# ENPM661 - Homework 1

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February 21, 2017

#### 1

To solve this problem I wrote the following Matlab code because I'm bad at doing math by hand.

#### 1.a

```
M = [0 \ 0 \ 0 \ 1; \ 1 \ 1 \ 1 \ 1; \ 0 \ 0 \ 1 \ 0; \ 3 \ 2 \ 1 \ 0];
Hx = [2; \ 3.5; \ 1.2; \ 1];
Hy = [3; \ 9; \ 1; \ 2];
Hz = [8; \ 5; \ 2; \ 0.5];
Cx = M \setminus Hx;
Cy = M \setminus Hy;
Cz = M \setminus Hz;
s = 0.8;
Sx = polyval(Cx, s)
Sy = polyval(Cy, s)
Sz = polyval(Cz, s)
The value at s = 0.8 is (3.2544, 8.1520, 5.3120)
```

#### 1.b

$$x = g(s) = -0.8s^{3} + 1.1s^{2} + 1.2s + 2$$
  

$$y = f(s) = -9s^{3} + 14s^{2} + s + 3$$

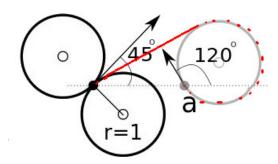


Figure 1: Shortest Dubins path from (0,0) to a

$$z = h(s) = 8.5s^3 + -13.5s^2 + 2s + 8$$

2

$$^Lp = ^L_AT \times ^A_BT \times ^C_BT^{-1} \times ^D_CT^{-1} \times ^D_ET \times ^E_FT \times ^W_FT^{-1} \times ^Wp$$

3

### **3.a**

Figure 1 shows the Dubins path to a.

### **3.**b

Figure 2 shows the Dubins path to b.

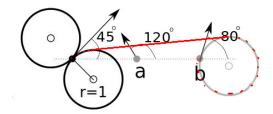


Figure 2: Shortest Dubins path from (0,0) to b

4

## **4.a**

Front
G
$\mathbf{F}$
D
$\mathbf{E}$
Back

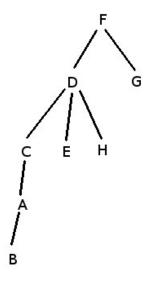
### **4.**b

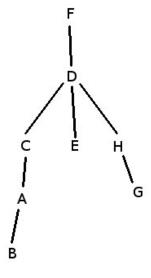
Front
$\overline{D}$
$\mathbf{F}$
В
A
Back

**5** 

### **5.a**

Node discover order with BFS: F, D, G, C, E, H, A, B. Figure 3a shows the resulting search tree.





- (a) Search graph with BFS
- (b) Search graph with DFS

Figure 3

# **5.**b

Node discover order with DFS: F, D, C, A, B, E, H, G. Figure 3b shows the resulting search tree.