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Time Series & ARIMA Forecasting with R

For LA East R Users Group
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About Me

- ❖ A statistician / data scientist.
- ❖ A BS in Computer Science (UCR) and working on my Master of Applied Statistic (CSULB).
- ❖ 10+ years of professional experiences as software developer.
- ❖ 2+ years as a statistician doing mostly modeling

Acknowledgement

- ❖ This presentation is what I've learned from the book, Forecasting : Principles and Practice by Rob J Hyndman and George Athanasopoulos
- ❖ Most of the examples and pictures is from this free online book

Motivation

- ❖ Time series data forecasting models are used in many industries
- ❖ Stock price prediction (this is not a financial advice)
- ❖ Retail industry for inventory planning
- ❖ Uber uses to predict how many driver needed certain time of the day

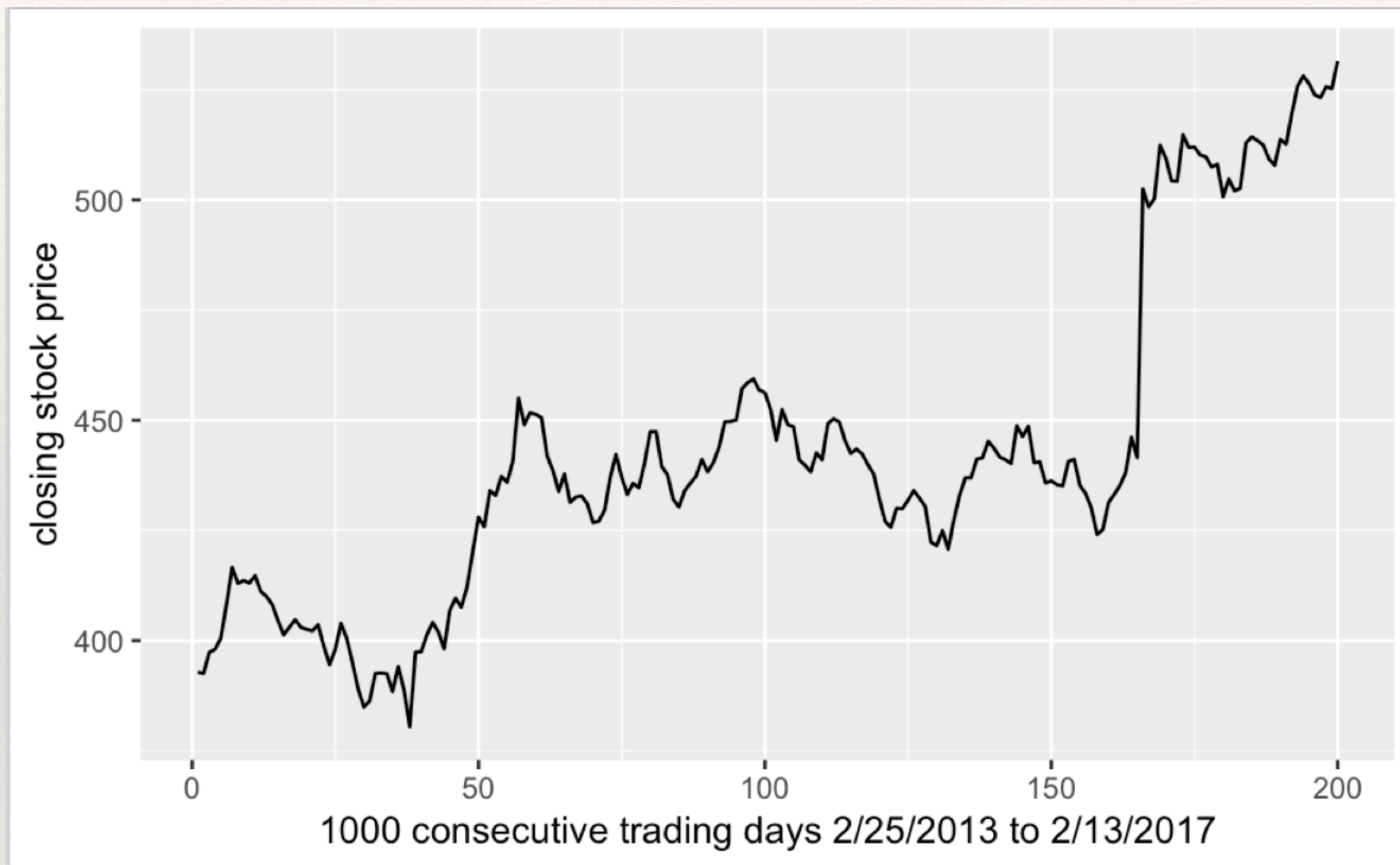
Why do we need a set of different models?

- ❖ In statistic, once you identify what type of data you have you have a whole set of tools for that type of data.
- ❖ Why?
- ❖ Take the linear regression model, it is for inference first and foremost and it doesn't take into account all information from the data (such as correlation among the observations).
- ❖ Time Series forecasting model is created for prediction and take into account all the information within the data

What is Time Series Data?

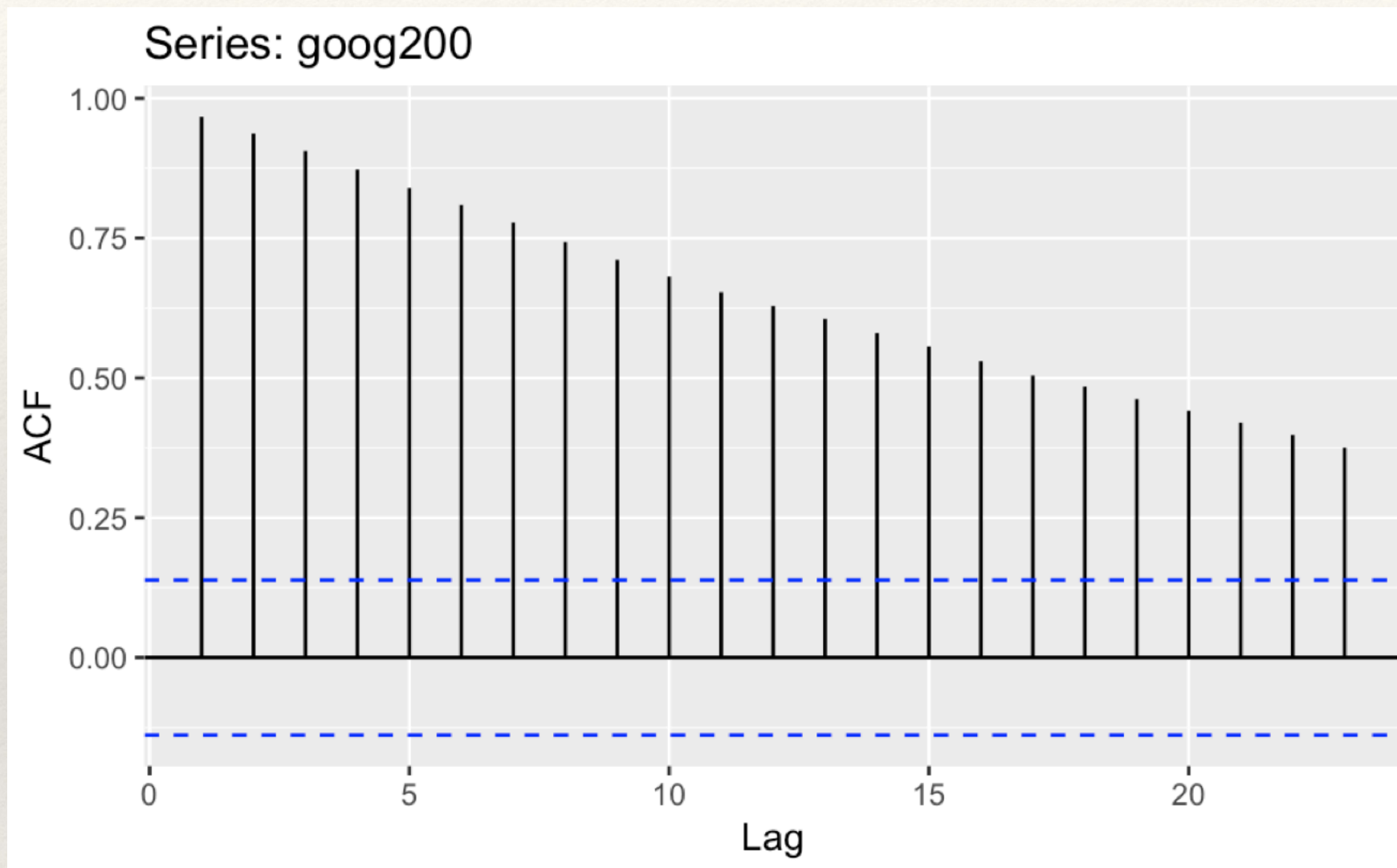
- ❖ We're going to talk about just univariate time series data.
- ❖ Time series data is a sequence of data points that measure the same thing over time
 - ❖ The data is time dependent
 - ❖ Every observation / values / responses are affected by past values
 - ❖ There is a natural order in time (past, present, future)

Plotting Time Series Data



```
1 require('fpp2')
2 autoplot(goog200) +
3   xlab("1000 consecutive trading days 2/25/2013 to 2/13/2017") +
4   ylab("closing stock price")
```

ACF Plot



```
> ggAcf(goog200)
```


Now that we figure out our data is a time series data. Let's create a forecast model.

Why ARIMA forecast Model?

- ❖ There is a renown Time Series forecasting competition, Makridakis Competitions.
- ❖ It is currently on its 4th competition.
- ❖ The top algorithm is two statistical models (Exponential Smoothing & ARIMA).
- ❖ If you know those two models you're good with all univariate time series data out there.

Fitting a Model with ARIMA using R

```
21 (fit1 <- auto.arima(goog200))
```

```
> (fit1 <- auto.arima(goog200))  
Series: goog200  
ARIMA(0,1,0) with drift  
  
Coefficients:  
      drift  
      0.6967  
s.e.    0.4373  
  
sigma^2 estimated as 38.25:  log likelihood=-644.45  
AIC=1292.91   AICc=1292.97   BIC=1299.5
```

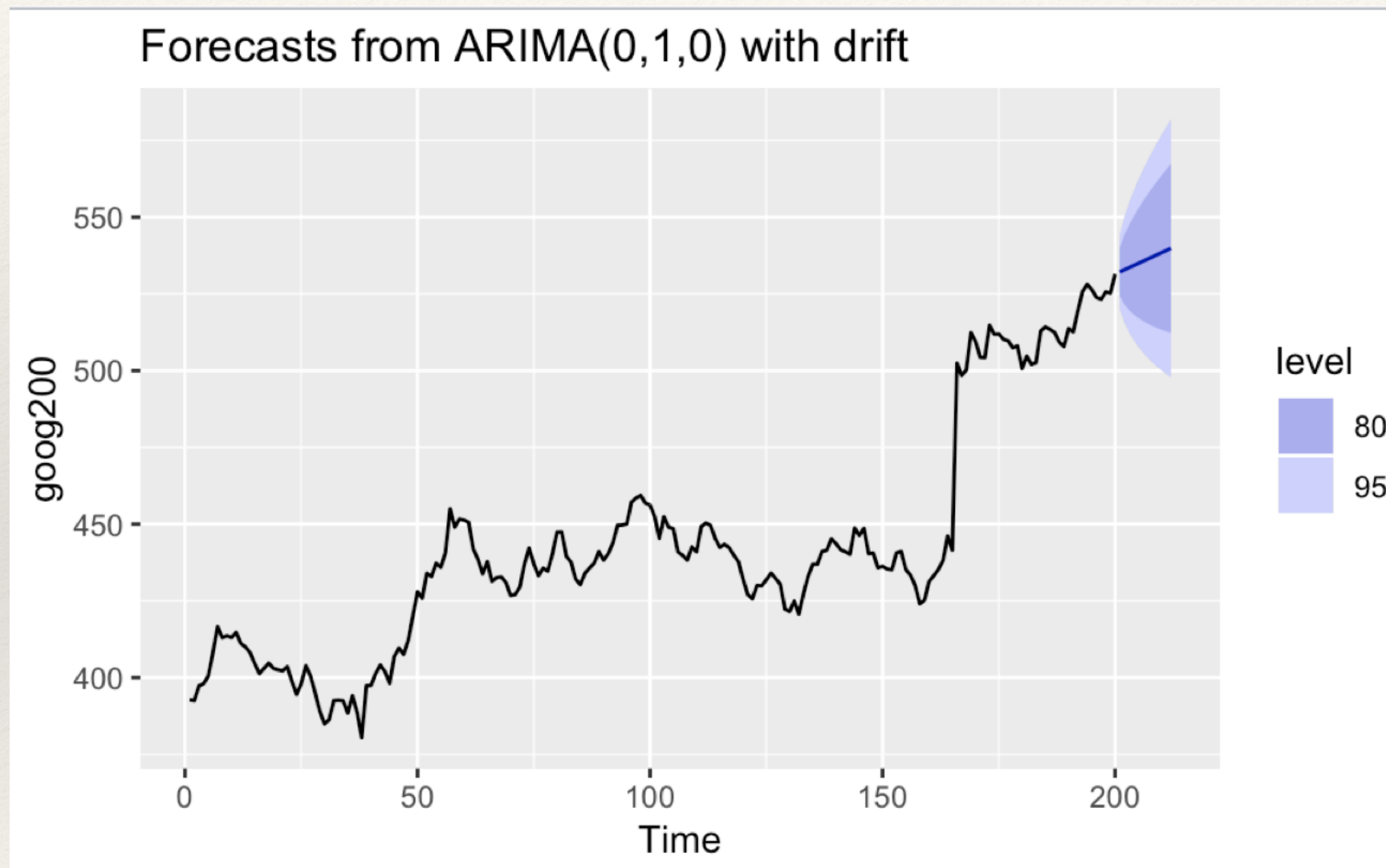
Forecasting

```
22 fit1 %>% forecast(h=1)
```

```
> fit1 %>% forecast(h=1)
      Point Forecast      Lo 80      Hi 80      Lo 95      Hi 95
201          532.175 524.2492 540.1008 520.0535 544.2965
```


Graphing the forecasting

```
fit1 %>% forecast(h=12) %>% autoplot()
```



Auto ARIMA without optimization

```
(fit2 <- auto.arima(goog200, stepwise = FALSE,  
                    approximation = FALSE))
```

```
> (fit2 <- auto.arima(goog200, stepwise = FALSE,  
+                     approximation = FALSE))  
Series: goog200  
ARIMA(2,1,2)  
  
Coefficients:  
            ar1      ar2      ma1      ma2  
            0.5815 -0.7574 -0.6222  0.9077  
s.e.    0.0863   0.1976   0.0531  0.1504  
  
sigma^2 estimated as 37.32:  log likelihood=-640.74  
AIC=1291.49   AICc=1291.8   BIC=1307.96
```


Comparison between the two

```
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ARIMA(0,1,0) with drift

Coefficients:
      drift
      0.6967
s.e.  0.4373

sigma^2 estimated as 38.25:  log likelihood=-644.45
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Series: goog200
ARIMA(2,1,2)

Coefficients:
      ar1      ar2      ma1      ma2
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s.e.  0.0863  0.1976  0.0531  0.1504

sigma^2 estimated as 37.32:  log likelihood=-640.74
AIC=1291.49  AICc=1291.8  BIC=1307.96
```


Accuracy of the two models

```
34 accuracy(fit1)
35 accuracy(fit2)
```

```
> accuracy(fit1)
```

	ME	RMSE	MAE	MPE
Training set	0.001960665	6.153549	3.807244	-0.01512911

	MAPE	MASE	ACF1
Training set	0.8591933	1.01779	-0.06043606

```
> accuracy(fit2)
```

	ME	RMSE	MAE	MPE	MAPE
Training set	0.6392715	6.031873	3.695635	0.1313824	0.8384858

	MASE	ACF1
Training set	0.9879536	-0.03037047