=> Subarray (sub-part of an array) 6 Substring over = [5,3,2,7] properties: > suborray is always continuous Subarray always built in forward direction.

[5,3]

Over =
$$\begin{bmatrix} 5, 3, 2, 7 \end{bmatrix}$$
 $\underbrace{N=4}$

suborrays

(i,j)

```
Psudo
| Code | far (int i=0; i<n; i++) {
| far (int j=i; j<n; j++) {
| print (ava, i, j);
| y
                        for (int k = i; k <=i; k++) {
```

Syso (ovr [K]);



```
public static void main(String[] args) {
    Scanner scn = new Scanner(System.in);
    int n = scn.nextInt();
    int[] arr = new int[n];
    for (int i = 0; i < n; i++) {
         arr[i] = scn.nextInt();
    }
    printAllSubarrays(arr, n);
                                                                              i = 3 \times
public static void printAllSubarrays(int[] arr, int n) {
  for (int i = 0; i < n; i++) {
    for (int j = i; j < n; j++) {
        print(arr, i, j);
    }</pre>
                                                                       £=1, j=1
                                                                       (=2, j=2
public static void print(int[] arr, int i, int j) {
  for (int k = i; k <= j; k++) {
    System.out.print(arr[k] + " ");</pre>
                                                                             i=3 X
                                                                        1=3 X
    System.out.println();
```

Sum Equals Zero

$$\frac{3}{5} - \frac{1}{3}, \frac{3}{3}, \frac{1}{4}$$

$$\frac{3}{5} \rightarrow \frac{5}{3} \rightarrow \frac{5}{2}$$

$$\frac{3}{5} \rightarrow \frac{5}{2}$$

$$\frac{5}{5} \rightarrow \frac{5}{2}$$

$$\frac{5}{5} \rightarrow \frac{5}{2}$$

$$\frac{5}{5} \rightarrow \frac{5}{2}$$

$$\frac{7}{5} \rightarrow \frac{5}{2}$$

$$\frac{7}{5} \rightarrow \frac{5}{2}$$

$$\frac{7}{5} \rightarrow \frac{7}{2}$$

$$\frac{7}{5} \rightarrow \frac{7$$

$$Cwy$$
 (i,j)
 $sum = -2+3+(-1)$
 $= 0$



```
public static boolean findSumZero(int[] arr, int n) {
  for (int j = i; j < n; j++) {
   int sum = findSum(arr, i, j);
   if ( sum == 0 ) {
      return true;
   }</pre>
    •for (int i = 0; i < n; i++) {
                                                        ((N^2*N)
                                                      T. C = O(N3)
                                                         where Missize
     return false;
public static int findSum(int[] arr, int i, int j) {
    int sum = 0;
   for (int k = i; k <= j; k++) {
    sum += arr[k];</pre>
                                                      S.C = O(1)
                                                         if g will not
     return sum;
                                                         consider given it p
```

Max Subarray 2 (find subarray with max sum) in linear time

Whenever we want to find maximum sum suborray in O(N) then always we Kadane's algo

$$above 2 = [3, -20, 4, 7]$$

mox sum of a subarray:
$$-[4,7] = 11$$

```
max 5um = -68 \times 411

Sum_so_far \approx 0) {

sum_so_far \approx avr[i];

sum_so_far = avr[i];

sum_so_far = avr[i];
                                                                             rif (sum_so_far > max Sum) {
max Sum = sum_so_far;
y
```

 $000 = \begin{bmatrix} -9, 5, -1, -1, 0, 4 \end{bmatrix}$ max sum = -6 -9 5 7 sum_so-for= \$ -\$ \$ 4 8 8 7 a if (sum_so_fax < 0) {

Sum_so_far = arr[i];

y else {

sum_so_far += arr[i]; we are checking sum-so-for not current rif (sum_so_for > max Sum) {
max Sum = sum_so_far; element /

```
public static void main(String[] args) {
    Scanner scn = new Scanner(System.in);
    int n = scn.nextInt();
    int[] arr = new int[n];
    for (int i = 0; i < n; i++) {
         arr[i] = scn.nextInt();
    int ans = kadanesAlgorithm(arr, n);
    System.out.println(ans);
public static int kadanesAlgorithm(int[] arr, int n) {
    int maxSum = Integer.MIN VALUE;
    int sumSoFar = 0;
    for (int i = 0; i < n; i++) {
 rif (sumSoFar < 0) {
    sumSoFar = arr[i];
    } else {
       sumSoFar += arr[i];
}
      if (sumSoFar > maxSum) {
    maxSum = sumSoFar;
    return maxSum;
```