### Acute effects of ambient exposures

Time series and case-crossover studies

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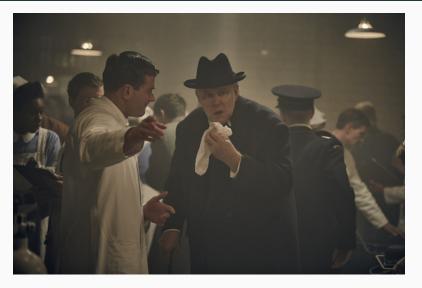
### **Overview**

Today, I'll talk about two popular study designs for studying the **community-wide effects** of **ambient environmental exposures** on human health outcomes.

The two study designs are:

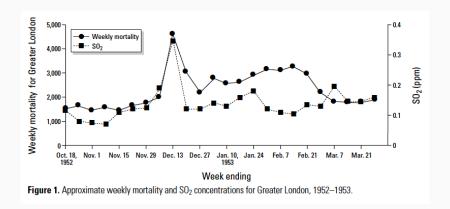
- Time series
- Case-crossover

### 1952 "London Fog"



Source: The Crown, Season 1, Episode 4, Netflix

### 1952 "London Fog"



Source: Bell and Davis, 2001

### 2013 Beijing "Airpocalypse"

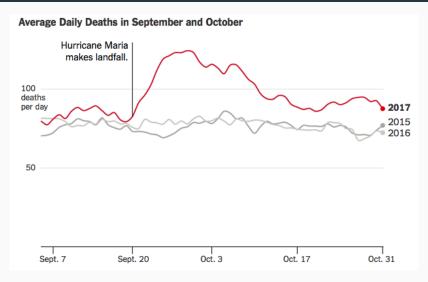


This combination of photos shows (left) the Beijing skyline during severe pollution Monday, and the same view (right) taken during clear weather on Feb. 4, 2012.

Ed Jones/AFP/Getty Images

Source: https://www.npr.org/

#### 2017 Hurricane Maria



Source: The New York Times

#### Samet editorial

118 Samet

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# Air Pollution and EPIDEMIOLOGY: "Déjà Vu All Over Again?"

and aesthetic concern, managed by governments (with varying degrees of success) to protect the public. Although there is still uncertainty about many aspects of air pollution and health, there are now evidence-based regulations in many countries to protect the public from air pollution by motor vehicles and by

Methods developed for air pollution research have also been creatively applied to other areas of epidemiology, such as infectious disease.<sup>1,3</sup> EPIDEMIOLOGY has provided a forum for discussion of these new methodologies and for divergent views on the findings and their interpretation.<sup>4,-7</sup>

Not surprisingly, many of our recently submitted manuscripts on air pollution follow in the footsteps of

#### **NMMAPS**



Source: www.ihapss.jhsph.edu

- Inform policy choices
- Evaluate effectiveness of interventions or policy changes
- Gives clues to biological mechanism

#### Impact of NMMAPS

#### Research impacts of NMMAPS package

- As of November 2011, 67 publications had been published using this data, with 1,781 citations to these papers
- Research using NMMAPS has been used by the US EPA in creating regulatory impact statements for air pollution (particulates and ozone)
- "Thanks to NMMAPS, there is probably no other country in the world with a greater understanding of the health effects of air pollution and heat waves in its population."

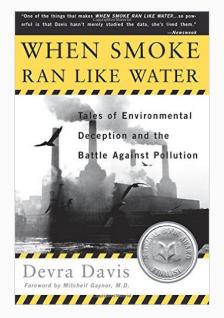
Source: Barnett, Huang, and Turner, 2012

"NMMAPs [a large study of the acute effects of air pollution] played a central role in the Environmental Protection Agency's development of national ambient air quality standards for the six 'criteria' pollutants'."

Source: Peng et al, 2006

"The critical role of the NMMAPs in the development of the air quality standards attracted intense scrutiny from the scientific community and industrial groups regarding the statistical models that are used and the methods that are employed for adjusting for potential confounding."

Source: Peng et al, 2006



## **Example data: Chicago NMMAPS**

#### chicagoNMMAPS data

For the examples in this lecture, I'll use some data from Chicago on mortality, temperature, and air pollution. These data are available as part of the dlnm package. You can load them in R using the following code:

```
library(dlnm)
data("chicagoNMMAPS")
```

#### chicagoNMMAPS data

To make the data a little easier to use, I'll rename the data frame as chic:

```
chic <- chicagoNMMAPS
chic[1:3, c("date", "cvd", "temp", "dptp", "pm10")]</pre>
```

```
## date cvd temp dptp pm10

## 1 1987-01-01 65 -0.2777778 31.500 26.95607

## 2 1987-01-02 73 0.5555556 29.875 NA

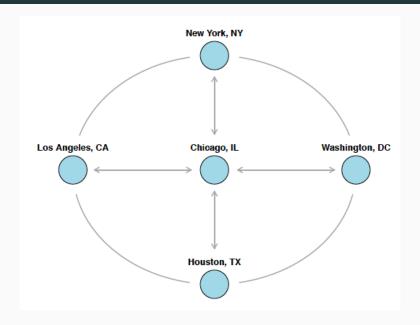
## 3 1987-01-03 43 0.5555556 27.375 32.83869
```

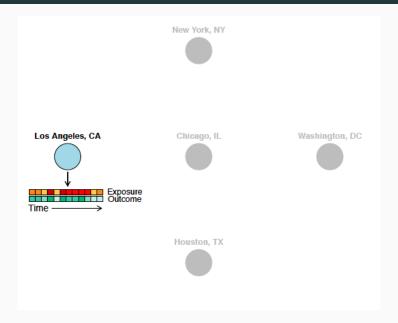
#### chicagoNMMAPS data

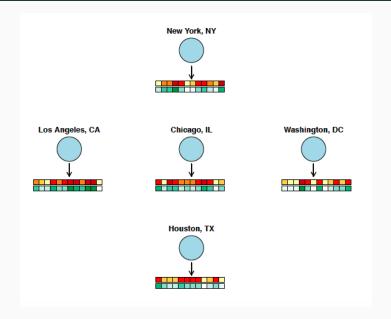
To find out more about this data, you can look at its help file:

?chicagoNMMAPS

### **Concept: Time series studies**







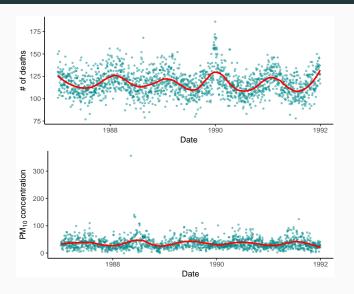
The model we fit is:

$$Y(t) \sim ext{Quasipoisson}(\mu_t, \sigma^2)$$
  $log(\mu_t) = eta_0 + eta_1 PM_t + f(t) + Z(t)$ 

#### where:

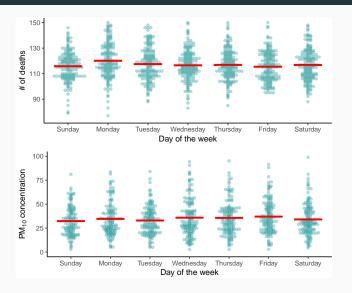
- Y(t): Daily mortality count in community t
- $PM_t$ : Daily  $PM_{10}$  count
- f(t): Smooth function of time
- Z(t): Other confounders

#### **Confounders**



Temporal trends in daily mortality and particulate matter, Chicago, IL

#### **Confounders**



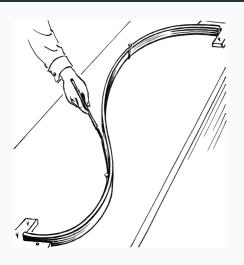
Day-of-week trends in daily mortality and particulate matter, Chicago,  $\ensuremath{\mathsf{IL}}$ 

#### **Confounders**

- Measured confounders
  - Temperature
  - Dew point temperature
  - Day of the week
- Unmeasured confounders
  - Long-term time trends
    - Changing population size
    - Changing population demographics
  - Seasonal time trends
    - Respiratory infections
    - Influenza

Some cofounders you might want to fit using a more complex form. For example, the relationship between temperature and mortality is often non-linear, with the lowest risk at mild temperatures and increasing risk as temperature gets colder or hotter.

### **Splines**



Source: Wikipedia

#### Convergence: "GAM-gate"



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#### COMMENTARY

On the Use of Generalized Additive Models in Time-Series Studies of Air Pollution and Health

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→ Skip Implementation

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# Implementation: Time series studies

### Overdispersed Poisson example

For example, say we wanted to fit an overdispersed Poisson regression for the chic data of whether cardiovascular mortality is associated with particulate matter (note: in this simplified example, I'm not controlling for many things we normally would, like season and temperature).

```
## Estimate Std. Error Pr(>|t|)
## (Intercept) 3.9327868499 0.0059351054 0.0000000
## pm10 -0.0001760049 0.0001530262 0.2501337
```

#### **Overdispersed Poisson example**

Here, the model coefficient gives the  $\log$  relative risk of cardiovascular mortality associated with a unit increase in  $PM_{10}$  concentration.

We usually want to control for other confounders. For example, when we look at the association between  $PM_{10}$  and cardiovascular mortality, we probably want to control for things like day of the week, seasonal and long-term mortality trends, and temperature.

We can control for these potential confounders by adding them in to the right-hand side of the formula:

For example, we usually want to control for day of the week as a factor. To do that, first make sure that day of the week has the class factor:

```
class(chic$dow)
```

```
## [1] "factor"
```

If so, you can include it in your model:

```
## Estimate Std. Error Pr(>|t|)
## (Intercept) 3.914136910 0.0089931211 0.0000000e+00
## pm10 -0.000211628 0.0001550096 1.722355e-01
## dowMonday 0.048178938 0.0111293675 1.528087e-05
## dowTuesday 0.030462708 0.0111124226 6.141692e-03
```

You can use ns() from the splines package to fit temperature using a spline. Here, I am fitting a spline with four degrees of freedom:

```
## Estimate Std. Error Pr(>|t|)
## (Intercept) 4.0533073621 0.0357364704 0.000000e+00
## pm10 0.0008714696 0.0001579088 3.590381e-08
## ns(temp, 4)1 -0.1767349276 0.0318373157 2.988366e-08
## ns(temp, 4)2 -0.3278324170 0.0254813081 2.842988e-37 32
```

## **Controlling for confounders**

Controlling for seasonal and long-term trends is similar. Often, we will use a spline with around 7 degrees of freedom per year. To fit this, first find out how many years are in your data:

```
length(unique(chic$date)) / 365
```

```
## [1] 14.01096
```

## **Controlling for confounders**

Then add a column for time:

```
## [1] -2556.5 -2555.5 -2554.5
```

## **Controlling for confounders**

Now you can fit the model:

```
## Estimate Std. Error
## (Intercept) 4.162023561 0.0583344638
## pm10 0.000202813 0.0001540345
## ns(time, 7 * 14)1 -0.059709991 0.0583191728
## ns(time, 7 * 14)2 -0.181691561 0.0770088168
## ns(time, 7 * 14)3 -0.240738856 0.0700453542
```

## Controlling for convergence problems

One way to account for "GAM-gate" is to change the convergence default threshold using the control option in glm:

Generally, it is good practice to include this when modeling air pollution-health relationships.

You can pull the model coefficient you're interested in from the model summary using this code:

```
pm_coef <- summary(mod_e)$coefficients["pm10", ]
pm_coef</pre>
```

```
## Estimate Std. Error t value Pr(>|t|)
## 0.0002028130 0.0001540345 1.3166725629 0.1880118867
```

Alternatively, you can use the tidy function from the broom package:

```
library(broom)
mod_e %>%
  tidy() %>%
  filter(term == "pm10")
```

```
## term estimate std.error statistic p.value
## 1 pm10 0.000202813 0.0001540345 1.316673 0.1880119
```

Remember that this model coefficient is the **log** relative risk, since we fit a quasi-Poisson model. To get a relative risk estimate, you'll need to take the exponent:

```
exp(pm_coef[1])
```

```
## Estimate
## 1.000203
```

Therefore, there is a relative risk of 1.0002028 for each increase of 1  $\mu g/m^3$  PM<sub>10</sub>.

Often, epidemiology studies will present relative risk for a 10-unit, rather than 1-unit, increase in exposure (e.g., per 10  $\mu g/m^3$  PM<sub>10</sub>). To estimate this, you need to multiple the coefficient by 10 *before* taking the exponential:

```
exp(10 * pm_coef[1])
## Estimate
## 1.00203
```

Therefore, there is a relative risk of 1.0020302 for an increase of 10  $\mu g/m^3$  PM $_{10}$ .

Sometimes, epidemiology studies will present results as % increase in mortality instead of relative risk. You can calculate this as:

```
\% increase = 100 * (RR - 1)
```

For our example model, you could calculate:

```
100 * (exp(10 * pm_coef[1]) - 1)
```

```
## Estimate
## 0.2030188
```

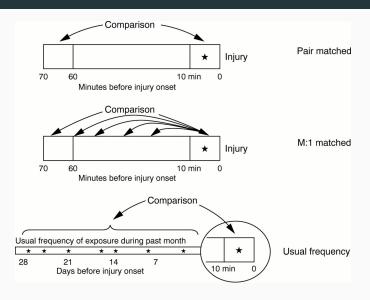
Therefore, there is a 0.203% increase in mortality for an increase of 10  $\mu g/m^3$  PM<sub>10</sub>.

## **Concept: Case-crossover studies**

### Case-crossover models

Case-crossover model designs are based on the idea of matched case-control studies. For these, instead of comparing averages of exposure for cases versus controls, you compare the average difference across each matched set of case and control(s).

## Types of case-crossover designs



Source: Sorock et al. 2001, Injury Prevention

### Strata for case-crossover

### Strata for a case-crossover: Year, month, day of week

24	25	26	27	28	29	30	28	29	30	1	2	3	4	2	2	7 28	29	30	31	1	2:	3 2	4	25	26	27	28	29	5
17	18	19	20	21	22	23	21	22	23	24	25	26	27	1	2	21	22	23	24	25	10	3 1	7	18	19	20	21	22	10
10	11	12	13	14	15	16	14	15	16	17	18	19	20	1	2 1:	14	15	16	17	18	9	1	0	11	12	13	14	15	15
3	4	5	6	7	8	9	7	8	9	10	11	12	13		6	7	8	9	10	11	2		3	4	5	6	7	8	20
26	27	28	29	30	1	2	31	1	2	3	4	5	6	2	3 2	30	1	2	3	4	20	3 2	7	28	29	30	31	1	
		ľ	Иау	1					J	lune	Э						July	/						Au	gu:	st			25

## Concept of case-crossover

For each death in the dataset: Given that the death happened on one of the days in its strata, what is the probability that it happened on the day it did?

Pr(Death|Stratum, Exposure)

## On the equivalence of case-crossover and time series methods in environmental epidemiology

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"In this paper, we show that case-crossover using conditional logistic regression is a special case of time series analysis when there is a common exposure such as in air pollution studies. This equivalence provides computational convenience for case-crossover analyses and a better understanding of time series models."

Source: Lu and Zeger Biostatistics 2007

Case-crossover fit using a GLM:

$$Y(t) \sim ext{Quasipoisson}(\mu_t, \sigma^2)$$
  $log(\mu_t) = eta_0 + eta_1 PM_t + eta_2 Stratum_t + Z(t)$ 

### where:

- Y(t): Daily mortality count in community t
- $PM_t$ : Daily  $PM_{10}$  count
- *Stratum<sub>t</sub>*: The stratum to which the day belongs
- Z(t): Other confounders

Stratum	Date	Ozone	Temp-erature	n. of deaths
2002 1 Sun	06 jan 2002	2.4	7.1	198
2002 1 Sun	13 jan 2002	17.6	8.2	204
2002 1 Sun	20 jan 2002	49.9	8.9	167
2002 1 Sun	27 jan 2002	42.5	10.5	169
2002 1 Mon	07 jan 2002	4.1	5.2	180

Source: Armstrong et al. BMC Medical Research Methodology 2014

Table 3 Excerpt from example data in semi-expanded format for case crossover conditional logistic analysis

				3	,	
Stratum	Case-con set	Date	Ozone	Temp- erature	Case day	Weight
2002 1 Sun	2002 1 Sun 1	06 jan 2002	2.4	7.1	1	198
2002 1 Sun	2002 1 Sun 1	13 jan 2002	17.6	8.2	0	198
2002 1 Sun	2002 1 Sun 1	20 jan 2002	49.9	8.9	0	198
2002 1 Sun	2002 1 Sun 1	27 jan 2002	42.5	10.5	0	198
2002 1 Sun	2002 1 Sun 2	06 jan 2002	2.4	7.1	0	204
2002 1 Sun	2002 1 Sun 2	13 jan 2002	17.6	8.2	1	204
2002 1 Sun	2002 1 Sun 2	20 jan 2002	49.9	8.9	0	204

Source: Armstrong et al. BMC Medical Research Methodology 2014

# Implementation: Case-crossover studies

### **GLM** method

To code using a GLM, first you need to create a column with the stratum. In R, you can use format with the date to do this easily, and then convert the formatted date for a factor class:

```
chic$casecross_stratum <- format(chic$date, "%Y-%m-%a")
chic$casecross_stratum <- factor(chic$casecross_stratum)
head(chic$casecross_stratum, 3)</pre>
```

```
## [1] 1987-01-Thu 1987-01-Fri 1987-01-Sat
## 1176 Levels: 1987-01-Fri 1987-01-Mon 1987-01-Sat 1987-01
```

##

Now you can include this factor in your model (note: this takes the place of model control for time trends and day of week in a typical time series model):

Estimate Std. Error

```
## (Intercept) 4.0482946294 0.0855215089

## pm10 0.0001909843 0.0001680322

## casecross_stratum1987-01-Mon 0.1907876393 0.1137590495

## casecross_stratum1987-01-Sat 0.0855529446 0.1168756412

## casecross stratum1987-01-Sun 0.3300835895 0.1099033832
```

You can interpret the coefficients now in the same way as with the time series model:

```
pm_coef <- summary(mod_f)$coefficients["pm10", ]
100 * (exp(10 * pm_coef[1]) - 1)</pre>
```

```
## Estimate
## 0.1911668
```

Therefore, for this model, there is a 0.191% increase in mortality for an increase of 10  $\mu g/m^3$  PM<sub>10</sub>.

There are also other methods for fitting case-crossover models:

- Armstrong et al. (Conditional Poisson models: a flexible alternative to conditional logistic case cross-over analysis) suggest using a conditional Poisson regression model (gnm()) to speed up computational time.
- The casecross function in the season package by Adrian Barnett uses 28-day strata (rather than by month) and a Cox proportional hazards regression model to fit the model.

If you are using this method for a paper, it is worthwhile testing the different methods to see if you get similar results.

Using a conditional Poisson model:

```
## Estimate
## 0.1911668
```