| 1. | (3 points) subfield of | | F be a f | ield (ass | sume yo | ou know t | the defin | ition o | of a fiel | d). Sta | te the o | definitio | on of tl | he $prim\epsilon$ |
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| 2. | (2 points) $[K:F].$ | Let . | F be a | field an | $\operatorname{id} K$ ar | extensi | on of F , | i.e. | K/F. | Define | the deg | gree of | K/F, | denoted |
| | | | | | | | | | | | | | | |