Tricks

- 1. Use == to test for equality. In effect, A==B is equivalent to simplify(A-B)==0.
- 2. In a script, line breaking is allowed where the scanner needs something to complete an expression. For example, the scanner will automatically go to the next line after an operator.
- 3. Setting trace=1 in a script causes each line to be printed just before it is evaluated. Useful for debugging.
- 4. The last result is stored in symbol last.
- 5. Use contract(A) to get the mathematical trace of matrix A.
- 6. Use binding(s) to get the unevaluated binding of symbol s.
- 7. Use s=quote(s) to clear symbol s.
- 8. Use float(pi) to get the floating point value of π . Set pi=float(pi) to evaluate expressions with a numerical value for π . Set pi=quote(pi) to make π symbolic again.
- 9. Assign strings to unit names so they are printed normally. For example, setting meter="meter" causes symbol meter to be printed as meter instead of m_{eter} .
- 10. Use expsin and expcos instead of sin and cos. Trigonometric simplifications occur automatically when exponentials are used. See also expform for converting an expression to exponential form.
- 11. Use rect(expform(f)) to maybe find a new form of trigonometric expression f.

$$\frac{1}{2}\cos(\theta) + \frac{1}{2}$$

12. The following exercise¹ demonstrates some eval tricks. Let

$$\psi = \frac{\phi_1 + \phi_2}{2} \exp\left(-\frac{iE_1t}{\hbar}\right) + \frac{\phi_1 - \phi_2}{2} \exp\left(-\frac{iE_2t}{\hbar}\right)$$

where ϕ_1 and ϕ_2 are orthogonal and operator A has the following eigenvalues.

$$A\phi_1 = a_1\phi_1$$
$$A\phi_2 = a_2\phi_2$$

¹See exercise 4-10 of *Quantum Mechanics* by Richard Fitzpatrick.

Verify that

$$\langle A \rangle = \int \psi^* A \psi \, dx = \frac{a_1 + a_2}{2} + \frac{a_1 - a_2}{2} \cos \left(\frac{(E_1 - E_2)t}{\hbar} \right)$$

Note: Because ϕ_1 and ϕ_2 are normalized we have $\int |\phi_1|^2 = \int |\phi_2|^2 = 1$. By orthogonality we have $\int \phi_1^* \phi_2 = 0$. Hence the integral can be accomplished with eval.

13. Complex number functions conj, mag, etc. treat undefined symbols as representing real numbers. To define symbols that represent complex numbers, use separate symbols for the real and imaginary parts.

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z = x + i y
conj(z) z
x^{2} + y^{2}
z = A exp(i theta)
conj(z) z
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14. Use mag for component magnitude, abs for vector magnitude.

$$y = (a, -b)$$
 $mag(y)$

 $\begin{bmatrix} a \\ b \end{bmatrix}$

abs(y)

$$[a^2 + b^2]^{1/2}$$

15. Use draw(y[floor(x)],x) to plot the values of vector y.