

15-884: Machine Learning Systems

Federated Learning

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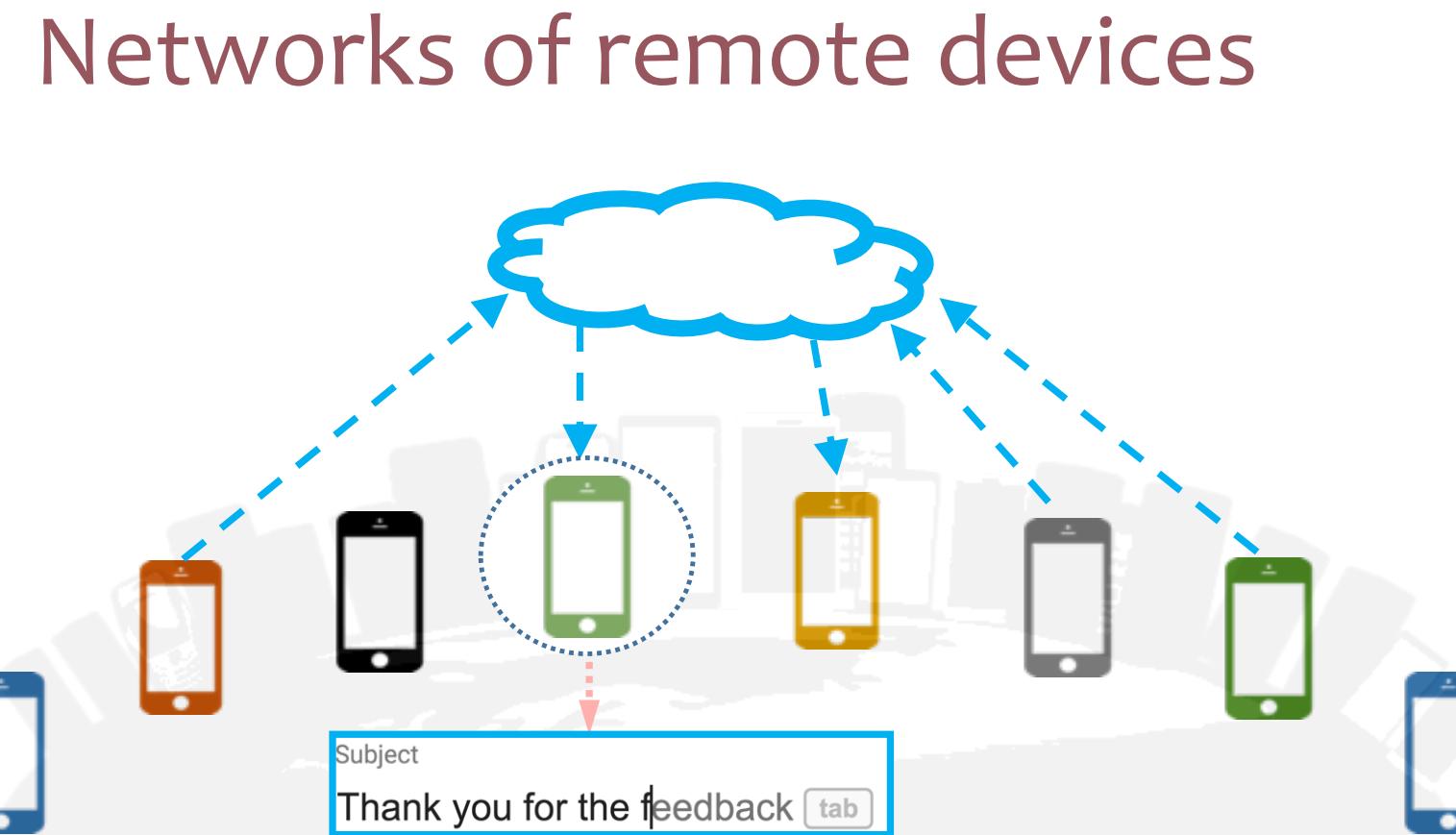
Federated Learning

Privacy-preserving *training* in heterogeneous, (potentially) massive networks

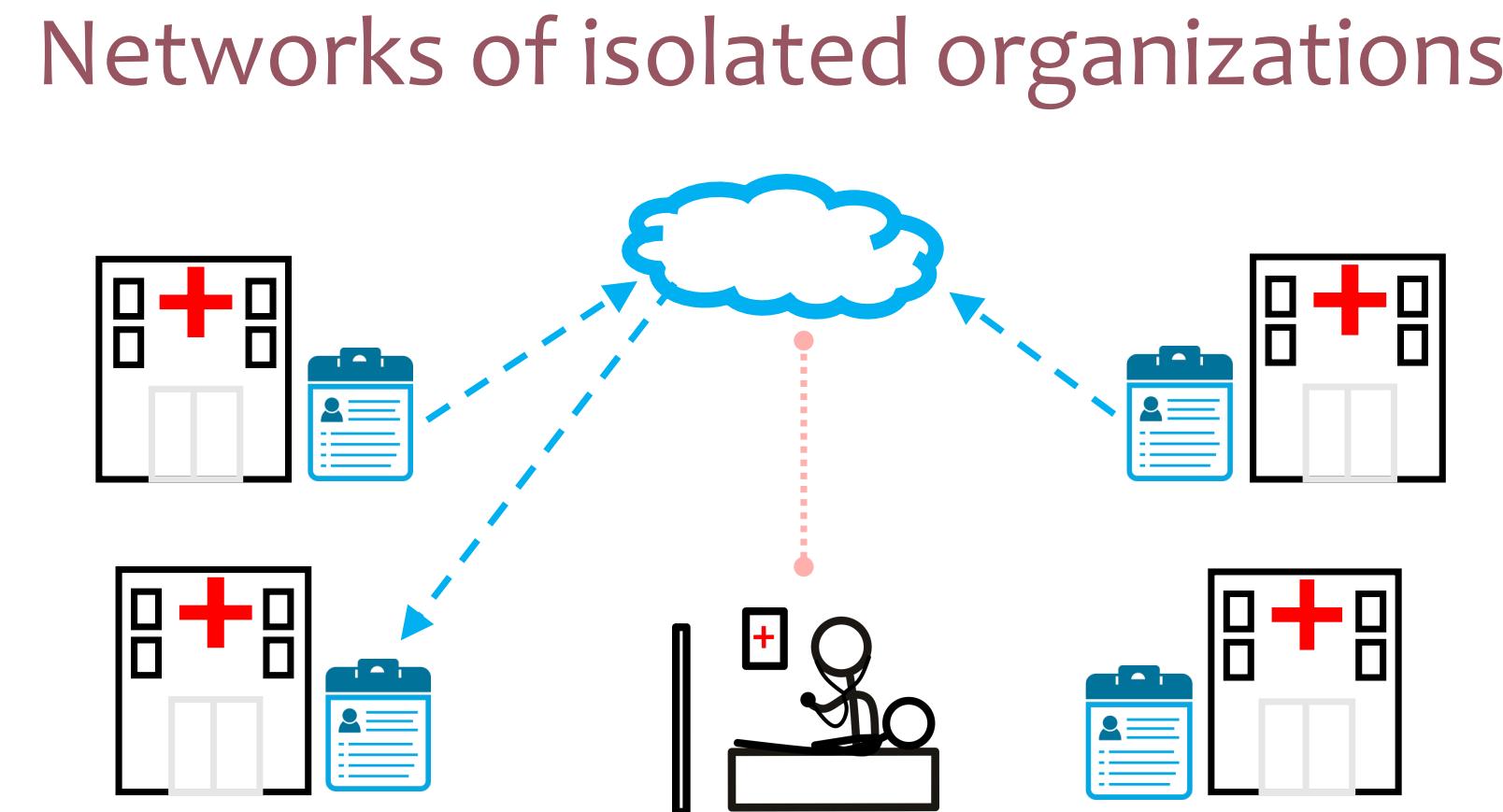


Federated Learning

Privacy-preserving training in heterogeneous, (potentially) massive networks



cross-device setting

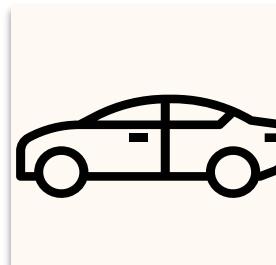


cross-silo setting

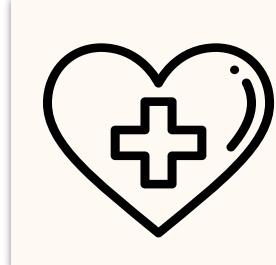
Example Applications



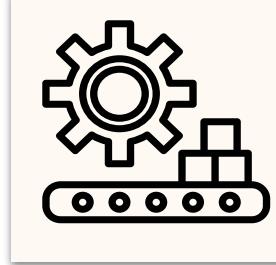
Anomaly detection in IoT devices



Adapting to pedestrian behavior on autonomous vehicles



Personalized healthcare on wearable devices



Predictive maintenance for industrial machines

Assumptions: (1) local data is important (2) labels are available (3) privacy is a concern

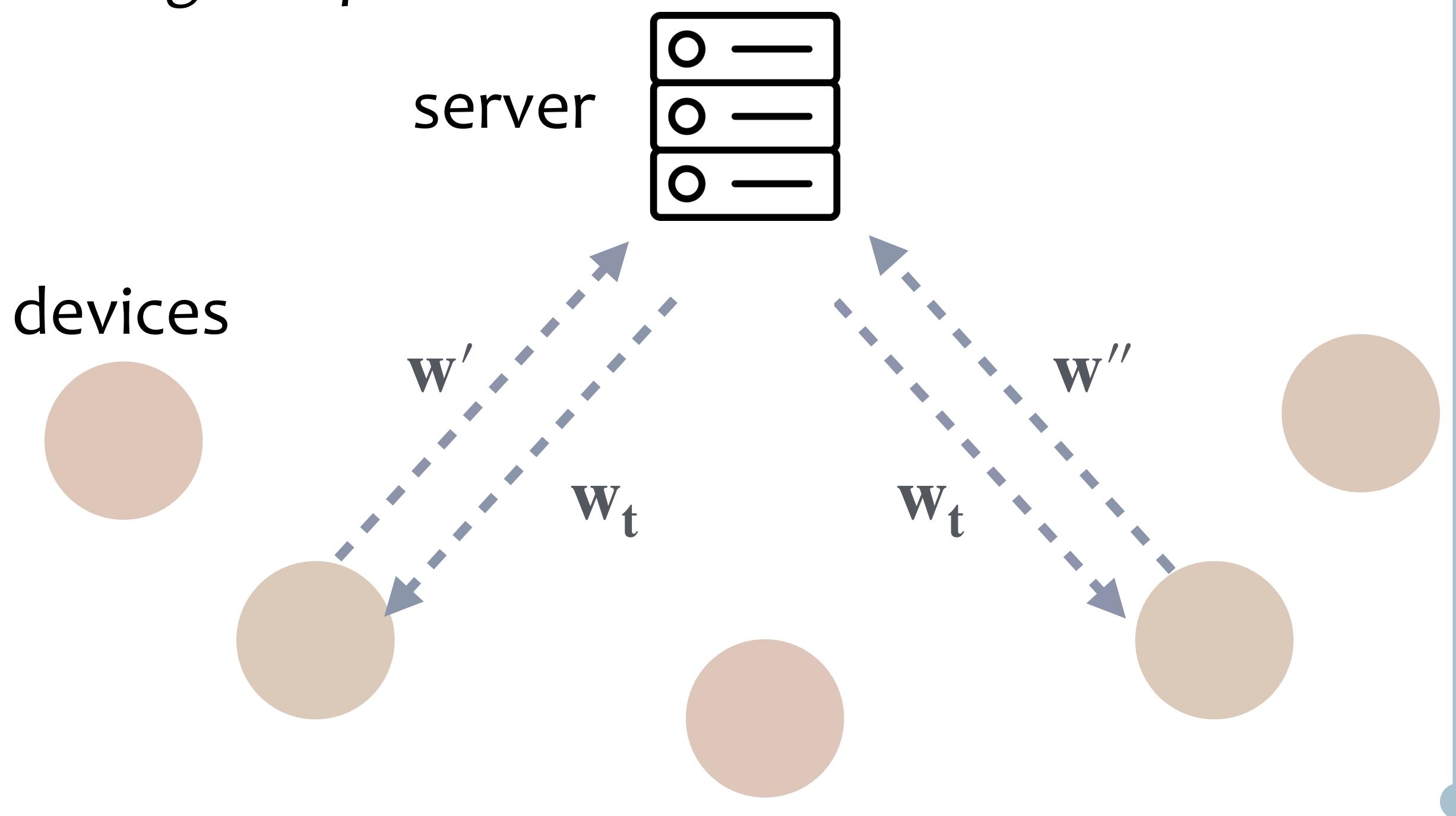
Workflow & Challenges

Objective:

$$\min_w f(w) = \sum_{k=1}^N p_k F_k(w)$$

loss on device k

Training setup:



Systems heterogeneity

variable hardware, network connectivity, power, etc

Statistical heterogeneity

highly non-identically distributed data

Expensive communication

massive, slow networks

Privacy & security

user privacy constraints

Federated Optimization: Challenges

Systems and statistical heterogeneity
(non-identical data) can bias the
optimization procedure;
can affect the modeling approach

Systems heterogeneity

variable hardware, network connectivity,
power, etc

Statistical heterogeneity

highly non-identically distributed data

Expensive communication

massive, slow networks

Privacy & security

user privacy constraints

Federated Optimization: Challenges

-
- 1) reduce the size of messages per round
 - 2) reduce the communication rounds
 - 3) reduce the number of selected devices per round

Systems heterogeneity

variable hardware, network connectivity, power, etc

Statistical heterogeneity

highly non-identically distributed data

Expensive communication

massive, slow networks

Privacy & security

user privacy constraints

Federated Optimization: Challenges

- 1) keep data on local devices
- 2) differentially private mechanisms
- 3) crypto-based methods

(not the focus today)

Systems heterogeneity

variable hardware, network connectivity,
power, etc

Statistical heterogeneity

highly non-identically distributed data

Expensive communication

massive, slow networks

Privacy & security

user privacy constraints

How does heterogeneity affect federated optimization methods?

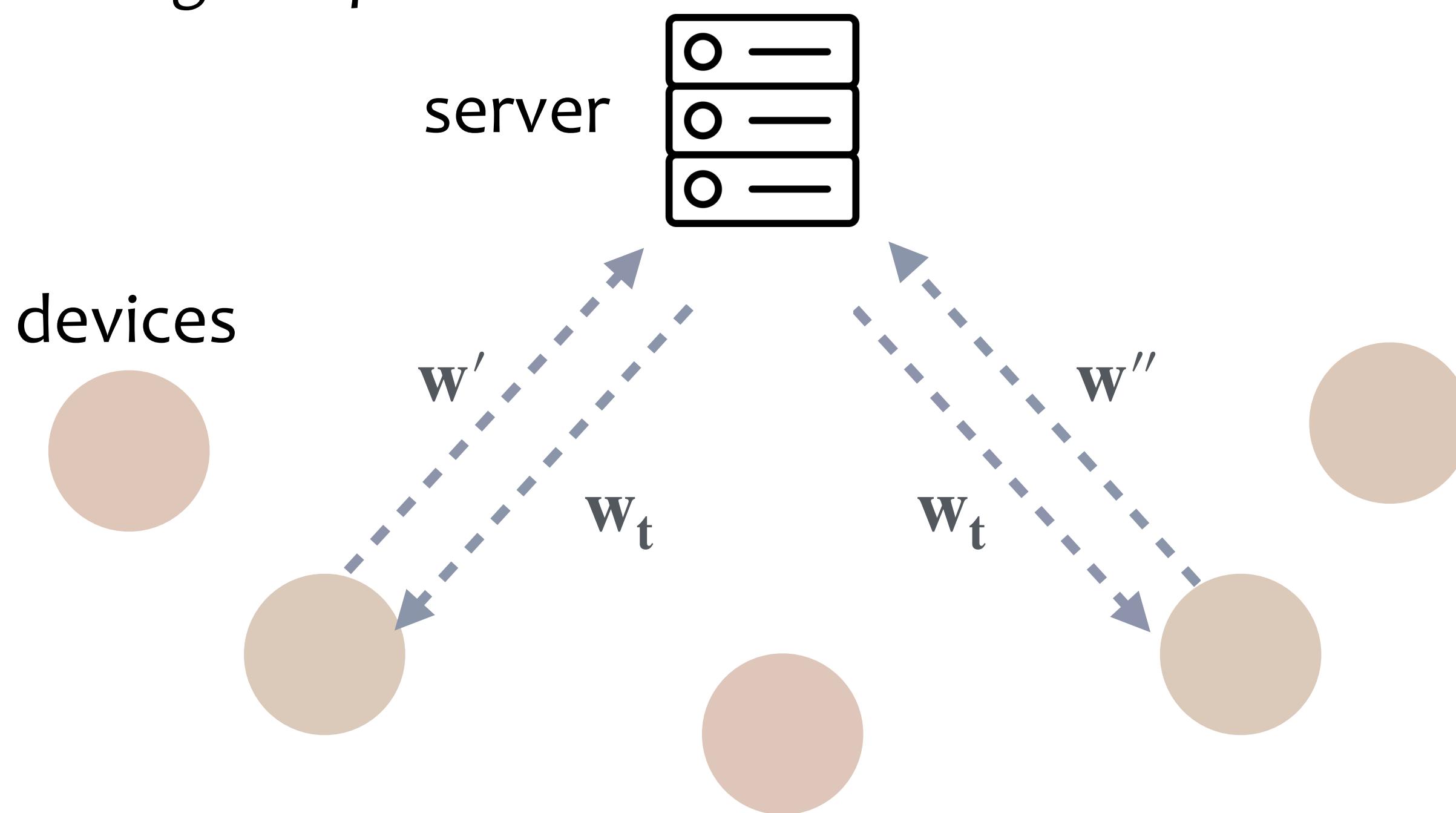
Federated Optimization: Formulation

Objective:

$$\min_w f(w) = \sum_{k=1}^N p_k F_k(w)$$

loss on device k

Training setup:



Typically solving an empirical risk minimization (ERM) objective:

$$\min_w \sum_{k=1}^N p_k \sum_{i=1}^{n_k} \ell(h(x_k^{(i)}; w), y_k^{(i)})$$

Federated Optimization: Formulation

Risk:

$$R(h) = \mathbb{E}_{k \sim Q} \mathbb{E}_{(x,y) \sim P_k} [\ell(h(x; w), y)]$$

Empirical Risk:

$$R_{\text{emp}}(h) = \sum_{k=1}^N p_k \sum_{i=1}^{n_k} \ell(h(x_k^{(i)}; w), y_k^{(i)})$$

Typically solving an empirical risk minimization (ERM) objective:

$$\min_w \sum_{k=1}^N p_k \sum_{i=1}^{n_k} \ell(h(x_k^{(i)}; w), y_k^{(i)})$$

Optimization for FL: Federated Averaging (FedAvg*)

At each communication round:

- Server randomly selects a subset of devices & sends the current global model w^t
- Each selected device k updates w^t for E epochs of SGD to optimize F_k & sends the new local model back
- Server aggregates local models to form a new global model w^{t+1}
- Simple method
- Using local updates can lead to much faster convergence empirically
- Works well in many settings (especially non-convex)

* McMahan, H. Brendan, et al. "Communication-efficient learning of deep networks from decentralized data." AISTATS, 2017.

[Aside] How does FedAvg Differ from Distributed SGD?

Local updating is not new*

- one-shot averaging
- ADMM
- COCOA
- Local SGD

Federated settings defer in terms of:

- heterogeneous data
- partial device participation
- often for non-convex objectives

* [Zhang, Duchi, Wainwright, Communication-Efficient Algorithms for Statistical Optimization, JMLR 2013]

* [Boyd et al, Distributed Optimization and Statistical Learning via ADMM, FnT in ML, 2010]

* [Jaggi & Smith et al, Communication-Efficient Distributed Dual Coordinate Ascent, NeurIPS 2014]

* [MacDonald et al, Efficient large-scale distributed training of conditional maxent models, NeurIPS 2009]

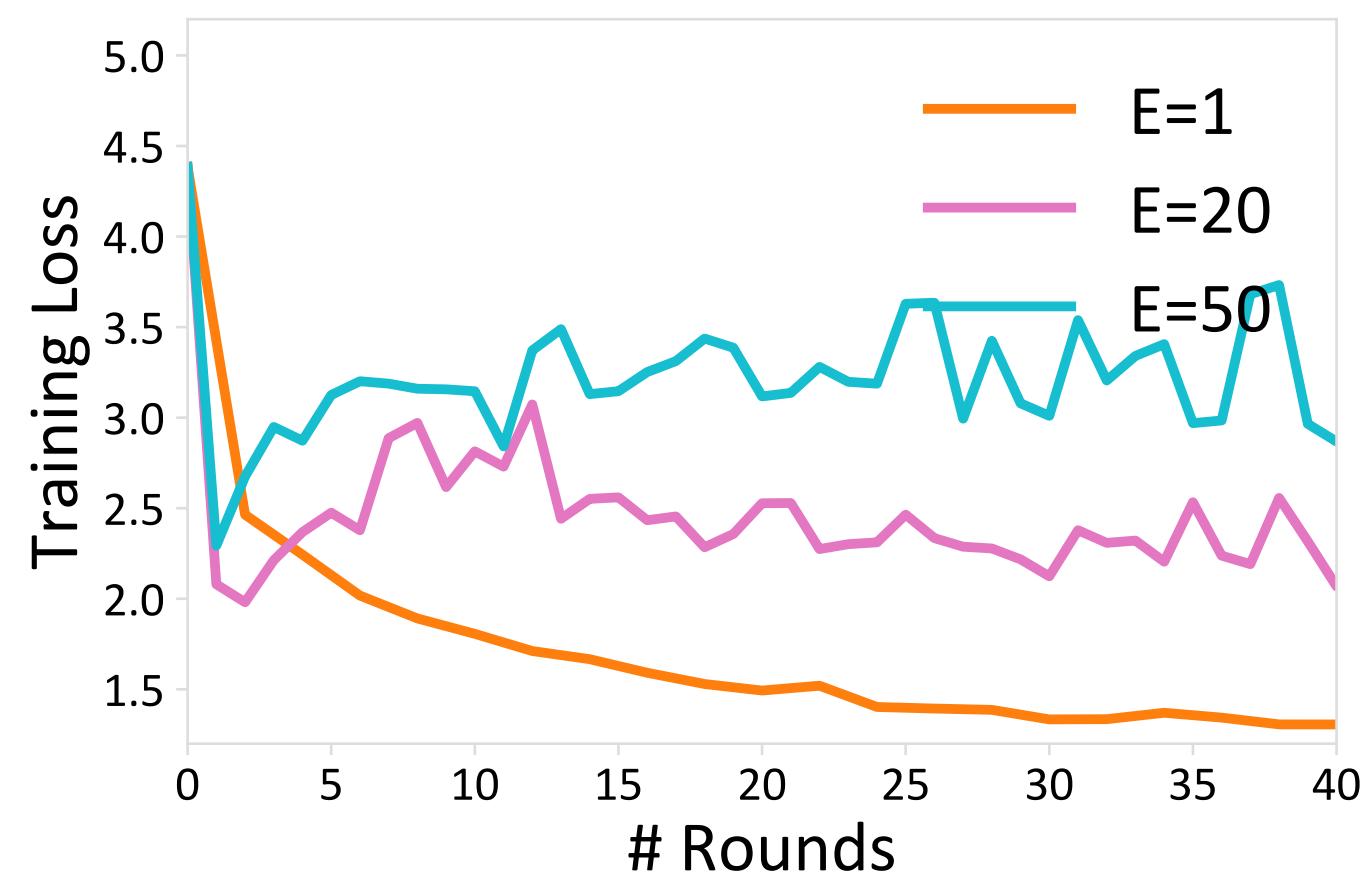
Challenge: Heterogeneity

statistical heterogeneity

highly non-identically distributed data



too much local work can hurt convergence

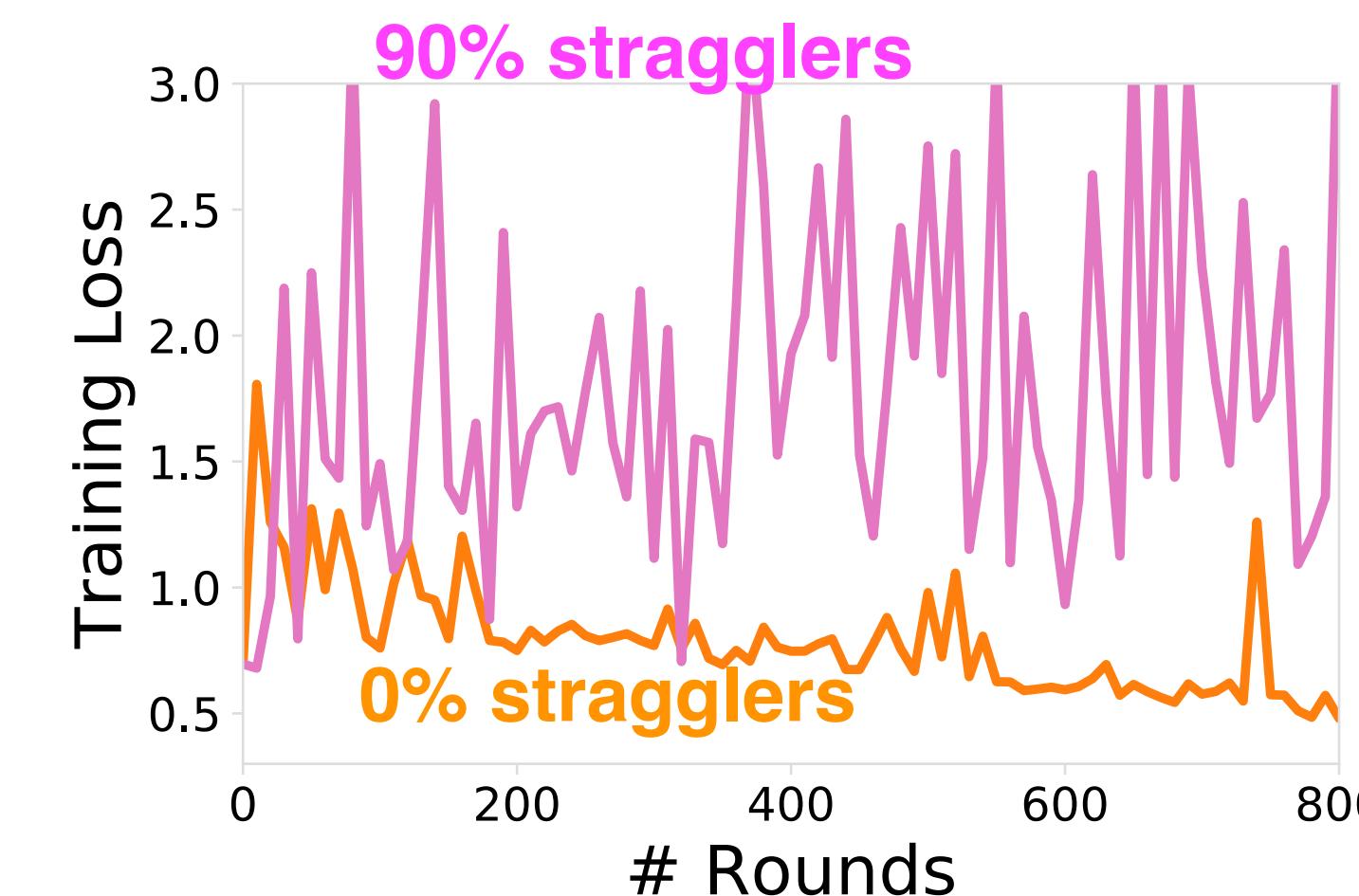


systems heterogeneity

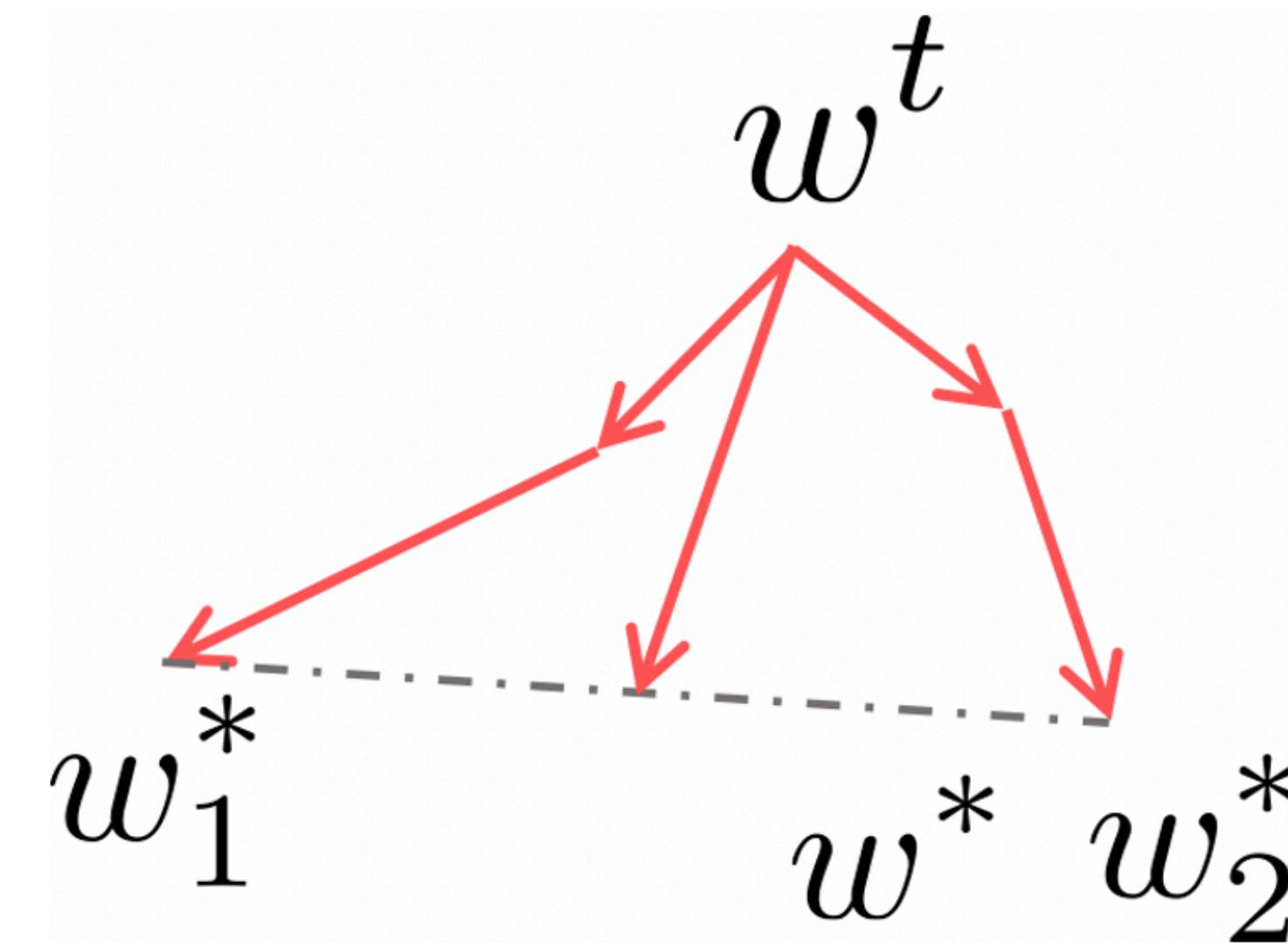
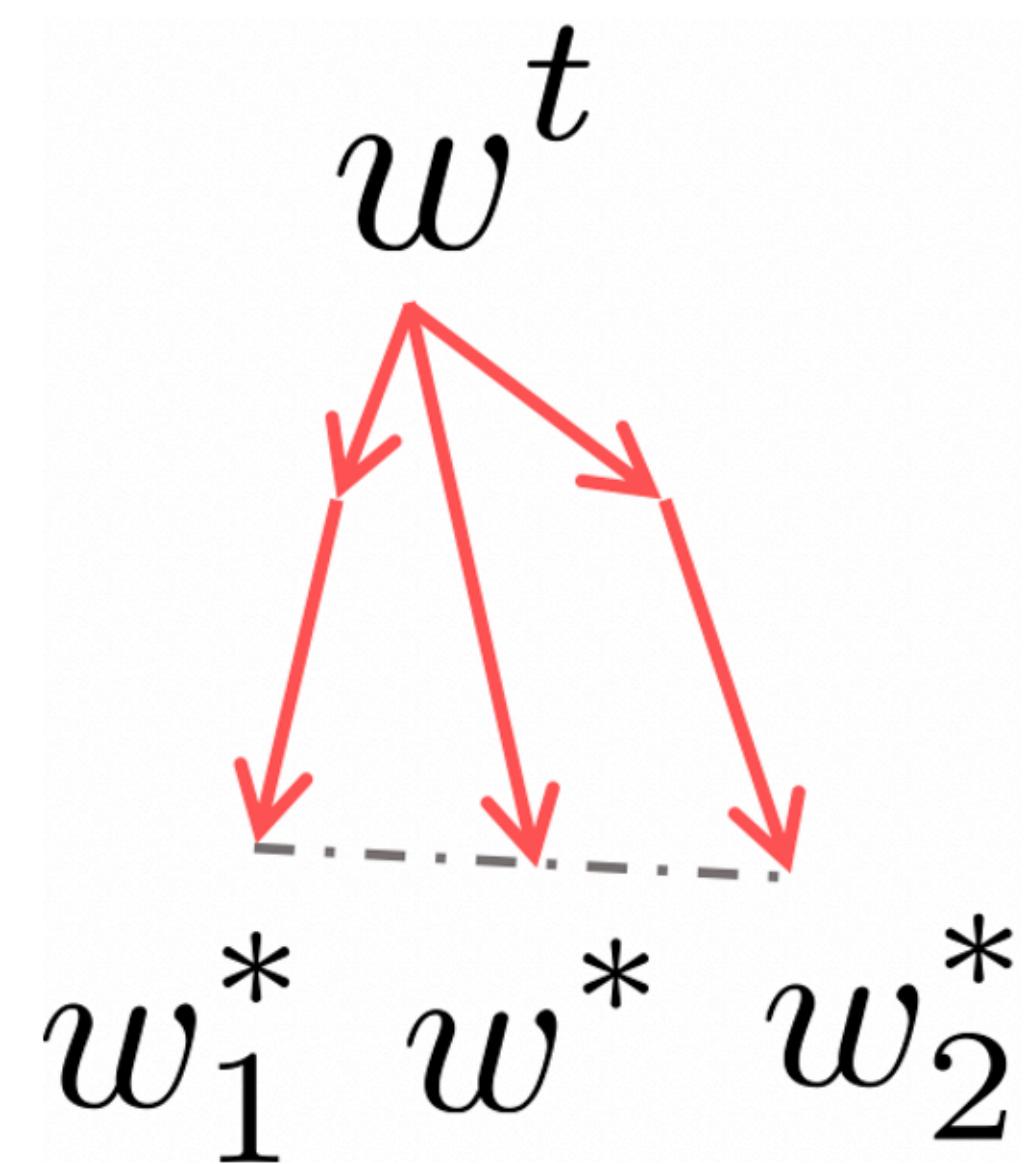
stragglers



dropping slow devices can exacerbate convergence issues



Challenge: Heterogeneity



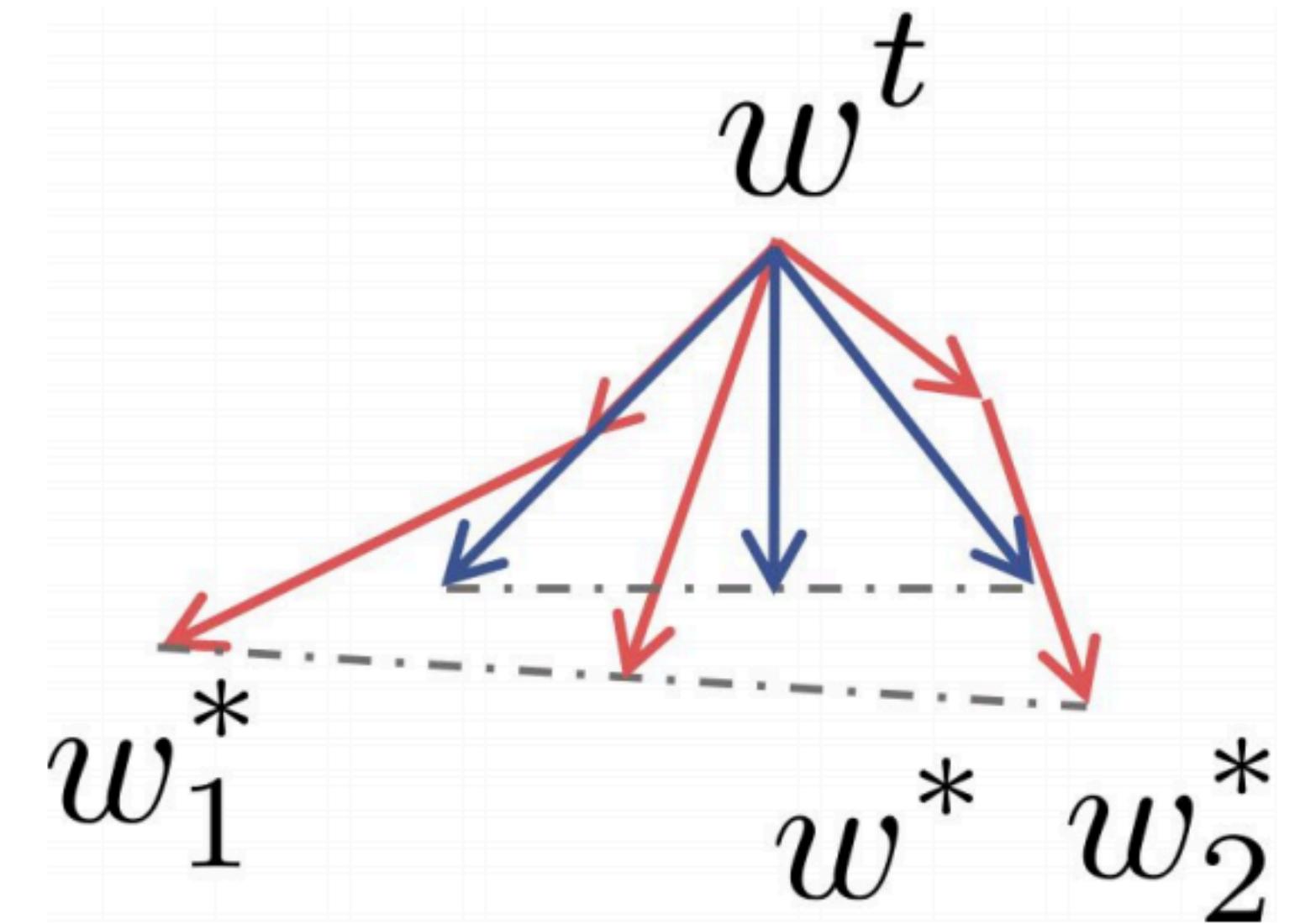
FedProx: A Framework For Federated Optimization

Modified Local Subproblem:

$$\min_{w_k} F_k(w_k) + \frac{\mu}{2} \| w_k - w^t \| ^2$$

a proximal term

- The proximal term explicitly limits the impact of heterogeneous local updates
- Don't drop devices: instead [safely] incorporate partial work
- Generalization of FedAvg; Allows for any local solver
- Theoretical guarantees (with a dissimilarity assumption)



FedProx: Convergence Analysis

- High-level: **converges** despite non-IID data, local updating, and partial device participation
- Introduces notion of **B-dissimilarity** in to characterize statistical heterogeneity:

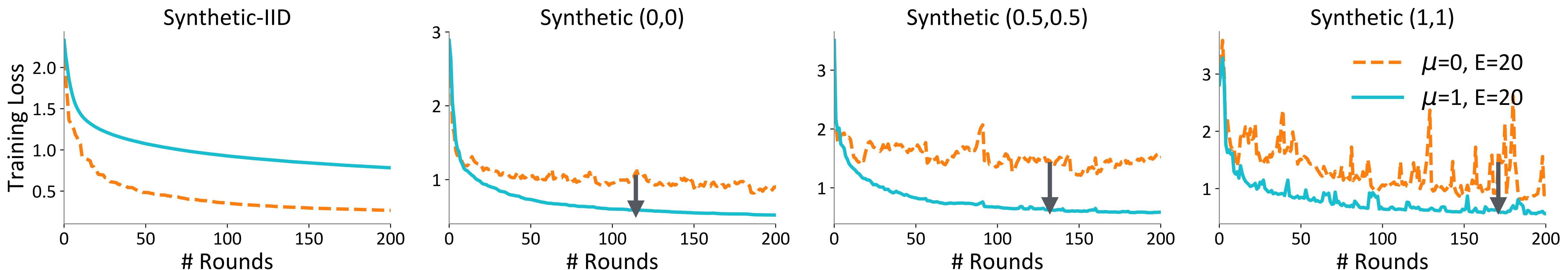
$$\mathbb{E} [\|\nabla F_k(w)\|^2] \leq \|\nabla f(w)\|^2 B^2$$

IID data: $B = 1$

non-IID data: $B > 1$

* used in other contexts, e.g., gradient diversity to quantify the benefits of scaling distributed SGD

Impact of Statistical Heterogeneity



Increasing heterogeneity leads to worse convergence

Setting $\mu > 0$ can help to combat this

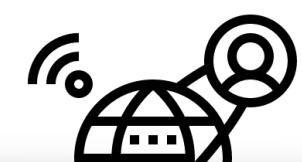
How does heterogeneity affect federated optimization methods?

- Heterogeneity can lead to:
 - Slower convergence, reduced stability, divergence
- Critical to analyze and evaluate federated methods with:
 - Non-IID data, partial / variable participation

Can we **equalize** performance across
heterogeneous networks?

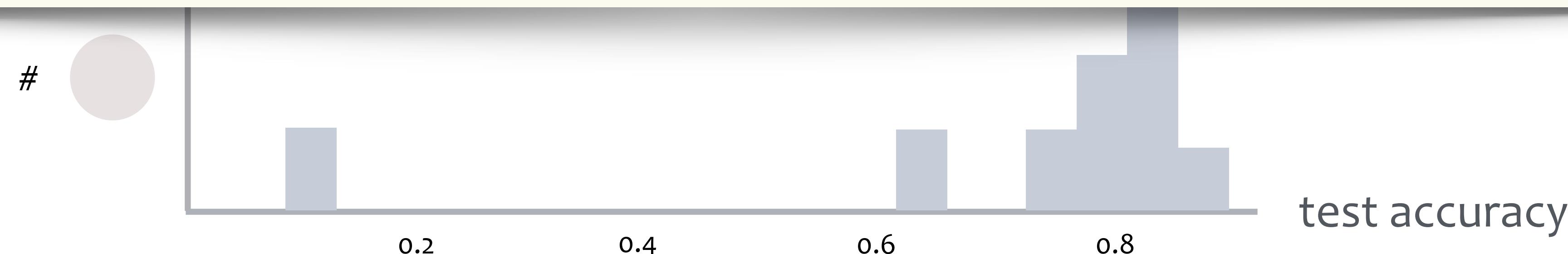
FL: Traditional Empirical Risk Minimization

ERM: $\min_w \left(p_1 F_1 + p_2 F_2 + \dots + p_N F_N \right)$



no accuracy guarantees for individual devices

Can we encourage a more **fair** (i.e., more **uniform**) distribution of the model performance across devices?



Fair Resource Allocation Objective

$$\underline{q\text{-FFL}}: \min_w \frac{1}{q+1} \left(p_1 F_1^{q+1} + p_2 F_2^{q+1} + \cdots + p_N F_N^{q+1} \right)$$

- Inspired by **α -fairness** for fair resource allocation in wireless networks
- A **tunable framework** ($q = 0$: previous objective; $q = \infty$: minimax fairness*)

*Fairness without Demographics in Repeated Loss Minimization, Hashimoto et al, ICML 2018

*Agnostic Federated Learning, Mohri, Sivek, Suresh, ICML 2019

Fair Resource Allocation Objective

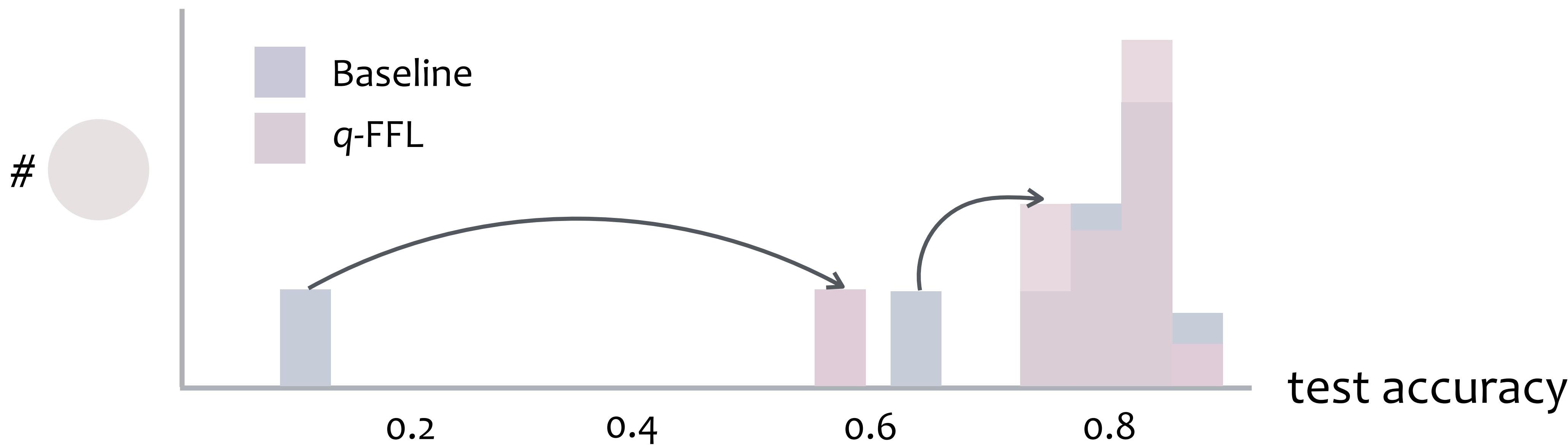
$$\textbf{\textit{q-FFL:}} \min_w \frac{1}{q+1} \left(p_1 F_1^{q+1} + p_2 F_2^{q+1} + \dots + p_N F_N^{q+1} \right)$$

- **Theory**

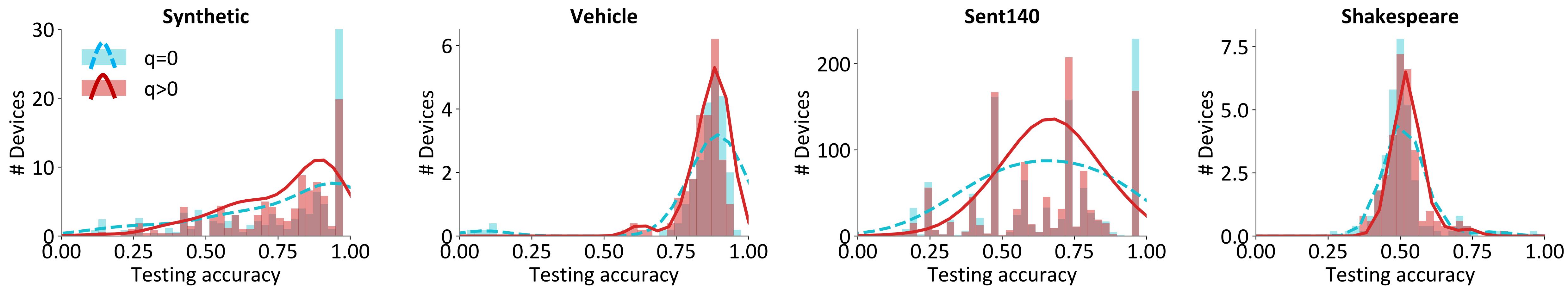
-  Generalization guarantees (recover the known case of $q \rightarrow \infty$)
-  Increasing q results in more ‘uniform’ accuracy distributions
(in terms of various uniformity measures such as variance)

Fair Resource Allocation Objective

q -FFL: $\min_w \frac{1}{q+1} \left(p_1 F_1^{q+1} + p_2 F_2^{q+1} + \dots + p_N F_N^{q+1} \right)$

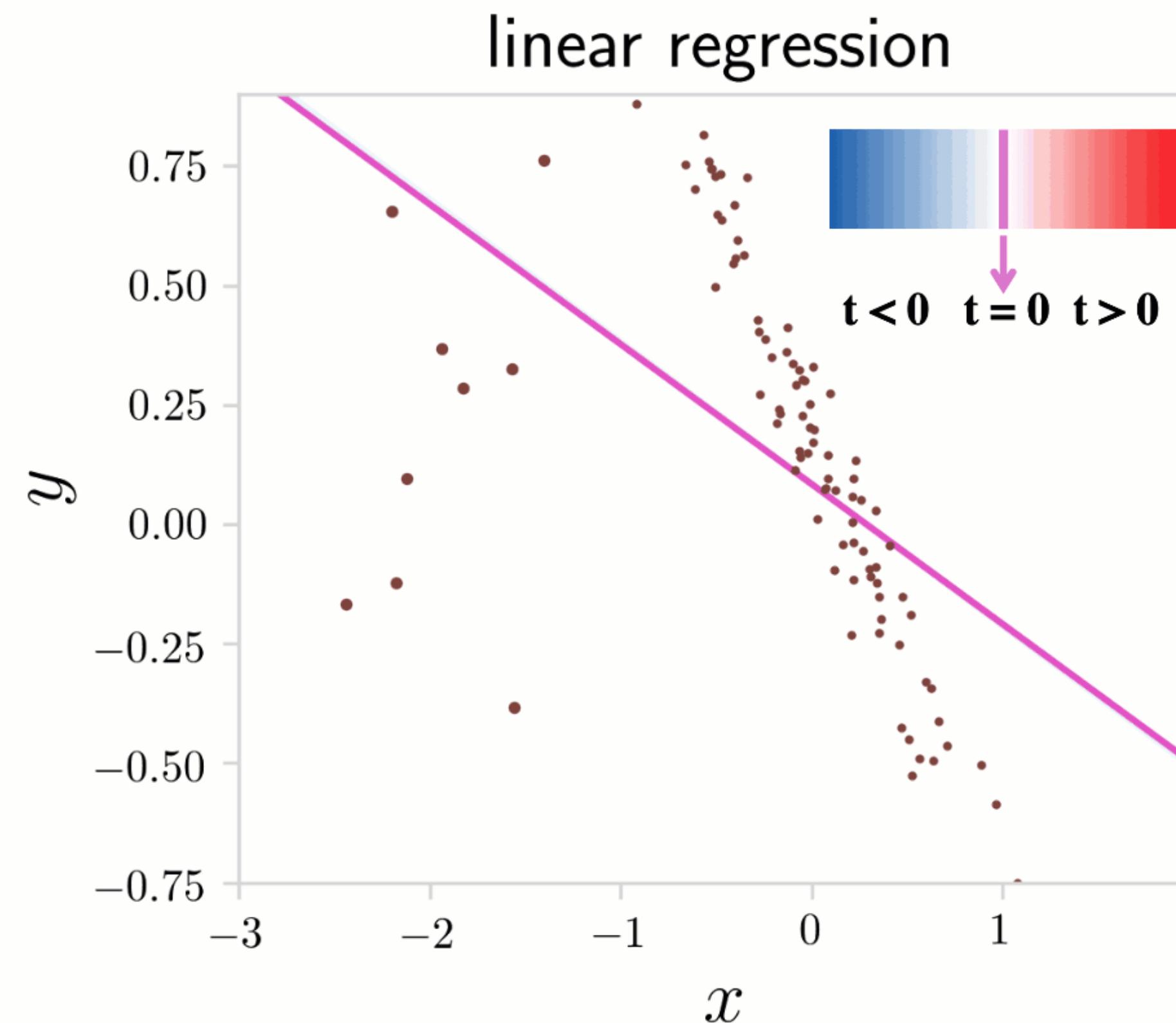


Empirical Results



on average, cut **variance** of accuracy by **45%** while maintaining mean accuracy

Tilted ERM (TERM) Objective



Empirical Risk Minimization

$$\min_w \frac{1}{n} \sum_{i=1}^n f(x_i; w)$$

Tilted ERM

$$\min_w \frac{1}{t} \log \left(\frac{1}{n} \sum_{i=1}^n e^{tf(x_i; w)} \right)$$

TERM can increase or decrease the influence of outliers to enable fairness or robustness

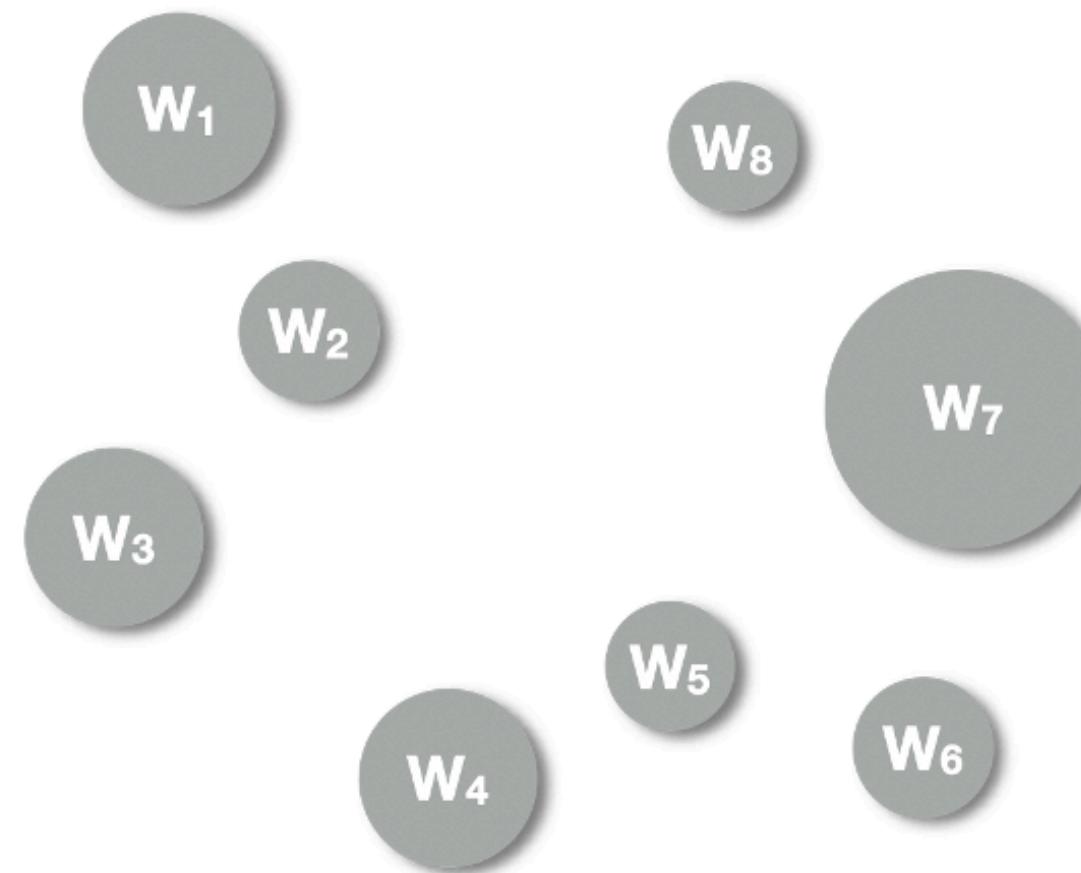
Can we **equalize** performance across heterogeneous networks?

- Vanilla ERM may deliver poor quality of service in heterogeneous networks
- q-FFL/TERM allows for flexible trade-off between fairness and accuracy

How to model federated data?

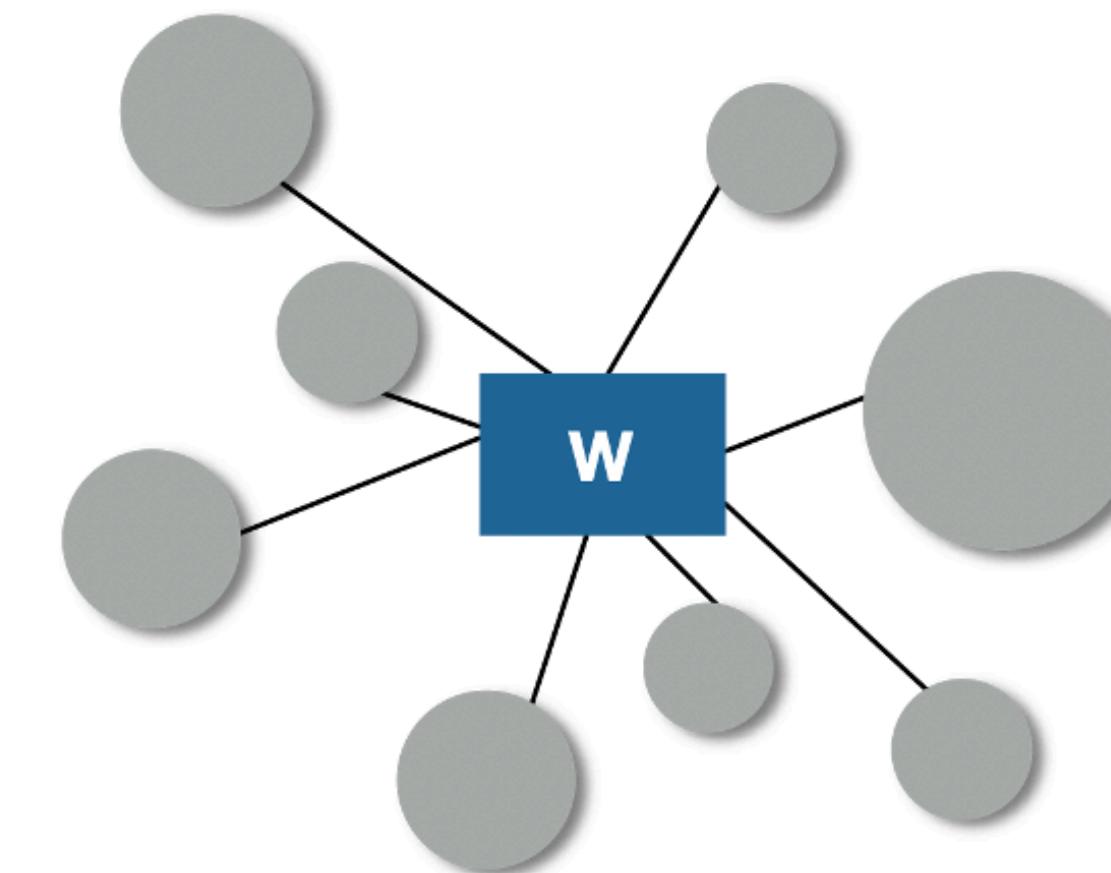
Personalization for Federated Learning

local



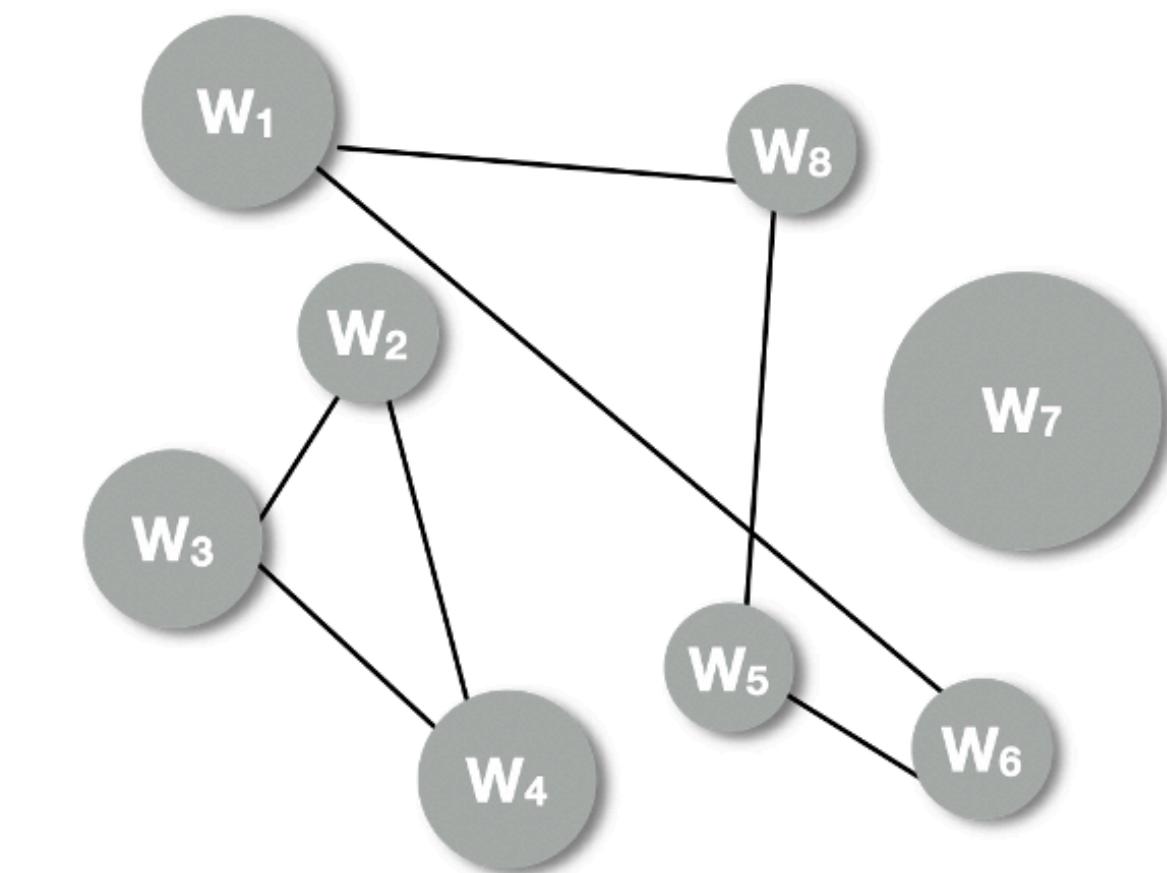
personalized models
not learn from peers

global



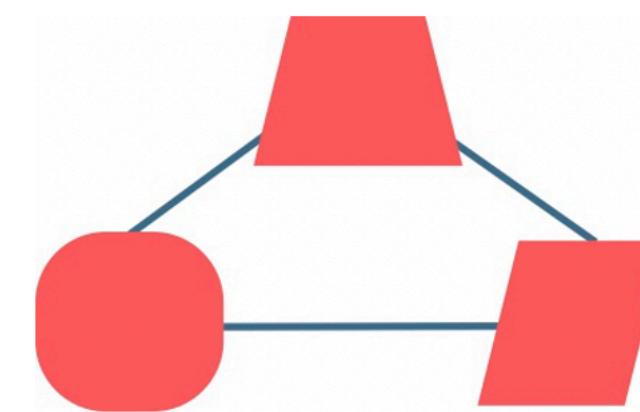
non-personalized models
learn from peers

??



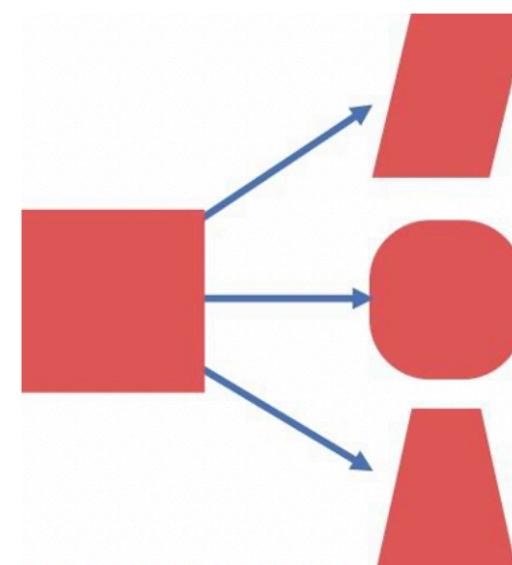
personalized models
learn from peers

Approaches for Personalization



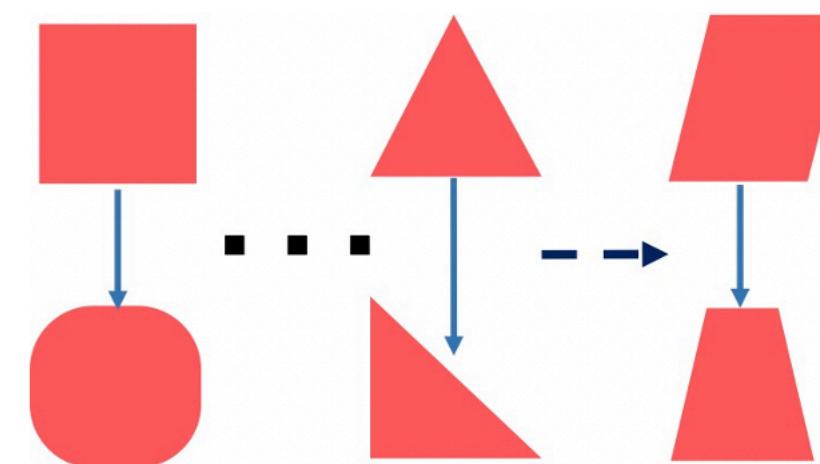
Multi-task Learning

Jointly learn shared, yet personalized models



Fine-tuning

- Learn a global model, then “fine-tune”/adapt it on local data
- See also: transfer learning, domain adaptation



Meta-learning

- Learn initialization over multiple tasks, then train locally

Meta-learning & Federated learning

Algorithm 1 Connects FL and MAML (left), Reptile Batch Version(middle), and FedAvg (right).

OuterLoop/Server learning rate α
 InnerLoop/Client learning rate β
 Initial model parameters θ
while not done **do**
 Sample batch of tasks/clients $\{T_i\}$
 for Sampled task/client T_i **do**
 if FL **then**
 $g_i, w_i = ClientUpdate(\theta, T_i, \beta)$
 else if MAML **then**
 $g_i = InnerLoop(\theta, T_i, \beta)$
 end if
 end for
 if FL **then**
 $\theta = ServerUpdate(\theta, \{g_i, w_i\}, \alpha)$
 else if MAML **then**
 $\theta = OuterLoop(\theta, \{g_i\}, \alpha)$
 end if
end while

Require: : Reptile Step K .
function $InnerLoop(\theta, T_i, \beta)$
 Sample K -shot data $D_{i,k}$ from T_i .
 $\theta_i = \theta$
 for each local step i from 1 to K **do**
 $\theta_i = \theta_i - \beta \nabla_\theta L(\theta_i, D_{i,k})$
 end for
 Return $g_i = \theta_i - \theta$
end function
Require: : Meta Batch Size M .
function $OuterLoop(\theta, \{g_i\}, \alpha)$
 $\theta = \theta + \alpha \frac{1}{M} \sum_{i=1}^M g_i$
 Return θ
end function

Require: FedAvg Local Epoch E .
function $ClientUpdate(\theta, T_i, \beta)$
 Split local dataset into batches B
 $\theta_i = \theta$
 for each local epoch i from 1 to E **do**
 for batch $b \in B$ **do**
 $\theta_i = \theta_i - \beta \nabla_\theta L(\theta_i, b)$
 end for
 end for
 Return $g_i = \theta_i - \theta$
end function
Require: Clients per training round M .
function $ServerUpdate(\theta, \{g_i, w_i\}, \alpha)$
 $\theta = \theta + \alpha \sum_{i=1}^M w_i g_i / \sum_{i=1}^M w_i$
 Return θ
end function

Personalization for Practical Constraints

constraints in federated learning

fairness

representation disparity

robustness

against data and model poisoning attacks

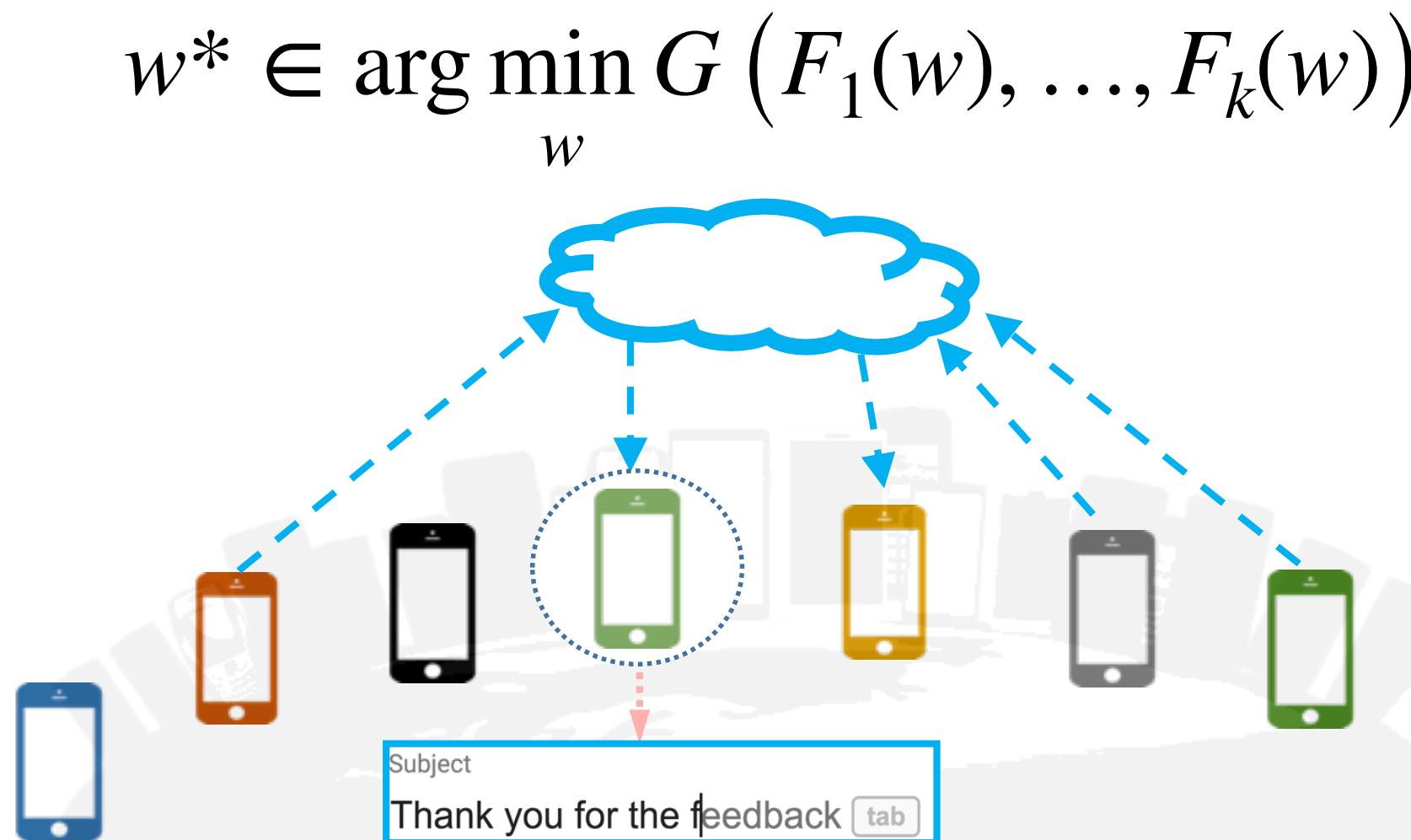
competing with each other

privacy

security

communication

.....



Ditto: Fair and Robust Federated Learning Through Personalization
Li, Hu, Beirami, Smith, ArXiv 2021
Best paper at ICLR Secure ML Workshop

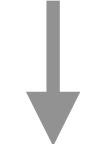
Ditto: Global-regularized Federated MTL

personalization to achieve robustness and fairness simultaneously

for each device k ,

Ditto:

$$\begin{aligned} \min_{v_k} \quad & h_k(v_k; w^*) := F_k(v_k) + \frac{\lambda}{2} \|v_k - w^*\|^2 \\ \text{s.t.} \quad & w^* \in \arg \min_w G(F_1(w), \dots, F_k(w)) \end{aligned}$$

local loss  global-regularized 

- * simple form of MTL: ensure personalized models are close to global model
- * easy to implement in federated settings
- * accurate, robust, and fair

Ditto Solver

solver for the global model w^* + personalization add-on

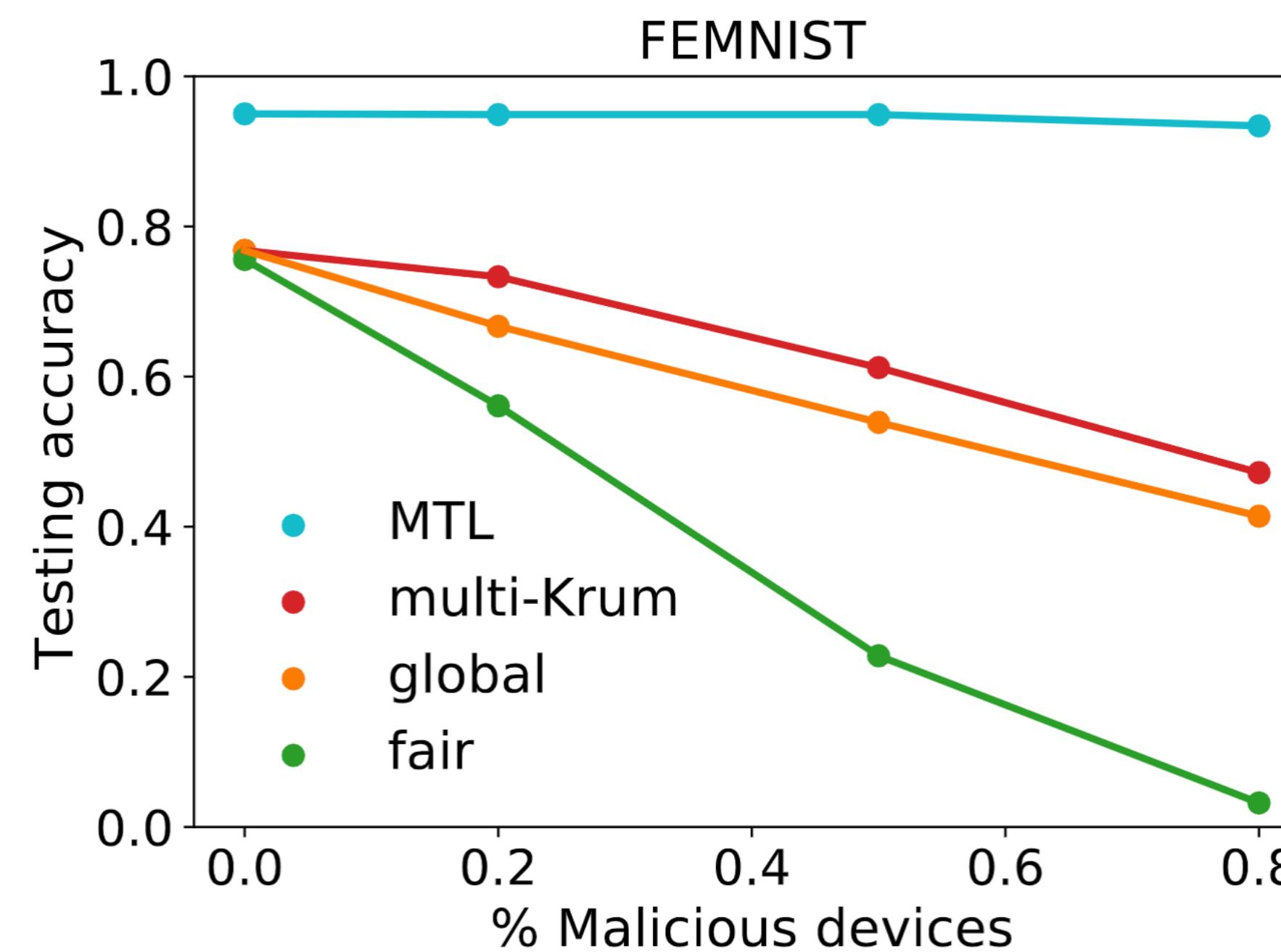
Algorithm 1: Ditto for Personalized FL

- 1 **Input:** $K, T, s, \lambda, \eta, w^0, \{v_k^0\}_{k \in [K]}$
- 2 **for** $t = 0, \dots, T - 1$ **do**
 - 3 Server randomly selects a subset of devices S_t , and sends the current global model w^t to them
 - 4 **for** device $k \in S_t$ *in parallel* **do**
 - 5 Solve the local sub-problem of $G(\cdot)$ inexactly starting from w^t to obtain w_k^t :
$$w_k^t \leftarrow \text{UPDATE_GLOBAL}(w^t, \nabla F_k(w^t))$$

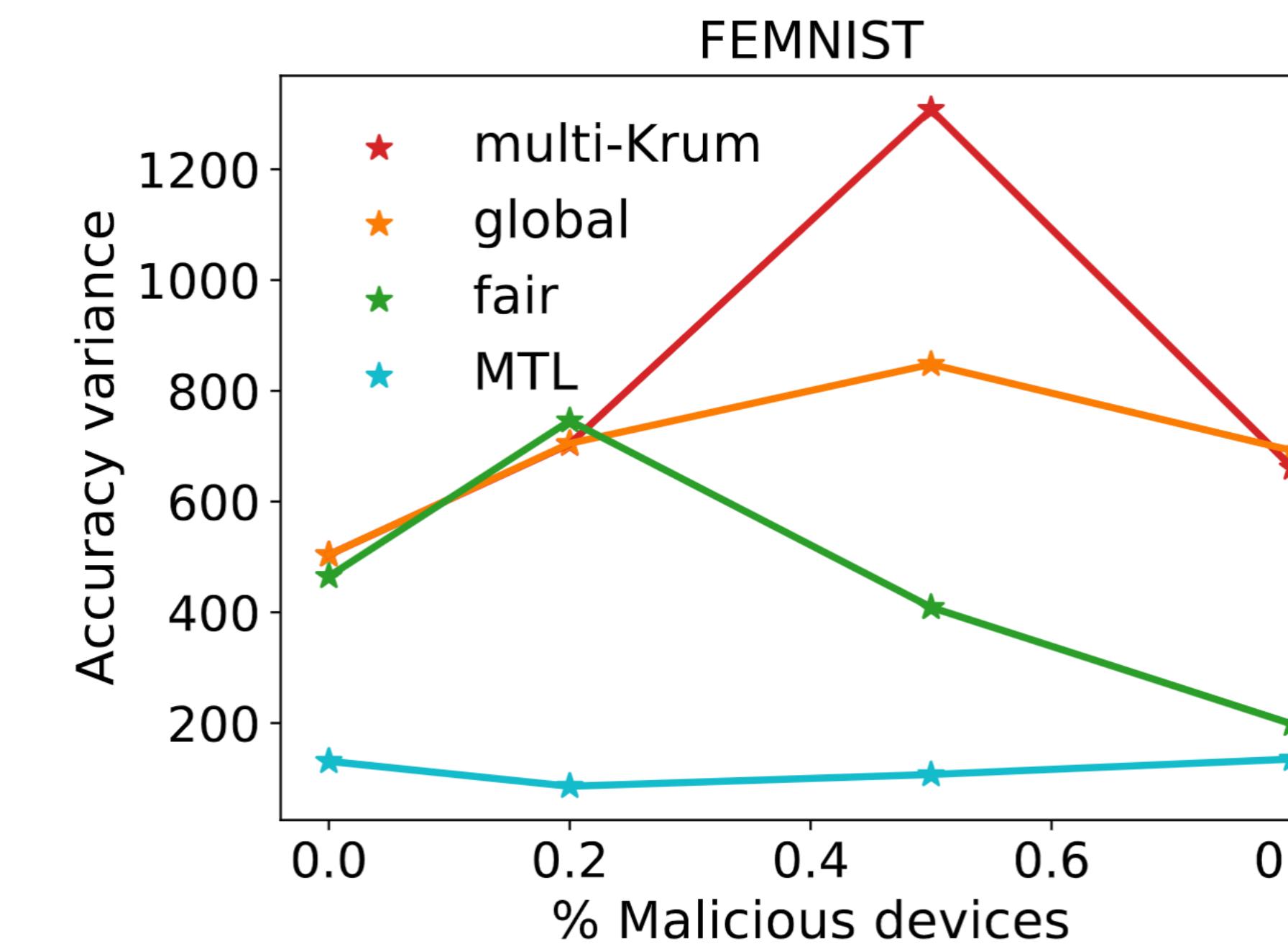
/* Solve $h_k(v_k; w^t)$ */
 - 6 Update v_k for s local iterations:
$$v_k = v_k - \eta(\nabla F_k(v_k) + \lambda(v_k - w^t))$$
 - 7 Send $\Delta_k^t := w_k^t - w^t$ back
 - 7 Server aggregates $\{\Delta_k^t\}$:
$$w^{t+1} \leftarrow \text{AGGREGATE}(w^t, \{\Delta_k^t\}_{k \in \{S_t\}})$$
- 8 **return** $\{v_k\}_{k \in [K]}$ (*personalized models*), w^T (*global model*)

- * a scalable, simple personalization add-on for any federated global solver
- * preserves the practical properties of the global FL solver (e.g., communication, privacy)
- * with convergence guarantees

Experiments: Competing Constraints

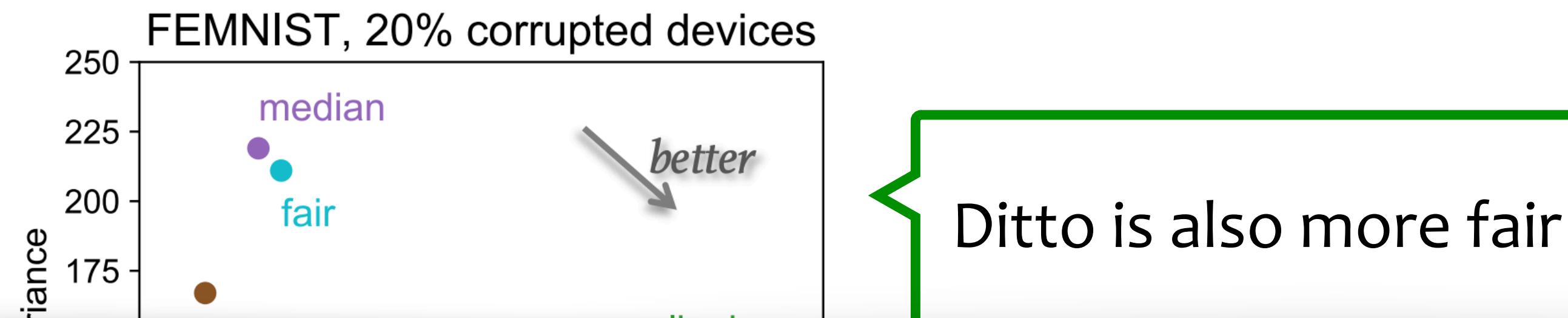
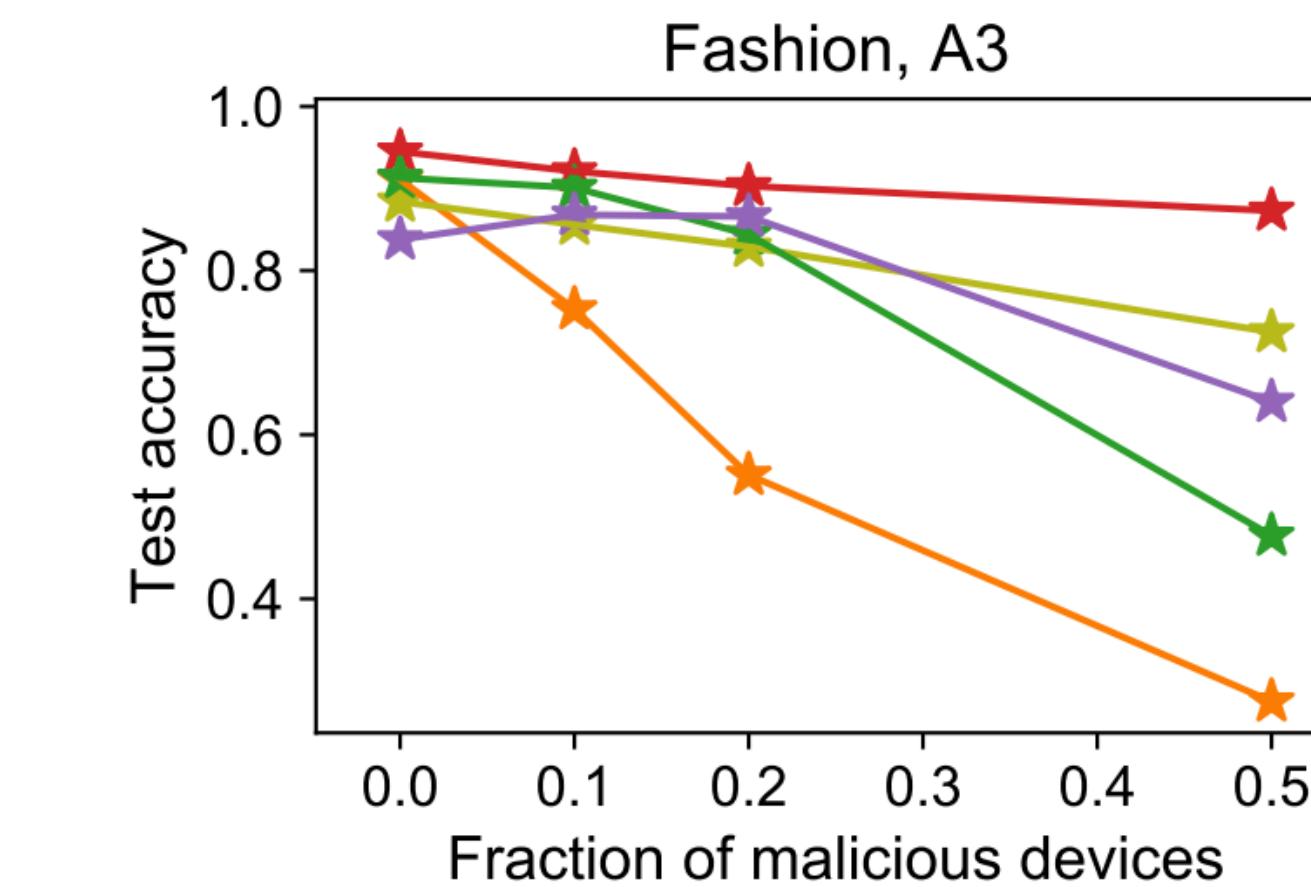
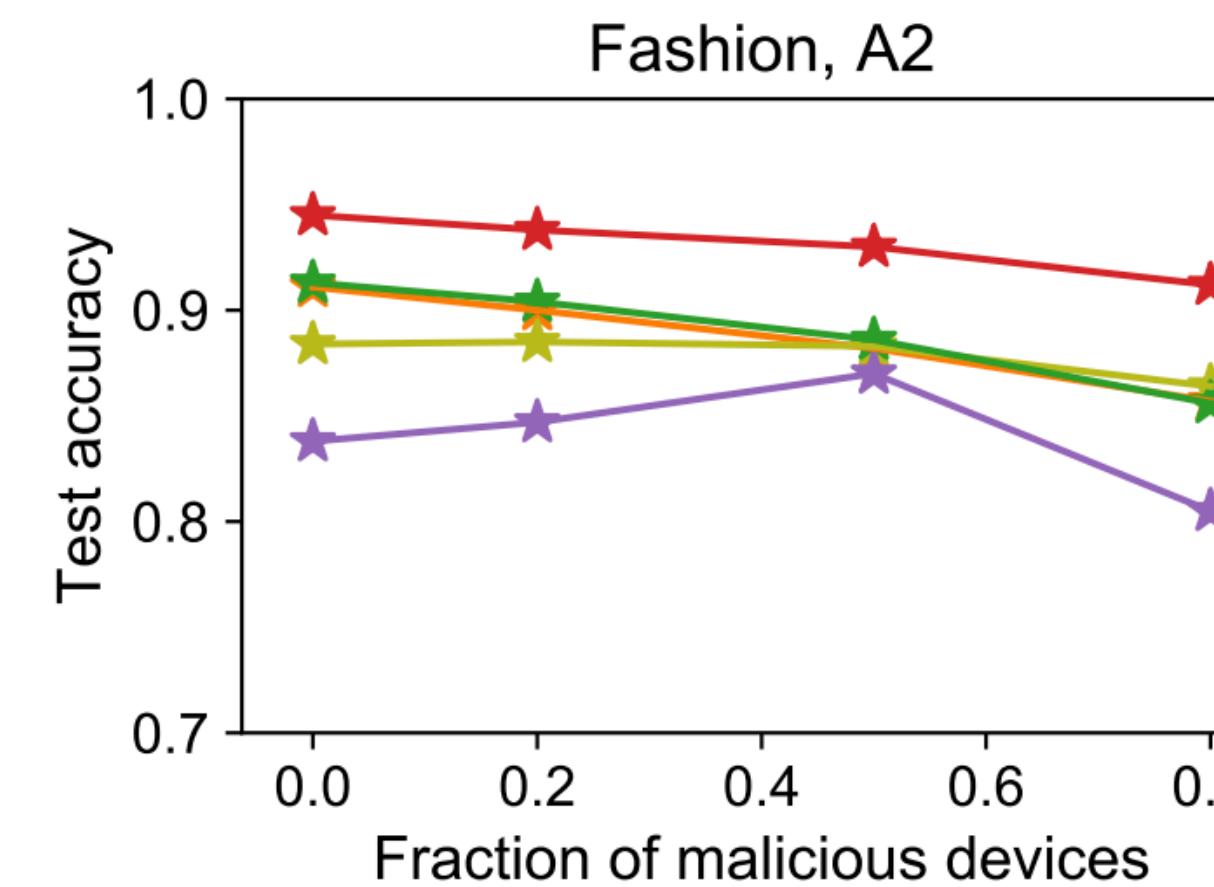
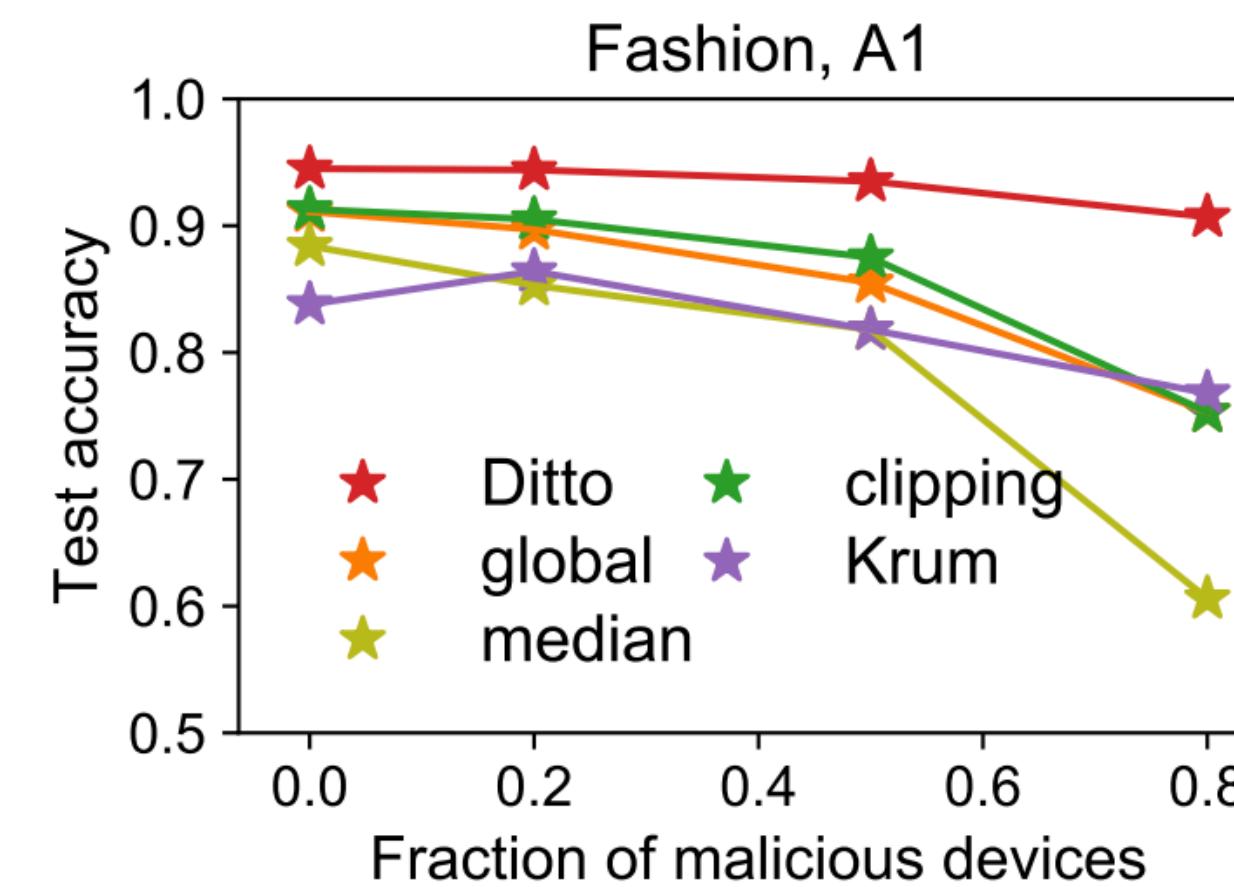


fair methods are not robust



robust methods are not fair (with high variance)

Experiments: Benefits of Personalization



Ditto is also more fair

Ditto is more robust
than strong baselines
under various attacks

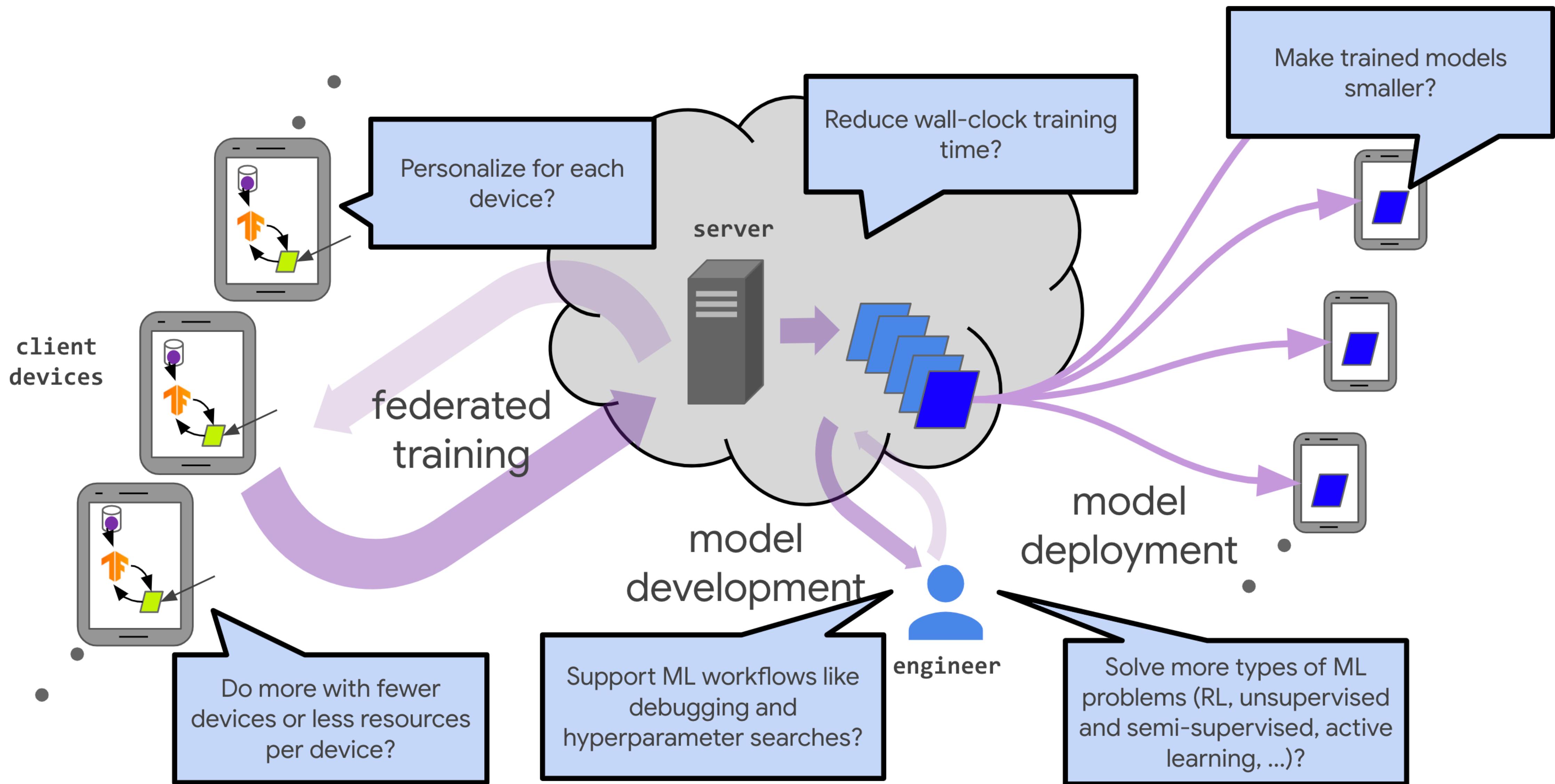
on average, improve absolute accuracy by ~6% over the strongest robust baseline
reduce variance by ~10% over STOA fair methods

How to model federated data?

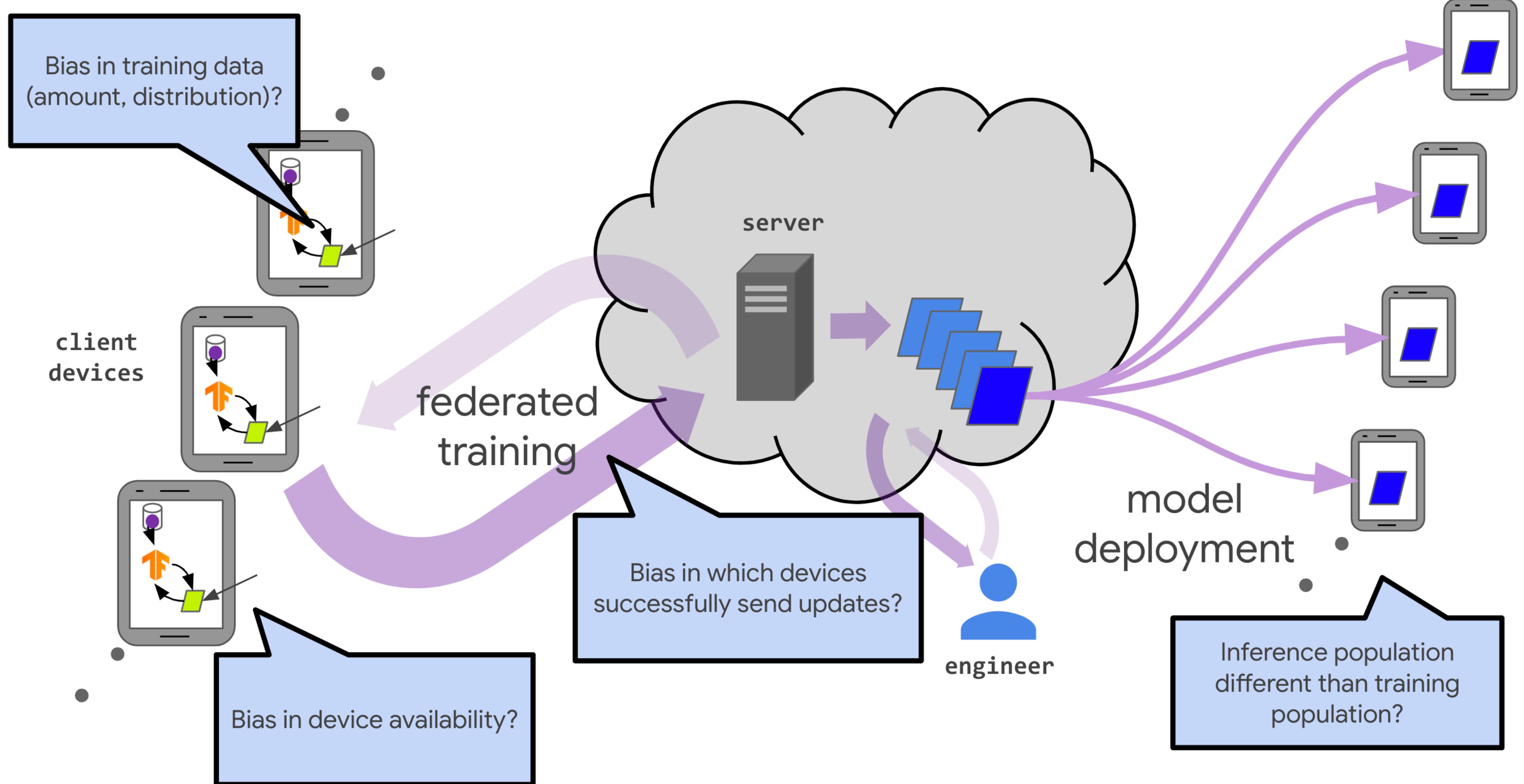
- ➊ Personalization is a promising approach (need to be scalable, automated)
- ➋ Personalization has additional benefits beyond accuracy, e.g., fairness, robustness, etc.

What's next??

Improving efficiency and effectiveness

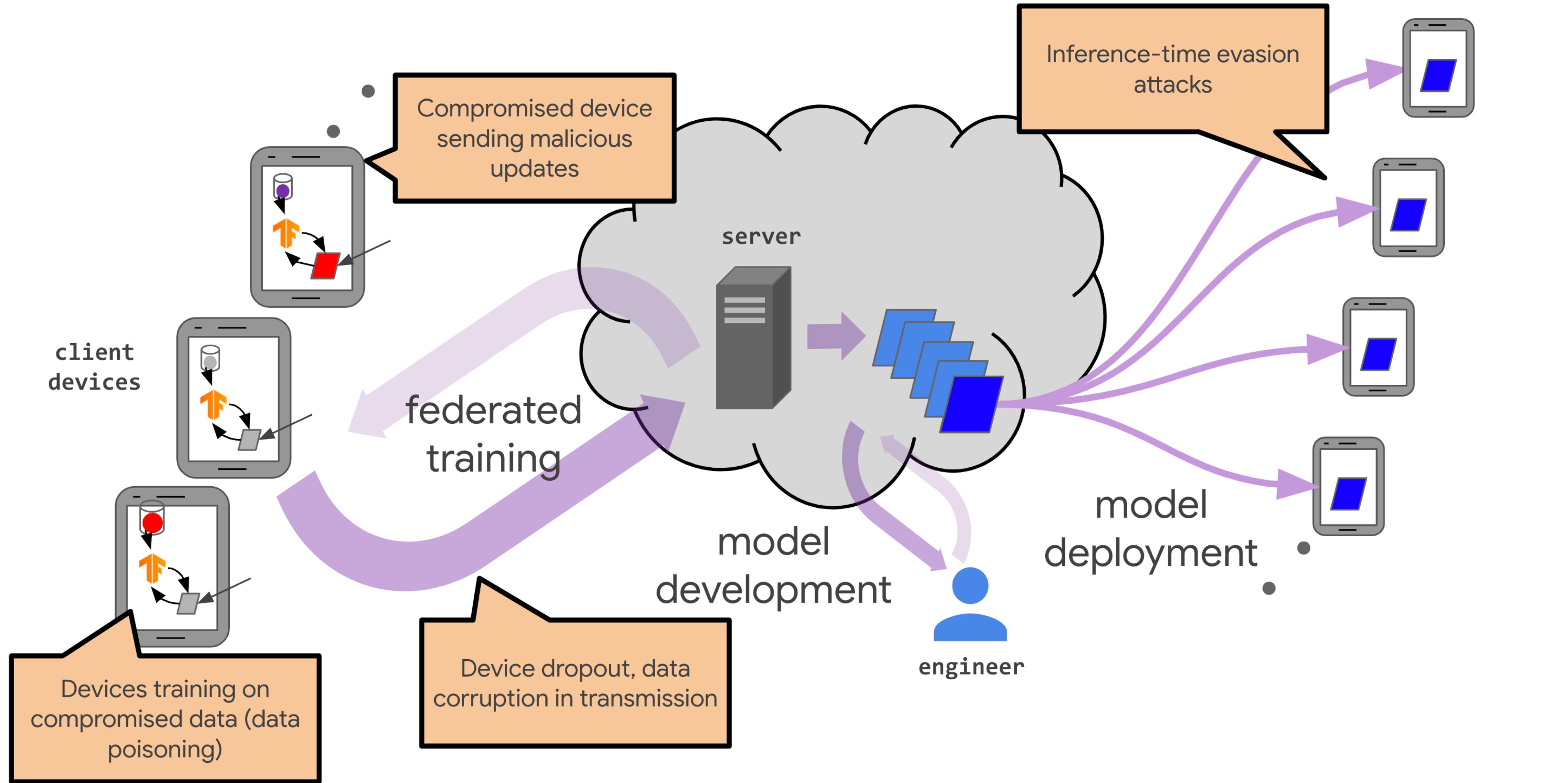


Ensuring fairness and addressing sources of bias •



[Credit: B. McMahan, FL Tutorial, NeurIPS 2020]

Robustness to attacks and failures



Additional Reading

- ➊ FedAvg: Communication-Efficient Learning of Deep Networks from Decentralized Data,
McMahan et al, AISTATS 2017
- ➋ MOCHA: Federated Multi-Task Learning, Smith et al, NeurIPS 2017
- ➌ [White Paper] Federated Learning: Challenges, Methods, and Future Directions, Li et al,
IEEE Signal Processing Magazine, 2020
- ➍ NeurIPS 2020 federated learning tutorial, <https://sites.google.com/view/fl-tutorial>

Questions?

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