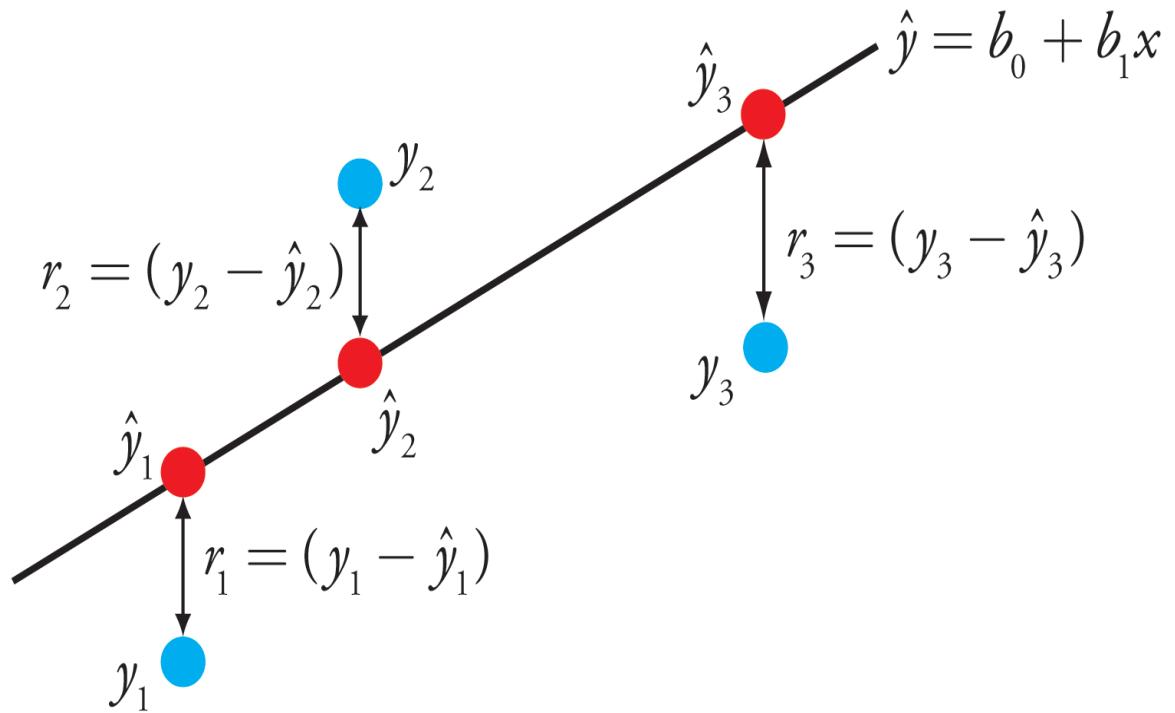
# Unsupervised Learning

- Definition (Wikipedia): Find hidden structure in unlabeled data.
- Used in exploratory data analysis or as a preprocessing step for supervised task
- Two common examples:
  1. Clustering: group set of similar objects in the same group (called a cluster)
  2. Dimensionality Reduction: reduce the number of variables or features under consideration

# Ok. Lets get to the real stuff



# Linear Regression: Motivation



# Why are we learning linear regression?

It is a **crucial technique to learn** for many reasons:

- widely used and well-understood
- easy to use because minimal “tuning” is required.
- highly “interpretable”, meaning that it’s easy to explain to others
- basis for many other machine learning techniques

“Importance of having a good understanding of linear regression before studying more complex methods cannot be overstated”

[An Introduction to Statistical Learning – Trevor Hastie, Robert Tibshirani, Gábor James and Daniela Witten](#)

# Linear Regression: Deep Dive

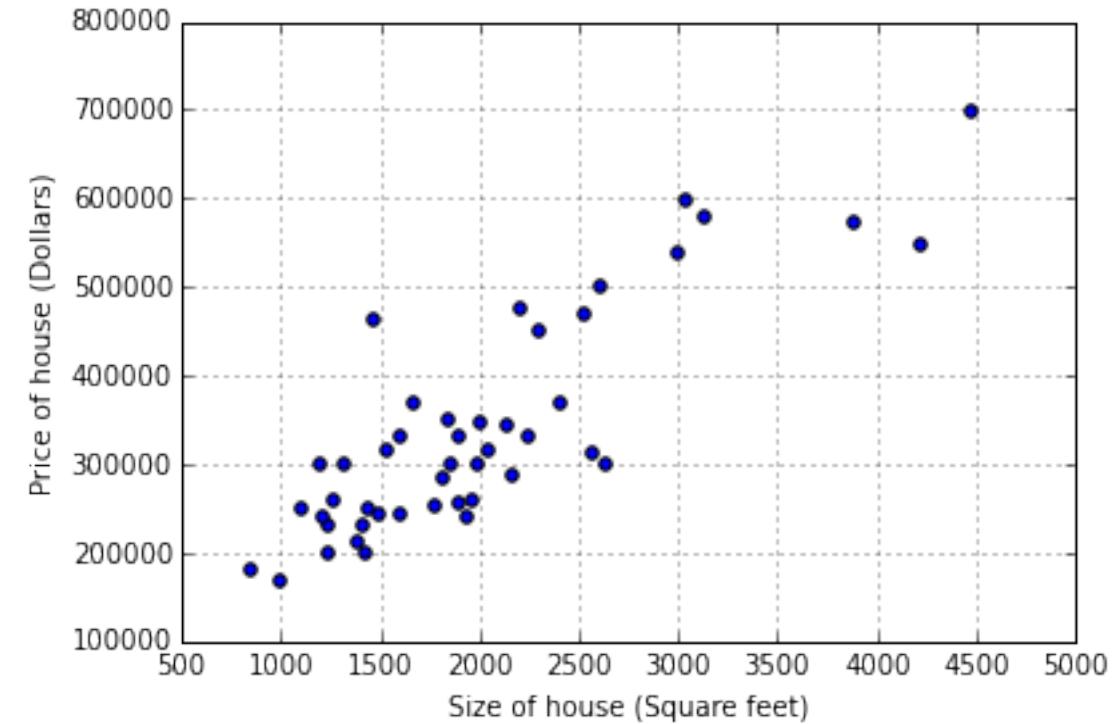


# Linear Regression: Model Representation - 1

Data: Housing Prices (Portland, Oregon)

Motivation: Predict the house price given the size of a house

Supervised Learning – “right answers” are given for each example in the data set



Regression Problem – predict real-valued output

# Linear Regression: Model Representation - 2

Housing price data

Size of house in square feet (x)	Price of house in \$ (y)
2104	399900
852	179900
2040	314900
4215	549000

x's – “input” variable/features

y's – “output” variable/ “target” variable

m – number of observations (number of training examples). E.g., m = 4

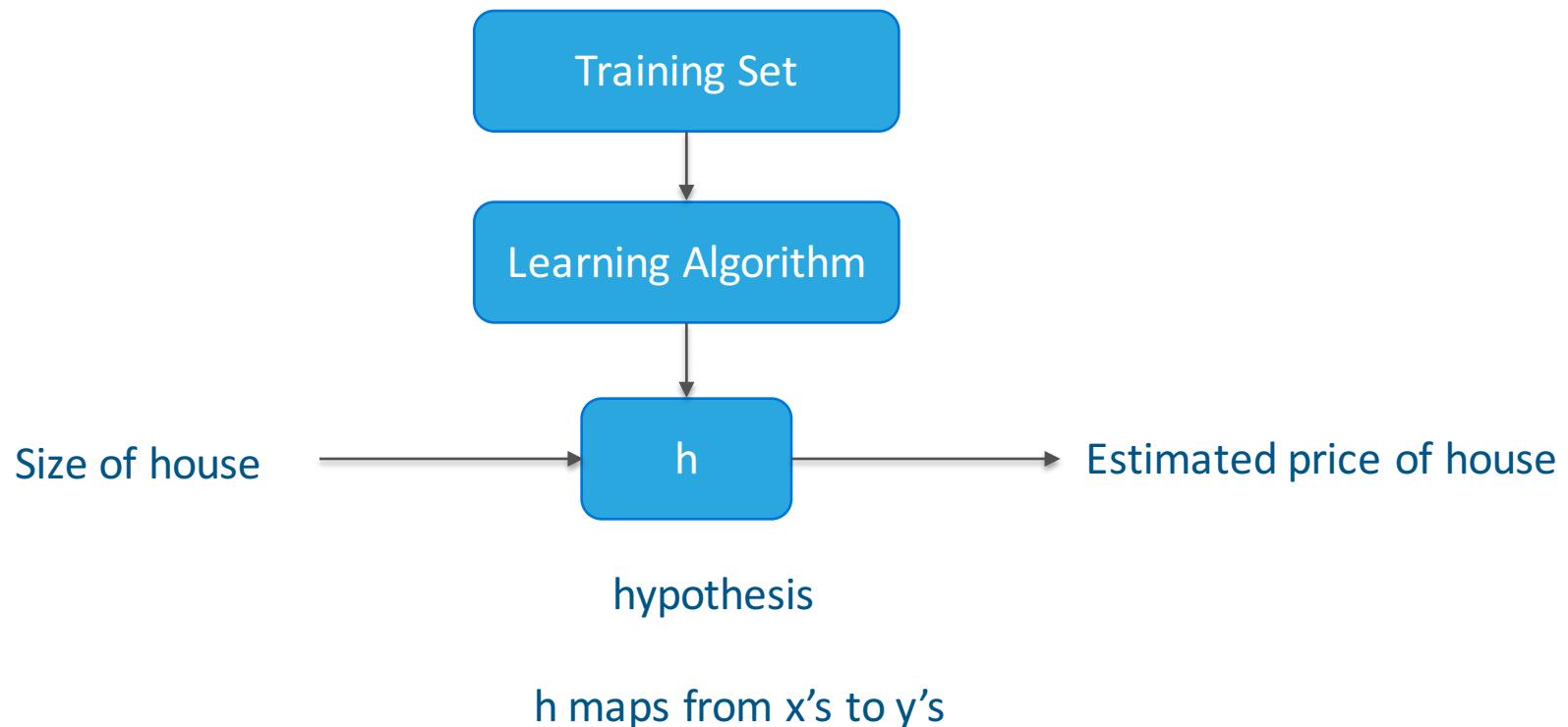
n – number of input variables/features. E.g., n = 1

$(x^{(i)}, y^{(i)})$  -  $i^{th}$  training example/observation

$(x^{(3)}, y^{(3)})$  - 3<sup>rd</sup> observation- (2040,314900)

# Linear Regression: Model Representation - 3

Pipeline for supervised learning



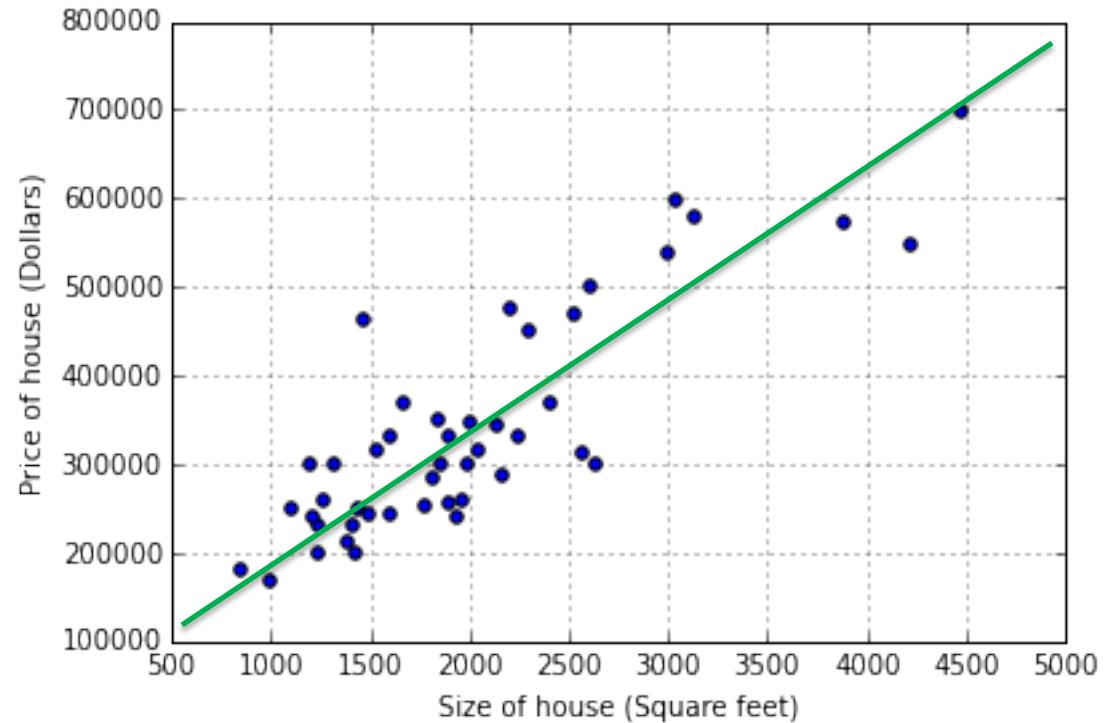
# Linear Regression: Model Representation - 4

- Fit a straight line through the data

- Straight line equation

$$h_{\theta}(x) = \theta_0 + \theta_1 x$$

- Univariate linear regression
  - $x$  – only one input variable



# This is very interesting - meow



# Linear Regression: Model Representation - 5

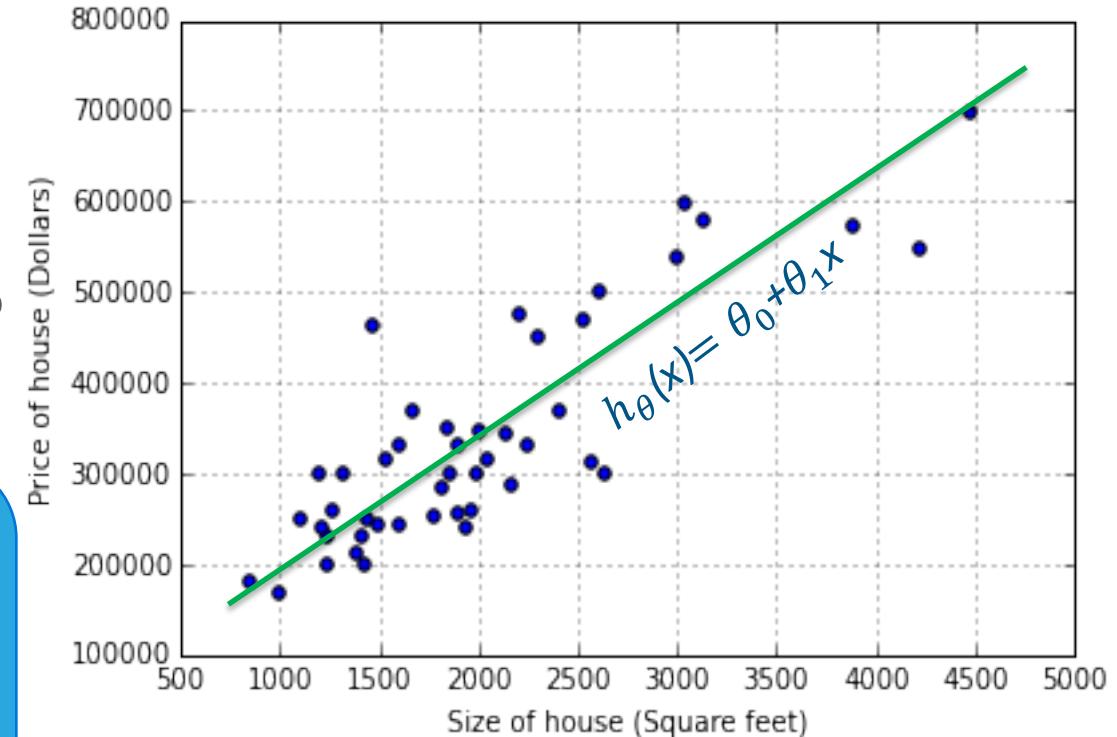
Hypothesis:  $h_{\theta}(x) = \theta_0 + \theta_1 x$

$\theta_0, \theta_1$  - parameters

But how can we find the right parameters?

**Solution:**

Find  $\theta_0, \theta_1$  such that the  $h_{\theta}(x)$  is close to  $y$  for given  $(x, y)$  training examples



# Linear Regression: Model Representation - 6

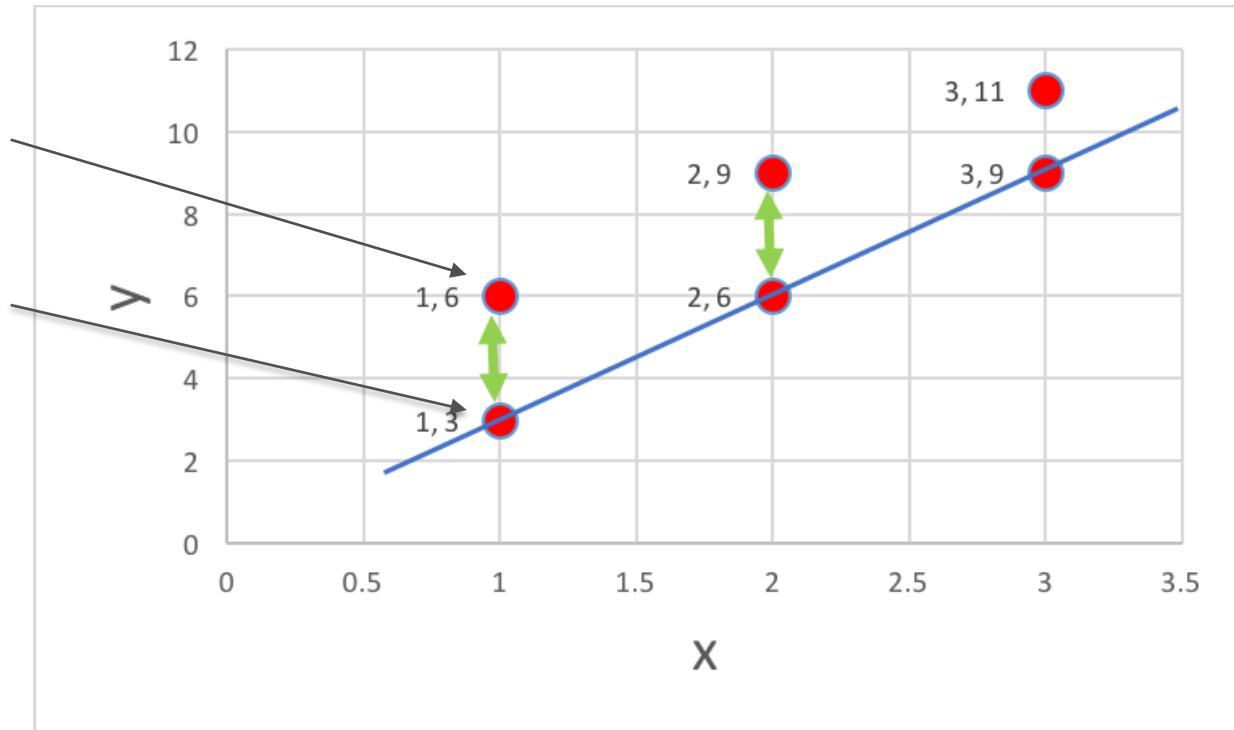
What do we mean by close?

$$(x^{(i)}, h_{\theta}(x^{(i)}))$$

$$(x^{(i)}, y^{(i)})$$

Euclidean distance between above  
two points is

$$d = \sqrt{(x^{(i)} - x^{(i)})^2 + (h_{\theta}(x^{(i)}) - y^{(i)})^2}$$



Squared distance,  $d^2 = (h_{\theta}(x^{(i)}) - y^{(i)})^2$

# Linear Regression: Model Representation - 7

- Different  $\theta_0, \theta_1$  parameters give different hypothesis
- Our goal is to minimize the squared error distance between predicted values (hypothesis)  $h_\theta(x^{(i)})$  and the actual values  $y^{(i)}$  in our training data set.
- For  $m$  training examples, squared error =  $\sum_{i=1}^m (h_\theta(x^{(i)}) - y^{(i)})^2$
- Average/Mean Squared Error =  $\frac{1}{m} \sum_{i=1}^m (h_\theta(x^{(i)}) - y^{(i)})^2$

# Linear Regression: Model Representation -8

- Cost Function / Loss Function  $J(\theta_0, \theta_1)$

$$J(\theta_0, \theta_1) = \frac{1}{2m} \sum_{i=1}^m (h_\theta(x^{(i)}) - y^{(i)})^2$$

- Formalize the goal -  $\min_{\theta_0, \theta_1} J(\theta_0, \theta_1)$
- This is called Least Squares Regression algorithm

Please.. can't wait to get my hands on this algoritm



# Linear Regression: Model Recap

- Hypothesis:  $h_{\theta}(x) = \theta_0 + \theta_1 x$
- Parameters:  $\theta_0, \theta_1$
- Cost Function / Loss Function:  $J(\theta_0, \theta_1) = \frac{1}{2m} \sum_{i=1}^m (h_{\theta}(x^{(i)}) - y^{(i)})^2$
- Goal:  $\min_{\theta_0, \theta_1} J(\theta_0, \theta_1)$
- Algorithm Name: Least Squares Regression

# Linear Regression: Solution

- Closed-form Solution:
  - Normal Equation Method
- Iterative Solution:
  - Batch Gradient Descent
  - Stochastic Gradient Descent

# Linear Regression: Intuition

Training data

Size of house (x)	Price of house(y)
2104	399990
1600	369000
1427	198999
1380	212000

$X \rightarrow m \times (n + 1)$

$y \rightarrow m$  dimensional vector

$\theta \rightarrow n + 1$  dimensional vector

number of training examples  $m = 4$

number of input features/variables  $n = 1$

$$X = \begin{bmatrix} 1 & 2104 \\ 1 & 1600 \\ 1 & 1427 \\ 1 & 1380 \end{bmatrix} \quad y = \begin{bmatrix} 399990 \\ 369000 \\ 198999 \\ 212000 \end{bmatrix} \quad \theta = \begin{bmatrix} \theta_0 \\ \theta_1 \end{bmatrix}$$

$x_0$  is a dummy/extraneous feature.

$\rightarrow h_{\theta}(x^{(1)}) = \theta_0 x_0 + \theta_1 x_1$

$\rightarrow h_{\theta}(x^{(1)}) = \theta_0 \times 1 + \theta_1 \times x_1$

$\rightarrow h_{\theta}(x^{(1)}) = \theta_0 + \theta_1 x_1$

# Linear Regression: Normal Equation

- Cost Function:  $J(\theta_0, \theta_1) = \frac{1}{2m} \sum_{i=1}^m (h_\theta(x^{(i)}) - y^{(i)})^2$
- Goal:  $\min_{\theta_0, \theta_1} J(\theta_0, \theta_1)$
- Minimization (from calculus)
  - Set partial derivatives of cost function  $J(\theta_0, \theta_1)$  with respect to  $\theta_0, \theta_1$  to zero and solve for  $\theta_0, \theta_1$

$$\theta = (X^T X)^{-1} X^T y$$

# Lets get to the demo



# Summary: what we've covered so far

- Machine Learning Motivation
- Machine Learning Definition
- Machine Learning Algorithms
- Linear Regression Motivation
- Linear Regression Deep Dive
- Demo: Linear Regression

# Questions?



Thank you

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