import pandas as pd import matplotlib.pyplot as plt import seaborn as sns from evaluation based sampling import evaluate, evaluate program from daphne import daphne Problem 4 In [2]: from load helper import ast_helper, graph_helper Importance sampling • 10k samples in 6.82s implies 879k samples in 10 min In [3]: import parse import importance_sampling In [4]: fname = '4.daphne' ast = ast helper(fname) [['let', Out[4]: ['sprinkler', True], ['let', ['wet-grass', True], ['let', ['is-cloudy', ['sample', ['flip', 0.5]]], ['let', ['is-raining', ['if', ['=', 'is-cloudy', True], ['sample', ['flip', 0.8]], ['sample', ['flip', 0.2]]]], ['let', ['sprinkler-dist', ['if', ['=', 'is-cloudy', True], ['flip', 0.1], ['flip', 0.5]]], ['let', ['wet-grass-dist', ['if', ['and', ['=', 'sprinkler', True], ['=', 'is-raining', True]], ['flip', 0.99], ['if', ['and', ['=', 'sprinkler', False], ['=', 'is-raining', False]], ['flip', 0.0], ['if', ['or', ['=', 'sprinkler', True], ['=', 'is-raining', True]], ['flip', 0.9], None]]], ['let', ['dontcare0', ['observe', 'sprinkler-dist', 'sprinkler']], ['dontcare1', ['observe', 'wet-grass-dist', 'wet-grass']], 'is-raining']]]]]]] In [26]: %%time num samples=879000 samples, sigmas = parse.take_samples (num_samples, ast=ast) CPU times: user 10min 22s, sys: 2.84 s, total: 10min 25s Wall time: 10min 27s In [27]: samples = np.array([sample.item() for sample in samples]) In [28]: posterior mean, probs = importance sampling.weighted average(samples, sigmas) posterior mean 0.31957416455608195 Out[28]: In [29]: = plt.hist(samples.astype(int), weights=probs, bins=2) plt.xlabel('is-raining') plt.title('Problem {} \n Importance sampling \n importance sampling weighted counts from proposal'.format(fname plt.xticks([0,1],["False","True"]) plt.ylabel('Counts') Text(0, 0.5, 'Counts') Out[29]: Problem 4.daphne Importance sampling importance sampling weighted counts from proposal 0.7 0.6 0.5 0.4 0.3 0.3 0.2 0.1 0.0 False True is-raining In [30]: """The posterior probability that it is raining, i.e. of "is-raining.": {:0.3f}""".format(posterior_mean) 'The posterior probability that it is raining, i.e. of "is-raining.": 0.320' Out[30]: MH Gibbs 2k samples in 8.55s implies 140k samples in 10 min In [10]: import graph_based_sampling import mh_gibbs from hmc import compute_log_joint_prob In [11]: fname = '4.daphne' graph = graph helper(fname) graph Out[11]: {'V': ['observe6', 'sample4', 'sample2', 'observe5', 'sample3'], 'A': {'sample2': ['observe6', 'observe5'], 'sample4': ['observe6'], 'sample3': ['observe6']}, 'P': {'sample2': ['sample*', ['flip', 0.5]], 'sample3': ['sample*', ['flip', 0.8]], 'sample4': ['sample*', ['flip', 0.2]], 'observe5': ['observe*', ['if', ['=', 'sample2', True], ['flip', 0.1], ['flip', 0.5]], True], 'observe6': ['observe*', ['if', ['and', True, ['=', ['if', ['=', 'sample2', True], 'sample3', 'sample4'], True]], ['flip', 0.99], ['if', ['and', False, ['=', ['if', ['=', 'sample2', True], 'sample3', 'sample4'], False]], ['flip', 0.0], ['if', ['or', True, ['=', ['if', ['=', 'sample2', True], 'sample3', 'sample4'], True]], ['flip', 0.9], None]]], True]}, 'Y': {'observe5': True, 'observe6': True}}, ['if', ['=', 'sample2', True], 'sample3', 'sample4']] In []: num steps=140000 return_list, samples_whole_graph = mh_gibbs.mh_gibbs_wrapper(graph,num_steps) In [13]: samples = np.array([sample.item() for sample in return_list]) In [14]: burn_in = int(0.01*num_steps) pd.Series(samples[burn_in:]).astype(float).plot.hist() plt.xlabel('is-raining') plt.title('MH Gibbs | {}'.format(fname)) Text(0.5, 1.0, 'MH Gibbs | 4.daphne') Out[14]: MH Gibbs | 4.daphne 80000 60000 40000 20000 is-raining In [15]: posterior_mean = samples[burn_in:].mean(0) In [16]: """The posterior probability that it is raining, i.e. of "is-raining.": {:0.3f}""".format(posterior_mean) 'The posterior probability that it is raining, i.e. of "is-raining.": 0.321' Out[16]: In [17]: pd.Series(samples).astype(int).plot() plt.xlabel('Iteration') plt.ylabel('is-raining') plt.title('{} | MH Gibbs \n Sample trace'.format(fname)) Text(0.5, 1.0, '4.daphne | MH Gibbs \n Sample trace') Out[17]: 4.daphne | MH Gibbs Sample trace 1.0 0.8 raining 0.6 .∽ 0.4 0.2 0.0 60000 80000 100000 120000 140000 20000 40000 Iteration In [18]: G = graph[1]Y = G['Y']Y = {key:evaluate([value])[0] for key, value in Y.items()} P = G['P']In [19]: size = len(samples_whole_graph) jll = np.zeros(size) for idx in range(size): jll[idx] = compute_log_joint_prob(samples_whole_graph[idx],Y,P) In [34]: pd.Series(jll).plot() plt.xlabel('Iteration (t)') plt.ylabel(r'\$-\log p(X=x t,Y=y t)\$') plt.title('{} | MH Gibbs \n Joint density'.format(fname)) Text(0.5, 1.0, '4.daphne | MH Gibbs \n Joint density') Out[34]: 4.daphne | MH Gibbs Joint density -3-4 $-\log p(X = x_t, Y = y_t)$ -5 -6 -7 -8 -9 60000 80000 100000 120000 140000 40000 Iteration (t)

In [1]:

import torch

import numpy as np
import os, json