

# Linked List

# Singly Linear Linked List

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# Node

## NODE



## Singly Linked List

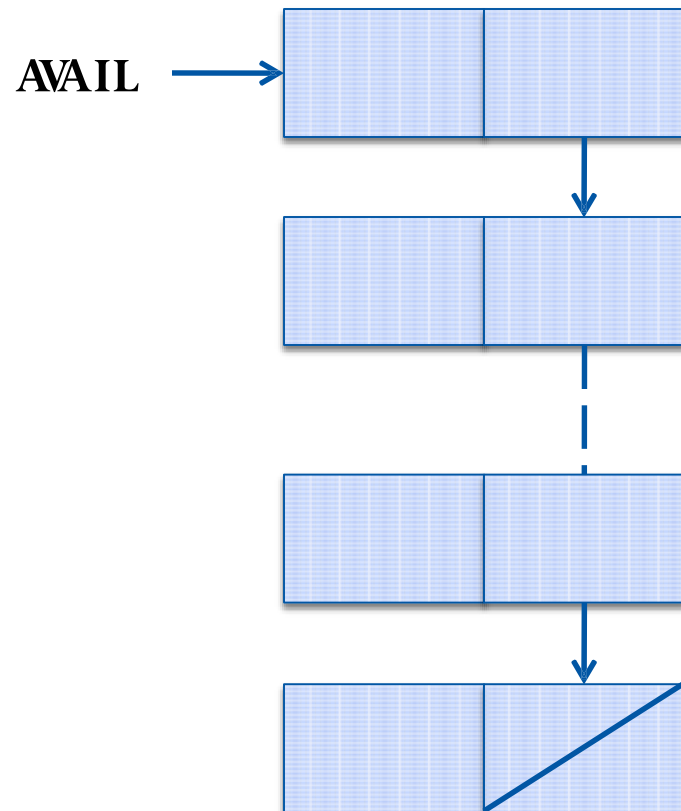
# Insertion at beginning

**FIRST = INSERT (X, FIRST)**

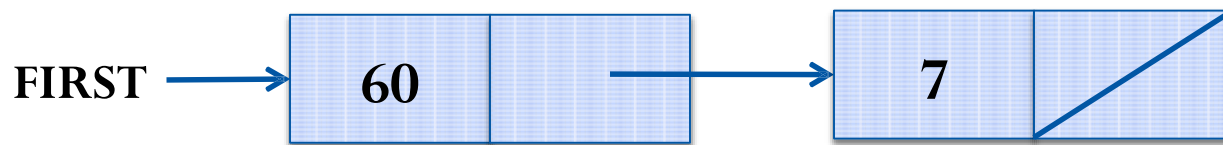
**Function : INSERT (X, FIRST)**

- X – a new element
- FIRST – a pointer to the first element of a linked linear list
- INFO – data field of the node
- LINK – a pointer to the next element in the list
- AVAIL – a pointer to the top element of the availability stack
- NEW – a temporary pointer variable

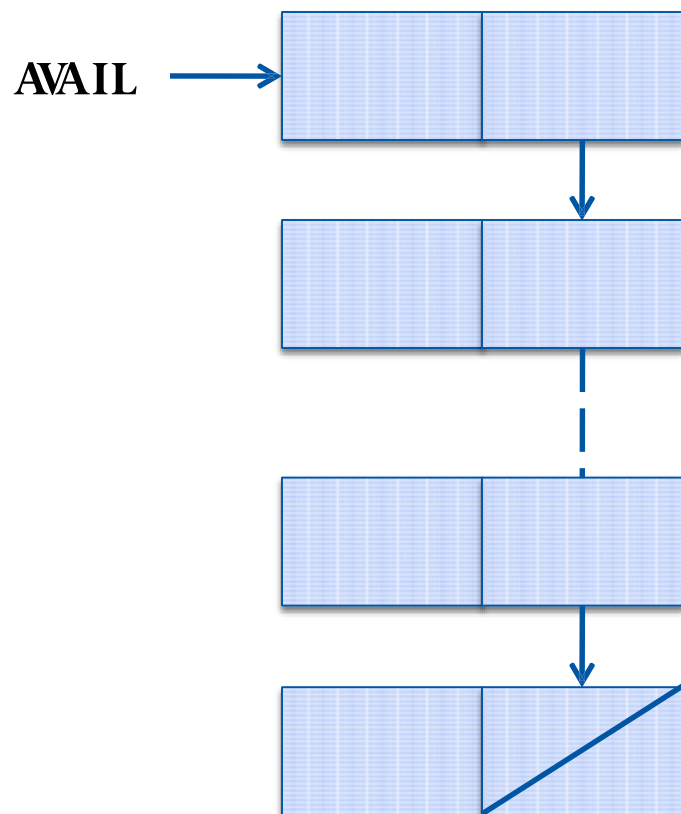
# Insertion at beginning



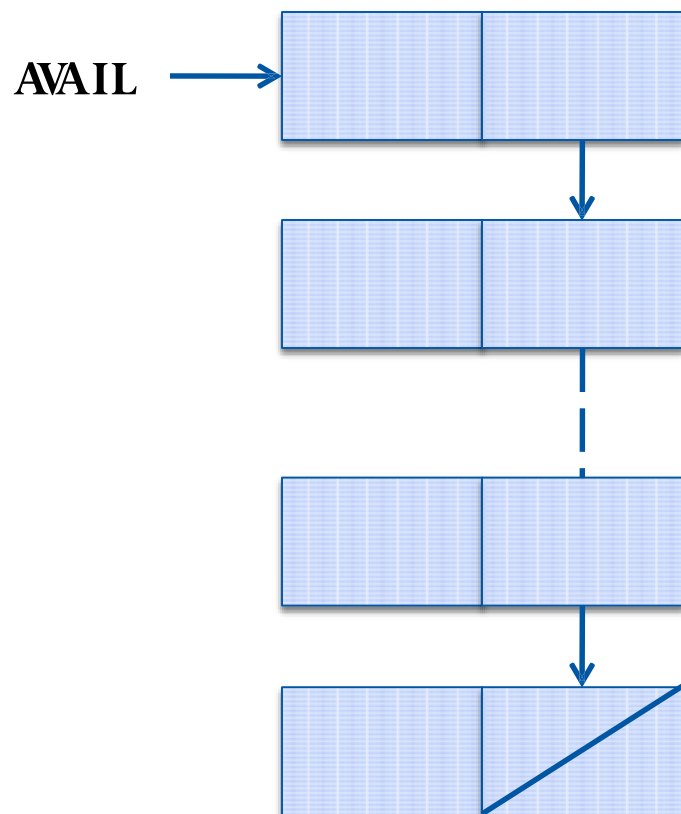
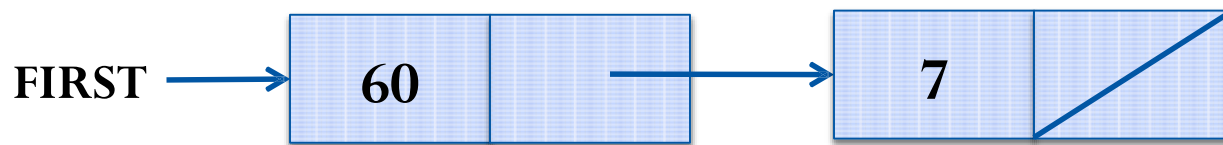
# Insertion at beginning



**Function : INSERT (X, FIRST)**



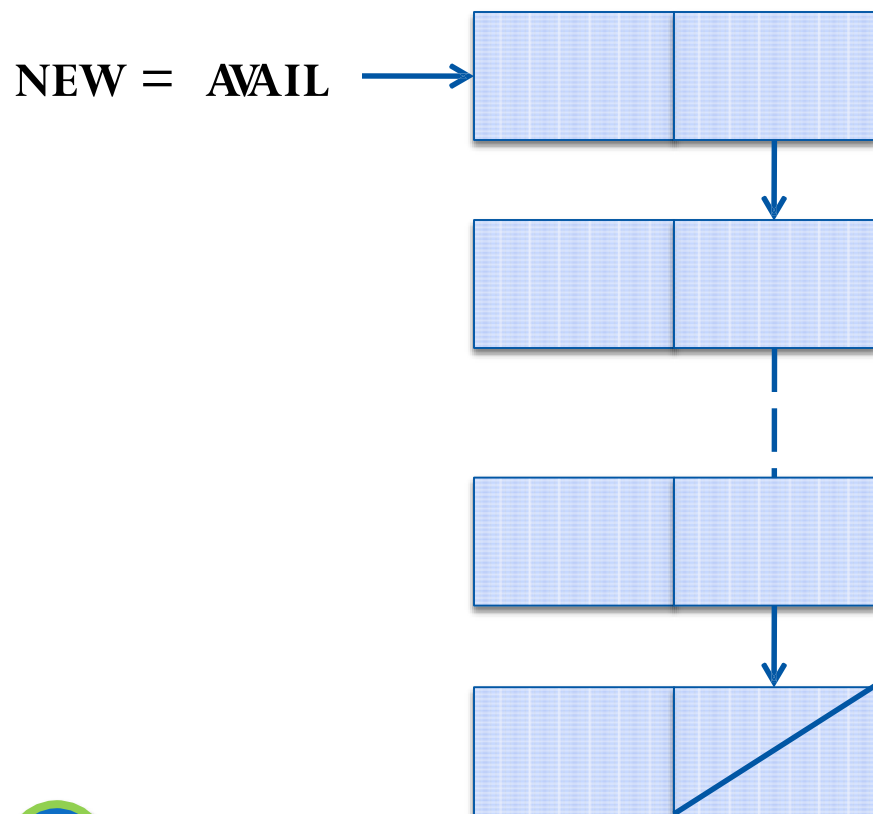
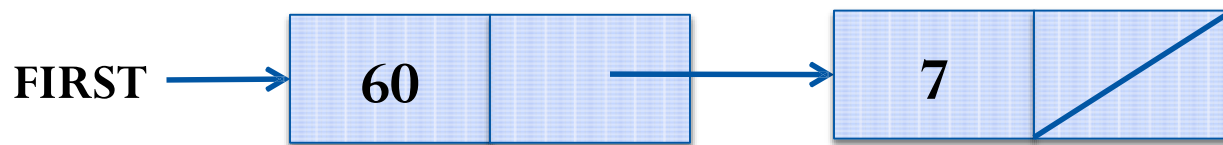
# Insertion at beginning



**Function : INSERT (X, FIRST)**

1. [Underflow ?]  
If  $AVAIL = NULL$   
then Write('AVAIL UNDERFLOW')  
Return(FIRST)

# Insertion at beginning

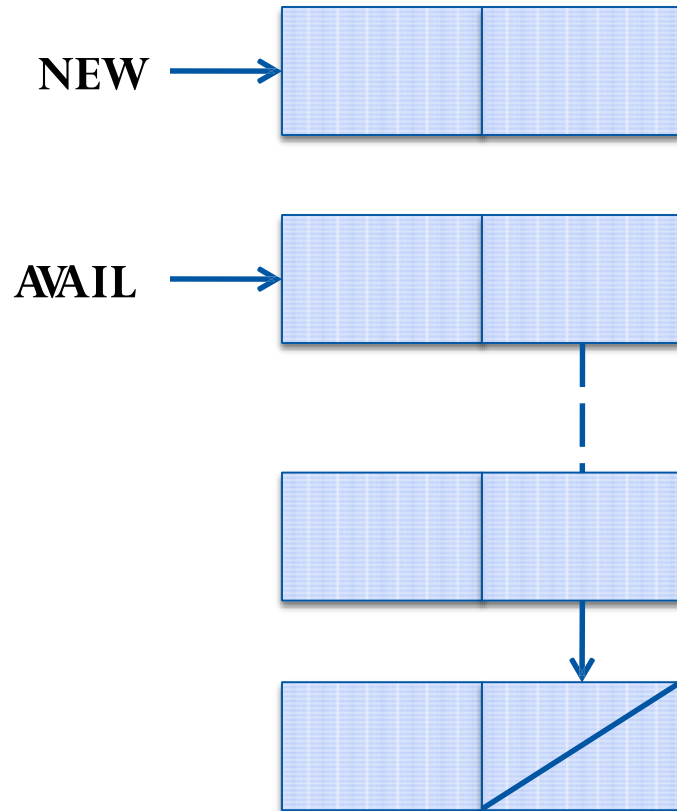


## Function : INSERT (X, FIRST)

1. [Underflow ?]  
If  $AVAIL = NULL$   
then Write('AVAIL UNDERFLOW')  
Return(FIRST)
2. [Obtain address of next free node]  $NEW \leftarrow AVAIL$



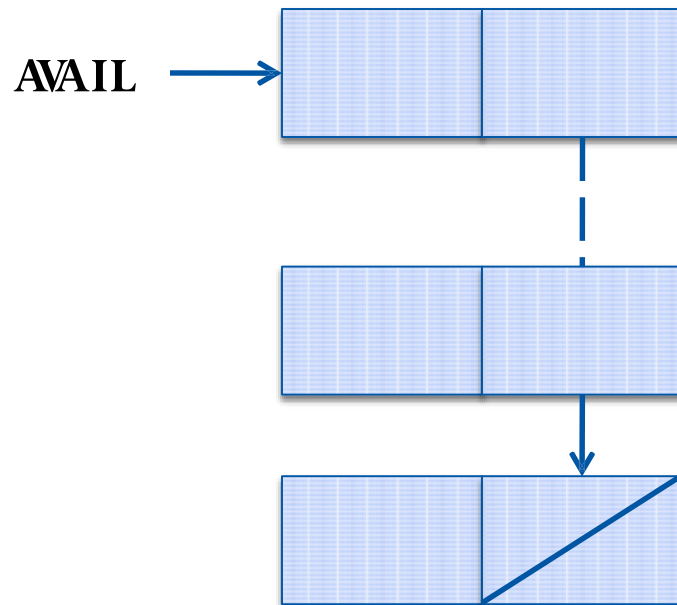
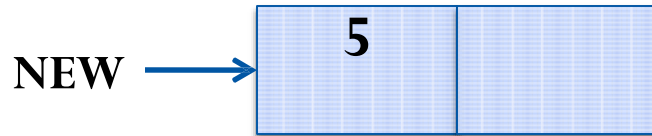
# Insertion at beginning



## Function : INSERT (X, FIRST)

1. [Underflow ?]  
If  $AVAIL = NULL$   
then Write('AVAIL UNDERFLOW')  
Return(FIRST)
2. [Obtain address of next free node]  $NEW \leftarrow AVAIL$
3. [Remove free node from availability stack]  
 $AVAIL \leftarrow LINK(AVAIL)$

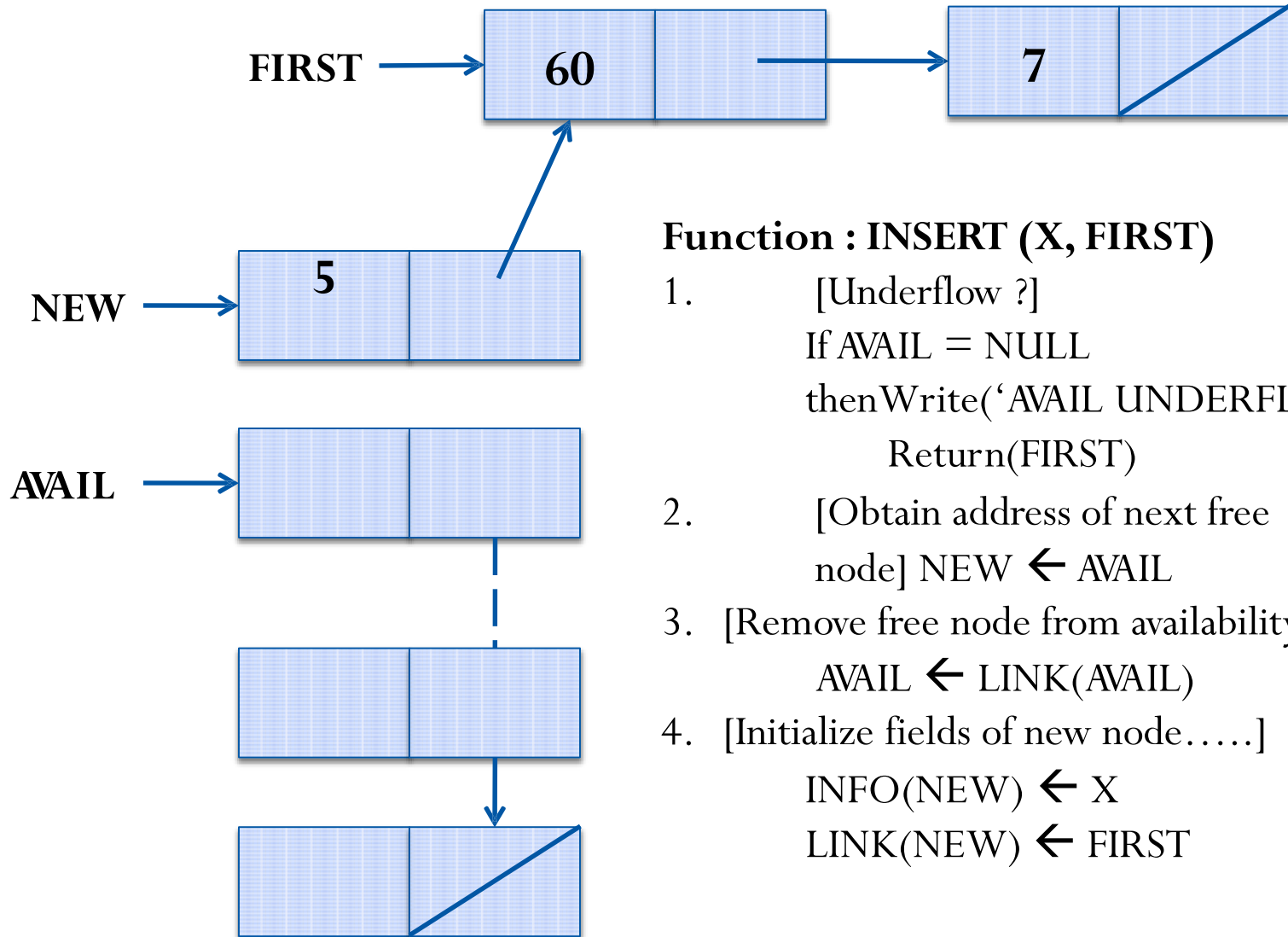
# Insertion at beginning



## Function : INSERT (X, FIRST)

1. [Underflow ?]  
If  $AVAIL = NULL$   
then Write('AVAIL UNDERFLOW')  
Return(FIRST)
2. [Obtain address of next free node]  $NEW \leftarrow AVAIL$
3. [Remove free node from availability stack]  
 $AVAIL \leftarrow LINK(AVAIL)$
4. [Initialize fields of new node.....]  
 $INFO(NEW) \leftarrow X$

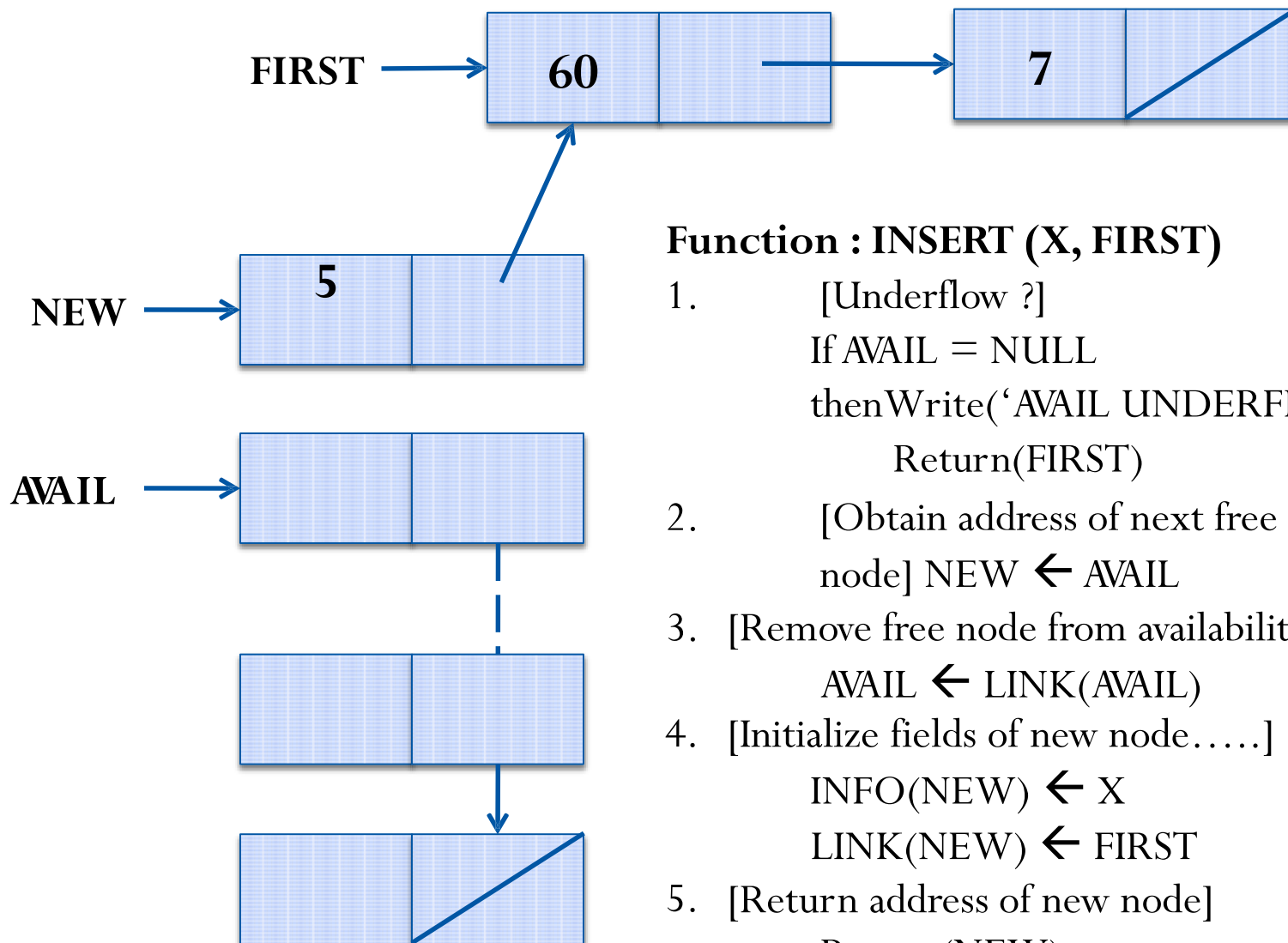
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## Function : INSERT (X, FIRST)

1. [Underflow ?]  
If  $AVAIL = NULL$   
then Write('AVAIL UNDERFLOW')  
Return(FIRST)
2. [Obtain address of next free node]  $NEW \leftarrow AVAIL$
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 $AVAIL \leftarrow LINK(AVAIL)$
4. [Initialize fields of new node.....]  
 $INFO(NEW) \leftarrow X$   
 $LINK(NEW) \leftarrow FIRST$

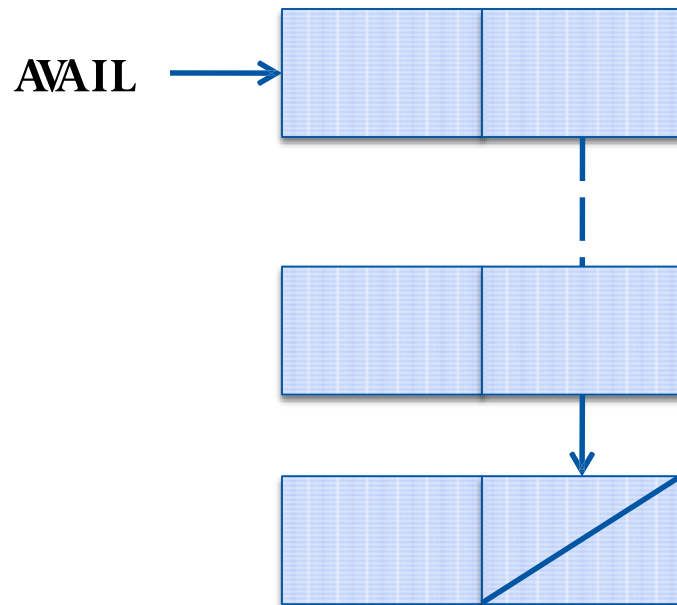
# Insertion at beginning



## Function : INSERT (X, FIRST)

1. [Underflow ?]  
If  $AVAIL = NULL$   
then Write('AVAIL UNDERFLOW')  
Return(FIRST)
2. [Obtain address of next free node]  $NEW \leftarrow AVAIL$
3. [Remove free node from availability stack]  
 $AVAIL \leftarrow LINK(AVAIL)$
4. [Initialize fields of new node.....]  
 $INFO(NEW) \leftarrow X$   
 $LINK(NEW) \leftarrow FIRST$
5. [Return address of new node]  
Return(NEW)

# Insertion at beginning



## Function : INSERT (X, FIRST)

1. [Underflow ?]  
If AVAIL = NULL  
then Write('AVAIL UNDERFLOW')  
Return(FIRST)
2. [Obtain address of next free node] NEW  $\leftarrow$  AVAIL
3. [Remove free node from availability stack]  
AVAIL  $\leftarrow$  LINK(AVAIL)
4. [Initialize fields of new node.....]  
INFO(NEW)  $\leftarrow$  X  
LINK(NEW)  $\leftarrow$  FIRST
5. [Return address of new node]  
Return(NEW)

# Insertion at beginning

## Function : INSERT (X, FIRST)

1. [Underflow ?]  
    If  $AVAIL = NULL$   
    then Write('AVAILABILITY STACK UNDERFLOW')  
    Return(FIRST)
2. [Obtain address of next free node]  
     $NEW \leftarrow AVAIL$
3. [Remove free node from availability stack]  
     $AVAIL \leftarrow LINK(AVAIL)$
4. [Initialize fields of new node and its link to the list]  
     $INFO(NEW) \leftarrow X$   
     $LINK(NEW) \leftarrow FIRST$
5. [Return address of new node]  
    Return(NEW)

# Program snippet

```
struct node {
    int data;
    struct node *link;
};

struct node *insert (int x, struct node * first)
{
    struct node *new;

    new=(struct node *)malloc(sizeof(node));
    new -> data = x;
    if(first == NULL)
        new ->link = NULL;
    else
        new -> link = first;
    return(new) ;
}
```

# Insertion at end

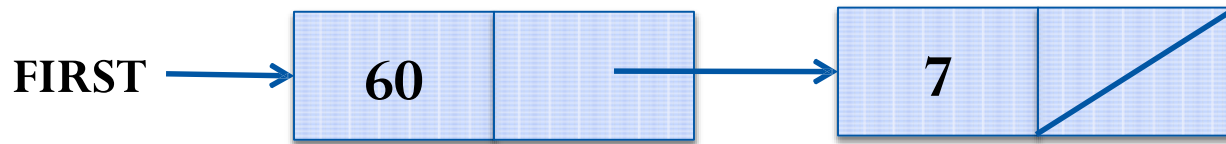
**FIRST = INSEND(X, FIRST)**

**Function : INSEND (X, FIRST)**

- X – a new element
- FIRST – a pointer to the first element of a linked linear list
- INFO – data field of the node
- LINK – a pointer to the next element in the list
- AVAIL – a pointer to the top element of the availability stack
- NEW – a temporary pointer variable
- SAVE – a temporary pointer variable



# Insertion at end



## Function : INSEND (X, FIRST)

1. [Underflow ?]

If AVAIL = NULL

then Write('AVAILABILITY STACK  
UNDERFLOW')

Return(FIRST)

2. [Obtain address of next free node]

NEW  $\leftarrow$  AVAIL

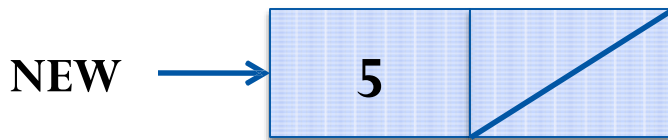
3. [Remove free node from availability stack]

AVAIL  $\leftarrow$  LINK(AVAIL)

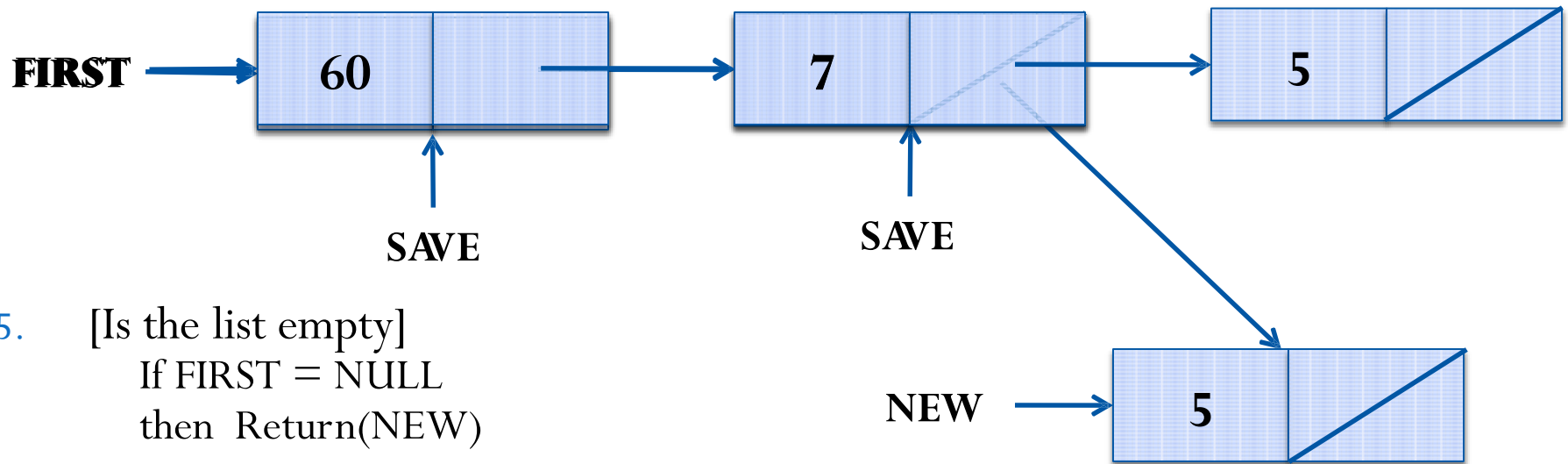
4. [Initialize fields of new node and its link to the list]

INFO(NEW)  $\leftarrow$  X

LINK(NEW)  $\leftarrow$  NULL



# Insertion at end



5. [Is the list empty]  
If  $\text{FIRST} = \text{NULL}$   
then  $\text{Return}(\text{NEW})$
6. [Initiate search for the last node]  
 $\text{SAVE} \leftarrow \text{FIRST}$
7. [Search for end of list]  
Repeat while  $\text{LINK}(\text{SAVE}) \neq \text{NULL}$   
 $\text{SAVE} \leftarrow \text{LINK}(\text{SAVE})$
8. [Set LINK field of last node to NEW]  
 $\text{LINK}(\text{SAVE}) \leftarrow \text{NEW}$
9. [Return first node pointer]  
 $\text{Return}(\text{FIRST})$

# Insertion at end

**Function : INSEND (X, FIRST) (.....continue)**

1. [Underflow ?]  
    If AVAIL = NULL  
    then Write('AVAILABILITY STACK UNDERFLOW')  
    Return(FIRST)
2. [Obtain address of next free node]  
    NEW  $\leftarrow$  AVAIL
3. [Remove free node from availability stack]  
    AVAIL  $\leftarrow$  LINK(AVAIL)
4. [Initialize fields of new node and its link to the list]  
    INFO(NEW)  $\leftarrow$  X  
    LINK(NEW)  $\leftarrow$  NULL
5. [Is the list empty]  
    If FIRST = NULL  
    then Return(NEW)

# Insertion at end

6. [Initiate search for the last node]  
     $\text{SAVE} \leftarrow \text{FIRST}$
7. [Search for end of list]  
    Repeat while  $\text{LINK}(\text{SAVE}) \neq \text{NULL}$   
         $\text{SAVE} \leftarrow \text{LINK}(\text{SAVE})$
8. [Set LINK field of last node to NEW]  
     $\text{LINK}(\text{SAVE}) \leftarrow \text{NEW}$
9. [Return first node pointer]  
    Return( $\text{FIRST}$ )

# Ordered Linked List

- Inserting a node into an ordered linear list

## Algorithm

1. Remove a node from the availability stack
2. Set the fields of the new node
3. If the linked list is empty  
then return the address of the new node
4. If the node precedes all others in the list  
then insert the node at front of the list and return its address
5. Obtain the next node in the linked list
6. Insert the new node in the list and return address of its first node

# Insertion in ordered linked list

**FIRST = INSORD(X, FIRST)**

**Function : INSORD (X, FIRST)**

- X – a new element
- FIRST – a pointer to the first element of a linked linear list
- INFO – data field of the node
- LINK – a pointer to the next element in the list
- AVAIL – a pointer to the top element of the availability stack
- NEW – a temporary pointer variable
- SAVE – a temporary pointer variable

# Insertion in ordered linked list

- **Function : INSORD (X, FIRST)**

1. [Underflow ?]  
    If AVAIL = NULL  
    then Write('AVAILABILITY STACK UNDERFLOW')  
    Return(FIRST)
2. [Obtain address of next free node]  
    NEW  $\leftarrow$  AVAIL
3. [Remove free node from availability stack]  
    AVAIL  $\leftarrow$  LINK(AVAIL)
4. [Copy information contents into new node]  
    INFO(NEW)  $\leftarrow$  X
5. [Is the list empty ?]  
    If FIRST = NULL  
    then LINK(NEW)  $\leftarrow$  NULL  
    Return(NEW)

# Insertion in ordered linked list

6. [Does the new node precede all others in the list ?]  
If  $\text{INFO}(\text{NEW}) \leq \text{INFO}(\text{FIRST})$   
then  $\text{LINK}(\text{NEW}) \leftarrow \text{FIRST}$   
Return( $\text{NEW}$ )
7. [Initialize the temporary pointer]  
 $\text{SAVE} \leftarrow \text{FIRST}$
8. [Search for predecessor of new node]  
Repeat while  $\text{LINK}(\text{SAVE}) \neq \text{NULL}$  and  $\text{INFO}(\text{LINK}(\text{SAVE})) \leq \text{INFO}(\text{NEW})$   
 $\text{SAVE} \leftarrow \text{LINK}(\text{SAVE})$
9. [Set link fields of new node and its predecessor]  
 $\text{LINK}(\text{NEW}) \leftarrow \text{LINK}(\text{SAVE})$   
 $\text{LINK}(\text{SAVE}) \leftarrow \text{NEW}$
10. [Return first node pointer]  
Return( $\text{FIRST}$ )



# Deleting a node from linked linear list

## Algorithm

1. If the linked list is empty  
then write underflow and return
2. Repeat step 3 while the end of the list has not been reached and the node has not been found
3. Obtain the next node in the list and record its predecessor node
4. If the end of the list has been reached  
then write node not found and return
5. Delete the node from the list
6. Return the node to the availability area

# Deleting a node from linked linear list

## **DELETE(X, FIRST)**

### **Procedure : DELETE (X, FIRST)**

- X — the address of a node to be deleted
- FIRST — a pointer to the first element of a linked linear list
- INFO — data field of the node
- LINK — a pointer to the next element in the list
- TEMP — a pointer used to find the desired node
- PRED — pointer keeps track of the predecessor of TEMP

# Deleting a node from linked linear list

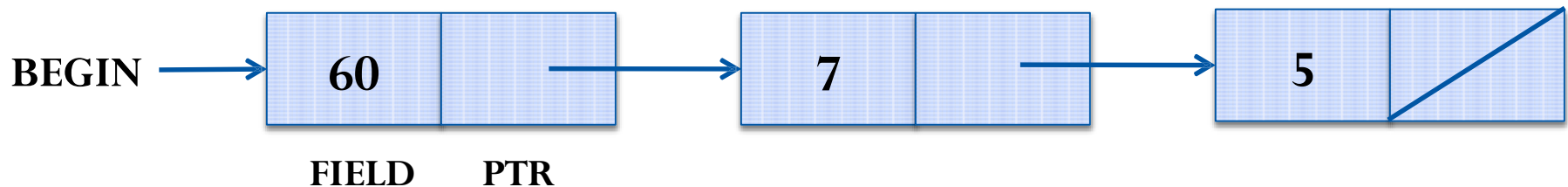
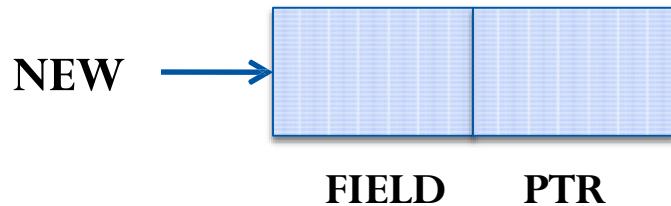
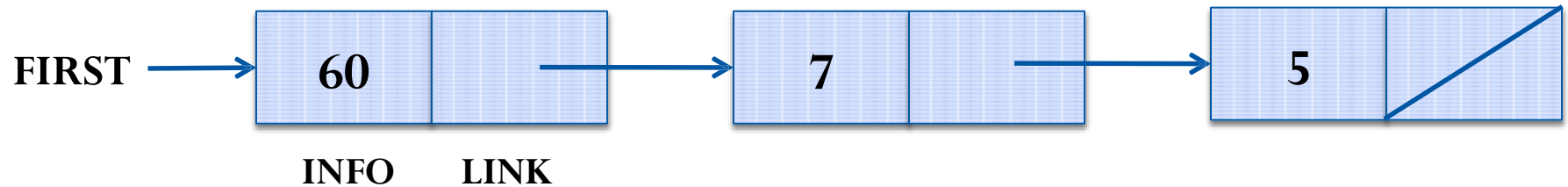
- **Procedure : DELETE (X, FIRST)**

1. [Empty list ?]  
    If FIRST = NULL  
    then Write('UNDERFLOW')  
    Return
2. [Initialize search for X]  
    TEMP  $\leftarrow$  FIRST
3. [Find X]  
    Repeat thru step5 while TEMP  $\neq$  X and LINK(TEMP)  $\neq$  NULL
4. [Update predecessor marker]  
    PRED  $\leftarrow$  TEMP
5. [Move to next node]  
    TEMP  $\leftarrow$  LINK(TEMP)

# Deleting a node from linked linear list

6. [End of the list ?]  
    If TEMP  $\neq$  X  
    then Write ('NODE NOT FOUND')  
    Return
7. [Delete X]  
    If X = FIRST (Is X the first node ?)  
    then FIRST  $\leftarrow$  LINK(FIRST)  
    else LINK(PRED)  $\leftarrow$  LINK(X)
8. [Return node to availability area]  
    LINK(X)  $\leftarrow$  AVAIL  
    AVAIL  $\leftarrow$  X  
    Return

# Copy a linked linear list



# Copy a linked linear list

**BEGIN=COPY(FIRST)**

**Function : COPY (FIRST)**

- FIRST – a pointer to the first element of a linked linear list
- INFO – data field of the node
- LINK – a pointer to the next element in the list
- BEGIN – the address of the first element in newly created list
- FIELD – data field of node in newly created list
- PTR – a pointer to the next element in the newly created list
- NEW SAVE – pointer variables
- PRED – pointer pointing to the predecessor to the SAVE
- AVAIL – a pointer pointing to the top of availability stack

# Copy a linked linear list

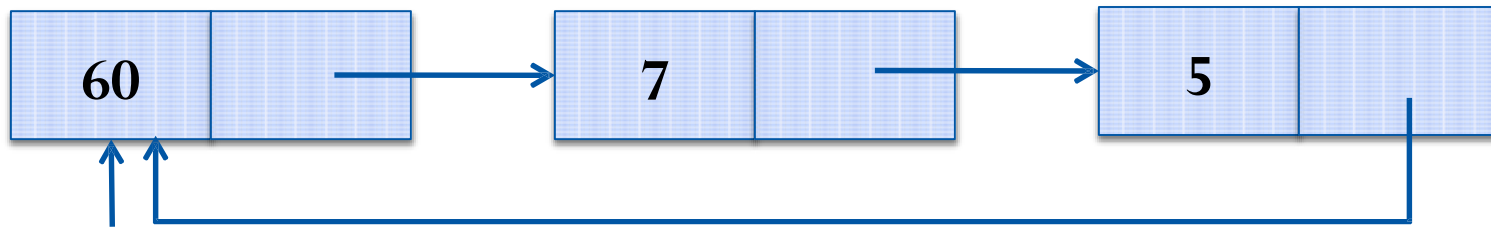
1. [Empty list ?]  
    If FIRST = NULL  
    then Return(NULL)
2. [Copy first node]  
    If AVAIL = NULL  
    then Write ('AVAILABILITY STACK UNDERFLOW')  
    Return(0)  
    else NEW  $\leftarrow$  AVAIL  
        AVAIL  $\leftarrow$  LINK (AVAIL)  
        FIELD (NEW)  $\leftarrow$  INFO(FIRST)  
        BEGIN  $\leftarrow$  NEW
3. [Initialize traversal]  
    SAVE  $\leftarrow$  FIRST
4. [Move to the next node if not at the end of the list]  
    Repeat thru step 6 while LINK(SAVE)  $\neq$  NULL

# Copy a linked linear list

5. [Update predecessor and save pointers]  
     $\text{PRED} \leftarrow \text{NEW}$   
     $\text{SAVE} \leftarrow \text{LINK}(\text{SAVE})$
6. [Copy node]  
    If  $\text{AVAIL} = \text{NULL}$   
    then Write ('AVAILABILITY STACK UNDERFLOW')  
        Return(0)  
    else  $\text{NEW} \leftarrow \text{AVAIL}$   
         $\text{AVAIL} \leftarrow \text{LINK}(\text{AVAIL})$   
         $\text{FIELD}(\text{NEW}) \leftarrow \text{INFO}(\text{SAVE})$   
         $\text{PTR}(\text{PRED}) \leftarrow \text{NEW}$
7. [Set link of last node and return]  
     $\text{PTR}(\text{NEW}) \leftarrow \text{NULL}$   
    Return (BEGIN)

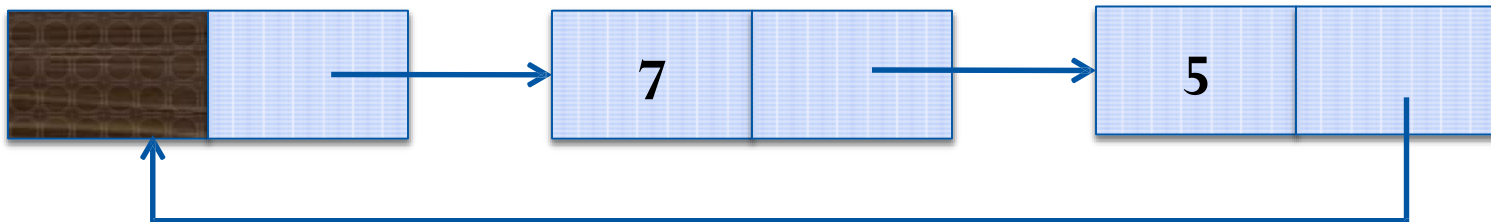


# Circularly Linked Linear Lists



**FIRST**

**HEAD**



# Circularly Linked Linear Lists

## **Advantages:**

- Every node is accessible from given node
- Deletion operation is easy

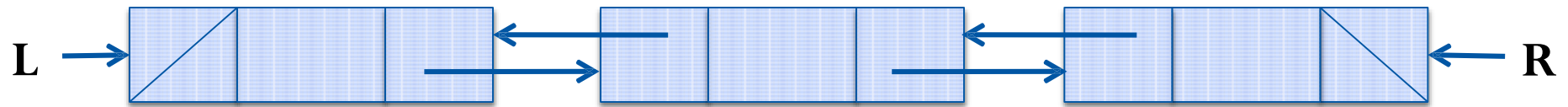
## **Disadvantages:**

- Without some care in processing, it is possible to get into an infinite loop

# Stack and Queue using Linked List

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# Doubly Linked Linear List



# Insertion in Doubly Linked Linear List

## **Procedure: DOUBINS(L, R, M, X)**

- L – pointer giving left-most node address
- R – pointer giving right-most node address
- NEW – new node to be inserted in list
- LPTR, RPTR – left and right link of node
- INFO – information part of node
- M – a pointer variable (insertion is performed at left of M)
- X – information of new node

# Insertion in Doubly Linked Linear List

1. [Obtain new node from availability stack]  
 $NEW \leftarrow NODE$
2. [Copy information field]  
 $INFO(NEW) \leftarrow X$
3. [Insertion into an empty list ?]  
If  $R = NULL$   
then  $LPTR(NEW) \leftarrow RPTR(NEW) \leftarrow NULL$   
 $L \leftarrow R \leftarrow NEW$   
Return

# Insertion in Doubly Linked Linear List

## 4. [Left-most insertion ?]

If  $M=L$

then  $LPTR(NEW) \leftarrow NULL$

$RPTR(NEW) \leftarrow M$

$LPTR(M) \leftarrow NEW$

$L \leftarrow NEW$

Return

## 5. [Insert in middle]

$LPTR(NEW) \leftarrow LPTR(M)$

$RPTR(NEW) \leftarrow M$

$LPTR(M) \leftarrow NEW$

$RPTR(LPTR(NEW)) \leftarrow NEW$

Return

# Deletion in Doubly Linked Linear List

## **Procedure: DOUBDEL(L, R, OLD)**

- L – pointer giving left-most node address
- R – pointer giving right-most node address
- LPTR, RPTR – left and right link of node
- OLD – address of node to be deleted



# Deletion in Doubly Linked Linear List

1. [Underflow ?]  
If R=NULL  
then Write('UNDERFLOW')  
Return
2. [Delete node]  
If L=R (Single node in list)  
then  $L \leftarrow R \leftarrow \text{NULL}$   
else If OLD=L (Left-most node being deleted)  
then  $L \leftarrow \text{RPTR}(L)$   
 $\text{LPTR}(L) \leftarrow \text{NULL}$   
else If OLD = R (Right-most node being deleted)  
then  $R \leftarrow \text{LPTR}(R)$   
 $\text{RPTR}(R) \leftarrow \text{NULL}$   
else  $\text{RPTR}(\text{LPTR}(\text{OLD})) \leftarrow \text{RPTR}(\text{OLD})$   
 $\text{LRPTR}(\text{RPTR}(\text{OLD})) \leftarrow \text{LPTR}(\text{OLD})$

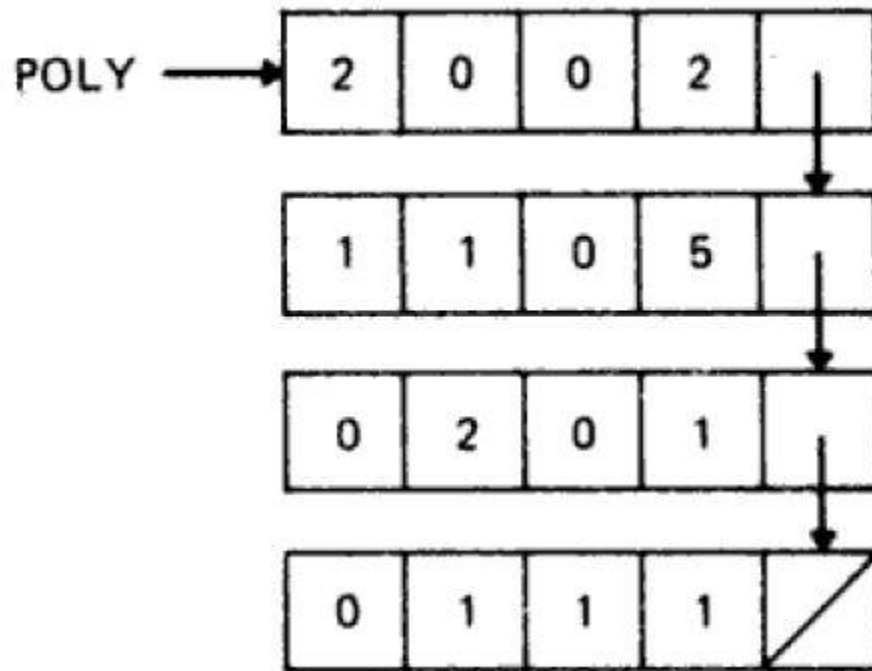
# Deletion in Doubly Linked Linear List

3. [Return deleted node]

Restore (OLD)

Return

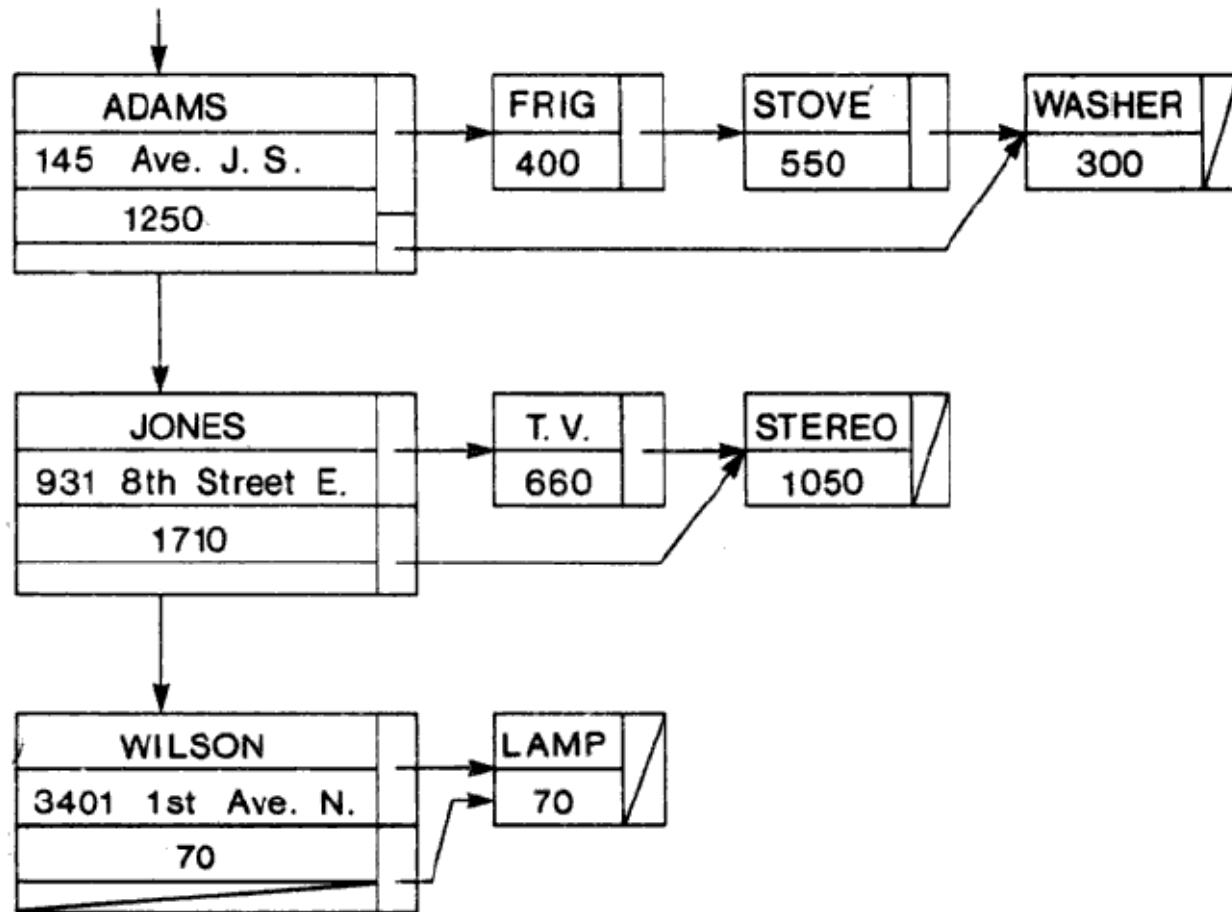
# Polynomial



$$2x^2 + 5xy + y^2 + yz$$

# Customer List

CUSTOMER LIST



# Application of Linked List

1. Linked lists are used as a building block for many other data structures such as **Stack** and **Queue**. Stack and Queue can be represented dynamically using linked list.
2. Linked list is used for representation and manipulation of **Polynomial Equation**.
3. Linked list is widely used by compiler for the construction and maintenance of **Symbol Table**.
4. Linked list is also used to implement **Associative Arrays**.
5. Linked list is also used to implement **Sparse Matrix**.