Optimization in ArtificialIntelligence

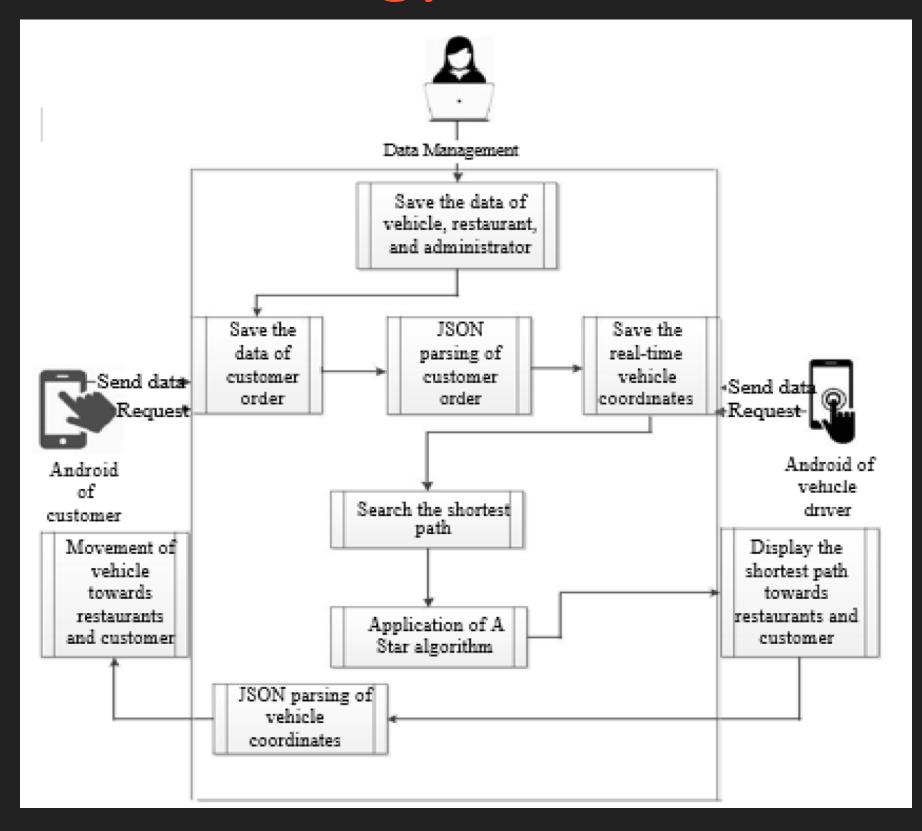
Food Delivery System with the Utilization of Vehicle Using Geographical Information System(GIS) and A Star Algorithm

Contents

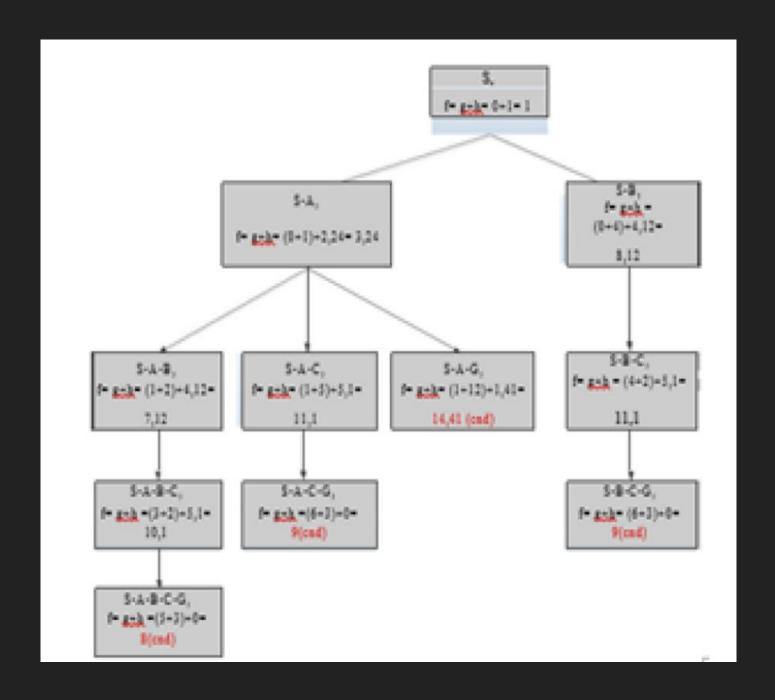
- 1) Paper Abstract
- 2) Methodology
- 3) Assumption
- 4) A* algorithm code
- 5) Result
- 6) Conclusion

Paper Abstract

Food delivery system is one kind of geographical information systems (GIS) that can be applied through digitation process. The main case in food delivery system is the way to determine the shortest path and food delivery vehicle movement tracking. Therefore, to make sure that the digitation process of food delivery system can be applied efficiently, it is needed to add shortest path determination facility and food delivery vehicle tracking. This research uses A Star (A*) algorithm for determining shortest path and location-based system (LBS) programming for moving food delivery vehicle object tracking. According to this research, it is generated the integrated system that can be used by food delivery driver, customer, and administrator in terms of simplifying the food delivery system. Through the application of shortest path and the tracking of moving vehicle, thus the application of food delivery system in the scope of geographical information system (GIS) can be executed.



General Architecture



The Process of Shortest Path Calculation

- Shortest Path Calculation by A^* algorithm -> f(x) = g(x) + h(x)
 - g(x) the total distance from the initial position into current location
 - h(x) the heuristic function used to estimate the distance from current location into the destination location

No.	Node	Coordina te	Name	
1	S	1,1	Pempek Palembang Se	etiabudi
2	A	3,1	Intersection of Dr. Sur Street	
3	В	2,6	Intersection of Politel Dharma Street Interse	knik/ Tri
4	C	6,1	ction of University of	Gate3,
			North (USU)	Sumatera
5	G	6,5	Faculy of University of	Medicine,
			North (USU)	Sumatera

Explanation of Shortest Path Element

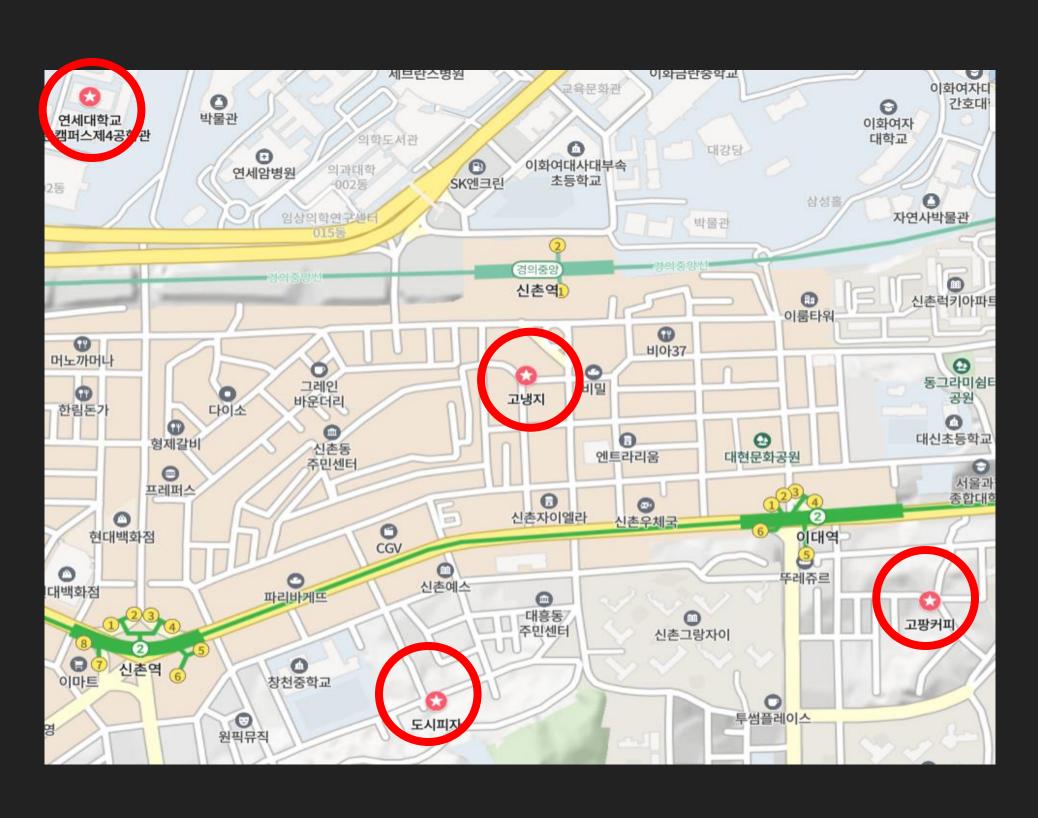
No.	Node Relation	Distance in Kilometers
		(km)
1	S-A	1
2	S-B	4
3	A-B	2
4	A-C	5
5	A-G	12
6	B-C	2
7	C-G	3

No.	Node	Heuristic
1	S	1
2	A	2,24
3	В	4,12
4	C	5,1
5	G	0

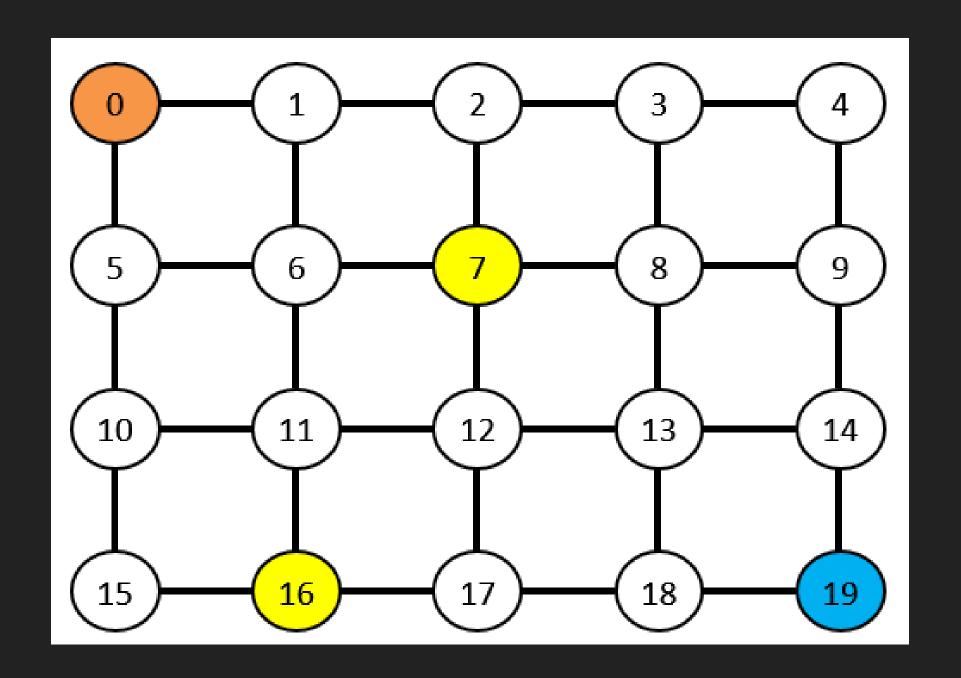
Relation and Distance among Nodes

The Heuristic List of Each Node

Assumption



Assumption







Path1: 0 -> 7 -> 16 -> 19

Path2: 0 -> 16 -> 7 -> 19

Which path is the optimal solution?

A* algorithm code

f(x): a* algorithm

```
# A* Algorithm
def a_star(start_node, end_node):
   # Ensure proper formatting
   start_node = int(start_node)
   end_node = int(end_node)
    # Signal to end search when target is reached
    target_reached = False
    # The A* nath
   current_path = []
    # List of all checked nodes
    passed = [start_node]
    # Intermediate node checked through the loop
    latest node = start node
    while not target_reached:
       # Placeholder variable to find the minimum value
       min_score = float("inf")
       best_node = -1
       for (a,b) in all_paths:
            # Finding relevant paths that do not include checked nodes
           if a == latest_node and b not in passed:
               middle_node = b
                g = dijkstar(latest_node, middle_node)
               h = heuristic(middle_node, end_node)
                # The A+ score
                f = g + h
                # Recording the node with the best A* score
                if f < min_score:</pre>
                    min_score = f
                    best_node = b
        # If stuck on a dead-end, return to previous node
        if best_node == -1:
            latest_node = passed[-2]
           current_path.pop(-1)
            continue
       # Add the new intermediate node to the path
       current_path.append((latest_node, best_node))
       passed.append(best_node)
       latest_node = best_node
       # If the target has been found, end the search
       if best_node == end_node:
            target_reached = True
    return current path
```

g(x):Dijkstar algorithm

```
# Dijkstar Algorithm, used in A* as g()
def dijkstar(start_node, end_node):
   # Ensure proper formatting
   start_node = int(start_node)
   end_node = int(end_node)
   # Skip if the source and destination are the same
   if start_node == end_node:
       return O
   # Initial vertex distances are set to float("inf")inity
       x: float("inf") for x in all_edges if x != start_node
   # Updating known direct path costs
   for (a,b) in all_paths:
       if a == start_node:
           dijk_vertices[b] = all_path_costs[(a,b)]
   # List that contains unchecked nodes
   not_checked = list(dijk_vertices.keys())
   # The loop will continue until all nodes have been checked
   while not_checked:
       # Selection of unchecked node with the lowest cost
       min_node = -1
       min_val = float("inf")
       for node in not_checked.copy():
           node_val = dijk_vertices[node]
           if node val < min val:
               min_val = node_val
               min_node = node
       # Updating vertex distances whenever a lower value is found
       for (a,b) in all_paths:
           if a == min_node and b != start_node:
               target_val = dijk_vertices[b]
               new_val = dijk_vertices[a] + all_path_costs[(a.b)]
               if new_val < target_val:</pre>
                   dijk_vertices[b] = new_val
       # Take off the unchecked list
       not_checked.remove(min_node)
   return dijk_vertices[end_node]
```

h(x):Euclidean distance

```
# Heuristic Algorithm, used in A+ as h()
# A simple Euclidean distance calculator
def heuristic(start_node, end_node):
   # Ensure proper formatting
   start node = int(start node)
   end node = int(end node)
   # Skip if the source and destination are the same
   if start node == end node:
       return 0
   # Obtain the coordinates for the given nodes
   start_coord = all_coords[start_node]
   end_coord = all_coords[end_node]
   # Obtain Euclidian distances
   result = (start coord[0] - end coord[0]) ** 2 + #
            (start_coord[1] - end_coord[1]) ** 2
   result = sqrt(result)
   return result
```

$$f(x) = g(x) + h(x)$$

Result

Comparing cost of possible path

```
# apply A star algorithm
import itertools
permuts = list(itertools.permutations([16,7],2))
# print(permuts)
initial=0
final=19
best_path = []
temp_path = []
best_permut = tuple()
best_cost = float("inf")
for _permut in permuts:
   total_cost = 0
    for i, n in enumerate(_permut):
        if i == 0:
            _path = a_star(initial, n)
            total_cost += len(_path)
            temp_path.append(_path)
        else:
            _{path} = a_{star}(_{permut[i-1]}, n)
            total_cost += len(_path)
            temp_path.append(_path)
    _{path} = a_{star}(n, final)
    total_cost += len(_path)
    temp_path.append(_path)
    if total_cost < best_cost:</pre>
        best_cost = total_cost
        best_path = temp_path
        best_permut = _permut
    temp_path = []
print(f'best path: {initial} -> {best_permut} -> {final}')
print(f'best path_detial: {best_path}')
print(f'best cost: {best_cost}')
```

Result

```
best path: 0 -> (7, 16) -> 19
best path_detial: [[(0, 1), (1, 2), (2, 7)], [(7, 12), (12, 17), (17, 16)], [(16, 17), (17, 18), (18, 19)]]
best cost: 9
```



Path1: 0 -> 7 -> 16 -> 19

Path2: 0 -> 16 -> 7 -> 19

Path1 is the shortest path!

Conclusion

- 1) Calculation of shortest path by applying the A* algorithm is done with the purpose of finding the shortest path from vehicle location into several restaurants
- 2) In real life problem, we should consider lots of constraints such as traffic conditions, food freshness, weather conditions, etc.
- 3) If we had more objects and transfer nodes, we might need more efficient model to solve np-hard problem.

Thank you for listening!