

Binary Search → It is used to search an element in a sorted array

Time Complexity → $\log(n)$

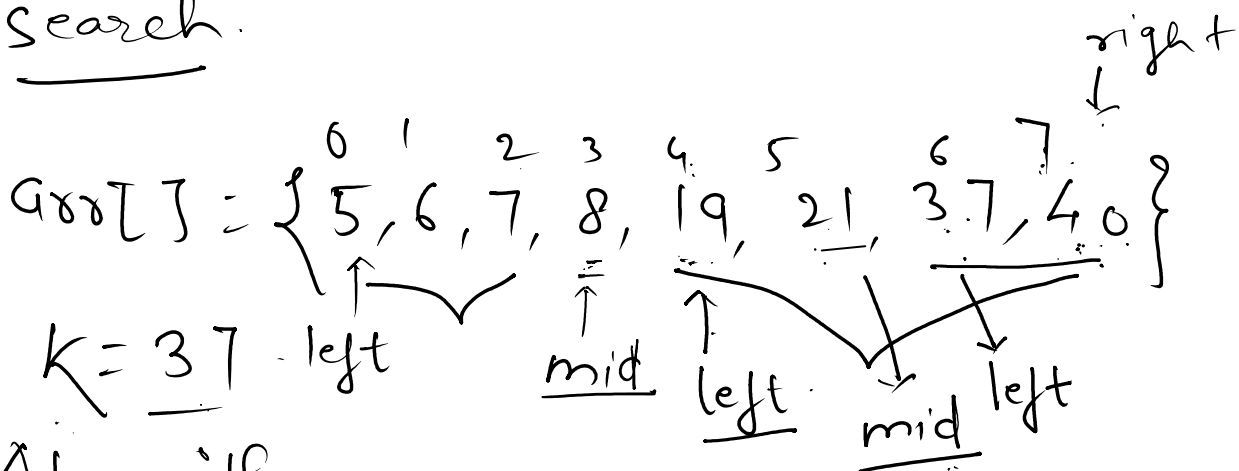
arr = { 5, 6, 7, 8, 19, 21, 37 }

int target = 21 → Using Linear Search

```
for(int i=0; i<arr.length; i++) {
    if(arr[i] == target) {
        S.O.P ln(i);
    }
}
```

Time Complexity → $O(n)$

Efficient approach to search is Binary Search.



Algorithm.

1. Find the mid of the array by having two pointers one pointer will be at 0

1. From the value of the $n-1$ array
two pointers, one pointer will be at 0
another at $n-1$

```
int left=0, right=n-1;
```

$$\text{int mid} = (\text{left} + \text{right}) / 2$$

$$= (0 + 7) / 2$$
$$= 7/2$$

mid = 3

2. Check if $\text{arr}[\text{mid}]$ is equal to target,
if yes then, mid is the index

otherwise,

if target is greater than $\text{arr}[\text{mid}]$

Left will be $\text{mid}+1$.

if target is less than arr[mid]

then right will be mid-1

3. Repeat Step 1 & Step 2

Dry Run: $K=37$

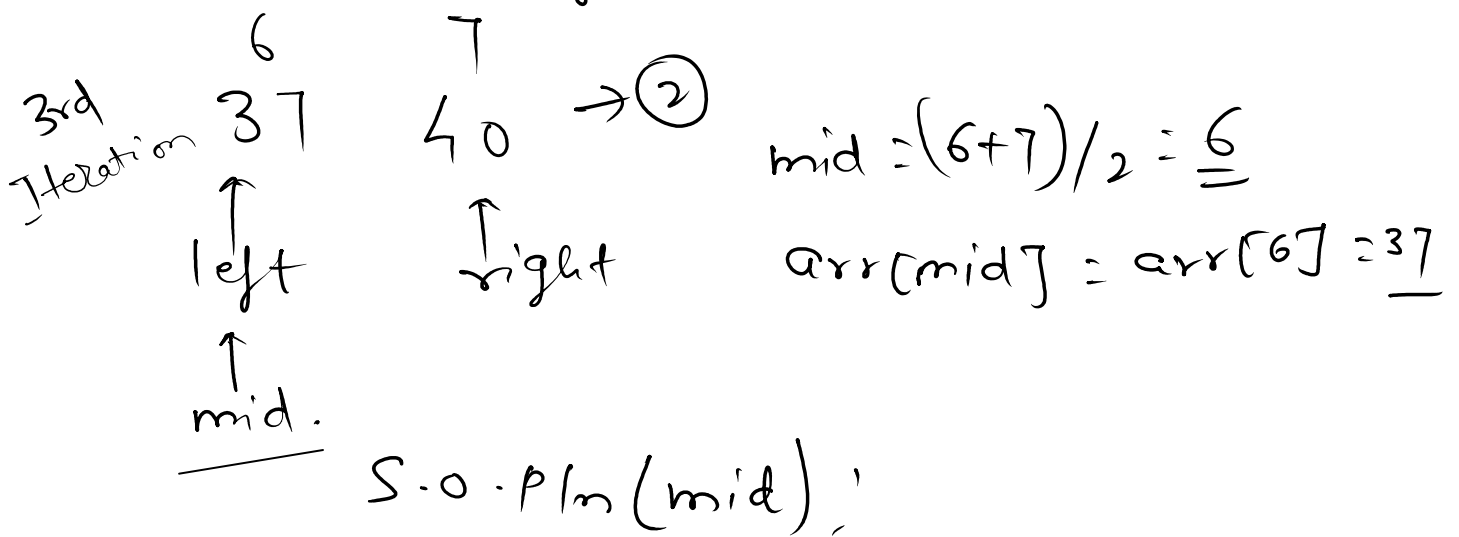
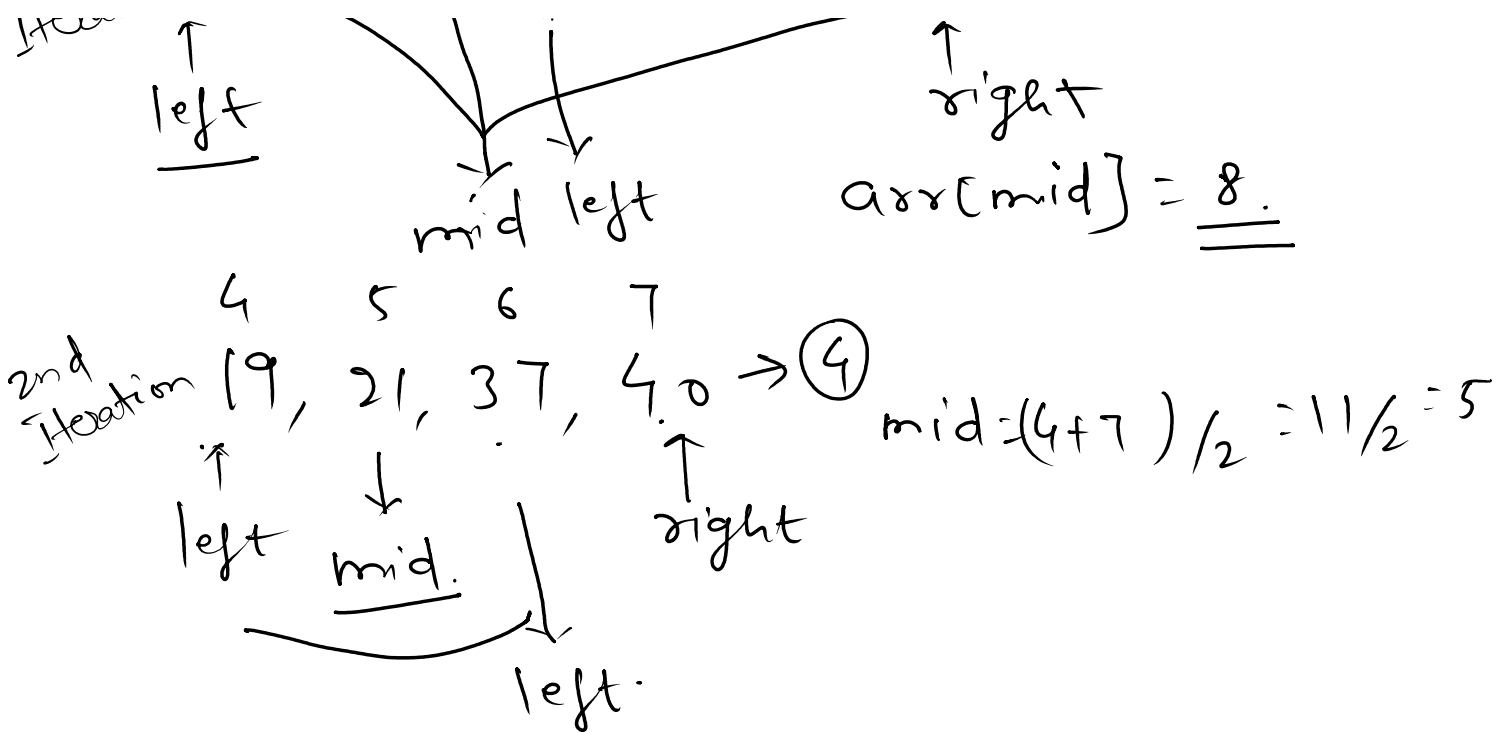
1st Iteration

5	6	7	8	19	21	37	40
0	1	2	3	4	5	6	7

left

right

→ ⑧



T.C. → $8 \rightarrow 8/2/2/2 \rightarrow \frac{8}{2^3}$

$\log_2 8 = \log_2 2^3 = 3 \log_2 2 = \underline{3}$

→ $\log(n)$

Code.

```
int left = 0, right = n - 1;
```

```
while (left <= right) {
```

```
    int mid = (left + right) / 2
```

```
    if (k == arr[mid]) {
```

```
        S.O.P / n (mid);
```

```
        return;
```

```
    }  
    else if (k > arr[mid]) {  
        left = mid + 1;
```

```
    } else {
```

```
        right = mid - 1;
```

```
    }
```

```
}
```

Search character

0 1 2 3
a b c d e

Algorithm:-

1. Use binary search to check if character is present or not

If present then again use modified binary search to find next greater char
If not present then print -1.

2. To find next greater character, we can use the below code.



$c \rightarrow d$

0 1 2 3 4
a b c d e

while(left < right) {
if (arr[mid] <= k)

0 1 2 3 4
a d e f g

left right

$d > c$

$e > c$

ans = e.

ans = d.

```

if (arr[mid] < target) {
    left = mid + 1;
} else {
    right = mid - 1;
    ans = arr[mid];
}

```

ans = d.

Here, we are checking

1. If $\text{arr}[\text{mid}]$ is smaller or equal than target then we have to shift to right by moving $\text{left} = \text{mid} + 1$
2. If $\text{arr}[\text{mid}]$ is greater than target, possibility is left array can have value greater than target or it can not have any greater value.

Therefore, we will store current greater mid value, so that we won't lose it if there are no greater value in left.

```

8 Scanner sc = new Scanner(System.in);
9 char ch = sc.next().charAt(0);
10 int n = sc.nextInt();
11 char arr[] = new char[n];
12 for(int i=0; i<n; i++){
13     arr[i] = sc.next().charAt(0);
14 }
15 int left = 0, right = n-1;
16 int res = -1;
17 while(left <= right){
18     int mid = (left+right)/2;
19     if(arr[mid] == ch){
20         res = mid;
21         break;
22     } else if(arr[mid] < ch){
23         left = mid+1;
24     } else{
25         right = mid-1;
26     }
27 }
28 if(res == -1){
29     System.out.print(-1);
30 }
31 } else{
32     int left2 = 0, right2 = n-1;
33     char ans = '/';
34     while(left2 <= right2){
35         int mid = (left2+right2)/2;
36         if(arr[mid] <= ch){
37             left2 = mid+1;
38         } else{
39             ans = arr[mid];
40             right2 = mid-1;
41         }
42     }
43     if(ans == '/'){
44
45     } else{
46         int left2 = 0, right2 = n-1;
47         char ans = '/';
48         while(left2 <= right2){
49             int mid = (left2+right2)/2;
50             if(arr[mid] <= ch){
51                 left2 = mid+1;
52             } else{
53                 ans = arr[mid];
54                 right2 = mid-1;
55             }
56         }
57         if(ans == '/'){
58             System.out.println(-1);
59         } else{
60             System.out.println(ans);
61         }
62     }
63 }
64 }
65 }

```