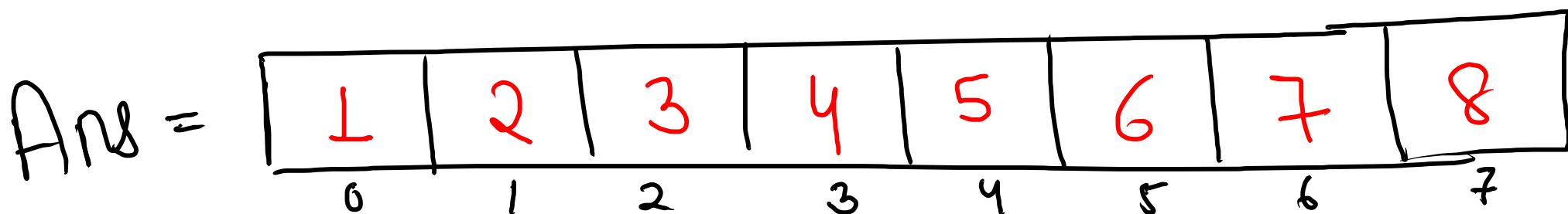
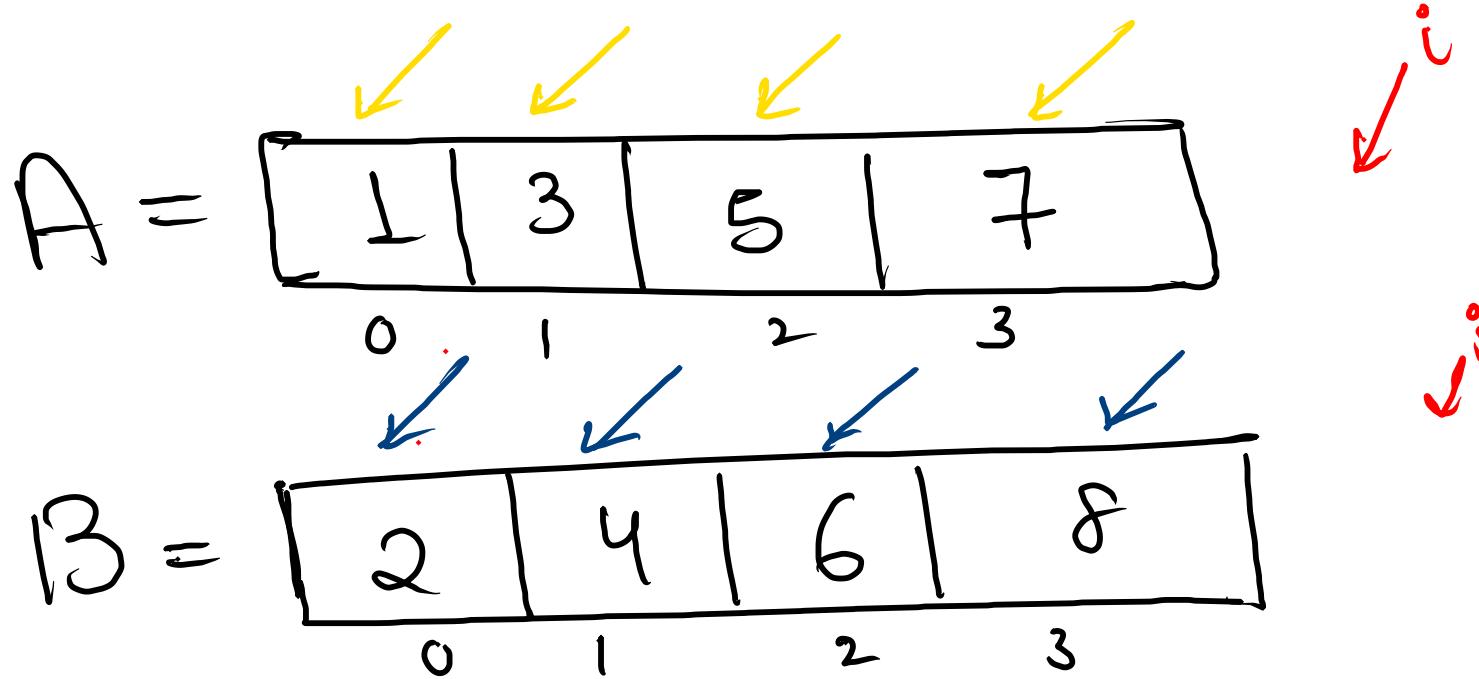


Ques

merge 2 sorted arrays



\Rightarrow Time Complexity

↳ It is a relation b/w input size and running time

```
main() {  
    Syso("Hello"); //  $O(1)$  → constant  
    Syso("Hi"); //  $O(1)$  → constant  
}  
  
T.C :-  $O(1+1) = O(2) \approx O(1)$ 
```

Note :-

10^9 operations in 1 sec

constraints :-

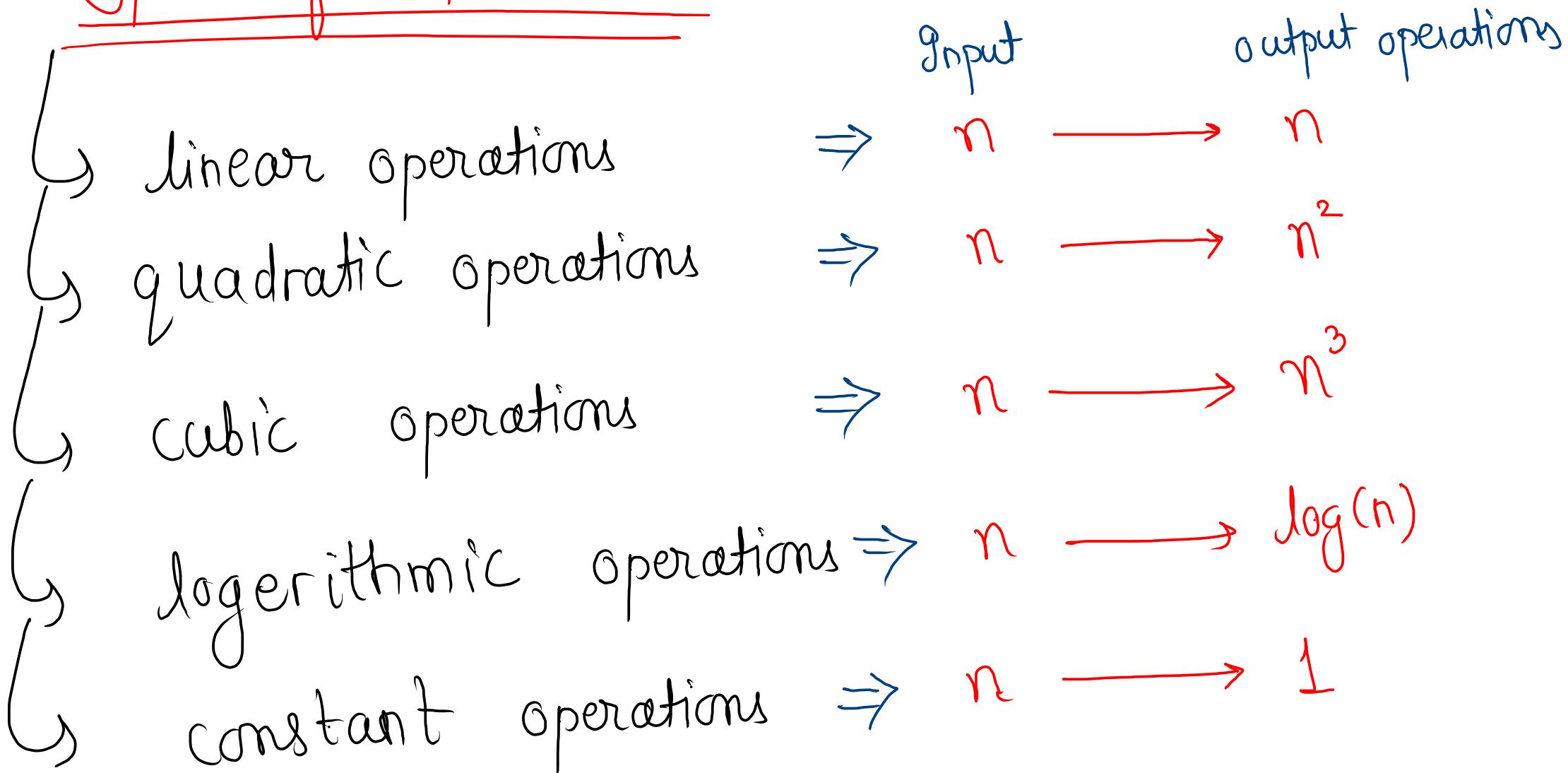
$$\begin{aligned} n &= 10^5 \\ O(n^2) &\Rightarrow O((10^5)^2) \\ &\Rightarrow O(10^{10}) \end{aligned}$$

Note :- ~~***~~

how to calculate time :-

how many operations we are performing in a program

↳ Types of Operations



Ex 1

```
P.S void main() {  
    // input  
    int n = scn.nextInt();  
    for (int i = 0; i < n; i++) { // N  
                
    }  
}
```

T.C = $O(N)$ where n is input size

relation:-

input $\propto n$
(linear)

↳ Time Complexity

- 1) Best case :- when least no. of operations has to be done
- 2) Average case :- when average no. of operations has to be done
- 3) Worst case :- when most no. of operations has to be done

Ex:- find 1 in an array :-

input = ① 2 5 7 3 4 :- best case // 1
input = 4 2 5 ① 3 4 :- Avg. case // 4
input = 7 2 5 7 3 ① :- Worst case // 6

Ex 2

```
for(int i=0; i<n; i++) { // n
    for(int j=0; j<m; j++) { // m
        // sys("Hi")j
    }
}
```

$$T.C = O(N * M)$$

Note:- when we add complexities (time) then smaller value will get neglected because larger value have more significance.

ex. 3

```
for( int i=0; i<n; i++ ) { //n
    Sysu( "Hi" ) ;
}
for( int j=0; j<m; j++ ) { //m
    Syso( "Hi2" ) ;
}
```

$$T.C = O(n+m)$$

$$n=1 \rightarrow 3 \quad O(m)$$

$$n = 200000000000 \quad \{ \quad 200002 \quad O(m) \\ m = 200000 \quad \} \quad O(n)$$

CXY

```
[ for( int i=0 ; i<n ; i+=2) {  
    Sys0 ("Hi");  
}
```

operation = $n/2$

$$T.C = O(n/2) \cong O(n)$$

$$O(2 \times n) \cong O(n)$$

$$O(n-2) \cong O(n)$$

$$O(n+10) \cong O(n)$$

Compare

$O(n)$

$O(n^2)$

$O(n^3)$

$$n = 1$$

1

1

1

$$n = 2$$

2

4

8

$$n = 3$$

3

9

27

,

,

,

$$n = 10^5$$

10^5

10^{10}

10^{15}

⇒ Space Complexity

↳ no. of variable / spaces you are using

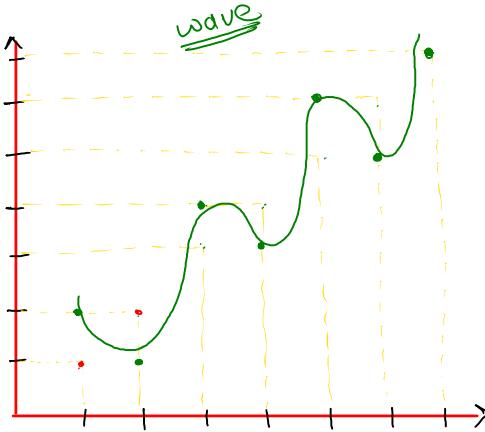
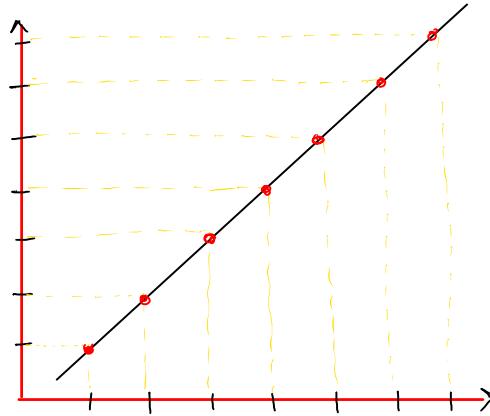
```
P.S void main() {  
    Scanner scn = new Scanner();  
    int n = scn.nextInt();  
    int[] arr = new int[n]; // n  
    for (int i=0; i<n; i++) {  
        System.out.println(arr[i]);  
    }  
}
```

Space Complexity Analysis:

- Variable declarations: $S.C = O(1)$ (constant space)
- Temporary variables: $S.C = O(n)$ (linear space)

- 1) Constant T.C - $O(1)$ v. fast
- 2) Logarithmic T.C - $O(\log N)$ fast
- 3) Linear T.C - $O(N)$ avg.
- 4) $O(n \log n)$ T.C slow
- 5) Quadratic T.C - $O(N^2)$ v. slow

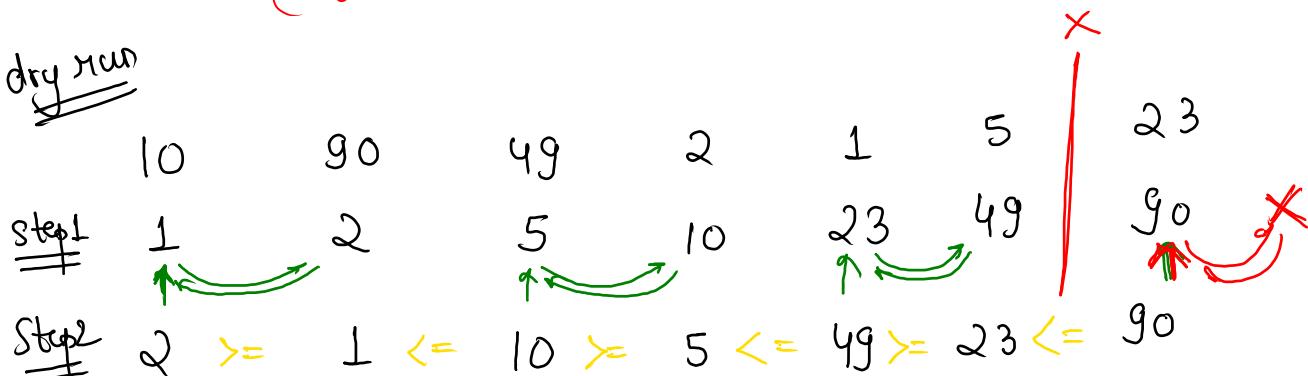
Sort an array in wave form 1



Steps

- 1) Sort the array (to make a line)
- 2) Swap every consecutive element
(to make a wave)

dry run



Code

```
public static void main(String[] args) {  
    Scanner scn = new Scanner(System.in);  
    int n = scn.nextInt();  
    int[] arr = new int[n];  
    for (int i = 0; i < n; i++) {  
        arr[i] = scn.nextInt();  
    }  
  
    waveForm(arr, n);  
  
    for (int i = 0; i < n; i++) {  
        System.out.print(arr[i] + " ");  
    }  
}  
  
public static void waveForm(int[] arr, int n) {  
    // step1  
    Arrays.sort(arr);  
  
    // step2  
    for (int i = 0; i < n - 1; i += 2) {  
        swap(arr, i, i + 1);  
    }  
}  
  
public static void swap(int[] arr, int x, int y) {  
    int temp = arr[x];  
    arr[x] = arr[y];  
    arr[y] = temp;  
}
```