

# CSE 220 – C Programming

Bitwise Operators

# Integer types

- Whole numbers
- Signed/Unsigned
  - Signed: most significant bit denotes the sign:
    - 1 if –
    - 0 if +
  - By default, integers are signed
- Length (machine dependent):
  - int: 16/32bits
  - long int, long: 32/64bits
  - short int, short: 16bits
- `sizeof` operator: number of bytes:
  - `sizeof(char): 1`                      `sizeof(int): 4`                      `sizeof(x): 4`

# Integer types

31

30

0

- 111111111 00101000 00111000 00000110
  - signed int x: - or  $+ (2^{30} + 2^{29} + \dots)$
  - unsigned int x:  $2^{31} + \dots$
- Integer overflow:
  - $1111111111111111 + 0000000000000001$
  - Result does not fit in data type (16 bits)
  - If signed: behavior undefined
  - If unsigned: correct answer modulo  $2^n$ 
    - n is the number of bits

# Integer Constants

- C allows constants to be written in:
  - Decimal: base 10
    - Digits between 0 and 9, must not begin with 0
    - 34            199
  - Octal: base 8
    - Digits between 0 and 7, must begin with 0
    - 034        07777
  - Hexadecimal: base 16
    - Digits between 0 and 9, letters between a and f (case doesn't matter), must begin with 0x
    - 0xFA    0X2fCB    0xfddd

For the binary number: 111011

What is its Octal representation?

0111011

037

073

I don't know

For the binary number: 111011

What is its Hexadecimal representation?

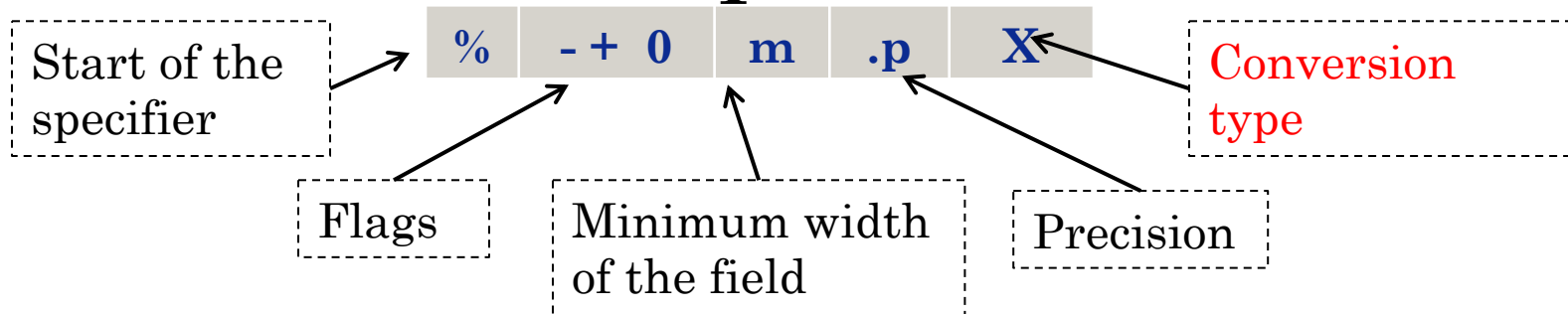
0x73

0x3b

0x311

I don't know

# Conversion Specification



- **Conversion type:**
  - c**: a single character
  - s**: string
  - d**: integer
  - f**: floating point notation
  - E,e**: scientific notation
  - X,x**: hexadecimal number
  - o**: octal number

# Bitwise Operators

- For bit manipulation:
  - Bitwise AND:  $\&$
  - Bitwise inclusive OR:  $|$
  - Bitwise exclusive OR:  $\wedge$
  - Bitwise complement:  $\sim$
  - Left shift:  $\ll$
  - Right shift:  $\gg$



# Bitwise Operators

- Binary representation:

```
int i = 22;          /* 10110 */
```

```
int j = 91;          /* 1011011 */
```

- Division by 2

$$\begin{aligned} 22 &= 2 * 11 = 2 * (2 * 5 + 1) \\ &= 2 * (2 * (2 * 2 * 1 + 1) + 1) = 2^4 + 2^2 + 2^1 \end{aligned}$$

- Comparison by powers of 2 (1, 2, 4, 8, 16, 32, 64, ...)

$$22 = 16 + 4 + 2 = 2^4 + 2^2 + 2^1$$

$$91 = 64 + 16 + 8 + 2 + 1 = 2^6 + 2^4 + 2^3 + 2^1 + 2^0$$

- In binary:  $1111 = 10000 - 1 = 2^4 - 1$

# What do you think the following code outputs?

```
unsigned int a = 3;  
unsigned int b = 2;  
printf("%d", a && b);
```

0

1

2

3

# Bitwise Operators

- Bitwise **&**:

```
result = i & j;
```

```
00000000000010110
```

```
00000000001011011
```

```
00000000000010010  $\Leftrightarrow 2^1 + 2^4 = 18$ 
```

- Bitwise **~** (complement):

```
result = ~i;
```

```
00000000000010110
```

```
11111111111101001  $\Leftrightarrow$ 
```

```
65,513
```

In this example:

- variables i and j are of type int
- are represented by 16 bits (2 bytes)

# What do you think the following code outputs?

```
unsigned int a = 3;  
unsigned int b = 2;  
printf("%d", a & b);
```

0

1

2

3

# Bitwise Operators

- Bitwise exclusive or  $\wedge$ : *1 if bits are different, 0 if the same*

`result = i  $\wedge$  j;`

`00000000000010110`

`00000000001011011`

`00000000001001101  $\Leftrightarrow$  77`

- Bitwise inclusive or  $\mid$ : *1 if at least one of the bits is 1*

`result = i  $\mid$  j;`

`00000000000010110`

`00000000001011011`

`00000000001011111  $\Leftrightarrow$  95`

# Bitwise Operators

- Left shift:

`result = i << 3;`

00000000000010110

0000000010110000  $\Leftrightarrow$  176



- Right shift:

`result = i >> 2;`

00000000000010110

0000000000000101  $\Leftrightarrow$  5



# What is the difference between y and z?

```
unsigned int x = 56;  
unsigned int y = x >> 1;  
unsigned int z = x / 2;
```

No difference

y is a float

y is negative

I don't know

# When To Use Bitwise Operators?

- When space efficiency is paramount.
  - If you need to pack a lot of data into a small space, you want to use each byte of memory available.
- When speed is paramount.
  - Bitwise operators take less time to run (generally) than all the other arithmetic operators.
- When you are forced to.
  - Following certain algorithms (often related to data compression or cryptography) or communicating with certain hardware (often microcontrollers or sensors) may require "unpacking" multiple pieces of information stored in a single int.



# stdint.h

- ints, longs, and all the types in C can be different sizes depending on the compiler and the hardware.
- However, the stdint.h library allows you to get a data type that is big enough to hold a particular number of bits (8, 16, 32, or 64).
- We'll mostly be concerning ourselves with unsigned integers, primarily "uint16\_t", which is the 16 bit unsigned integer.