

Visualizing the Deep CNN Models

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Agenda

- Motivation
 - Why do we need to visualize ?
 - What are the implications of it ?
- Some interesting attempts

Motivation

Why do we need to visualize ?

CNNs - complex ML systems

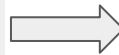
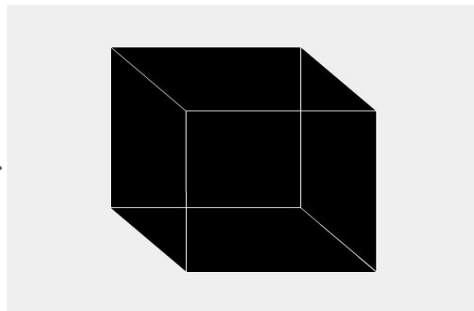
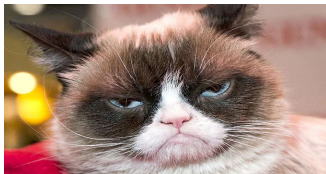
- CNNs is a success story
- However, they are complex models
- 10s of layers, 100s of feature maps, 100000000 of parameters

CNNs - what do they learn ?



CNNs are black boxes ?

- Often don't provide detailed information about the inference



Interpretability matters

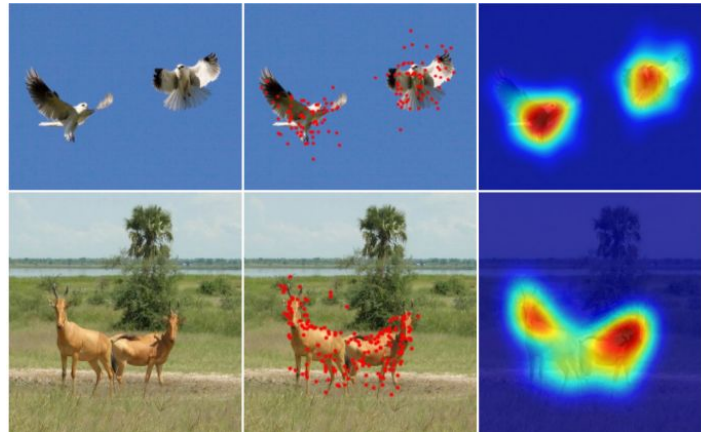
- These CNN classifiers suffer
 - Lack of decomposability
 - No transparency
 - when they fail → no warning, no explanation
 - From the trade-off b/w “Accuracy” and “Interpretability”

What gets better ?

Implications

Information supporting the inference

- Reason an inference
- E.g. Visual explanations



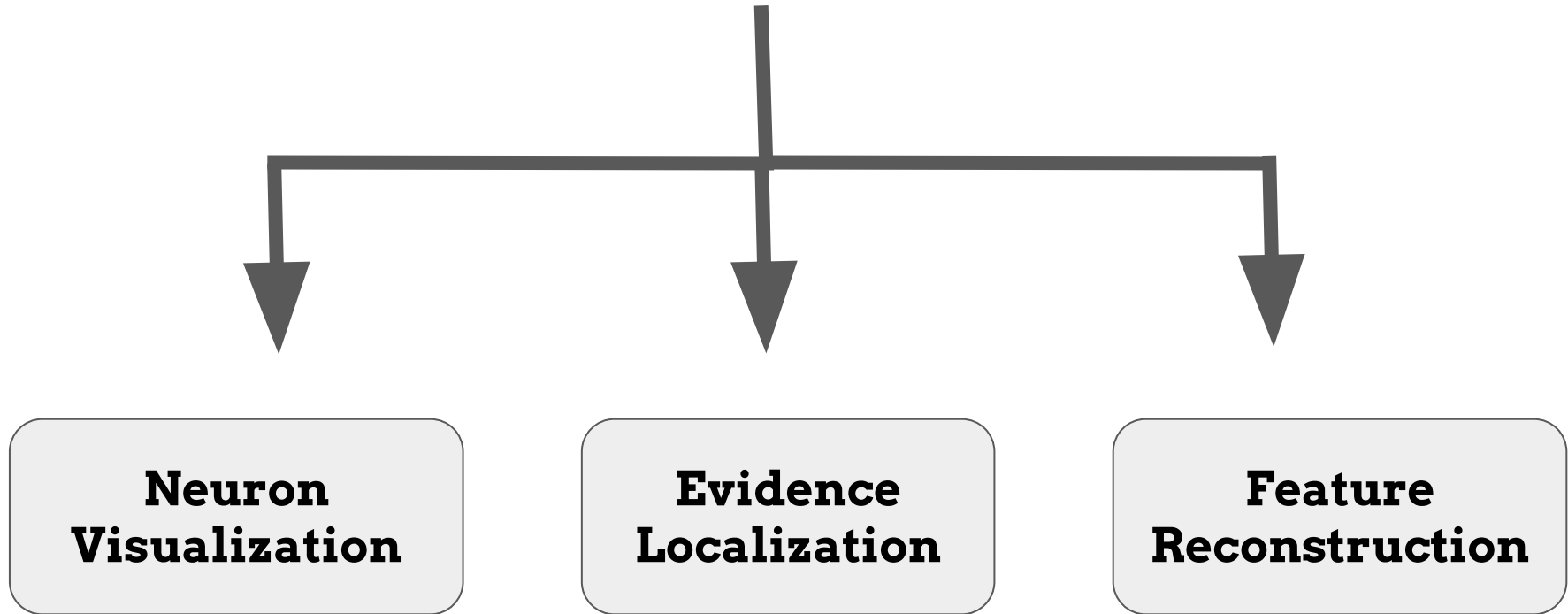
Can enable Human verification

- Incorrect predictions can be costly
 - Ex: Medical diagnosis, defence applications, etc.
- Predictions need to be verified by an expert

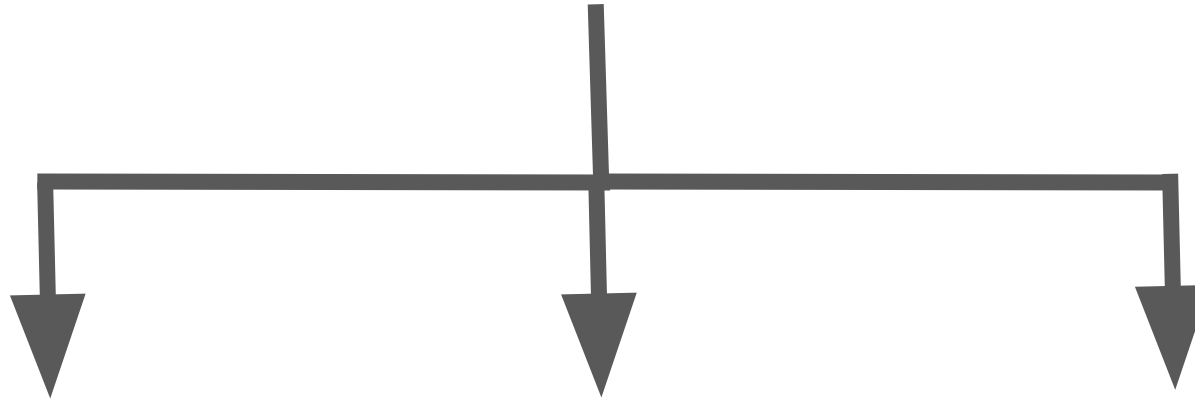
Approaches

Some of them

CNN Visualization



CNN Visualization



**Neuron
Visualization**

**Evidence
Localization**

**Feature
Reconstruction**

RCNN

Neurons and stimuli

- What do the neurons learn ?

Neurons and stimuli

- Recognize visual attributes/concepts/topics



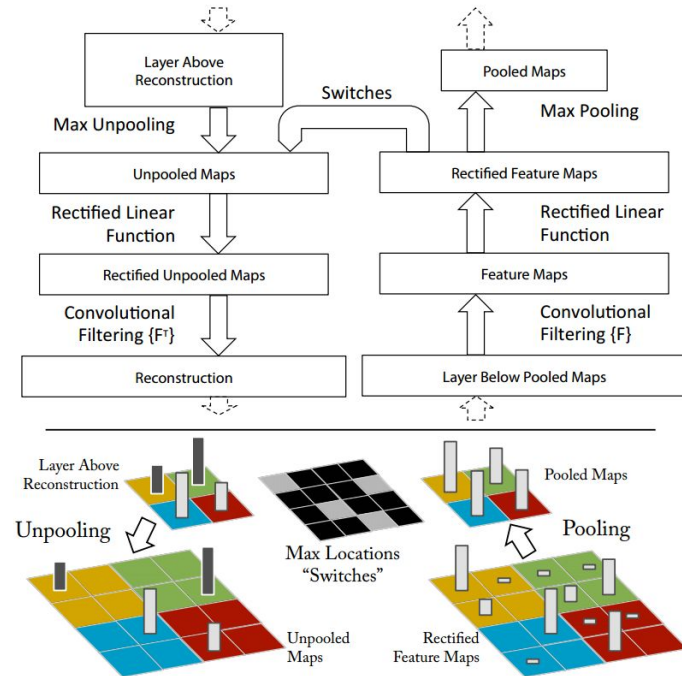
Visualizing with a Deconvnet

Visualizing with a Deconvnet

- Understanding a convnet requires interpreting the feature activity @different layers
- Map neuron activations onto i/p pixel space
- Show what patterns caused it

Visualizing with a Deconvnet

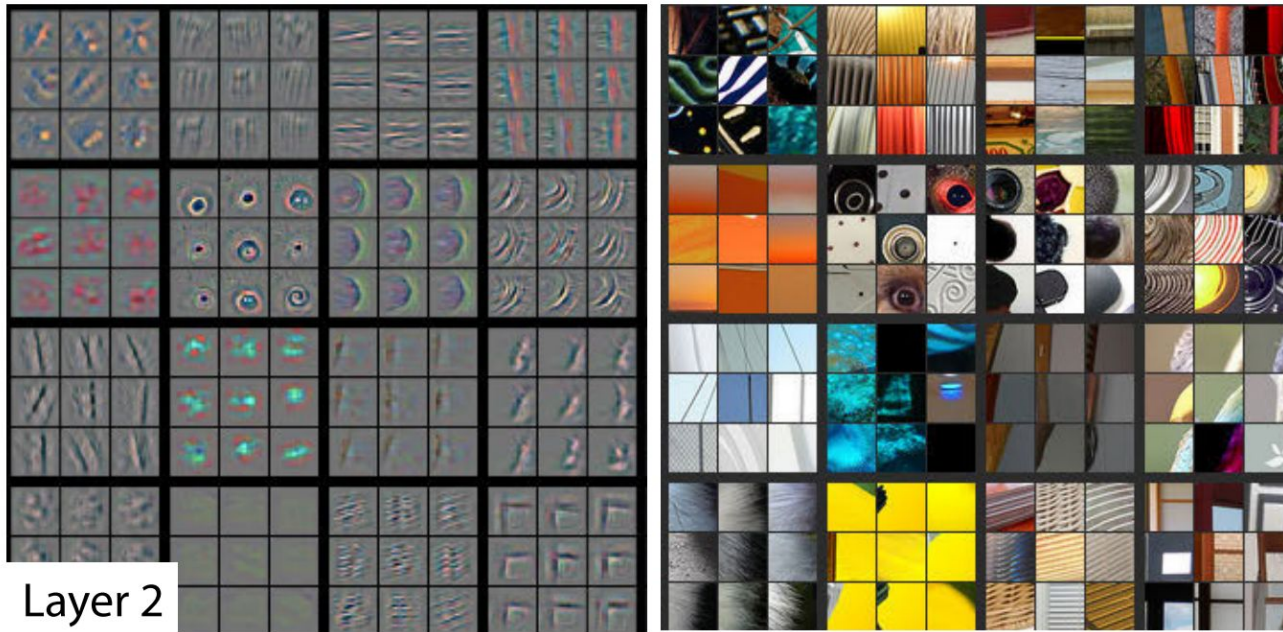
- Deconv layers
- Switches
- Transposed filters



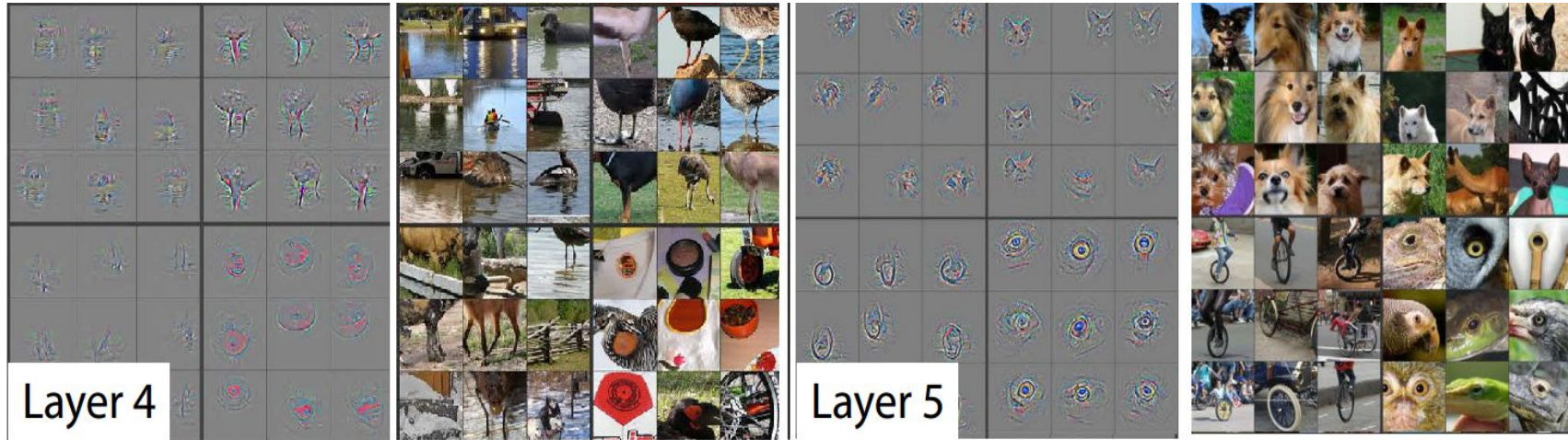
Visualizing with a Deconvnet

- Pick a unit to visualize
- Zero out all the remaining units in the layer
- Project back via the deconv layers

Visualizing with a Deconvnet



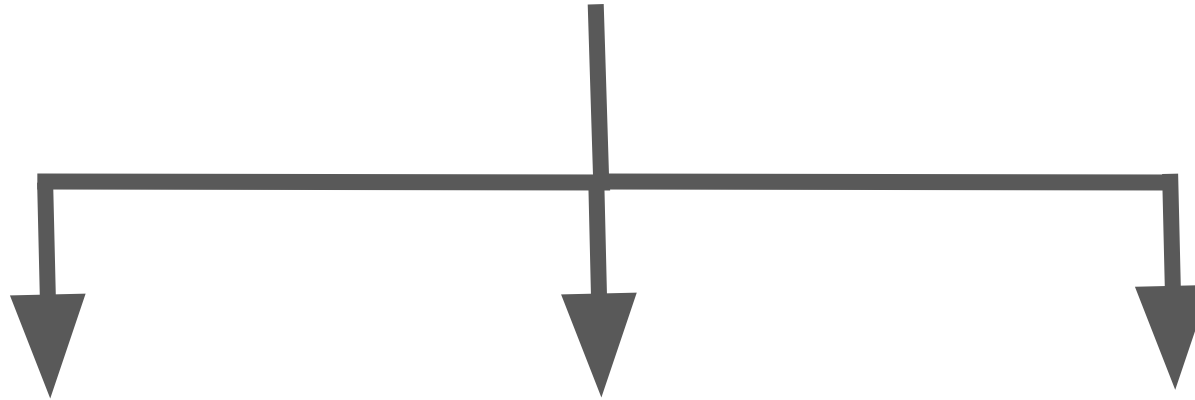
Visualizing with a Deconvnet



Observations

- Patches have greater variation than visualizations
- Strong grouping w/i feature map
- Greater invariance at higher layers
- Exaggeration of discriminative parts

Visualization



**Neuron
Visualization**

**Evidence
Localization**

**Feature
Reconstruction**

Evidence localization

- Provide visual explanations
- Grounding the inference
- Ex: Classification network
 - Which pixels are responsible to the predicted label ?

Deep inside a CNN

Deep inside CNNs

- Class model visualization
- Image-specific class saliency visualization

Class model visualization

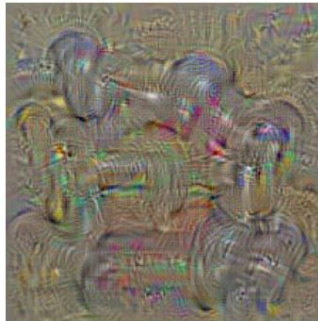
- Numerically generate an image for chosen class

$$\arg \max_I S_c(I) - \lambda \|I\|_2^2,$$

Class model visualization

- Numerically generate an image for chosen class

$$\arg \max_I S_c(I) - \lambda \|I\|_2^2,$$



dumbbell



cup



dalmatian

Image specific visualization

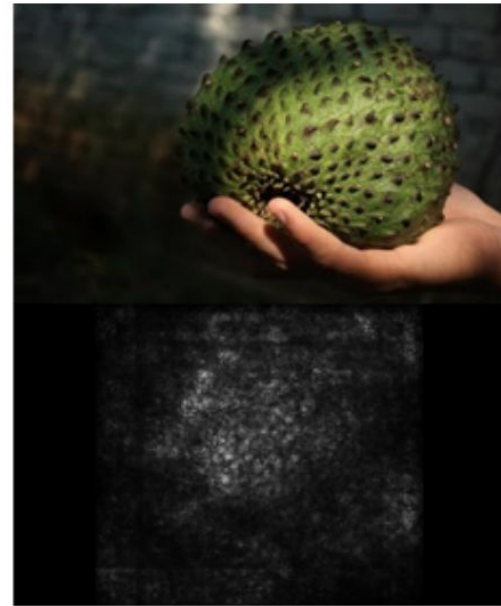
- Query the CNN about the spatial support for a class
- Compute the gradients wrt the image

Image specific visualization

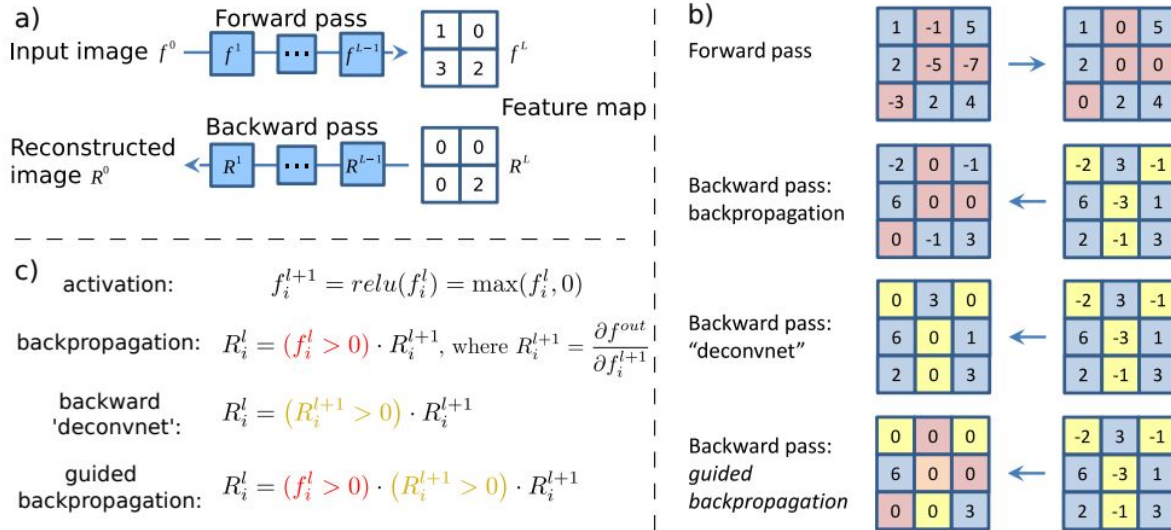
- Equivalent to performing gradient ascent on score function wrt image

$$S_c(I) \approx w^T I + b \quad w = \left. \frac{\partial S_c}{\partial I} \right|_{I_0}$$

Image specific visualization

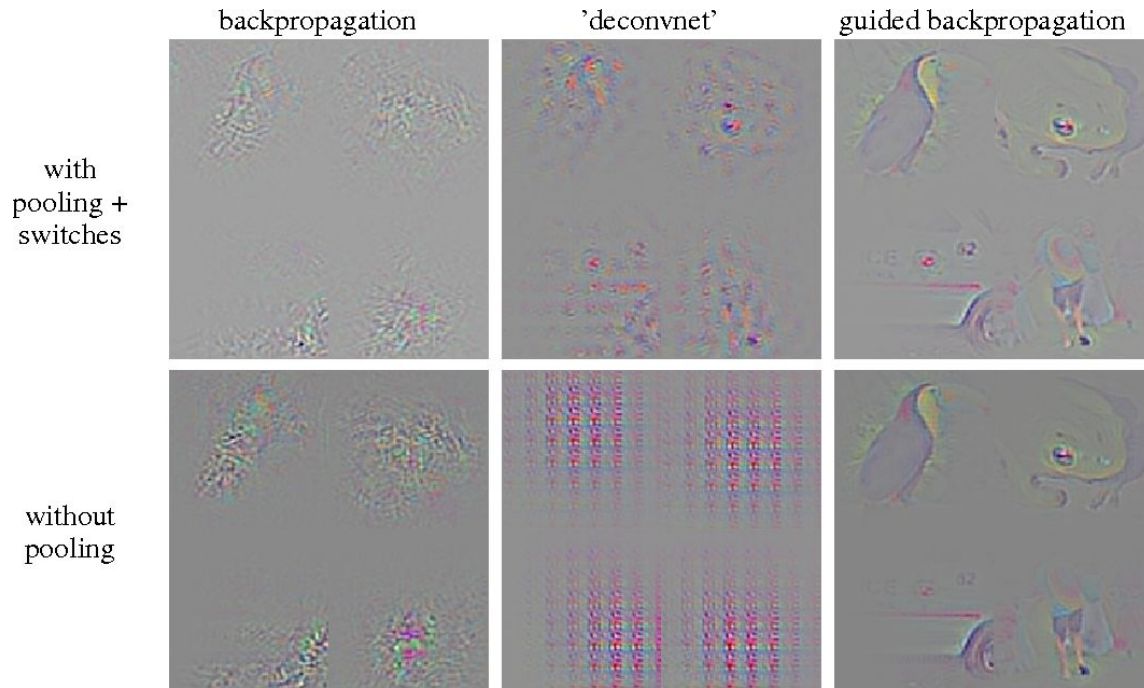


Guided backprop for better reconstruction



Guided backprop by Springenberg et al. ICLR 2015

Guided backprop for better reconstruction



[Guided backprop](#) by Springenberg et al. ICLR 2015

Class activation maps

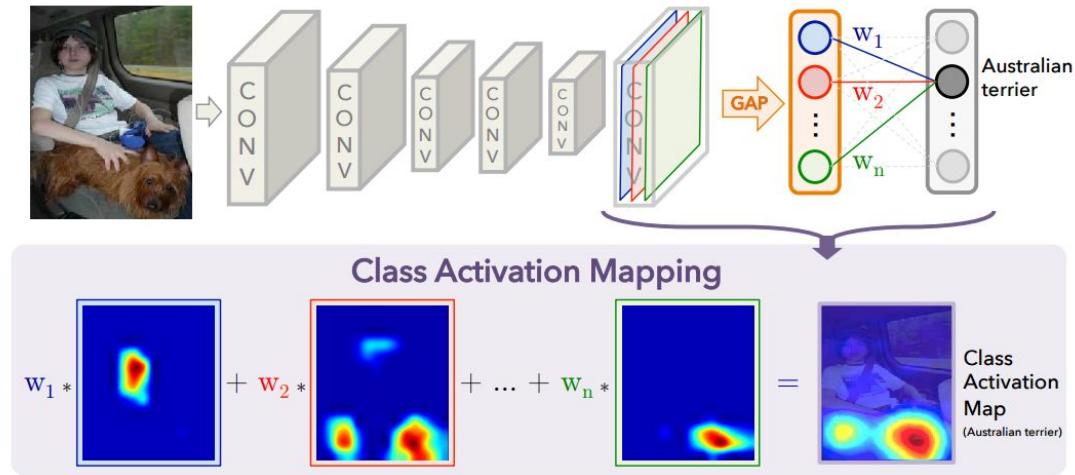
Class Activation Maps (CAM)

- Class discriminative image regions used by CNN to identify the category



Class Activation Maps (CAM)

- Perform GAP on the final conv feature map



Class Activation Maps (CAM)

- $f_k(x,y)$ - activation of unit 'k' in last conv layer at location (x,y)
- $\text{GAP} \rightarrow F^k = \sum_{x,y} f_k(x,y)$
- Score predicted for class 'c' $\rightarrow S_c$

$$S_c = \sum_k w_k^c \sum_{x,y} f_k(x,y) = \sum_{x,y} \sum_k w_k^c f_k(x,y).$$

$$M_c(x,y) = \sum_k w_k^c f_k(x,y).$$

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Weighted summation of feature maps

Advantages of CAM

- Doesn't require a backprop operation
- Class discriminative

Drawbacks of CAM

- CNN needs GAP in the architecture
 - If not, it needs retraining (last layer) with a GAP

WSL with CAM

- Remove fc layers
- Add GAP layer retrain
- Threshold the map
- Fit a BB
- Detection on ILSVRC 2012 validation set

Table 1. Classification error on the ILSVRC validation set.

Networks	top-1 val. error	top-5 val. error
VGGnet-GAP	33.4	12.2
GoogLeNet-GAP	35.0	13.2
AlexNet*-GAP	44.9	20.9
AlexNet-GAP	51.1	26.3
GoogLeNet	31.9	11.3
VGGnet	31.2	11.4
AlexNet	42.6	19.5
NIN	41.9	19.6
GoogLeNet-GMP	35.6	13.9

Table 2. Localization error on the ILSVRC validation set. *Backprop* refers to using [23] for localization instead of CAM.

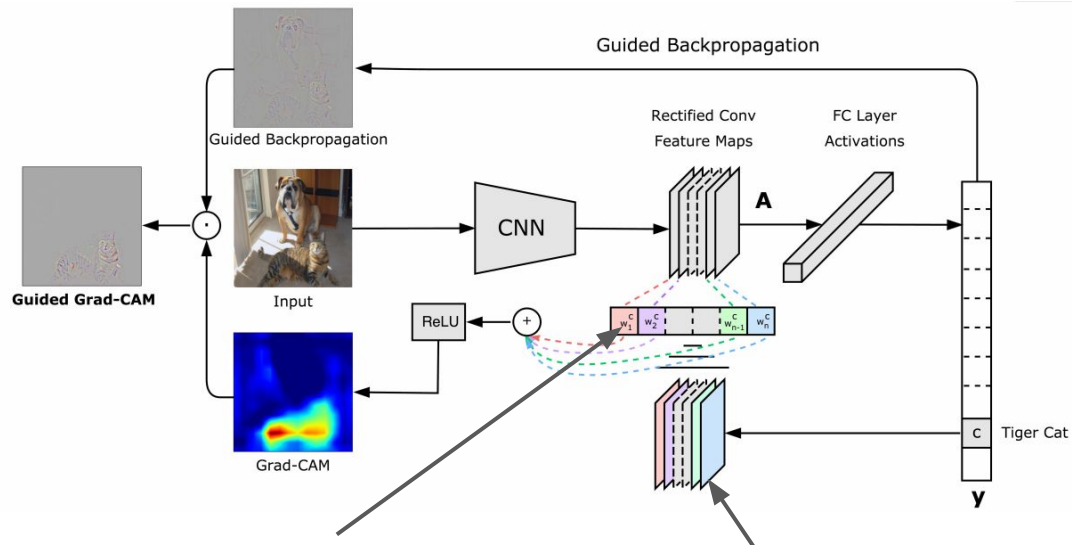
Method	top-1 val.error	top-5 val. error
GoogLeNet-GAP	56.40	43.00
VGGnet-GAP	57.20	45.14
GoogLeNet	60.09	49.34
AlexNet*-GAP	63.75	49.53
AlexNet-GAP	67.19	52.16
NIN	65.47	54.19
Backprop on GoogLeNet	61.31	50.55
Backprop on VGGnet	61.12	51.46
Backprop on AlexNet	65.17	52.64
GoogLeNet-GMP	57.78	45.26

Gradient weighted CAM

Grad-CAM

- Gradient weighted CAM
- Combines class specific gradient info. with pixel visualization
- Generalizes CAM for all architectures

Grad-CAM

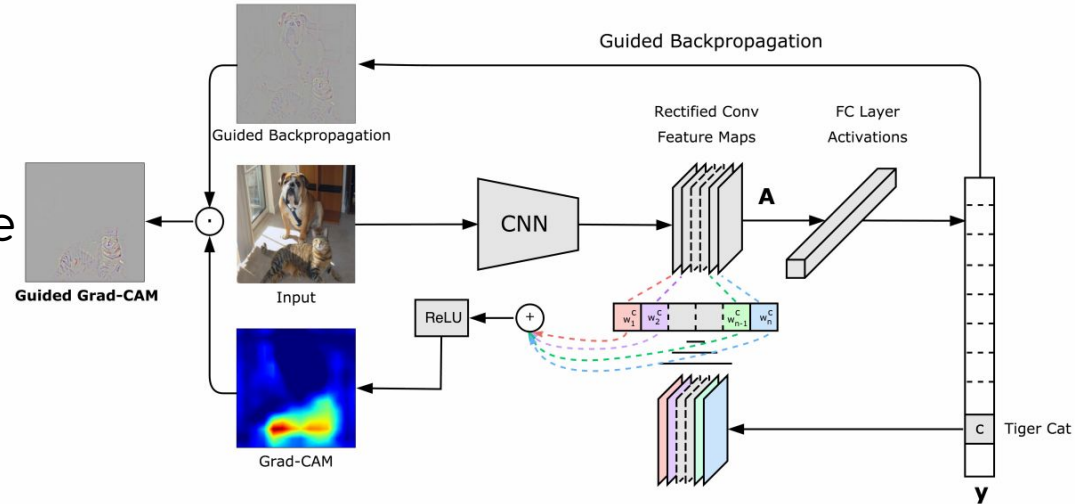


Sum of these gradient becomes the weight for feature map

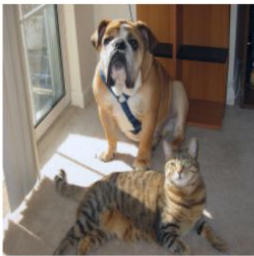
Gradient of score w.r.t the conv layer o/p

Grad-CAM

- Gives the weights to combine w/o GAP/retraining
- ReLU captures only the +ve correlations



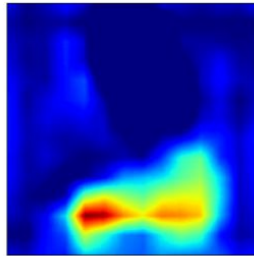
Grad-CAM results



(a) Original Image



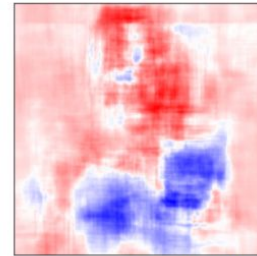
(b) Guided Backprop for 'Cat'



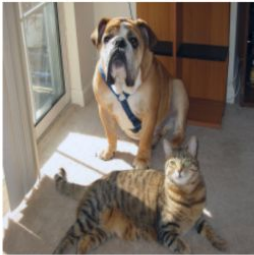
(c) Grad-CAM for 'Cat'



(d) Guided Grad-CAM for 'Cat'



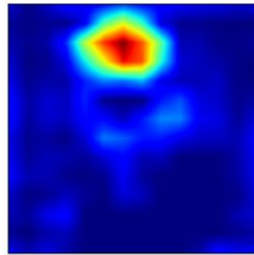
(e) Occlusion Map for 'Cat'



(f) Original Image



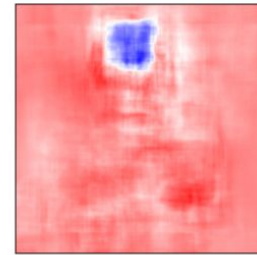
(g) Guided Backprop for 'Dog'



(h) Grad-CAM for 'Dog'



(i) Guided Grad-CAM for 'Dog'



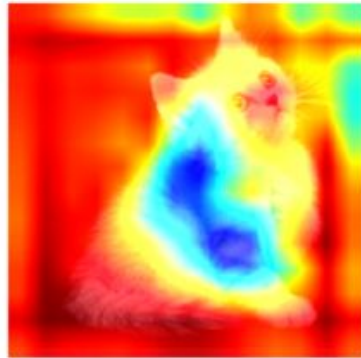
(j) Occlusion Map for 'Dog'

More results

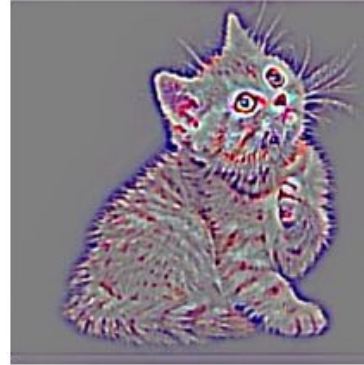
Original Image



Grad CAM



Guided Backpropagation



Guided Grad CAM

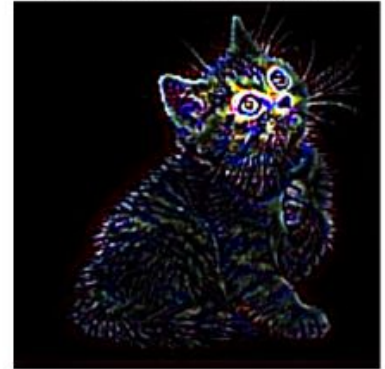
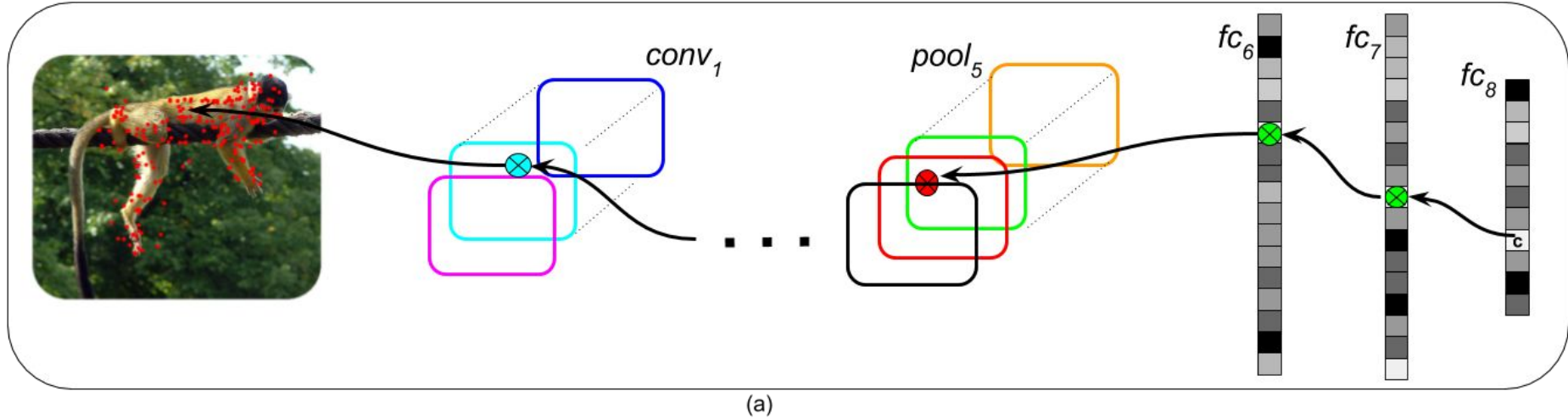


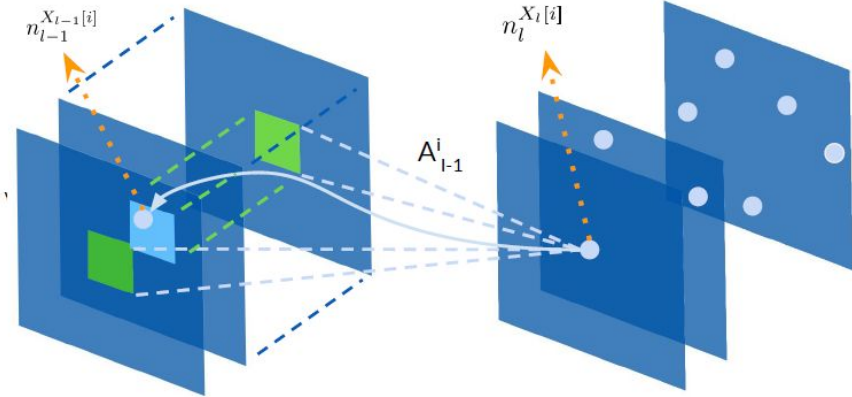
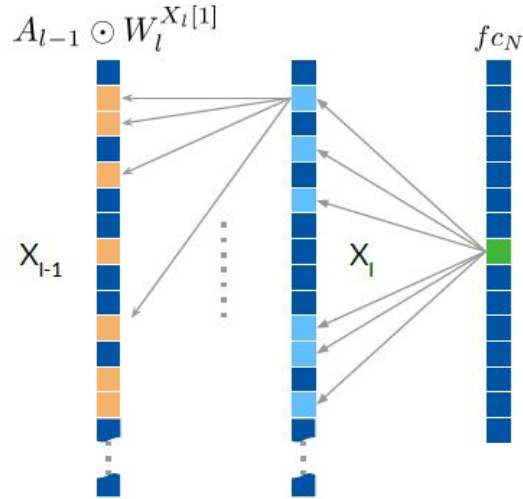
Figure from Renu Khandelwal and towardsdatascience.com

CNN-Fixations

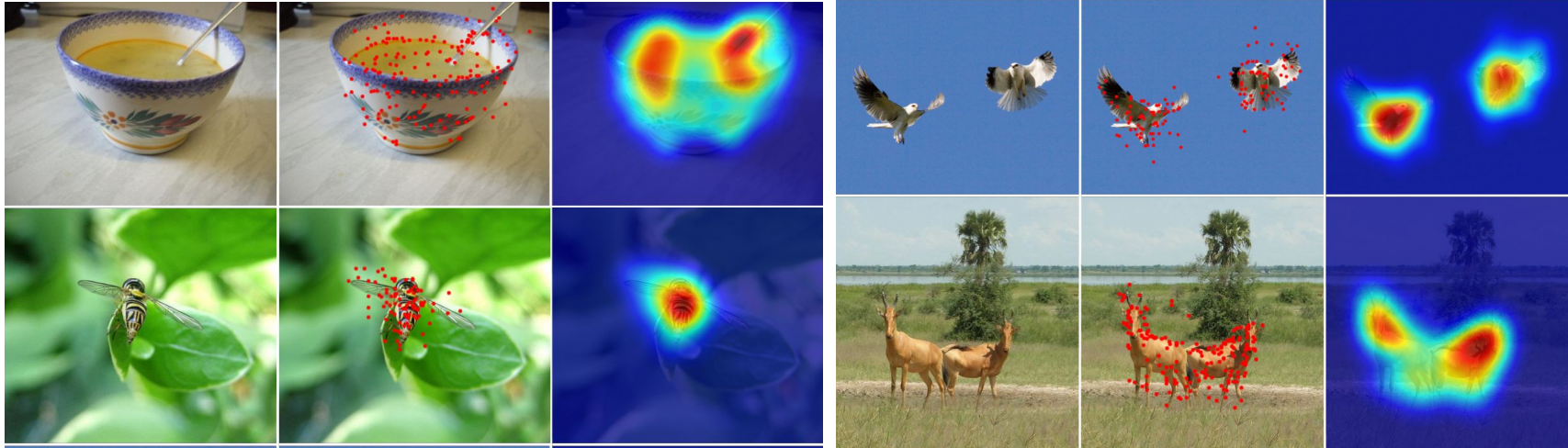
CNN-Fixations



CNN-Fixations



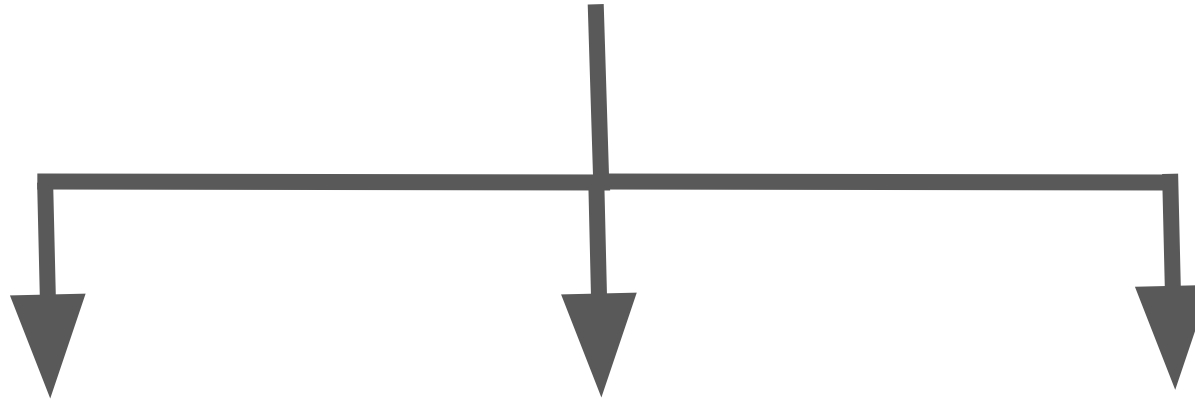
CNN-Fixations



Other similar works

- Layerwise relevance propagation for neural networks, ICMLW 2016, PLOS 2015
- Excitation backpropagation, ECCV 2016
- Visualizing Higher-Layer Features of a Deep Network [Y Bengio et al.] [Tech Report]
- Look and think twice: Capturing top-down visual attention with feedback convolutional neural networks [ICCV 2015]
- Grad-CAM++ from Prof. Vineeth's group, IIT Hyderabad
-

Visualization



**Neuron
Visualization**

**Evidence
Localization**

**Feature
Reconstruction**

Inverting deep representations

Understanding deep image representations by inverting them

[Mahendran et al. CVPR 2015](#)

Inverting deep features

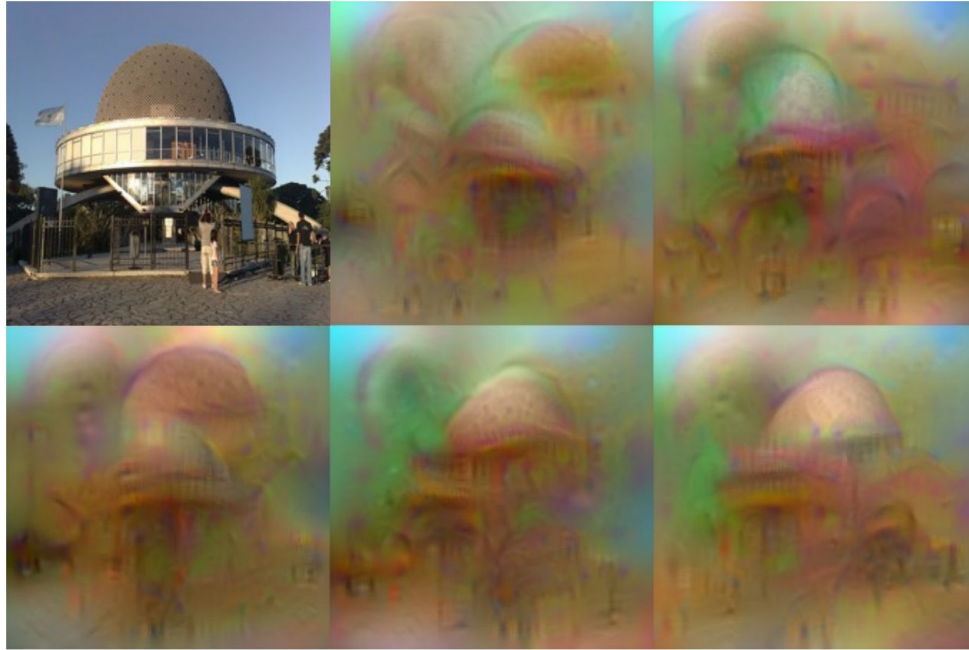


Figure 1. **What is encoded by a CNN?** The figure shows five possible reconstructions of the reference image obtained from the 1,000-dimensional code extracted at the penultimate layer of a ref-

Inverting deep features

- Given an image encoding, to what extent we can reconstruct the image ?
- No unique solution

$$\mathbf{x}^* = \underset{\mathbf{x} \in \mathbb{R}^{H \times W \times C}}{\operatorname{argmin}} \ell(\Phi(\mathbf{x}), \Phi_0) + \lambda \mathcal{R}(\mathbf{x})$$

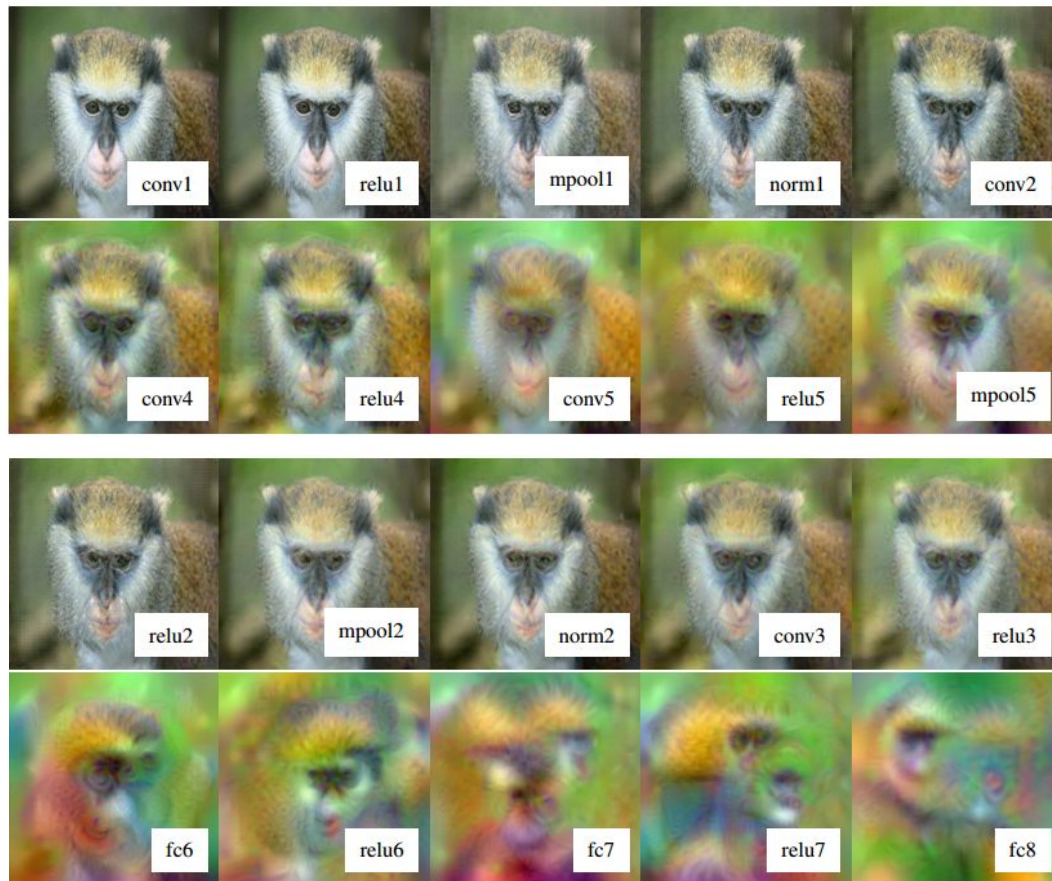
Loss function & Regularizer

$$\ell(\Phi(\mathbf{x}), \Phi_0) = \|\Phi(\mathbf{x}) - \Phi_0\|^2$$

- R - restrict the reconstruction to natural images
- Challenge : modelling it \rightarrow TV norm prior

$$\mathcal{R}_{V^\beta}(\mathbf{x}) = \sum_{i,j} \left((x_{i,j+1} - x_{ij})^2 + (x_{i+1,j} - x_{ij})^2 \right)^{\frac{\beta}{2}}$$

Results



Inverting CNN representation with another CNN

Inverting Visual Representations with Convolutional Networks

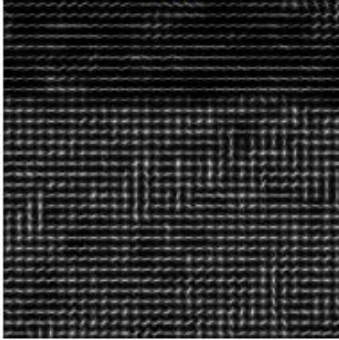
Alexey Dosovitskiy et al.
CVPR 2016

Inverting using CNNs

- Train a CNN to invert image representations
 - SIFT, HOG, **CNN representation** etc.

Sample results

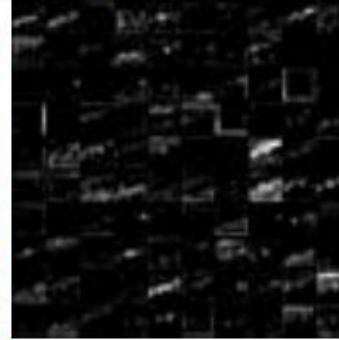
HOG



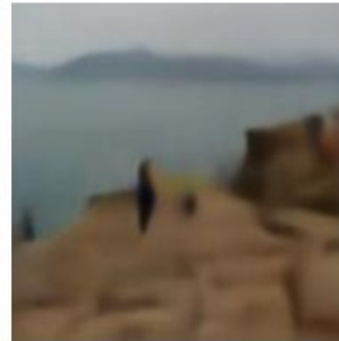
SIFT



AlexNet-CONV3



AlexNet-FC8



Network

- Training set of images and their features $\{\mathbf{x}_i, \phi_i\}$

$$\hat{\mathbf{w}} = \arg \min_{\mathbf{w}} \sum_i \|\mathbf{x}_i - f(\phi_i, \mathbf{w})\|_2^2.$$

Results

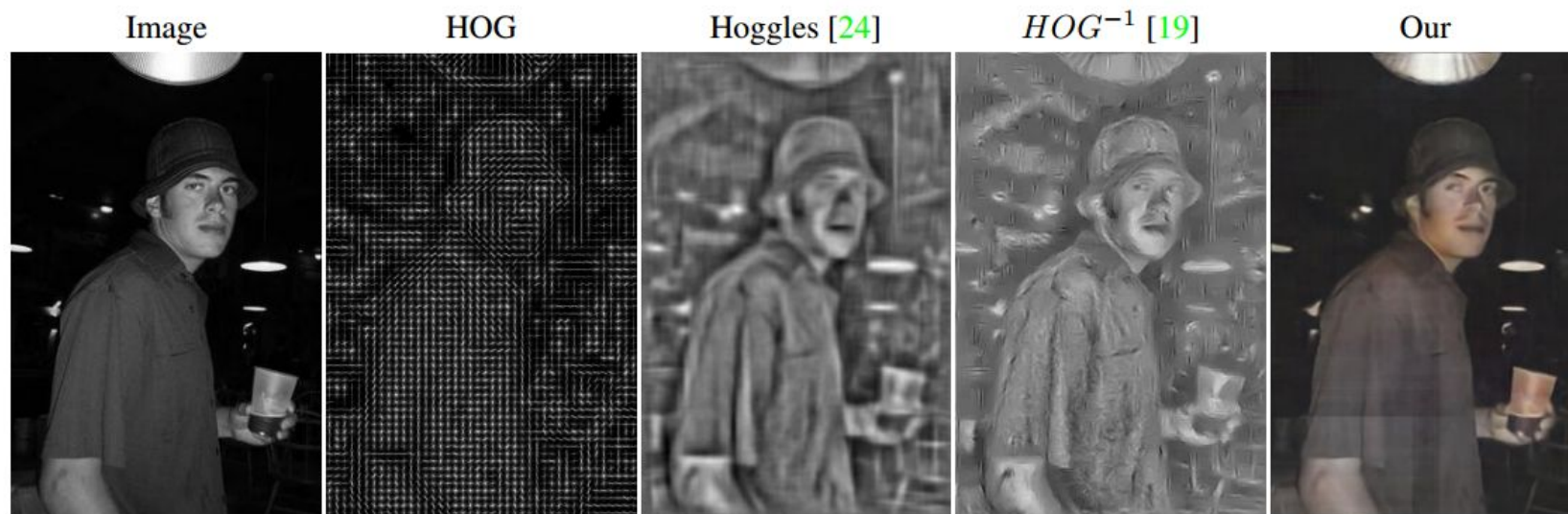


Figure 2: Reconstructing an image from its HOG descriptors with different methods.

What next ?

Future challenges/directions

- Transparency is useful at three different stages of Artificial Intelligence (AI) evolution
- AI is significantly weaker than humans - not yet reliably 'deployable' (e.g, VQA)
 - Identify the failure modes
- AI is on par with humans - reliably 'deployable' (e.g, recognition)
 - To establish appropriate trust and confidence in users
- AI is significantly stronger than humans - e.g, Chess/Go
 - Machine teaching

Appendix

Guided Backprop

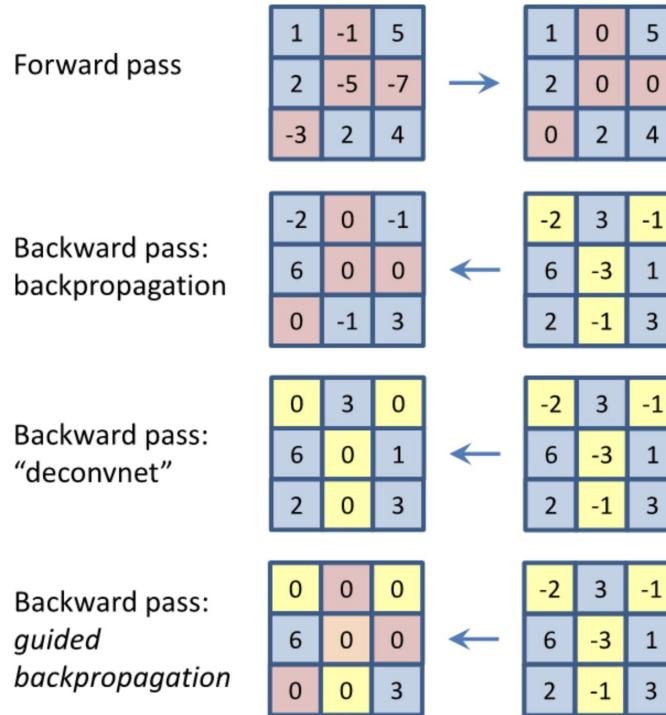


Figure [Springenberg et al.](#)

Texture synthesis

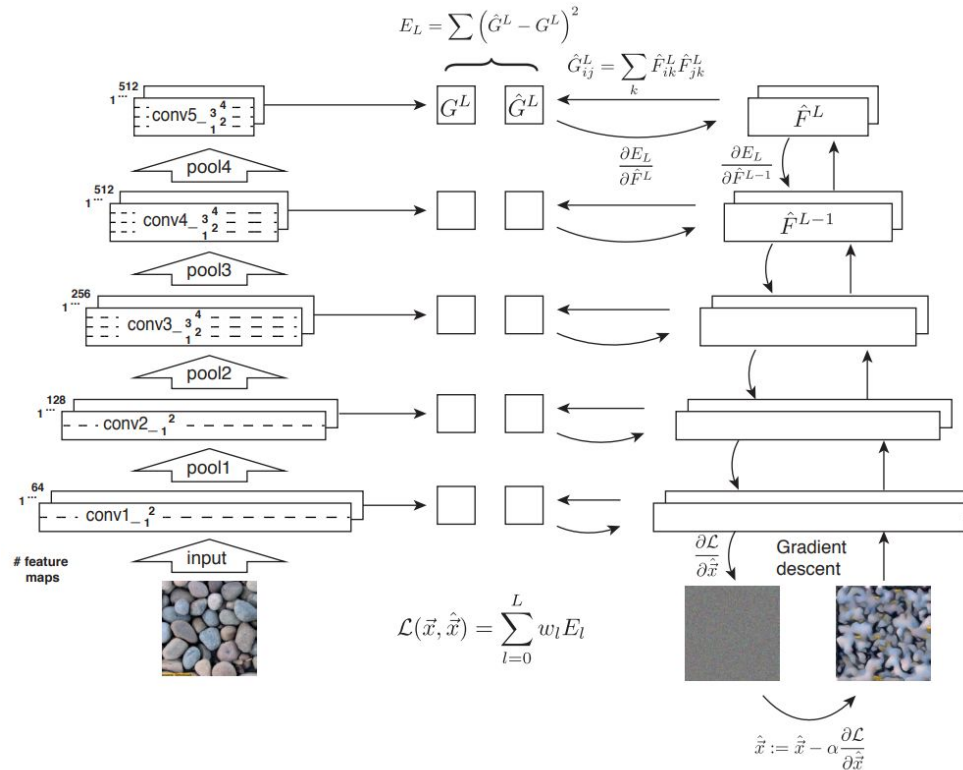


Figure 1 Gatys et al. 2015

Texture synthesis



Figure L Gatys et al. 2015

Style Transfer

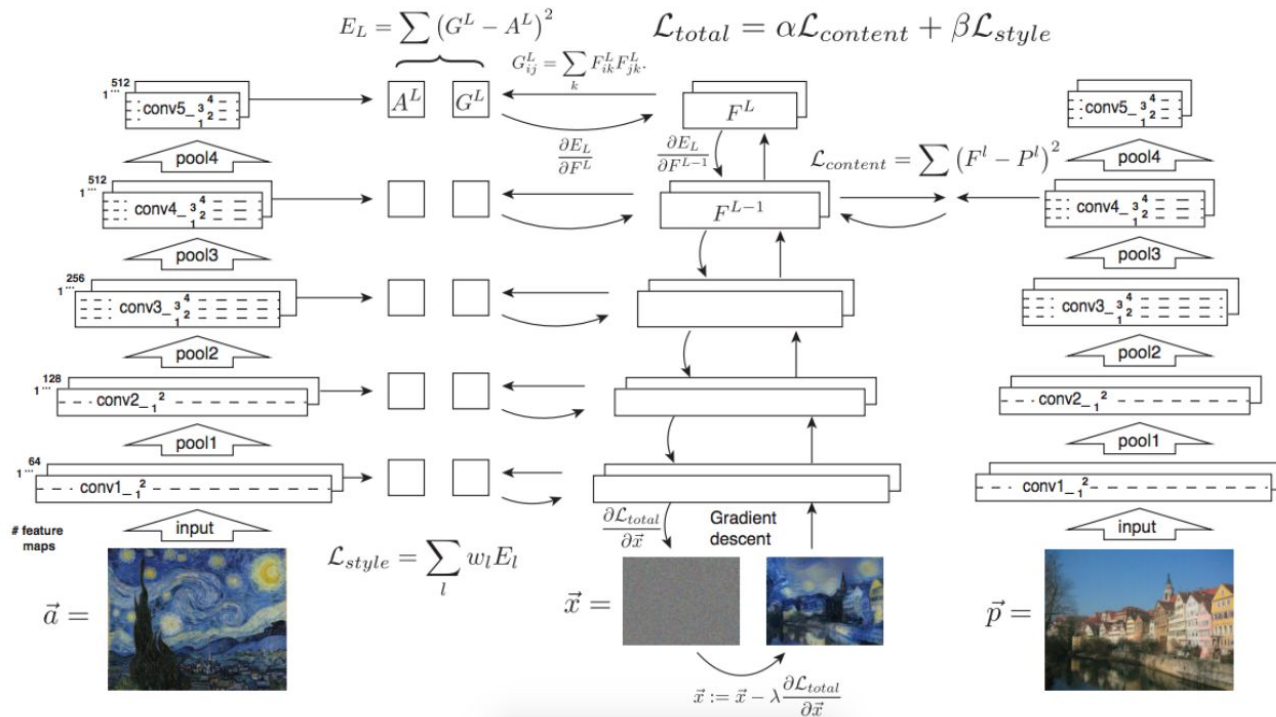


Figure from L Gatys et al. 2016

Style Transfer

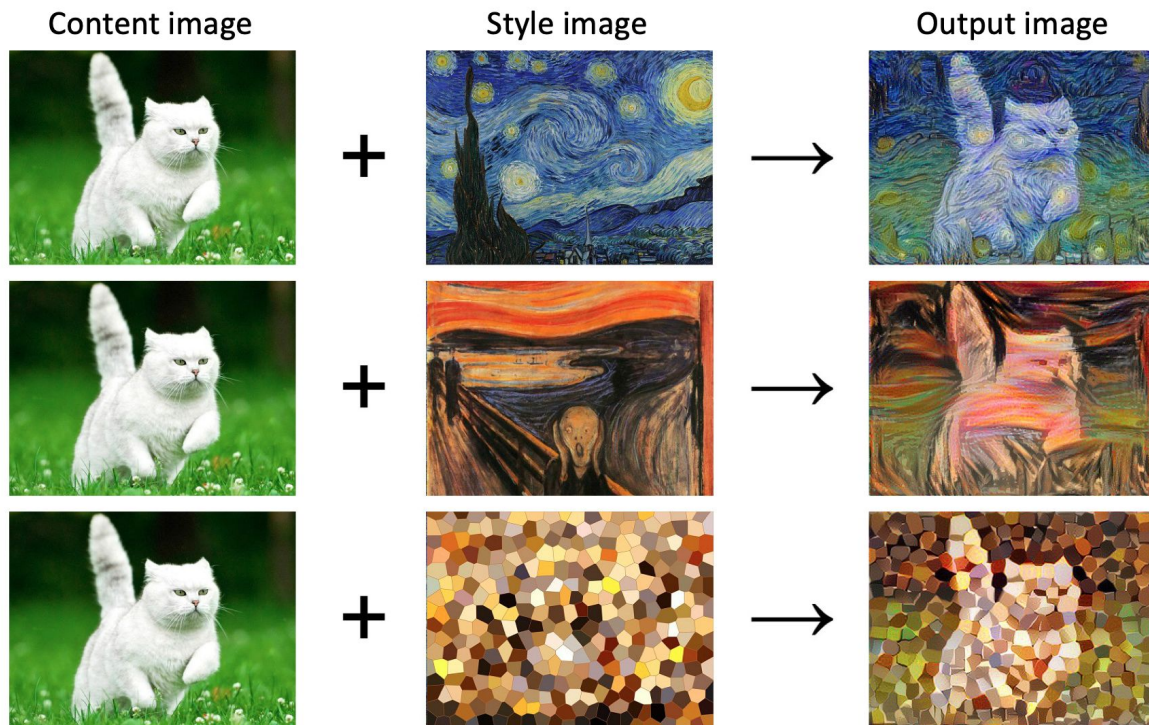


Figure from godatadriven.com