Symulacje

Aleksandra Brodecka October 31, 2016

```
set.seed(123456)
library(ggplot2)
library(gridExtra)
library(grid)
```

Implementacja funkcji, z których korzystam:

1. Funkcja wyliczajaca RMSE:

```
RMSE = function(fit, age){
   sqrt(mean((fit - age)^2))
}
```

2. Funkcja do wyznaczania współczynników β_0 i β_1 metoda momentów:

```
MOM_RC <- function(data){

W = data$met
Y = data$age
m = data$m

SW = sum(W - mean(W)^2)/(length(W)-1)
SWY = sum((W - mean(W)) * (Y - mean(Y)))/(length(W)-1)

sigma_u = sum((W*(1-W)/(m-1))^2)/length(W)

b1 = SWY/(SW - sigma_u)
b0 = mean(Y) - b1 * mean(W)

bety = c(b0, b1)
names(bety) <- c("b0", "b1")
bety
}</pre>
```

3. Funkcja do generowania danych (metylacji) z rozkladu dwumianowego:

$$Y_i = \beta_0 + \beta_1 * met_i + \epsilon_i$$
$$met_i = Bin(m_i, p_i)/m_i$$

```
gen_bin <- function(b0, b1, n, sig, n1, n2){

if (n1 == n2) {m = rep(n1, n)}
} else { m = sample(n1:n2, n, replace=T) }</pre>
```

```
p = runif(n)
Bin = rbinom(n, m, p)
met = Bin/m
e = rnorm(n, 0, sig)
age = b0 + b1*met + e
data <- data.frame(age, met, m)
data[data$age > 0 & data$age < 100, ]
}</pre>
```

4. Funkcja do generowania danych (metylacji) za pomoca rozkladu Beta:

```
age \sim runif(0, 80)

met \sim B(f(age), n)

n \sim Poiss(\lambda)
```

```
gen_beta <- function(n, lambda, n1, n2, fun){
   age = runif(n, 0, 80)
   if(n1==n2) { m = rep(n1, n)
   } else {m = sample(n1:n2, n, replace=T)}
   met = rbeta(n, fun(age), rpois(1, lambda))
   data <- data.frame(age, met, m)
   data[data$age > 0 & data$age < 100, ]
}</pre>
```

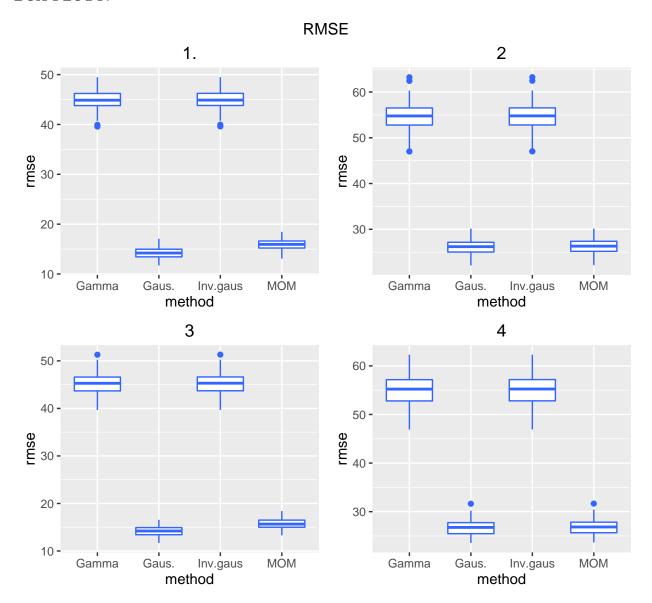
SYMULACJE DLA ROZKLADU DWUMIANOWEGO METYLACJI

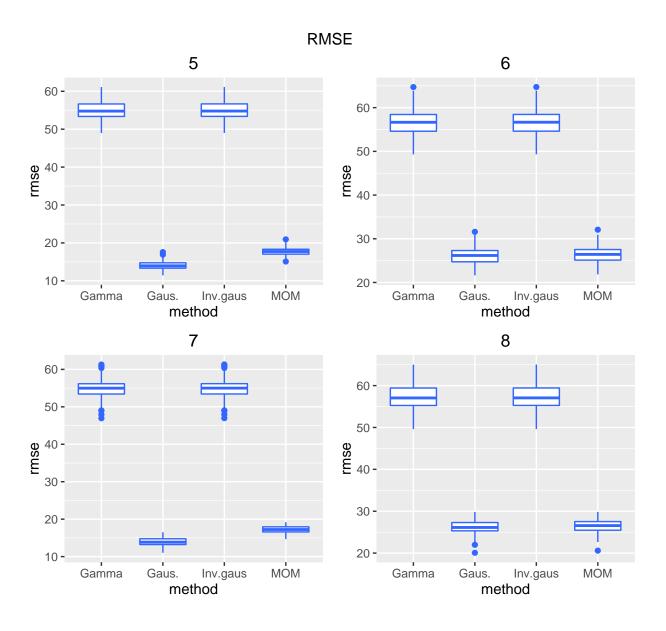
Tworze 200 próbek, kazda o licznosci 100:

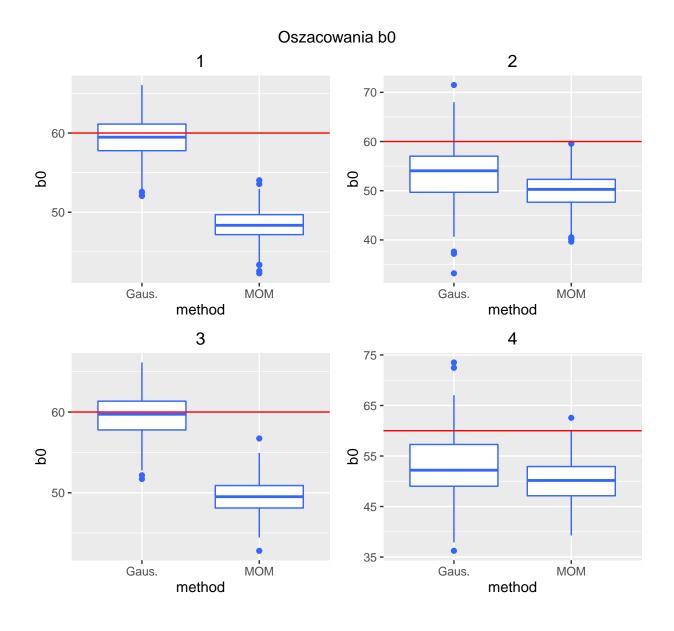
$$Y_i = \beta_0 + \beta_1 * met_i + \epsilon_i$$
$$met_i = Bin(m_i, p_i)/m_i$$

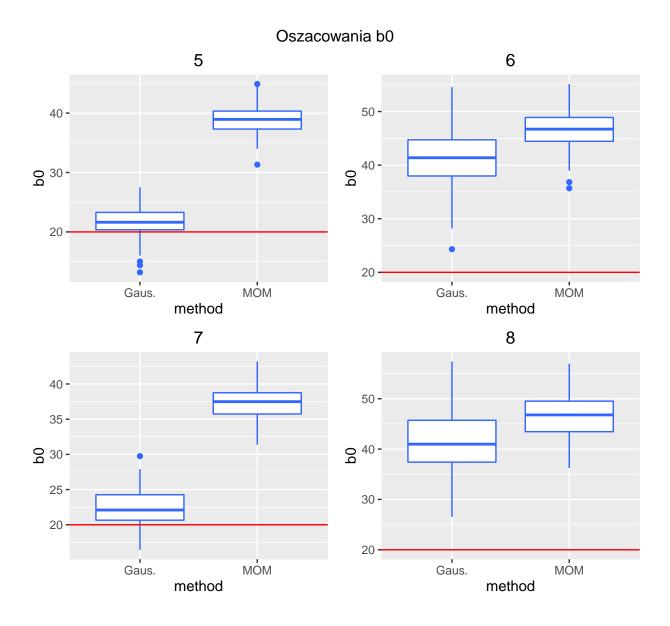
- 1. $\epsilon \sim N(0, 15), m_i \ sample(5:15), \beta_0 = 60, \beta_1 = -40$
- 2. $\epsilon \sim N(0, 50), m_i \ sample(5:15), \beta_0 = 60, \beta_1 = -40$
- 3. $\epsilon \sim N(0, 15), m_i = 5, \beta_0 = 60, \beta_1 = -40$
- 4. $\epsilon \sim N(0,50), m_i = 5, \beta_0 = 60, \beta_1 = -40$
- 5. $\epsilon \sim N(0, 15), m_i \ sample(5:15), \beta_0 = 20, \beta_1 = 60$
- 6. $\epsilon \sim N(0, 50), m_i \ sample(5:15), \beta_0 = 20, \beta_1 = 60$
- 7. $\epsilon \sim N(0, 15), m_i == 5, \beta_0 = 20, \beta_1 = 60$
- 8. $\epsilon \sim N(0, 50), m_i = 5, \beta_0 = 20, \beta_1 = 60$

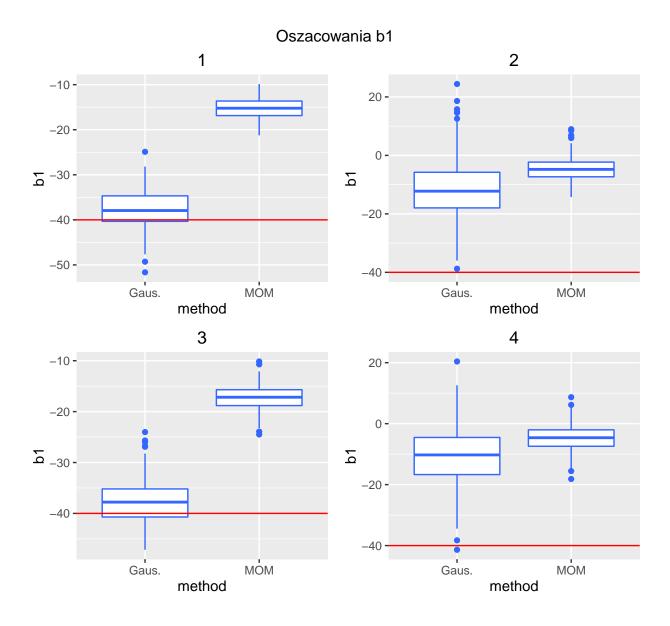
BOX-PLOTY:

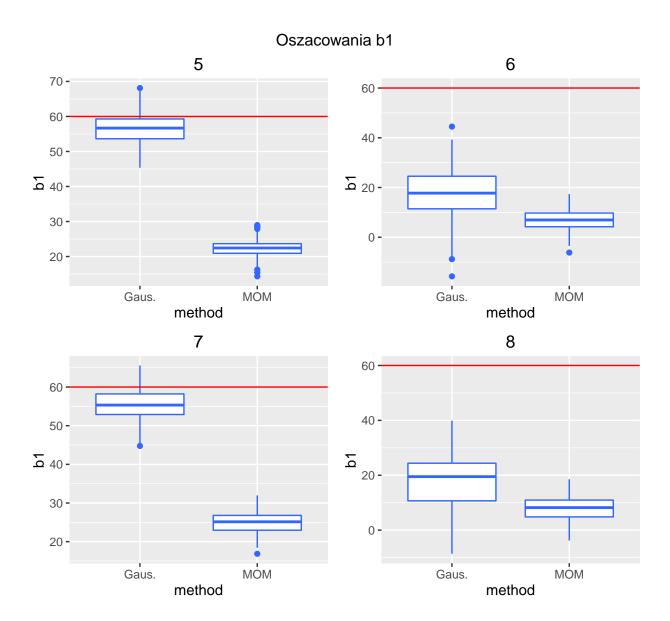




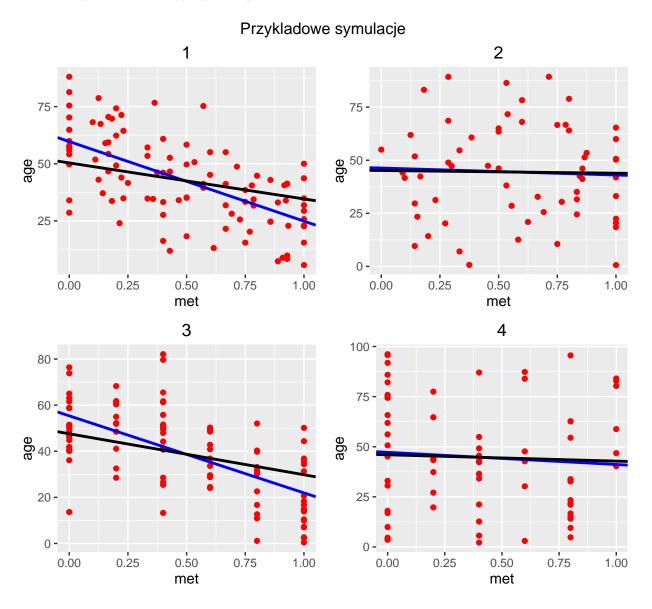


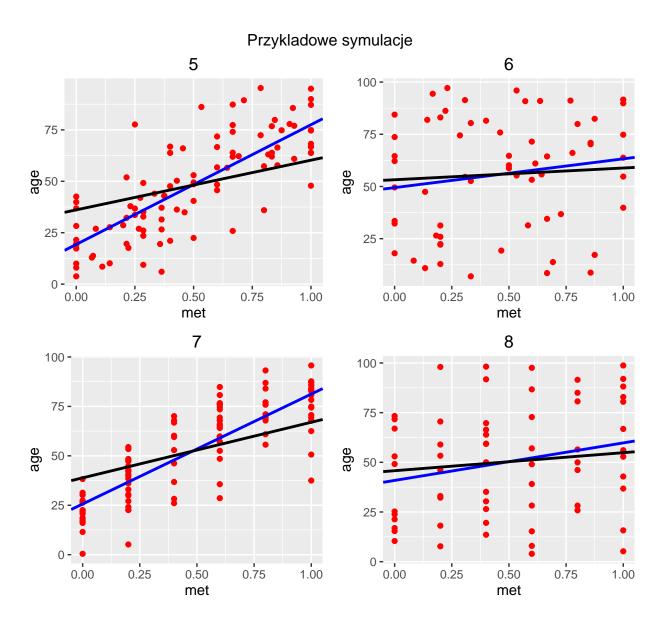






Postac danych wraz z krzywymi dopasowania:





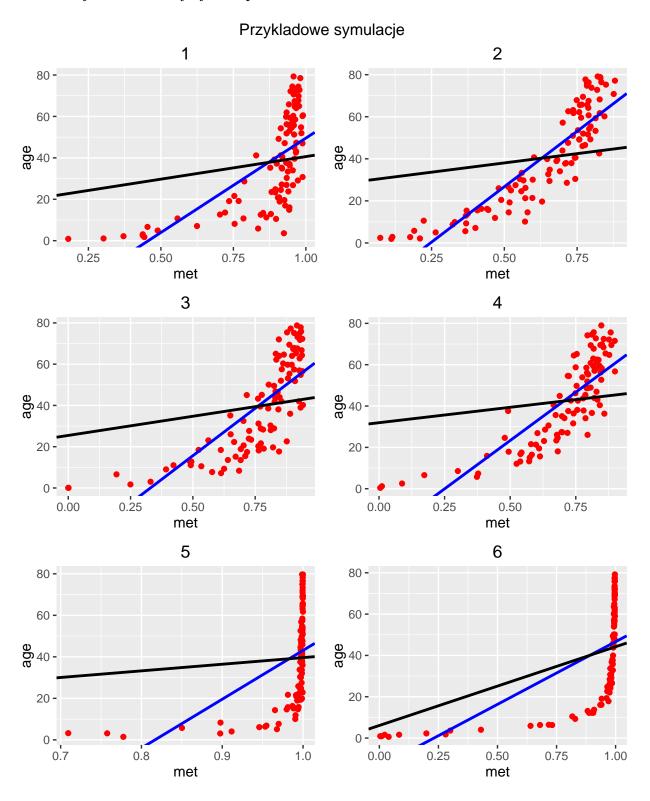
SYMULACJE DLA ROZKLADU BETA

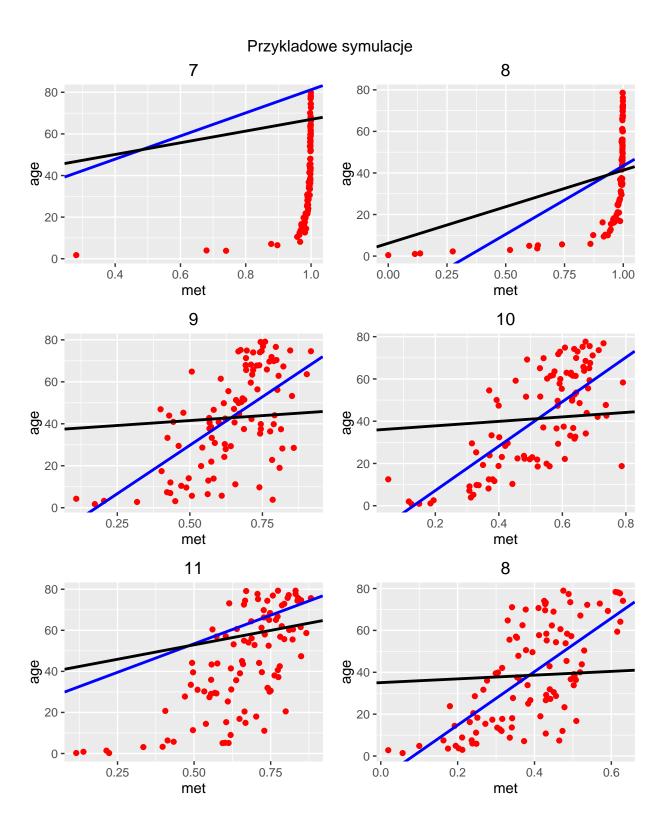
$$age \sim runif(0, 80)$$

 $met \sim B(f(age), n)$
 $n \sim Poiss(\lambda)$

- 1. $f(age) = age, n \sim Poiss(5), m = sample(5:15)$
- 2. $f(age) = age, n \sim Poiss(15), m = sample(5:15)$
- 3. $f(age) = age, n \sim Poiss(5), m == 5$
- 4. $f(age) = age, n \sim Poiss(15), m == 5$
- 5. $f(age) = age^2, n \sim Poiss(5), m = sample(5:15)$
- 6. $f(age) = age^2, n \sim Poiss(15), m = sample(5:15)$
- 7. $f(age) = age^2, n \sim Poiss(5), m == 5$ 8. $f(age) = age^2, n \sim Poiss(15), m == 5$
- 9. $f(age) = 2sqrt(age), n \sim Poiss(5), m = sample(5:15)$
- 10. $f(age) = 2sqrt(age), n \sim Poiss(15), m = sample(5:15)$
- 11. $f(age) = 2sqrt(age), n \sim Poiss(5), m == 5$
- 12. $f(age) = 2sqrt(age), n \sim Poiss(15), m == 5$

Postac danych wraz z krzywymi dopasowania:





SYMYLACJE:

