# Weekly Report NTUA 29/4/2020

George Bakas





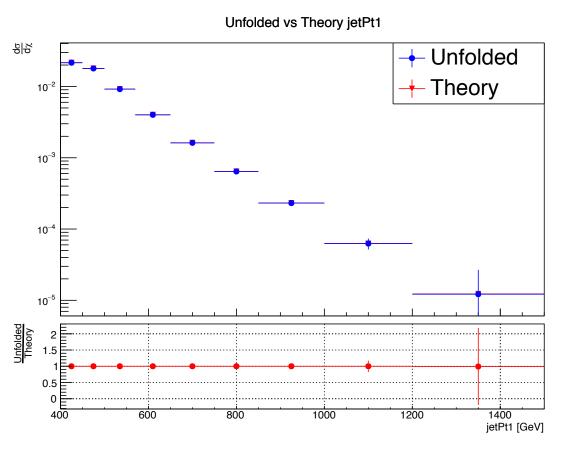
# **Status Report**

- Analysis:
  - Giannis and I are trying to find bugs in codes up to signal extraction
  - Signal Extraction
    - Again we have the same problems with (1+kx)Q(x), k 个 个 (2016)
  - Unfolding results:
    - Rebinning:
      - mJJ, ptJJ and sub-leading jetPt
      - With new binning we seem to have better results..
      - Also using the high mtt samples (2016 are ok) we get better results because we have more statistics
    - Global Correlation shows worse closure than Inverse matrix or L-curve methods
    - L-curve method and Inverse matrix have the same errors



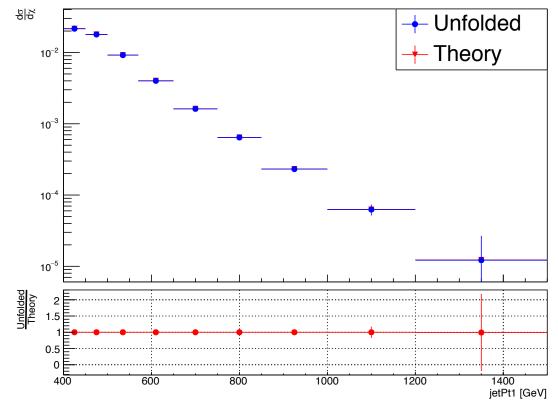
#### Parton level MC

## Simple matrix inversion



#### Scan L-curve method

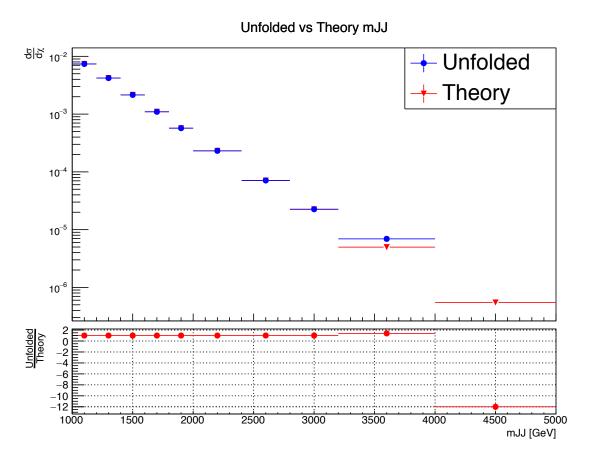






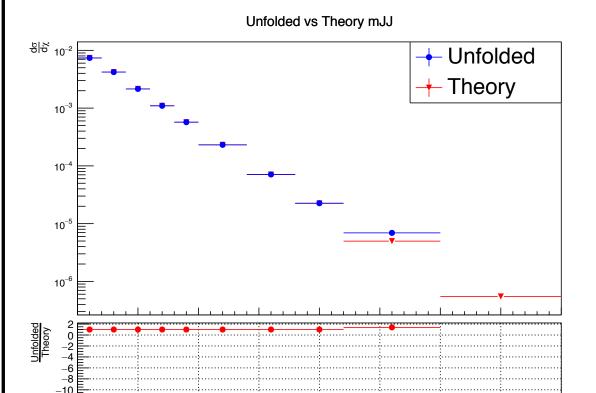
#### Parton level MC

#### Simple matrix inversion



#### Scan L-curve method

1500



2500

3000

2000



5000

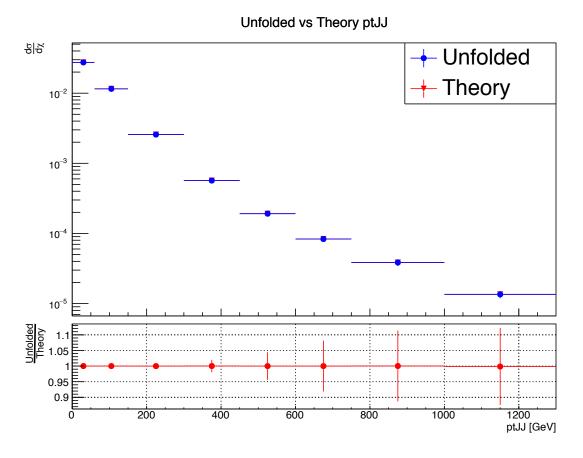
mJJ [GeV]

4500

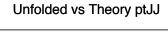
4000

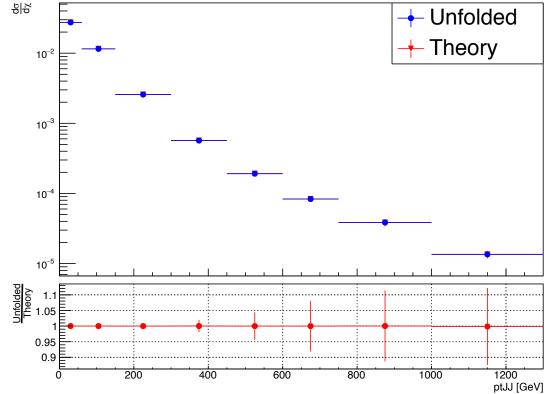
#### Parton level MC

#### Simple matrix inversion



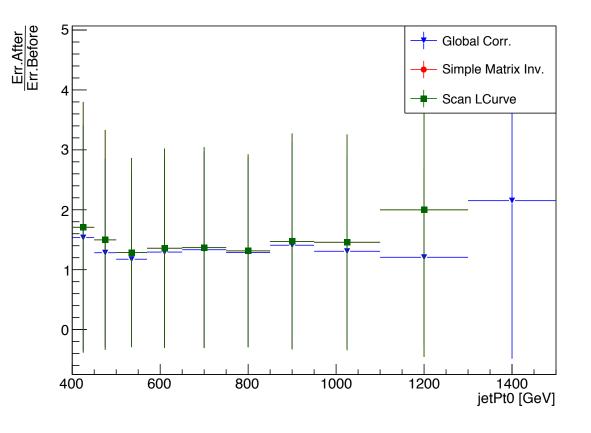
#### Scan L-curve method

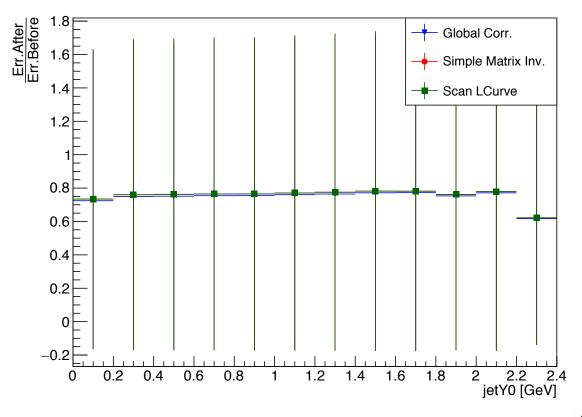






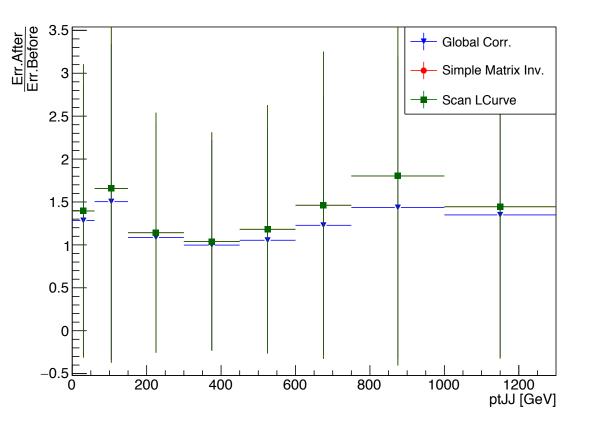
#### **Error Propagation After Unfolding**

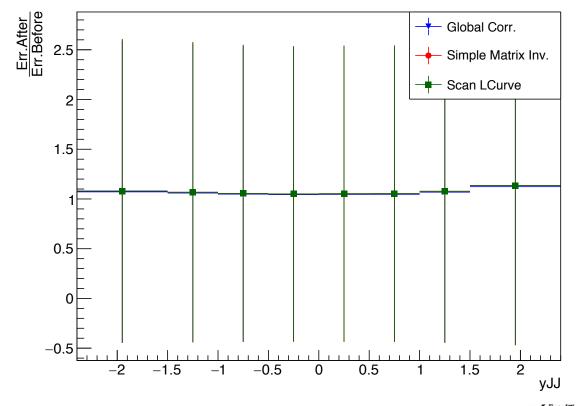






### **Error Propagation After Unfolding**







# **BACKUP**



## Minimum of global Correlation

Trying to solve the inverse problem of  $y = Ax \rightarrow x = A^{-1}y$  where:

- x: Extrapolated to Parton
- A is the response matrix
- y: reco input
- V<sub>x</sub> is the covariance matrix of x

This method finds the minimum mean value of global correlation coefficients ( $\rho_j$ ): Where  $\rho_i$  is defined as:

$$\rho_j = \sqrt{1 - [(V_x)_{jj} \cdot (V_x^{-1})_{jj}]^{-1}}, \text{ where } 0 \le \rho_j \le 1$$

- 1. The global correlation coefficient is a measure of the total amount of correlation between element j of x and all other elements.
- 2. The arithmetic and the geometric mean of all n global correlation coefficients is determined for a large range of  $\tau$ -v<sub>k</sub>
- B. The  $\tau$ -value with the smallest mean value is accepted.