

### 第3章 采样和量化

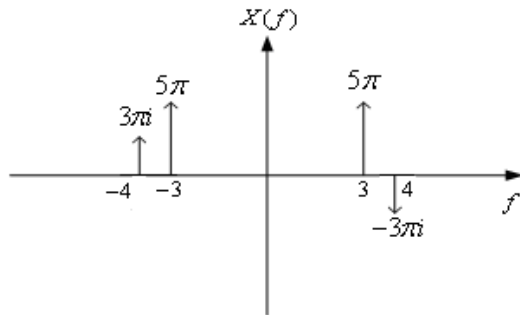
#### 3-1

答:

输入: syms t w

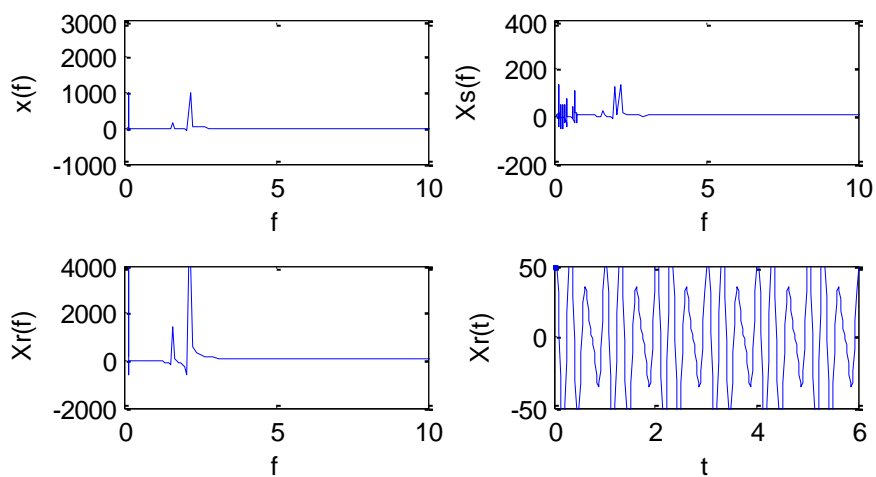
$Xf = \text{fourier}(5 * \cos(6 * \pi * t) + 3 * \sin(8 * \pi * t))$

输出:  $Xf = \pi * (5 * \text{dirac}(w + 6 * \pi) + 3 * i * \text{dirac}(w + 8 * \pi) - 3 * i * \text{dirac}(w - 8 * \pi) + 5 * \text{dirac}(w - 6 * \pi))$



matlab 程序:

```
t=0:0.02:8;
L=length(t);
xt=5*cos(6*pi*t)+3*sin(8*pi*t);
f1=fft(xt);
fs=10;Ts=1/fs;
t1=8:-0.02:0;
f=1./t1;
Pt=zeros(1,L);
for i=1:8:L
    Pt(i)=1;
end
Xst=xt.*Pt;
f2=fft(Xst);
f3=fs*f1;
f4=ifft(f3);
subplot(2,2,1)
plot(f,f1)
axis([0 10 -1000 3000])
xlabel('f');ylabel('x(f)');
subplot(2,2,2)
plot(f,f2)
axis([0 10 -200 400])
xlabel('f');ylabel('Xs(f)');
subplot(2,2,3)
plot(f,f3)
axis([0 10 -2000 4000])
xlabel('f');ylabel('Xr(f)');
subplot(2,2,4)
plot(t,f4)
xlabel('t');ylabel('Xr(t)');
axis([0 6 -50 50])
```



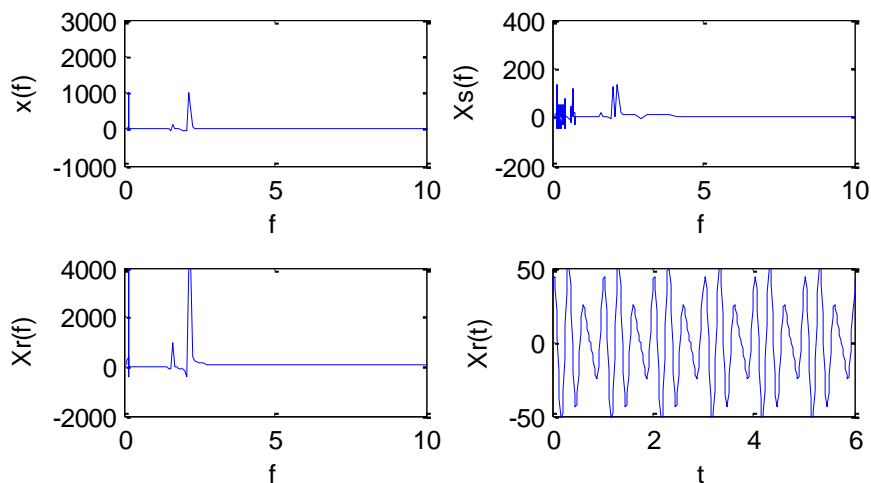
### 3-2

答: matlab 程序:

```

t=0:0.02:8;
L=length(t);
xt=5*cos(6*pi*t)+3*sin(8*pi*t);
f1=fft(xt);
fs=7;Ts=1/fs;
t1=8:-0.02:0;
f=1./t1;
Pt=zeros(1,L);
for i=1:8:L
    Pt(i)=1;
end
Xst=xt.*Pt;
f2=fft(Xst);
f3=fs*f1;
f4=ifft(f3);
subplot(2,2,1)
plot(f,f1)
axis([0 10 -1000 3000])
xlabel('f');ylabel('x(f)');
subplot(2,2,2)
plot(f,f2)
axis([0 10 -200 400])
xlabel('f');ylabel('Xs(f)');
subplot(2,2,3)
plot(f,f3)
axis([0 10 -2000 4000])
xlabel('f');ylabel('Xr(f)');
subplot(2,2,4)
plot(t,f4)
xlabel('t');ylabel('Xr(t)');
axis([0 6 -50 50])

```



### 3.5

信号  $x(t) = 5 \sin(10\pi t)$ ,

(a) 信号的动态范围为  $SNR = 25.84, 49.93, 98.09, 194.42$  dB。

(b) 信号的波峰因素为  $F_c = \frac{2\sqrt{S}}{D}$ 。其中,  $S$  为信号的功率  $S = \frac{A_m^2}{2} = \frac{5^2}{2} = 12.5$ , 所以  $F_c = \frac{2*\sqrt{12.5}}{10} = 0.7071$ 。

(c) 信噪比  $(SNR)_q = 3F_c^2 2^{2b}$ , 以 dB 为单位,  $10\lg(SNR)_q = 10\lg(3) + 20\lg(F_c) + 20b\lg 2$

当  $b = 4, 8, 16, 32$  比特时, 计算得  $SNR = 25.84, 49.93, 98.09, 194.42$  dB

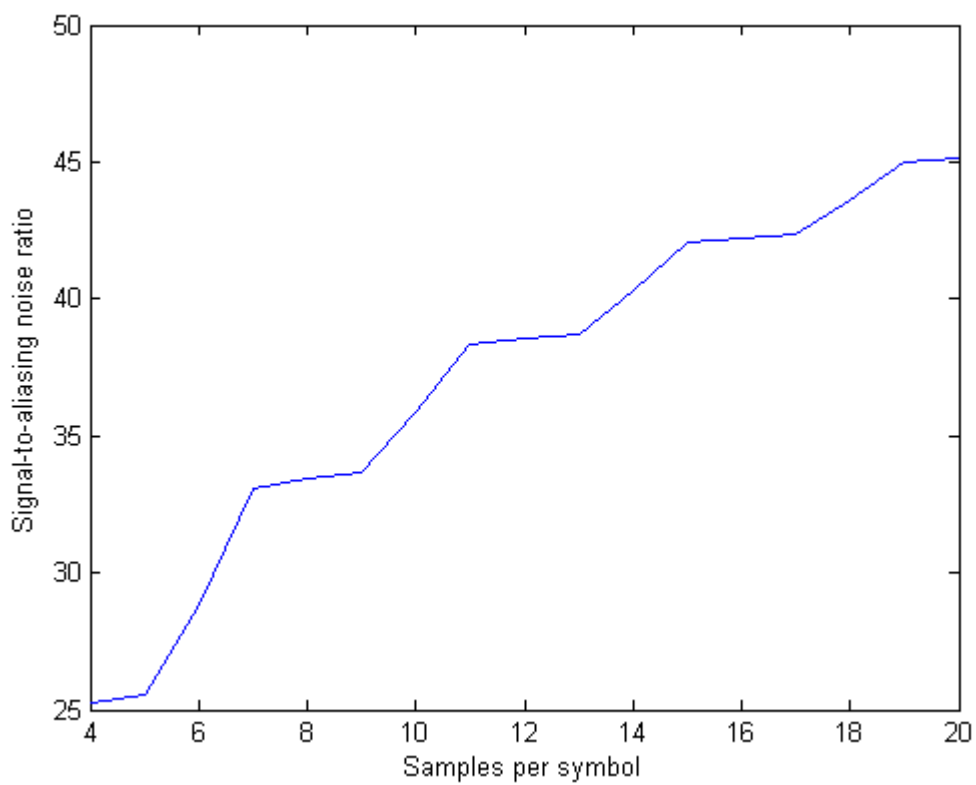
### 3.11

```
k = 50; % samples per lobe
nsamp = 50000; % total frequency samples
snrdb = zeros(1,17); % initialize memory
x = 4:20; % vector for plotting
for m = 4:20
    signal = 0; noise = 0; % initialize sum values
    f_fold = k*m/2; % folding frequency
    for j = 1:f_fold
        term = (sin(pi*j/k/2)/(pi*j/k/2))^4;
        signal = signal+term;
    end
    for j = (f_fold+1):nsamp
```

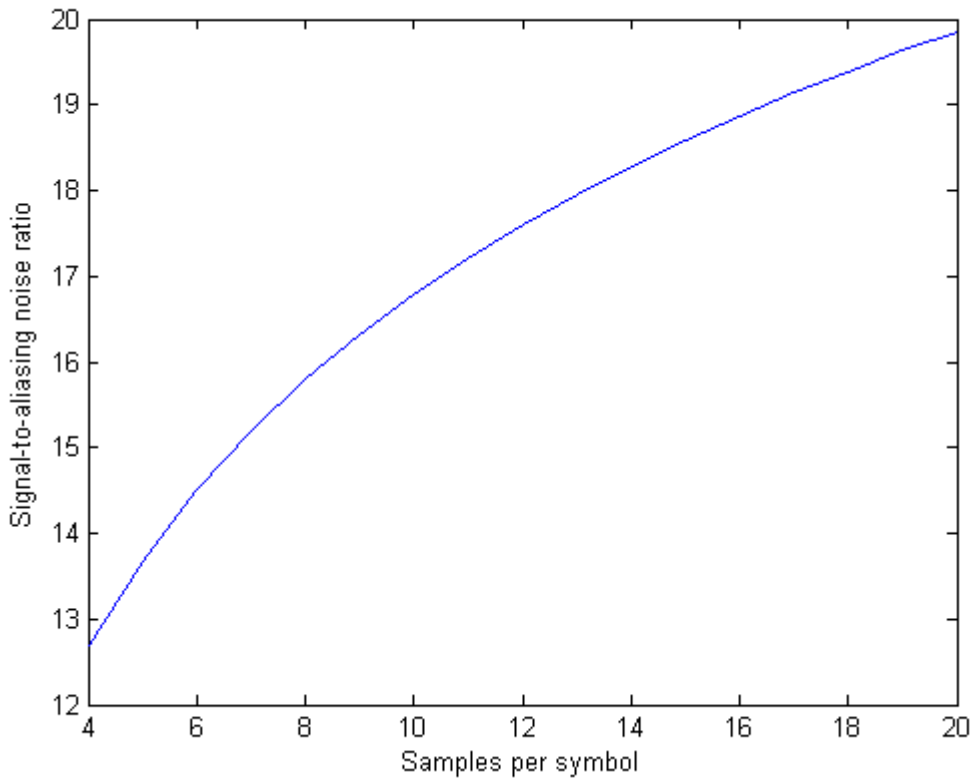
```

    term = (sin(pi*j/k/2)/(pi*j/k/2))^4;
    noise = noise+term;
end
snrdb(m-3) = 10*log10(signal/noise);
end
plot(x, snrdb)                % plot results
xlabel('Samples per symbol')
ylabel('Signal-to-aliasing noise ratio')

```



三角脉冲波形的信号混叠信噪比



矩形脉冲波形的信号混叠信噪比

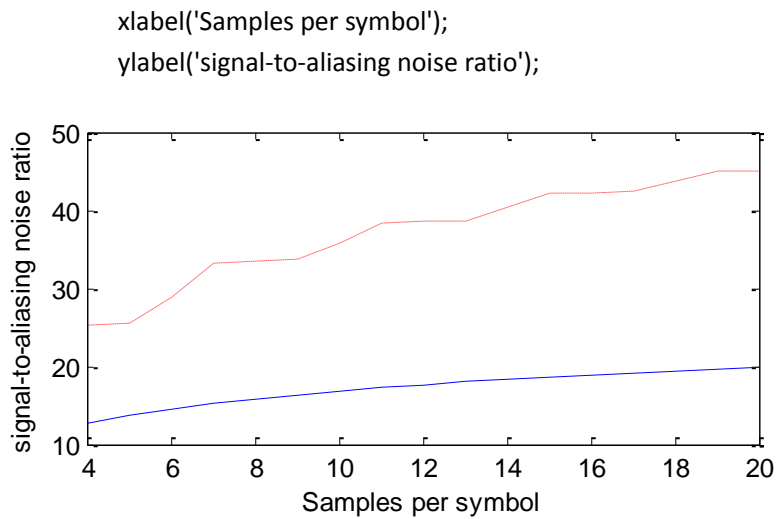
### 3-11

答: matlab程序:

```

k=50;
nsamp=50000;
snrdb=zeros(1,17);
snrdb_triangle=zeros(1,17);
x=4:20;
for m=4:20
    signal=0;noise=0;signal_triangle=0;noise_triangle=0;
    f_fold=k*m/2;
    for j=1:f_fold
        term=(sin(pi*j/k)/(pi*j/k))^2;
        term_triangle=(sin(pi*j/(2*k))/(pi*j/(2*k)))^4;
        signal=signal+term;
        signal_triangle=signal_triangle+term_triangle;
    end
    for j=(f_fold+1):nsamp
        term=(sin(pi*j/k)/(pi*j/k))^2;
        term_triangle=(sin(pi*j/(2*k))/(pi*j/(2*k)))^4;
        noise=noise+term;
        noise_triangle= noise_triangle+term_triangle;
    end
    snrdb(m-3)=10*log10(signal/noise);
    snrdb_triangle(m-3)=10*log10(signal_triangle/noise_triangle);
end
plot(x,snrdb,x,snrdb_triangle,'r:');

```



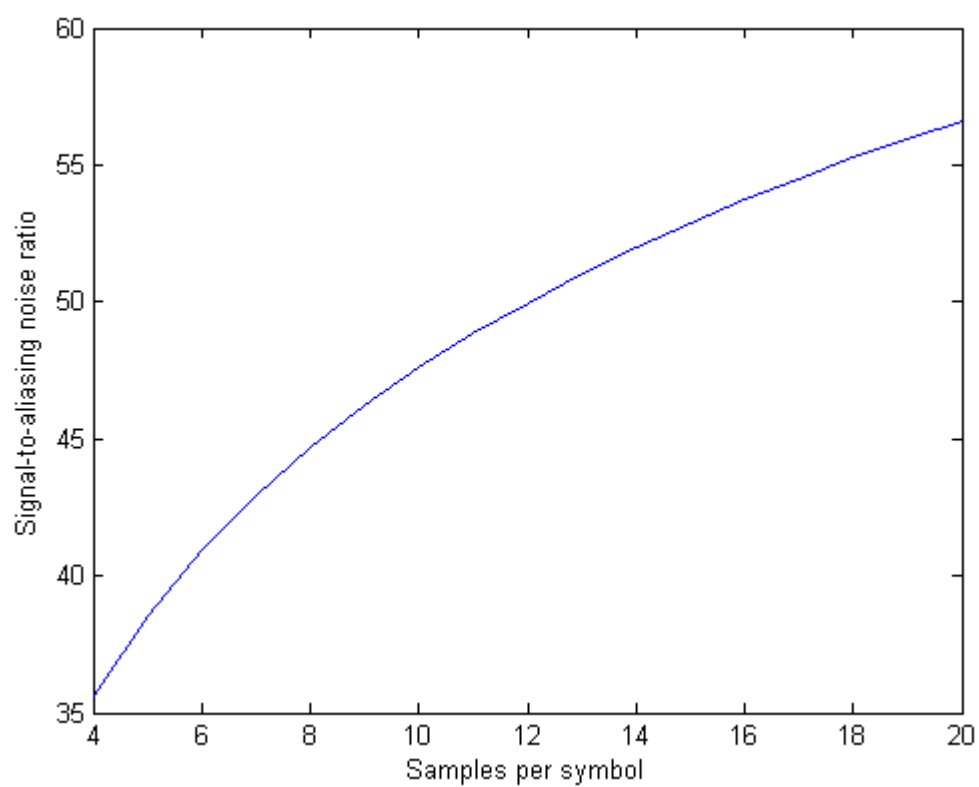
可见成形脉冲为三角脉冲时，效果更好一些。

### 3.12

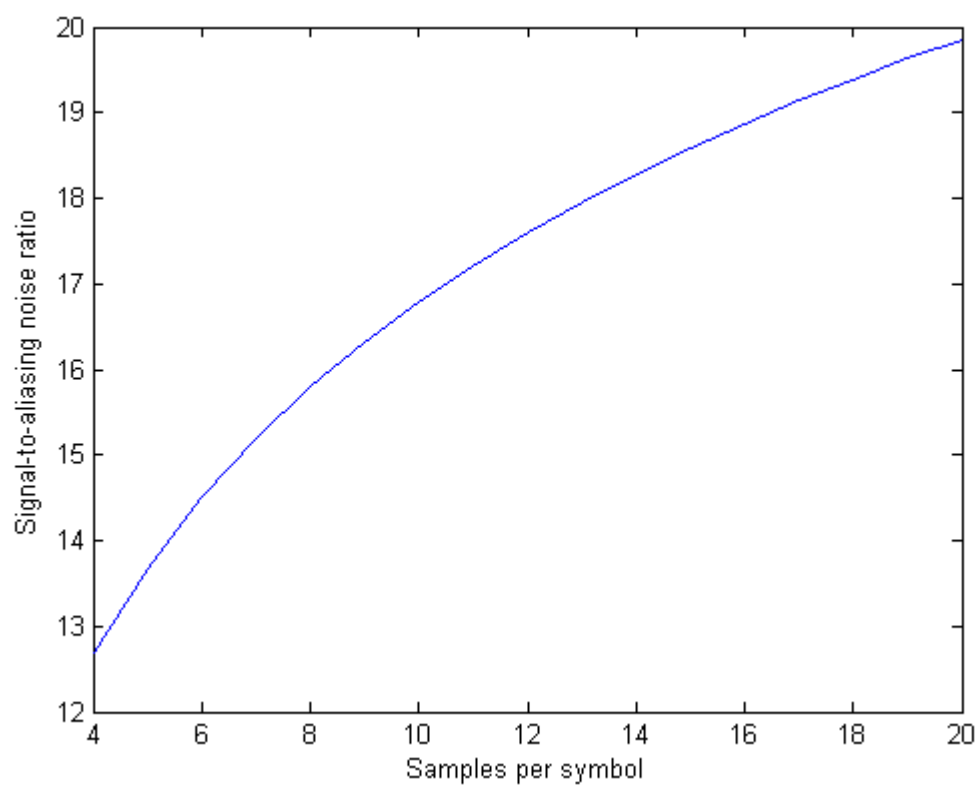
```

k = 50; % samples per lobe
nsamp = 50000; % total frequency samples
snrdb = zeros(1,17); % initialize memory
x = 4:20; % vector for plotting
for m = 4:20
    signal = 0; noise = 0; % initialize sum values
    f_fold = k*m/2; % folding frequency
    for j = 1:f_fold
        term = (cos(2*pi*j/k))^2/(pi^2)/((1-(4*j/k)^2))^2;
        signal = signal+term;
    end
    for j = (f_fold+1):nsamp
        term = (cos(2*pi*j/k))^2/(pi^2)/((1-(4*j/k)^2))^2;
        noise = noise+term;
    end
    snrdb(m-3) = 10*log10(signal/noise);
end
plot(x,snrdb) % plot results
xlabel('Samples per symbol')
ylabel('Signal-to-aliasing noise ratio')
% End of script file.

```



MSK 混叠信噪比



矩形脉冲波形的信号混叠信噪比

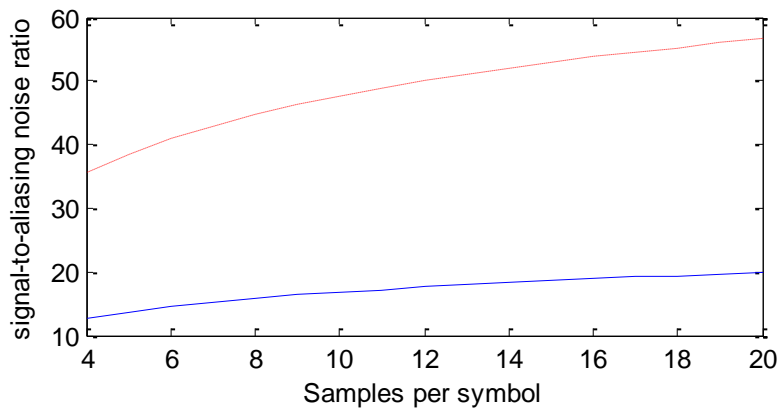
3-12

答: matlab程序:  $k=50$ ;

```

nsamp=50000;
snrdb=zeros(1,17);
snrdb_triangle=zeros(1,17);
x=4:20;
for m=4:20
    signal=0;noise=0;signal_triangle=0;noise_triangle=0;
    f_fold=k*m/2;
    for j=1:f_fold
        term=(sin(pi*j/k)/(pi*j/k))^2;
        term_triangle=(cos(2*pi*j/k))^2/(pi^2*(1-(4*j/k)^2)^2);
        signal=signal+term;
        signal_triangle=signal_triangle+term_triangle;
    end
    for j=(f_fold+1):nsamp
        term=(sin(pi*j/k)/(pi*j/k))^2;
        term_triangle=(cos(2*pi*j/k))^2/(pi^2*(1-(4*j/k)^2)^2);
        noise=noise+term;
        noise_triangle= noise_triangle+term_triangle;
    end
    snrdb(m-3)=10*log10(signal/noise);
    snrdb_triangle(m-3)=10*log10(signal_triangle/noise_triangle);
end
plot(x,snrdb,x,snrdb_triangle,'r:');
xlabel('Samples per symbol');
ylabel('signal-to-aliasing noise ratio');

```



### 3. 13

```

k = 50; % samples per lobe
nsamp = 50000; % total frequency samples
snrdb = zeros(1,17); % initialize memory
x = 4:20; % vector for plotting
for m = 4:20
    signal = 0; noise = 0; % initialize sum values

```



```

f_fold = k*m/2;                % folding frequency

for j = 1:f_fold
    term = (sin(pi*j/k)/(2*pi*j/k))^2;
    signal = signal+term;
end

for j = (f_fold+1):nsamp
    term = (sin(pi*j/k)/(2*pi*j/k))^2;
    noise = noise+term;
end

snrdb(m-3) = 10*log10(signal/noise);

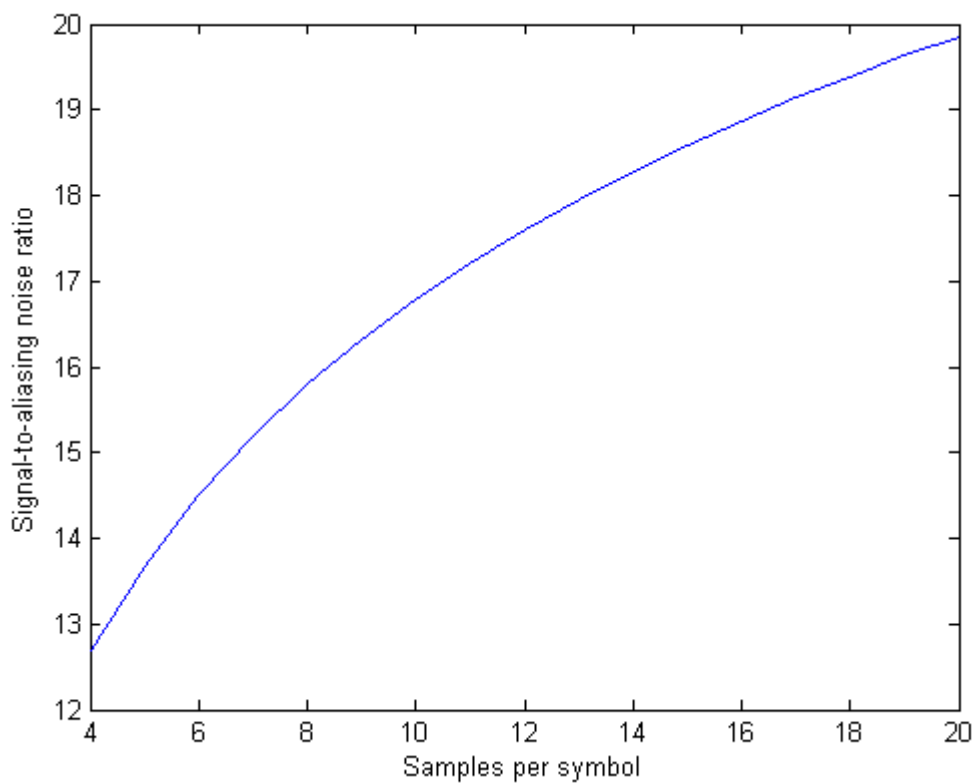
end

plot(x, snrdb)                  % plot results

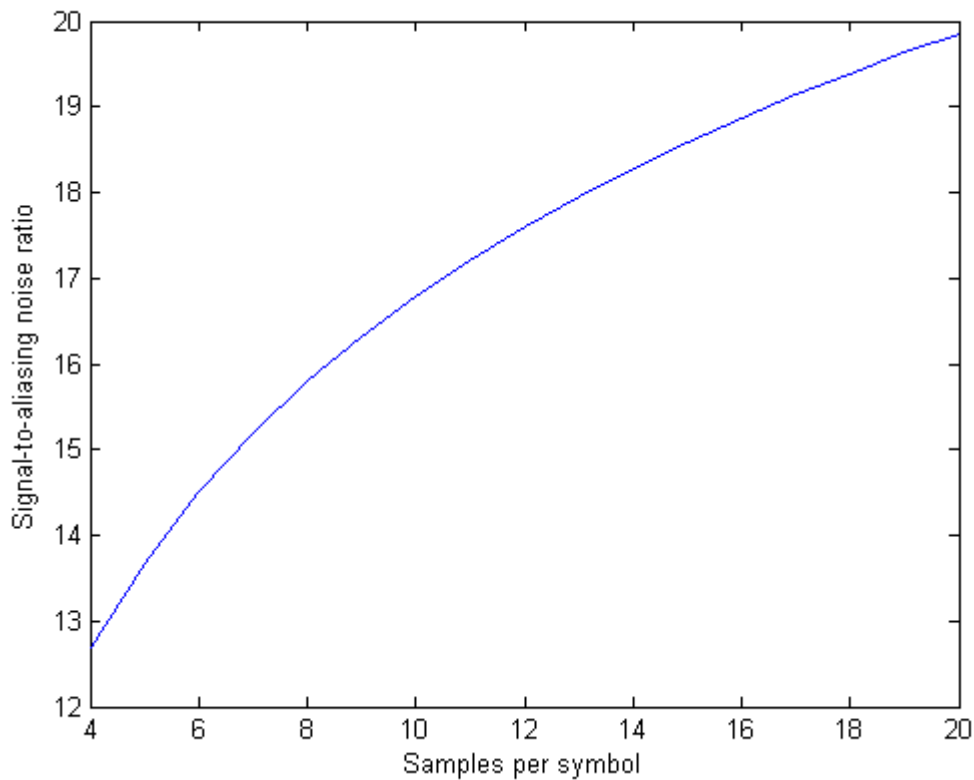
xlabel('Samples per symbol')

ylabel('Signal-to-aliasing noise ratio')

```



QPSK 混叠信噪比



矩形脉冲波形的信号混叠信噪比

#### 第4章 带通信号与系统的低通仿真模型

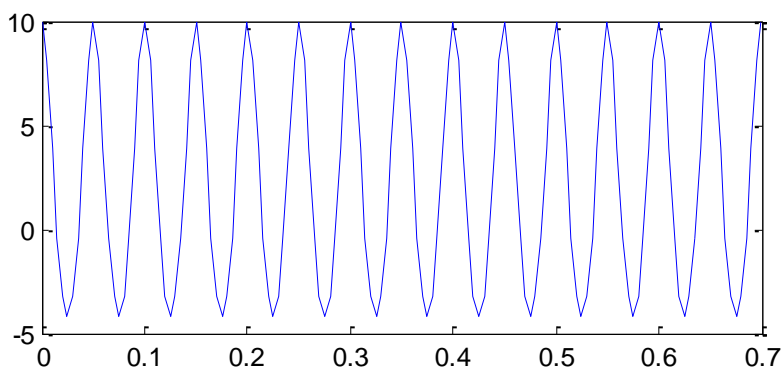
##### 4-3

答:

(a) 分析可知:  $x_d = 10\cos(2\sin(20\pi t))$   $x_q = 10\sin(2\sin(20\pi t))$

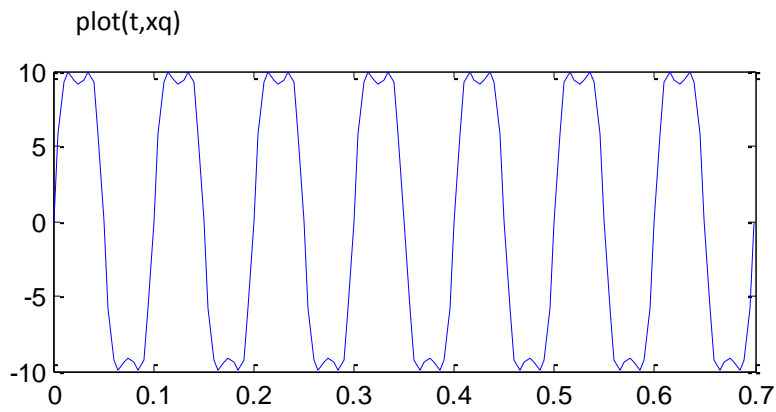
画出同相分量  $x_d$ :  $t = 0:0.005:0.7$ ;

```
xd=10*cos(2*sin(20*pi*t));
plot(t,xd)
```



画出正交分量  $x_q$ :  $t = 0:0.005:0.7$ ;

```
xq=10*sin(2*sin(20*pi*t));
```

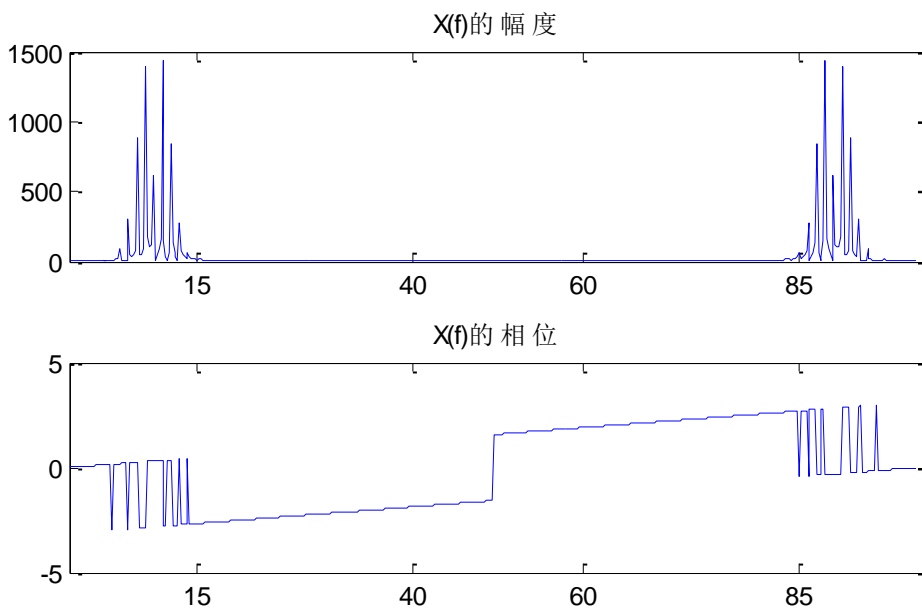


(b) matlab程序:

```

t = 0:0.001:0.5;
x = 10*cos(200*pi*t+2*sin(20*pi*t));
y = fft(x);
m = abs(y); p = angle(y);
f = (0:length(y)-1)*99/length(y);
subplot(2,1,1);
plot(f,m); title('X(f)的幅度');
set(gca,'XTick',[15 40 60 85]);
subplot(2,1,2);
plot(f,p); title('X(f)的相位');
set(gca,'XTick',[15 40 60 85]);

```



(c) matlab程序:

```

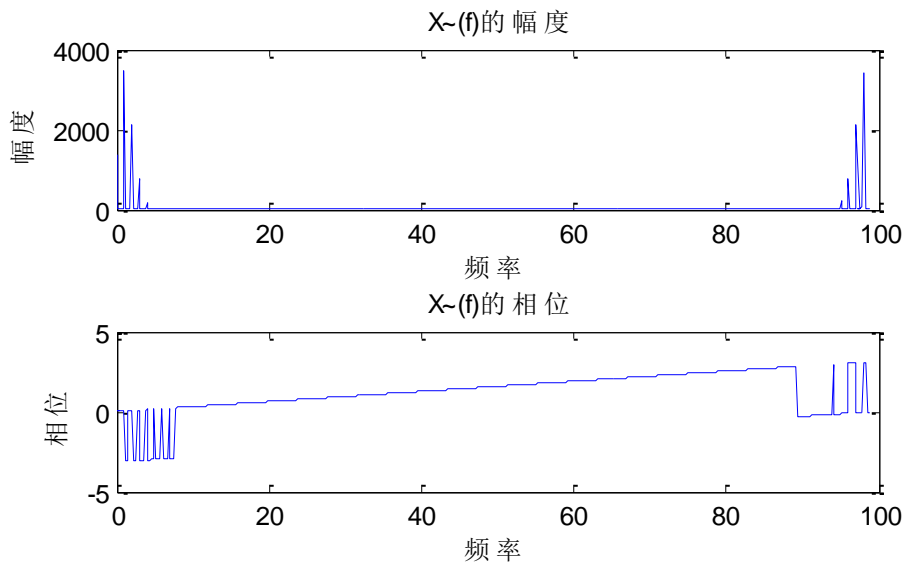
t = 0:0.001:0.6;
x = 10*cos(200*pi*t+2*sin(20*pi*t));
z=hilbert(x);
x1=fft(z.*exp(-j*2*pi*100*t));
m = abs(x1);
f = (0:length(x1)-1)*99/length(x1);
subplot(2,1,1);
plot(f,m);
title('X~(f)的幅度');
xlabel('频率');

```

```

ylabel('幅度');
p =angle(x1);
subplot(2,1,2);
plot(f,p);
title(' X~(f)的相位');
xlabel('频率');
ylabel('相位');

```

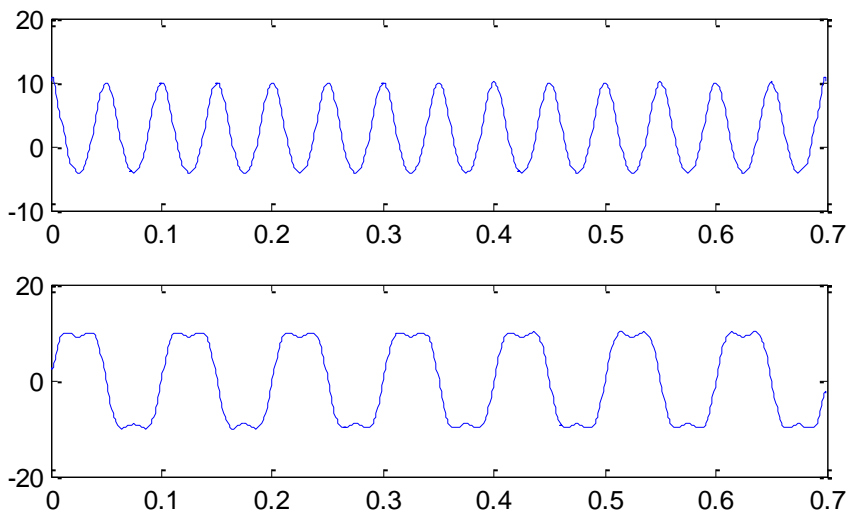


(d) matlab程序:

```

t = 0:0.001:0.7;
x = 10*cos(200*pi*t+2*sin(20*pi*t));
z=hilbert(x);
xl=z.*exp(-j*2*pi*100*t);
xd=real(xl);
xq=-j*(xl-xd);
subplot(2,1,1)
plot(t,xd);
subplot(2,1,2);
plot(t,xq);

```

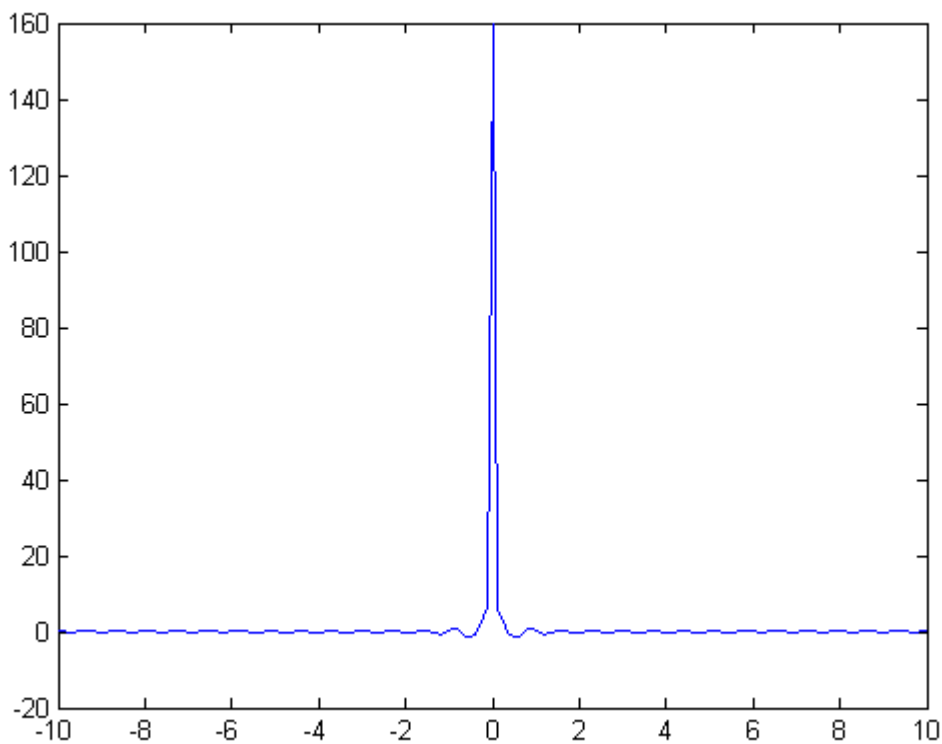


(e) 由图可知，该结果与解析结果是一致的。

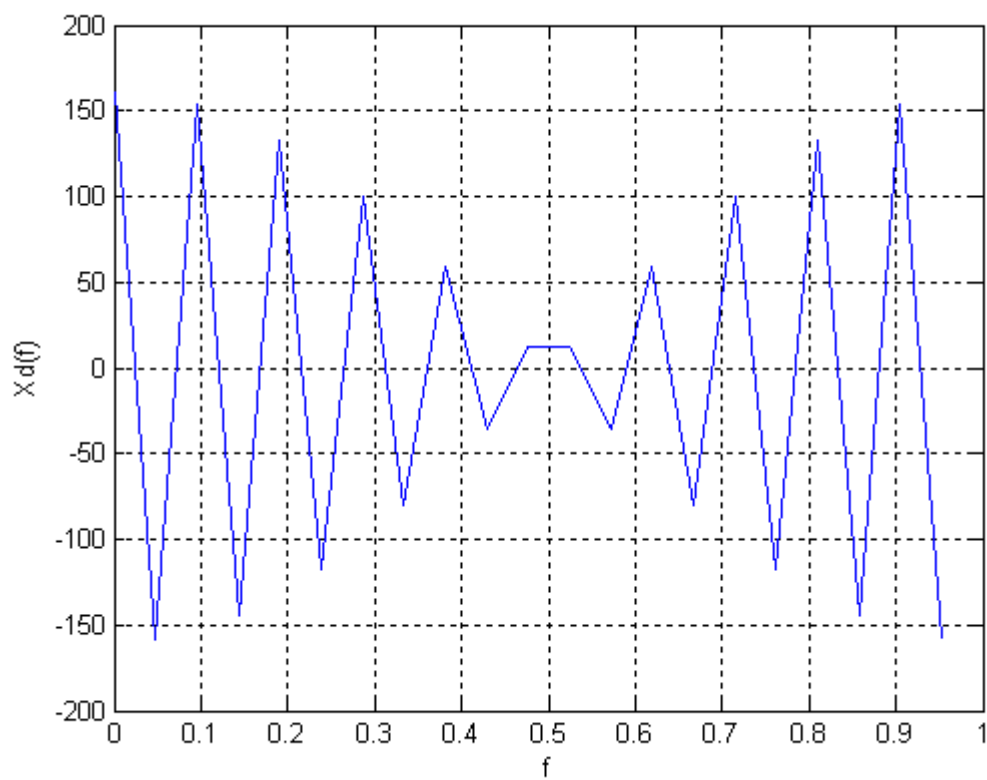
#### 4.8

由傅立叶反变换:  $x(t) = \int_{-\infty}^{\infty} X(f) \exp(j2\pi ft) df$  可以得:  $X_d(f) = (8/\pi t) \sin(20\pi t)$

(a) 当  $f_0 = 100$ ,  $x(t) = (8/\pi t) \sin(20\pi t)$ , 所以  $x_d(t) = (8/\pi t) \sin(20\pi t)$ ,

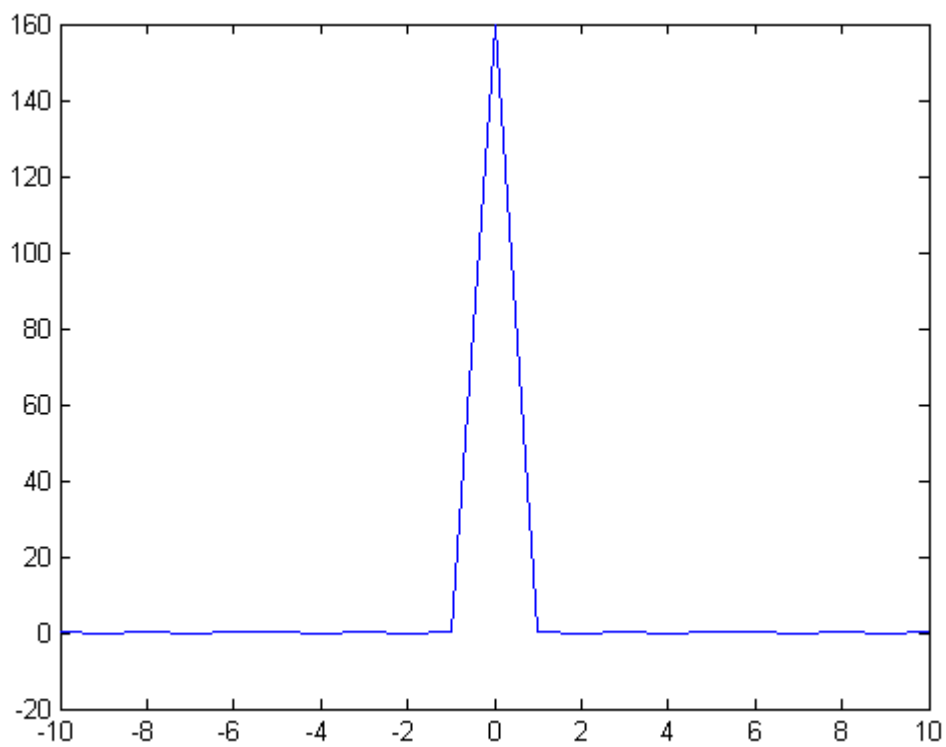


$x_d(t)$  的时域图形

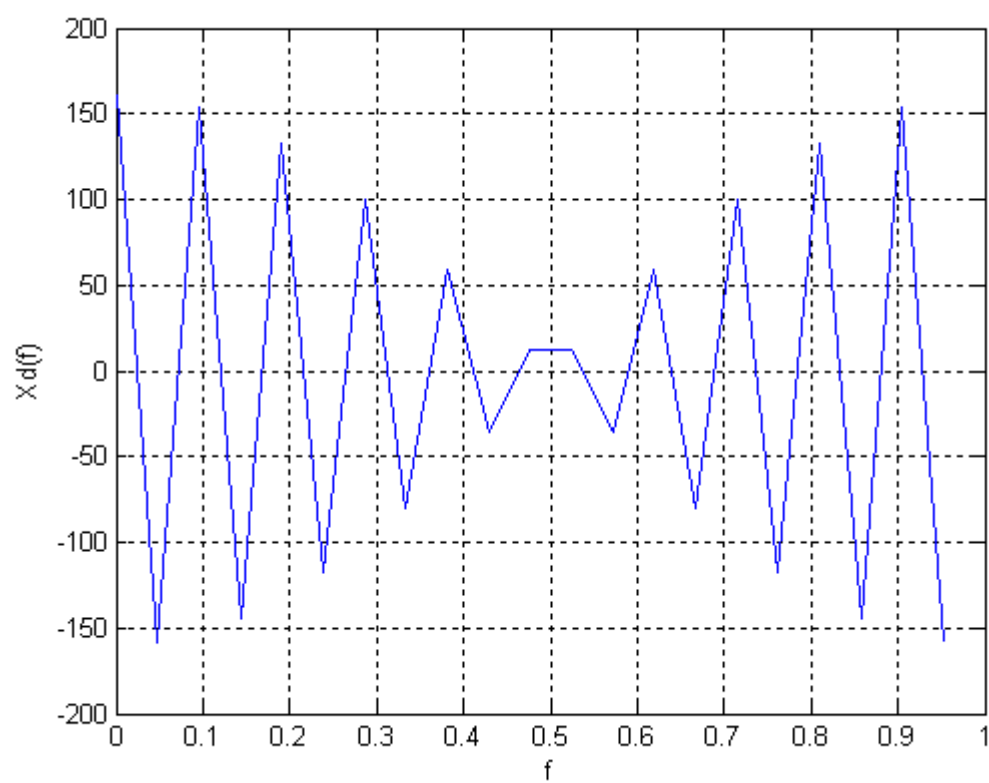


$X_d(f)$  的频域图形

(b) 当  $f_0 = 90$ ,  $x_d(t) = (8/\pi t) \sin(20\pi t) \cos(10\pi t)$ ,

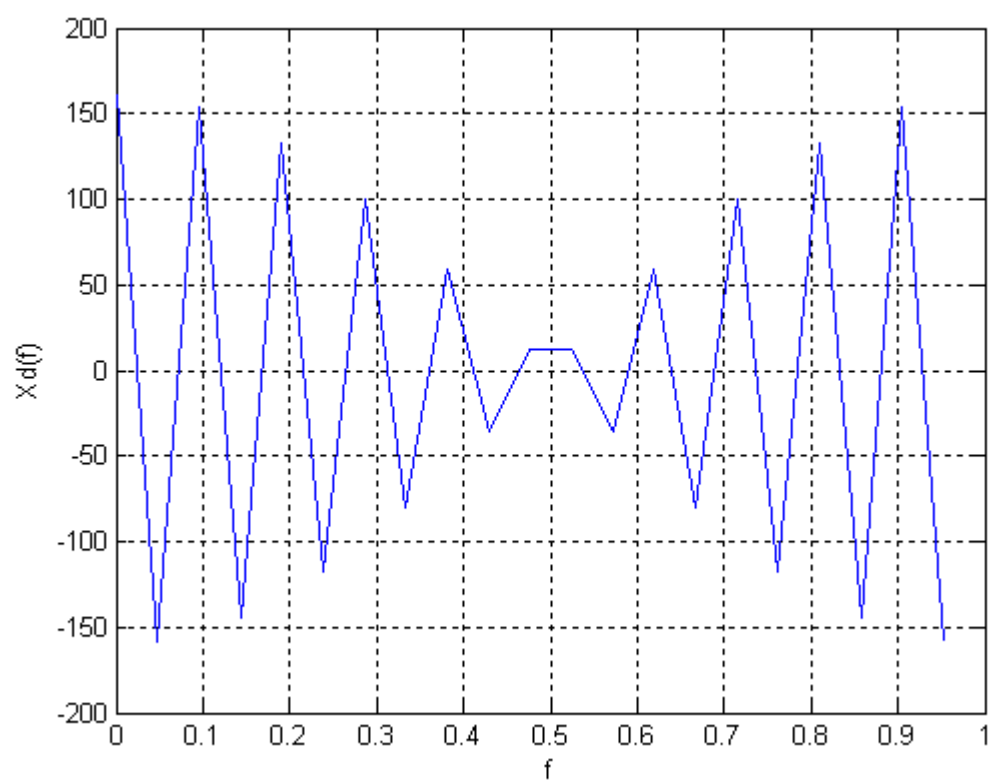


$x_d(t)$  的时域图形

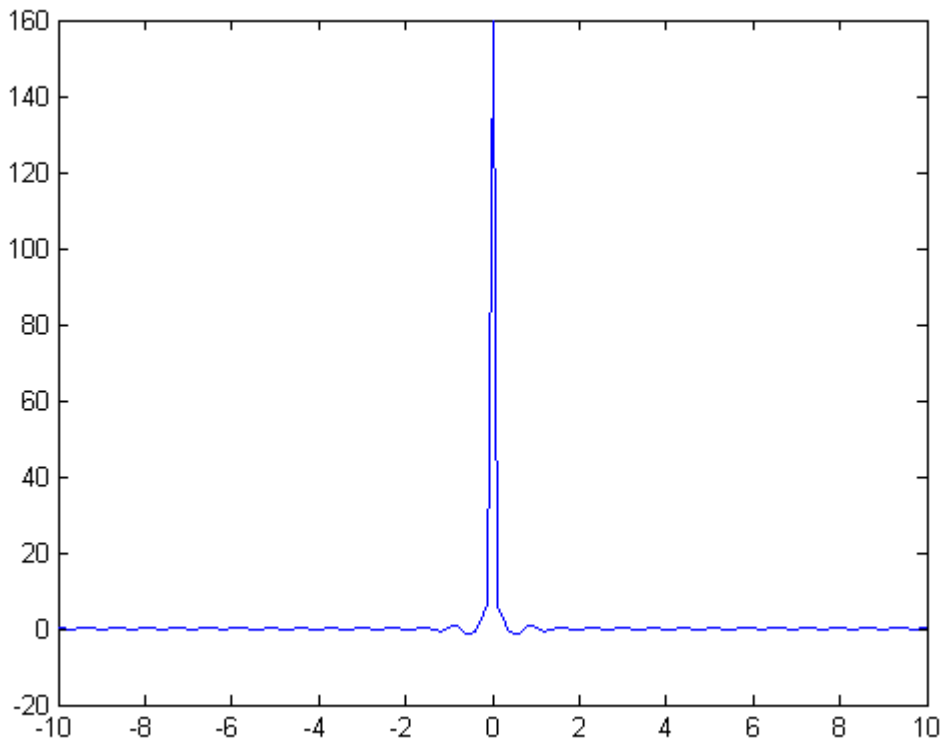


$X_d(f)$  的频域图形

(c) 当  $f_0 = 90$ ,  $x_d(t) = (8/\pi t) \sin(20\pi t) \cos(20\pi t)$



$X_d(f)$  的频域图形



$x_d(t)$  的时域图形

4. 11

(a)  $H(s) \leftrightarrow h(t) = 0.8944 \exp(\omega_b/2) \cos(\omega_0 t - 0.1056 \omega_0 t)$

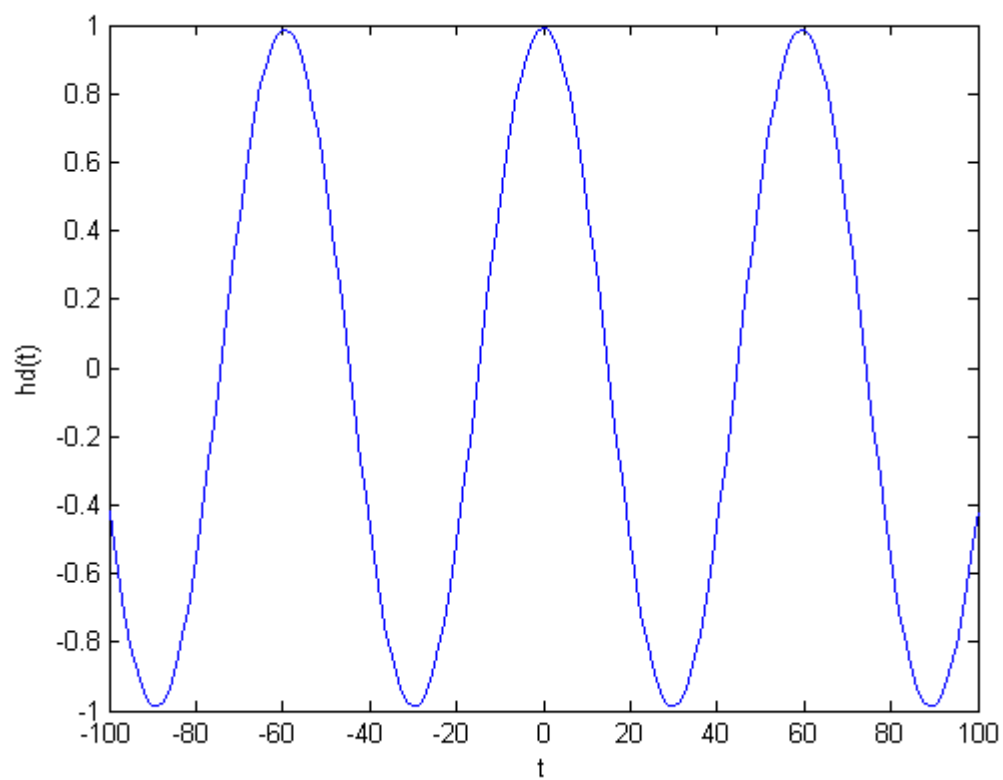
$$h(t) = 0.8944 \exp(\omega_b/2) \exp(-0.1056 \omega_0 t)$$

$$h_d(t) = 0.8944 \exp(\omega_b/2) \cos(0.1056 \omega_0 t)$$

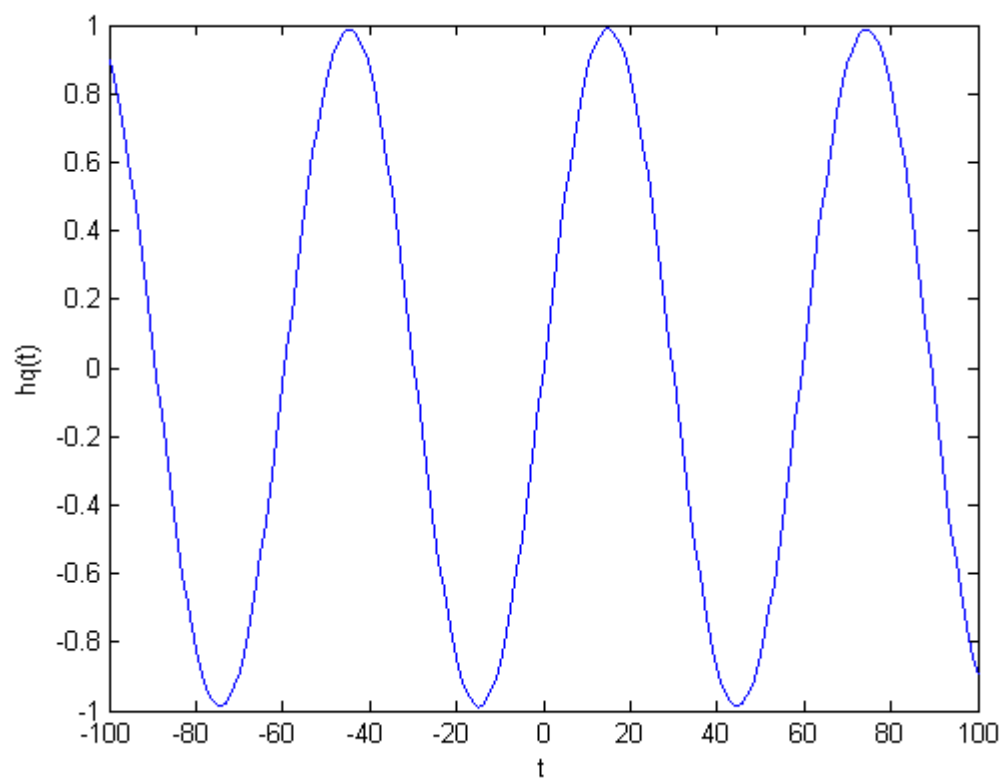
$$h_q(t) = 0.8944 \exp(\omega_b/2) \sin(0.1056 \omega_0 t)$$

(b) 当  $\omega_b = 0.2, \omega_0 = 1$  时,



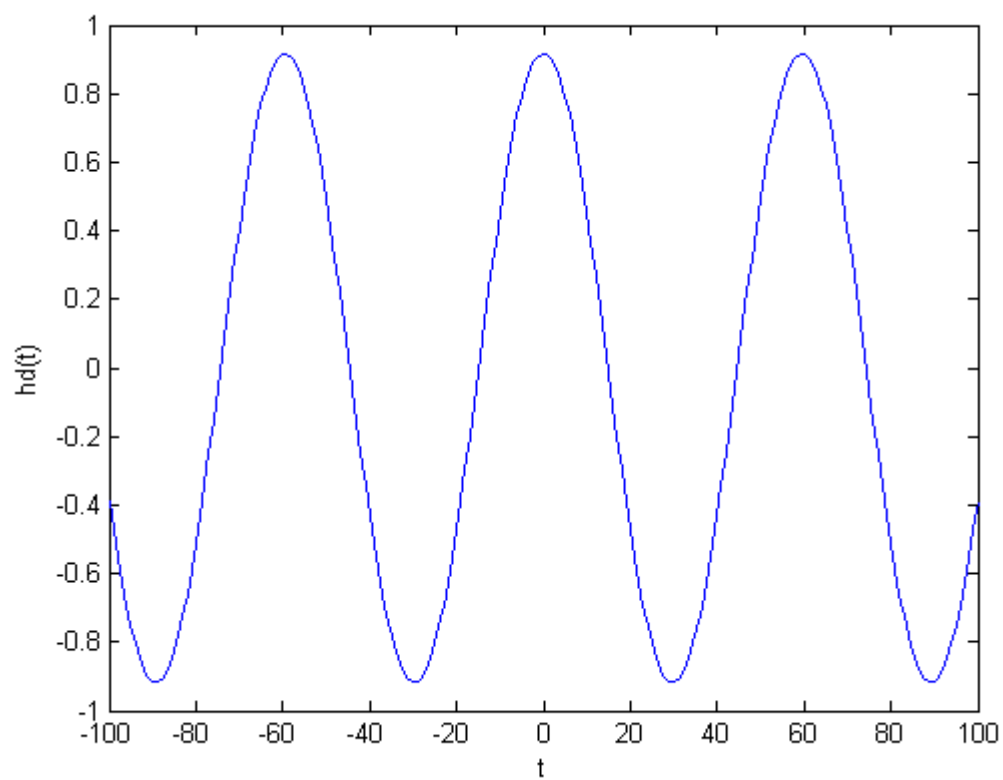


$h_d(t)$  的图形

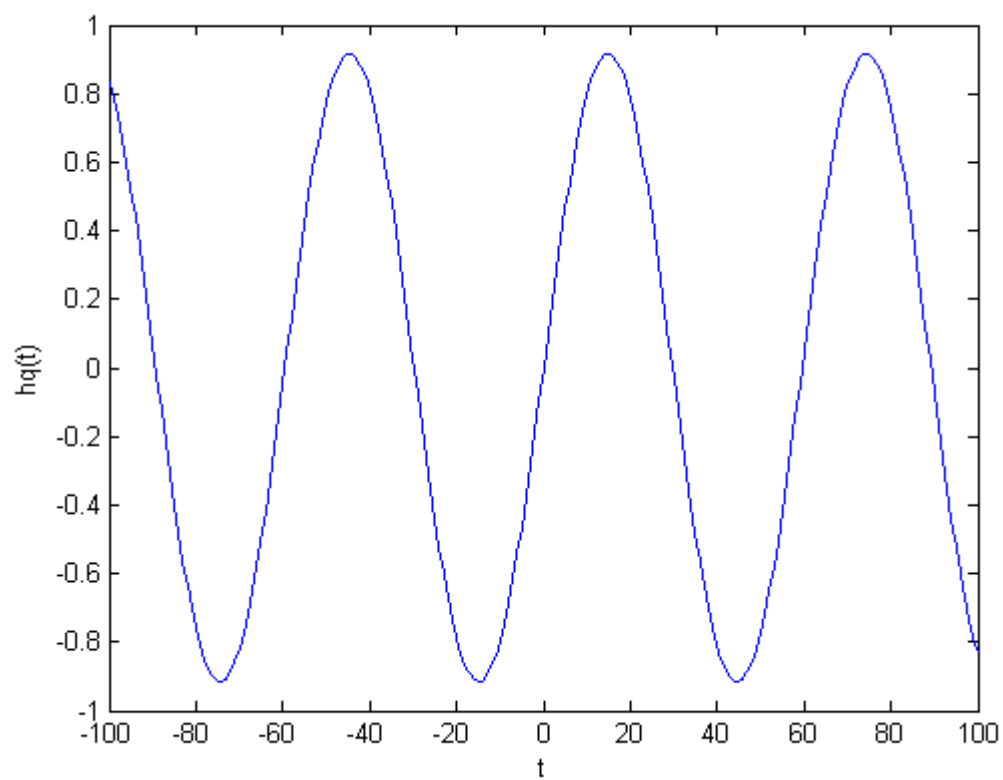


$h_q(t)$  的图形

(d) 当  $\omega_b = 0.05, \omega_0 = 1$  时,



$h_d(t)$  的图形



$h_q(t)$  的图形

**4-12**

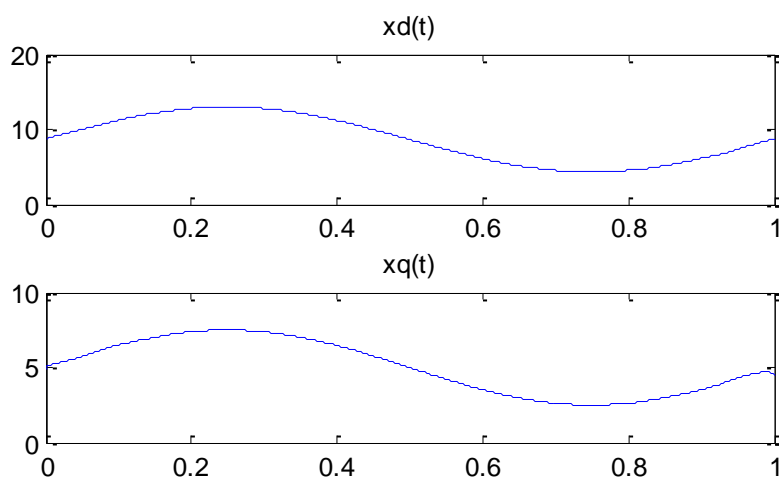
答:

(a) matlab 程序：

```

t=0:0.001:1;
x=5*(2+sin(2*pi*t)).*cos(20*pi*t+pi/6);
z=hilbert(x);
f0=10;
xl=z.*exp(-j*2*pi*f0*t);
xd=real(xl);
xq=-j*(xl-xd);
subplot(2,1,1)
plot(t,xd); title('xd (t)');
subplot(2,1,2);
plot(t,xq); title('xq (t)');

```



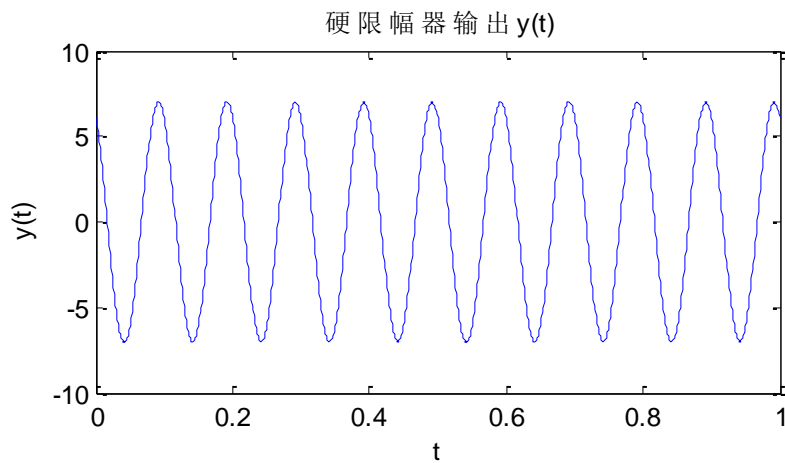
其中  $x_1$  即为  $x(t)$  的复包络  $\tilde{x}(t)$ 。

(b) matlab 程序：

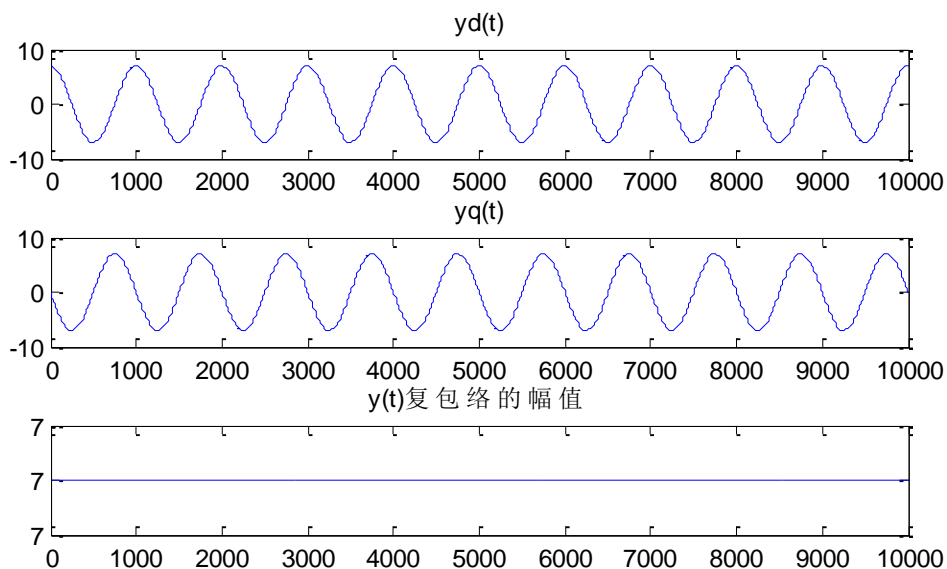
```

t=0:0.001:1;
x=5*(2+sin(2*pi*t)).*cos(20*pi*t+pi/6);
z=hilbert(x);
f0=10;
xl=z.*exp(-j*2*pi*f0*t);
xd=real(xl);
xq=-j*(xl-xd);
yd=(7*xd)/sqrt(xd.*xd+xq.*xq);
yq=(7*xq)/(sqrt(xd.*xd+xq.*xq));
yl=yd+j*yq;
z1=exp(j*2*pi*f0*t)*yl;
y=real(z1);
plot(t,y);
title(' 硬限幅器输出y(t)');
xlabel('t');
ylabel(' y(t)');

```



(c) matlab程序: `t=0.0001:0.0001:1;`  
`At=5*(2+sin(2*pi*t));f0=10;seta=pi/6;`  
`xt=At.*cos(2*pi*f0*t+seta);`  
`xlt=At.*exp(j*seta);`  
`B=7;`  
`Y2=hilbert(real(xlt));`  
`y=y2.*exp(-j*2*pi*f0*t);`  
`xdty=real(y);xqty=imag(y);`  
`ydt=(B*xdty)./sqrt((xdty.^2)+(xqty.^2));`  
`yqt=(B*xqty)./sqrt((xdty.^2)+(xqty.^2));`  
`ylt=ydt+j*yqt;`  
`subplot(3,1,1);plot(ydt); title('yd(t)');`  
`subplot(3,1,2);plot(yqt); title('yq(t)');`  
`subplot(3,1,3);plot(abs(ylt)); title('y(t)复包络的幅值');`

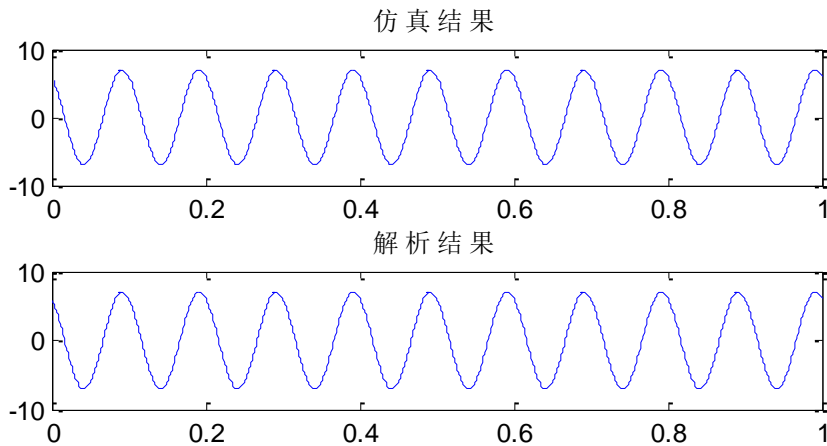


(d) matlab 程序: `t=0.001:0.001:1;`  
`x=5*(2+sin(2*pi*t)).*cos(20*pi*t+pi/6);`  
`z=hilbert(x);`  
`f0=10;`  
`xl=z.*exp(-j*2*pi*f0*t);`  
`xd=real(xl);`

```

xq=-j*(xl-xd);
yd=(7*xd)/sqrt(xd.*xd+xq.*xq);
yq=(7*xq)/(sqrt(xd.*xd+xq.*xq));
yl=yd+j*yq;
z1=exp(j*2*pi*f0*t)*yl;
y=real(z1);
yt=7*cos(20*pi*t+pi/6);
subplot(2,1,1);plot(t,y);title('仿真结果');
subplot(2,1,2);plot(t,yt);title('解析结果');

```

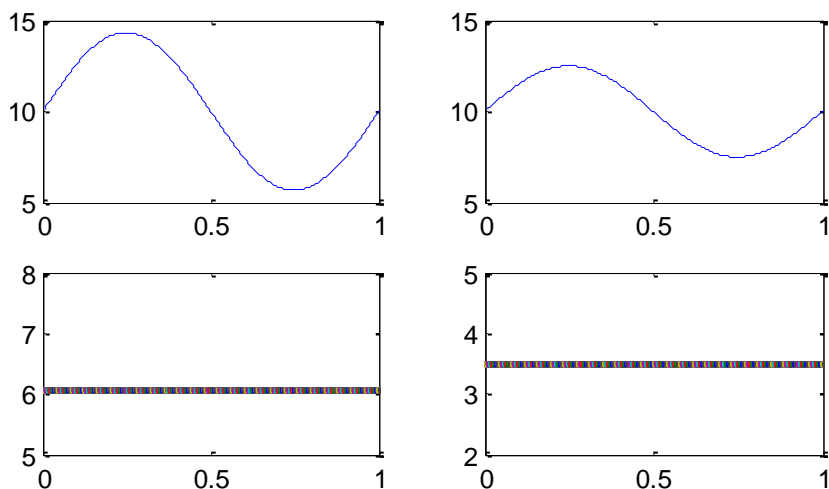


故，由上图分析可知，仿真产生的结果和解析结果是基本一致的。

(e) 解析表达式:  $x_d(t) = 5(2 + \sin 2\pi t) \cos(\frac{\pi}{6})$ ,  $x_q(t) = 5(2 + \sin 2\pi t) \sin(\frac{\pi}{6})$ ,

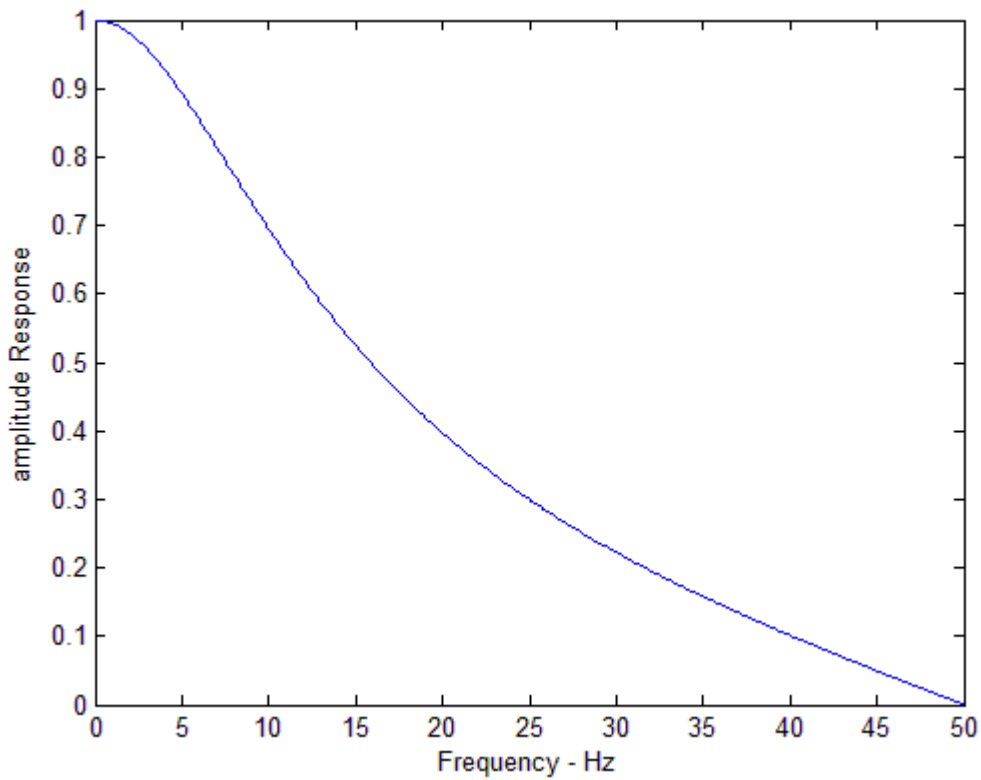
$$y_d(t) = 7 \cos(\frac{\pi}{6}), \quad y_q(t) = 7 \sin(\frac{\pi}{6})$$

matlab 程序: `t=0:0.001:1;`  
`xd=5*(2+sin(2*pi*t)*cos(pi/6));`  
`xq=5*(2+sin(2*pi*t)*sin(pi/6));`  
`yd=7*cos(pi/6);`  
`yq=7*sin(pi/6);subplot(2,2,1);plot(t,xd);`  
`subplot(2,2,2);plot(t,xq);`  
`subplot(2,2,3);plot(t,yd);`  
`subplot(2,2,4);plot(t,yq);`



## 5.10

```
clear all;
T = 0.01;
f = 0:0.1:50;
z = exp(-i*2*pi*f*T);           % see (5.4)
a0 = 0.239057; a1 = 0.239057; b1 = 0.521886; % bilinear invariant
num = a0+a1*z;
den = 1-b1*z;
ampx=abs(num./den);
plot(f,ampx);
xlabel('Frequency - Hz')
ylabel('amplitude Response')
% End of script file.
```



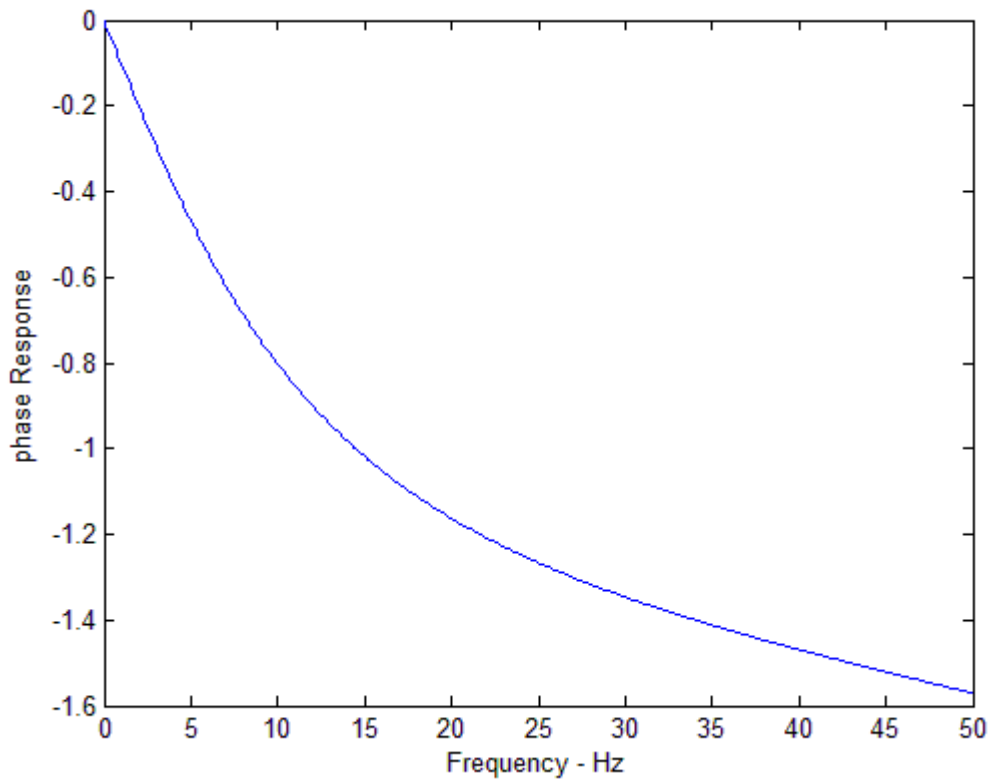
幅度响应

```
clear all;
T = 0.01;
f = 0:0.1:50;
z = exp(-i*2*pi*f*T);           % see (5.4)
a0 = 0.239057; a1 = 0.239057; b1 = 0.521886; % bilinear invariant
num = a0+a1*z;
den = 1-b1*z;
anglex=angle(num./den);
```

```

plot(f, anglex);
xlabel('Frequency - Hz')
ylabel('phase Response')
% End of script file.

```



相位响应

## 5-12

答: matlab 程序:

```

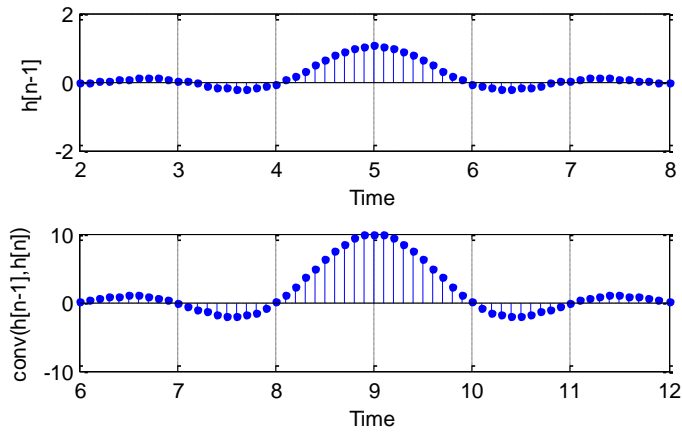
T = 1;
k = 10;
m = 4;
beta = 0.2;
n = 0:2*m*k;
z = (n/k)-m+eps;
t1 = cos((1+beta)*pi*z);
t2 = sin((1-beta)*pi*z);
t3 = 1./(4*beta*z);
den = 1-16*beta*beta*z.*z;
num = t1+t2.*t3;
c = 4*beta/(pi*sqrt(T));
h = c*num./den;
in = zeros(1,101); in(11) = 1;
out = conv(in,h);
out1 = conv(out,h);
t = 2:0.1:8;
subplot(2,1,1);
stem(t,out(21:81),'.')

```

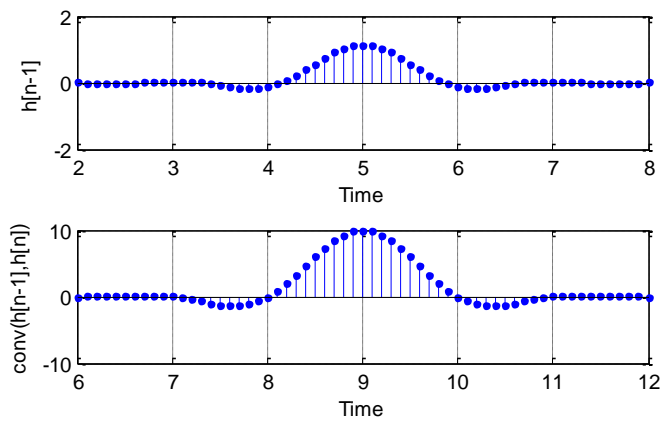
```

grid;
xlabel('Time');
ylabel('h[n-1]');
subplot(2,1,2);
t = 6:0.1:12;
stem(t,out1(61:121),'');
grid;
xlabel('Time');
ylabel('conv(h[n-1],h[n])');

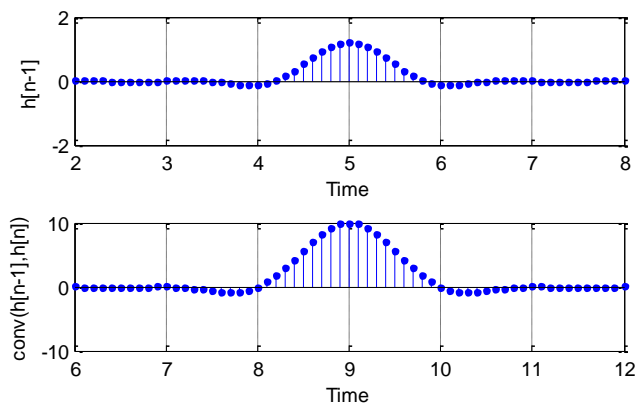
```



beta = 0.5 时:

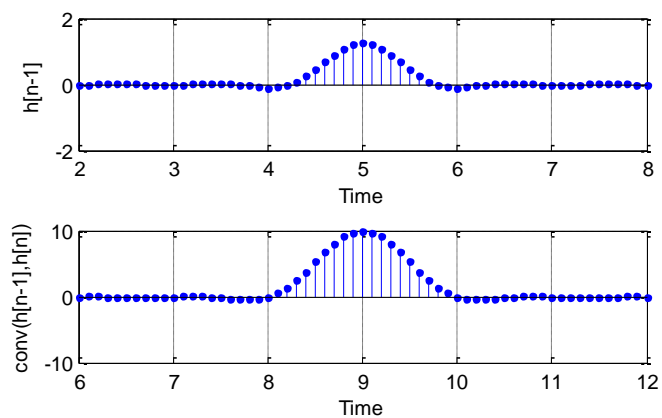


beta = 0.7 时:



beta = 0.9 时:





### 5-13

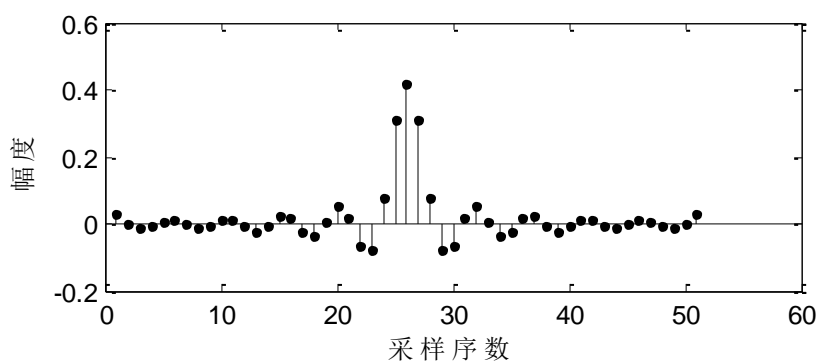
答:

(a) matlab 程序:

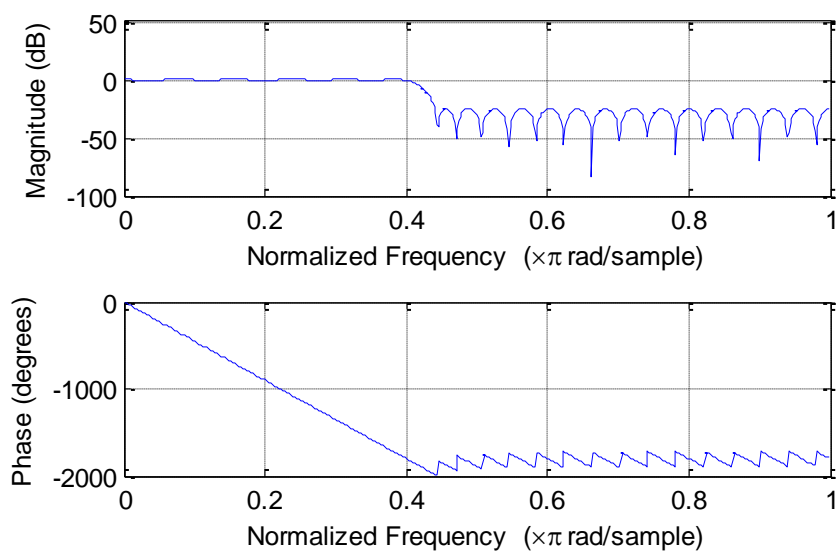
```

order=50;
f=[0,0.4,0.44,1];
amp=[1 1 0 0];
b=remez(order,f,amp);
stem(b,'k')
xlabel('采样序号')
ylabel('幅度')
pause
freqz(b,1)

```



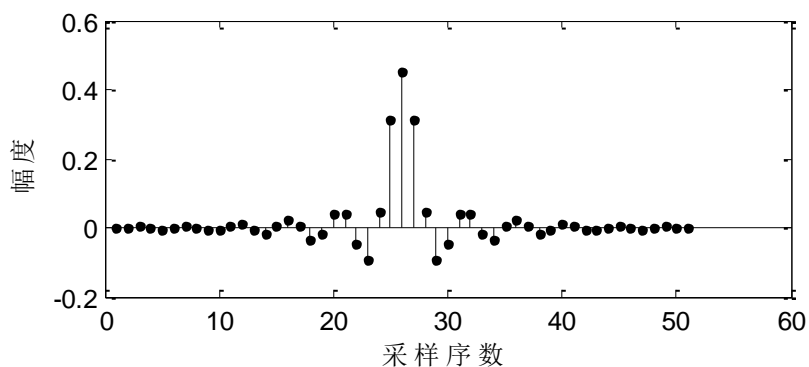
(b) 由 (a) 中程序可知幅度响应和相位响应如下:



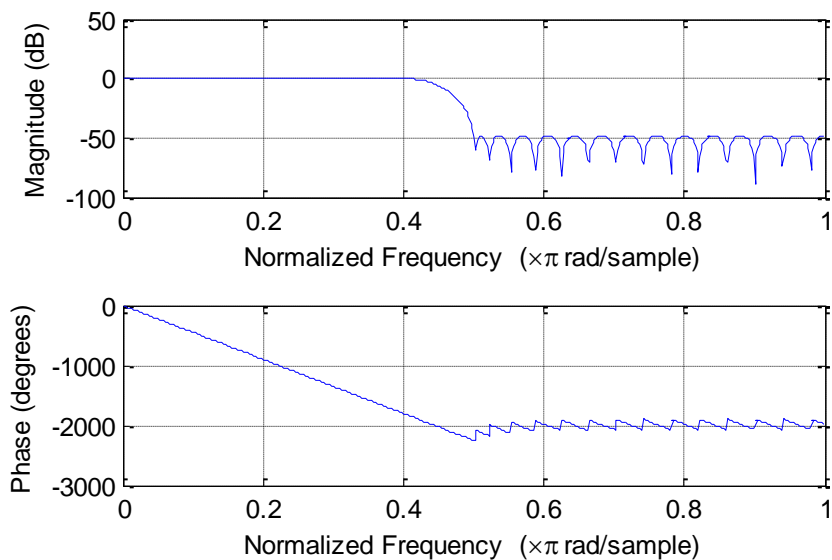
阻带衰减约为 25dB.

(c) 过渡带为  $20\text{Hz} < |f| < 25\text{ Hz}$  时,

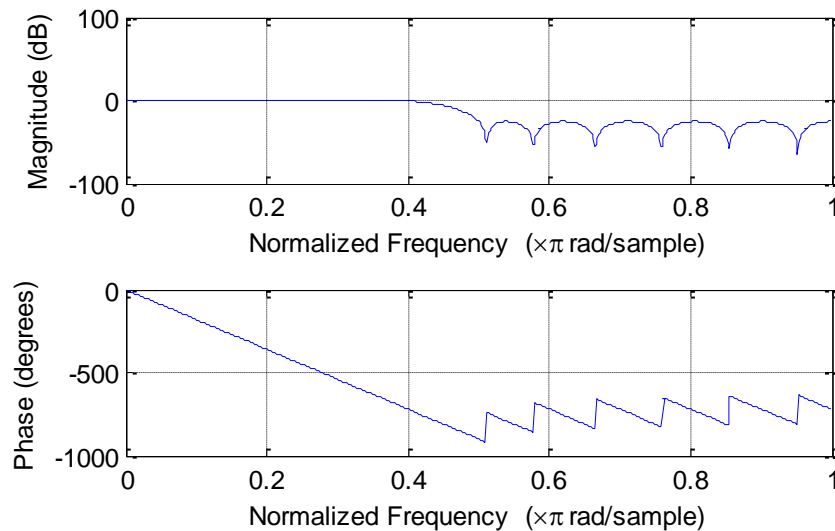
```
order = 50;  
f = [0 0.4 0.5 1];  
amp = [1 1 0 0];  
b = remez(order,f,amp);  
stem(b,'k')  
xlabel('采样序号')  
ylabel('幅度')  
pause  
freqz(b,1)
```



幅度和相位响应如下:



当阶数 order 为 20 时, 幅度响应与相位响应如下图所示:



所以，可以通过降低滤波器阶数来降低阻带衰减。

## 第 6 章 案例研究：锁相环与微分方程方法

### 6.3

第一步：

```
% File: pllpre.m
% Software given here is to accompany the textbook: W.H. Tranter,
% K.S. Shanmugan, T.S. Rappaport, and K.S. Kosbar, Principles of
% Communication Systems Simulation with Wireless Applications,
% Prentice Hall PTR, 2004.
%
clear all                                % be safe
disp(' ')                               % insert blank line
fdel = input('Enter the size of the frequency step in Hertz > ');
fn = input('Enter the loop natural frequency in Hertz > ');
lambda = input('Enter lambda, the relative pole offset > ');
disp(' ')
disp('Accept default values:')
disp(' zeta = 1/sqrt(2) = 0.707,')
disp(' fs = 200*fn, and')
disp(' tstop = 1')
dtype = input('Enter y for yes or n for no > ','s');
if dtype == 'y'
    zeta = 1/sqrt(2);
    fs = 200*fn;
    tstop = 1;
else
    zeta = input('Enter zeta, the loop damping factor > ');
    fs = input('Enter the sampling frequency in Hertz > ');
    tstop = input('Enter tstop, the simulation runtime > ');
end
%
npts = fs*tstop+1;                       % number of simulation points
t = (0:(npts-1))/fs;                     % default time vector
```

```

nsettle = fix(npts/10);          % set nsettle time as 0.1*npts
tsettle = nsettle/fs;           % set tsettle
%
% The next two lines establish the loop input frequency and phase
% deviations.
%
fin = [zeros(1,nsettle), fdel*ones(1,npts-nsettle)];
phin = [zeros(1,nsettle), 2*pi*fdel*t(1:(npts-nsettle))];
%
disp(' ')                       % insert blank line
%      end of script file pllpre.m

```

在 command window 中进行一下对话：

Enter the size of the frequency step in Hertz > 40

Enter the loop natural frequency in Hertz > 10

Enter lambda, the relative pole offset > 0

Accept default values:

$\zeta = 1/\sqrt{2} = 0.707$ ,

$f_s = 200*f_n$ , and

$t_{stop} = 1$

Enter y for yes or n for no > n

Enter  $\zeta$ , the loop damping factor >  $1/\sqrt{2}$

Enter the sampling frequency in Hertz > 5000

Enter  $t_{stop}$ , the simulation runtime > 0.8

第二步：

```

%File: c6_PLLsim.m
w2b=0;w2c=0;s5=0;phivco=0;      %initialize
twopi=2*pi;                     %define 2*pi
twofs=2*fs;                     %define 2*fs
G=2*pi*fn*(zeta+sqrt(zeta*zeta-lambda)); %set loop gain
a=2*pi*fn/(zeta+sqrt(zeta*zeta-lambda)); %set filter parameter
a1=a*(1-lambda);a2=a*lambda;    %define constants
phierror=zeros(1,npts);         %initialize vector
fvco=zeros(1,npts);            %initialize vector

% beginning of simulation loop
for i=1:npts
    s1=phin(i)-phivco; %phase error
    s2=sin(s1); %sinusoidal phase detector
    s3=G*s2;

```

```

s4=a1*s3;
s4a=s4-a2*s5; %loop filter integrator input
w1b=s4a+w2b; %filter integrator (step 1)
w2b=s4a+w1b; %filter integrator (step 2)
s5=w1b/twofs; %generate filter output
s6=s3+s5; %VCO integrator input
w1c=s6+w2c; %VCO integrator (step 1)
w2c=s6+w1c; %VCO integrator (step 2)
phivco=w1c/twofs; %generate VCO output
phierror(i)=s1; %build phase error vector
fvco(i)=s6/twopi; %build VCO input vector
end
% end of simulation loop
freqerror=fin-fvco; %build frequency error vector
%End of script file

```

第三步:

```

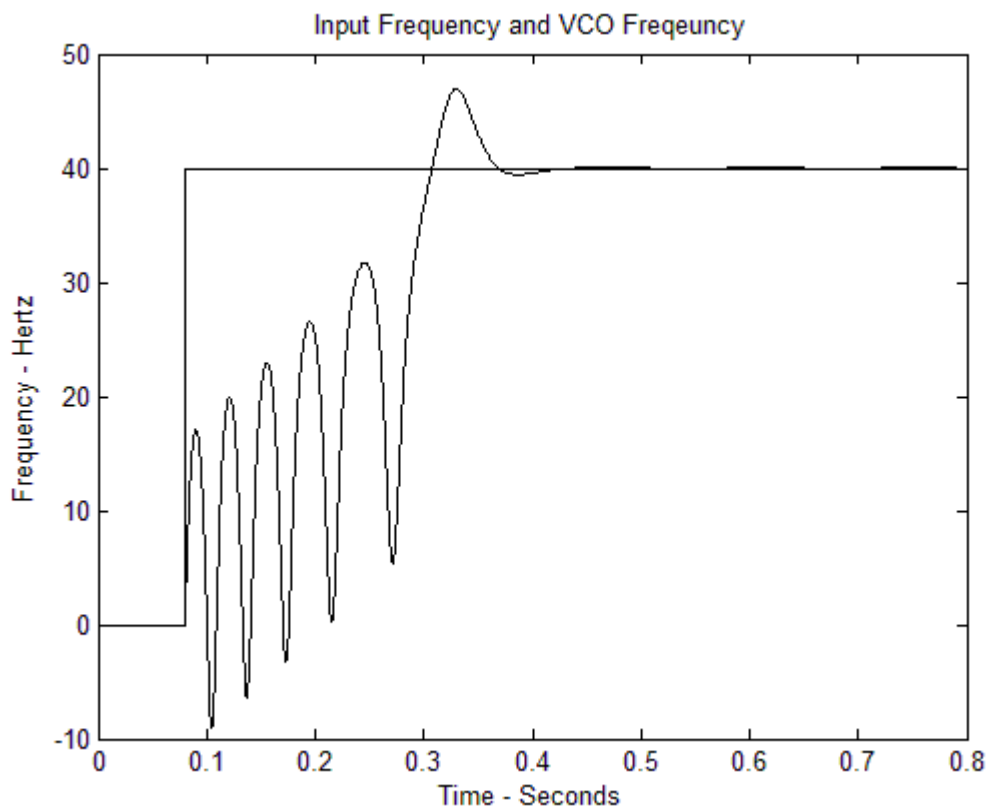
% File: pllpost.m
% Software given here is to accompany the textbook: W.H. Tranter,
% K.S. Shanmugan, T.S. Rappaport, and K.S. Kosbar, Principles of
% Communication Systems Simulation with Wireless Applications,
% Prentice Hall PTR, 2004.
%
kk = 0;
while kk == 0
k = menu('Phase Lock Loop Postprocessor',...
'Input Frequency and VCO Frequency',...
'Input Phase and VCO Phase',...
'Frequency Error','Phase Error','Phase Plane Plot',...
'Phase Plane and Time Domain Plots','Exit Program');
if k == 1
plot(t,fin,'k',t,fvco,'k')
title('Input Frequency and VCO Frequency')
xlabel('Time - Seconds');ylabel('Frequency - Hertz');pause
elseif k ==2
pvco=phin-phierror;plot(t,phin,t,pvco)
title('Input Phase and VCO Phase')
xlabel('Time - Seconds');ylabel('Phase - Radians');pause
elseif k == 3
plot(t,freqerror);title('Frequency Error')
xlabel('Time - Seconds');ylabel('Frequency Error - Hertz');pause
elseif k == 4
plot(t,phierror);title('Phase Error')
xlabel('Time - Seconds');ylabel('Phase Error - Radians');pause
elseif k == 5
ppplot
elseif k == 6

```

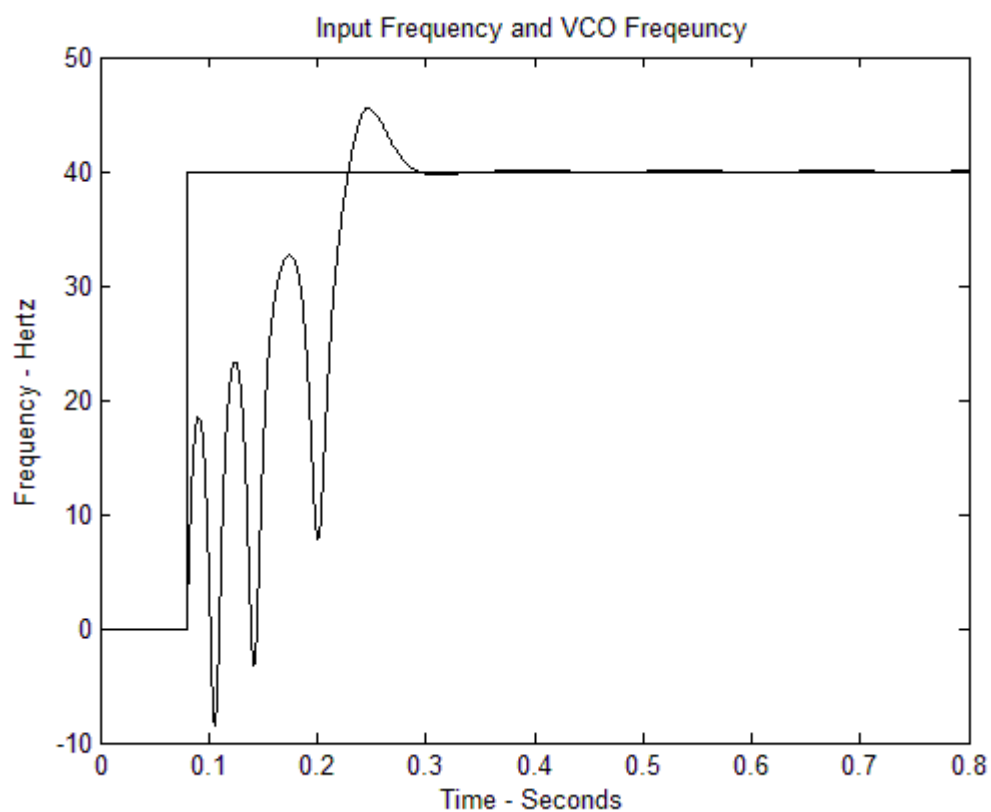
```

subplot(211);phierrn = phierror/pi;
plot(phierrn,freqerror,'k');grid;
title('Phase Plane Plot');xlabel('Phase Error /Pi');
ylabel('Frequency Error - Hertz');subplot(212)
plot(t,fin,'k',t,fvco,'k');grid
title('Input Frequency and VCO Fregeuncy')
xlabel('Time - Seconds');ylabel('Frequency - Hertz');subplot(111)
elseif k == 7
    kk = 1;
end
end
% End of script file.

```



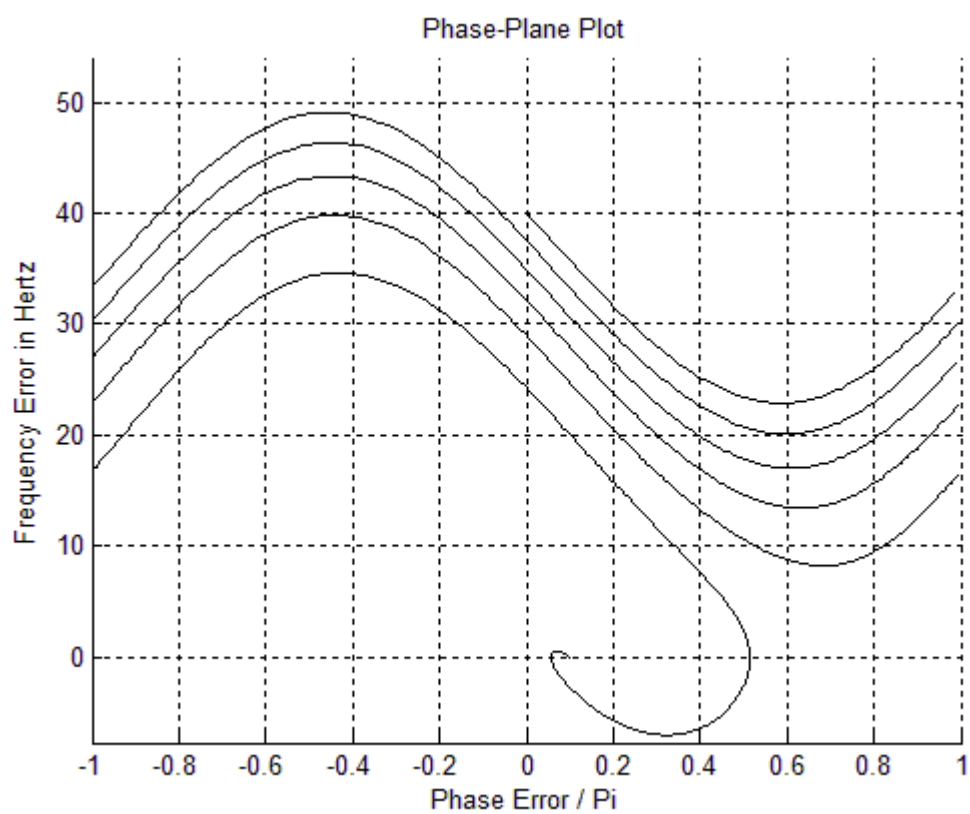
当相对极点偏移  $\lambda = 0.10$  时，有6个滑动周期



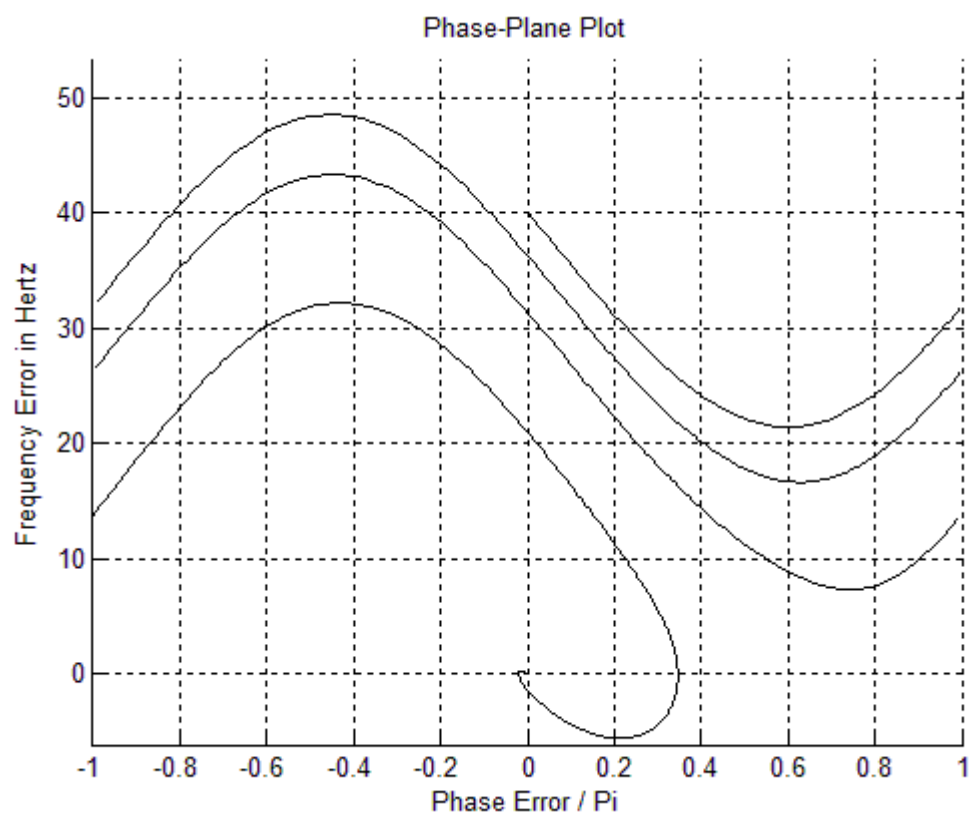
当相对极点偏移  $\lambda = 0$  时，有4个滑动周期，缩短了2个周期，时间降低了0.1s。

#### 6.4

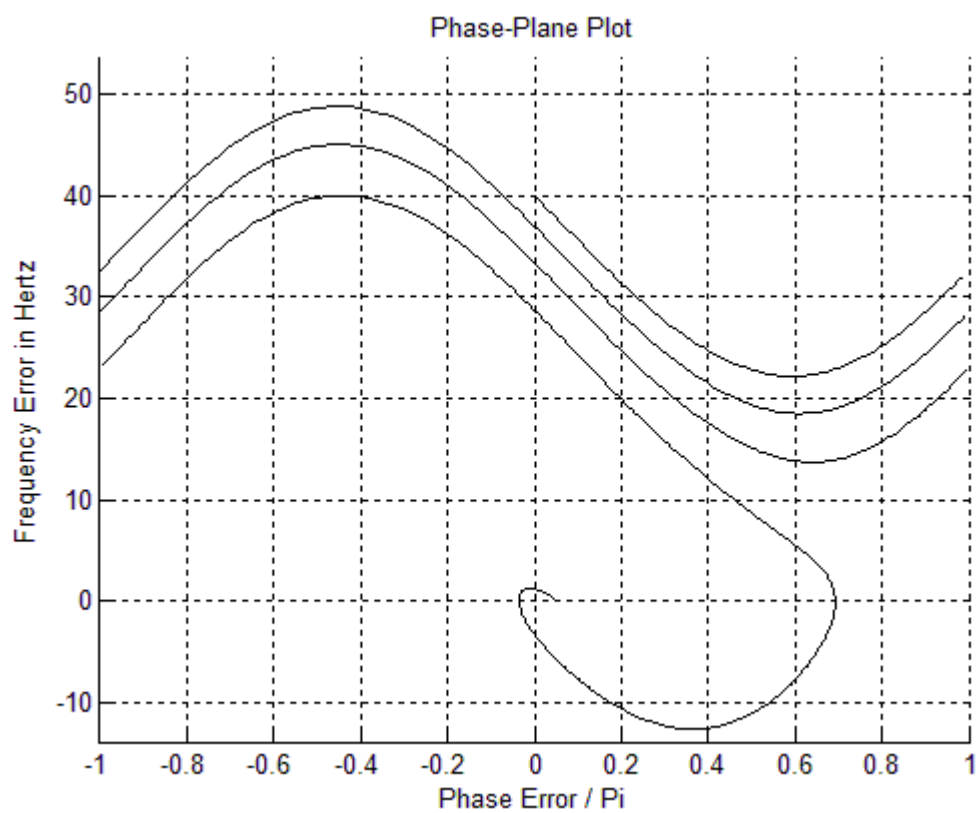
当相对极点偏移  $\lambda = 0.10$  时，相位差随频率差如下图：



当相对极点偏移  $\lambda = 0$  时，相位差随频率差如下图：

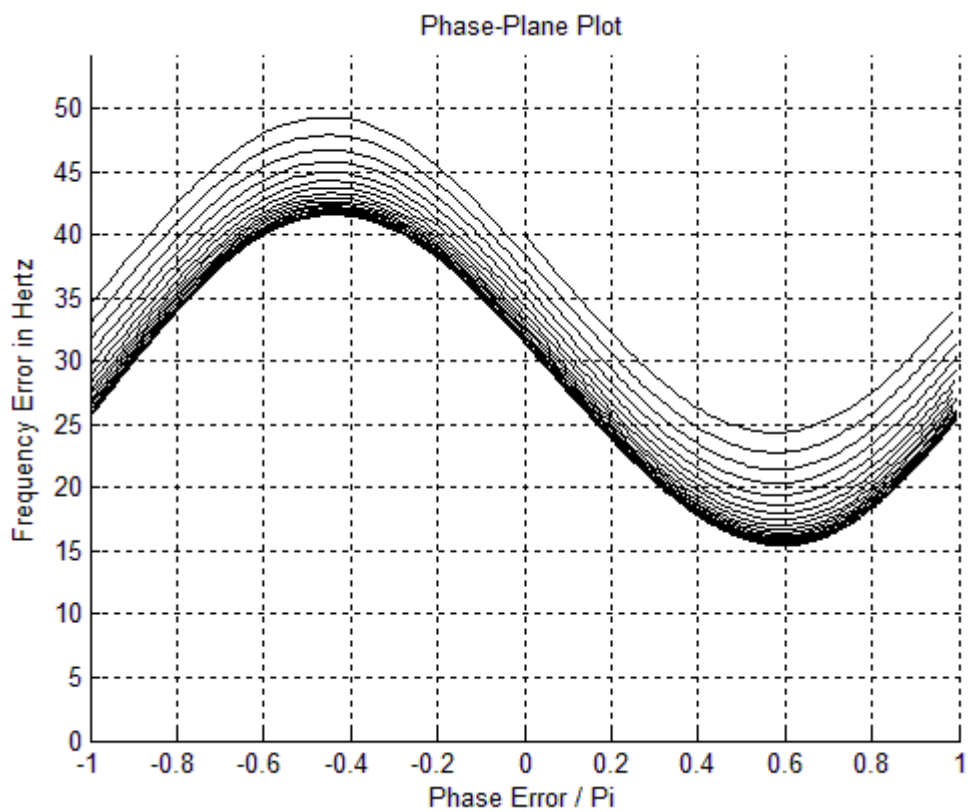


当相对极点偏移  $\lambda = 0.05$  时，相位差随频率差如下图：



当相对极点偏移  $\lambda = 0.2$  时，相位差随频率差如下图：

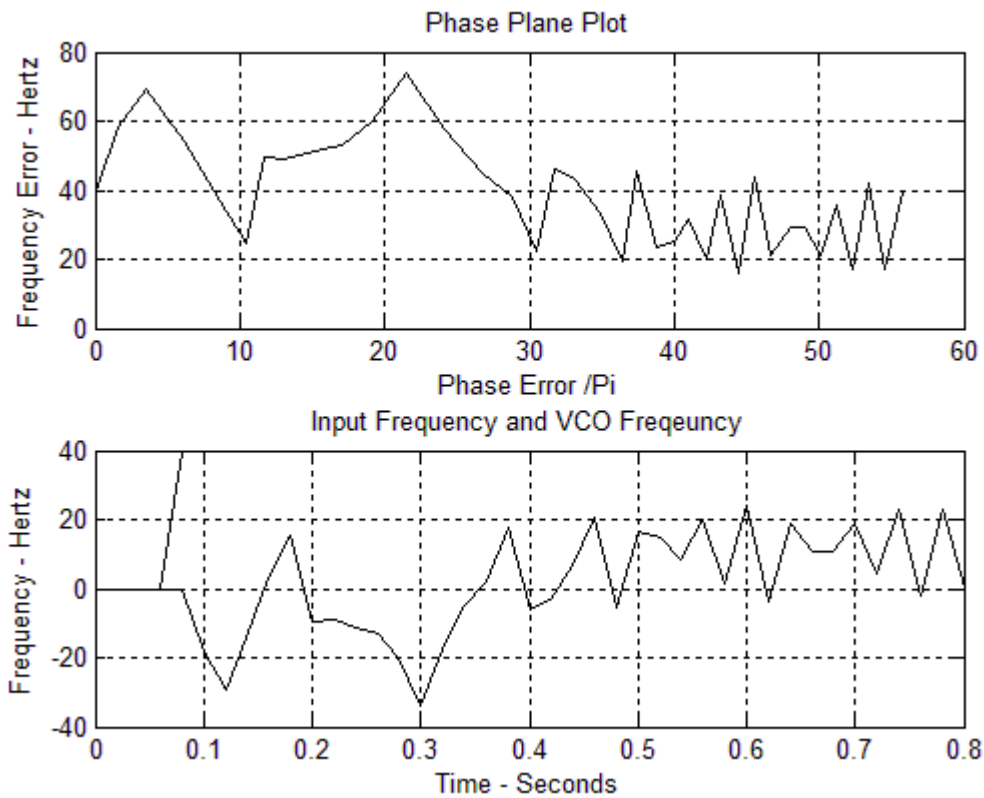




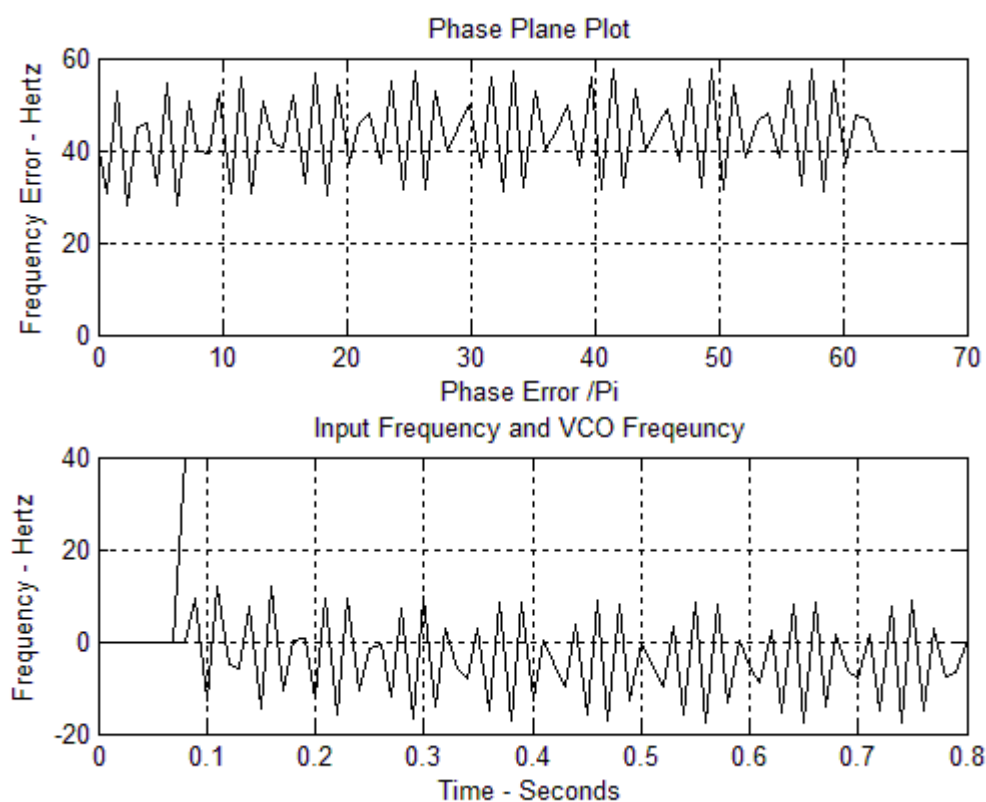
由上面几副图可知：当  $\lambda = 0.2$  时，不能捕获，即无法达到稳态误差。

## 6.5

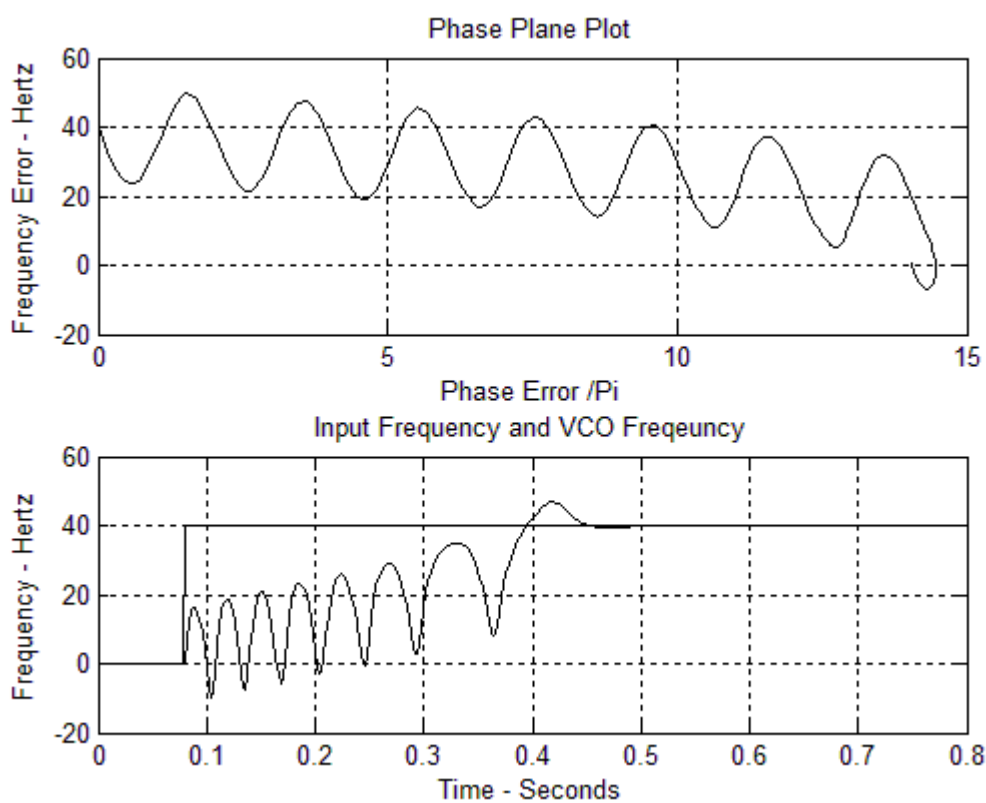
当采样频率为50Hz时：



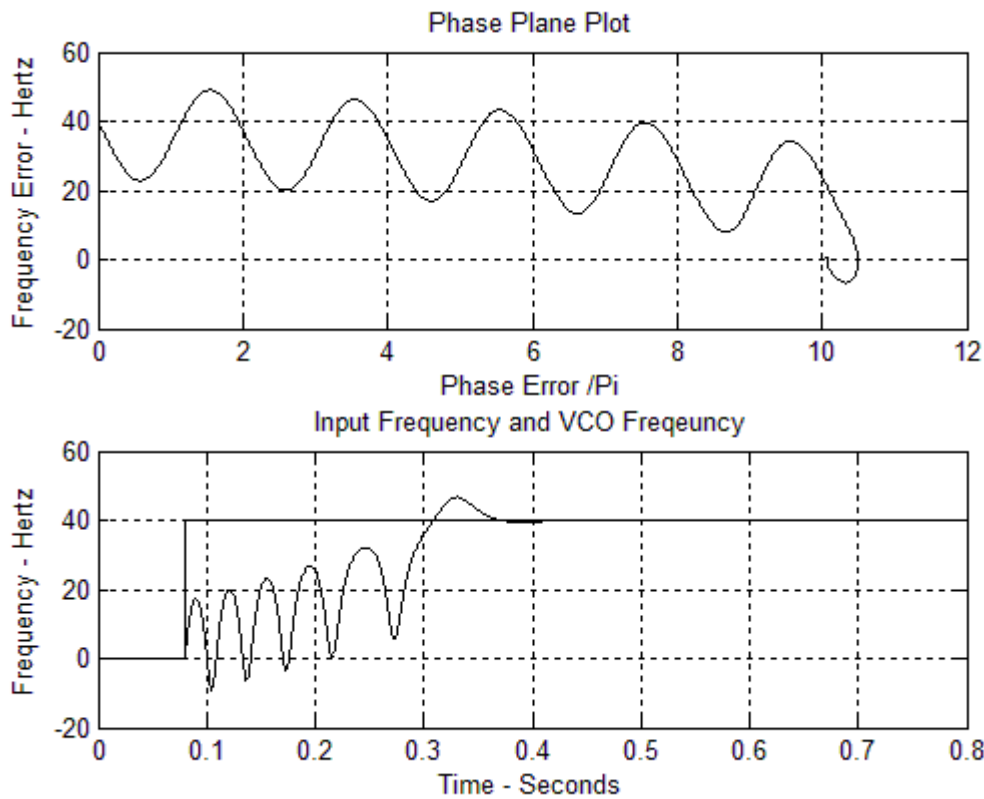
当采样频率为100Hz时：



当采样频率为500Hz时:



当采样频率为10000Hz时:



由上面四幅图可知：采样频率越大，结果越精确，收敛时间越快，但是当相位误差能够趋于0时，采样频率即为合适的。

#### 6-11

答：matlab 程序：

```
clear all
disp(' ')
fdel=input('Enter the size of the frequency step in Hertz>');
fn=input('Enter the loop natural frequency in Hertz>');
lambda=input('Enter lambda,the relative pole offset>');
disp(' ')
disp('Accept default values:')
disp('zeta=1/sqrt(2)')
disp('tstop=0.8')
dtype=input('Enter y for yes or n for no>','s');
if dtype=='y'
    zeta=1/sqrt(2);
    fs=200*fn;
    tstop=1;
else
    zeta=input('Enter zeta,the lop dmping factor>');
    fs=input('Enter the sampling frequency in Hertz>');
    tstop=input('Enter tstop,the simulation runtime>');
end
npts=fs*tstop+1;
t=(0:(npts-1))/fs;
nsettle=fix(npts/10);
tsettle=nsettle/fs;
fin=[zeros(1,nsettle),fdel*ones(1,npts-nsettle)];
phin=[zeros(1,nsettle),2*exp(t(1:(npts-nsettle)))];
```

```

disp(' ')

w2b=0;w2c=0;s5=0;phivco=0; %initialize
twopi=2*pi;
twofs=2*fs;
G=2*pi*fn*(zeta+sqrt(zeta*zeta-lambda));
a=2*pi*fn/(zeta+sqrt(zeta*zeta-lambda));
a1=a*(1-lambda);a2=a*lambda;
%npts=1+fs*tfinal;
phierror=zeros(1,npts);
fvco=zeros(1,npts);
for i=1:npts
    s1=phin(i)-phivco;
    s2=sin(s1);
    s3=G*s2;
    s4=a1*s3;
    s4a=s4-a2*s5;
    w1b=s4a+w2b;
    w2b=s4a+w1b;
    s5=w1b/twofs;
    s6=s3+s5;
    w1c=s6+w2c;
    w2c=s6+w1c;
    phivco=w1c/twofs;
    phierror(i)=s1;
    fvco(i)=s6/twopi;
end
freqerror=fin-fvco;
kk=0;
while kk==0
    k=menu('Phase Lock Loop Postprocessor',...
        'Input Frequency and VCO Frequency','Input Phase and VCO Phase',...
        'Phase Plane and Time Domain Plots','Exit Program');
    if k==1
        plot(t,fin,t,fvco)
        title('Input Frequency and VCO Frequency')
        xlabel('Time-Seconds');ylabel('Frequency-Hertz');
        pause
    elseif k==2
        pvco=phin-phierror;
        plot(t,phin,t,pvco)
        title('Input Phase and VCO Phase')
        xlabel('Time-Seconds');ylabel('Phase-Radians');
        pause
    elseif k==3
        plot(t,freqerror);
        title('Frequency Error')
        xlabel('Time-Seconds');ylabel('Frequency Error-Hertz');

```

```

        pause
    elseif k==4
        plot(t,phierror);
        title('Phase Error')
        xlabel('Time-Seconds');ylabel('Phase Error-Radians');
        pause
    elseif k==5
        ppplot
    elseif k==6
        subplot(211);
        phierrn=phierr/pi;
        plot(phierrn,freqerror);
        grid;
        title('Phase Plane Plot');
        xlabel('Phase Error/pi');ylabel('Frequency Error-Hertz');
        subplot(212)
        plot(t,fin,t,fvco);grid
        title('Input Frequency and VCO Frequency')
        xlabel('Time-Seconds');ylabel('Frequency-Hertz');
    subplot(111)
    elseif k==7
        kk=1;
    end
end

end

kz=0;
while kz==0
    k=menu('Phase Plane Options',...
        'Extend Phase Plane',...
        'Phase Plane mod(2pi)',...
        'Exit Phase Plane Menu');
    if k==1
        phierrn=phierror/pi;
        plot(phierrn,freqerror,'k')
        title('Phase Plane Plot')
        xlabel('Phase Error/Pi');ylabel('Frequency Error-Hertz')
        grid
        pause
    elseif k==2
        pplane(phierror,freqerror,nsettle+1);
        pause
    elseif k==3
        kz=1;
    end
end

end

function pplane=pplane(x,y,nsettle)
ln=length(x);

```

```

maxfreq=max(y);
minfreq=min(y);
close
axis([-1,1,1.1*minfreq 1.1*maxfreq]);
hold on
j=nsettle;
while j<ln
    i=1;
    while x(j)<pi&j<ln
        a(i)=x(j)/pi;
        b(i)=y(j);
        j=j+1;
        i=i+1;
    end
    plot(a,b,'k')
    a=[];
    b=[];
    x=x-2*pi;
end
hold off
title('Phase-Plane Plot')
xlabel('Phase Error/Pi');ylabel('Frequency Error in Hertz')
grid

```

Enter the size of the frequency step in Hertz>40

Enter the loop natural frequency in Hertz>10

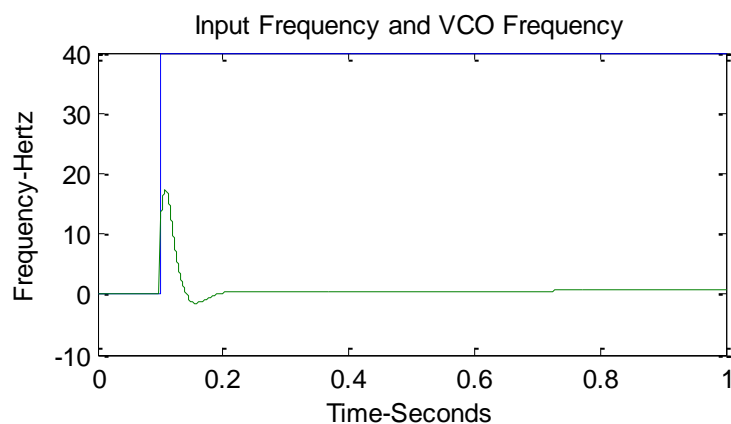
Enter lambda,the relative pole offset>0.1

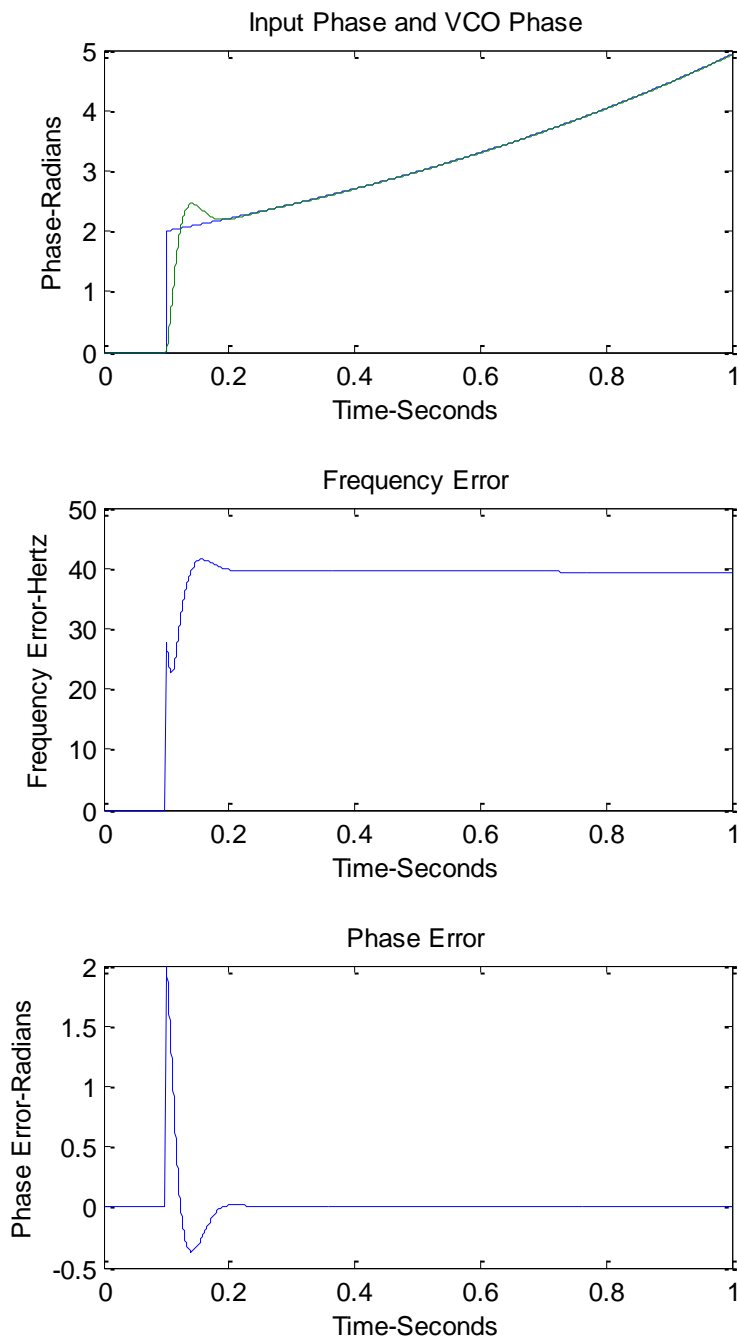
Accept default values:

$\zeta=1/\sqrt{2}$

tstop=0.8

Enter y for yes or n for no>y





#### 6-14

答：matlab 程序：

```

w2b=0;w2c=0;
yd=0;y=0;
tfinal=50;
fs=100;
delt=1/fs;
npts=1+fs*tfinal;
ydv=zeros(1,npts);
yv=zeros(1,npts);
for i=1:npts
    t=(i-1)*delt;
    ydd1=-y-abs(y)*yd;
    w1b=ydd1+w2b;
    w2b=ydd1+w1b;
    yd=w1b/(2*fs);

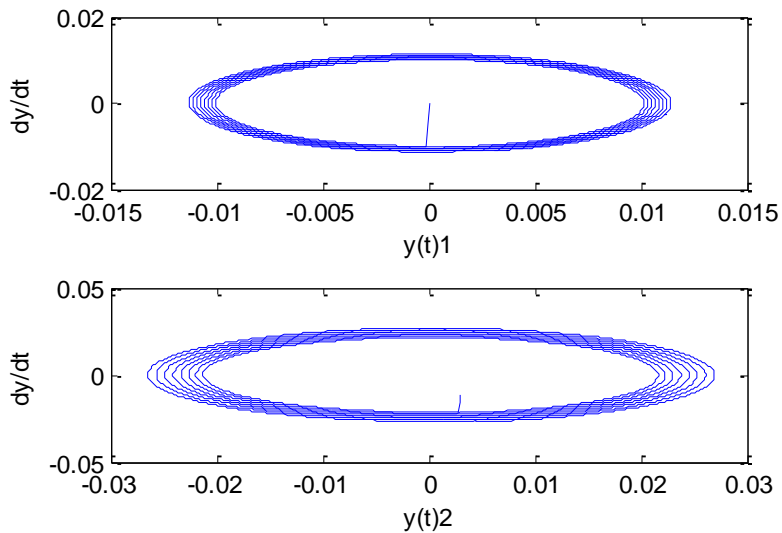
```

```

w1c=yd+w2c;
w2c=yd+w1c;
y=w1c/(2*fs);
ydv(1,i)=yd;
yv(1,i)=y;
    if t==0
        y=1;yd=0;
        ydd1=0;ydd2=0;
    end
end
subplot(2,1,1);
plot(yv,ydv)
xlabel('y(t)1')
ylabel('dy/dt')
for i=1:npts
    t=(i-1)*delt;
    ydd2=-y-y*abs(yd);
    w1b=ydd2+w2b;
    w2b=ydd2+w1b;
    yd=w1b/(2*fs);
    w1c=yd+w2c;
    w2c=yd+w1c;
    y=w1c/(2*fs);
    ydv(1,i)=yd;
    yv(1,i)=y;
    if t==0
        y=1;yd=0;
        ydd1=0;ydd2=0;
    end
end
subplot(2,1,2);
plot(yv,ydv)
axis([-0.03 0.03 -0.05 0.05])
xlabel('y(t)2')
ylabel('dy/dt')

```





## 第 7 章 随机信号的产生与处理

### 7-19

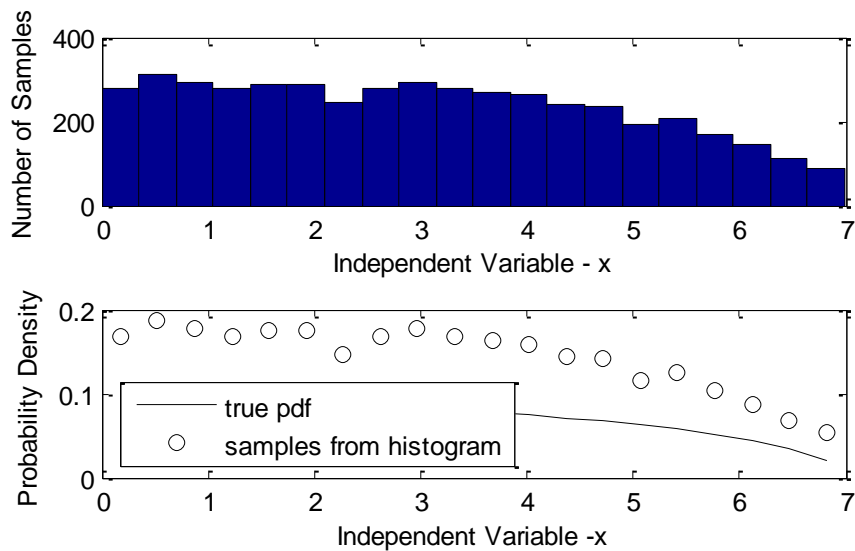
答: matlab 程序:

```

R=7;M=2/pi;
N=input('Input number of points N > ');
fx=zeros(1,N);
u1=rand(1,N);u2=rand(1,N);
v1=R*u1;
v2=(M/R)*rand(1,N);
kpts=0;
for k=1:N
if v2(k)<(M/(R*R))*sqrt(R*R-v1(k)*v1(k));
    kpts=kpts+1;
    fx(kpts)=v1(k);
end
end
fx=fx(1:kpts);
[N_samp,x]=hist(fx,20);
subplot(2,1,1)
bar(x,N_samp,1)
ylabel('Number of Samples')
xlabel('Independent Variable - x')
yt=(M/R/R)*sqrt(R*R-x.*x);
del_x=x(3)-x(2);
p_hist=N_samp/(kpts*del_x);
subplot(2,1,2)
plot(x,yt,'k',x,p_hist,'ok')
ylabel('Probability Density');
xlabel('Independent Variable -x');
legend('true pdf','samples from histogram',3);
text=['The number of points accepted is',...
      num2str(kpts,15),'and N is',num2str(N,15),'.'];
disp(text);

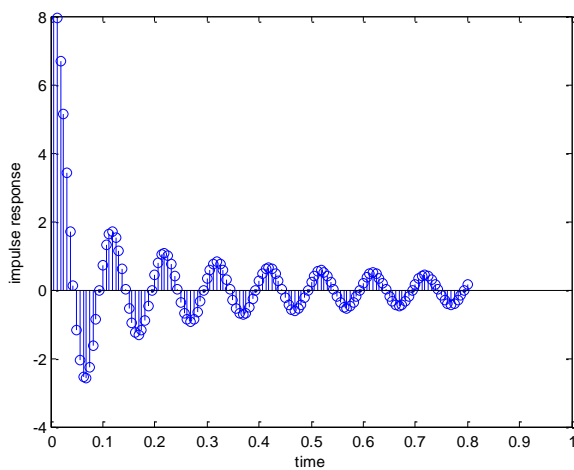
```

输入数据: Input number of points N > 6000  
The number of points accepted is4753and N is6000.



7.20

```
fd=10;
fs=16*fd;ts=1/fs;
time=1*ts:ts:128*ts;
htt=(pi*fd*time).^(-1/4)/gamma(3/4)*fd.*Bessel(1/4,2*pi*fd*time);
stem(time,htt)
xlabel('time');
ylabel('impulse response');
axis([0 1 -4 8])
```



```
fd = 10;
impw = jakes_filter(fd);
fs = 16*fd; ts = 1/fs;
time = [1*ts:ts:128*ts];
    subplot(1,1,1)
    stem(time,impw,'.'); grid
    xlabel('Time'); ylabel('Impulse Response')

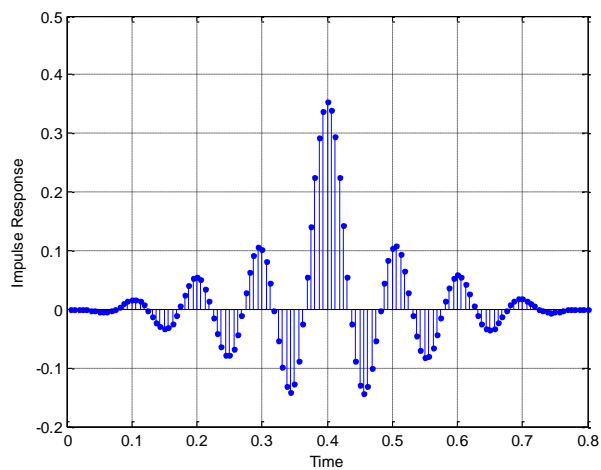
    [h f] = linear_fft(impw,128,ts);

x = randn(1,1024);
y = filter(impw,1,x);
```

```

[output_psd ff] = log_psd(y,1024,ts);
figure;
subplot(2,1,1)
plot(ff,output_psd); grid;
axis([-500 500 -50 0])
xlabel('Frequency'); ylabel('PSD')
z = randn(1,1024)+i*randn(1,1024);
zz = filter(impw,1,z);
time = (0.0:ts:1024*ts);
zz = zz/max(max(abs(zz)));
subplot(2,1,2)
plot(time(161:480),10*log10(abs(zz(161:480)))); grid
axis([0.1 0.3 -20 0])
xlabel('Time'); ylabel('Log Amplitude')

```



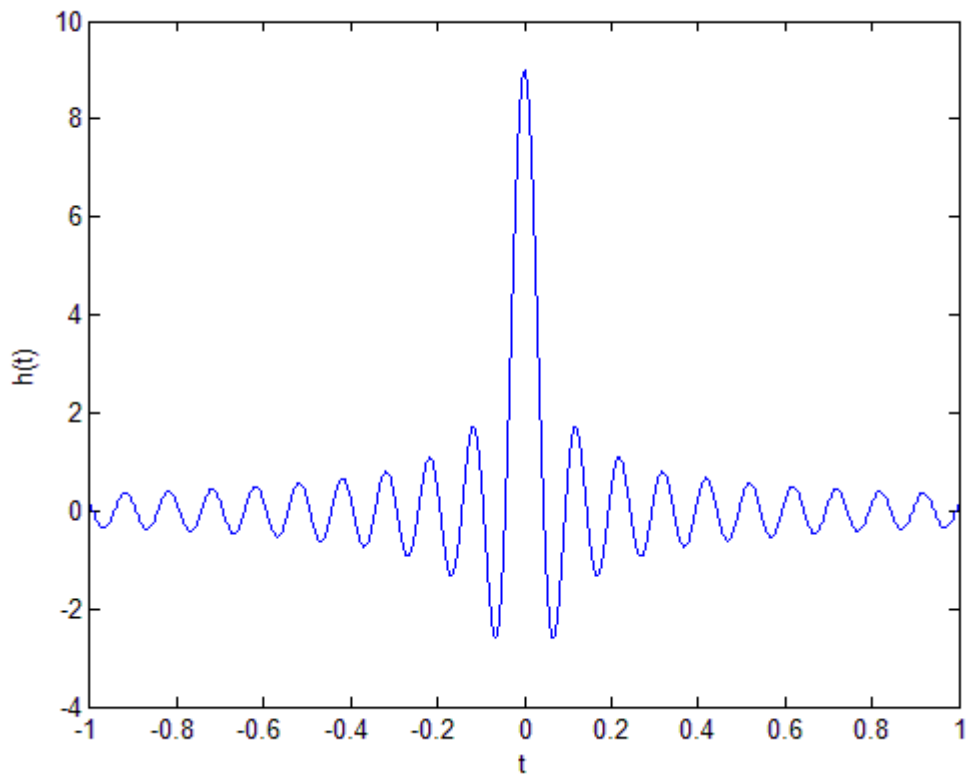
## 7.20

由matlab程序可以得到 $h(t)$ 的图:

```

%c7_20 impulse
t=-1:0.0001:1;
h=(pi*10*t).^(-1/4)./gamma(3/4)*10.*besselj(1/4,20*pi*t);
plot(t,h);
xlabel('t');
ylabel('h(t)');

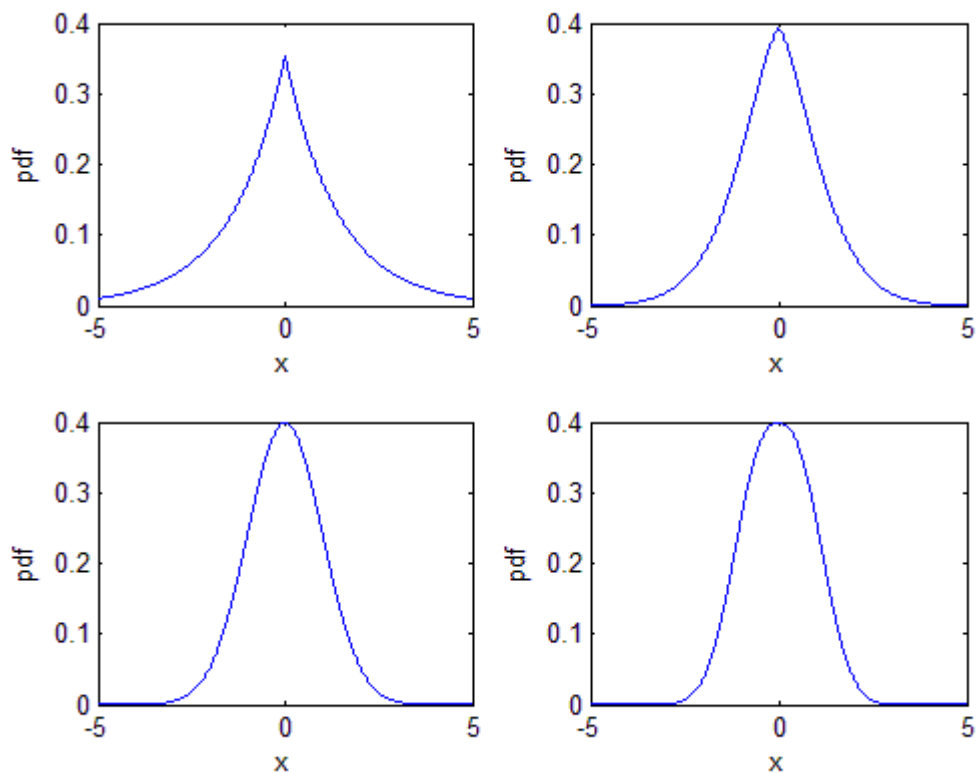
```



### 7.21

(a) 当  $f_x(x)$ ,  $v=1,1.5,2,2.5$  时,  $f_x(x)$  的图形如下:

```
clear all
v=[1 1.5 2 2.5];
for i=1:4
    subplot(2,2,i)
    x=-5:0.0001:5;
    f=(v(i)/(sqrt(8)*gamma(1/v(i))))*exp(-(abs(x/sqrt(2))).^v(i));
    plot(x,f);
end
```



(b)

由上面的几副图可得：  $M = 0.4 * (5 - (-5)) = 4$

```
clear all
a = 5; % default value of R
M = 4; % value of M
N = input('Input number of points N > '); % set N
fx = zeros(1,N); % array of output samples
u1 = rand(1,N); u2 = rand(1,N); % generate u1 and u2
v1 = 2*a*u1-5; % generate v1
v2 = M/10*rand(1,N);
kpts = 0; % initialize counter
for k=1:N
    if v2(k)<M*(1.5/(sqrt(8)*gamma(1/1.5)))*exp(-(abs(v1(k)/sqrt(2)))).^1.5);
        kpts=kpts+1; % increment counter
        fx(kpts)=v1(k); % save output sample
    end
end
fx = fx(1:kpts);
[N_samp,x] = hist(fx,2000); % get histogram parameters
yt =M*(1.5/(sqrt(8)*gamma(1/1.5)))*exp(-(abs(x/sqrt(2)))).^1.5); % calculate pdf
plot(x,yt,'k')% ,x,p_hist,'ok') % compare
ylabel('Probability Density')
xlabel('Independent Variable - x')
legend('true pdf','samples from histogram',3)
text = ['The number of points accepted is ',...
        num2str(kpts,15),' and N is ',num2str(N,15),'. '];
```

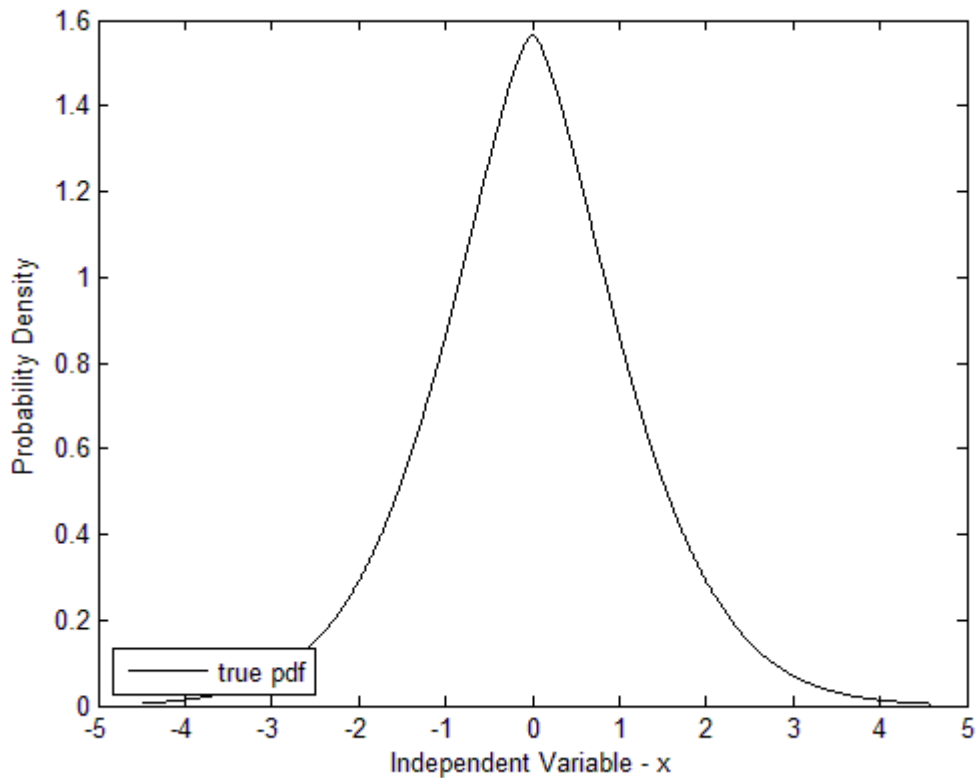
```
disp(text)
```

```
% End of script file.
```

运行该程序:

Input number of points  $N > 2000$

The number of points accepted is 993 and  $N$  is 2000.



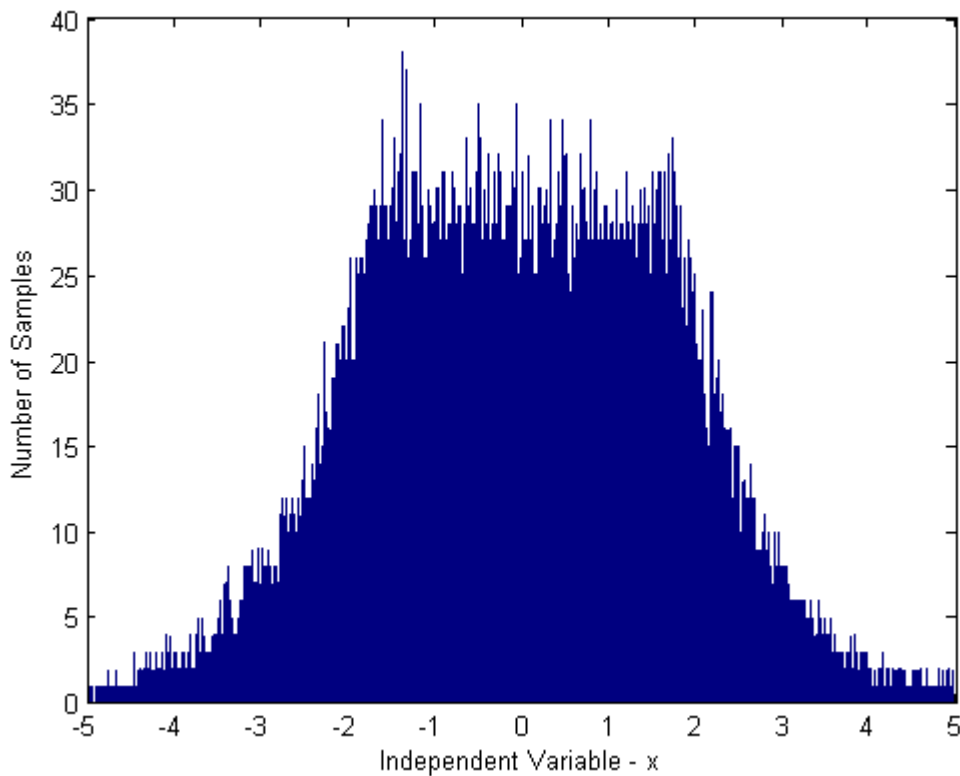
```
(c)
clear all
a = 5; % default value of R
M = 4; % value of M
N = input('Input number of points N > '); % set N
fx = zeros(1,N); % array of output samples
u1 = rand(1,N); u2 = rand(1,N); % generate u1 and u2
v1 = 2*a*u1-5; % generate v1
v2 = M/10*rand(1,N);
kpts = 0; % initialize counter
for k=1:N
    if v2(k)<M*(1.5/(sqrt(8)*gamma(1/1.5)))*exp(-(abs(v1(k)/sqrt(2))).^1.5);
        kpts=kpts+1; % increment counter
        fx(kpts)=v1(k); % save output sample
    end
end
fx = fx(1:kpts);
[N_samp,x] = hist(fx,10000); % get histogram parameters
bar(x,N_samp,1) % plot histogram
ylabel('Number of Samples')
xlabel('Independent Variable - x')
text(['The number of points accepted is ',...

```

```

num2str(kpts, 15), ' and N is ', num2str(N, 15), '.']];
disp(text)
% End of script file.
运行程序:
Input number of points N > 200000
The number of points accepted is 98788 and N is 200000.

```



### 7-23

答: matlab 程序:

```

% FIR implementation of the Jakes filter (128 points)
n = 512; nn = 2*n;
fd=10000;
fs = 0:fd/64:fd;
H = zeros(1,n);
for k=1:(n/8+1)
    jpsd(k)=(1-cos(pi*fs(k)/fd))^2;
    H(k)=jpsd(k)^0.5;
end;
for k=1:n
    H(n+k) = H(n+1-k);
end
[inv,time] = linear_fft(H,nn,fd/64);
imp = real(inv(450:577));
impw = imp.*hanning(128)';
energy = sum(impw.^2)
impw = impw/(energy^0.5);
% End of function file.
ts = 1/(16*fd);
time = [1*ts:ts:128*ts];

```

```

subplot(3,1,1)
stem(time,impw,'.'); grid
xlabel('Time'); ylabel('Impulse Response')
% Square the fft and check the power transfer function.
[h f] = linear_fft(impw,128,ts);
subplot(3,1,2)
plot(f,abs(h.*h)); grid;
xlabel('Frequency'); ylabel('PSD')
%get the Rxx fuction
Y=ifft(abs(h.*h),512);
Pyy=Y.*conj(Y)/512;
f =(0:256)/512;
subplot(3,1,3)
plot(f,Pyy(1:257));grid;
title('Frequency content of y')
xlabel('frequency (Hz)'); ylabel('Rxx');
% End of file.

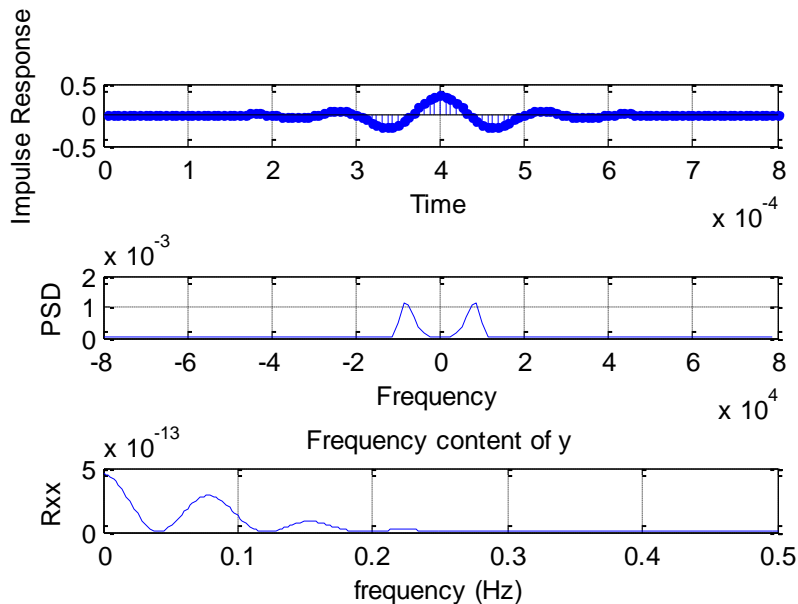
```

其中， File: linear\_fft.m 如下：

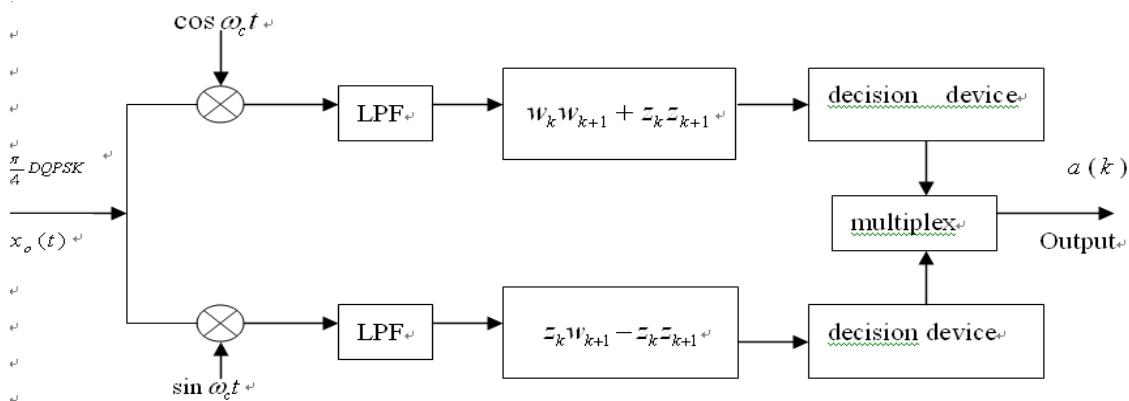
```

function [fftx,freq] = linear_fft(x,n,ts)
y = zeros(1,n);
for k=1:n
    freq(k) =(k-1-(n/2))/(n*ts);
    y(k) = x(k)*((-1.0)^(k+1));
end;
fftx = fft(y)/n;
% End of function file.

```







答:

matlab 程序:

```

m = 200;      bits = 2*m;
sps = 10;
iphase = 0;
order = 5;
bw = 0.2;
data = zeros(1,bits); d = zeros(1,m); q = zeros(1,m);
dd = zeros(1,m); qq = zeros(1,m); theta = zeros(1,m);
thetaout = zeros(1,sps*m);
data = round(rand(1,bits));
dd = data(1:2:bits-1);
qq = data(2:2:bits);
theta(1) = iphase;
thetaout(1:sps) = theta(1)*ones(1,sps);
for k=2:m
    if dd(k) == 1
        phi_k = (2*qq(k)-1)*pi/4;
    else
        phi_k = (2*qq(k)-1)*3*pi/4;
    end
    theta(k) = phi_k + theta(k-1);
    for i=1:sps
        j = (k-1)*sps+i;
        thetaout(j) = theta(k);
    end
end
d = cos(thetaout);
q = sin(thetaout);
[b,a] = butter(order,bw);
df = filter(b,a,d);
qf = filter(b,a,q);
kk = 0;
while kk == 0
    k = menu('pi/4 QPSK Plot Options',...
        'Unfiltered pi/4 QPSK Signal Constellation',...
        'Unfiltered pi/4 QPSK Eye Diagram',...
        'Filtered pi/4 QPSK Signal Constellation',...
        'Filtered pi/4 QPSK Eye Diagram',...
        'Unfiltered Direct and Quadrature Signals',...
    
```

```

'Filtered Direct and Quadrature Signals',...
'Exit Program');
if k == 1
    sigcon(d,q)
    pause
elseif k ==2
    dqeye(d,q,4*sps)
    pause
elseif k == 3
    sigcon(df,qf)
    pause
elseif k == 4
    dqeye(df,qf,4*sps)
    pause
elseif k == 5
    numbsym = 10;
    dt = d(1:numbsym*sps);
    qt = q(1:numbsym*sps);
    dqplot(dt,qt)
    pause
elseif k == 6
    numbsym = 10;
    dft=df(1:numbsym*sps);
    qft=qf(1:numbsym*sps);
    dqplot(dft,qft)
    pause
elseif k == 7
    kk = 1;
end
end

```

其中，子程序1:

```

function []=sigcon(x,y)
plot(x,y)
axis('square')
axis('equal')
xlabel('Direct Channel')
ylabel('Quadrature Channel')
% End of function file.

```

子程序2:

```

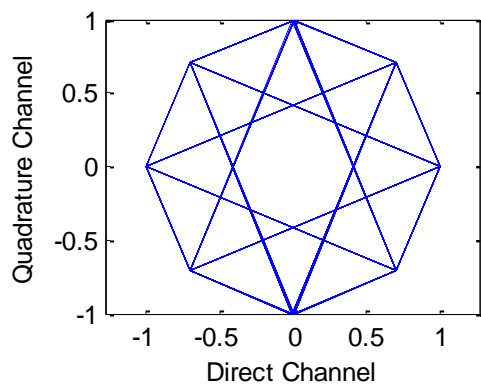
function [] = dqeye(xd,xq,m)
lx = length(xd);
kcol = floor(lx/m);
xda = [0,xd]; xqa = [0,xq];
for j = 1:kcol
    for i = 1:(m+1)
        kk = (j-1)*m+i;
        y1(i,j) = xda(kk);
        y2(i,j) = xqa(kk);
    end
end
end
subplot(211)

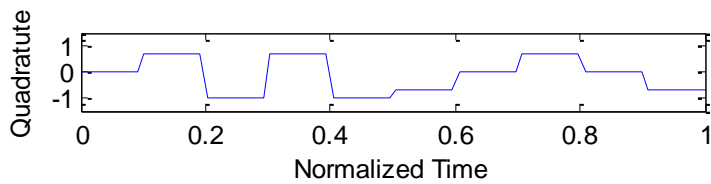
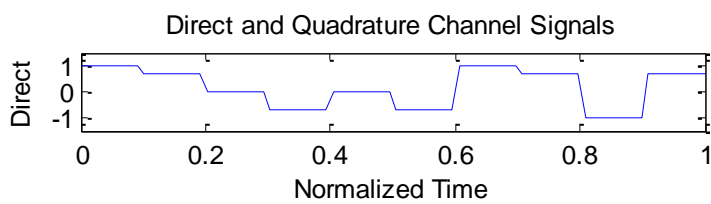
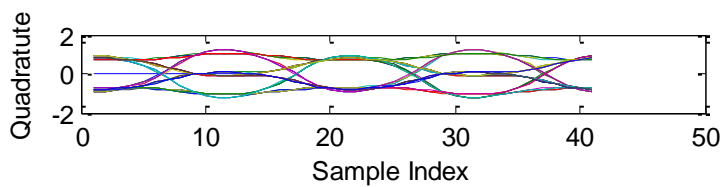
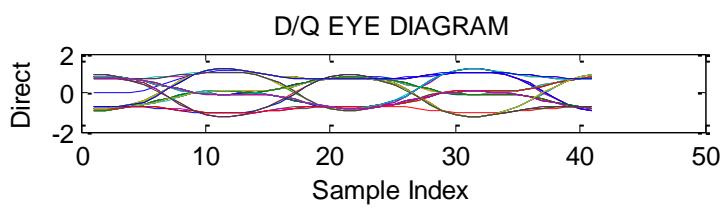
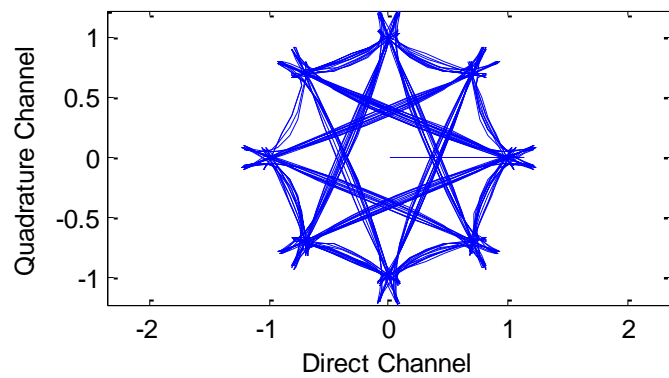
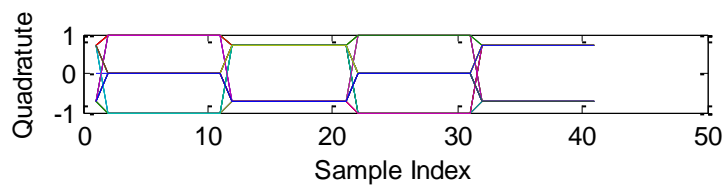
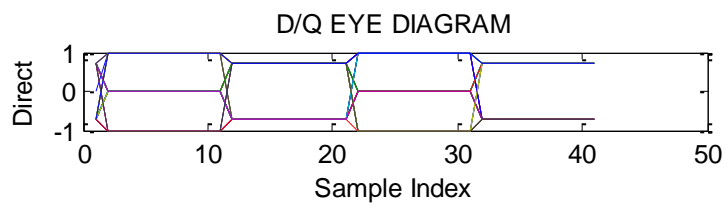
```

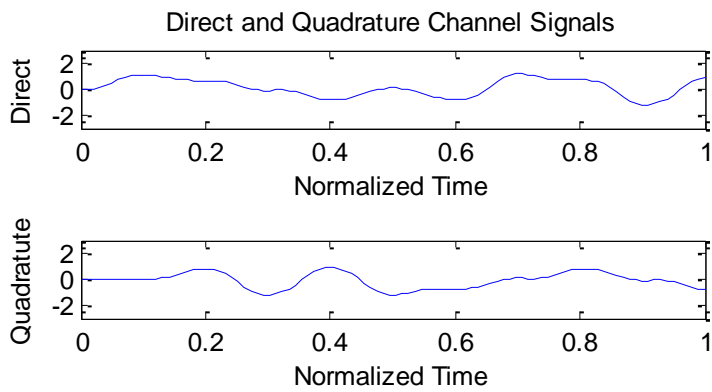
```

plot(y1);
title('D/Q EYE DIAGRAM');
xlabel('Sample Index');
ylabel('Direct');
subplot(212)
plot(y2);
xlabel('Sample Index');
ylabel('Quadrature');
subplot(111)
% End of function file.
子程序3: function [] = dqplot(xd,xq)
lx = length(xd);
t = 0:lx-1;
nt = t/(lx-1);
nxd = xd(1,1:lx);
nxq = xq(1,1:lx);
subplot(211)
plot(nt,nxd);
a = axis;
axis([a(1) a(2) 1.5*a(3) 1.5*a(4)]);
title('Direct and Quadrature Channel Signals');
xlabel('Normalized Time');
ylabel('Direct');
subplot(212)
plot(nt,nxq);
a = axis;
axis([a(1) a(2) 1.5*a(3) 1.5*a(4)]);
xlabel('Normalized Time');
ylabel('Quadrature');
subplot(111)
% End of function file.

```



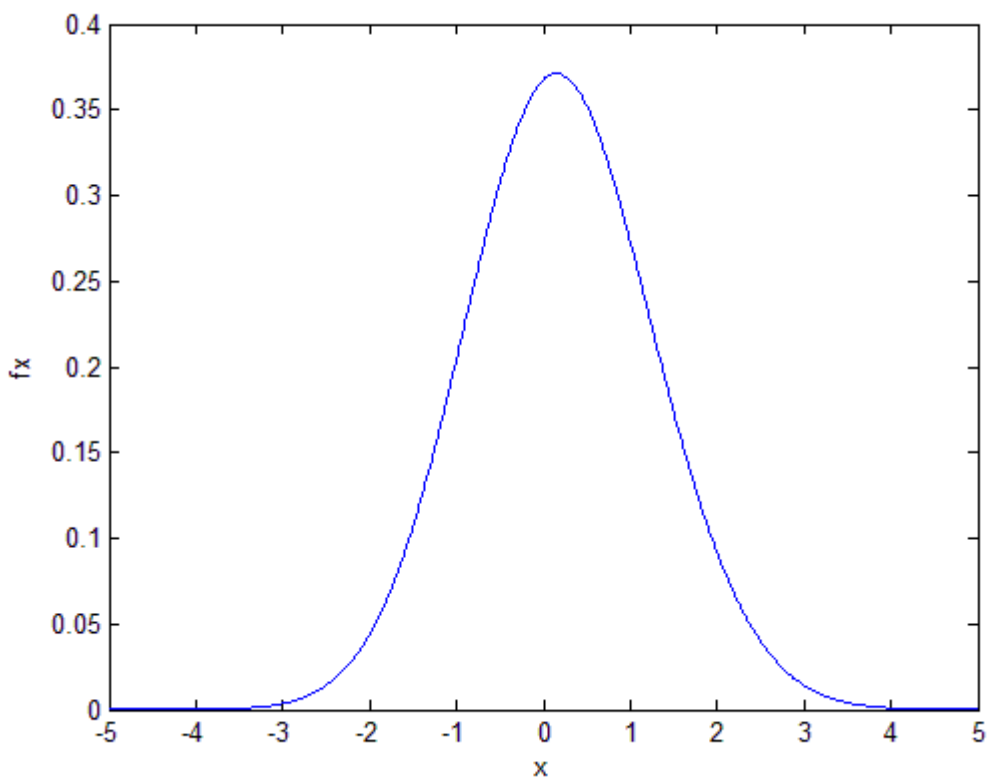




## 8.5

当  $a=0.8, m_1=0, m_2=1, \sigma_1=\sigma_2=1$  时，程序如下：

```
clear all
x=-5:0.01:5;
a=0.8;m1=0;m2=1;segma1=1;segma2=1;
f=a/sqrt(2*pi)/segma1*exp(-((x-m1).^2/(2*segma1.^2)))+(1-a)/sqrt(2*pi)/segma2*exp(-((x-m2).^2/(2*segma2.^2)));
plot(x,f);
```



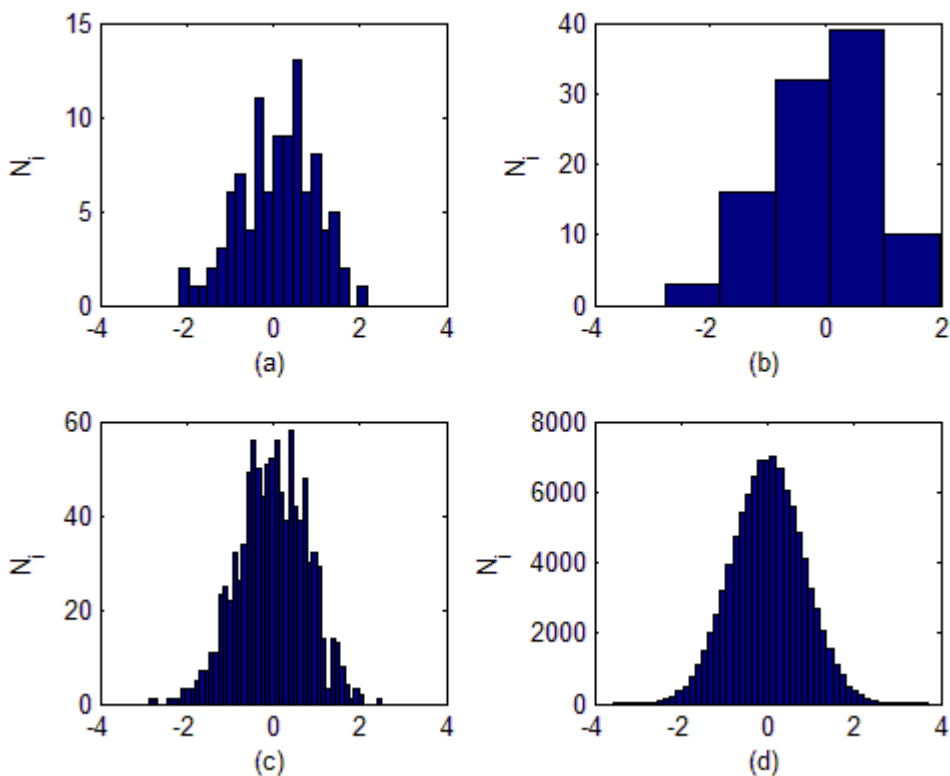
当  $a=0.8, m_1=0, m_2=0, \sigma_1=\sigma_2=1$  时，用高斯混合的pdf，重做例8-2：

```
clear all
a=0.8;
subplot(2,2,1)
x = a*randn(1,100)+(1-a)*randn(1,100); hist(x,20)
```

```

ylabel('N_i'); xlabel(' (a) ')
subplot(2,2,2)
x = a*randn(1,100)+(1-a)*randn(1,100); hist(x,5)
ylabel('N_i'); xlabel(' (b) ')
subplot(2,2,3)
x = a*randn(1,1000)+(1-a)*randn(1,1000); hist(x,50)
ylabel('N_i'); xlabel(' (c) ')
subplot(2,2,4)
x = a*randn(1,100000)+(1-a)*randn(1,100000); hist(x,50)
ylabel('N_i'); xlabel(' (d) ')

```



## 8.11

求  $y_i(n)$  利用函数:

```

% File: snrmse.m
% Software given here is to accompany the textbook: W.H. Tranter,
% K.S. Shanmugan, T.S. Rappaport, and K.S. Kosbar, Principles of
% Communication Systems Simulation with Wireless Applications,
% Prentice Hall PTR, 2004.
%
function [gain, delay, px, py, rxy, rho, snrdb] = snrmse(x, y)
ln = length(x); % Set length of the reference (x) vector
fx = fft(x, ln); % FFT the reference (x) vector
fy = fft(y, ln); % FFT the measurement (y) vector
fxconj = conj(fx); % Conjugate the FFT of the reference vector
sxy = fy .* fxconj; % Determine the cross PSD
rxy = ifft(sxy, ln); % Determine the cross correlation function

```

```

rxy = real(rxy)/ln;           % Take the real part and scale
px = x*x'/ln;                % Determine power in reference vector
py = y*y'/ln;                % Determine power in measurement vector
[rxymax, j] = max(rxy);       % Find the max of the crosscorrelation
gain = rxymax/px;             % Here's the gain
delay = j-1;                  % Here's the delay
rxy2 = rxymax*rxymax;         % Square rxymax for later use
rho = rxymax/sqrt(px*py);     % Here's the correlation coefficient
snr = rxy2/(px*py-rxy2);      % Here's the snr
snrdb = 10*log10(snr);        % Here's the snr in db
% End of script file.

```

再自己编写程序：

```

kpts = 1024;                  % FFT Block size
k = 1:kpts;                   % sample index vector
fd = 2;                       % desired signal frequency
Ax = 1; Ayd = 5;              % amplitudes
theta = 2*pi*k/kpts;          % phase vector
x = Ax*sin(fd*theta);         % desired signal
yd = Ayd*sin(fd*theta);       % desired signal at receiver input
yy = yd;                      % receiver input
[ gain, delay, px, py, rxy, rho, snrdb ] = snrmse(x, yy);
cpx = ['The value of Px is ', num2str(px), '. '];
cpy = ['The value of Py is ', num2str(py), '. '];
cgain = ['The value gain is ', num2str(gain), '. '];
cdel = ['The value of delay is ', num2str(delay), '. '];
csnrdb = ['The value of SNR is ', num2str(snrdb), ' dB. '];
disp(' ')                     % insert blank line
disp(cpx)
disp(cpy)
disp(cgain)
disp(cdel)
disp(csnrdb)
% End of script file.

```

运行结果：

The value of Px is 0.5.

The value of Py is 12.5.

The value gain is 5.

The value of delay is 0.

The value of SNR is 155.4635+13.64376i dB.

同理，求  $y_2(n)$  自己再编写程序：

```

kpts = 1024;                  % FFT Block size
k = 1:kpts;                   % sample index vector
fd = 2;                       % desired signal frequency
Ax = 1; Ayd = 5;% Ayi =4;     % amplitudes
phase = pi/2-pi/512;          % phase shift
theta = 2*pi*k/kpts;          % phase vector
x = Ax*sin(fd*theta);         % desired signal

```

```

yd = Ayd*sin(fd*theta-phase);          % desired signal at receiver input
yy = yd;                                % receiver input
[ gain, delay, px, py, rxy, rho, snrdb ] = snrmse(x, yy);
cpx = ['The value of Px is ', num2str(px), '.'];
cpy = ['The value of Py is ', num2str(py), '.'];
cgain = ['The value gain is ', num2str(gain), '.'];
cdel = ['The value of delay is ', num2str(delay), '.'];
csnrdb = ['The value of SNR is ', num2str(snrdb), ' dB.'];
disp(' ')                                % insert blank line
disp(cpx)
disp(cpy)
disp(cgain)
disp(cdel)
disp(csnrdb)
% End of script file.

```

运行结果:

The value of Px is 0.5.

The value of Py is 12.5.

The value gain is 4.9999.

The value of delay is 127.

The value of SNR is 44.2423 dB.

## 8-12

答:

```

(a)      %M 文件: snrmse(x,y)
          function [gain,delay,px,py,rxy,rho,snrdb] = snrmse(x,y)
          ln = length(x);
          fx = fft(x,ln);
          fy = fft(y,ln);
          fxconj = conj(fx);
          sxy = fy .* fxconj;
          rxy = ifft(sxy,ln);
          rxy = real(rxy)/ln;
          px = x*x'/ln;
          py = y*y'/ln;
          [rxymax,j] = max(rxy);
          gain = rxymax/px;
          delay = j-1;
          rxy2 = rxymax*rxymax;
          rho = rxymax/sqrt(px*py);
          snr = rxy2/(px*py-rxy2);
          snrdb = 10*log10(snr);
          % End of script file.
          %设置频率和样本数
          kpts = 1024;
          k = 1:kpts;
          fd = 5;
          % desired signal frequency
          fi = 10;

```



```

Ax = 2; Ayd = 5; Ayi =5;
phase = pi/2;
% phase shift
nstd = 5;
theta = 2*pi*k/kpts;
% phase vector
x = Ax*sin(fd*theta);
yd = Ayd*sin(fd*theta-pi/2);
yi = Ayi*sin(fi*theta-3*pi/4);
noise = nstd*sin(15*theta-pi);
yy = yd+yi+noise;
[ gain,delay,px,py,rx,ry,rho,snrdb] = snrmse(x,yy);
cpx = ['The value of Px is ',num2str(px),'.'];
cpy = ['The value of Py is ',num2str(py),'.'];
cgain = ['The value gain is ',num2str(gain),'.'];
cdelay = ['The value of delay is ',num2str(delay),'.'];
csnrdb = ['The value of SNR is ',num2str(snrdb),' dB.'];
disp(' ')
disp(cpx)
disp(cpy)
disp(cgain)
disp(cdelay)
disp(csnrdb)
% End of script file.

```

结果: The value of Px is 2.  
The value of Py is 37.5.  
The value gain is 2.5.  
The value of delay is 256.  
The value of SNR is -3.0103 dB.

(b) 从(a)中的显示结果可以看到,增益,延迟,信噪比等数据,得到这些差错源并不是很严重的。

(c) 系统幅度失真,相位失真。

(d) 参数  $A=B=1$ ,  $a=b=0$  时,系统无失真,下面对这些参数进行实验,并通过和真实值比较证明结论正确。

```

kpts = 1024;
k = 1:kpts;
fd = 5;
fi =10;
Ax = 2; Ayd = 5; Ayi =1;
phase = pi/2;
nstd = 1;
theta = 2*pi*k/kpts;
x = Ax*sin(fd*theta);
yd = Ayd*sin(fd*theta-pi/2);
yi = Ayi*sin(fi*theta);
noise = nstd*sin(15*theta);
yy = yd+yi+noise;
[ gain,delay,px,py,rx,ry,rho,snrdb] = snrmse(x,yy);
cpx = ['The value of Px is ',num2str(px),'.'];
cpy = ['The value of Py is ',num2str(py),'.'];

```

```

cgain = ['The value gain is',num2str(gain),'.'];
cdel = ['The value of delay is ',num2str(delay),'.'];
csnrdb = ['The value of SNR is ',num2str(snrdb),' dB.'];
disp(' ')
disp(cpx)
disp(cpy)
disp(cgain)
disp(cdel)
disp(csnrdb)
% End of script file.

```

结果: The value of Px is 2.  
The value of Py is 13.5.  
The value gain is 2.5.  
The value of delay is 256.  
The value of SNR is 10.9691 dB

## 第9章 蒙特卡罗方法导论

### 9.10

先利用q函数: q.m

```

function y=q(x)
y = 0.5*erfc(x/sqrt(2));

```

再编写程序:

```

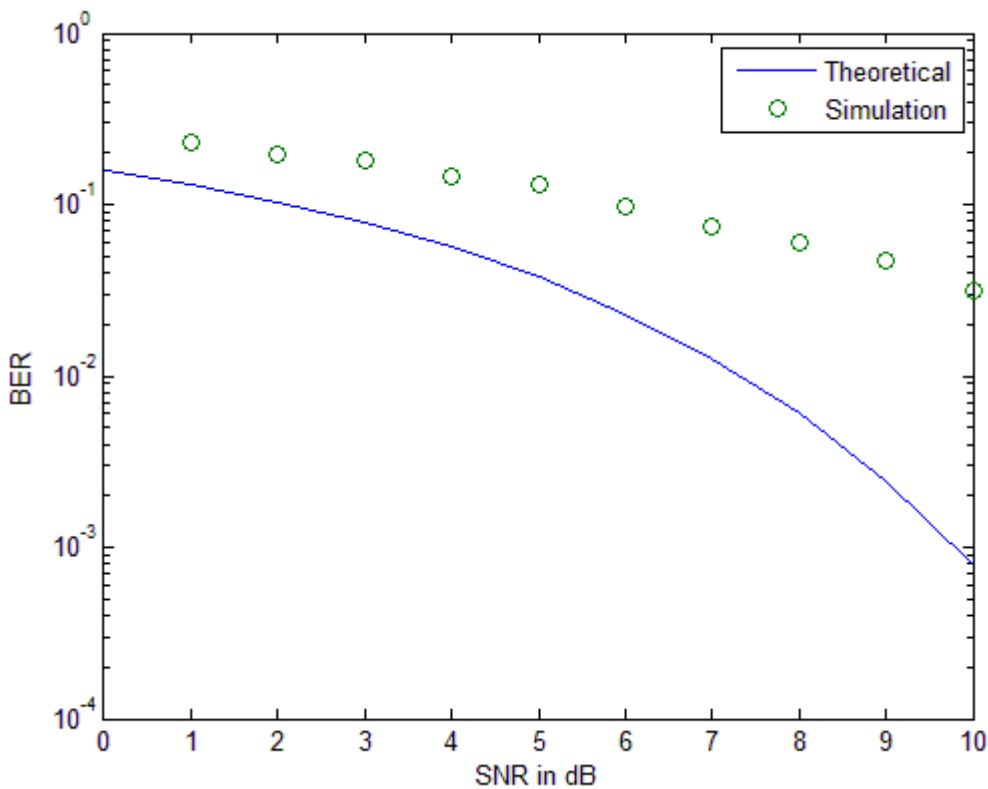
clear all
snrdB_min = 0; snrdB_max = 10;           % SNR (in dB) limits
snrdB = snrdB_min:1:snrdB_max;
Nsymbols = input('Enter number of symbols > ');
snr = 10.^(snrdB/10);                    % convert from dB
h = waitbar(0,'SNR Iteration');
len_snr = length(snrdB);
for j=1:len_snr                           % increment SNR
    waitbar(j/len_snr)
    sigma = sqrt(1/(2*snr(j)));           % noise standard deviation
    error_count = 0;
    for k=1:Nsymbols                       % simulation loop begins
        d = round(rand(1));               % data
        if d == 0
            x_d = sqrt(3)/2;               % direct transmitter output
            x_q = 0;                       % quadrature transmitter output
        else
            x_d = 0;                       % direct transmitter output
            x_q = 1/2;                     % quadrature transmitter output
        end
        n_d = sigma*randn(1);              % direct noise component
        n_q = sigma*randn(1);              % quadrature noise component
        y_d = x_d + n_d;                   % direct receiver input
        y_q = x_q + n_q;                   % quadrature receiver input
        if y_d > y_q                       % test condition
            d_est = 0;                     % conditional data estimate
        end
    end
end

```

```

else
    d_est = 1; % conditional data estimate
end
if (d_est ~= d)
    error_count = error_count + 1; % error counter
end
end % simulation loop ends
errors(j) = error_count; % store error count for plot
end
close(h)
ber_sim = errors/Nsymbols; % BER estimate
ber_theor = q(sqrt(snr)); % theoretical BER
semilogy(snrdB, ber_theor, snrdB, ber_sim, 'o')
axis([snrdB_min snrdB_max 0.0001 1])
xlabel('SNR in dB')
ylabel('BER')
legend('Theoretical', 'Simulation')

```



### 9-13

答: matlab 程序:

```

iter=input('the parameter N iter:=');
high=4;low=1.5;
x=1.5+2.5*rand(iter,1);
y=2*rand(iter,1);
s=2.5*2*sum(4*exp(-x(:,1)/2)-y(:,1)>=0)/iter;
s1=quad('4*exp(-x/2)',1.5,4);
disp(s);
disp(s1);

```

the parameter N iter:=100

2.7500

2.6963

the parameter N iter:=500

2.6900

2.6963

the parameter N iter:=1000

2.6450

2.6963

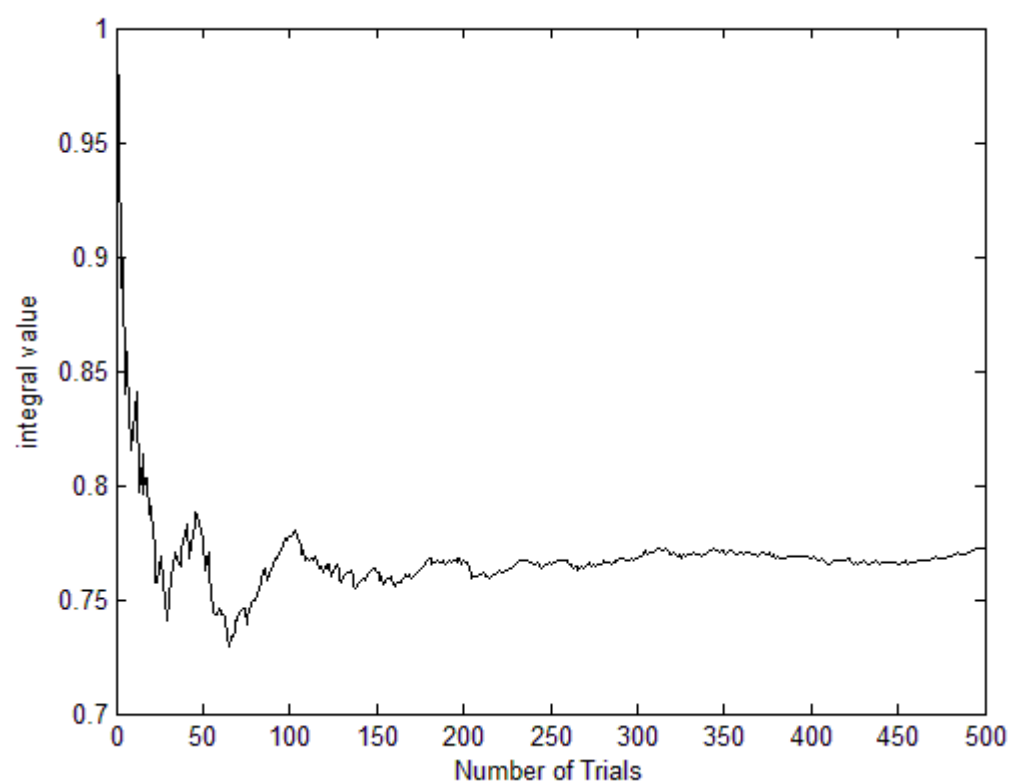
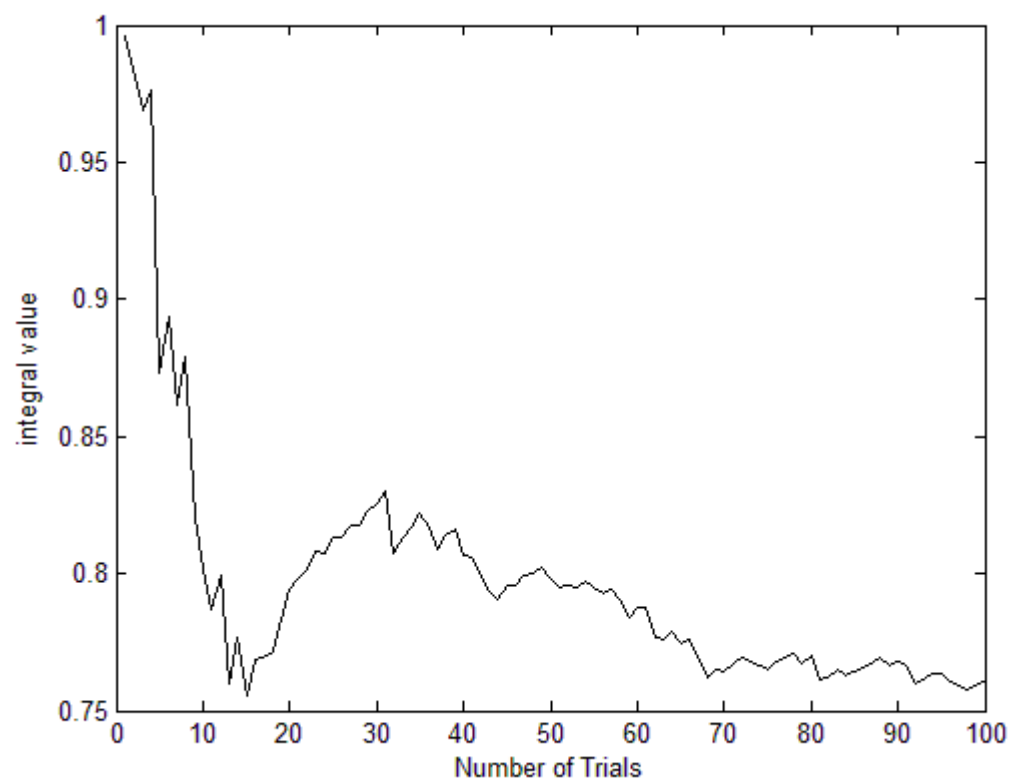
其中，s: 蒙特卡罗积分值

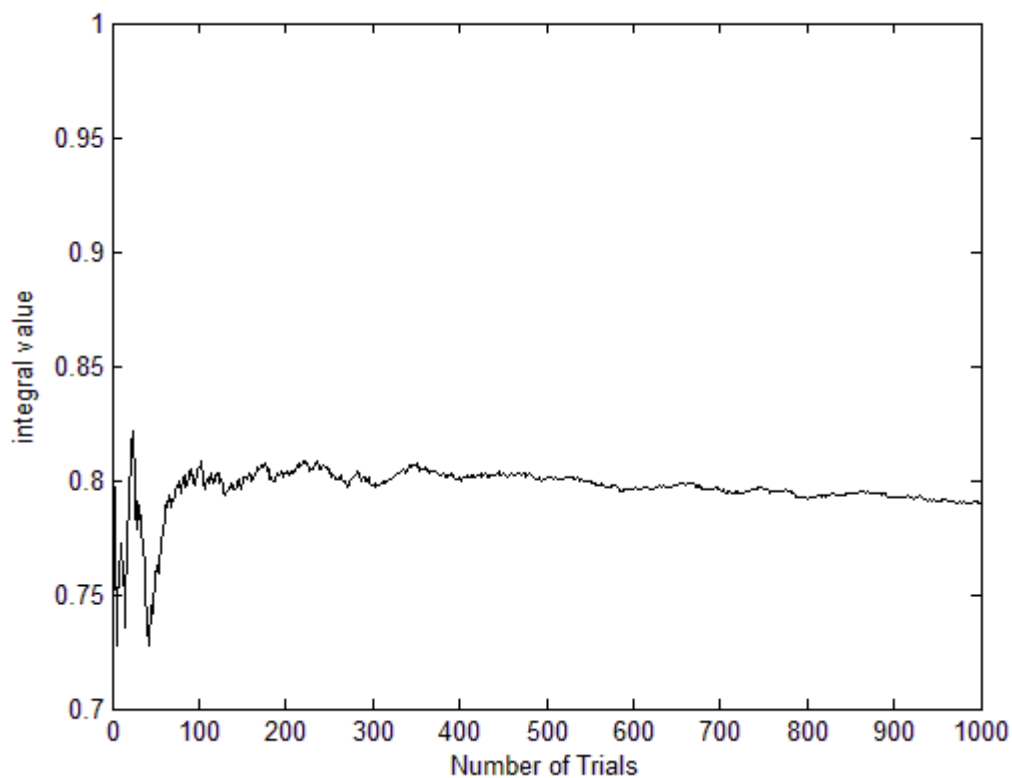
s1:真实积分值

由此可知，N 越大，蒙特卡罗积分结果就越接近真实的积分值。

## 9.14

```
clear all
N=input('the parameter N iter:=' )           % Number of experiments
experiment                                     % Trials per
u = rand(N,1);                               % Generate random numbers
uu =sqrt(1-u.*u);% Define function
data = zeros(N,1);                           % Initialize array
% The following four lines of code determine
% M estimates as a function of j, 0<j<=N.
data(1,:)=uu(1,:);
for j=2:N
    data(j,:)=sum(uu(1:j,:))/j;
end
est = data(N,:)                               % M estimates of pi
s1=quad('sqrt(1-u.*u)',0,1)
plot(data,'k')                                % Plot results
xlabel('Number of Trials')
ylabel('integral value')
```



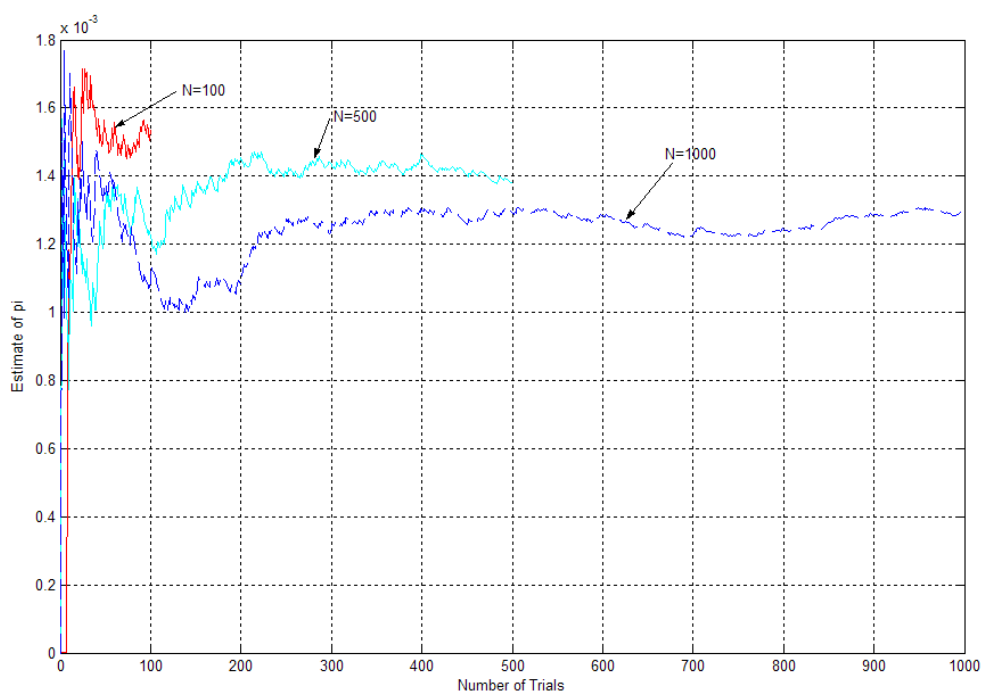


9-16

答:  $Q(3) = \frac{1}{\sqrt{2\pi}} \int_3^{\infty} \exp(-y^2/2) dy = \frac{1}{2} \operatorname{erfc}(3/\sqrt{2}) = 0.0013$

$Q_1(3) = \frac{1}{\pi} \int_0^{\pi/2} \exp(-\frac{3^2}{2\sin^2\theta}) d\theta = \frac{1}{\pi} \cdot \frac{\pi}{2} \int_0^1 \exp(-\frac{3^2}{2\sin^2(\pi\theta/2)}) d\theta = \frac{1}{2} \int_0^1 \exp(-\frac{3^2}{2\sin^2(\pi\theta/2)}) d\theta$  Matlab 程序基本同前:

`gx=exp(-9/(2*sin(pi*x*0.5).^2));`



### 10.3

首先要修改采样次数:

```
% File: c10_MCBPSKrun.m
% Software given here is to accompany the textbook: W.H. Tranter,
% K.S. Shanmugan, T.S. Rappaport, and K.S. Kosbar, Principles of
% Communication Systems Simulation with Wireless Applications,
% Prentice Hall PTR, 2004.
%
function [BER, Errors]=MCBPSKrun(N, EbNo, delay, FilterSwitch)
SamplesPerSymbol = 20;           % samples per symbol
BlockSize = 1000;                % block size
NoiseSigma = sqrt(SamplesPerSymbol/(2*EbNo)); % scale noise level
DetectedSymbols = zeros(1, BlockSize); % initialize vector
NumberOfBlocks = floor(N/BlockSize); % number of blocks processed
[BTx, ATx] = butter(5, 2/SamplesPerSymbol); % compute filter parameters
[TxOutput, TxFilterState] = filter(BTx, ATx, 0); % initialize state vector
BRx = ones(1, SamplesPerSymbol); ARx=1; % matched filter parameters
Errors = 0;                      % initialize error counter
%
% Simulation loop begin here.
%
for Block=1:NumberOfBlocks
    %
    % Generate transmitted symbols.
    %
    [SymbolSamples, TxSymbols] = random_binary(BlockSize, SamplesPerSymbol);
    %
    % Transmitter filter if desired.
    %
    if FilterSwitch==0
        TxOutput = SymbolSamples;
    else
        [TxOutput, TxFilterState] = filter(BTx, ATx, SymbolSamples, TxFilterState);
    end
    %
    % Generate channel noise.
    %
    NoiseSamples = NoiseSigma*randn(size(TxOutput));
    %
    % Add signal and noise.
    %
    RxInput = TxOutput + NoiseSamples;
    %
    % Pass Received signal through matched filter.
    %
    IntegratorOutput = filter(BRx, ARx, RxInput);
    %
end
```

```

% Sample matched filter output every SamplesPerSymbol samples,
% compare to transmitted bit, and count errors.
%
for k=1:BlockSize,
    m = k*SamplesPerSymbol+delay;
    if (m < length(IntegratorOutput))
        DetectedSymbols(k) = (1-sign(IntegratorOutput(m)))/2;
        if (DetectedSymbols(k) ~= TxSymbols(k))
            Errors = Errors + 1;
        end
    end
end
end
BER = Errors/(BlockSize*NumberOfBlocks);    % calculate BER
% End of function file.

```

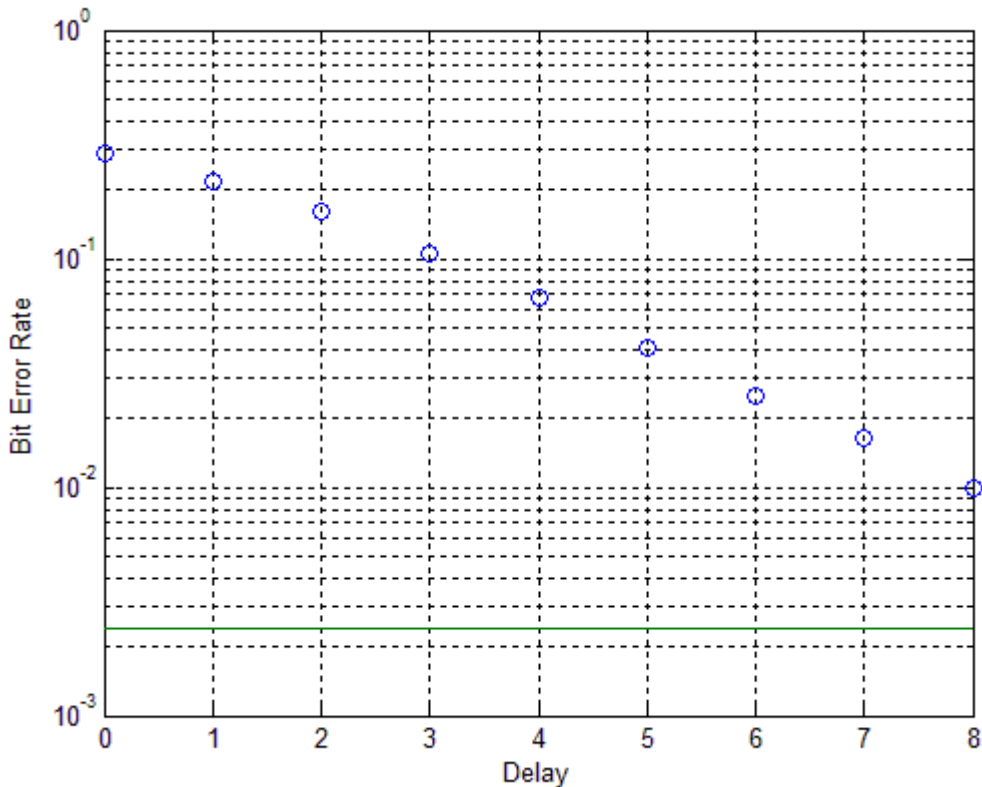
Delay仿真估计:

```

% File: c10_MCBPSKdelay.m
% Software given here is to accompany the textbook: W.H. Tranter,
% K.S. Shanmugan, T.S. Rappaport, and K.S. Kosbar, Principles of
% Communication Systems Simulation with Wireless Applications,
% Prentice Hall PTR, 2004.
%
EbNodB = 6;                                % Eb/No (dB) value
z = 10.^(EbNodB/10);                        % convert to linear scale
delay = 0:8;                                % delay vector
BER = zeros(1,length(delay));               % initialize BER vector
Errors = zeros(1,length(delay));            % initialize Errors vector
BER_T = q(sqrt(2*z))*ones(1,length(delay)); % theoretical BER vector
N = round(100./BER_T);                      % 100 errors for ideal (zero ISI) system
FilterSwitch = 1;                           % set filter switch (in=1 or out=0)
for k=1:length(delay)
    [BER(k),Errors(k)] = c10_MCBPSKrun(N(k),z,delay(k),FilterSwitch)
end
semilogy(delay,BER,'o',delay,BER_T,'-'); grid;
xlabel('Delay'); ylabel('Bit Error Rate');
% End of script file.

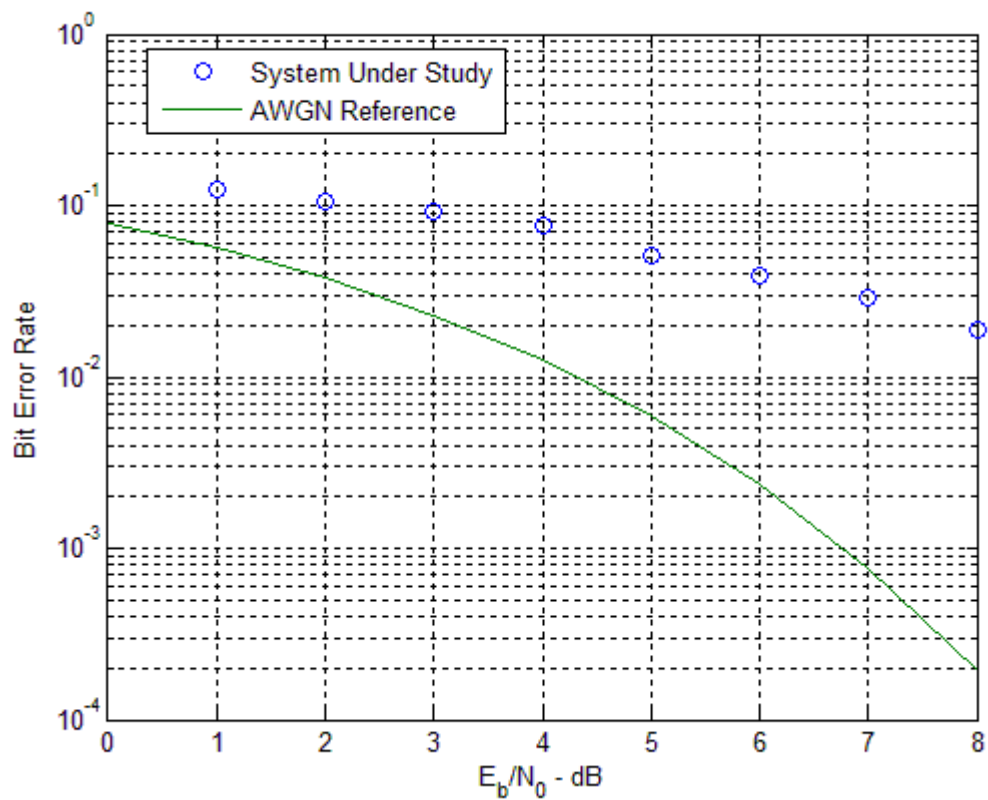
```



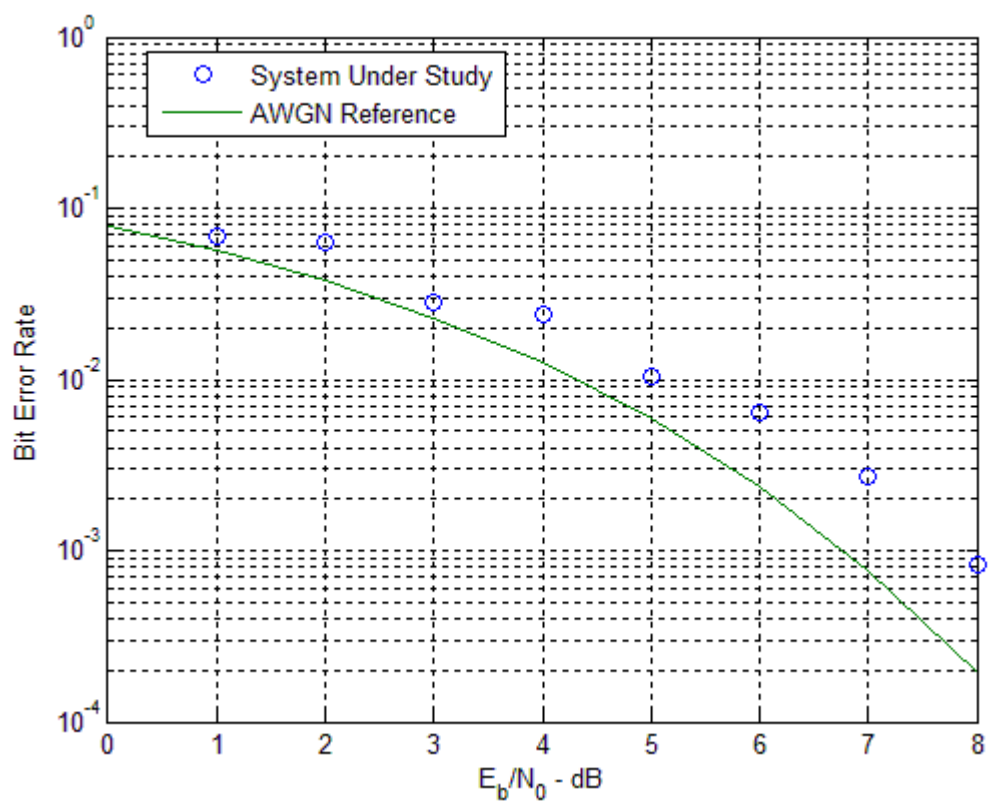


BER仿真估计:

```
% File: c10_MCBPSKber.m
% Software given here is to accompany the textbook: W.H. Tranter,
% K.S. Shanmugan, T.S. Rappaport, and K.S. Kosbar, Principles of
% Communication Systems Simulation with Wireless Applications,
% Prentice Hall PTR, 2004.
%
EbNodB = 0:8;                                % vector of Eb/No (dB) values
z = 10.^(EbNodB/10);                          % convert to linear scale
delay = 5;                                    % enter delay value (samples)
BER = zeros(1,length(z));                    % initialize BER vector
Errors = zeros(1,length(z));                 % initialize Errors vector
BER_T = q(sqrt(2*z));                        % theoretical (AWGN) BER vector
N = round(20./BER_T);                        % 20 errors for ideal (zero ISI) system
FilterSwitch = 1;                            % Tx filter out (0) or in (1)
for k=1:length(z)
    N(k) = max(1000,N(k));                    % ensure at least one block processed
    [BER(k),Errors(k)] = c10_MCBPSKrun(N(k),z(k),delay,FilterSwitch)
end
semilogy(EbNodB,BER,'o',EbNodB,BER_T)
xlabel('E_b/N_0 - dB'); ylabel('Bit Error Rate'); grid
legend('System Under Study','AWGN Reference',0)
% End of script file.
```



10-1中的图形为:



#### 10.4

蒙特卡罗方法:

tic

EbNodB = 0:8;

% vector of Eb/No (dB) values

```

z = 10.^(EbNodB/10);           % convert to linear scale
delay = 5;                     % enter delay value (samples)
BER = zeros(1,length(z));      % initialize BER vector
Errors = zeros(1,length(z));   % initialize Errors vector
BER_T = q(sqrt(2*z));          % theoretical (AWGN) BER vector
N = round(20./BER_T);          % 20 errors for ideal (zero ISI) system
FilterSwitch = 1;              % Tx filter out (0) or in (1)
for k=1:length(z)
    N(k) = max(1000,N(k));      % ensure at least one block processed
    [BER(k),Errors(k)] = c10_MCBPSKrun(N(k),z(k),delay,FilterSwitch)
end
semilogy(EbNodB,BER,'o',EbNodB,BER_T)
xlabel('E_b/N_0 - dB'); ylabel('Bit Error Rate'); grid
legend('System Under Study','AWGN Reference',0)
toc
% End of script file.
Elapsed time is 0.484517 seconds.

```

半解析估计法:

```

tic
NN = 256;                      % number of symbols
tb = 1;                        % bit file
p0 = 1;                        % power
fs = 16;                      % samples/symbol
ebn0db = [0:1:8];              % Eb/No vector in dB
[bt,at] = butter(5,2/fs);      % transmitter filter parameters
x = random_binary(NN,fs);      % establish PSK signal
y1 = x;                        % save signal
y2a = y1*sqrt(p0);             % scale amplitude
y2 = filter(bt,at,y2a);        % transmitter output
br = ones(1,fs); br = br/fs; ar = 1; % matched filter parameters
y = filter(br,ar,y2);          % matched filter output
%
% End of simulation.
%
% The following code sets up the semianalytic estimator. Find the
% maximum magnitude of the cross correlation and the corresponding lag.
%
[cor lags] = vxcorr(x,y);       % compute crosscorrelation
[cmax nmax] = max(abs(cor));    % maximum of crosscorrelation
timelag = lags(nmax);          % lag at max crosscorrelation
theta = angle(cor(nmax));       % determine angle
y = y*exp(-i*theta);           % derotate
%
% Noise BW calibration.
%
hh = impz(br,ar);              % receiver impulse response
nbw = (fs/2)*sum(hh.^2);        % noise bandwidth

```

```

%
% Delay the input and do BER estimation on the NN-20+1 128 bits.
% Use middle sample. Make sure the index does not exceed number
% of input points. Eb should be computed at the receiver input.
%
index = (10*fs+8:fs:(NN-10)*fs+8);
xx = x(index);
yy = y(index-timelag+1);
eb = tb*sum(abs(y2).^2)/length(y2);
eb = eb/2;
[peideal, pesystem] = psk_berest(xx, yy, ebn0db, eb, tb, nbw);
semilogy(ebn0db, pesystem, 'ro-', ebn0db, peideal); grid;
xlabel('E_b/N_0 (dB)'); ylabel('Bit Error Rate')
legend('System Under Study', 'AWGN Reference', 0)
toc
% End of script file.
Elapsed time is 0.171073 seconds.

```

## 10-6

答: matlab 程序: EbNodB = 0:10;

```

z = 10.^(EbNodB/10);
delay = 5;
BER = zeros(1,length(z));
Errors = zeros(1,length(z));
BER_T = q(sqrt(2*z));
N = round(20./BER_T);
FilterSwitch = 1;
for k=1:length(z)
    N(k) = max(1000,N(k));
    [BER(k),Errors(k)] = c10_MCBPSKrun(N(k),z(k),delay,FilterSwitch);
end
semilogy(EbNodB,BER,'o',EbNodB,BER_T);
xlabel('E_b/N_0 - dB'); ylabel('Bit Error Rate');
grid
legend('System Under Study','AWGN Reference',0);
% End of script file.

```

其中, 子程序 1: function [BER,Errors]=MCBPSKrun(N,EbNo,delay,FilterSwitch)

```

SamplesPerSymbol = 10;
BlockSize = 1000;
NoiseSigma = sqrt(SamplesPerSymbol/(2*EbNo));
DetectedSymbols = zeros(1,BlockSize);
NumberOfBlocks = floor(N/BlockSize);
[BTx,ATx] = butter(5,2/SamplesPerSymbol);
[TxOutput,TxFilterState] = filter(BTx,ATx,0);
BRx = ones(1,SamplesPerSymbol); ARx=1;
Errors = 0;
for Block=1:NumberOfBlocks
    [SymbolSamples,TxSymbols] = random_binary(BlockSize,SamplesPerSymbol);
    if FilterSwitch==0

```

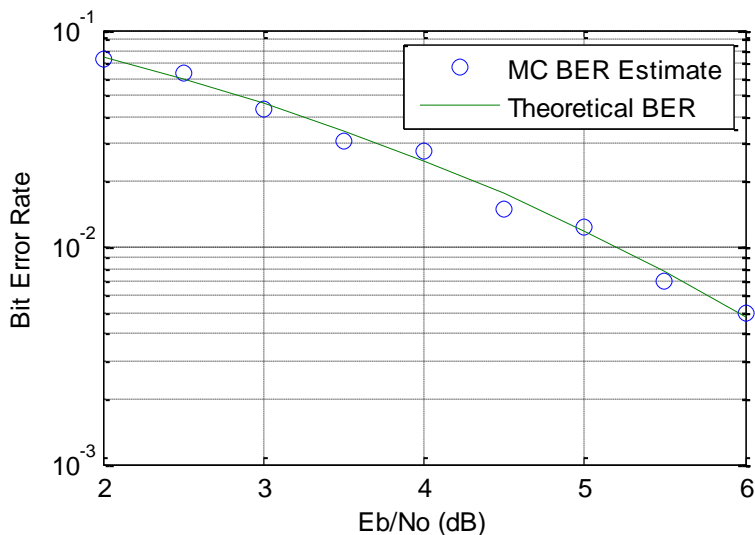
```

        TxOutput = SymbolSamples;
    else
        [TxOutput,TxFilterState] =filter(BTx,ATx,SymbolSamples,TxFilterState);
    end
    NoiseSamples = NoiseSigma*randn(size(TxOutput));
    RxInput = TxOutput + NoiseSamples;
    IntegratorOutput = filter(BRx,ARx,RxInput);
    for k=1:BlockSize,
        m = k*SamplesPerSymbol+delay;
        if (m < length(IntegratorOutput))
            DetectedSymbols(k) = (1-sign(IntegratorOutput(m)))/2;
            if (DetectedSymbols(k) ~= TxSymbols(k))
                Errors = Errors + 1;
            end
        end
    end
    end
    BER = Errors/(BlockSize*NumberOfBlocks);
    % End of function file.

```

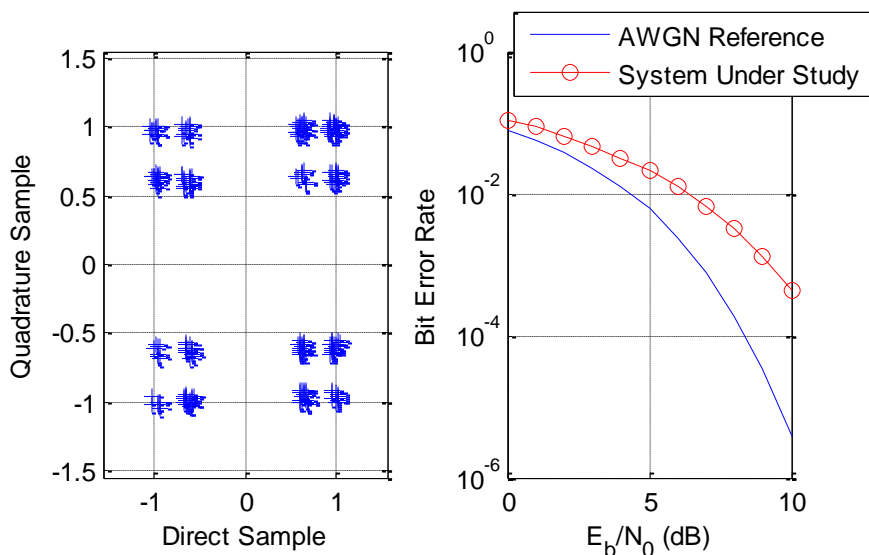
子程序 2: function y=q(x)  
 $y = 0.5 \cdot \text{erfc}(x/\sqrt{2})$ ;  
 % End function file.

子程序 3: function [x, bits] = random\_binary(nbits,nsamples)  
 $x = \text{zeros}(1, nbits \cdot nsamples)$ ;  
 $bits = \text{round}(\text{rand}(1, nbits))$ ;  
 for m=1:nbits  
 for n=1:nsamples  
 index = (m-1)\*nsamples + n;  
 $x(1, \text{index}) = (-1)^{\text{bits}(m)}$ ;  
 end  
 end  
 % End of function file.



答： matlab 程序： NN = 256;

```
tb = 0.5;
p0 = 1;
fs = 16;
ebn0db = [0:1:10];
[b,a] = butter(5,1/16);
x = random_binary(NN,fs)+i*random_binary(NN,fs);
y1 = x;
y2a = y1*sqrt(p0);
y2 = filter(b,a,y2a);
b = ones(1,fs); b = b/fs; a = 1;
y = filter(b,a,y2);
[cor lags] = vxcorr(x,y);
cmax = max(abs(cor));
nmax = find(abs(cor)==cmax);
timelag = lags(nmax);
theta = angle(cor(nmax));
y = y*exp(-i*theta);
hh = impz(b,a);
nbw = (fs/2)*sum(hh.^2);
index = (10*fs+8:fs:(NN-10)*fs+8);
xx = x(index);
yy = y(index-timelag+1);
[n1 n2] = size(y2); ny2=n1*n2;
eb = tb*sum(sum(abs(y2).^2))/ny2;
eb = eb/2;
[peideal,pesystem]= qpsk_berest(xx,yy,ebn0db,eb,tb,nbw);
subplot(1,2,1)
yscale = 1.5*max(real(yy));
plot(yy,'+')
xlabel('Direct Sample'); ylabel('Quadrature Sample'); grid;
axis([-yscale yscale -yscale yscale])
subplot(1,2,2)
semilogy(ebn0db,peideal,ebn0db,pesystem,'ro-'); grid;
xlabel('E_b/N_0 (dB)'); ylabel('Bit Error Rate')
legend('AWGN Reference','System Under Study')
% End of script file.
```



## 第 11 章 无线系统仿真的方法论

### 11-1

答:

- (a) 因为  $A_k = +1$  或  $-1$ , 所以从  $j=1$  到  $j=5$  相对应的  $A_k$  值共有 32 种组合。当全 1 时,  $D_{kmax}=0.5$ ; 当全 -1 时,  $D_{kmin}=-0.5$ 。得出 ISI 的分布范围是  $(-0.5, 0.5)$ 。

- (b)  $A_j$  的奇数阶距是零, 偶数阶距是 1。由  $D_k = \sum_{j=1}^5 h_j A_{j-k}$ , 可得出奇数阶距  $D=0$  ( $k=1, 3, 5, 7, 9$ ); 偶数阶距  $D=0.5$  ( $k=2, 4, 6, 8, 10$ )

- (c) 由  $D_k$  的各阶矩, 可以获得  $D_k$  分布的一个离散近似。在该近似中,  $D_k$  被当作一个可取  $J$  值的离散随机变量, 这个  $J$  值为  $d_1, \dots, d_j$ , 对应的概率为  $p_1, \dots, p_j$ 。  
选择横坐标  $x_1, \dots, x_j$  和纵坐标  $p_1, \dots, p_j$ , 使得连续分布和离散分布具有相同的矩

$$E(X^n) = \mu_n = \sum_{k=1}^j x_k^n p_k$$

已知  $X$  的前 3 阶矩, 就可以求出  $x_k$  和  $p_k$ ,  $k=1, 2, 3$ 。

- (d) 使用 ISI 分布的离散近似, 按下式就可以计算两种情况的差错概率:

$$E\{Q(A + D_k / \sigma_k)\} = \sum_{j=1}^j Q(A + d_j / \sigma_x) p_j$$

### 11-2

答:

- (a) 因为  $A_k, B_k = +1$  或  $-1$ , 所以 5 相对应的  $S_k$  值为 2, -2, 0 三种。用下面表达式来表示确切分布:

$$D_x = \sum_{j=1}^5 \alpha_j A_j - \sum_{j=0}^5 \beta_j B_j$$

其中,  $\vec{h}_k = \alpha_k + j\beta_k$

- (b)  $D_x$  的矩可通过下式进行计算:

$$E\{D_x^k\} = E\left\{\left[\sum_{j=1}^5 \alpha_j A_j - \sum_{j=0}^5 \beta_j B_j\right]^k\right\}, k = 1, \dots, 10$$

这样就可以得到其前 10 阶矩。

- (c) 同样道理，已知  $X$  的前 3 阶距，就可以求出  $x_k$  和  $p_k$ ， $k=1, 2, 3$ . 计算出 ISI 分布的一阶距匹配近似。
- (d) 使用 ISI 分布的离散近似，按下式就可以计算两种情况的差错概率：

$$E\{Q(A + D_k / \sigma_k)\} = \sum_{j=1}^j Q(A + d_j / \sigma_x) p_j$$

## 15.6

```
N = 200;
pie = zeros(N,3);
A = [0.8 0.15 0.05;0.2 0.7 0.1;0 0.1 0.9];
pie(1,:) = [1 0 0];
S=zeros(1,N);
S(1)=1;
for k=2:N
    pie(k,:) = pie(k-1,)*A;
    R=rand(1);
    if R>0&R<=pie(k,1)
        S(k)=1;
    elseif R>pie(k,1)&R<=(pie(k,2)+pie(k,1))
        S(k)=2;
    else R>(pie(k,2)+pie(k,1))&R<=1
        S(k)=3;
    end
end
disp('The value of A^N is');A^N
disp('状态S各个时刻为: ');S
t=1:200;
plot(t,S,'*')
% End of script file.
```

运行结果:

The value of  $A^N$  is

ans =

0.2857	0.2857	0.4286
0.2857	0.2857	0.4286
0.2857	0.2857	0.4286

状态S各个时刻为:

S =

Columns 1 through 13

1	3	1	2	1	3	3	2	1	3	2	2	3
---	---	---	---	---	---	---	---	---	---	---	---	---

Columns 14 through 26



3 3 1 2 3 3 2 3 1 2 3 1 1

Columns 27 through 39

1 1 3 1 1 1 3 2 3 2 2 3 2

Columns 40 through 52

1 3 3 1 3 2 3 2 3 2 2 1 1

Columns 53 through 65

3 2 2 1 3 2 3 3 3 2 3 3 3

Columns 66 through 78

3 3 2 2 2 2 3 2 3 2 2 3 2

Columns 79 through 91

2 3 3 3 3 2 3 1 3 1 1 3 3

Columns 92 through 104

1 1 3 1 2 3 1 2 1 3 3 2 2

Columns 105 through 117

2 2 1 3 3 2 3 1 2 3 3 2 2

Columns 118 through 130

3 1 3 1 2 2 3 1 3 3 3 3 2

Columns 131 through 143

2 1 3 2 3 3 2 3 1 2 3 3 1

Columns 144 through 156

3 3 1 1 3 3 2 3 2 1 1 2 1

Columns 157 through 169

2 3 1 1 3 3 1 1 1 3 1 2 3

Columns 170 through 182

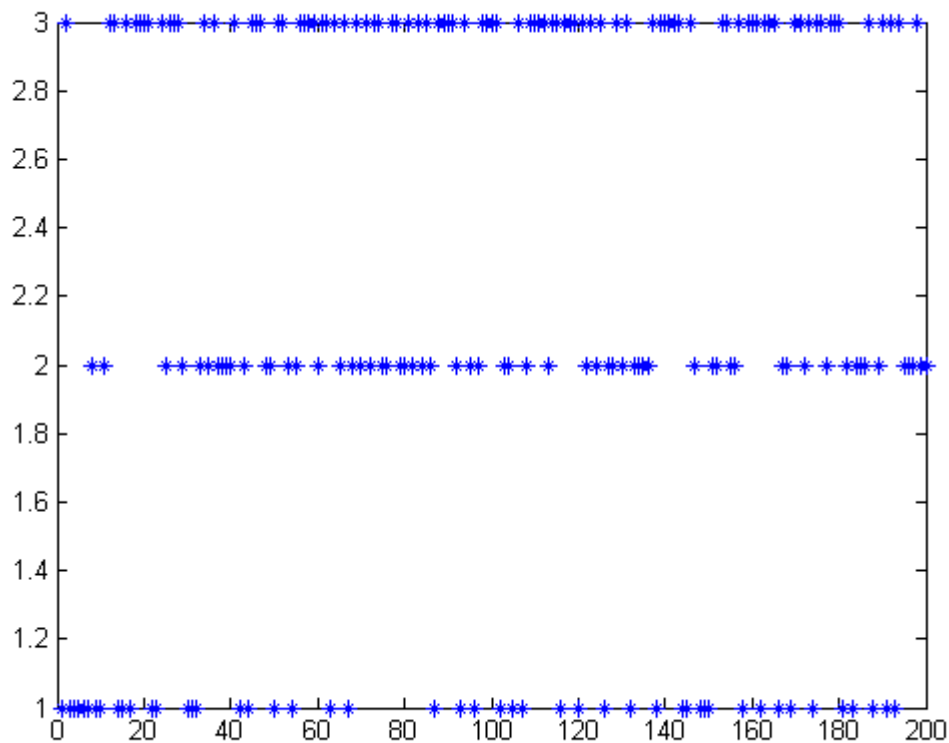
3      3      1      2      2      2      1      3      3      3      2      2      1

Columns 183 through 195

2      3      3      1      1      3      1      3      3      1      1      1      1

Columns 196 through 200

3      1      3      1      1



1— 表示状态1  
2— 表示状态2  
3— 表示状态3

当N=40000;

先运行:

% File: c15\_errvector.m

% Software given here is to accompany the textbook: W.H. Tranter,  
% K.S. Shanmugan, T.S. Rappaport, and K.S. Kosbar, Principles of  
% Communication Systems Simulation with Wireless Applications,  
% Prentice Hall PTR, 2004.

%

disp(' ')

disp('Default values are:')

N = 20000 % default N

A = [0.8 0.1 0.1; 0.2 0.6 0.2; 0.02 0.08 0.90] % default A

B = [0.999 0.95 0.99; 0.001 0.05 0.01] % default B

```

disp(' ')
disp('Accept default values?')
dtype = input('Enter y for yes or n for no > ','s');
if dtype == 'n'
    N = input('    Enter N, the number of points to be generated > ');
    A = input('    Enter A, the state transition matrix > ');
    B = input('    Enter B, the error distribution matrix > ');
end
state = 1; % initial state
total_states = size(A,1);
out = zeros(1,N); % initialize error vector
state_seq = zeros(1,N); % initialize state sequence
h = waitbar(0,'Calculating Error Vector');
%
u2 = rand(1); % get random number
if u2>B(1, state) % test for error
    out(1) = 1; % record error
end
state_seq(1) = state; % record state
for t=2:N
    u1 = rand(1); % get random number
    cum_sum = [0 cumsum(A(state,:))];
    for i=1:total_states % loop to determine new state
        if u1>=cum_sum(i) & u1<cum_sum(i+1);
            state = i; % assign new state
        end
    end
    state_seq(t) = state; % new record state
    u2 = rand(1); % get random number
    if u2>B(1, state) % record error
        out(t) = 1;
    end
    waitbar(t/N)
end
close(h)
% End of script file.
在对话框输入：
Accept default values?
Enter y for yes or n for no > n
    Enter N, the number of points to be generated > 40000
    Enter A, the state transition matrix > [0.8 0.15 0.05;0.2 0.7 0.1;0 0.1 0.9]
    Enter B, the error distribution matrix > [0.9990 0.9500 0.9900;0.0010 0.0500 0.0100]

```

再运行以下程序：

```

% File: cl5_hmmtest.m
% Software given here is to accompany the textbook: W.H. Tranter,
% K.S. Shanmugan, T.S. Rappaport, and K.S. Kosbar, Principles of
% Communication Systems Simulation with Wireless Applications,
% Prentice Hall PTR, 2004.

```

```

%
pe = sum(out)/N;
state_sum = zeros(1,total_states);
for k=1:N
    if state_seq(k)==1
        state_sum(1)=state_sum(1)+1;
    end
    if state_seq(k)==2
        state_sum(2)=state_sum(2)+1;
    end
    if state_seq(k)==3
        state_sum(3)=state_sum(3)+1;
    end
end
a = ['The probability of State 1 is ',num2str(state_sum(1)/N),'.'];
b = ['The probability of State 2 is ',num2str(state_sum(2)/N),'.'];
c = ['The probability of State 3 is ',num2str(state_sum(3)/N),'.'];
d = ['The error probability is ',num2str(pe),'.'];
disp('Simulation results:')
disp(a)          % display probability of state 1
disp(b)          % display probability of state 2
disp(c)          % display probability of state 3
disp(d)          % display error probability
% End script file.
Simulation results:
The probability of State 1 is 0.28092.
The probability of State 2 is 0.28405.
The probability of State 3 is 0.43503.
The error probability is 0.018.
>> A^N

ans =

```

0.2857	0.2857	0.4286
0.2857	0.2857	0.4286
0.2857	0.2857	0.4286