## Advanced Systems Lab (Fall'15) – Second Milestone

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## Grading

Grading				
Section	Points			
1				
2				
3.1				
3.2				
4				
5				
Total				

## Notes on writing the report

The report does not need to be extensive but it must be concise, complete, and correct. Conciseness is important in terms of content and explanations, focusing on what has been done and explanations of the results. A long report is not necessarily a better report, especially if there are aspects of the design or the experiments that remain unexplained. Completeness implies that the report should give a comprehensive idea of what has been done by mentioning all key aspects of the modeling and analysis effort. You are allowed to modify the system designed in Milestone 1 (changes must be explained in the report) and you can run new experiments. If you have been told that something must be corrected in your system as a result of the evaluation of Milestone 1, please do so and indicate the corrections in the report. Limited analysis because of flaws in the system or lack of experimental data from milestone 1 are not valid arguments for an incomplete report. If bugs or lack of data prevent you from doing a correct analysis, the system must be debugged and new data collected.

Remember that this is a report about modeling and analyzing the system you have designed and built, using the experimental data you have collected. There is no unique way to do the report and you may choose to focus on different aspects of the system as long as you deliver a complete analysis of its behavior. Please do not contact us seeking confirmation and assurances about, e.g., whether the report is sufficient, your interpretation of the data, validation of concrete aspects of your model, or whether you have done enough experiments. Making those decisions is your job and part of what the course will evaluate.

The milestone is worth 300 points.

The report should be organized in sections as explained in the next pages, and each section should address at least the questions mentioned for each point. You might be called for a meeting in person to clarify aspects of the report or the system and to make a short presentation of the work done. By submitting the report, you confirm that you have done the work on your own, the data used comes from experiments your have done, you have written the report on your own, and you have not copied neither text nor data from other sources.

## Formatting guidelines

While you can use any text processor of your choice for writing the report, please conform to the following formatting rules:

- We expect you to submit a single PDF that has the same section structure as this template (if you use this file, you should remove this page with notes, and the short description provided by us at the beginning of sections).
- The main text should be in single-column format with 11pt font on A4 paper. In case you don't start with one of the files provided by us, for margins use 2.54 cm (1 inch) on all sides.

## 1 System as One Unit

# TODO: CLARIFY OPERATIONS VS REQUESTS (I.E.) 1 OPERATION = 5 REQUESTS, WHICH ONES? PLUS TELL THAT SLEEPTIME IS NEGLIBABLE IN IRTL PLOTS/CALCULATIONS

Length: 1-2 pages

Build an M/M/1 model of your entire system based on the stability trace that you had to run for the first milestone. Explain the characteristics and behavior of the model built, and compare it with the experimental data. Analyze the modeled and real-life behavior of the system (explain the similarities, the differences, and map them to aspects of the design or the experiments).

The following numbers have been measured in the stability experiment 2, which only was ran for 120 seconds, since it was clear that the system itself is stably performing. All numbers are measured in the middleware, since this is the end and start of a request in the black box, which surrounds the middlewares and the database. To account for warmup and cooldown phase the first and last 10 seconds were ignored, such we end up with a 100 seconds of valid data. There were 2 middlewares and 1 database with 40 concurrent connections. Strangly the numbers from the milestone 1 couldn't be reached again, there was a constant shift by  $\approx \frac{3}{5}$  over the whole data. So the bahaviour didn't change. The reason for this could be a higher network usage of the system or more distance between the individual machines hired. Because of the prizing and limited time budget I was not able to redo this experiment a third time.

Measured Data				
Throughput $X$	554.94  Req/sec			
Response Time $R$	216.5  ms/Req			
Queueing Time $I$	142.6  ms/Req			

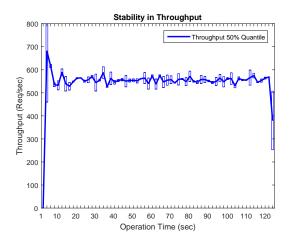
Calculated Data			
Arrival Rate $\lambda$	<i>X</i> *		
Service Time $S$	71.91  ms/Req		
Service Rate $\mu$	13.91  Req/sec		
Traffic Intensity $\rho$	39.91		

\*This holds, because the system built is a closed one. This is known, because every client first sends a request into the system and waits until an answer in form of a request comes back. Only then the client proceeds with it's job based on the meaning of the answer. If an answer is lost during transmission or execution the system will automatically take care of this and closes the socket connection to this client, such that it knows an error occurred and it has to reconnect if there are still messages not successfully sent yet. This guarantees that no messages are no false positives when logging the throughput.

Based on the following law:

System is stable 
$$\Leftrightarrow$$
 Traffic Intensity  $< 1$ , (1)

the system should be heavily unstable. But multiple factors show evidence that this is not the case. First we can have a look at the plots displayed in figures 1 and 2. It's clearly visible that the system is stable. Another factor worth considering in view of this problem is the standard deviation of the throughput and response time which are 20.122 Req/sec and 7.85 ms/Req respectively. These two values are identical to 3.626% (throughput) and 3.625% (response time) variation with respect to the corresponding overall mean value, which again indicate a very stable system.



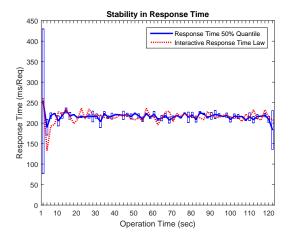


Figure 1: Throughput of the whole System

Figure 2: Response Time per Request

So how to explain then that the traffic intensity  $\rho = 39.91 > 1$ ? The answer lies in the choice of the model. Since the system that was built, internally has a lot of parallelism and works with threads that execute along each other, the simple M/M/1 model is not able to explain this complex structure and thus fails. The value of the traffic intensity is not random at all though. It is still somewhat connected to the inner structure of the system. Precisely I am talking about the number of database connections, which are constantly 40 during the whole experiment (20 per middleware). In practice this means that on the database, 40 concurrent threads were available which serve concurrently all queries sent from the middlewares. This would perfectly explain the traffic intensity, since when inserting these 40 concurrent threads into the equation:  $\rho = \frac{\lambda}{40\mu} = \frac{554.94 \text{ sec/Req}}{40*13.91 \text{ Red/sec}} = \frac{554.94 \text{ sec/Req}}{556.4 \text{ Red/sec}} = 0.9973 < 1$ . To be sure that all 40 threads on the database are really in use the whole time, we can see if there is queueing happening in the right part of the system. Each request has to go to the database somewhen. The connections are provided through a connection pool. If there are currently no connections available, the request has to wait. In figure 3 we can see that the queue length per middleware is on average of length 38.9, which makes visible that indeed the database is the bottleneck. These numbers do make sense, because we now can precisely say in which state all the requests are: 40 requests are processed on the database and 2\*38.9 = 77.8 are waiting for a database connection. Because there were exactly 120 clients online (each one having one open request in the system and the sleep time of  $\approx 0.003ms$  is negligable) we know that we are missing track of 120-40-77.8=2.2 requests on average. But this makes sense, because there have to be some requests on the way from the database back to the clients and some new ones coming from the clients which did not yet reach the database connection queue.

CONTINUE HERE, BY MERGING THE PLOTS AND THEN EXPLAIN THE MM95 PLOT. ALSO EXPLAIN WHY NO ERRORBARS, BECAUSE WORKED ALREADY WITH MEAN VALUES ONLY FOR EASIER USAGE IN MATLAB.

## 2 Analysis of System Based on Scalability Data

Length: 1-4 pages

Starting from the different configurations that you used in the first milestone, build queuing models of the system. Detail the characteristics of these series of models and compare them with experimental data. The goal is the analysis of the model and the real scalability of the system (explain the similarities, the differences, and map them to aspects of the design or the experiments).

The scalability of a system has two aspects: it describes the capability of the system to handle

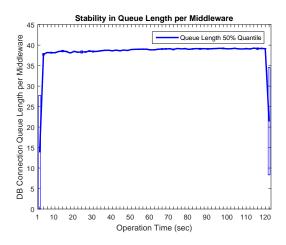
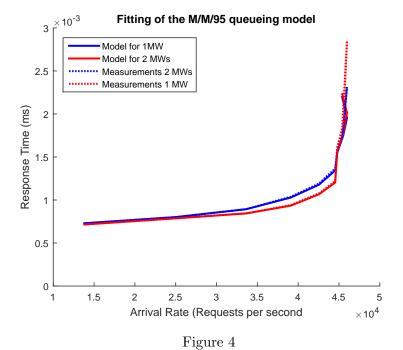


Figure 3: Queue length in front of DB Connection pool



an increasing number of requests, but also the possibility of boosting the system performance by adding more modules. It's thus important to include both factors into the analysis. This is done by varying the number of clients as well as the number of middlewares. The number of clients ranged from 10 to 120 in steps of 10, whereas the number of middlewares were chosen to be either one or two. The reason for the client and middleware numbers are both based on benchmarks done in milestone 1. In short it holds that the database is the bottleneck and is saturated by already 60 clients in total operating on one middleware. To get the full picture, the range of possible values was enlarged. In case of two middlewares, the clients as well as the totally 40 database connections were evenly split among both. Let's analyse the first configuration with one middleware, all possible number of clients (evenly split among two client machines) and one database providing 40 concurrent connections.

Also based on benchmarks evaluated in milestone one, we can assume that the database is the bottleneck in this configuration. As in the book of Raj Jain is written, an M/M/m queue is used to model a multi-server system where jobs for these servers are kept in one queue. In our case, the servers are equal to the threads on the database and the single queue is found as the waiting queue for a database connection on the middleware. It thus make sense to apply an M/M/40 queueing model, because as said, the database provides 40 concurrent connections, and thus, internally runs 40 threads.

	Model Parameters		Computed and Measured Var		
<sup>2</sup> Clients	$\lambda \text{ (Req/sec)}$	$\mu \text{ (Req/sec)}$	ρ	$\varrho^{*_1}(\%)$	Queue Leng
10	2481.5	366.15	0.1694	$2.5783*10^{-13}$	0.19
20	4773.5	341.82	0.3491	1.15	0.40
20	70155	990.49	0.5105	F1 CC	0.00

M/M/40 Model on Scalability Data for 1 Middleware

	Model Parameters		Computed and Measured Variables		
#Clients	$\lambda \text{ (Req/sec)}$	$\mu \text{ (Req/sec)}$	ρ	$\varrho^{*_1}(\%)$	Queue Length*2
10	2481.5	366.15	0.1694	$2.5783 * 10^{-13}$	0.19
20	4773.5	341.82	0.3491	1.15	0.40
30	7015.5	339.42	0.5167	51.66	0.68
40	9311.5	332.88	0.6993	69.93	0.90
50	10346.5	303.02	0.8536	85.36	1.36
60	12302	317.06	0.9700	97.00	5.79
70	13152	329.90	0.9967	99.67	21.31
80	13005.5	326.25	0.9966	99.66	40.83
90	12321	308.14	0.9996	99.96	61.68
100	13383	335.71	0.9966	99.66	77.74
110	13013.5	326.28	0.9971	99.71	99.13
120	12642.5	316.59	0.9983	99.83	119.10

<sup>\*1:</sup> Probability of Queueing \*2: Average per Request

The first improvement of this model with respect to the simple M/M/1 model visible is the much better fit of the traffic intensity  $\rho$ . Indeed, the model does now also yield a stable system and thus is closer to reality. The model gives also reasonable insights into the probability of queueing happening. When we have values of the measured queue length which are < 1, it means that more requests had an empty queue than requests which had another request actually waiting infront of them already.

#### 3 Modeling Components as Independent Units

Length: 1-5 pages

In this section you will build M/M/m models of the middleware and the database and explain the characteristics of both. As before, compare them with relevant experimental data and analyse the similarities and differences between models and real behaviour, and link these to specific design decisions in your system.

#### 3.1 Middleware

As already explained in the first Milestone, the middleware was built with maximal adaptivity to the current situation in mind. This means that a middleware is able to dynamically allocate resources on demand when either more clients join the system, or in general more requests are generated. To realize this feature, a cached thread pool of the ExecutorService class has been instantiated to deal with the distribution of requests to threads. The magic behind this class is that it automatically creates and runs threads for each new job, in our case requests, entering the middleware. As shown in the benchmarks for the middleware, this setup allows a very high throughput of around 45'000 requests per second. Since the behaviour of the cached thread pool is not fully clear, because one just can't look into its source code, it's necessary to first understand the relationship between the two factors '#Clients' and '#Threads'. The number of requests is here not important, because it's not about the throughput (i.e. requests per second), but about the number of requests currently in the system, which is directly correlated to the number of clients.

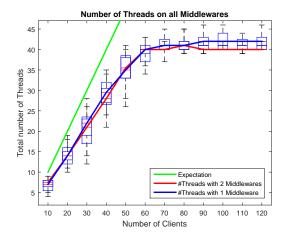
Configuration: This analysis was done on the scalability data. There were one or two middlewares, one database with 40 concurrent connections and two client machines online which provided system access for clients. If two middlewares were online, the clients and database connections were evenly split among both. The clients sent as much as they could, following the load configuration mentioned in milestone 1. Each message had a content of length 200. The number of threads was measured by looping through all available threads and counting those which were in the state *RUNNABLE*.

Expectation: The middleware structure is based on a two-step approach: Whenever a new requests enters the middleware, a new thread gets launched which handles the reading, deserialization and database access. When this is completed, this thread shuts down and fires up a second thread that handles the serialization of the answer and sends it back to the corresponding client. So in average there is one thread online per request. Thus we can expect that the equation '#Requests in middleware or database' = '#Request not in clients' = '#Threads' should hold. But in section 1 we already saw that only a very small minority of requests is not found in the database or the middleware. With this reasoning we can expect the following behaviour for n clients:  $\#Threads = n - \epsilon$ , for  $\epsilon > 0$  and small.

Reality (figure 5): It's obvious that the mismatch between the measured number of threads and the expectation is serious. What went wrong? The whole analysis was based on the idea of having one thread per request in the middleware or database. But one thing I forgot was the ability of threads to get reused. For example when a request waits for a database connection, its corresponding thread can meanwhile be reused by another request for e.g. deserialization. It therefore holds that '#Requests in middleware or database' = '#Request not in clients'  $\neq$  '#Threads'. We still want to correlated the number of clients to the load of the middleware. Although the equation chain does not hold, we still can use its first part, namely '#Requests in middleware or database' =  $n - \epsilon$  = '#Clients'  $- \epsilon$ , for  $\epsilon > 0$  and small. By simply counting these requests which currently are processed by either the middleware or the database we end up with a much better fit onto the expectation (figure 6). We indeed can see that the relation is linear and fulfills the expected bahaviour of  $n \approx$  '#Requests in middleware or database'.

The figure 6 does verify our assumption of having a linear load-dependent middleware behaviour. This is a problem for modelling, because fitting a single model won't be easy. So let's tackle this problem step by step. First, let's see if there is a model fitting onto every point of the middleware baseline, and in a second step, I try to unite these models into a single one. The first step is done, such that I get more insights into which models fit certain regions of the middleware behaviour and allow easier designing of the single M/M/m model. I quickly repeat the conditions of the middleware baseline:

Configuration: The middleware was as isolated as possible, i.e. no database access was made. Two client machines were flooding either one or two middlewares with messages with content



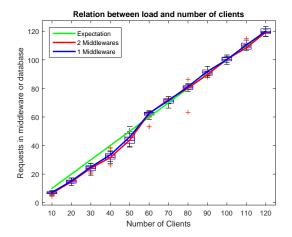


Figure 5: Number of Threads over all middlewares under different configurations

Figure 6: Refined load estimation on the middleware

length 200. As service time, only the time within the middleware was measured. To apply an M/M/m model, the throughput and service time of the corresponding experiment data were taken. To get an idea of how well different models fit onto the data I did the following: For every point i.e. throughput and response time for n clients, all M/M/m models with m going from 1 to 110 were applied. Because the system was stable in all phases of the experiment, the traffic intensity allows to see how well a model does fit.

Expectation: As seen in figure 6, the load seems to relate linearly to the number of clients, so I have no reason the expect anything else of the models.

Reality (figure 7): It's clearly visible that the linear trend could be verified also when applying the models. Since the system was stable, but still trying to get as much throughput as possible, a traffic intensity of just below 1 is expectable. The plot was generated with this assumption in mind. This leads to the basic formula of  $|(\rho - 1)|^{-1}$ , which models the closeness to 1. To have a visually more appealing plot, the final formula reads as  $\log(|(\rho - 1)|^{-1} + 4)$ . Additionally to the linear relationship, it's noticeable, that models with higher m's tend to fit more parts of the whole data. This insight is used for the second step, when trying to fit a single model onto the data.

#### 3.2 Database

## 4 System as Network of Queues

Length: 1-4 pages

Based on the outcome of the different modeling efforts from the previous sections, build a comprehensive network of queues model for the whole system. Compare it with experimental data and use the methods discussed in the lecture and the book to provide an in-depth analysis of the behavior. This includes the identification and analysis of bottlenecks in your system.

### 5 Interactive Law Verification

Length: 1-2 pages

Check the validity of all experiments from milestone 1 using the interactive law. Analyze the results and explain them in detail.

mw baseline: with 1 cm interactive law does not fit the line, because with that setup the system was not closed? the client was not able to bring enough requests, and started to block

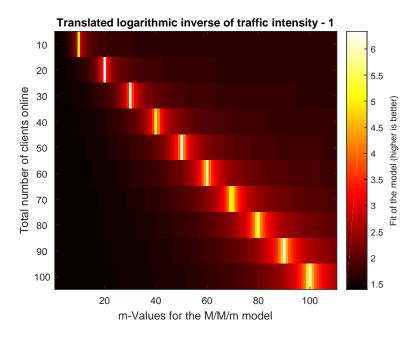


Figure 7: Overview of how well the M/M/[1-110] models fit onto the middleware data with respect to a traffic intensity of < 1, but still as close as possible to 1.

itself. thats way less throughput was registered and higher response times are expected, but not measured, because the middleware was not at it's limits yet.

stability: discrepancy at the beginning due to the high think time used to setup clients.

2k verification:

zk vermeauor	1.			
TP(Req/s)	RT(ms)	IRL(ms)	Abs. Difference(ms)	Percentual Difference(%)
12427	5.12	4.83	0.29	5.66
14707	3.87	4.08	0.21	5.43
11859	4.84	5.06	0.22	4.55
16133	3.66	3.72	0.06	1.64
12413	9.98	9.67	0.31	3.11
18233	7.07	6.58	0.49	6.93
13238	9.14	9.06	0.08	0.88
16428	6.97	7.30	0.33	4.73
13488	4.69	4.45	0.24	5.12
15954	3.87	3.76	0.11	2.84
12289	4.94	4.88	0.06	1.21
15855	4.19	3.78	0.41	9.76
13017	9.16	9.22	0.06	0.66
17701	6.57	6.78	0.21	3.20
13054	9.31	9.19	0.12	1.29
17619	6.73	6.81	0.08	1.19
			avg: 0.21	avg: 3.64

## Appendix: Repeated Experiments

Length: up to 5 pages but only needed if you repeated experiments.

This is the place to show any repeated or additional experiments that you ran since milestone 1, for the reasons outlined in the description. If your previous submission had all necessary experiments for this milestone, remove the Appendix.

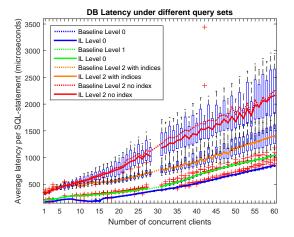


Figure 8: IL on DB Baseline

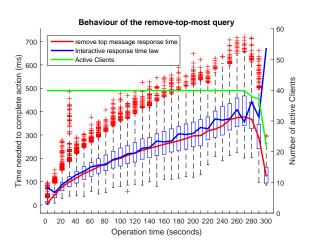


Figure 9: IL on DB Data Baseline

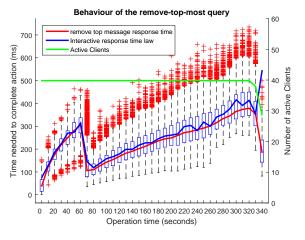


Figure 10: IL on DB Data Baseline with 3rd Index

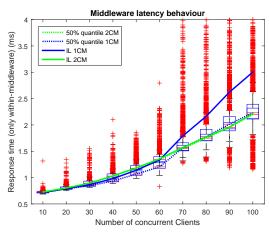


Figure 11: IL on MW Baseline

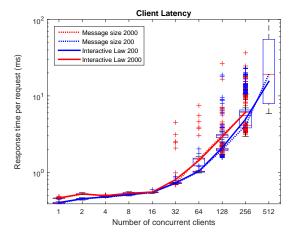


Figure 12: IL on Client Baseline

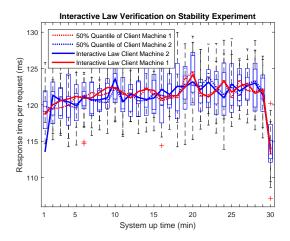


Figure 13: IL on Stability

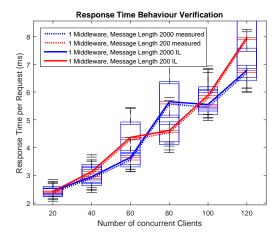


Figure 14: IL on Client Baseline

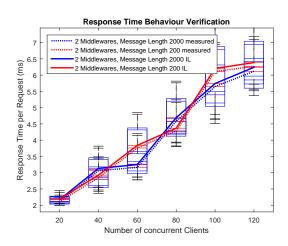


Figure 15: IL on Stability

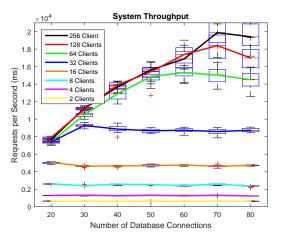


Figure 16

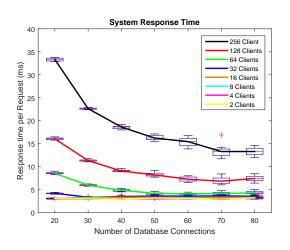


Figure 17

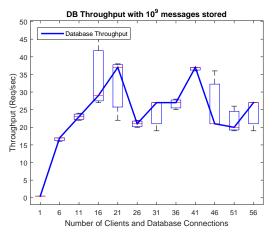


Figure 18

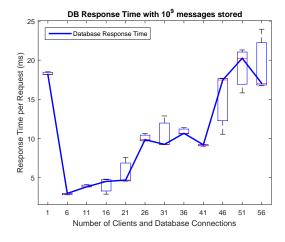


Figure 19

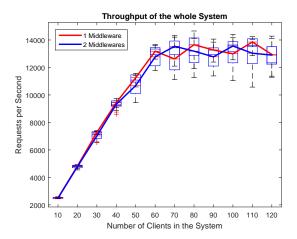


Figure 20: scalability

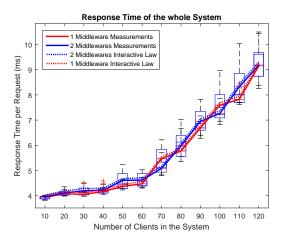


Figure 21: scalability