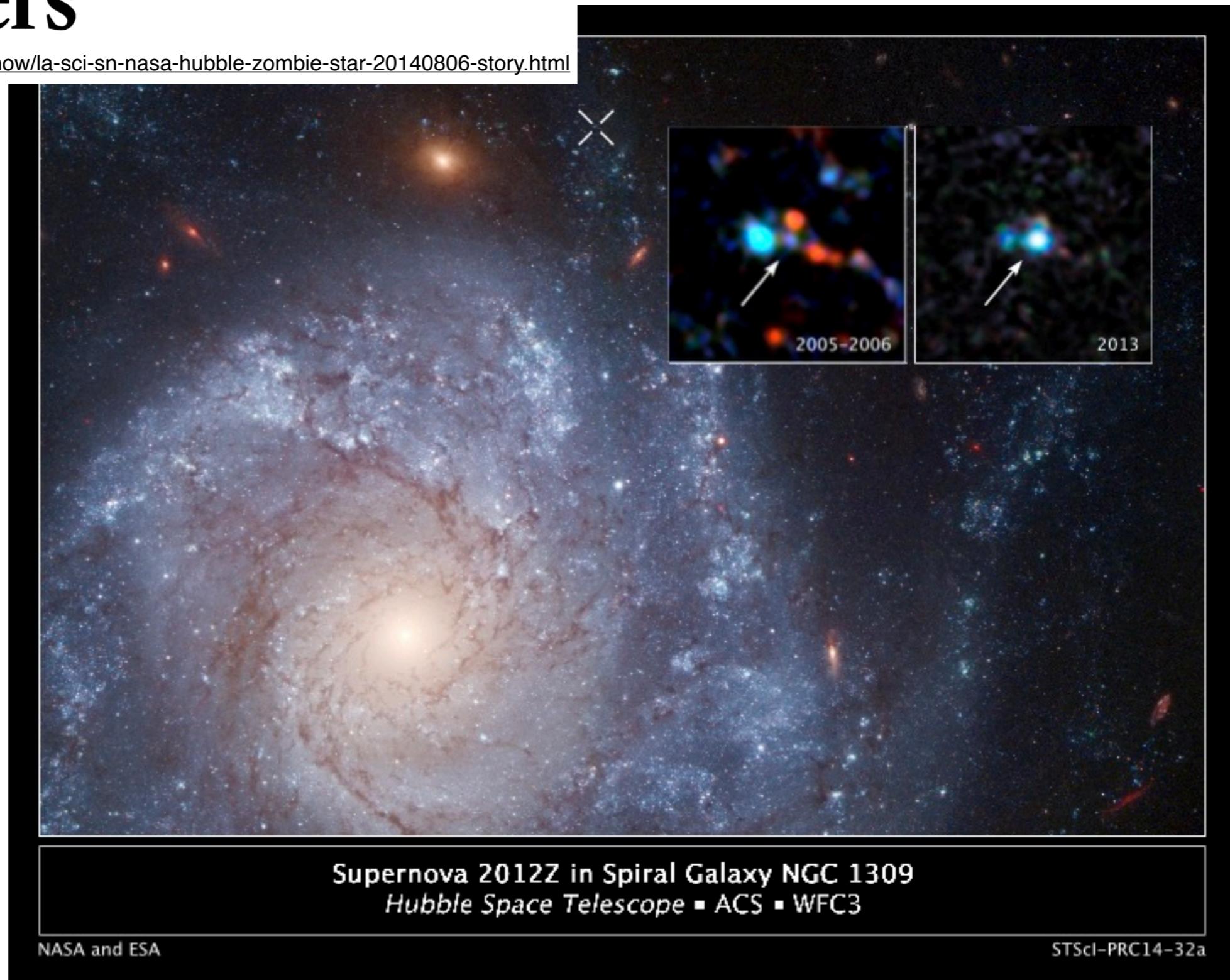


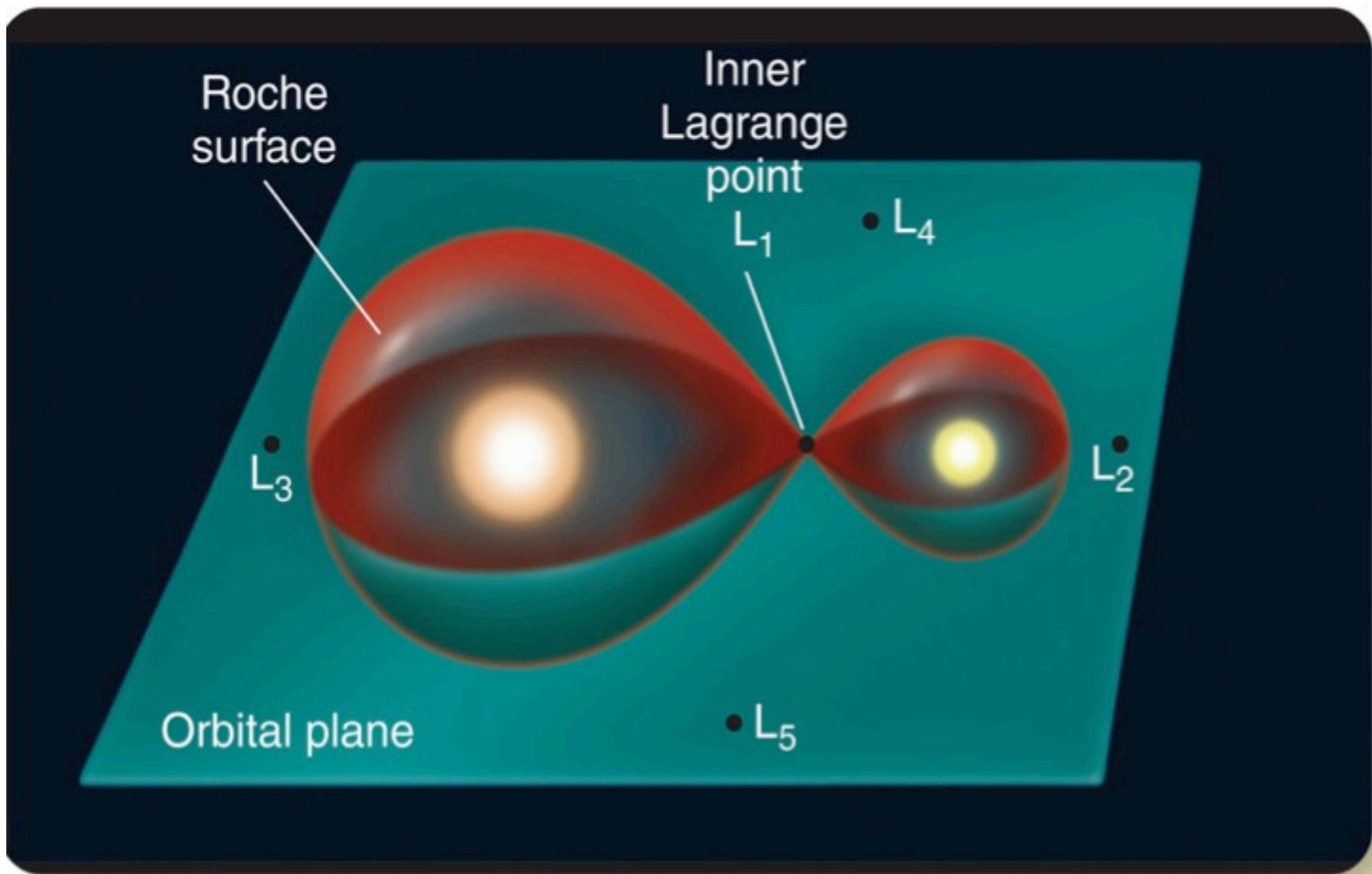
Hubble sees 'zombie star' lurking in space: What it is, why it matters

<http://www.latimes.com/science/scienconow/la-sci-sn-nasa-hubble-zombie-star-20140806-story.html>

Lecture 19: Novae & Supernovae



Stars in Binaries: Roche lobe



Stars in Binaries: Principles

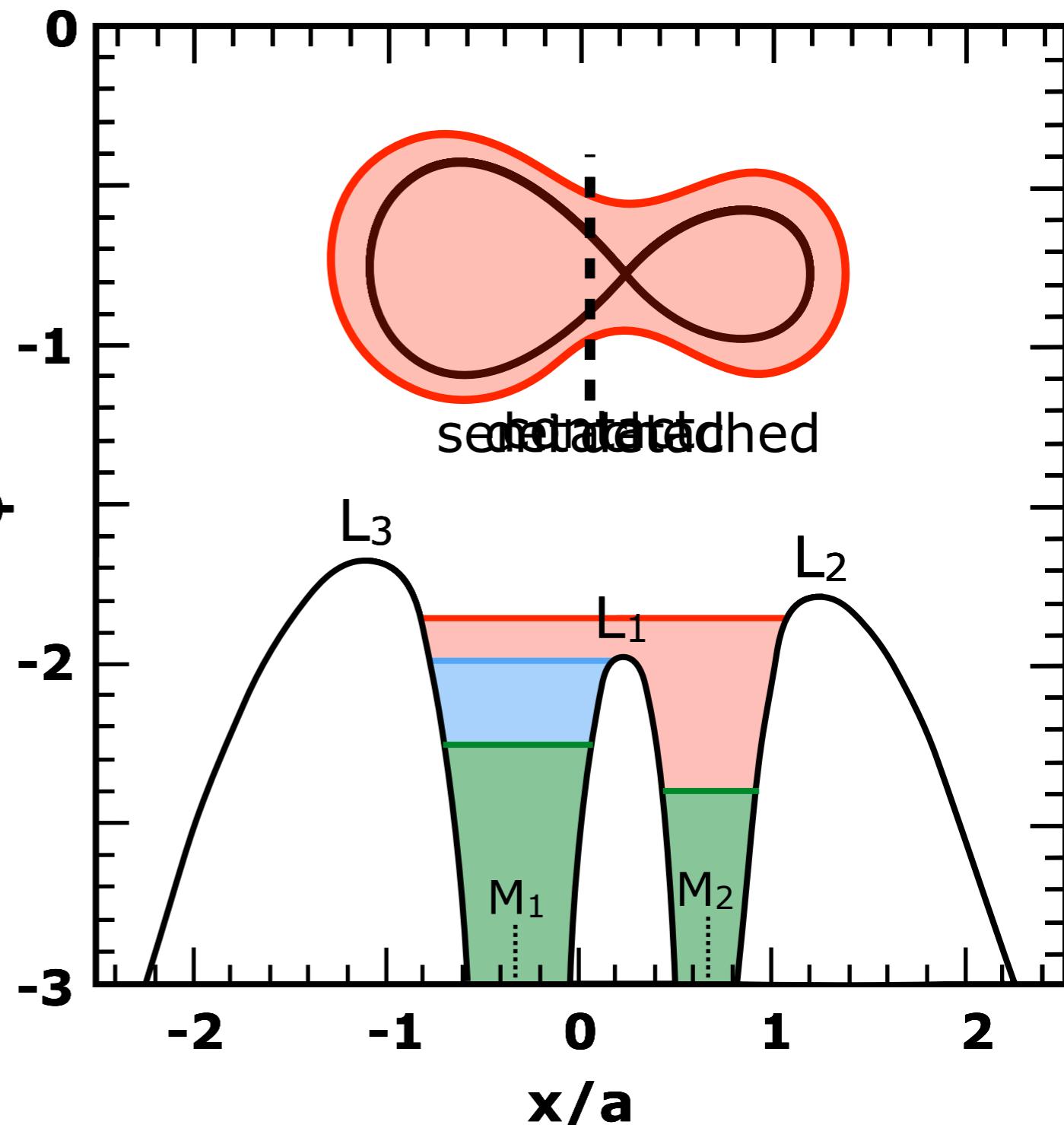
Contact phases

Binaries interact when the size of one of the two components reaches or overflows its Roche lobe.

Detached system: both stars safely fit inside their Roche lobes; matter cannot flow between them

Semi-detached system: M_1 (the more massive component) fills its Roche lobe; gas can flow freely from M_1 to M_2 .

Contact system: both stars have filled their Roche lobes and are in contact with one another.



Stars in Binaries: Principles

Contact phases

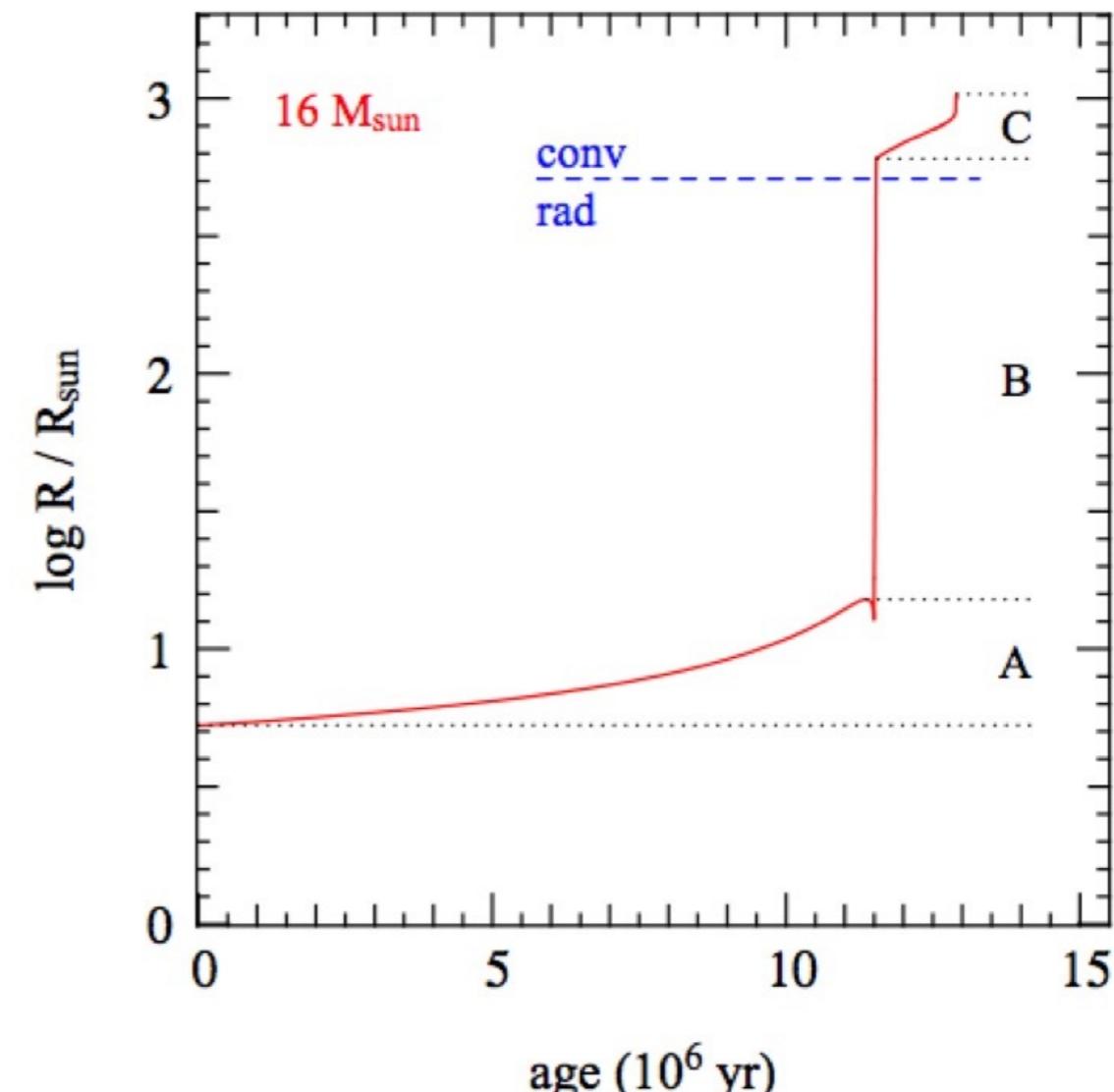
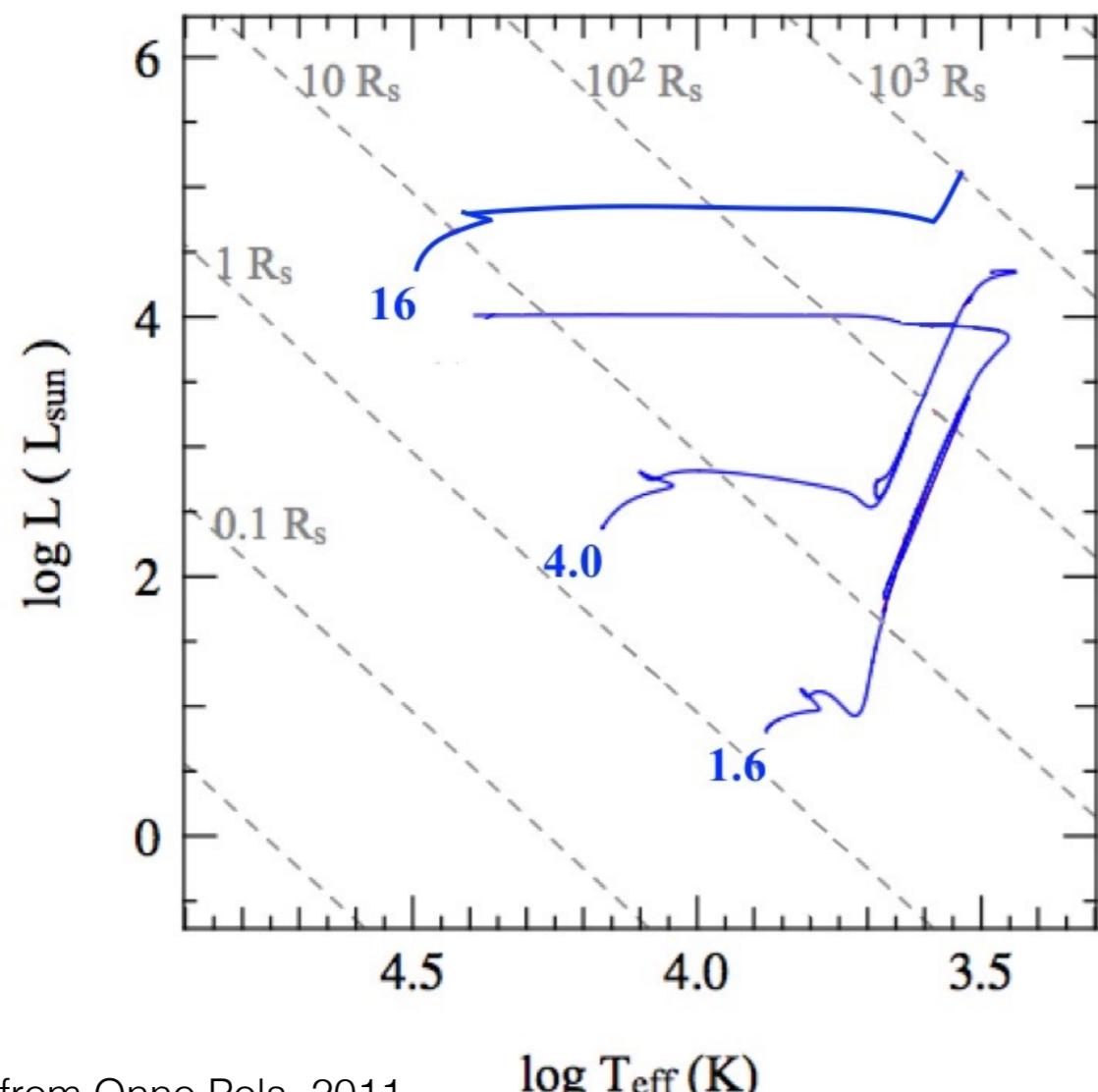
Binaries interact when the size of one of the two components reaches or overflows its Roche lobe.

Case A: first contact during main sequence phase

Case B: first contact during H shell fusion

(nearly fully convective; e.g., AGB star)

Case C: first contact while the star is on the Hayashi track



Stars in Binaries: Principles

Changes during mass transfer

Mass transfer changes the period and separation of a binary. If we consider the time derivatives of the stellar masses \dot{M}_1 and \dot{M}_2 , in the case of conservative mass transfer:

$$-\dot{M}_1 = \dot{M}_2 \quad \text{and} \quad \dot{J} = 0$$

Stars in Binaries: Principles

Changes during mass transfer

If M_1 is the mass of the donor (so $\dot{M}_1 < 0$), the orbit will shrink if $M_1 > M_2$ and expand if $M_1 < M_2$. The minimum orbit is reached when the stars have an equal mass.

The change in a can be derived directly from the conditions that J and $M_1 + M_2$ are both constant. From this:

$$M_1^2 M_2^2 a = J^2 (M_1 + M_2)/G = \text{constant}$$

This implies that after mass transfer we can express the ratio between the final separation and period (a and P) and their initial values (a_i and P_i) as:

$$\frac{a}{a_i} = \left(\frac{M_{1i}}{M_1} \cdot \frac{M_{2i}}{M_2} \right)^2 \quad \text{and} \quad \frac{P}{P_i} = \left(\frac{M_{1i}}{M_1} \cdot \frac{M_{2i}}{M_2} \right)^3$$

(the last equation follows from Kepler's 3rd law...)

Stars in Binaries: Principles

Three time scales associated with single stars are important for the study of binary evolution. In order of increasing length these are:

the dynamical time scale This is the time scale on which a star counteracts a perturbation of its hydrostatic equilibrium. It is given by the ratio of the radius of the star R and the average sound velocity of the stellar matter c_s :

$$\tau_{\text{dyn}} = \frac{R}{c_s} \approx 0.04 \left(\frac{M_\odot}{M} \right)^{1/2} \left(\frac{R}{R_\odot} \right)^{3/2} \text{ day} \quad (6.3)$$

the thermal or Kelvin-Helmholtz time scale This is the time scale on which a star reacts when energy loss and energy production are no longer in equilibrium. It is given by the ratio of the thermal energy content of the star E_{th} and the luminosity L :

$$\tau_{\text{KH}} = \frac{E_{\text{th}}}{L} \approx \frac{GM^2}{2RL} \approx 1.5 \times 10^7 \left(\frac{M}{M_\odot} \right)^2 \frac{R_\odot}{R} \frac{L_\odot}{L} \text{ yr} \quad (6.4)$$

the nuclear time scale This is the time scale on which a star uses its nuclear fuel. It is given by the product of the available fusible matter M_{core} and the fusion energy per unit mass Q , divided by the stellar luminosity. For hydrogen fusion with $Q = 0.007c^2$, this is:

$$\tau_{\text{nuc}} = 0.007 \frac{M_{\text{core}} c^2}{L} \approx 10^{10} \frac{M}{M_\odot} \frac{L_\odot}{L} \text{ yr} \quad (6.5)$$

Stars in Binaries: Principles

Stable and runaway mass transfer

1) Stable mass transfer on the evolution timescale of the donor

Occurs when the donor star radius decreases, due to mass transfer, faster than the size of the Roche lobe. Mass transfer will shrink the donor star; it then expands again due to its evolution and mass transfer begins again. Happens in Case A mass transfer when the donor is still on the MS with a radiative envelope

Stars in Binaries: Principles

Stable and runaway mass transfer

2) Runaway mass transfer: dynamically unstable mass transfer

Occurs when mass transfer shrinks the Roche lobe, while the donor radius does not shrink (or even keeps expanding). In this case the donor is out of hydrostatic equilibrium. Happens in Case C mass transfer in stars with deep convection zones (i.e., on the Hayashi track)

This happens because these stars' L is set by M_c and their T_{eff} is almost constant, making the radius independent of the mass of the envelope and causing a runaway mass transfer process from the star's envelope. Ends when the donor contracts to become a WD (low mass) or WR star (massive).

3) Unstable mass transfer on thermal timescale of donor

A middle ground between the two extremes above. The donor star is out of thermal equilibrium but mass transfer is slow enough to maintain hydrostatic equilibrium; the timescale for mass transfer is shorter than the dynamical timescale. Readjusting to thermal equilibrium occurs on a K-H timescale. This happens in Case B mass transfer, when stars have radiative envelopes that are expanding post-MS but have not reached the Hayashi track yet.

Stars in Binaries: Evolution

© Onno Pols 2011.

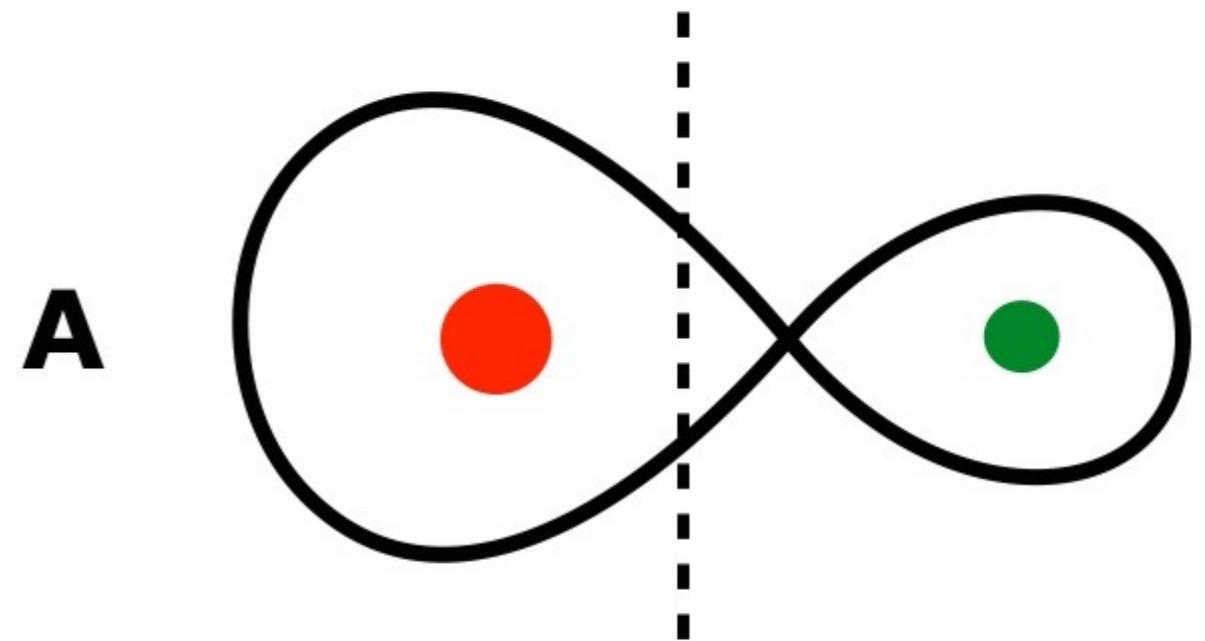
Table 6.1. End products of stellar evolution as a function of stellar mass, for single stars and for components of close binary stars (roughly, those undergoing case B mass transfer). The columns ‘He-core mass’ give the maximum mass of the helium core reached by a star of the given initial mass range, for single and close binary stars. The values given are only indicative, and depend on the metallicity (assumed to be solar) and uncertainties in mass loss rates and convective overshooting (mild overshooting was assumed). For binary stars, they also depend on the orbital period and mass ratio.

initial mass	single star		close binary star	
	He-core mass	final remnant	He-core mass	final remnant
$\lesssim 2.0 M_{\odot}$	$\approx 0.6 M_{\odot}$	CO white dwarf	$< 0.47 M_{\odot}$	He white dwarf
$2.0 - 6 M_{\odot}$	$0.6 - 1.7 M_{\odot}$	CO white dwarf	$0.4 - 1.3 M_{\odot}$	CO white dwarf
$6 - 8 M_{\odot}$	$1.7 - 2.2 M_{\odot}$	ONe white dwarf	$1.3 - 1.7 M_{\odot}$	CO white dwarf
$8 - 10 M_{\odot}$	$2.2 - 3.0 M_{\odot}$	neutron star	$1.7 - 2.2 M_{\odot}$	ONe white dwarf
$10 - 25 M_{\odot}$	$3.0 - 10 M_{\odot}$	neutron star	$2.2 - 8 M_{\odot}$	neutron star
$\gtrsim 25 M_{\odot}$	$> 10 M_{\odot}$	black hole	$> 8 M_{\odot}$	neutron star/black hole

Stars in Binaries: Evolution

Example: Case C

A: initial configuration of star 1 (red) and star 2 (green)



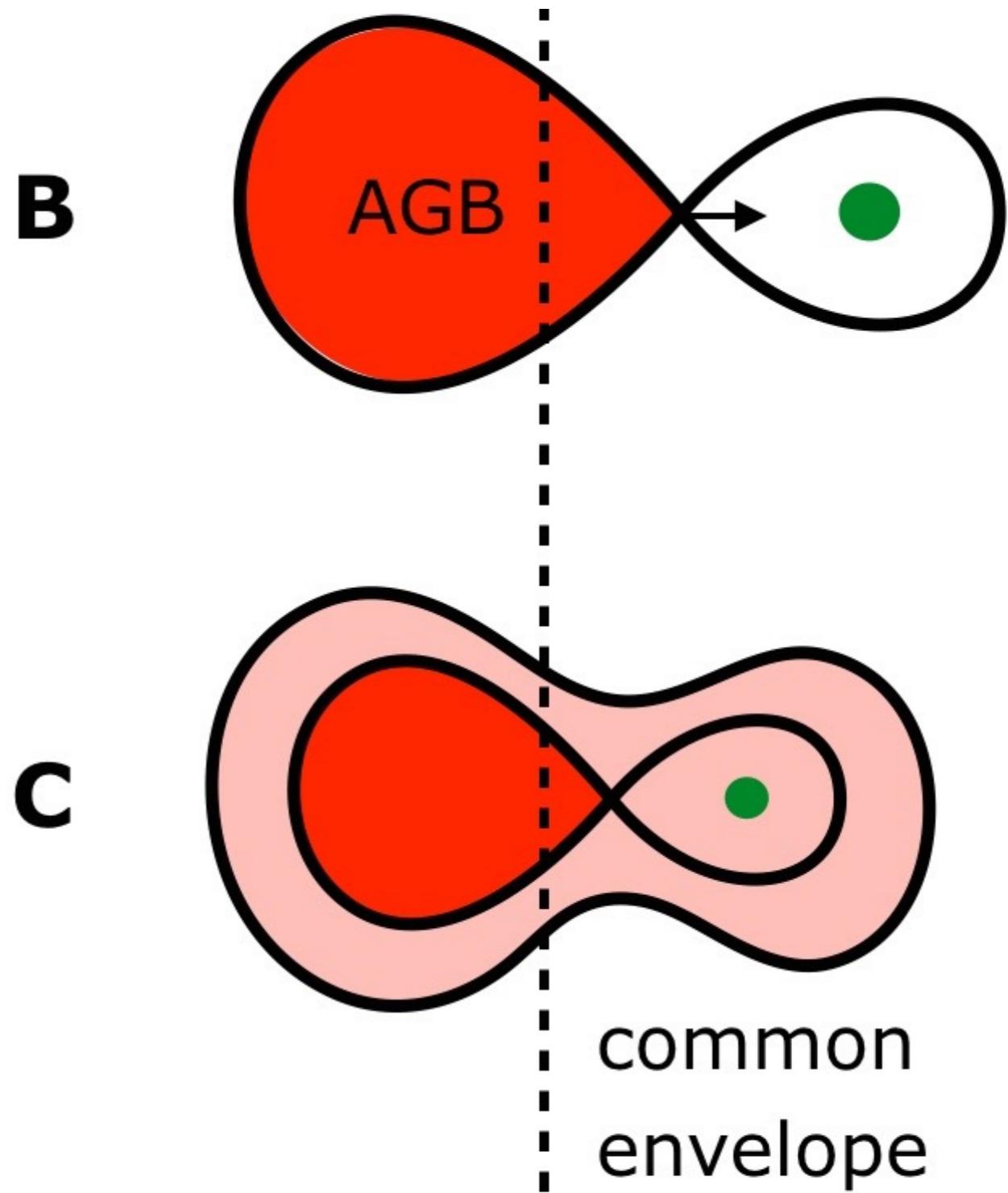
Stars in Binaries: Evolution

Example: Case C

A: initial configuration of star 1 (red) and star 2 (green)

B: unstable mass transfer when star 1 is on Hayashi line. Orbital separation & Roche lobe size decrease.

C: mass loss rate so high that star 2 can't adjust, overfills its Roche lobe. Both stars now overflow lobes and occupy a common envelope.



Stars in Binaries: Evolution

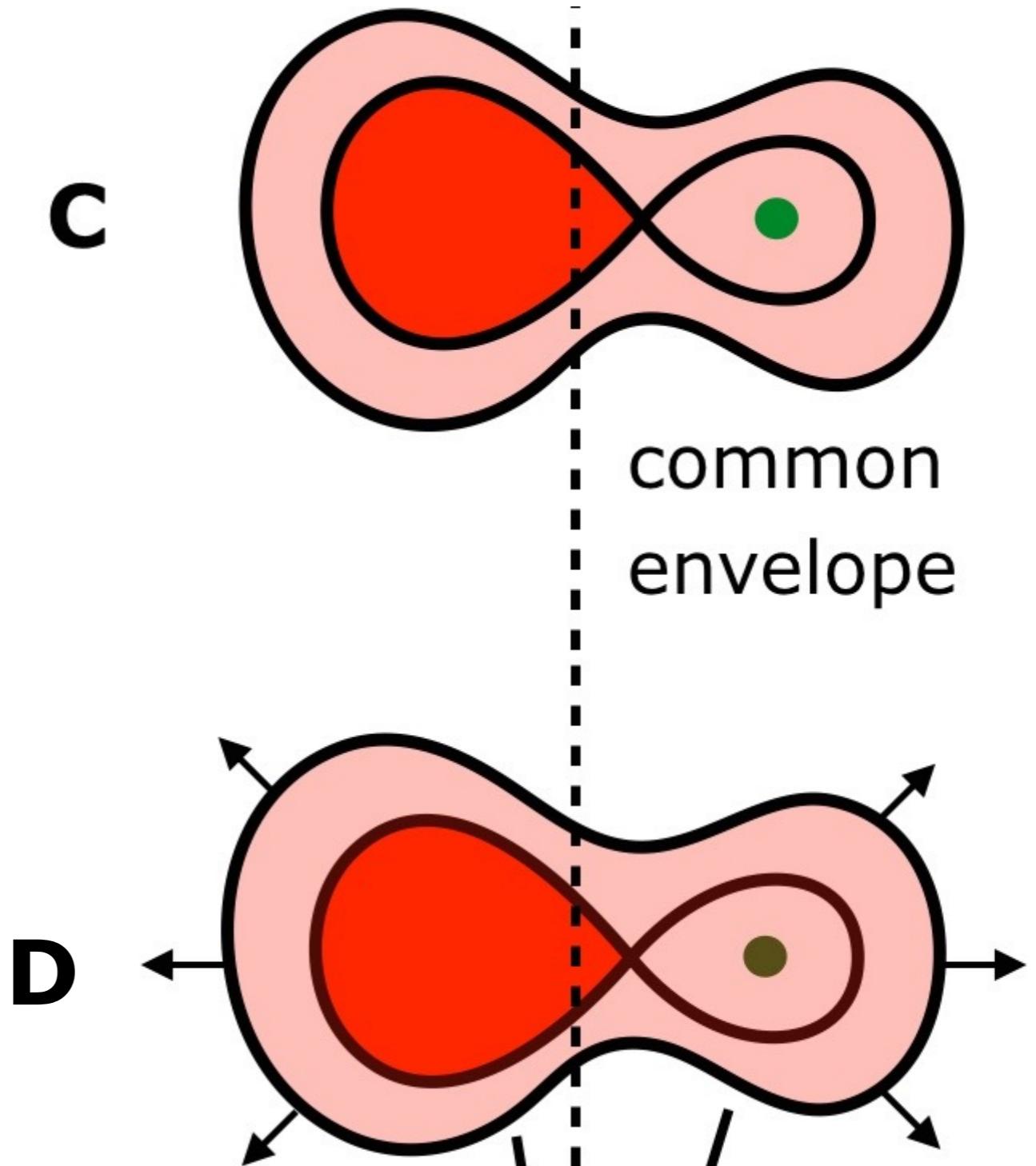
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B: unstable mass transfer when star 1 is on Hayashi line. Orbital separation & Roche lobe size decrease.

C: mass loss rate so high that star 2 can't adjust, overfills its Roche lobe. Both stars now overflow lobes and occupy a common envelope.

D: friction heats envelope, matter lost from system



Stars in Binaries: Evolution

Example: Case C

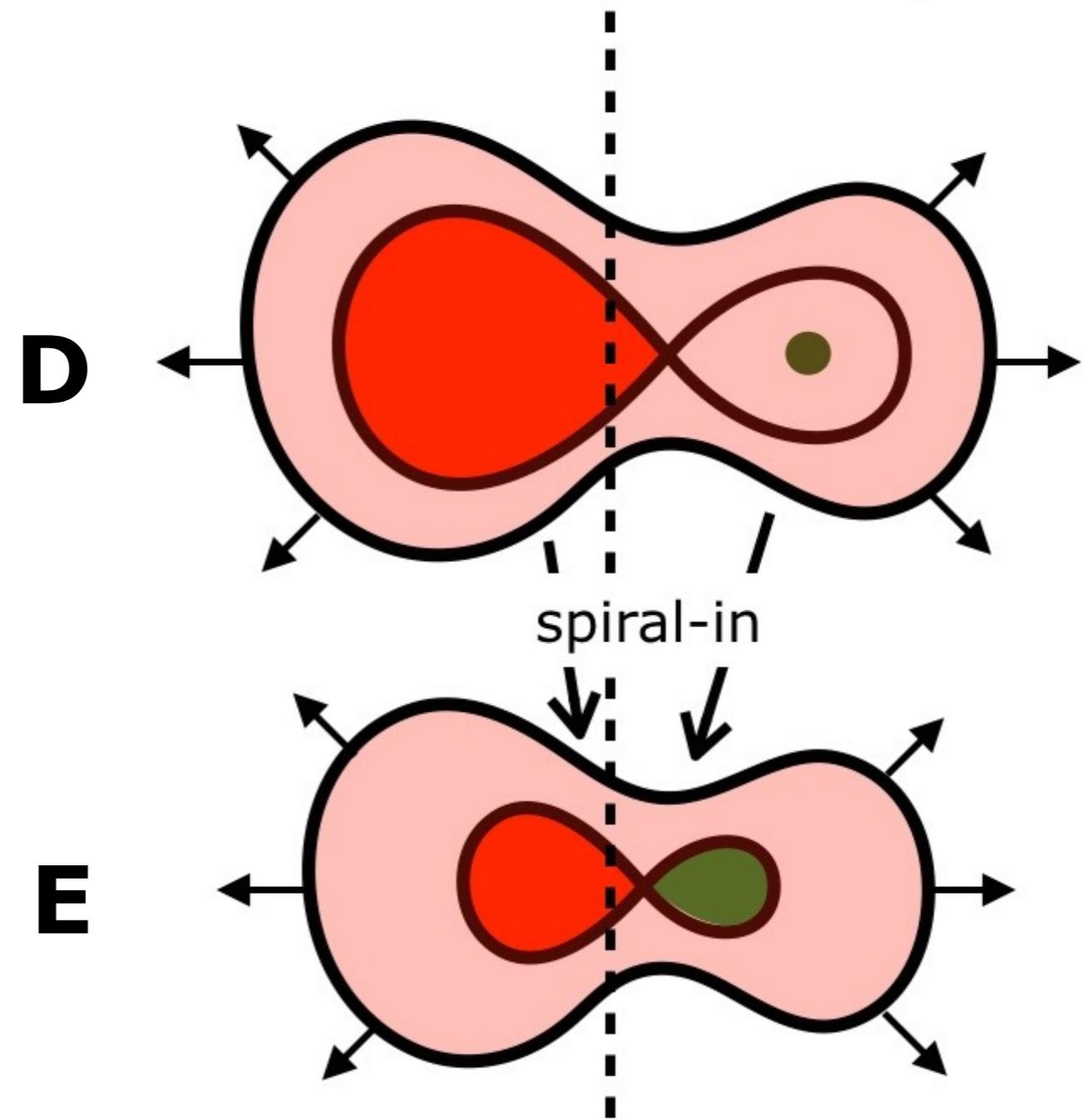
A: initial configuration of star 1 (red) and star 2 (green)

B: unstable mass transfer when star 1 is on Hayashi line. Orbital separation & Roche lobe size decrease.

C: mass loss rate so high that star 2 can't adjust, overfills its Roche lobe. Both stars now overflow lobes and occupy a common envelope.

D: friction heats envelope, matter lost from system

E: friction leads to spiral-in of the two stars



Stars in Binaries: Evolution

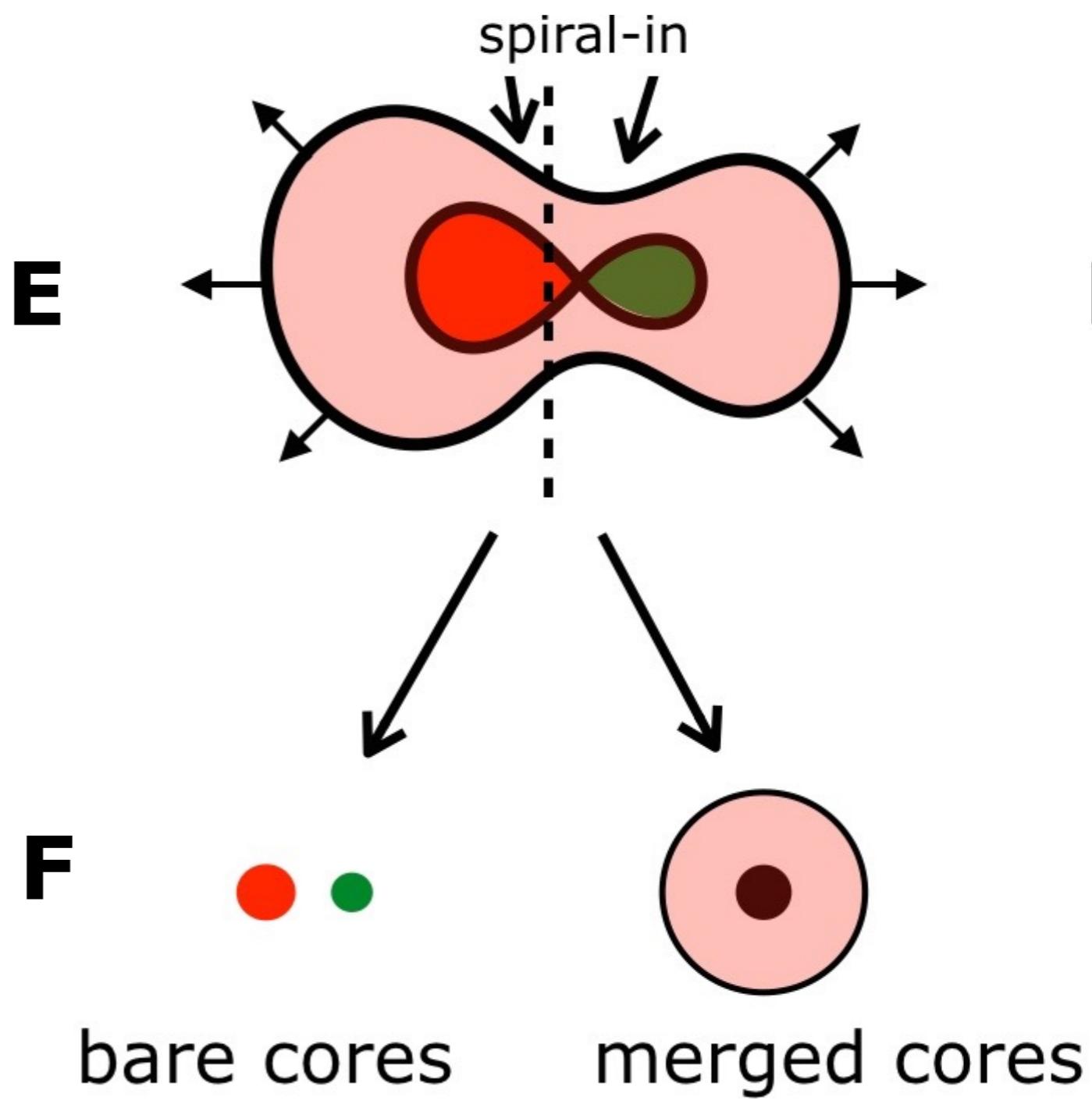
Example: Case C

E: friction leads to spiral-in of the two stars

F: system has two possible outcomes...

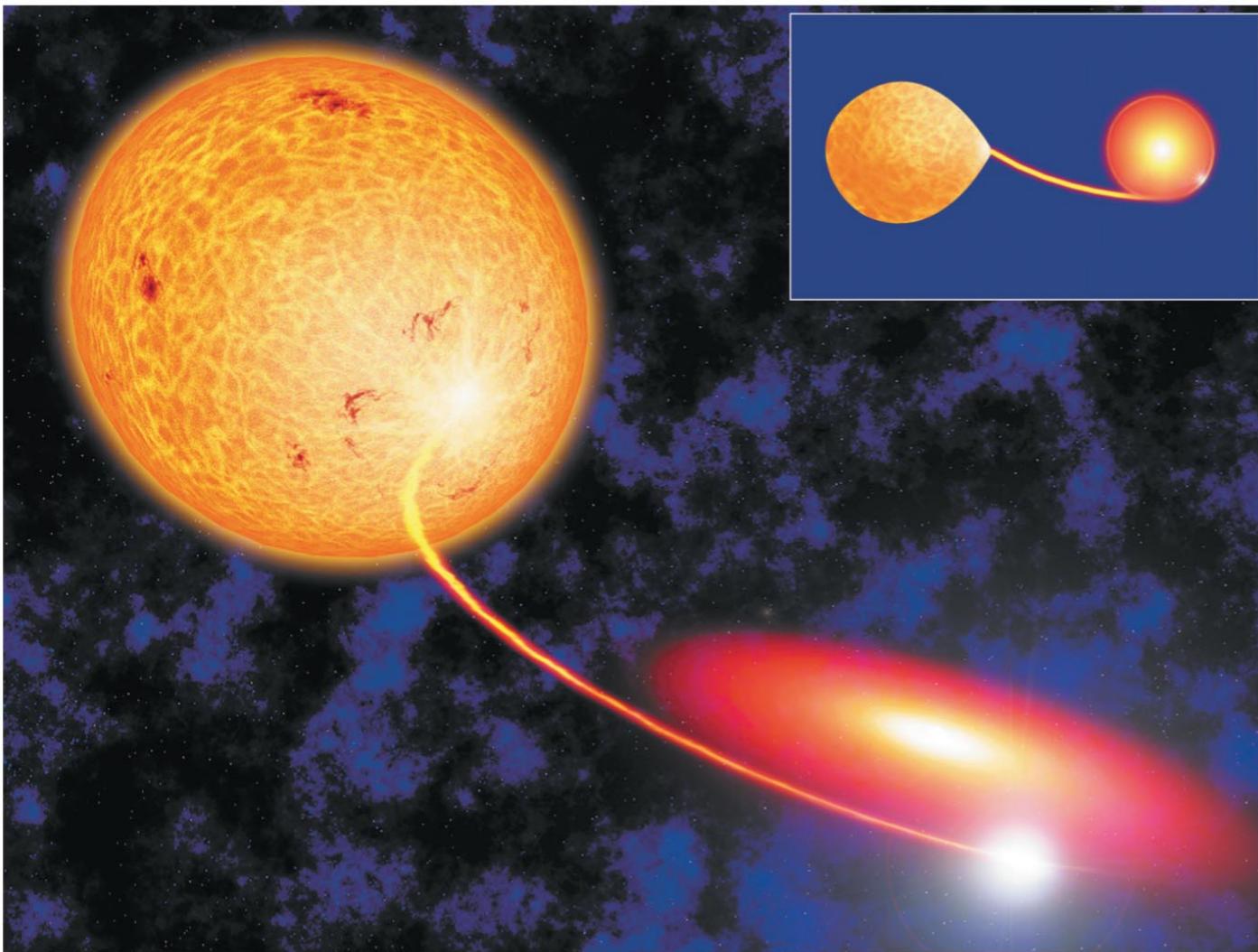
Left: energy released by friction and shrinking leads to very high T; envelope escapes, leaving two bare cores in a close orbit

Right: slow-down of orbital motion by friction leads to a spiral-in, merger of two cores surrounded by an envelope (a new single star!)



Depends on net energy; $E_{\text{net}} = E_{\text{fric}} - E_{\text{rad}}$

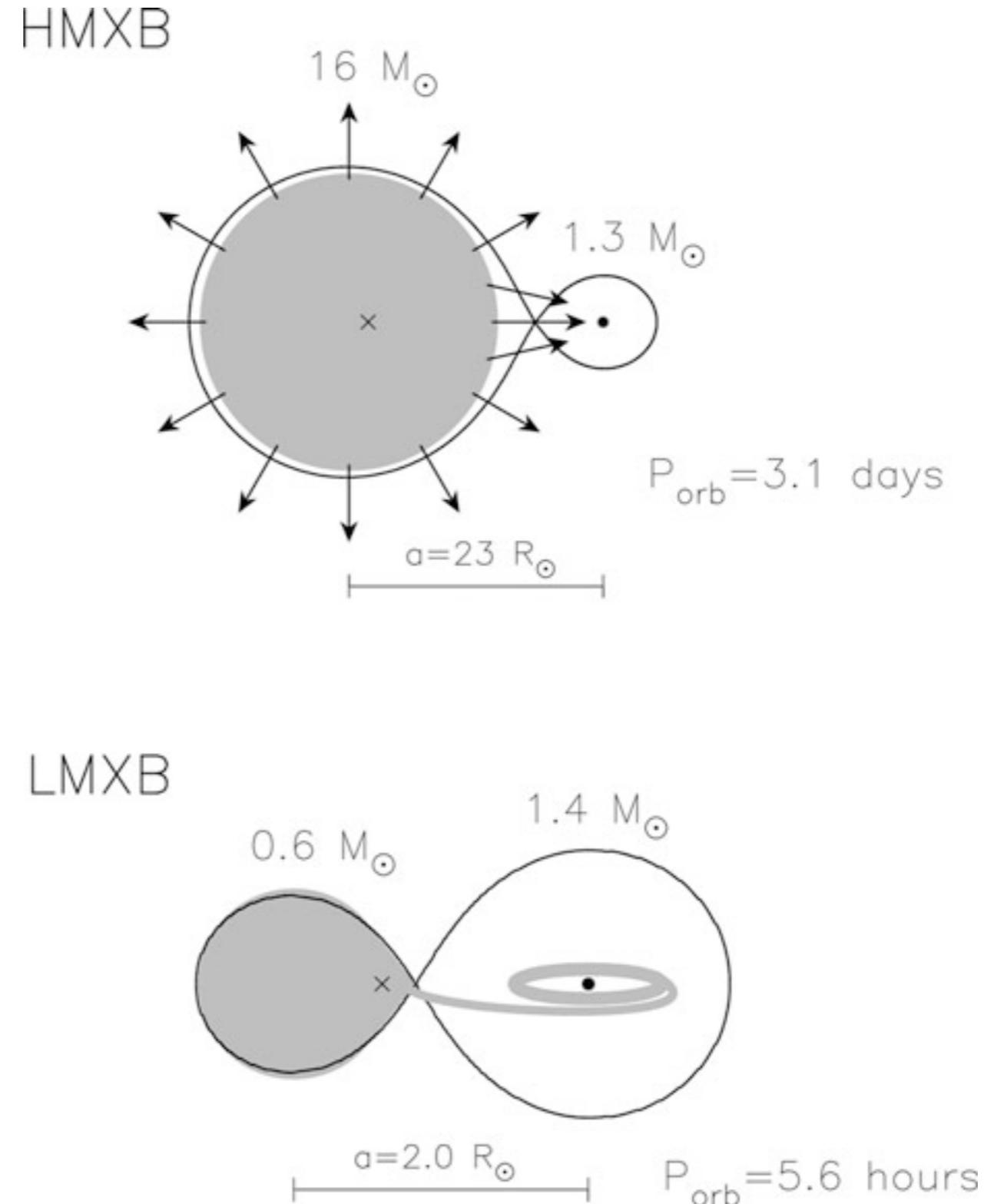
Accretion in Close Binary Systems



- Mass falling toward a white dwarf, neutron star, or black hole from its close binary companion has some angular momentum.
- The matter therefore orbits the compact object in an *accretion disk*.
- Friction between orbiting rings of matter in the disk transfers angular momentum outward and causes the disk to heat up and glow.

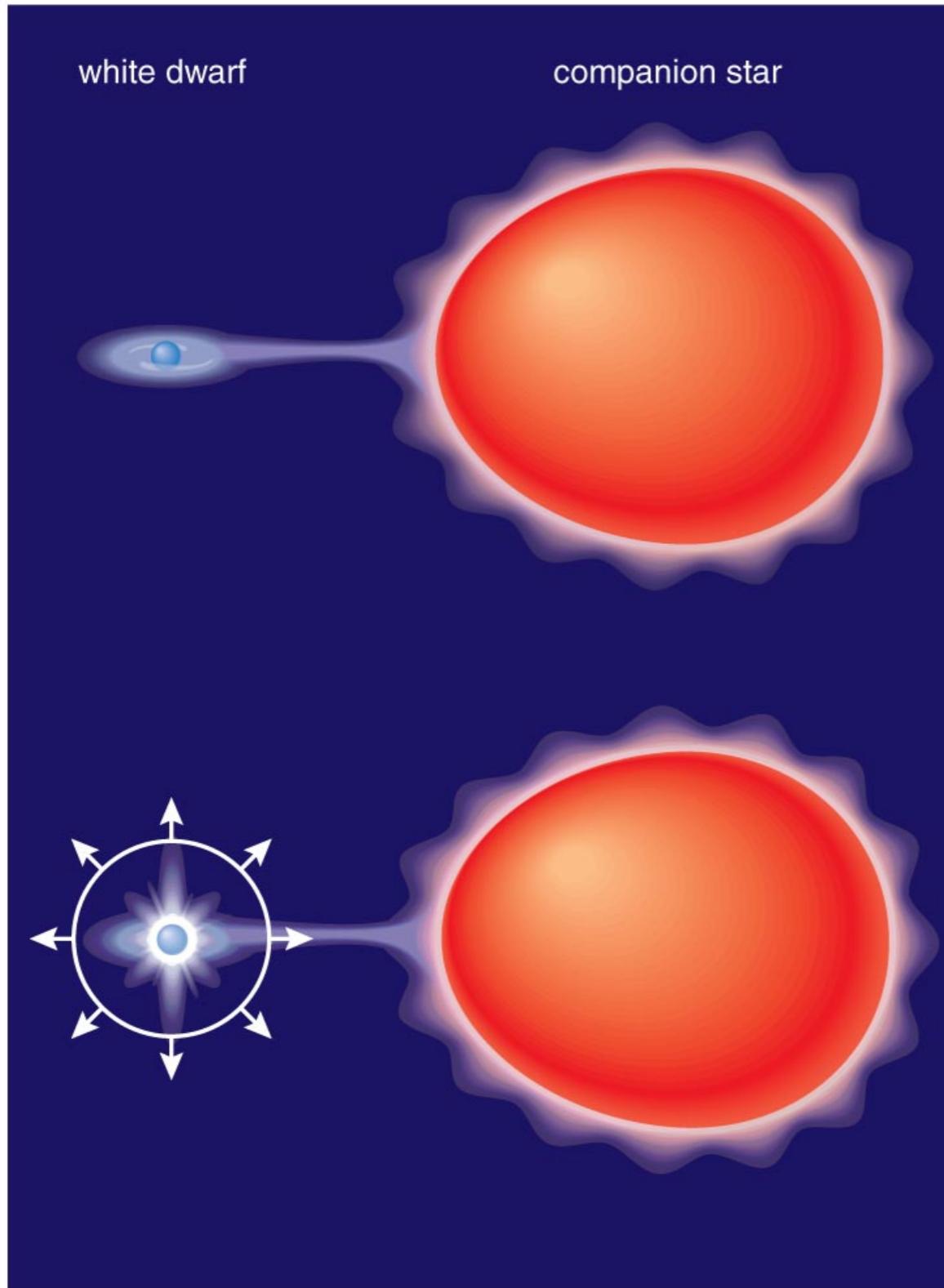
Stars in Binaries: X-ray Binaries

Fig. 1 Examples of a typical HMXB (*top*) and LMXB (*bottom*). The neutron star in the HMXB is fed by a strong high-velocity wind. The neutron star in the LMXB is surrounded by an accretion disk which is fed by Roche-lobe overflow. Also HMXBs and LMXBs are known in which the accreting compact object is a *black hole* (Credit: Tauris and van den Heuvel 2006, Cambridge University Press)



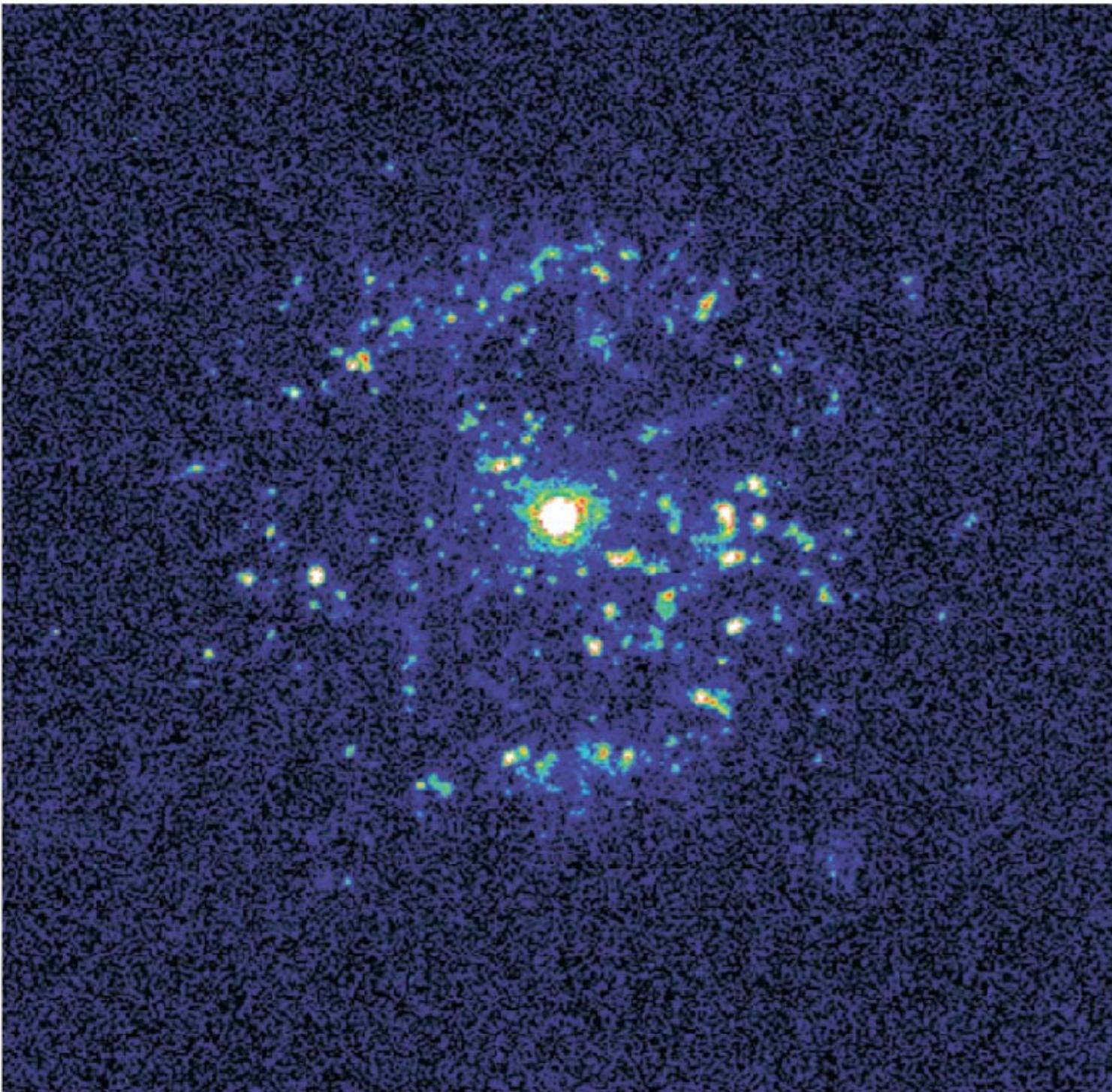
**accretion onto a neutron star
(or a black hole)**

Accretion onto a white dwarf: Nova



- The temperature of accreted matter eventually becomes hot enough for hydrogen fusion.
- Fusion begins suddenly and explosively, causing a *nova*.

Nova



- The nova star system temporarily appears much brighter.
- The explosion drives accreted matter out into space.

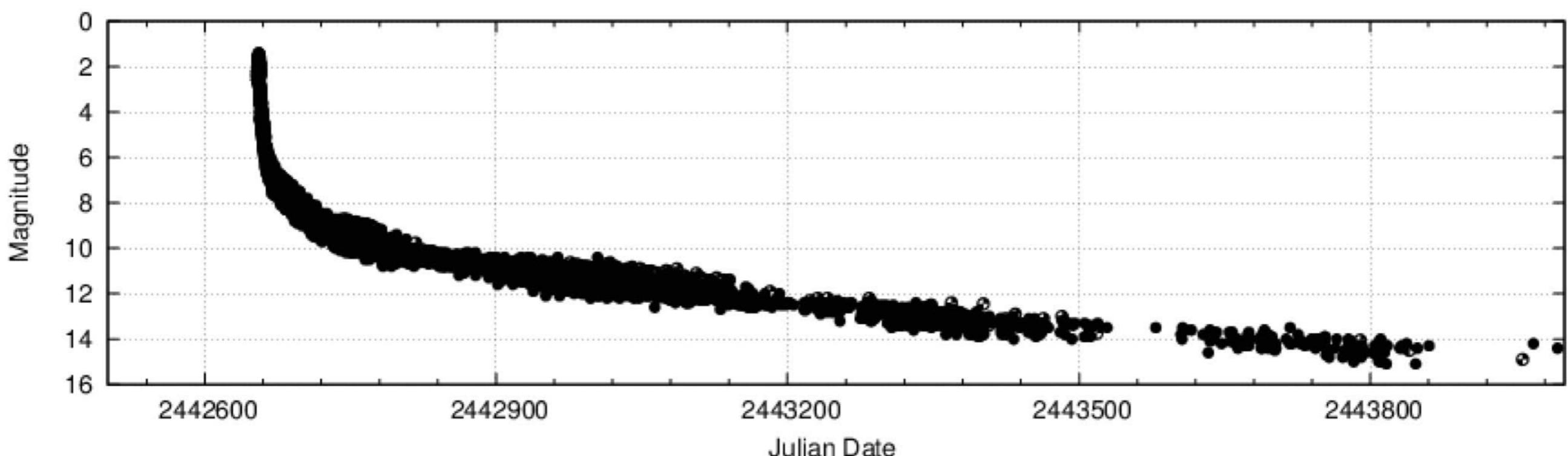
Stars in Binaries: Novae

Novae: accretion onto a WD in semi-detached systems

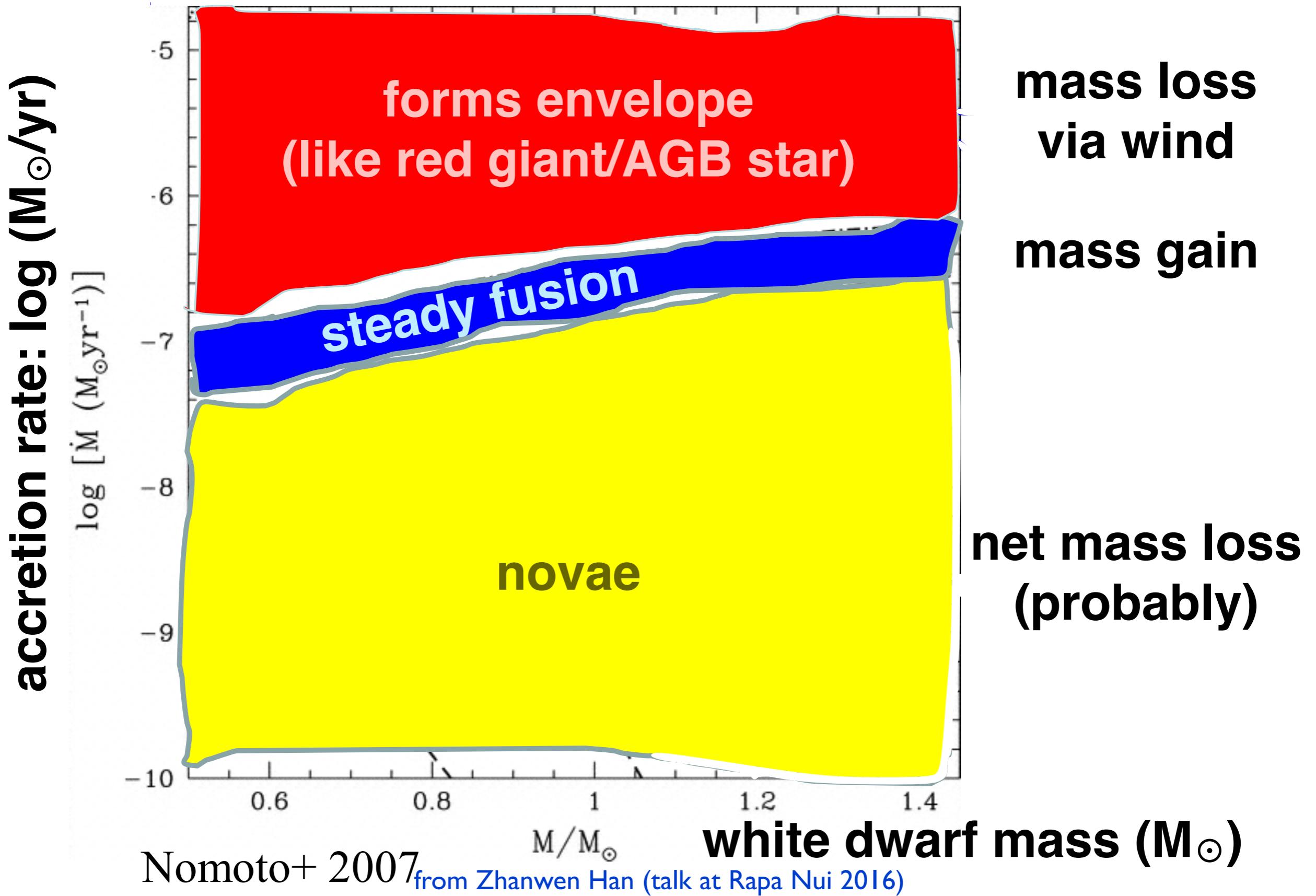
Novae are close binary systems that show recurrent outbursts. They have orbital periods of \sim 1-10 hours and consist of a WD and a star of type G or later with an initial mass of $\sim 1M_{\odot}$.

Classical nova: brightness increases (within a few hours) from a typical WD ($M_V \sim 5$, $L \sim L_{\odot}$) to as high as $M_V = -6$ to -9 , $L \sim 2 \times 10^4 - 3 \times 10^5 L_{\odot}$. Maximum lasts a few days; then brightness decreases over ~ 10 -100 days to its normal level.

V1500 Cyg



Stars in Binaries: Evolution



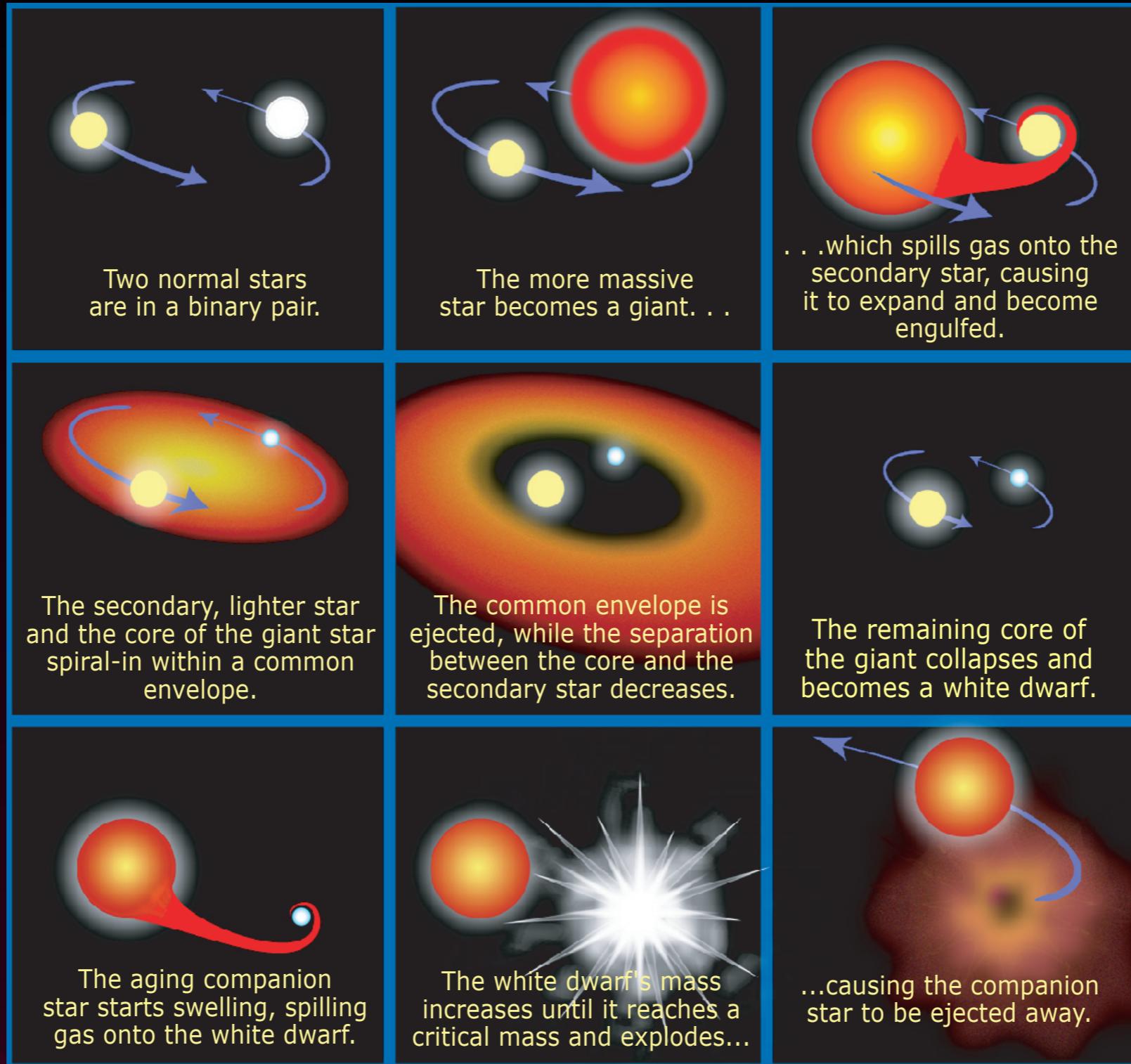
Nova or Supernova?

- Supernovae are MUCH MUCH more luminous (about 10 thousand times)!!!
- Nova: H to He fusion of a layer of accreted matter, white dwarf left intact
- Supernova: complete explosion of white dwarf, nothing left behind

The Sun will end up as a white dwarf...
will it ever become a nova or a supernova?

No! because it is not in a binary star system

Thermonuclear (Type Ia) Supernovae



a complicated and uncertain story,
but we observe them to be very homogeneous

Type Ia SN 1998bu in M96

one star in this galaxy becomes
as bright as 10 billion stars!

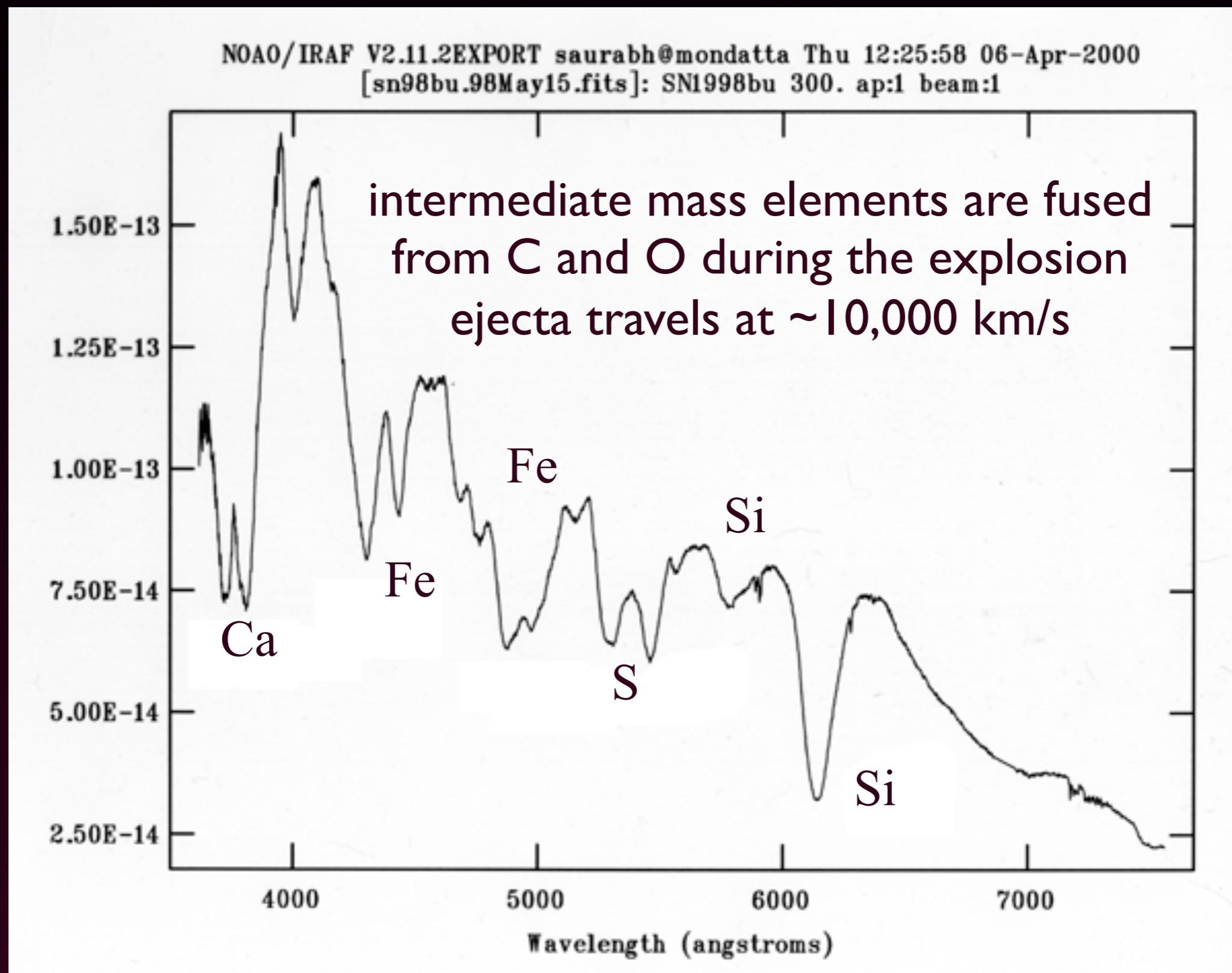


March 14, 1997

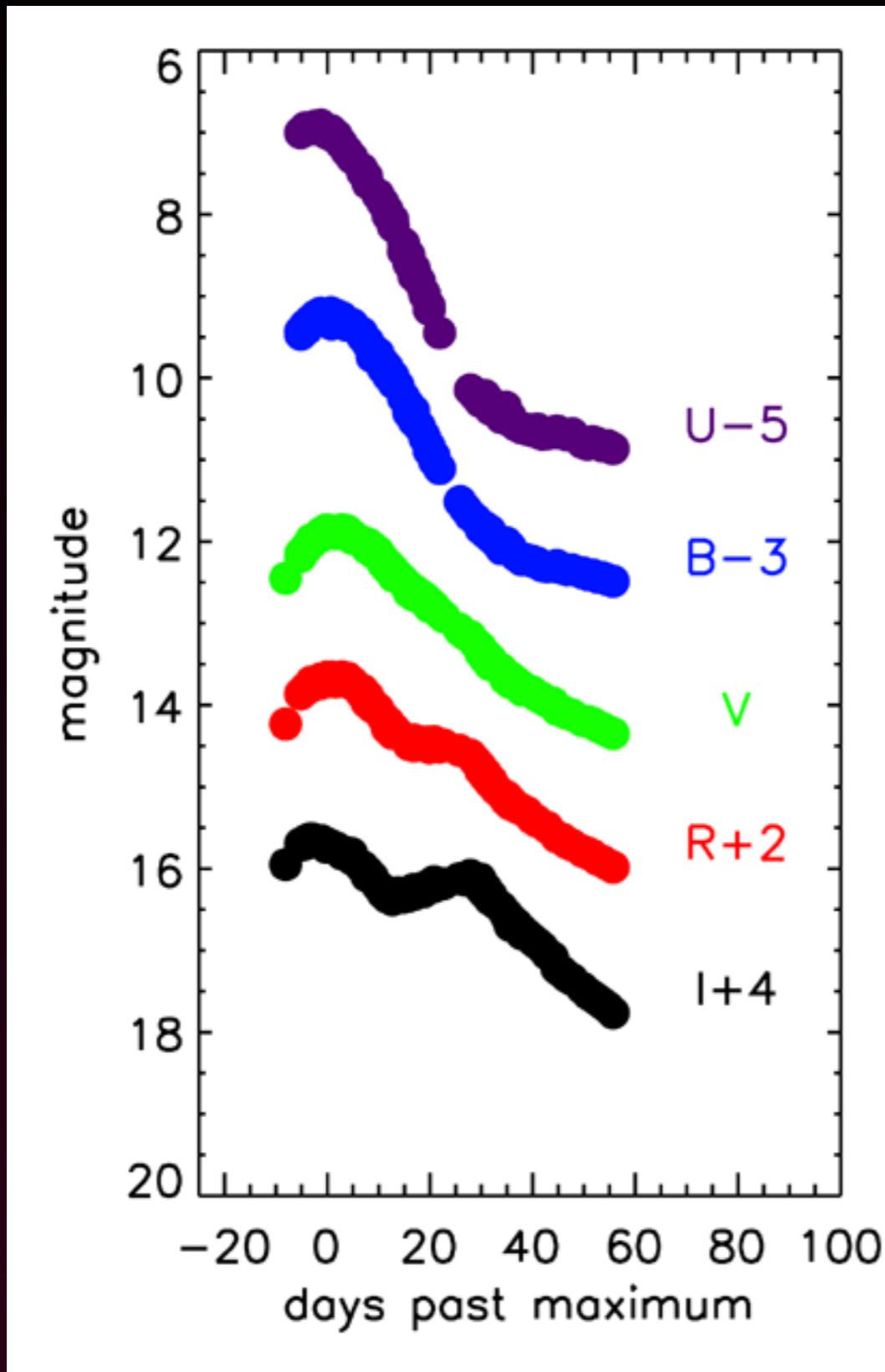


May 18, 1998

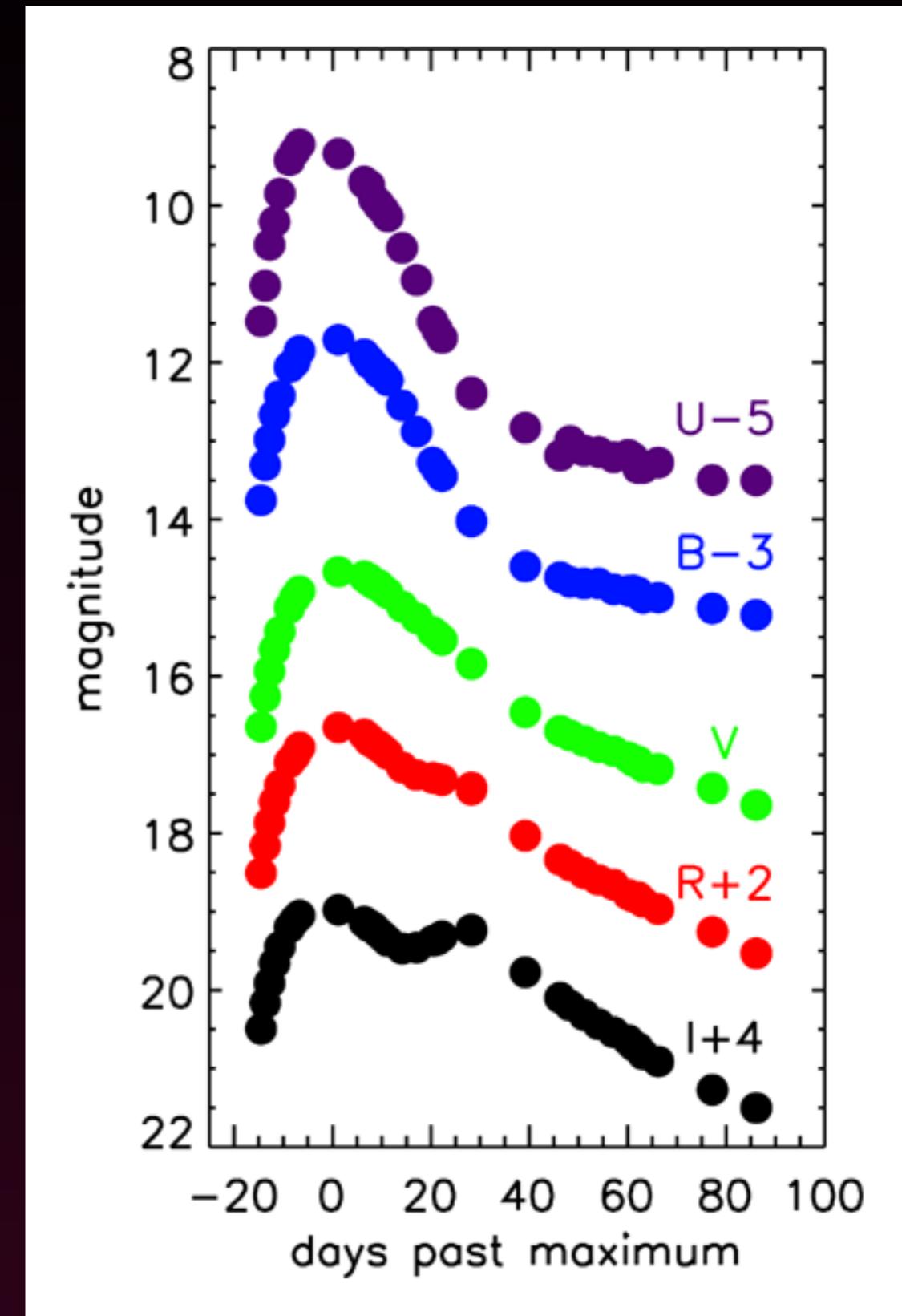
SN 1998bu maximum light spectrum



Some “Nearby” SN Ia Light Curves

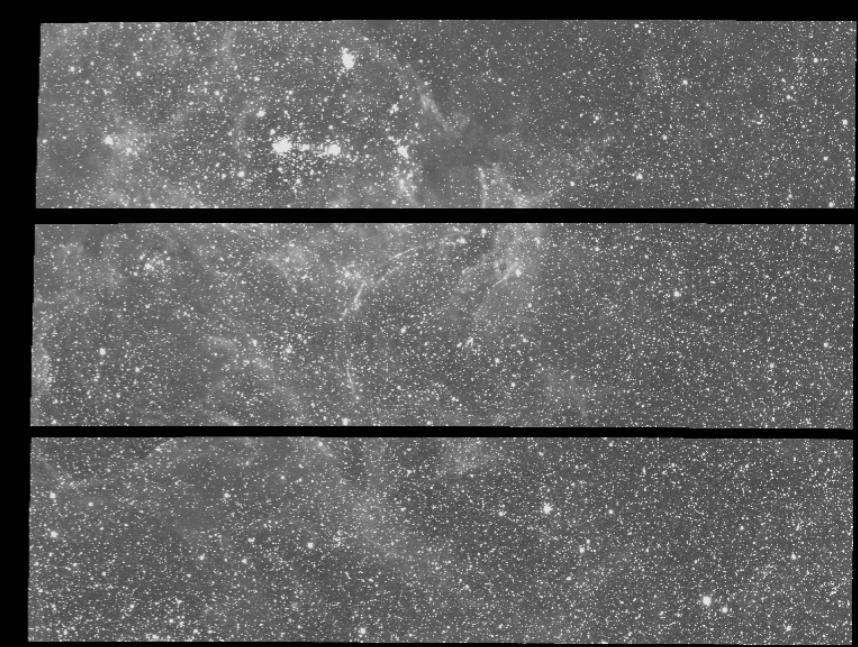


SN 1998bu in M 96

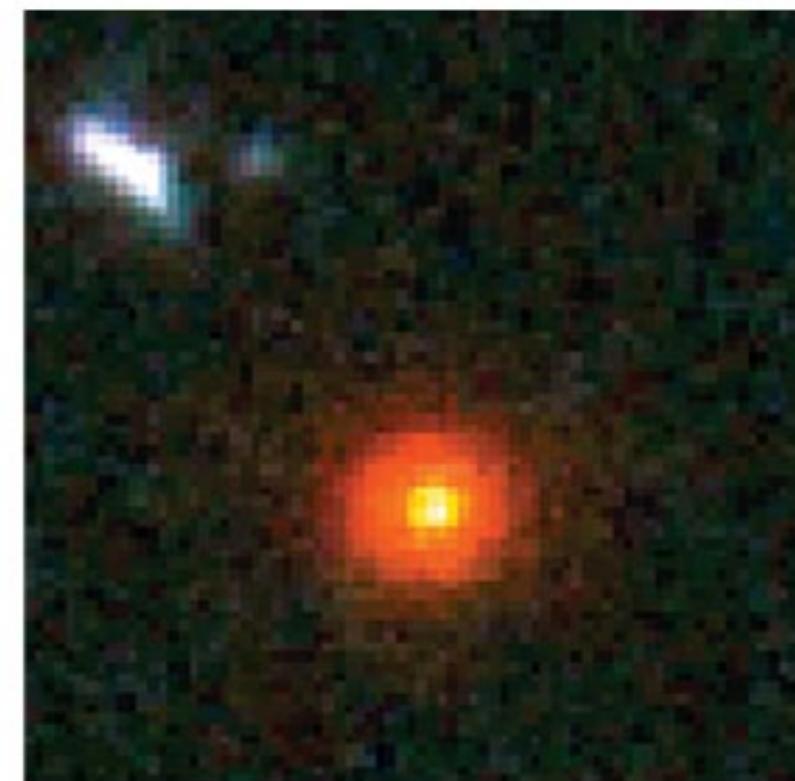
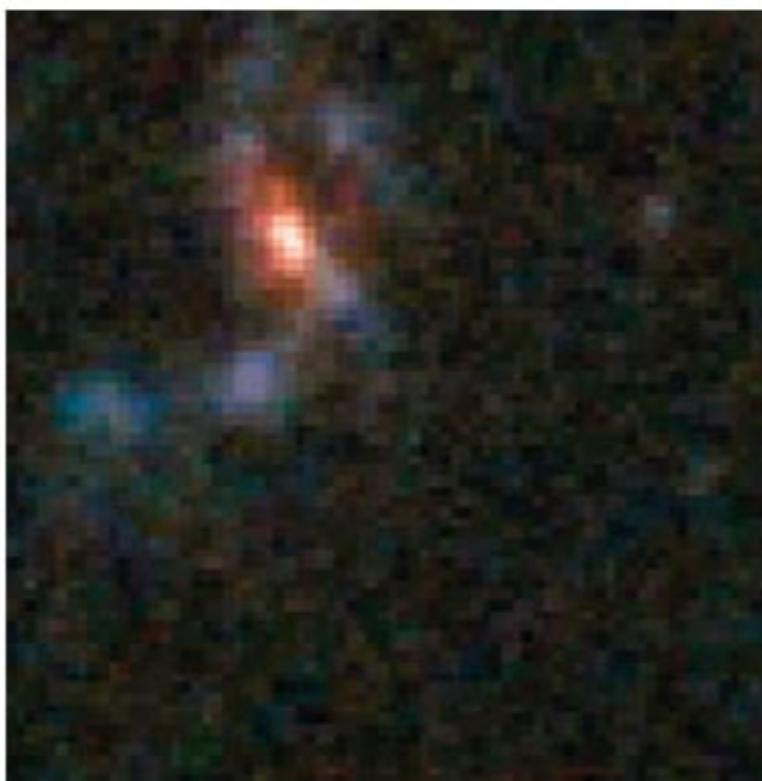
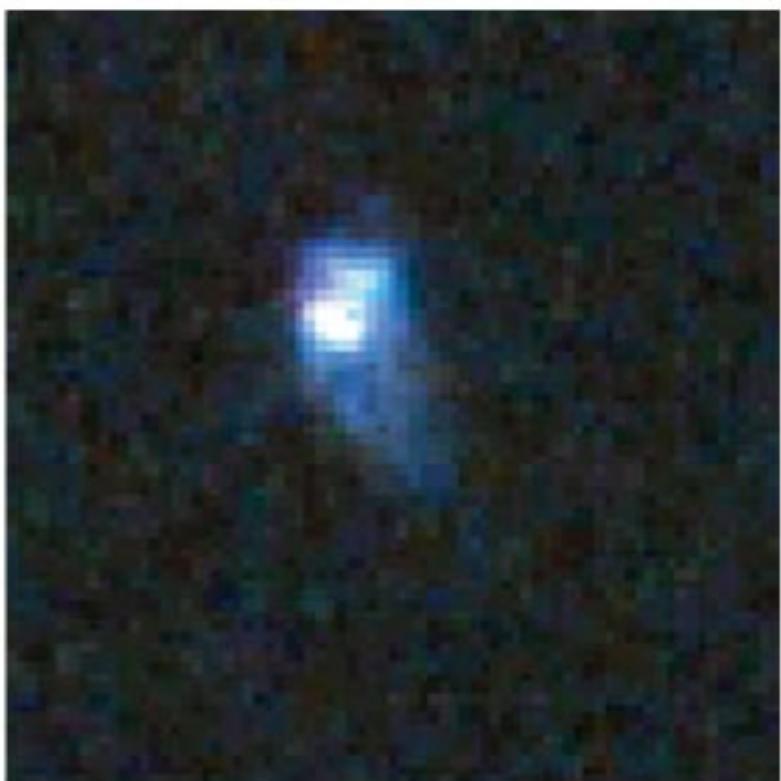


SN 2001V in NGC 3987

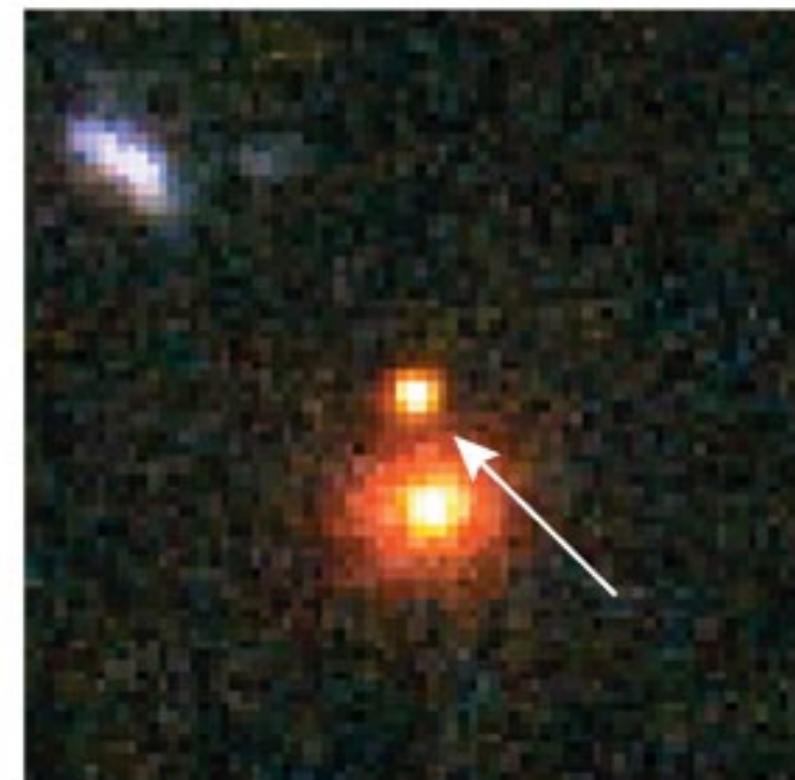
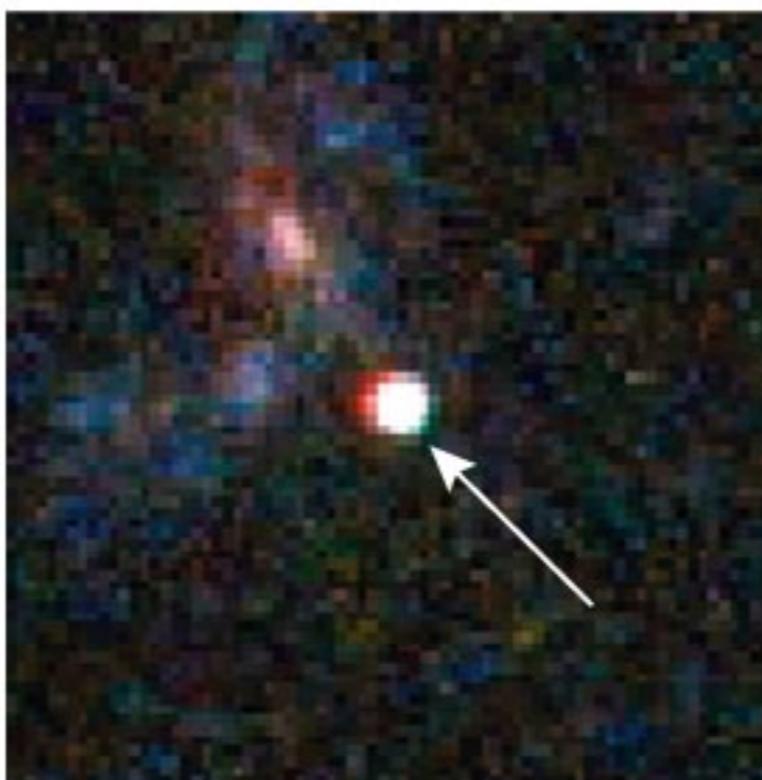
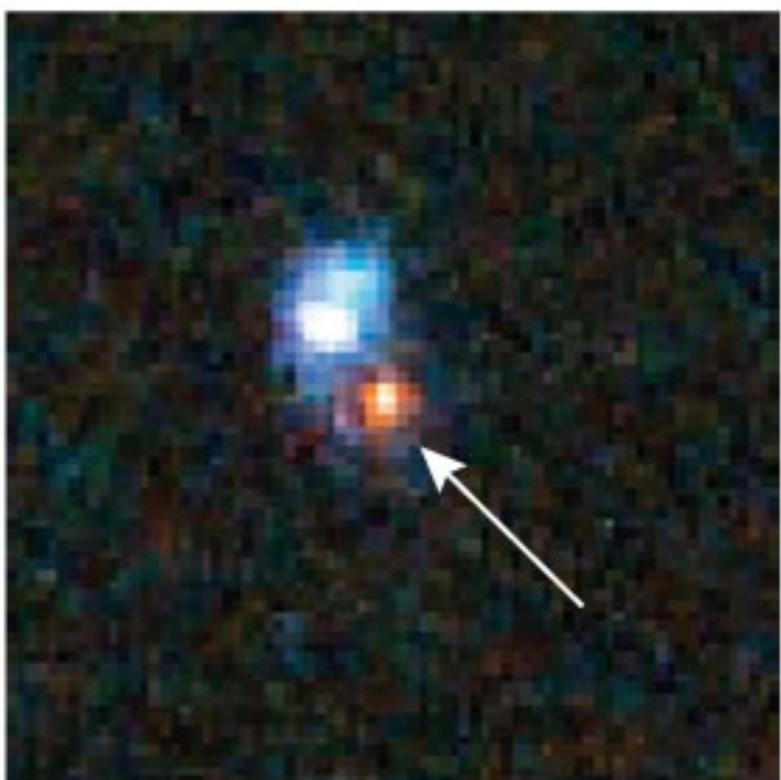
Finding Distant Supernovae



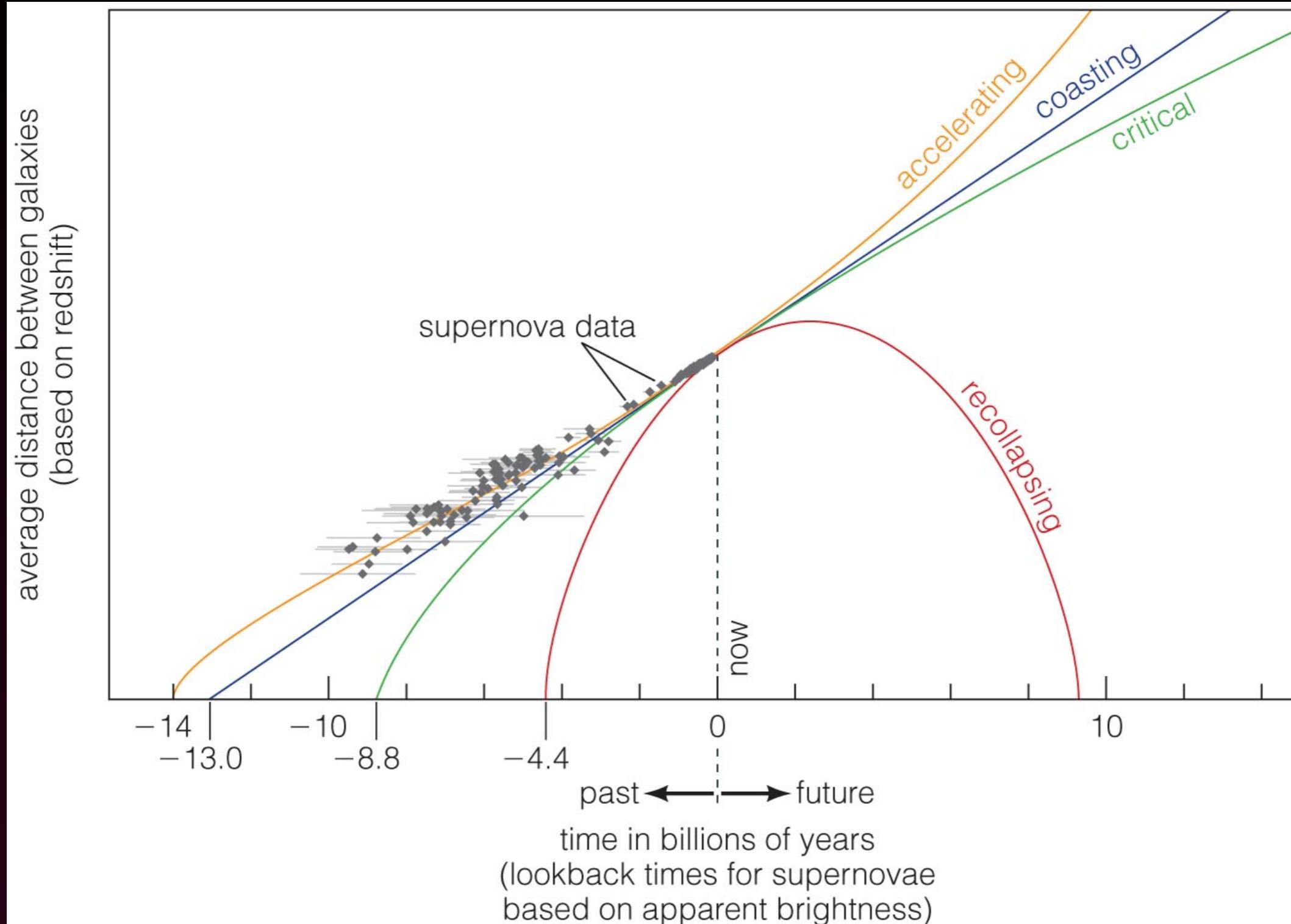
Distant galaxies before supernova explosions



The same galaxies after supernova explosions



History and Future of the Expansion



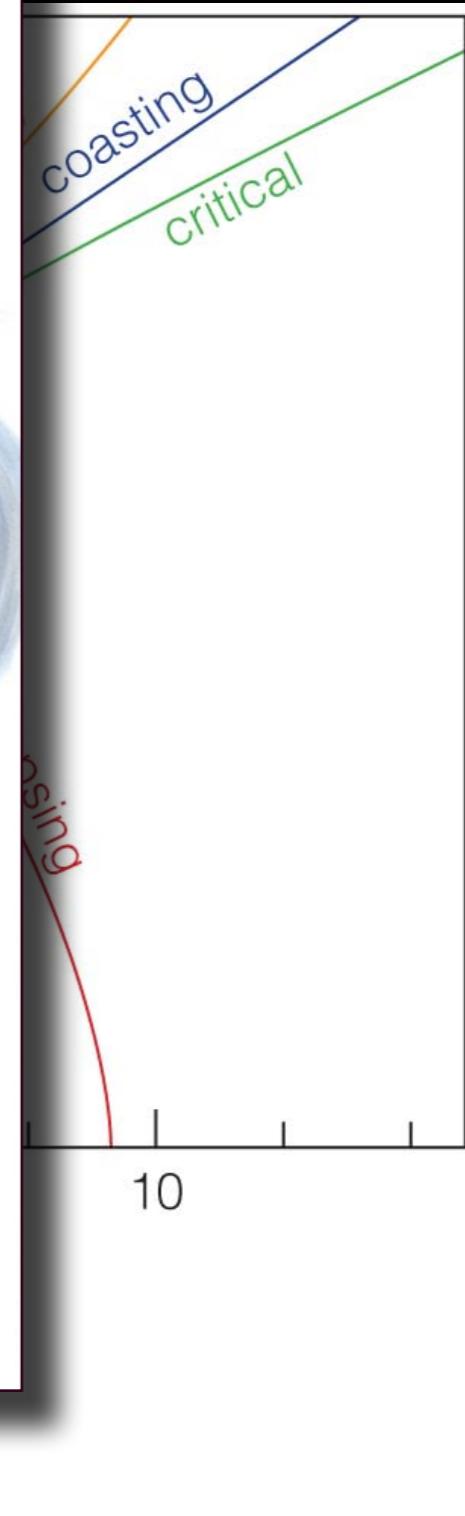
High-Z SN Search Team
Riess et al. (1998)

Supernova Cosmology Project
Perlmutter et al. (1999)

Histor



ansion



High-Z SN Search Team
Riess et al. (1998)

Supernova Cosmology Project
Perlmutter et al. (1999)

2011 Nobel Prize in Physics

Studies of Universe's Expansion Win Physics Nobel

from the New York Times



Adam Riess



Saul Perlmutter



Brian Schmidt

Johns Hopkins University; University Of California At Berkeley; Australian National University

From left, Adam Riess, Saul Perlmutter and Brian Schmidt shared the Nobel Prize in physics awarded Tuesday.

OBSERVATIONAL EVIDENCE FROM SUPERNOVAE FOR AN ACCELERATING UNIVERSE AND A COSMOLOGICAL CONSTANT

THE ASTRONOMICAL JOURNAL, 116:1009–1038, 1998 September

ADAM G. RIESS,¹ ALEXEI V. FILIPPENKO,¹ PETER CHALLIS,² ALEJANDRO CLOCCHIATTI,³ ALAN DIERCKS,⁴ PETER M. GARNAVICH,² RON L. GILLILAND,⁵ CRAIG J. HOGAN,⁴ SAURABH JHA,² ROBERT P. KIRSHNER,² B. LEIBUNDGUT,⁶ M. M. PHILLIPS,⁷ DAVID REISS,⁴ BRIAN P. SCHMIDT,^{8,9} ROBERT A. SCHOMMER,⁷ R. CHRIS SMITH,^{7,10} J. SPYROMILIO,⁶ CHRISTOPHER STUBBS,⁴ NICHOLAS B. SUNTZEFF,⁷ AND JOHN TONRY¹¹

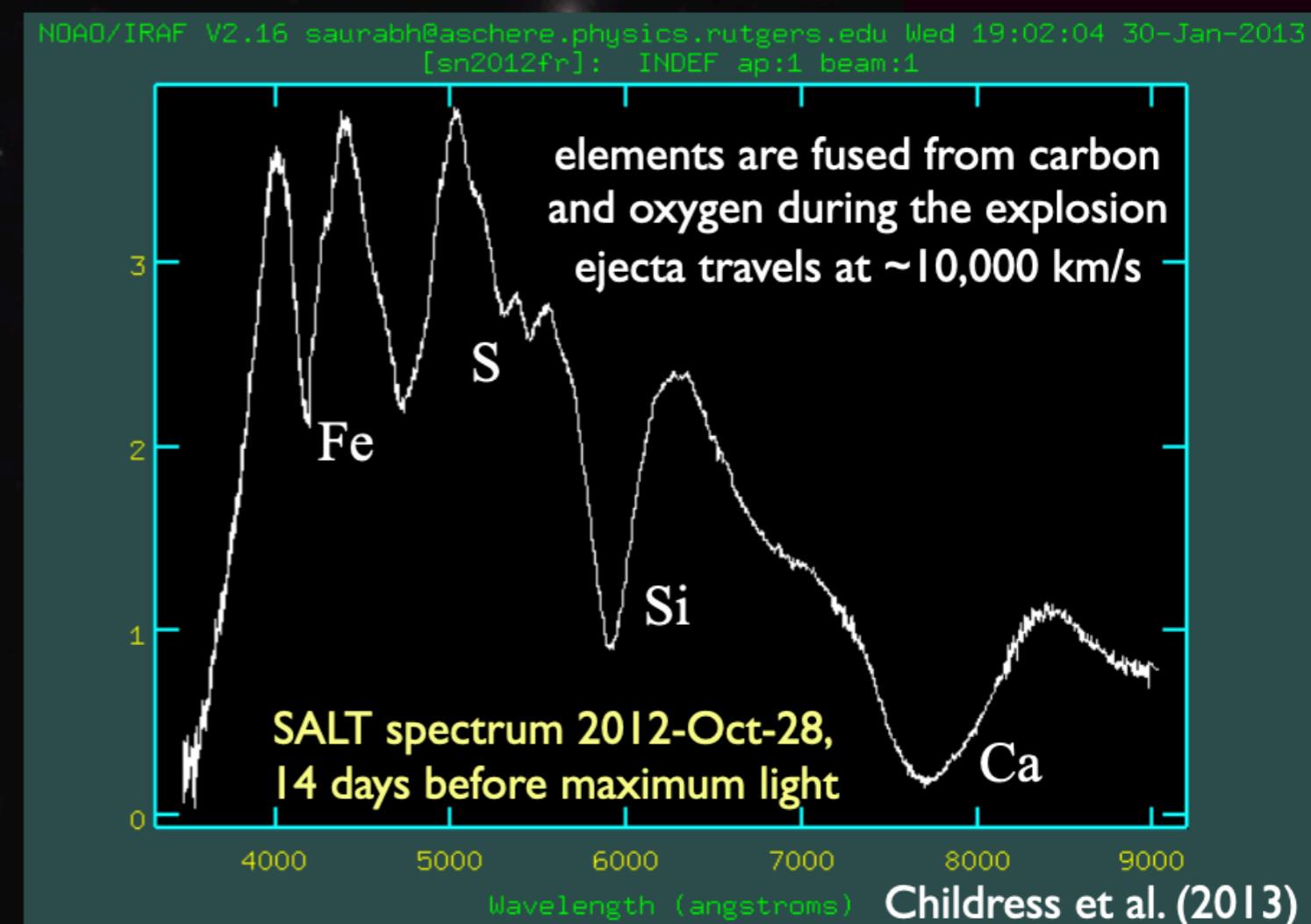
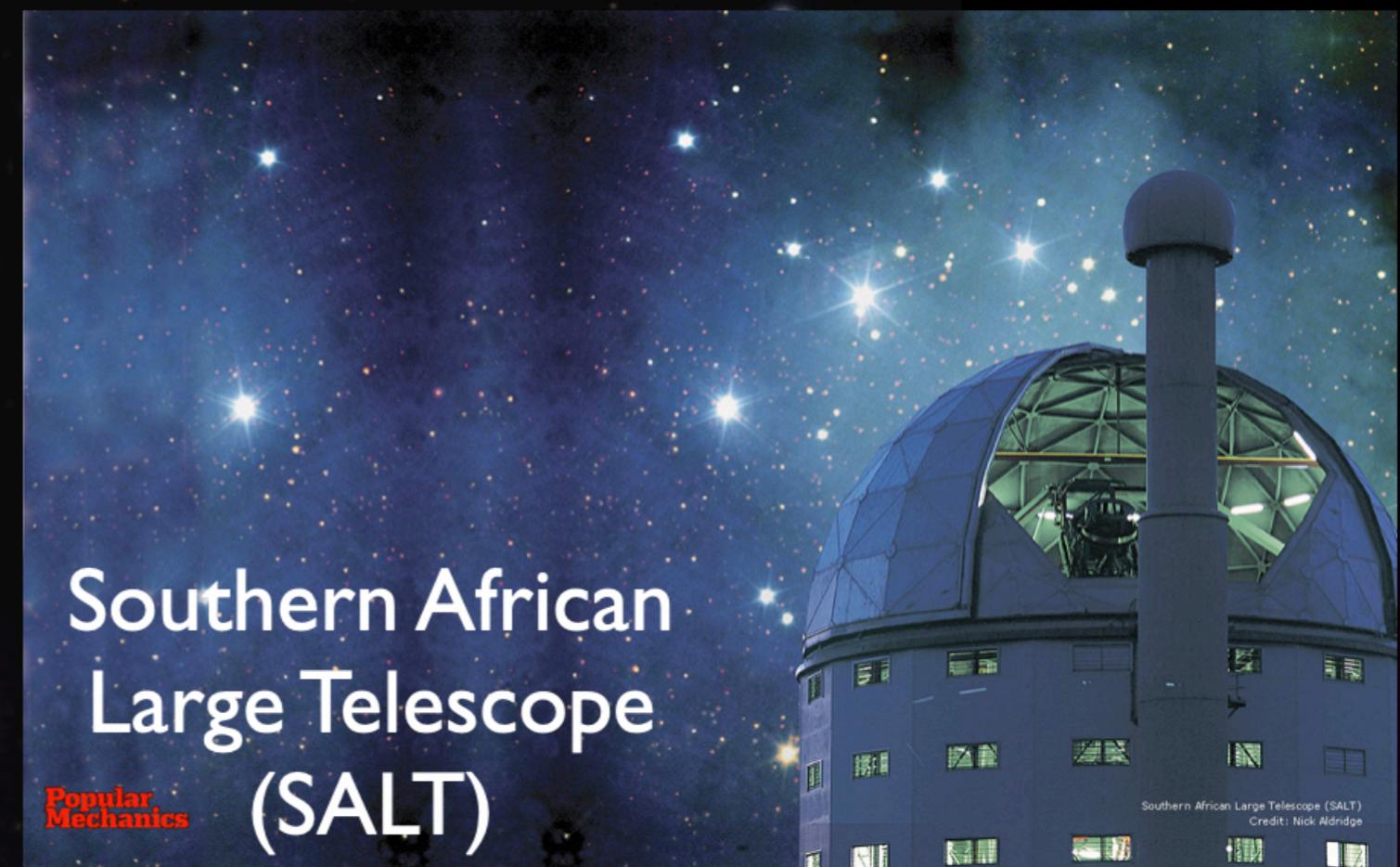
Received 1998 March 13; revised 1998 May 6

*“for the discovery
of the accelerating
expansion of the
Universe through
observations of
distant supernovae”*



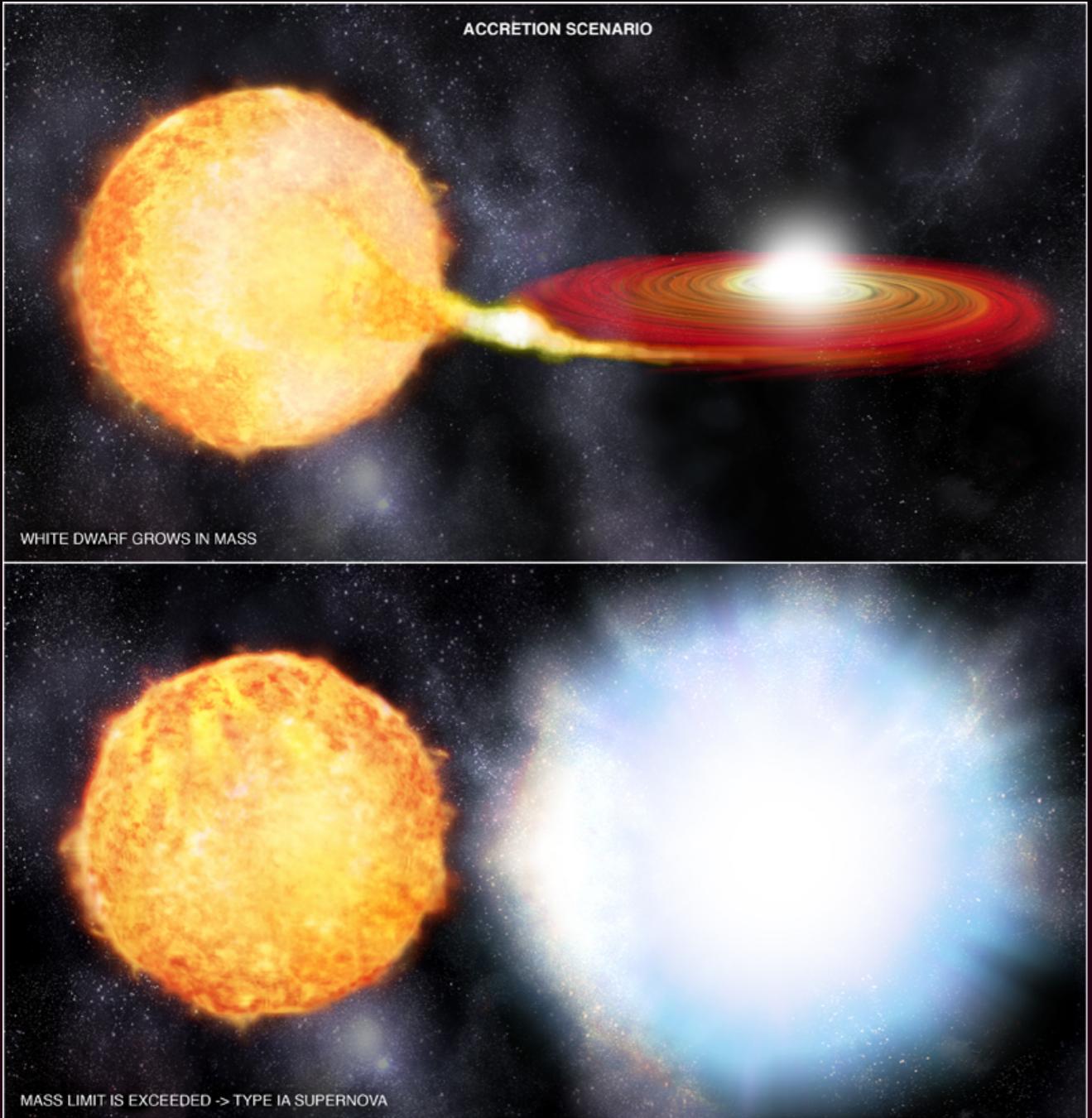
SALT observes Supernova 2012fr

<http://apod.nasa.gov/apod/ap121124.html>

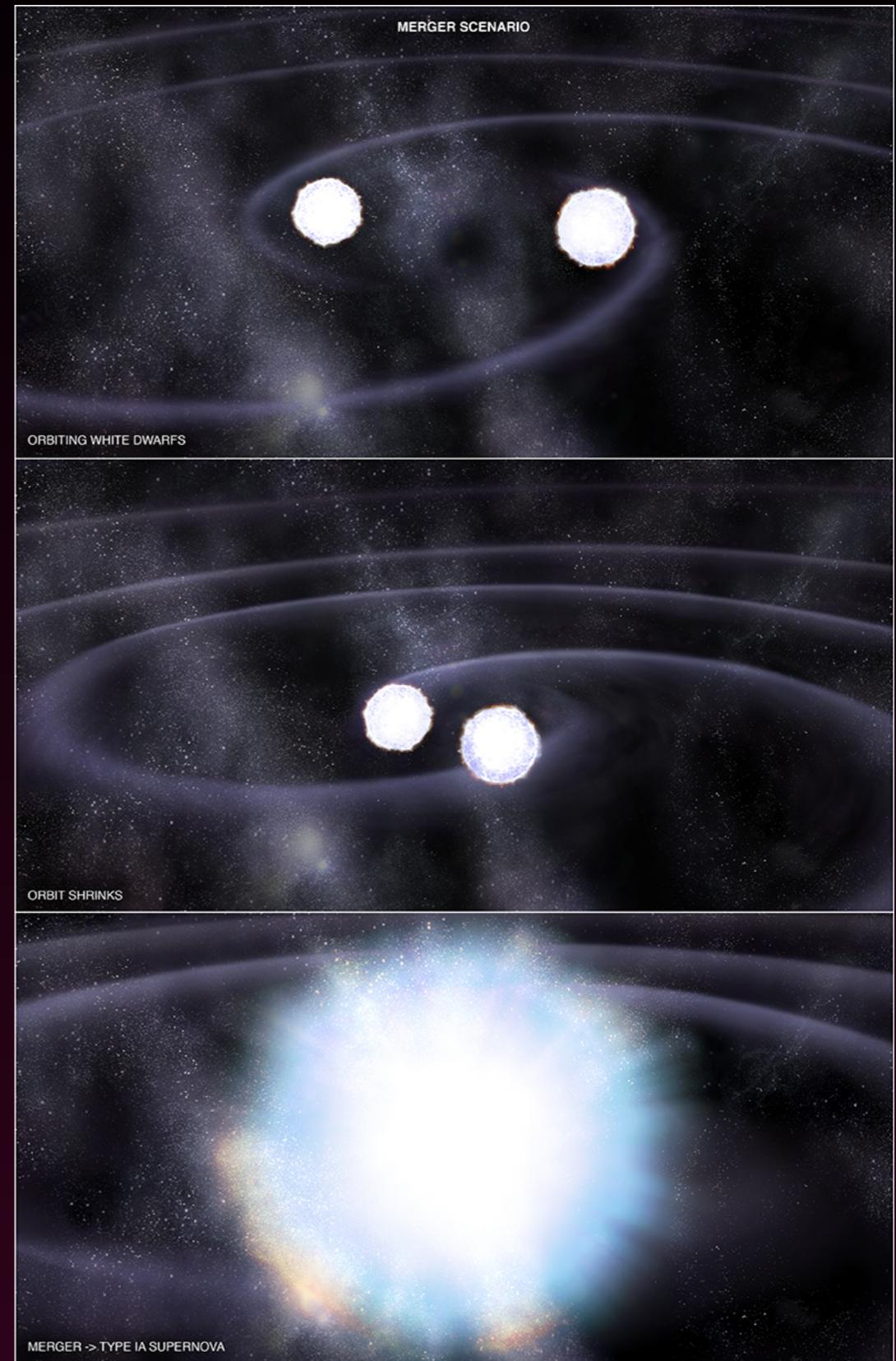


progenitors: single or double degenerate?

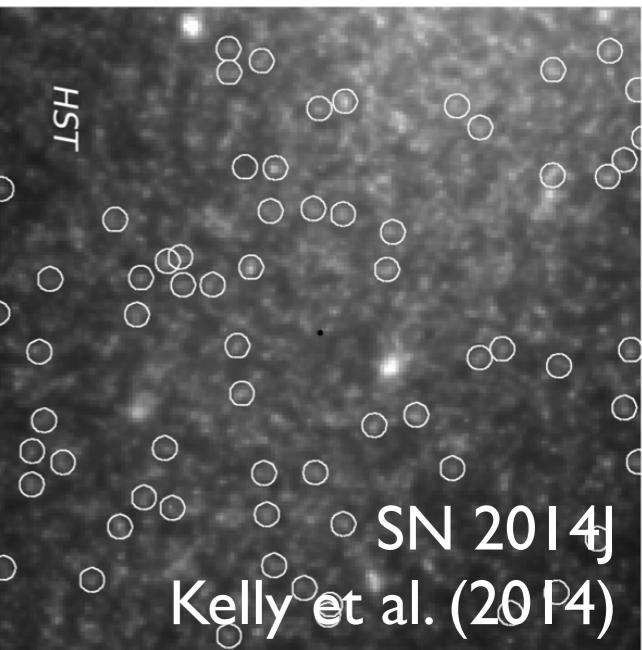
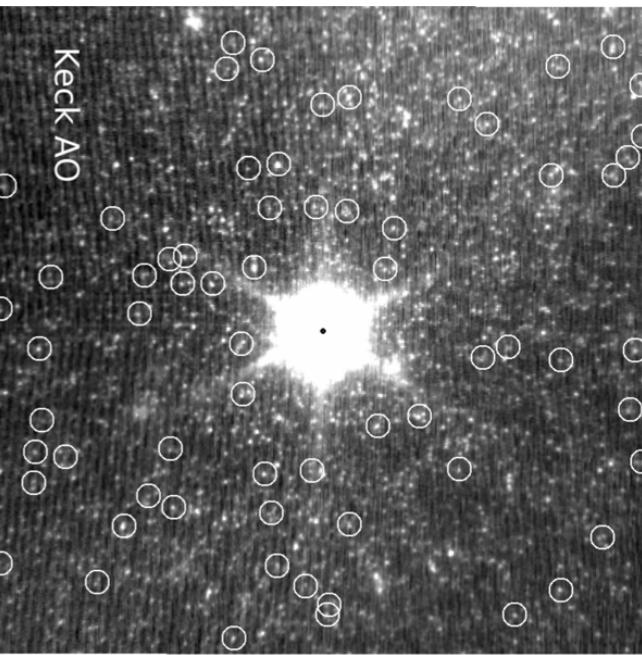
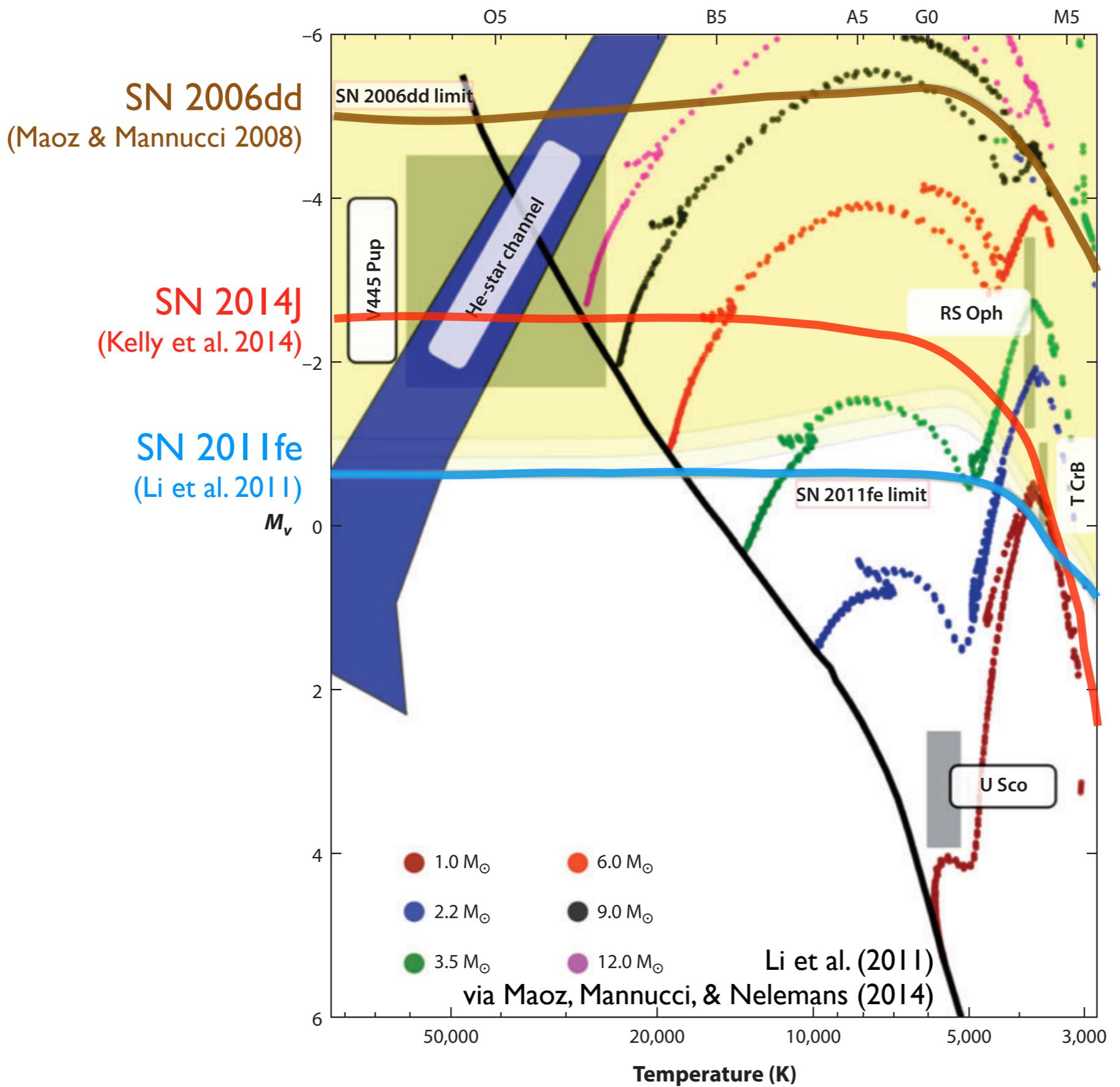
one white dwarf... or two?



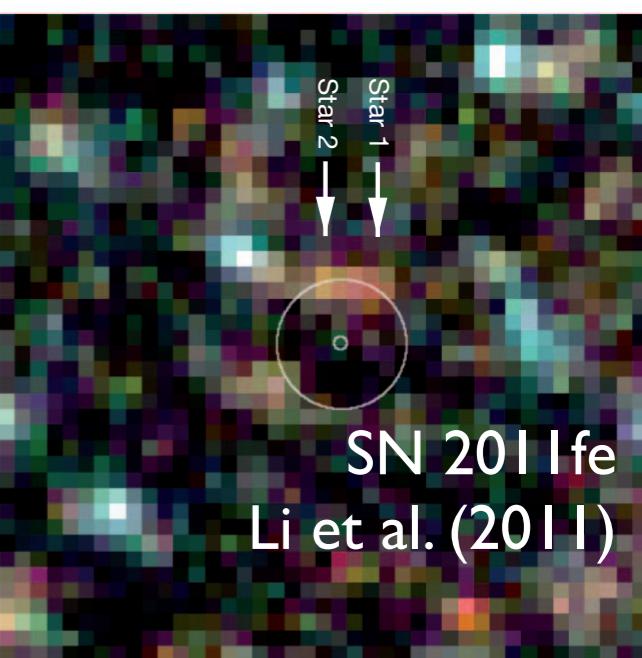
so far, no direct evidence found for companion
star in SD scenario for normal SN Ia



pre-explosion limits for normal SN Ia



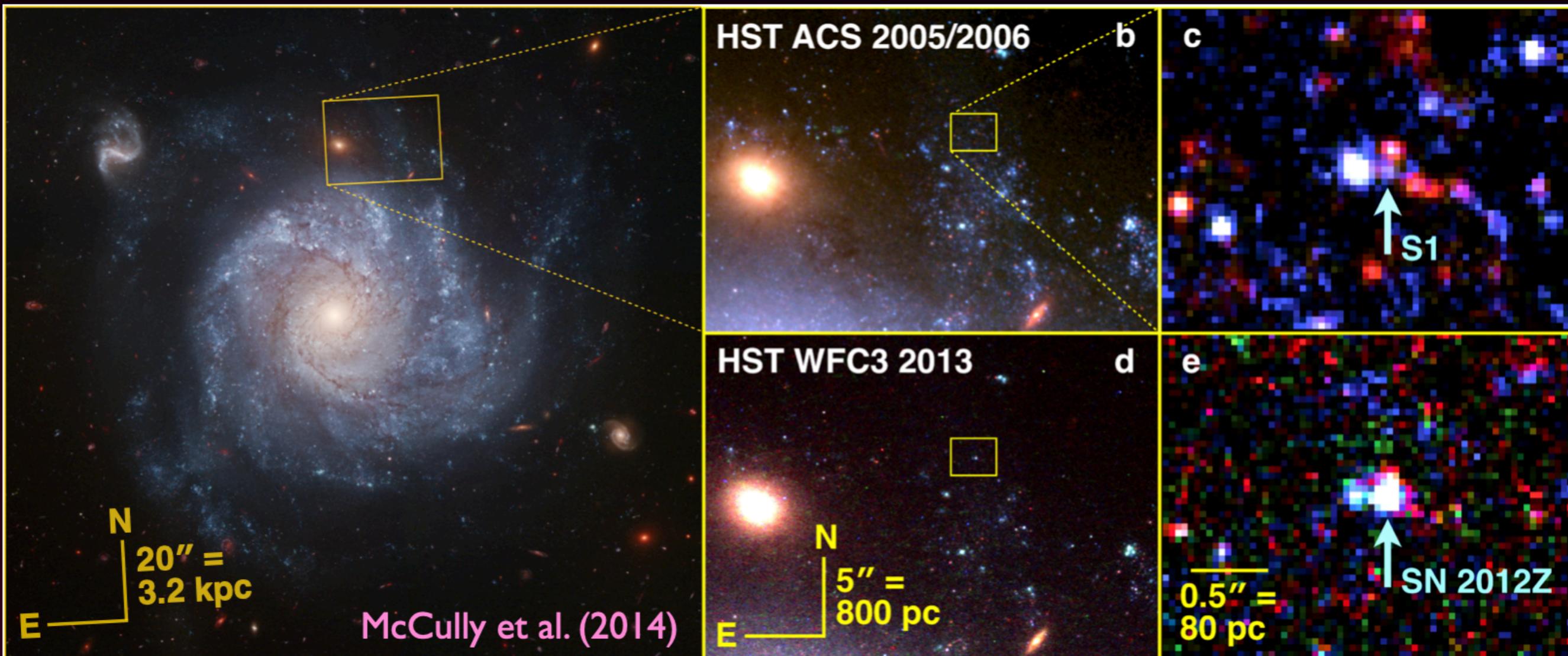
SN 2014J
Kelly et al. (2014)



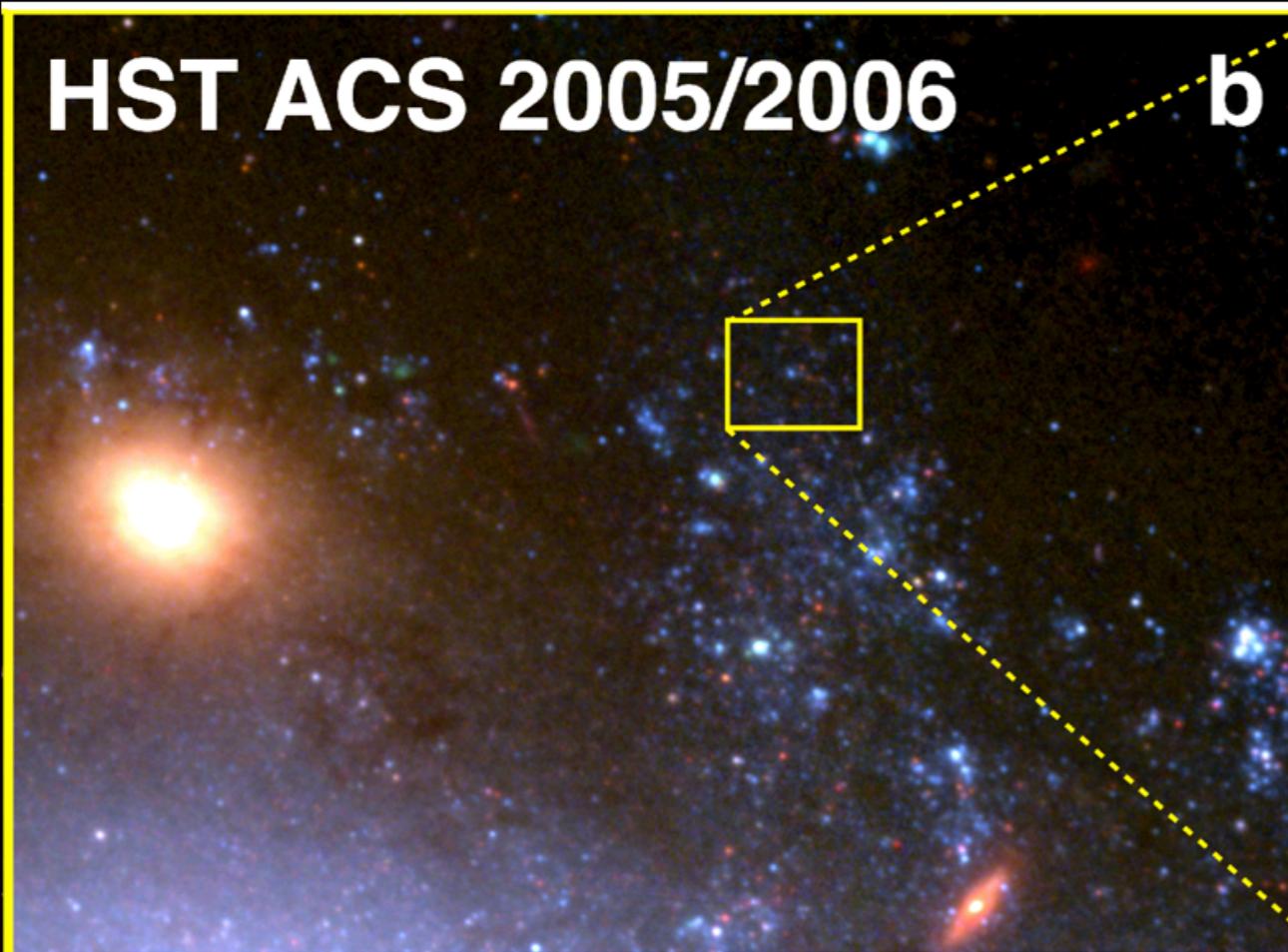
SN 2011fe
Li et al. (2011)

A luminous, blue progenitor system for the type Iax supernova 2012Z

Curtis McCully¹, Saurabh W. Jha¹, Ryan J. Foley^{2,3}, Lars Bildsten^{4,5}, Wen-fai Fong⁶, Robert P. Kirshner⁶, G. H. Marion^{6,7}, Adam G. Riess^{8,9} & Maximilian D. Stritzinger¹⁰

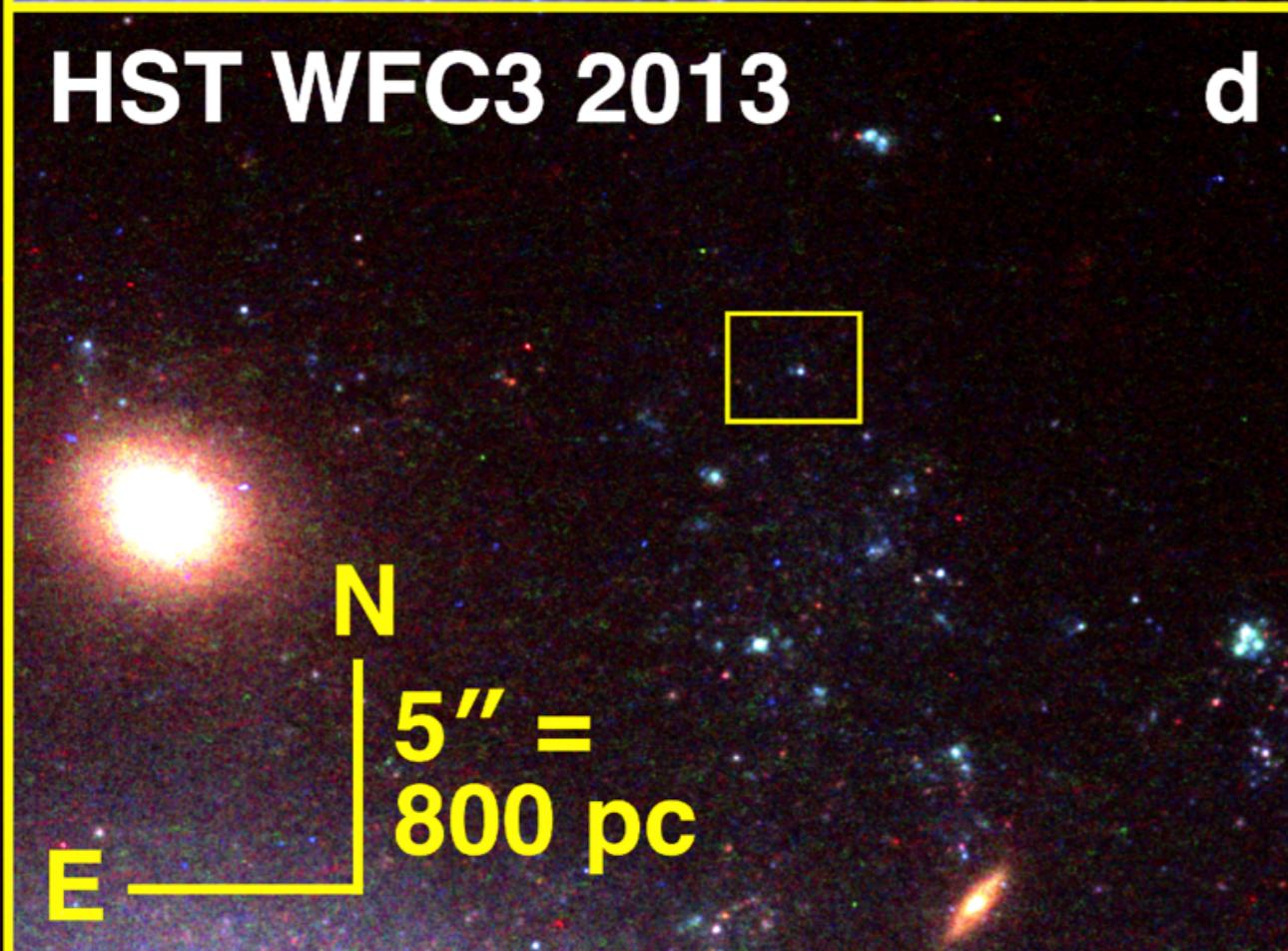


HST ACS 2005/2006



favored model: we are seeing a helium star companion to the white dwarf that exploded

HST WFC3 2013



d

e

$0.5'' = 80 \text{ pc}$



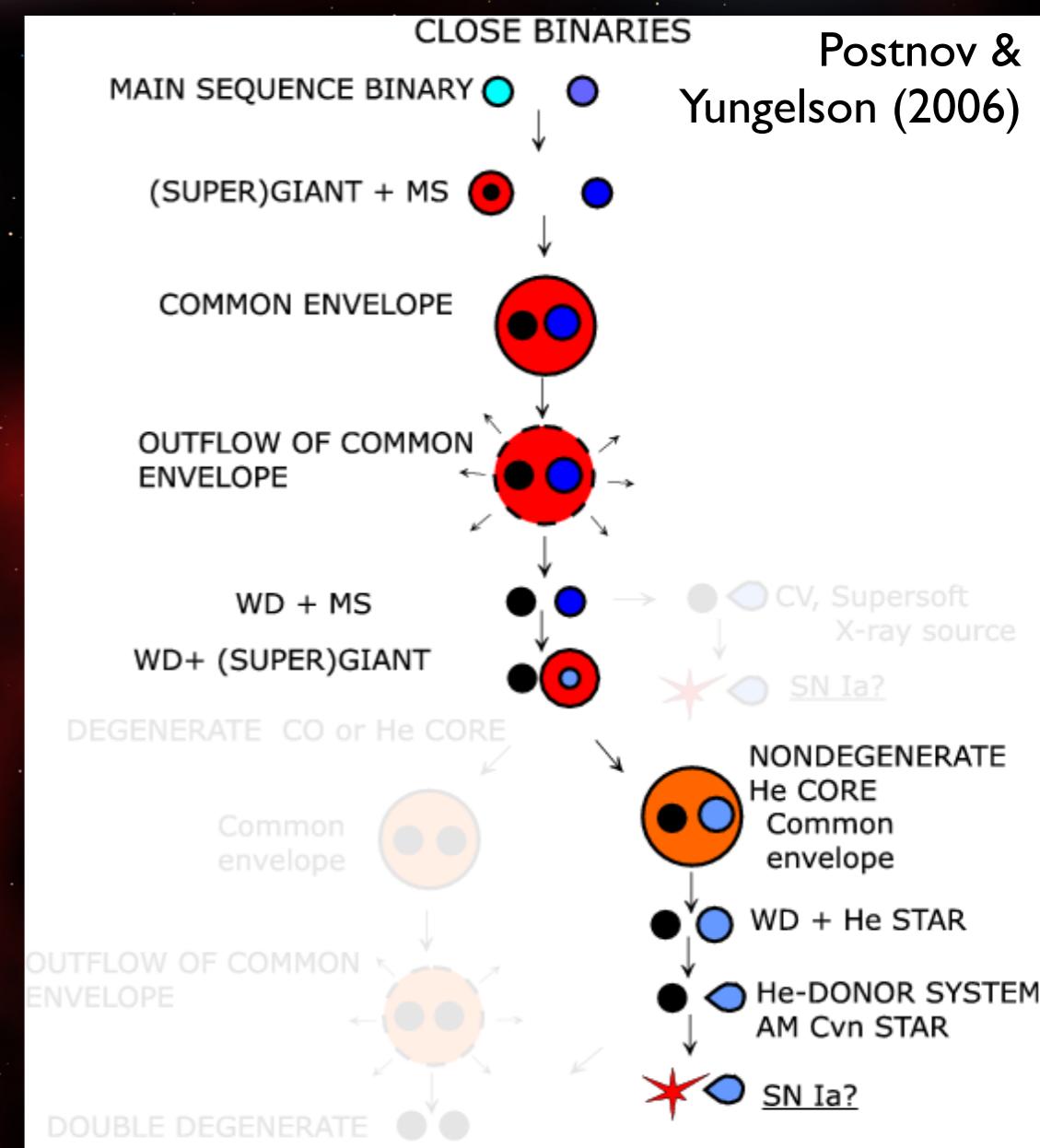
S1



SN 2012Z

C/O white dwarf + helium star model

- e.g., binary evolution model of Liu et al. (2010)
 7 M_{Sun} + 4 M_{Sun} close binary \rightarrow
 1 M_{Sun} C/O WD + 2 M_{Sun} He star



Hubble sees 'zombie star' lurking in space: What it is, why it matters

<http://www.latimes.com/science/sciencenow/la-sci-sn-nasa-hubble-zombie-star-20140806-story.html>



Supernova 2012Z in Spiral Galaxy NGC 1309
Hubble Space Telescope ■ ACS ■ WFC3