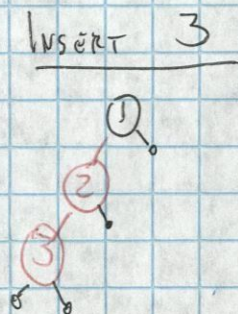
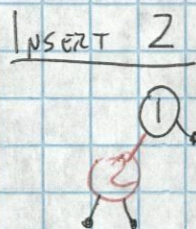
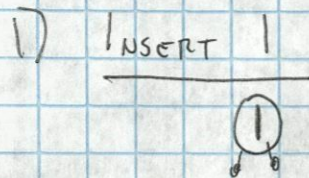
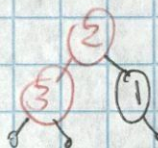


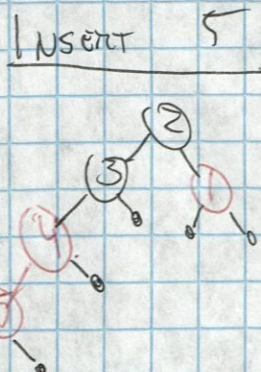
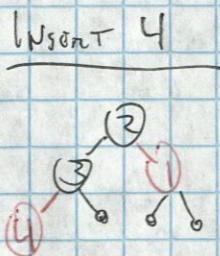
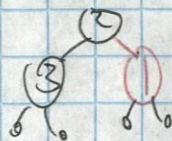
Geentry Atkins
CS5329 FALL 2019
Assignment #3



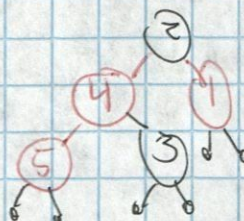
ROTATE 2



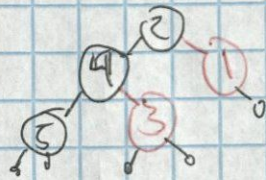
RECOLOR



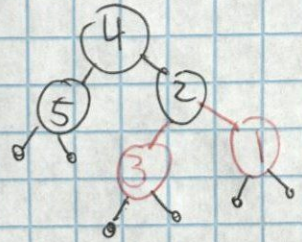
ROTATE 4



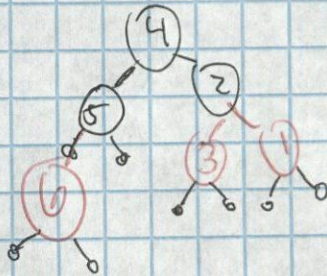
RECOLOR 5



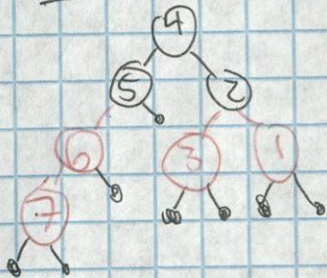
ROTATE 4



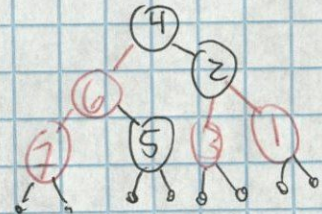
INSERT 6



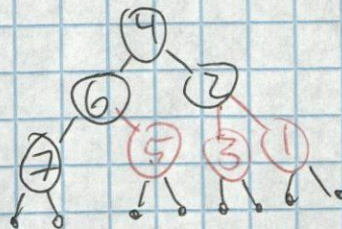
INSERT 7



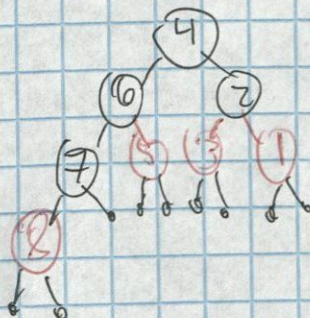
ROTATE 6



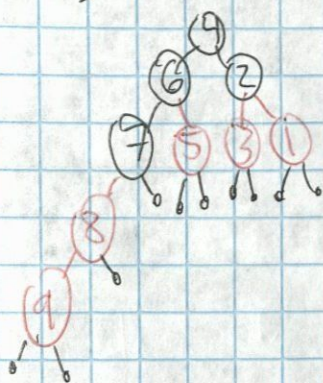
RECOLOR 7



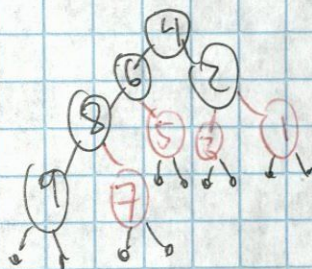
INSERT 8



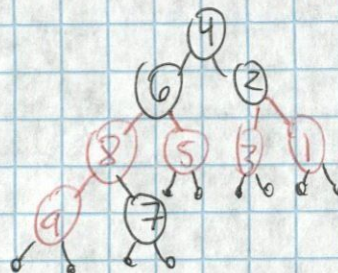
INSERT 9



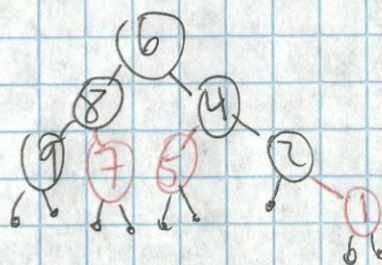
RECOLOR 9



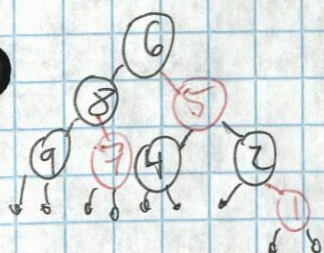
ROTATE 8



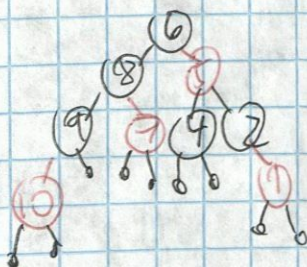
ROTATE 6



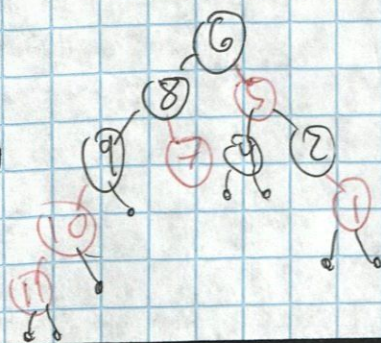
ROTATE 5



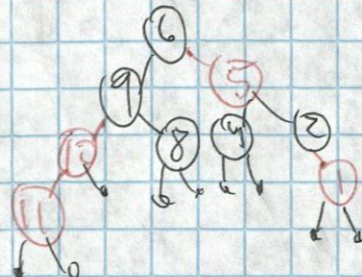
INSERT 10



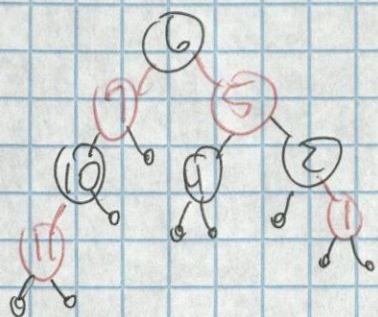
INSERT 11



ROTATE 9



Recolor 10



2) LARGEST # OF NODES : 2^{K+1}
 SMALLEST # OF NODES : 2^{K-1}

3) LIS (Seq [], n, MAX, LIS[]) {
 IF n == 1 RETURN 1;
 IF n > MAX {
~~RETURN LIS~~
 LIS.PUSH(n);
 RETURN LIS(Seq, n-1, ~~MAX~~, LIS);
 }
 ELSE
 RETURN LIS(Seq, n-1, MAX, LIS);

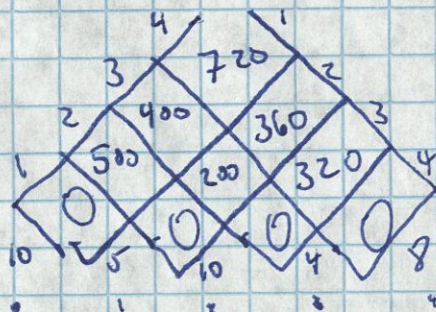
$$T(n) = T(n-1) + n$$

$$\therefore T(n) = O(n^2)$$

4) LCS (A[], B[], n, m, STRING*) {
 IF (n == 0 OR m == 0)
 RETURN 0
 IF (A[n] == B[m])
 STRING.PUSH(A[n])
 RETURN MAX (LCS(A, B, n-1, m), LCS(A, B, n, m-1)) + 1
 RETURN MAX (LCS(A, B, n-1, m), LCS(A, B, n, m-1))
}

5) OPTIMAL PARENTIZATION OF $\langle 10, 5, 10, 4, 8 \rangle$

A_1 (~~5~~^{10x5}) A_2 (5×10), A_3 (10×4), A_4 (4×8)



~~400~~
~~400~~
~~360~~
~~760~~
720

$((A_1 A_2) A_3) A_4$

