

# Computer Architecture

## Assignment #1: ARM Instructions Analysis

# Binary number

Binary number represents any number with 0 and 1

How to convert Decimal to Binary?

$$7392 = 7 \times 10^3 + 3 \times 10^2 + 9 \times 10^1 + 2 \times 10^0$$

How to convert binary to Decimal?

$$(11010)_2 = 1 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 1 \times 2^1 + 0 \times 2^0 = (26)_{10}$$

$2^{10}$  = 1Kilo

$2^{20}$  = 1Mega

$2^{30}$  = 1Giga

# Convert to binary

- Ex 1-1) Convert decimal 41 to binary.

|          | Integer<br>Quotient |   | Remainder     | Coefficient |
|----------|---------------------|---|---------------|-------------|
| $41/2 =$ | 20                  | + | $\frac{1}{2}$ | $a_0 = 1$   |
| $20/2 =$ | 10                  | + | 0             | $a_1 = 0$   |
| $10/2 =$ | 5                   | + | 0             | $a_2 = 0$   |
| $5/2 =$  | 2                   | + | $\frac{1}{2}$ | $a_3 = 1$   |
| $2/2 =$  | 1                   | + | 0             | $a_4 = 0$   |
| $1/2 =$  | 0                   | + | $\frac{1}{2}$ | $a_5 = 1$   |

| Integer | Remainder |
|---------|-----------|
| 41      |           |
| 20      | 1         |
| 10      | 0         |
| 5       | 0         |
| 2       | 1         |
| 1       | 0         |
| 0       | 1         |
| Answer  |           |

answer :  $(41)_{10} = (a_5a_4a_3a_2a_1a_0)_2 = (101001)_2$

$=101001$

# Octal and Hexadecimal

# #'s complement

- $(r-1)$ 's complement of  $N$  is  $(rn-1) - N$

- $n$  is equal to  $N$ 's digit

- $r=10$ ,  $r-1=9$ , the 9's complements of  $N$  is  $(10n - 1) - N$

Ex) the 9's complements of 546700 is 999999 (= 1000000 - 1) - 546700 = 453299

the 9's complements of 012398 is 999999-012398 = 987601

- In the case of binary,  $r=2$ ,  $r-1=1$   
1's complement of  $N$  is  $(2^n - 1) - N$

Ex) the 1's complements of 1011000 is  $(10000000 - 1) - 1011000 = 1111111 - 1011000 = 0100111$

the 1's complements of 0101101 is 1010010

# #'s complement

- $rn-N = [(rn-1)-N] + 1$ 
  - r's complements is equal to (r-1)'s complements + 1

Ex) the 2's complements of 1011000 is  $0100111 + 1 = 0101000$

the 2's complements of 0101101 is  $1010010 + 1 = 1010011$

# #'s complement

- Ex1-7)  $X=1010100$ ,  $Y=1000011$ , (a)  $X-Y$ , (b)  $Y-X$

$$\begin{array}{r} X = 1010100 \\ 2\text{'s complement of } Y = +0111101 \\ \hline \text{Sum} = 10010001 \\ \text{Discard end carry } 27 = -10000000 \\ \hline \text{Answer: } X-Y = 0010001 \end{array}$$

$$\begin{array}{r} Y = 1000011 \\ 2\text{'s complement of } X = +0101100 \\ \hline \text{Sum} = 1101111 \end{array}$$

There is no carry.

The answer is  $Y-X = -(2\text{'s complement of } 1101111) = -0010001$

# #'s complement

- Ex)  $X=1010100$ ,  $Y=1010100$ ,  $X-Y$

|                                   |                  |
|-----------------------------------|------------------|
| $X =$                             | $1010100$        |
| $2\text{'s complement of } Y =$   | $+0101100$       |
| $Sum =$                           | <hr/> $10000000$ |
| $Discard \text{ end carry } 27 =$ | $-10000000$      |
| $Answer: X-Y =$                   | <hr/> $0000000$  |

The answer is  $X-Y = 0$



# Shift operation in binary

$$(11010)_2 = 1 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 1 \times 2^1 + 0 \times 2^0 = (26)_{10}$$

Shift Left 2

$$(1101000)_2 = 1 \times 2^6 + 1 \times 2^5 + 0 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 0 \times 2^1 + 0 \times 2^0 \\ = (104)_{10} = (26)_{10} \times 4$$

$$(110100)_2 = 1 \times 2^5 + 1 \times 2^4 + 0 \times 2^3 + 1 \times 2^2 + 0 \times 2^1 + 0 \times 2^0 = (52)_{10}$$

Shift Right 2

$$(1101)_2 = 1 \times 2^3 + 1 \times 2^2 + 0 \times 2^1 + 1 \times 2^0 = (13)_{10} = (52)_{10} / 4$$

# inst\_data.mif

**Byte  
Address**

0  
4  
8  
12...20  
24  
28  
36  
40  
.  
.  
.

**Word  
Index**

000 : EA000006;  
001 : EAF7FFFE;  
002 : EA0000A7;  
[003..005] : EAF7FFFE;  
006 : EA0000A4;  
007 : EAF7FFFE;  
008 : E59F2EC8;  
009 : E3A00040;  
00A : E5820010;  
00B : E5820014;  
00C : E5820018;  
00D : E582001C;  
00E : E5820020;  
00F : E5820024;  
010 : E3A0003F;  
011 : E5820028;  
012 : E3A00008;  
013 : E582002C;  
014 : E59F3E9C;  
015 : E59F1E9C;  
016 : E5831000;  
017 : E59F9E98;  
018 : E3A08000;  
019 : E5898000;  
01A : E5898004;  
01B : E5898008;  
01C : E589800C;  
01D : E5898010;  
01E : E5898014;  
01F : E5898018;  
020 : E59FDE78;  
021 : E5931200;  
022 : E3510001;  
023 : 0A000000;  
024 : EAF7FFFB;

**EA000006  
Instruction**

# Example

## ● EA000006

➤ Change instructions to binary format

● 1110 **1010** 0000 0000 0000 0000 0000 0110 (2)

➤ Translate the binary instructions to assembly codes by referring to the reference file

● B **#008** (= 0000 0000 0000 0000 0000 0110);

➤ Describe what instruction means

● 1. Sign-extending the 24-bit signed (two's complement) immediate to 30 bits

● 0000 0000 0000 0000 0000 0110 -> **00 0000** 0000 0000 0000 0000 0110

● 2. Shifting the result left two bits to form a 32-bit value

● 0000 0000 0000 0000 0000 0000 0001 1000 =  $610 * 4 = 2410$

● Adding this to the contents of the PC, which contains the address of the branch instruction plus 8 bytes.

● Make '32' by adding the current instruction address  $'(0*4)+8'$  and '24'

● Divide '32' into 4 so that it branches at first among the word-unit instructions :  $32 / 4 = 8$

● Next instruction will be E59F2EC8 at the address 008


# Example

## EAFFFFFFE

Change instructions to binary format

1110 **1010** 1111 1111 1111 1111 1111 1110 (2)

Translate the binary instructions to assembly codes by referring to the reference file

B # (= 1111 1111 1111 1111 1111 1110);

(= 2's complement of 0000 0000 0000 0000 0000 0010)

Describe what instruction means

1. Sign-extending the 24-bit signed (two's complement) immediate to 30 bits

1111 1111 1111 1111 1111 1110 -> **11 1111** 1111 1111 1111 1111 1111 1110

2. Shifting the result left two bits to form a 32-bit value

1111 1111 1111 1111 1111 1111 1111 **1000** =  $-210 * 4 = -810$

Adding this to the contents of the PC, which contains the address of the branch instruction plus 8 bytes.

Make '4' by adding the current instruction address  $'(1*4)+8'$  and  $'-8'$

Divide '4' into 4 so that it branches at first among the word-unit instructions :  $4/4 = 1$

- Because it branches to the same instruction, the same instruction repeats indefinitely