

HEP NTUA Top Angular Report

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Summary

- New Signal Region:
 - $SR_c = SR + m_{JJ} > 1.5\text{TeV}$
- Contamination
- Closure tests (qcd shape)
- R_{yield} as transfer factor from SR to SR_c where the measurement is performed
- Signal: $S(x)$ for χ distribution (ttbar)
- Stack histograms: (m_Z , 2, 2.5TeV and widths 1%, 10%)
 - Data vs MC (qcd scaled with k-factor to data)
 - TTbar scaled with signal strength
 - This plot can serve also as prefit distribution
- Postfit distribution (m_Z , 2, 2.5TeV and widths 1%, 10%)
- Asymptotic Limits (Brazilian plots)



Signal Extraction

$$S_{1.5TeV}(x_{reco}) = D_{1.5TeV}(x_{reco}) - QCD_{1.5TeV}(x_{reco}) - Sub_{1.5TeV}(x_{reco}) \rightarrow$$

$$\text{Where } QCD_{1.5TeV}(x_{reco}) = D_{1.5TeV,shape}^{0-btag}(x_{reco}) \times N_{SR(1.5TeV)} \times C_{closure}^{shape SF}$$

$$\text{and } N_{SR(1.5TeV)} = R_{yield}^{1TeV \rightarrow 1.5TeV} \times N_{SR(1TeV)}^{QCD} = R_{yield}^{1TeV \rightarrow 1.5TeV} \times R_{yield}^{SRA \rightarrow SR} \times N_{SRA}^{QCD}$$

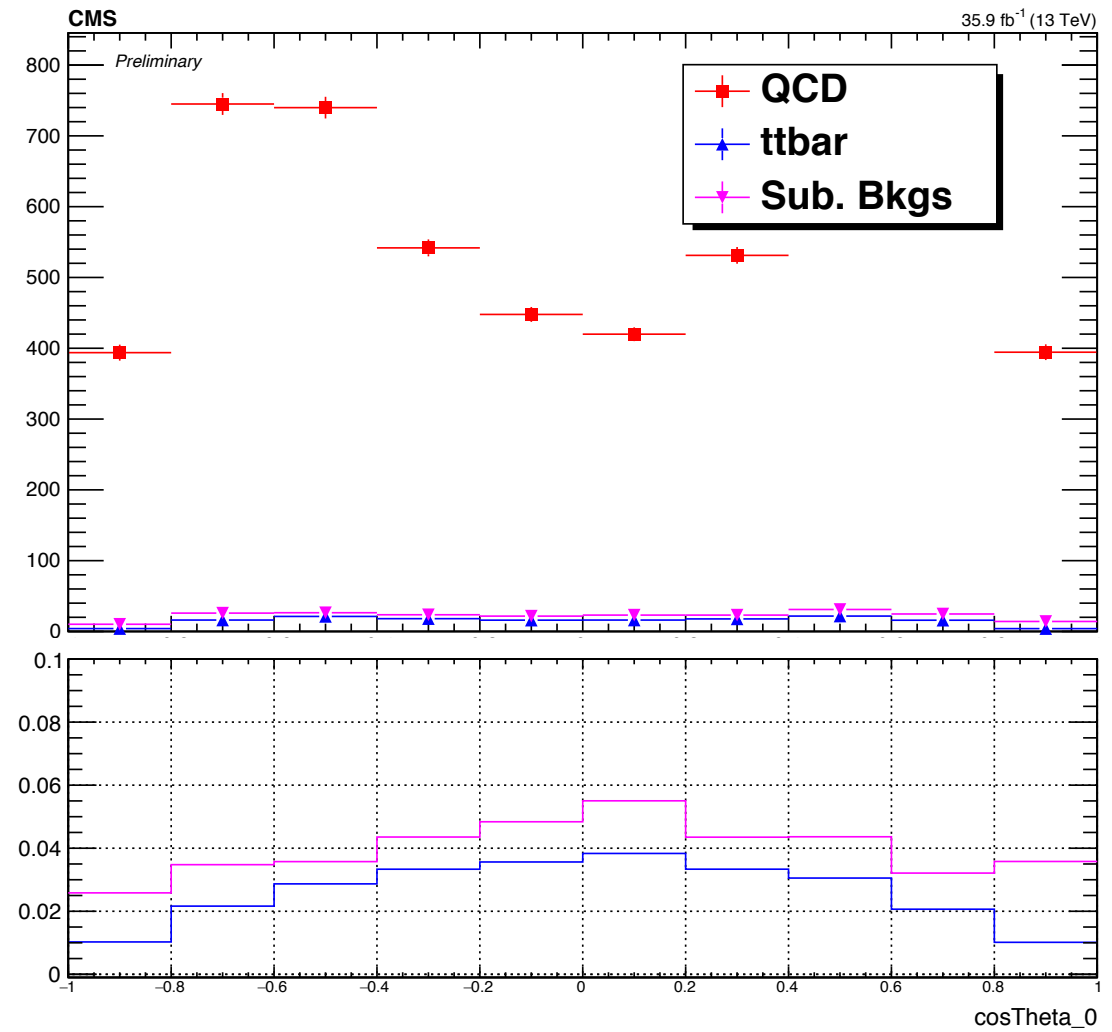
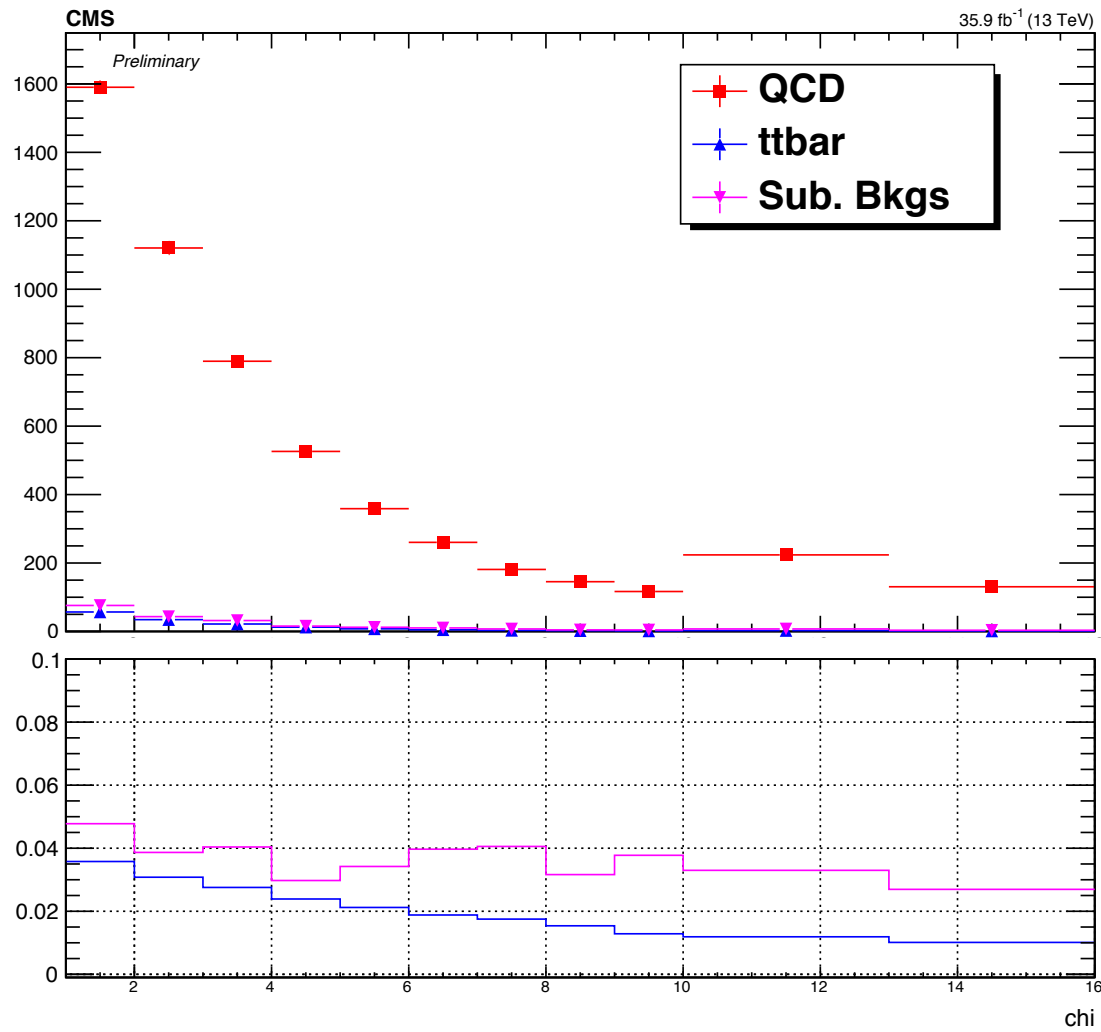
- The variable of interest here: $x_{reco} \rightarrow \chi$
- 1.5 TeV refers to the mJJ cut
- We deploy a fit in the Signal Region (2btag) to extract the N_{QCD}^{fit} in SRA (mJJ > 1TeV)

$$D(m^t)^{(i)} = N_{tt}^{(i)} T^{(i)}(m^t, k_{MassScale}, k_{MassResolution}) + N_{bkg}^{(i)} B(m^t)(1 + k_1 x) + N_{sub}^{(i)} O^{(i)}(m^t)$$



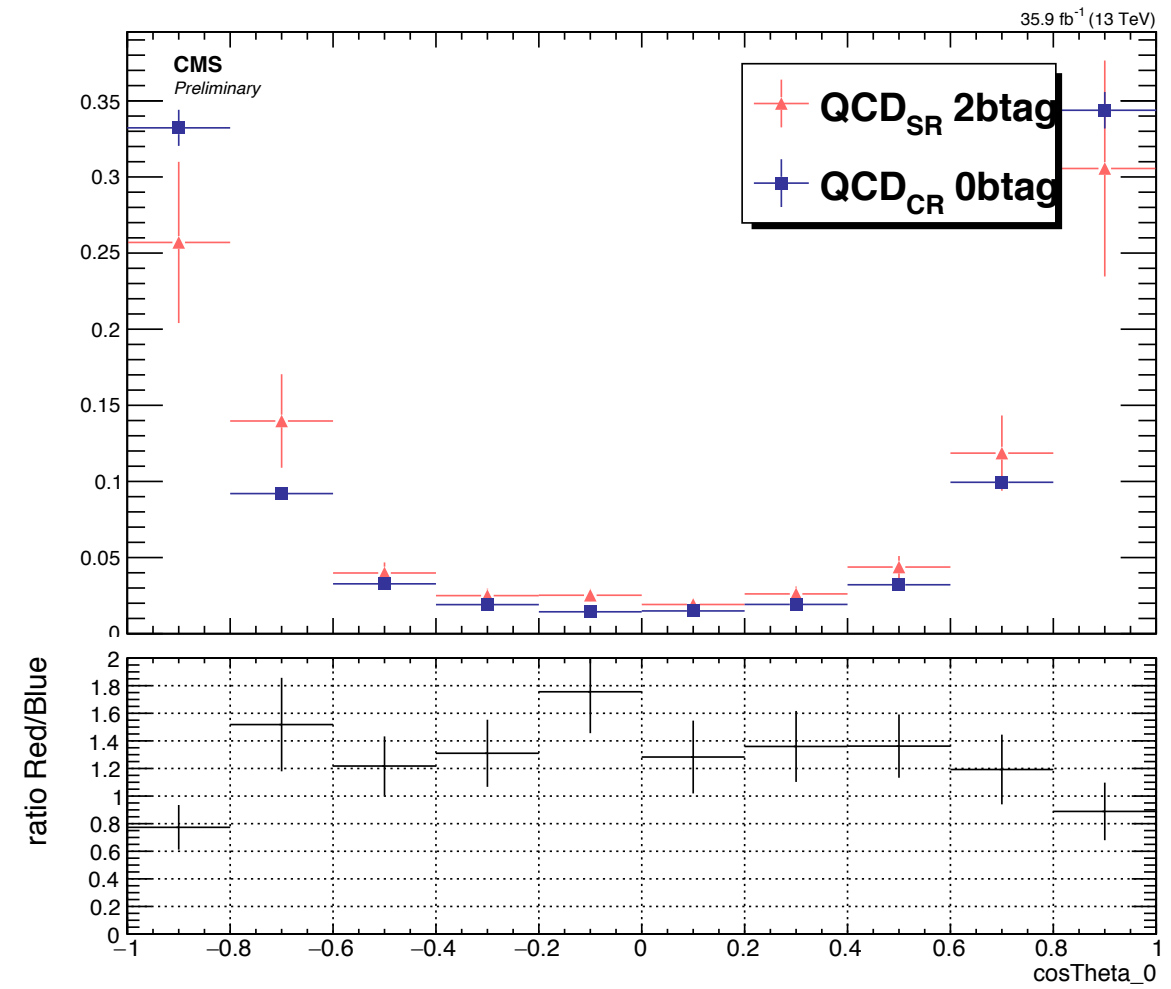
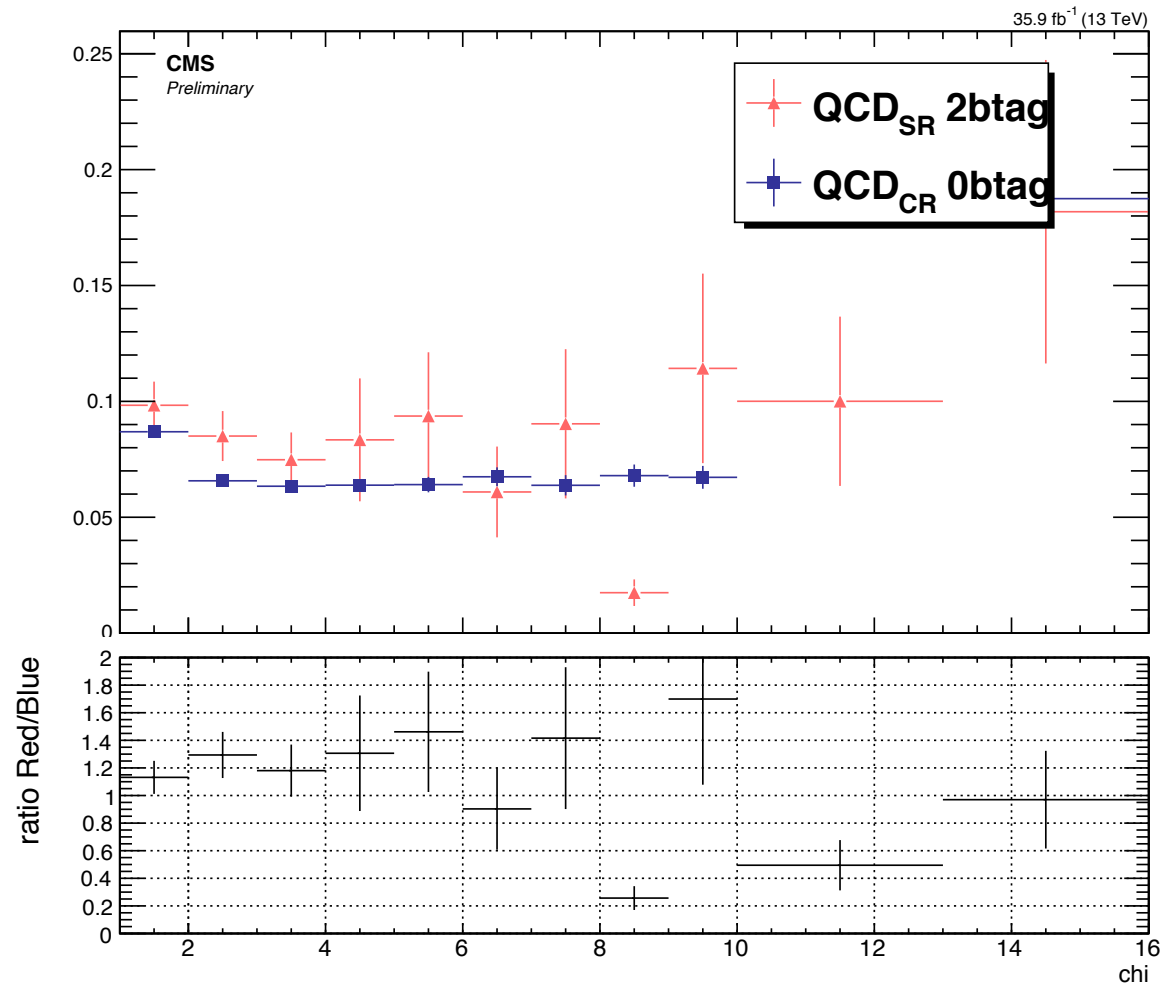
Contamination Plots in New SR

$m_{JJ} > 1.5 \text{ TeV}$



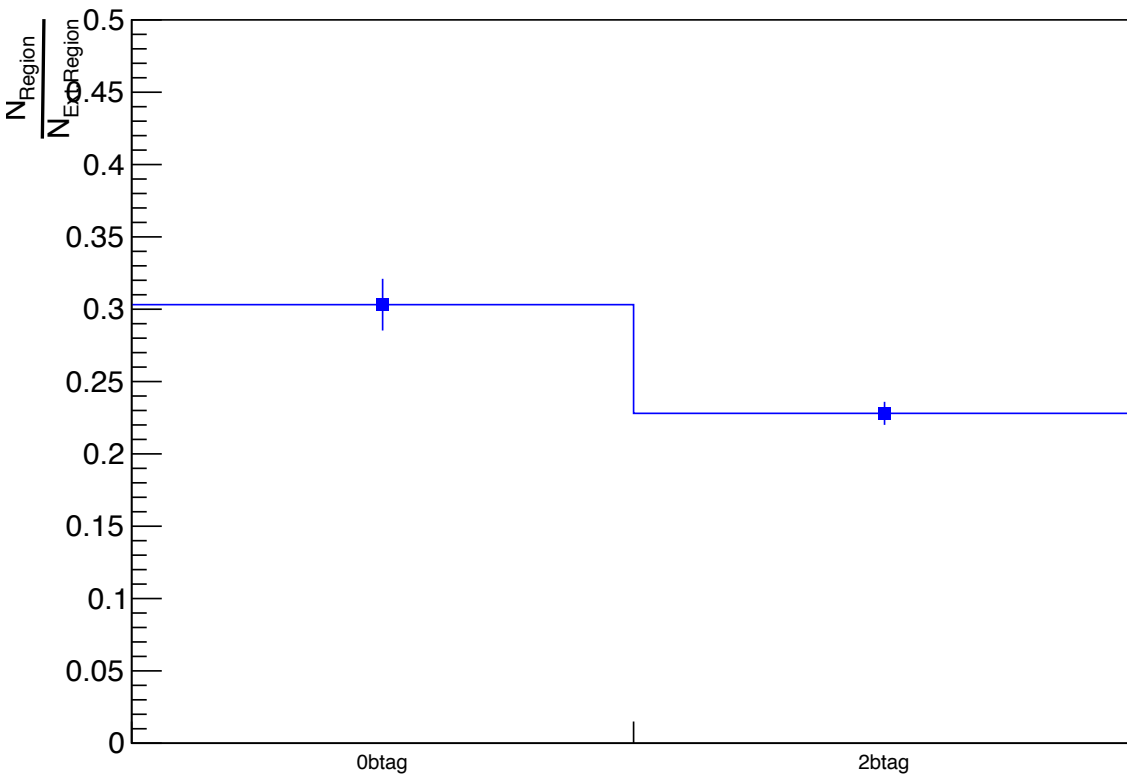
Closure Tests in New SR (CR)

$m_{JJ} > 1.5 \text{ TeV}$

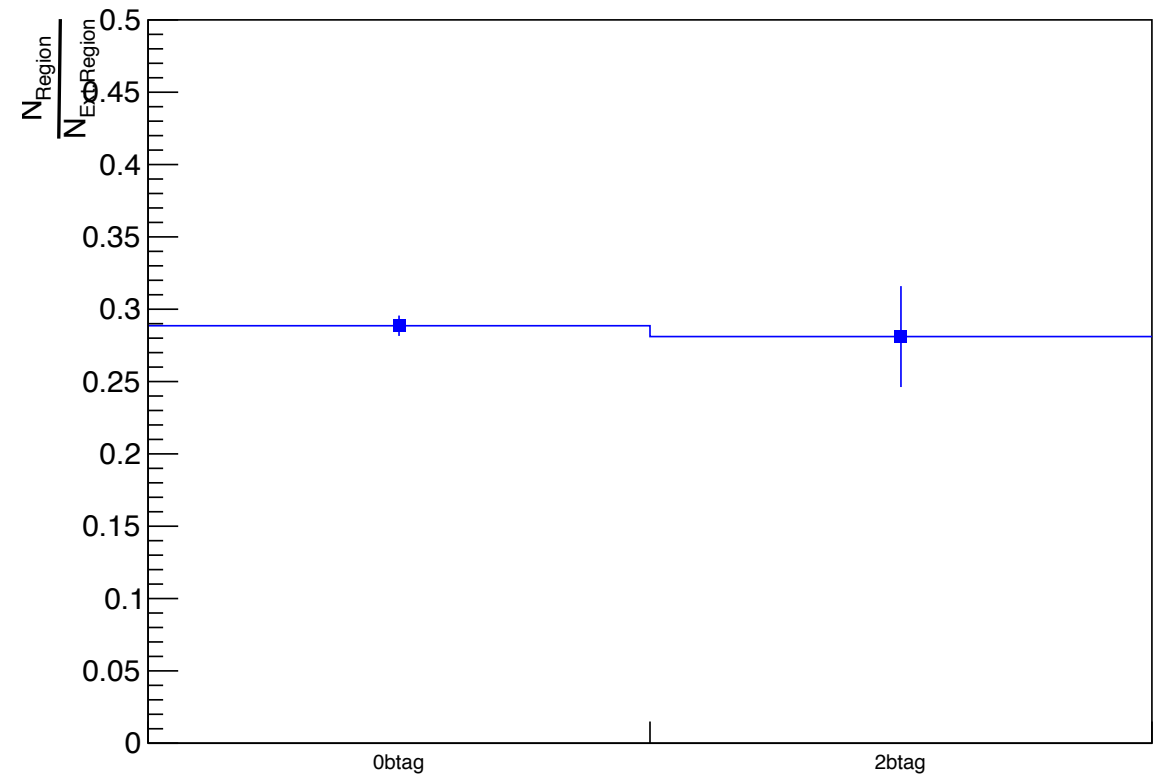


Ryields (with closure test) from mJJ > 1TeV region → 1.5TeV Signal Region

R_{yield} transfer factor 2016 chi

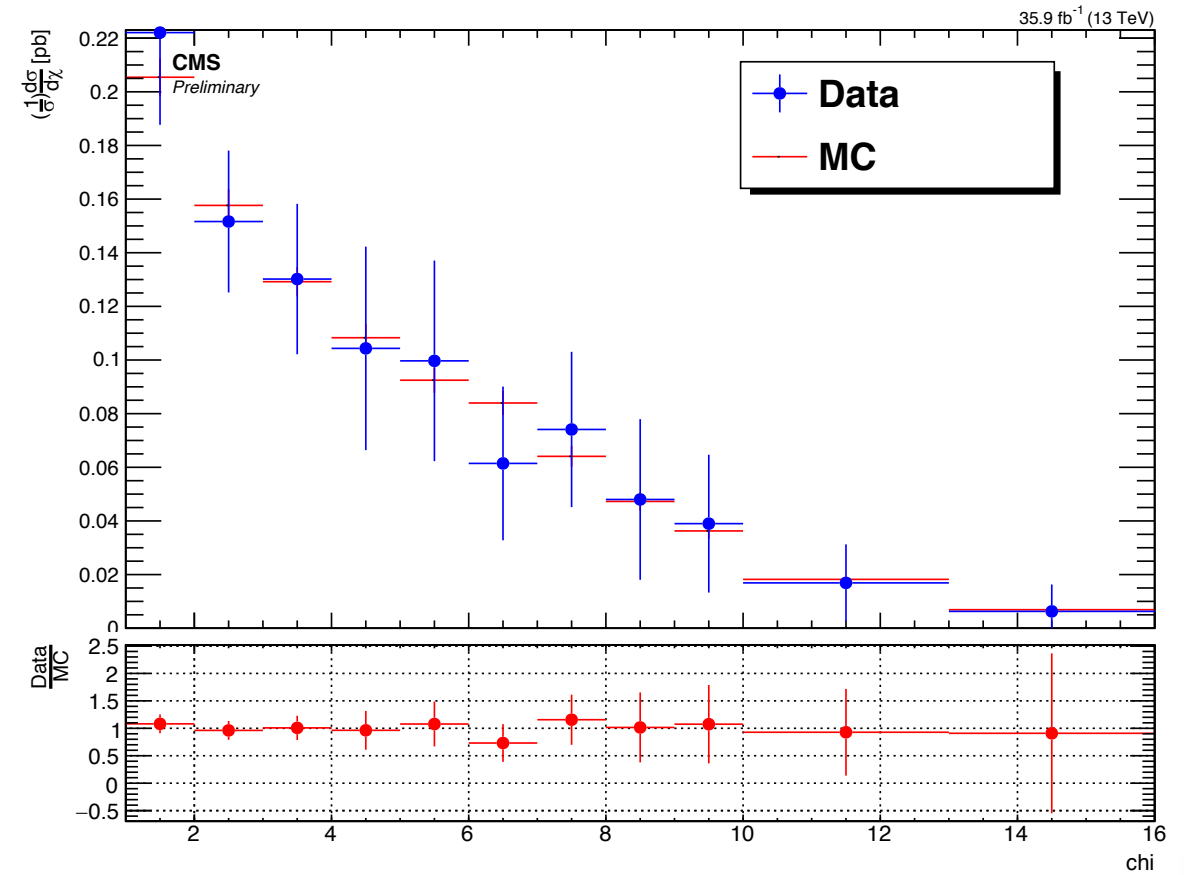
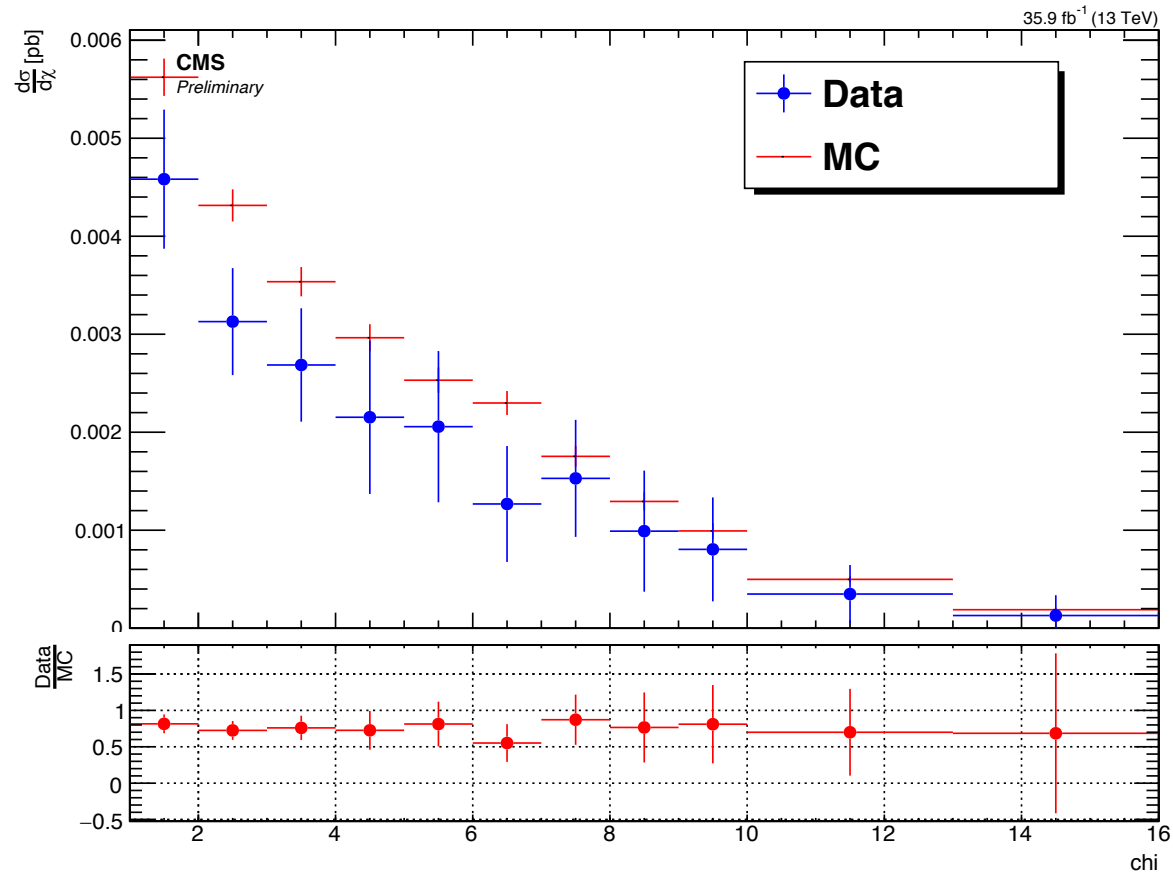


R_{yield} transfer factor 2016 chi(Closure Test)



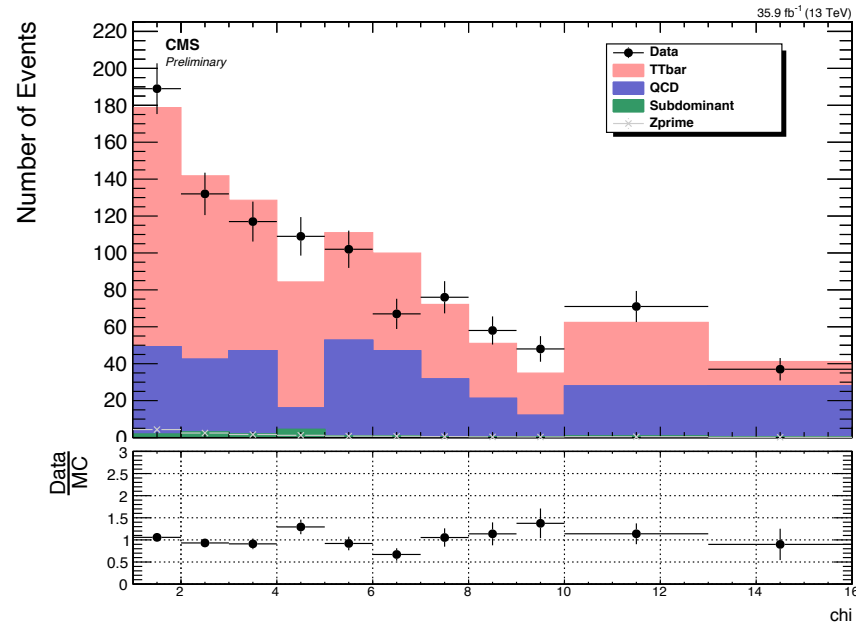
Angular Distributions

$m_{JJ} > 1.5 \text{ TeV}$

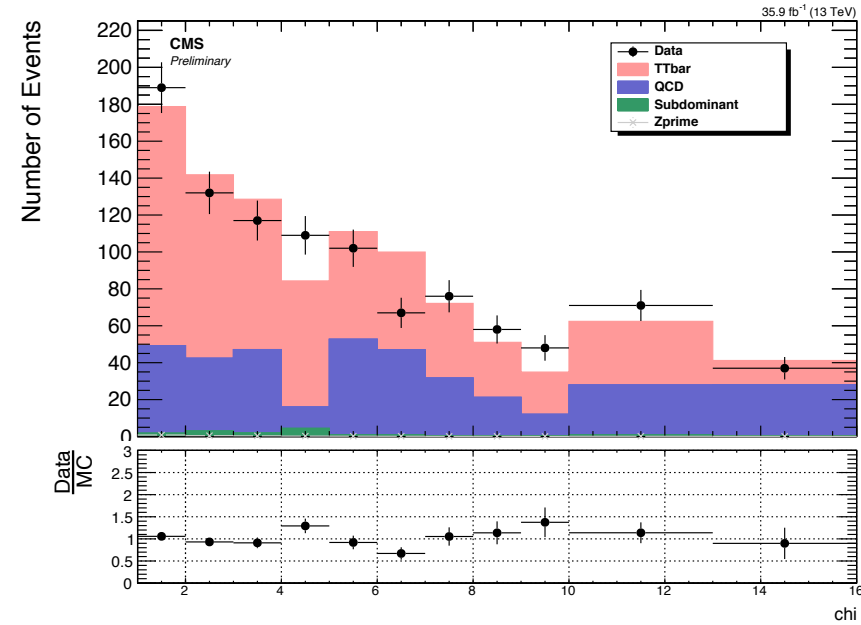


Angular Distributions (Prefit)

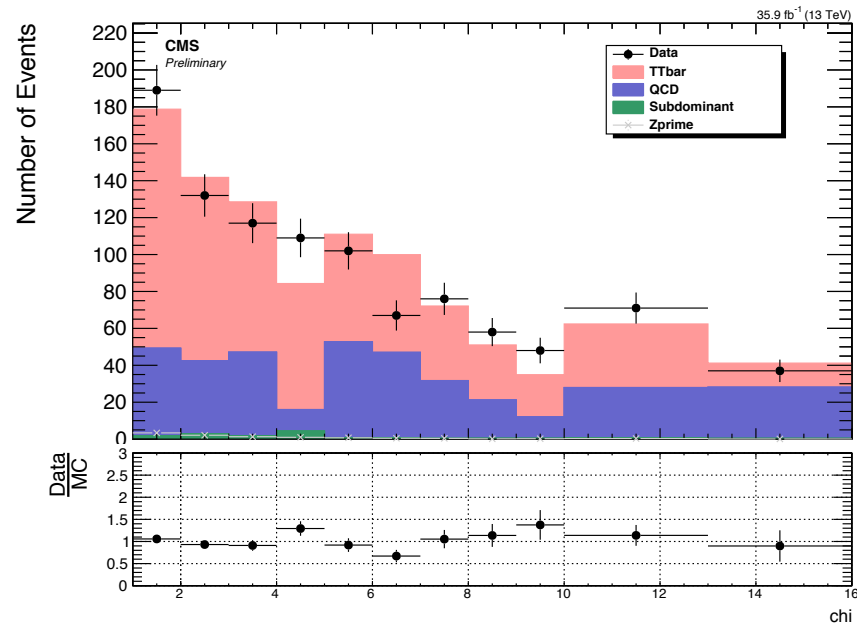
$M_{Z'} = 2000$, $w = 1\%$



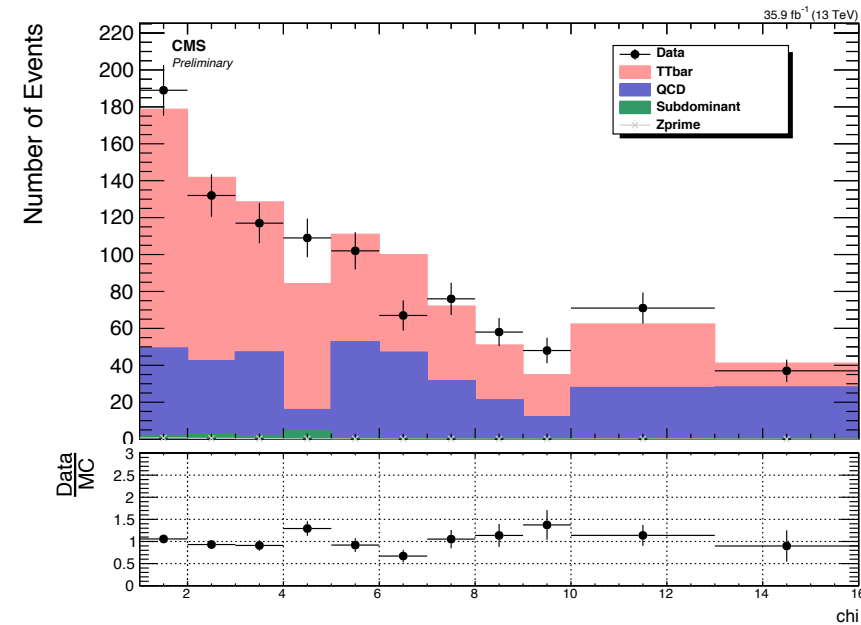
$M_{Z'} = 2500$, $w = 1\%$



$M_{Z'} = 2000$, $w = 10\%$

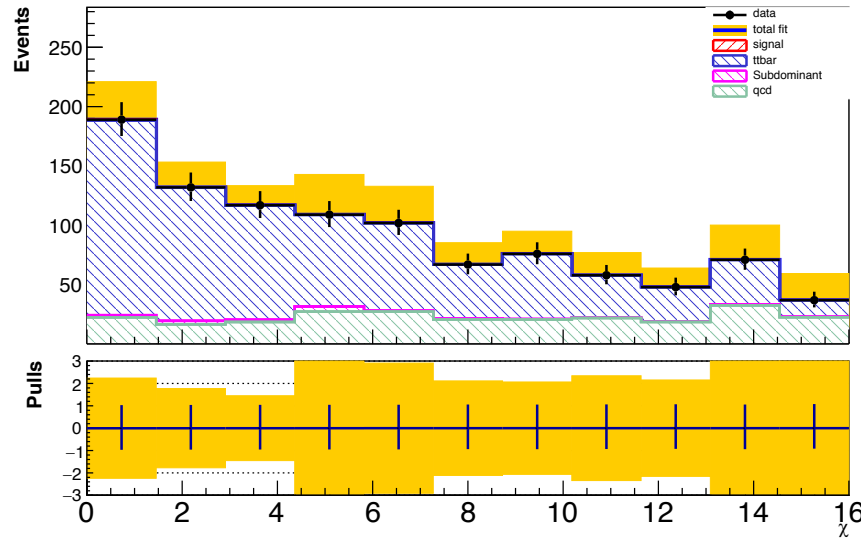


$M_{Z'} = 2500$, $w = 10\%$



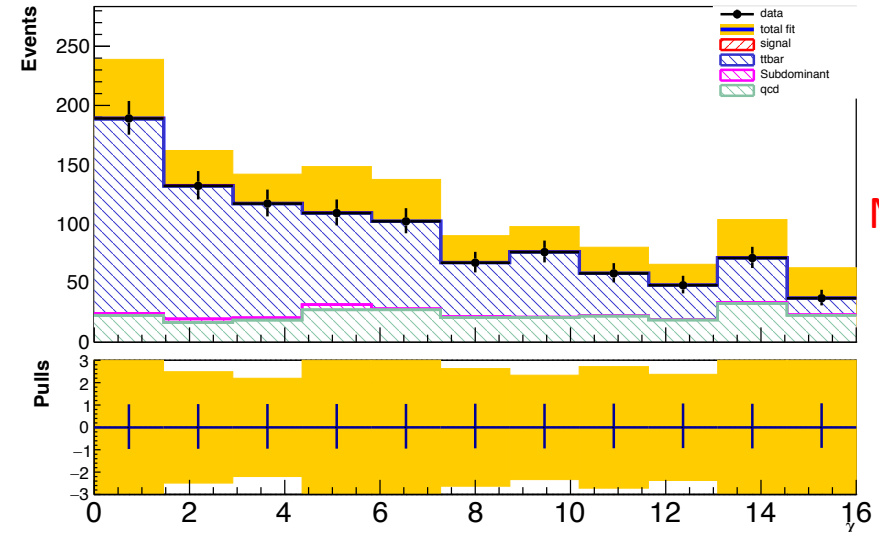
Angular Distributions (PostFit)

Total signal+background in SR_C



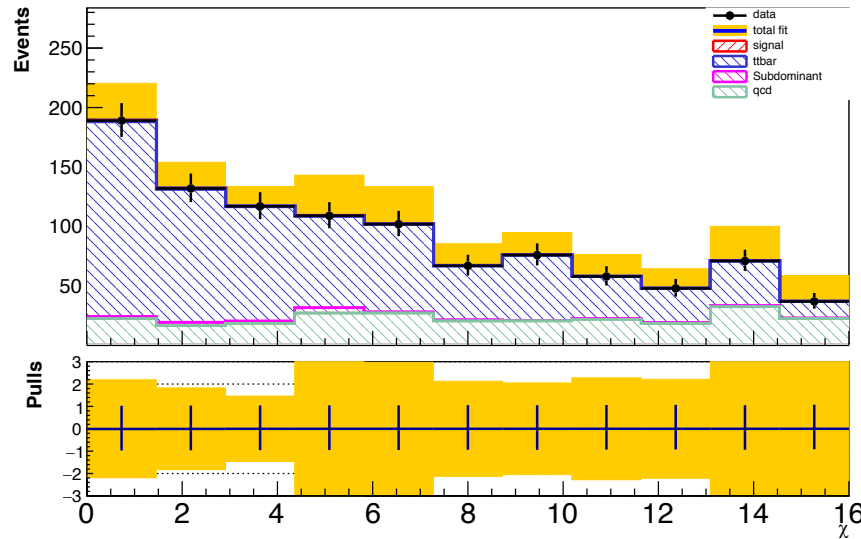
$M_{Z'} = 2000, w = 1\%$

Total signal+background in SR_C



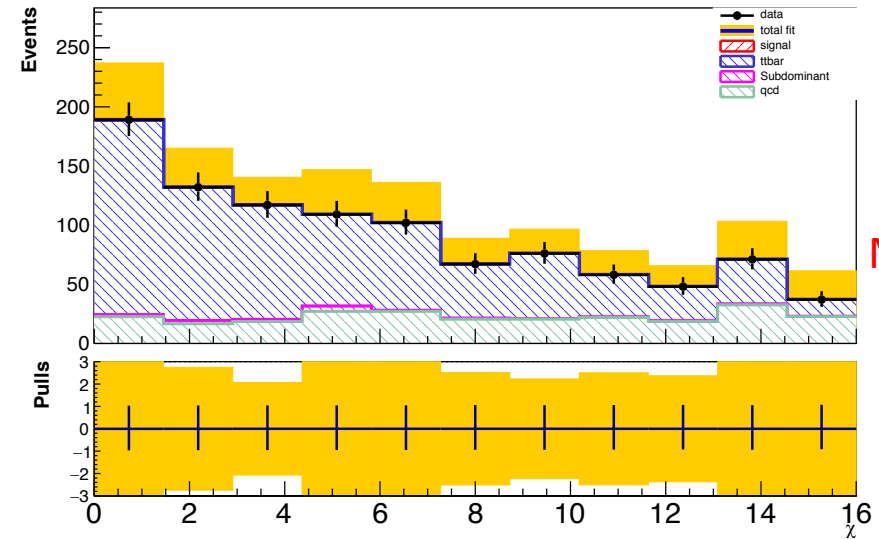
$M_{Z'} = 2500, w = 1\%$

Total signal+background in SR_C



$M_{Z'} = 2000, w = 10\%$

Total signal+background in SR_C



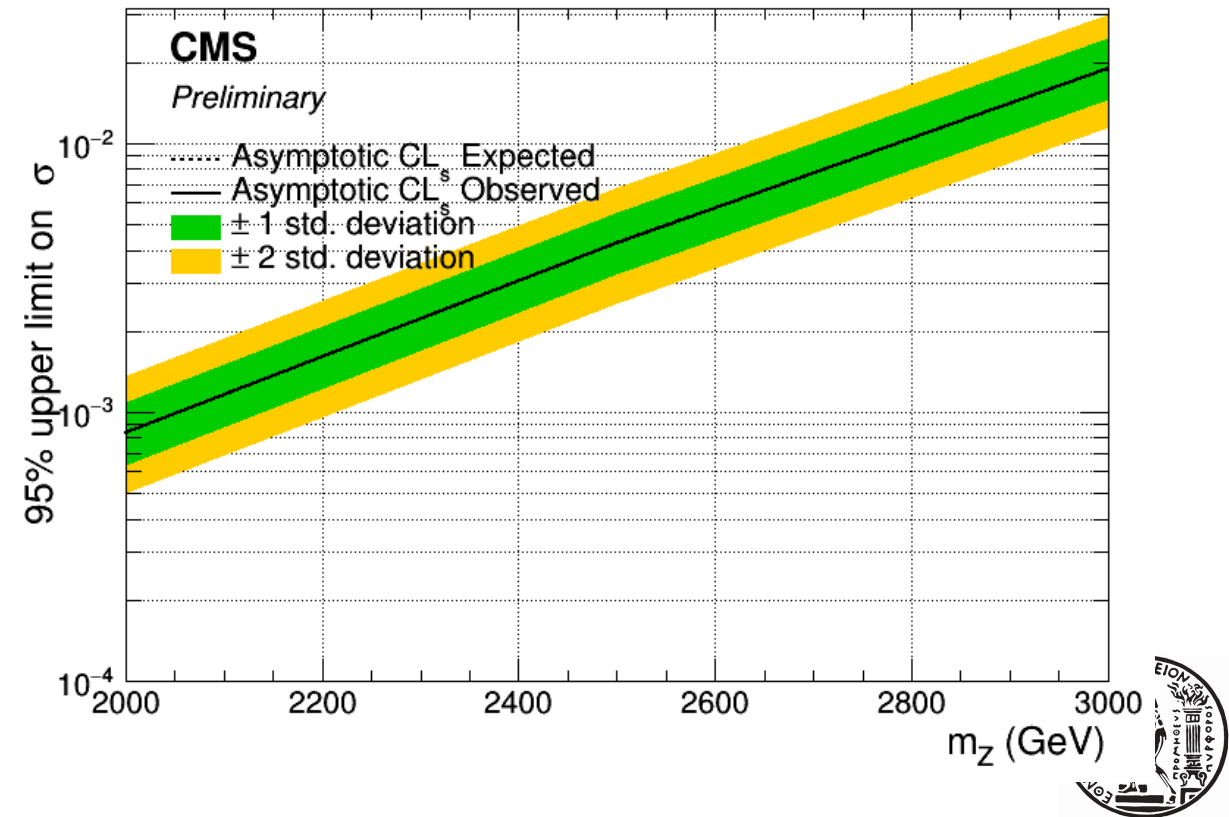
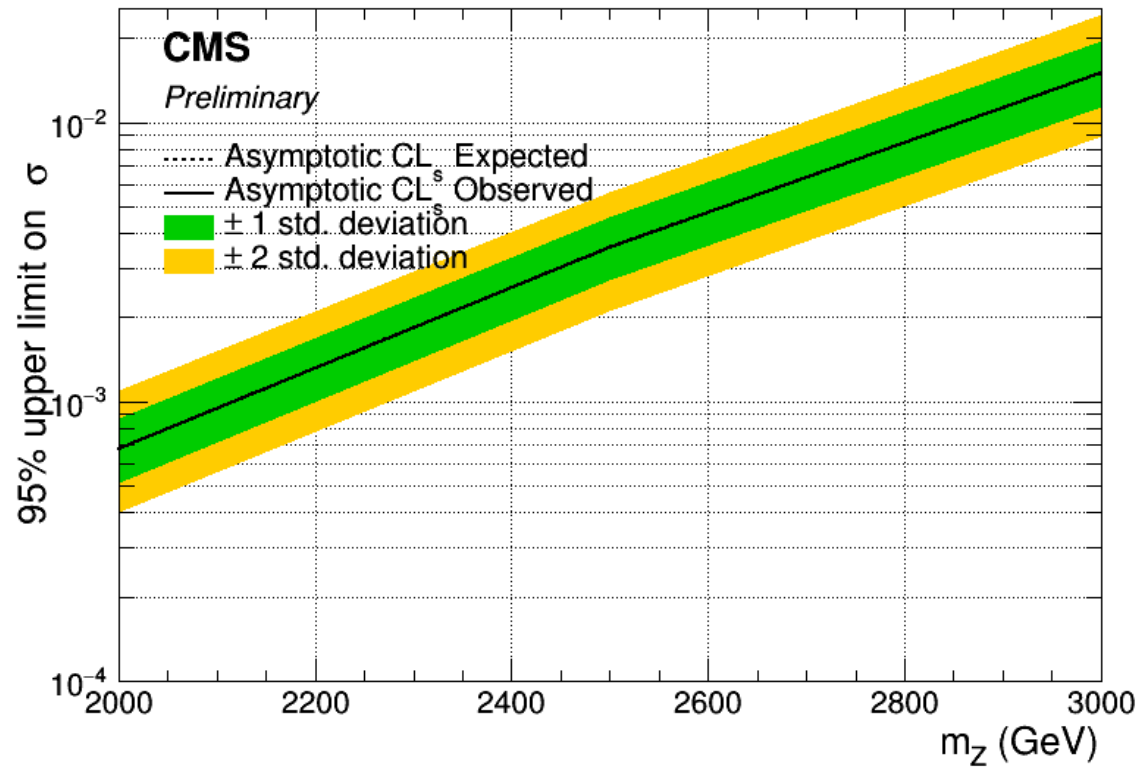
$M_{Z'} = 2500, w = 10\%$



Angular Distributions (Brazilian Plot)

Asymptotic limits for $M_{Z'}$: 2000, 2500, 3000:

- Width 1% (left) and 10% (right)



BACKUP

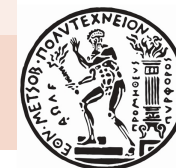


Signal Selection

Variables	Selected Cut
pT (both leading jets)	> 400 GeV
Njets	> 1
N leptons	= 0
eta (both leading jets)	< 2.4
mJJ	> 1000 GeV
jetMassSoftDrop (only for fit)	(50,300) GeV
Top Tagger	> 0.2, 0, 0.1
B tagging (2 btagged jets)	> Medium WP
Signal Trigger	

Control Region Selection

Variables	Selected Cut
pT (both leading jets)	> 400 GeV
Njets	> 1
N leptons	= 0
eta (both leading jets)	< 2.4
mJJ	> 1000 GeV
jetMassSoftDrop (only for fit)	(50,300) GeV
Top Tagger	> 0.2, 0, 0.1
B tagging (0 btagged jets)	< Medium WP
Control Trigger	



Top Angular Distributions

- We employ the dijet angular variable χ from the rapidities of the two leading jets
- Why χ ?
 - The distributions associated with the final states produced via QCD interactions are relatively flat in comparison with the distributions of the BSM models or new particles, which typically peak at low values of χ
- We can measure the variable χ in two ways

1. By measuring the difference of the rapidities of the two leading jets such as the corresponding rapidity in the ZMF is:

$$y^* = \frac{1}{2}(y_1 - y_2)$$

χ is defined as $\chi = e^{|y^*|} = e^{|y_1 - y_2|}$ (1) and can be measured by creating the TLorentzVector, boost it to the ZMF and find the rapidity difference of the two leading jets

2. By measuring the scattering angle θ^* (angle between top quark and z-axis in the Zero Momentum Frame)

We define as $y^* = \frac{1}{2} \ln\left(\frac{1+|\cos\theta^*|}{1-|\cos\theta^*|}\right)$ and from (1) we can find that:

$$\chi = \frac{1 + |\cos\theta^*|}{1 - |\cos\theta^*|}$$

