Programming and Algorithms

COMP1038.PGA
Session 17 & 18:
Stack, Queue and Other data structures

Overview

- Stack
 - Introduction
 - Creation
 - Push operation
 - Pop operation
 - Application
- Queue
 - Introduction
 - Creation
 - Enqueue
 - Dequeue
 - Application
- Tree
- Graph

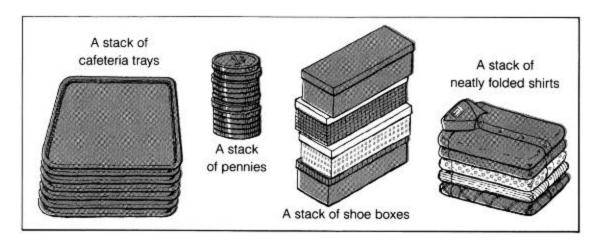


Stack



Stack: Introduction

- It is an ordered group of homogeneous items of elements.
- Elements are added to and removed from the top of the stack (the most recently added items are at the top of the stack).
- The last element to be added is the first to be removed (LIFO: Last in, First Out).



Stack: basic operations

- Basic Stack Operations:
 - Initialize the Stack
 - Pop an item off the top of the stack (delete an item)
 - Push an item onto the top of the stack (insert an item)
 - Is the stack empty?
 - Is the stack full?
 - Determine the stack size.



Stack: creation

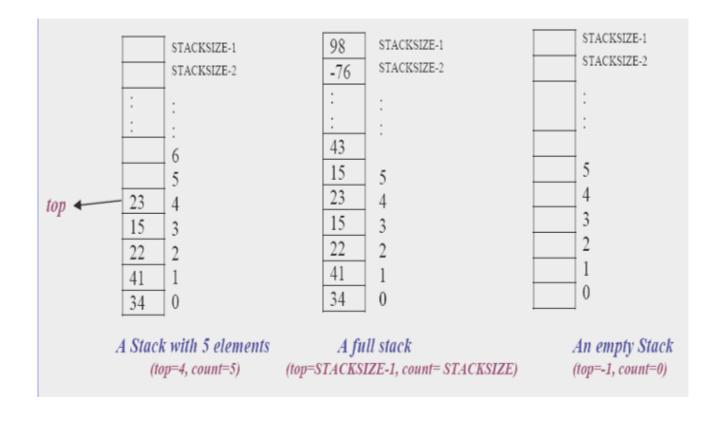
- The stacks can be created by the use of Arrays or Linked lists.
 - One way to create stack is to have a data structure where a variable called top keeps the location of the elements in the stack (array)
 - An array is used to store the elements in the stack



Stack: creation using Array

```
struct Stack
  unsigned capacity; // keeps the number of elements in the stack.
  int top; //indicates the location of the top of the stack
  int *array; //pointer to the array to store the stack elements
};
struct Stack* createStack(unsigned capacity)
  struct Stack* stack = (struct Stack*)malloc(sizeof(struct Stack));
  stack->capacity = capacity;
  stack->top = -1;
  stack->array = (int*)malloc(stack->capacity * sizeof(int));
  return stack;
```

Stack: creation using Array cont...



Stack: isFull or isEmpty

```
// Stack is full when top is equal to the last index
int isFull(struct Stack* stack)
  return stack->top == stack->capacity - 1;
// Stack is empty when top is equal to -1
int isEmpty(struct Stack* stack)
  return stack->top == -1;
```

Stack: Push operation

Push an item onto the top of the stack (insert an item)

	STACKSIZE-1
	STACKSIZE-2
:	7:
•] :
	6
	5
23	4
15	3
22	2
41	1
34	0

Before PUSH (top=4, count=5)

	STACKSIZE-1
	STACKSIZE-2
:	1:
:	1 :
15	5
23	5 4
15	3
22	2
41	1
34	0

After PUSH (top=5, count=6)



Stack: Push operation

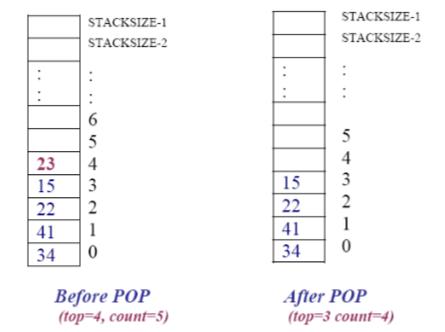
- Function: Adds new item to the top of the stack
- Precondition: stack has been initialized and is not full.
- Postcondition: new item is at the top of the stack

Stack: push operation

```
// Function to add an item to stack. It increases top by 1
void push(struct Stack* stack, int item)
  if (isFull(stack))
    return;
  stack->array[++stack->top] = item;
  printf("%d pushed to stack\n", item);
```

Stack: pop operation

Pop an item off the top of the stack (delete an item)



Stack: pop operation cont..

- Function: Removes top item from stack and returns with top item.
- Preconditions: Stack has been initialized and is not empty.
- Postconditions: Top element has been removed from stack and the function returns with the top element.

Stack: pop operation cont...

```
// Function to remove an item from stack. It decreases top by 1
int pop(struct Stack* stack)
{
  if (isEmpty(stack))
    return -1;
  return stack->array[stack->top--];
}
```

Stack: creation using Linked list

```
struct StackNode {
                               stackPtr
  int data;
  struct StackNode* next;
};
struct StackNode* newNode(int data)
  struct StackNode* stackNode = (struct
StackNode*)malloc(sizeof(struct StackNode));
  stackNode->data = data;
  stackNode->next = NULL;
  return stackNode;
```

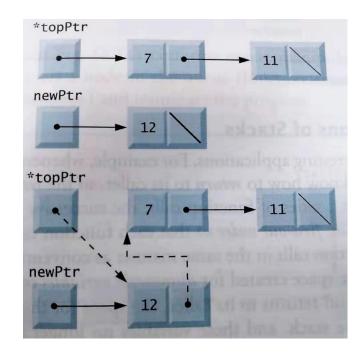


Stack: isEmpty

```
int isEmpty(struct StackNode* topPtr)
 return!topPtr;
```

Stack: push operation

```
void push(struct StackNode** topPtr, int data)
{
   struct StackNode* newPtr = newNode(data);
   newPtr ->next = * topPtr;
   * topPtr = newPtr;
   printf("%d pushed to stack\n", data);
}
```





Stack: pop operation

```
int pop(struct StackNode** topPtr)
{
  if (isEmpty(* topPtr))
    return -1;
  struct StackNode* tempPtr = * topPtr;
    * topPtr = (* topPtr)->next;
  int popped = tempPtr ->data;
  free(tempPtr);

return popped;
```

Stack: applications

- Expression evaluation
- Expression conversion: prefix to infix, postfix to infix, infix to prefix, and infix to postfix
- Argument passing in C
- Parsing



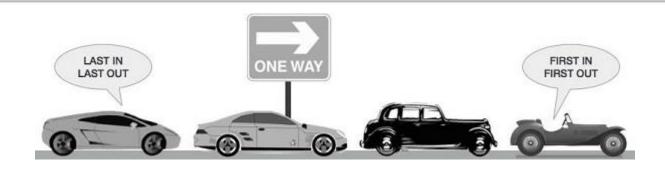
Queue



Queue: introduction

- Unlike stacks, a queue is open at both its ends.
- One end is always used to insert data (enqueue) and the other is used to remove data (dequeue).
- Queue follows First-In-First-Out methodology, i.e., the data item stored first will be accessed first.

Queue: introduction cont...





Queue: basic operations

- enqueue() add (store) an item to the queue.
- dequeue() remove (access) an item from the queue.
- isFull() Checks if the queue is full.
- isEmpty() Checks if the queue is empty.



Queue: creation with array

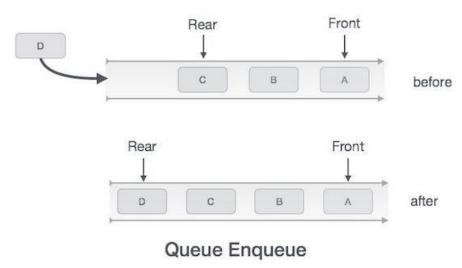
```
// A structure to represent a queue
struct Queue
  int front, rear, size;
  unsigned capacity;
  int* array;
// function to create a queue of given capacity.
// It initializes size of queue as o
struct Queue* createQueue(unsigned capacity)
  struct Queue* queue = (struct Queue*) malloc(sizeof(struct Queue));
  queue->capacity = capacity;
  queue->front = queue->size = o;
  queue->rear = capacity - 1; //This is important, see the enqueue
  queue->array = (int*) malloc(queue->capacity * sizeof(int));
  return queue;
```

Queue: isFull() and isEmpty()

```
// Queue is full when size becomes equal to the
capacity
int isFull(struct Queue* queue)
{ return (queue->size == queue->capacity);
// Queue is empty when size is 0
int isEmpty(struct Queue* queue)
{ return (queue->size == o);
```

<u>Queue: enqueue operation</u>

- Step 1 Check if the queue is full.
- Step 2 If the queue is full, produce overflow error and exit.
- Step 3 If the queue is not full, increment rear pointer to point the next empty space.
- Step 4 Add data element to the queue location, where the rear is pointing.
- Step 5 return success.



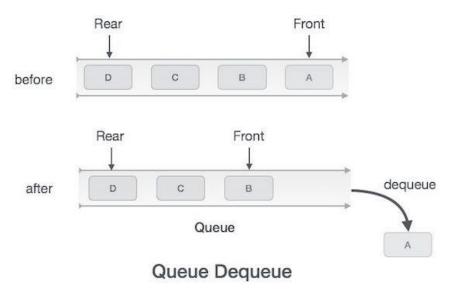
Queue: enqueue operation

```
// Function to add an item to the queue.
// It changes rear and size
void enqueue(struct Queue* queue, int item)
  if (isFull(queue))
    return;
  queue->rear = (queue->rear + 1)%queue->capacity;
  queue->array[queue->rear] = item;
  queue->size = queue->size + 1;
  printf("%d enqueued to queue\n", item);
```

2021,11,22

Queue: dequeue operation

- Step 1 Check if the queue is empty.
- Step 2 If the queue is empty, produce underflow error and exit.
- Step 3 If the queue is not empty, access the data where front is pointing.
- Step 4 Increment front pointer to point to the next available data element.
- Step 5 Return success.

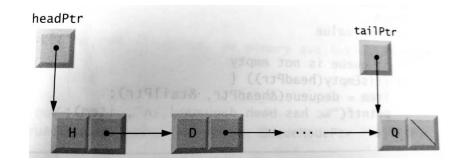


Queue: dequeue operation cont...

```
// Function to remove an item from queue.
// It changes front and size
int dequeue(struct Queue* queue)
{
   if (isEmpty(queue))
      return INT_MIN;
   int item = queue->array[queue->front];
   queue->front = (queue->front + 1)%queue->capacity;
   queue->size = queue->size - 1;
   return item;
}
```

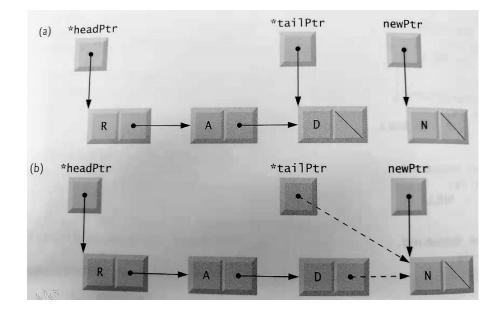
Queue: creation with linked list

```
// A linked list (LL) node to store a queue entry
struct QNode {
  int key;
  struct QNode* next;
// The gueue, front stores the front node of LL and rear stores the
// last node of LL
struct Queue {
 struct QNode *headPtr, * tailPtr;
// A utility function to create a new linked list node.
struct QNode* newNode(int k)
  struct QNode* tempPtr = (struct QNode*)malloc(sizeof(struct QNode));
  tempPtr->key = k;
  tempPtr->next = NULL;
  return tempPtr;
// A utility function to create an empty queue
struct Queue* createQueue()
  struct Queue* newPtr = (struct Queue*)malloc(sizeof(struct Queue));
newPtr -> headPtr = newPtr ->tailPtr = NULL;
  return newPtr;
```



Queue: enqueuer operation

```
// The function to add a key k to q
void enqueue(struct Queue* q, int k)
  // Create a new LL node
  struct QNode* newPtr = newNode(k);
  // If queue is empty, then new node is front and
rear both
  if (q->headPtr == NULL) {
   q-> headPtr = q->tailPtr = newPtr;
   return;
 // Add the new node at the end of queue and
change rear
  q-> tailPtr ->next = newPtr;
  q-> tailPtr = newPtr;
```



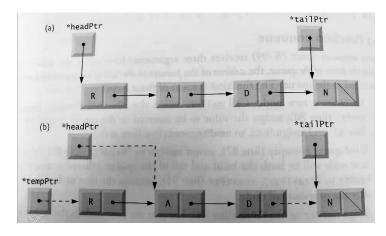


Queue: dequeue operation

```
// Function to remove a key from given gueue g
struct QNode* dequeue(struct Queue* q)
 // If queue is empty, return NULL.
 if (q->headPtr == NULL)
   return NULL;
 // Store previous front and move front one node
ahead
 struct QNode* tempPtr = q->headPtr;
 q-> headPtr = q-> headPtr ->next;
  // If front becomes NULL, then change rear also as
NULL
 if (q-> headPtr == NULL)
   q->tailPtr = NULL;
  return tempPtr;
```

//Now, free the memory inside the calling function

struct QNode* dequeuenode; dequeuenode = dequeue(q); free(dequeuenode);



Queue: applications

- Queue is useful in CPU scheduling, Disk Scheduling. When multiple processes require CPU at the same time, various CPU scheduling algorithms are used which are implemented using Queue data structure.
- When data is transferred asynchronously between two processes. Queue is used for synchronization. Examples: IO Buffers, pipes, file IO, etc.
- Print Spooling. In print spooling, documents are loaded into a buffer and then the printer pulls them off the buffer at its own rate. Spooling also lets you place a number of print jobs on a queue instead of waiting for each one to finish before specifying the next one.
- Breadth First search in a Graph .It is an algorithm for traversing or searching graph data structures. It starts at some arbitrary node of a graph and explores the neighbor nodes first, before moving to the next level neighbors.
- Handling of interrupts in real-time systems. The interrupts are handled in the same order as they arrive, First come first served.
- In real life, Call Center phone systems use Queues, to hold people calling them in an order, until a service representative is free.



Thank you!

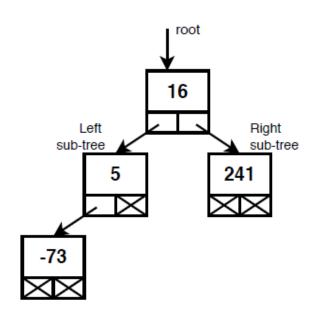


Tree



Tree: introduction

- Trees are hierarchical data structures containing nodes which store a value and references to 2 or more subtrees.
- The "start" of the tree is the root node.
- Nodes with no subtrees are called leaf nodes.
- A binary tree is a tree where each node has exactly two possible children.





Tree: binary search tree

- BSTs are binary trees in which the values are stored in the tree in some specified order.
- Eg, for an integer BST,
 - every value in the left sub-tree < value in the node
 - every value in the right sub-tree >= the value in the node.
- Searching for values in a BST can be extremely quick because each comparison discards half the remaining values (on average).
- Inserting/removing nodes is more complex as it may require moving existing nodes.

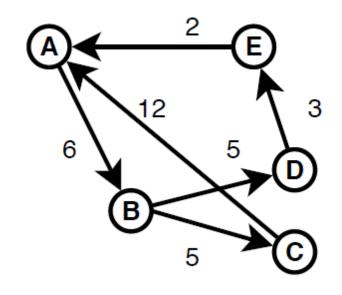


Graph



Graph: introduction

- A graph represents a set of vertices (or nodes) and a set of edges which are connections between vertices.
- Edges can be directed or undirected.
- Edges can be weighted or unweighted.
- Graphs can be connected (for any 2 vertices, there is a path between them) or unconnected.
- ...and many other possible properties
 - Graph theory is a major branch of discrete maths.



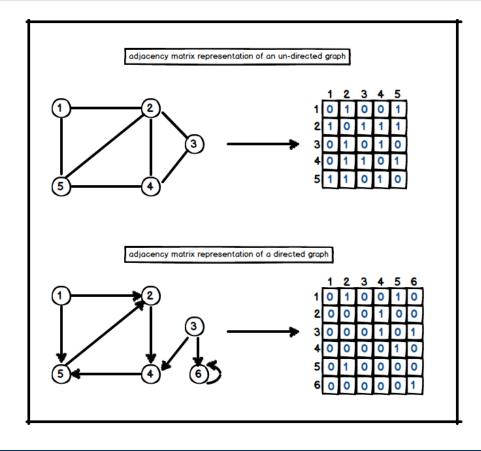
Graph: adjacency matrix

- Vertices are assigned to integer IDs.
- Store graph as a 2D array of integers.
- A_{ii} contains a value if there is an edge from i to j.
 - Store edge present? Number of edges? Weight of edge?

- Very fast look-up for edge between two vertices.
- Low memory usage but wastes lots of space for sparse graphs.
- Requires whole array to be changed when adding/removing vertices.



Graph: adjacency matrix





Graph: applications

- Modeling relationships between users in social media networks (vertex=user, edge=friends).
- Navigation through cities vertex=road junction, edge=road between junction, weight=distance).
- Modelling state machines (vertex=state, edge=valid transition).

Slide: 43

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Thank you

