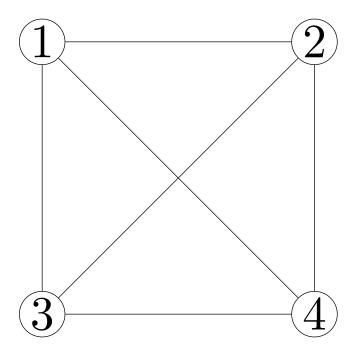
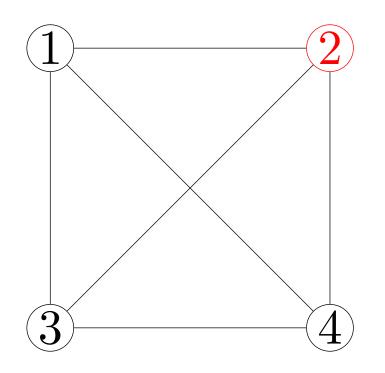
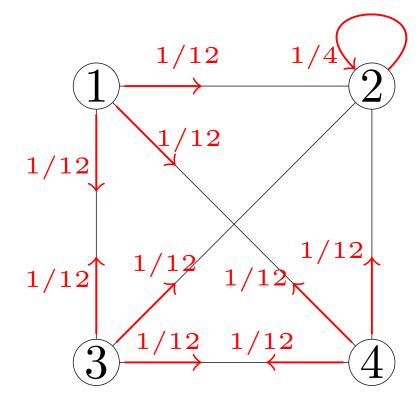
Assume that 2 is the marked state. Of course this is not known a priori and we aim to figure it out.

A walker then has ¼ probability to be at any of the four vertices.





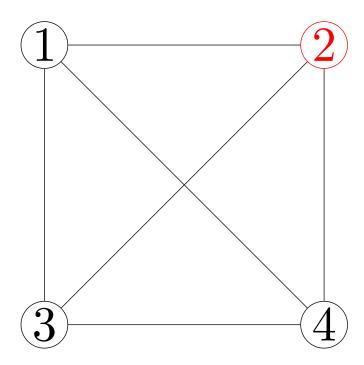


### Step 1

The probability to find the walker at the given vertex is 1/4.

Why?

Trivial.



#### Step 2

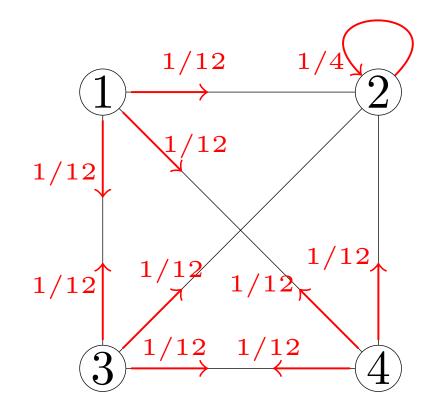
The walker will move away from any given vertex with the probabilities given in red.

Why?

Assume the walker is at V=1. Then the probability to move to V=3 is given as  $\frac{1}{4} \times \frac{1}{3} = \frac{1}{12}$ .

What is the probability to find the walker at 2?

It is ½.



#### Step 2

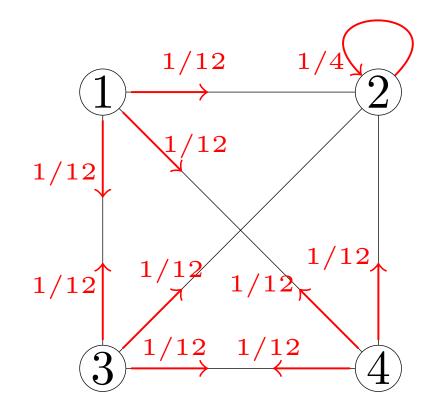
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What is the probability to find the walker at 2?

It is ½.



#### Step N

The success probability of 1- $\epsilon$  is achieved after N log(1/ $\epsilon$ ) steps,  $\sim$  O(N) (for large N).

