

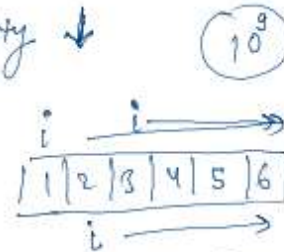
Time & Space complexity

Time complexity ↓

$$O(n^3) \rightarrow O(n) \quad \boxed{\text{Extra space}}$$

Space complexity ↓

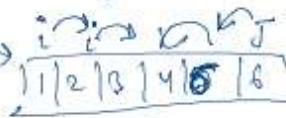
target = 8



$$n \times n = O(n^2) \propto 2 \quad (10^9) \times 18 = 10$$

$$O(n) \leftarrow n$$

arr →



$$= O(n \log n)$$

$$\begin{pmatrix} 7 \\ 2 \end{pmatrix} \begin{pmatrix} 8 \end{pmatrix}$$

$$\begin{pmatrix} 7 \\ 12 \end{pmatrix}$$

$$\begin{aligned} 10^9 \times \log 10^9 \\ 10^9 \times 9 \times \log 10 \\ 10^9 \times 9 \end{aligned}$$

Time → dependent on system/platform or not ✓

- code writing time ✓
- compilation time ✓
- deployment time ✓
- Requirement gathering time. ✓

5ms
Mac

Time complexity
↳ data

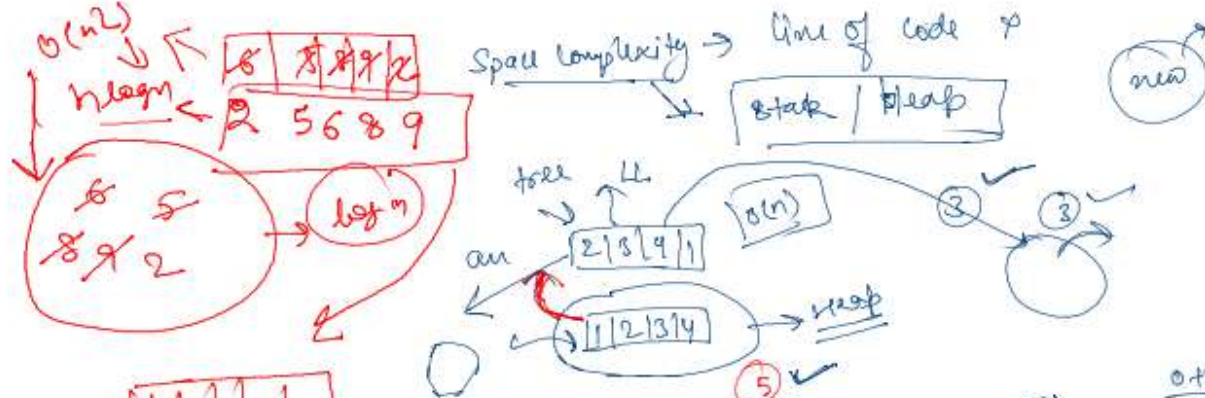
$$\begin{aligned} 5ms \\ window \\ = O(n) = O(10) \end{aligned}$$

push array

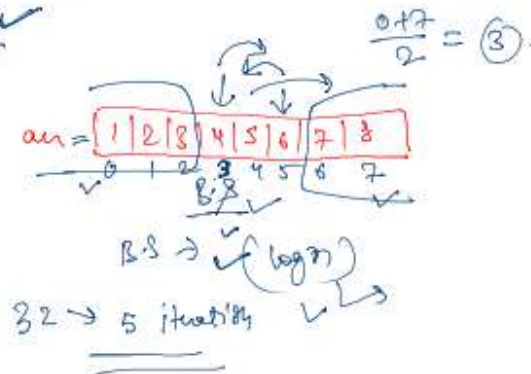
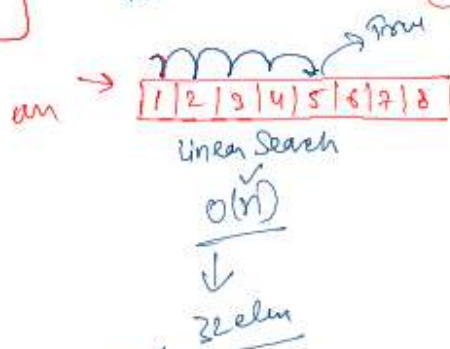
$$\begin{aligned} n \\ 10 \\ 100 \\ 1000 \end{aligned}$$

$$\begin{aligned} n \\ 1ms \\ 10ms \\ 100ms \end{aligned}$$

$$\begin{aligned} window \\ 5ms \\ 50ms \\ 500ms \end{aligned}$$

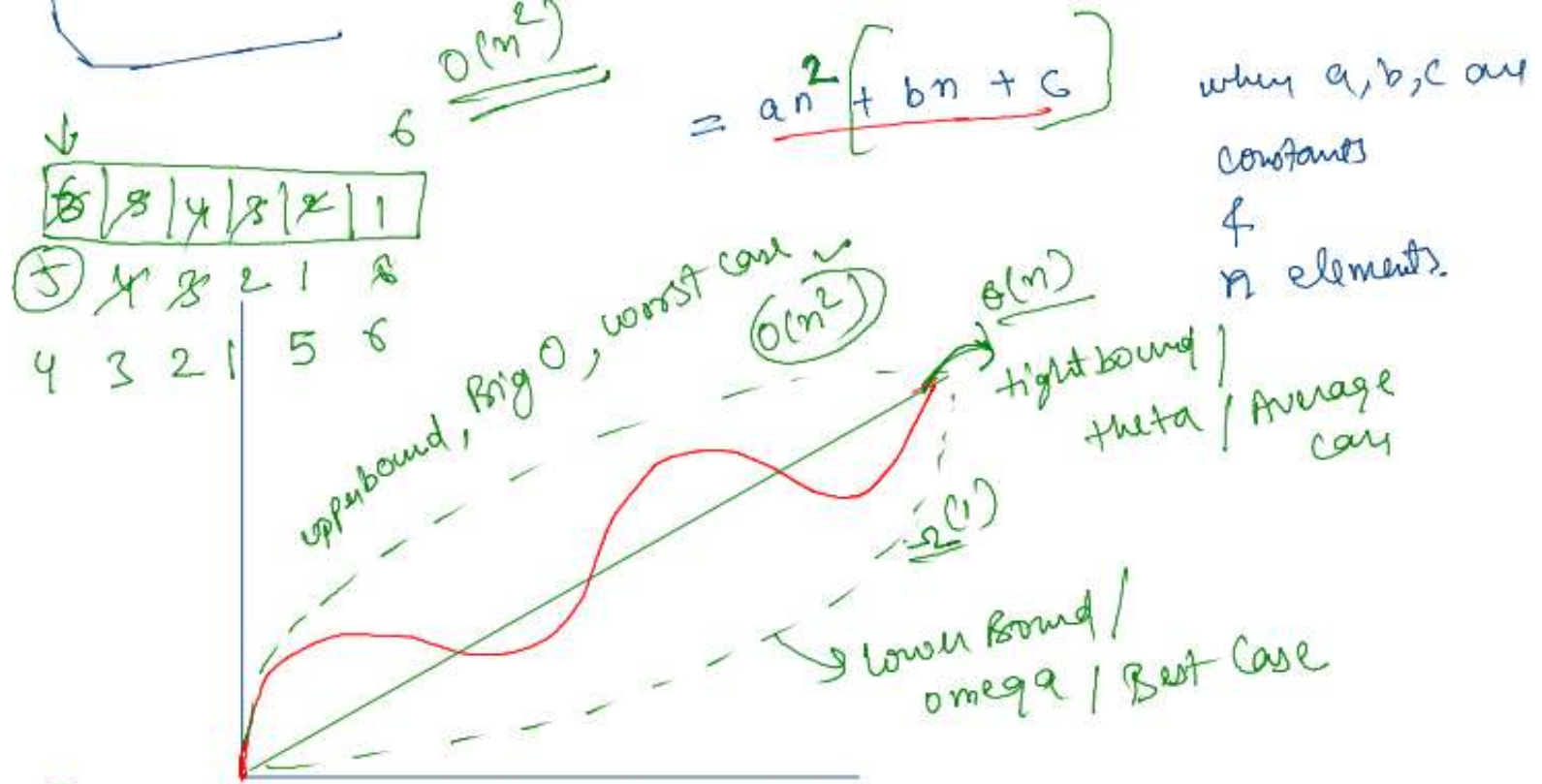


$FE = n \log n$
 $SC = O(1)$



TC \rightarrow ① Discard all smaller n power
 ② Discard the constants.

$3n^2 + 2n + 100$
 \downarrow
 $3n^2 = O(n^2)$
 $= O(n^2) + O(n) + O(1)$
 $= O(n^2)$
 for $O(n^2)$
 for $O(n)$
 \rightarrow $syn(1; O(1))$
 $O(n^2)$



1 sec



for 7

$O(n^2)$

100 sec

$2 \times \infty$
 $= \infty$

}

for 7

100 ~

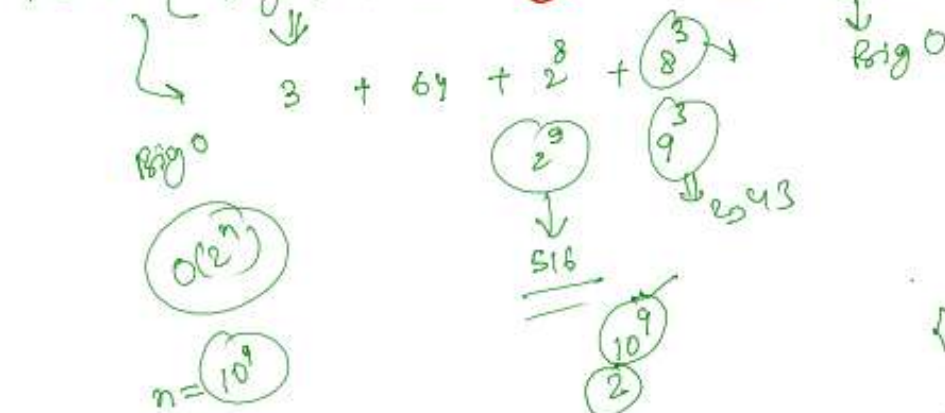
$O(n^2)$

}

1000 ~ Sync ?

$O(n^2)$

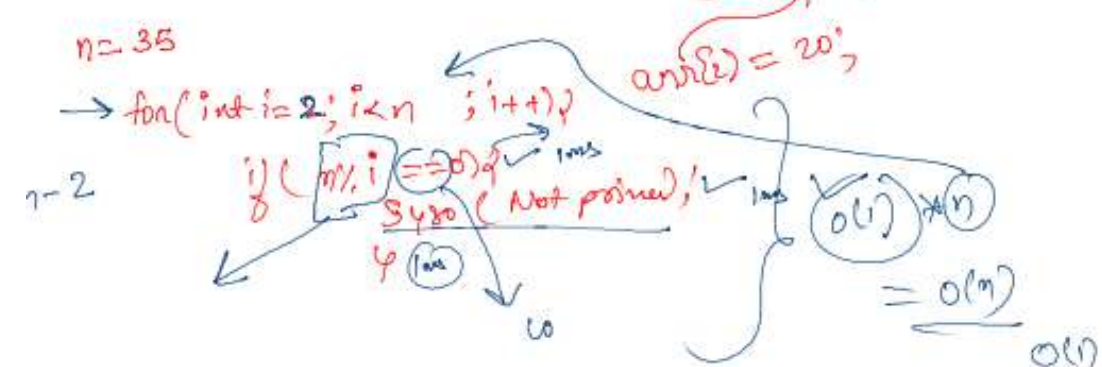
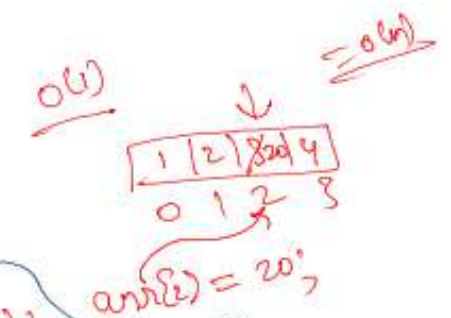
TC \Rightarrow $\left[\log(n) + n^2 + 2^n + n^3 \right]$ exponential until it grows.



$(1000)^3 = 10^6$
 $2^{10} = 1024$
 2^{1000}

$2000 = 2000^0 + 3000^0 + 1000^0$
 $= O(n^0) = O(1)$
 $(1024)^{100}$
 $(1000)^{100}$
 $(10^3)^{100}$
 $= 10^{300}$

$n \log n$
 $n = 2048$
 2048×11
 $\sqrt{n} + \log n$
 $\sqrt{2048}$
 \downarrow
 11
 $= O(n \log n)$



3
6 (prime) \checkmark ins

- ① New take point statement (s)
- ② Input/output O(1) (scn \rightarrow)
- ③ Arithmetic operation O(1) \rightarrow (+, -, *, %)
- ④ Assignment opⁿ O(1) $a = 10$ \checkmark
- ⑤ Conditional operator \rightarrow if/else \checkmark
 Such can. return arr, o(n) \rightarrow O(1)
- ⑥ Return statement O(1) \checkmark
- ⑦ Logical operator (&, ||) \checkmark
- ⑧ A function call \rightarrow O(1) \checkmark
- ⑨ Break, Continue, final, try, catch
- ⑩ Access an array element, updating array element O(1)

let ans = A(C);
 \downarrow
 O(n)

```
public static void main(String[] args) {
    Scanner scn = new Scanner(System.in);  $\checkmark$  O(1)
    int n = scn.nextInt(); O(1)
    int[] arr = new int[n]; O(1)
```

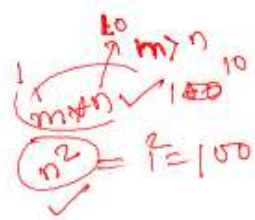
```
for(int i=0; i<n; i++){
    arr[i] = scn.nextInt(); } O(n)
```

```
int max = Integer.MIN_VALUE;  $\checkmark$  O(1)
for(int i=0; i<n; i++){
    for(int j=i; j<n; j++){
        if(arr[j] > arr[i]){
            int diff = arr[j] - arr[i];
            if(diff > max){
                max = diff;
            }
        }
    }
}
```

$n = 0$
 $n = n$
 $n = 3n$
 $n = n \times n = n^2$
 $f = 0$
 $f = 1$
 $f = 3$
 $f = n$

$O(n^2)$

```
System.out.println(max);
/* Enter your code here. Read input from STDIN. Print output to
```



$n \log n$

```

while (i=0 to n) {
  for (j=0 to n) {
    // O(log n)
    i+=2;
  }
  i++;
}

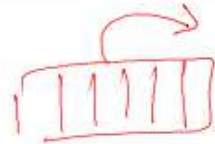
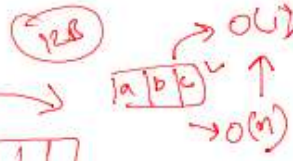
```

$i=0 \log n$
 $i=1 \log n$
 $i=2 \log n$
 $i=n \log n$

\rightarrow let $a=10$;
 let $b=20$;
 let $c=30$;
 let $d=40$;
 let $e=50$;
 let $ans = \max(a, b, c, d, e)$

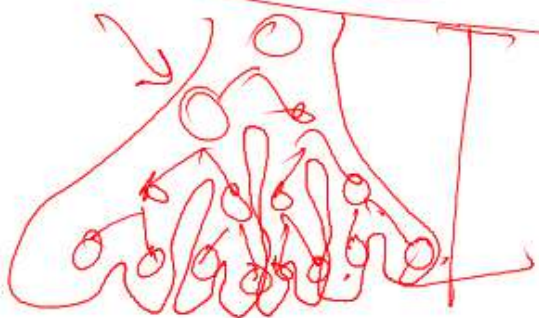


$O(n)$



let $ans = \max(a, b, c, d, e)$

TC \Rightarrow # of recursive calls &
 size of tree



```

1 2 ... n
for (i=0 to n) {
  for (j=0 to n) {
    for (k=0 to n) {
      // ...
    }
  }
}

```

$$= \frac{n \times n \times n}{n \times n} \Rightarrow O(n^2)$$