Syntax

| Math | Eigen math | Comment |
|--|----------------|--------------------------------------|
| a = b | a == b | test for equality |
| -a | -a | negation |
| a + b | a+b | addition |
| a - b | a-b | subtraction |
| ab | a b | $multiplication, \ also \ {\tt a*b}$ |
| $\frac{a}{b}$ | a/b | division |
| $\frac{a}{bc}$ | a/b/c | division is left-associative |
| a^2 | a^2 | power |
| \sqrt{a} | sqrt(a) | square root, also a^(1/2) |
| a(b+c) | a (b+c) | space is required |
| f(a) | f(a) | function |
| $\begin{pmatrix} a \\ b \\ c \end{pmatrix}$ | (a,b,c) | vector |
| $\begin{pmatrix} a & b \\ c & d \end{pmatrix}$ | ((a,b),(c,d)) | matrix |
| $F^1{}_2$ | F[1,2] | tensor component access |
| | "hello, world" | string literal |
| π | pi | |
| e | exp(1) | natural number |

Arithmetic operators have the expected precedence of multiplication and division before addition and subtraction. Subexpressions in parentheses have highest precedence.

Parentheses are required around negative exponents. For example,

10^(-3)

instead of

10^-3

The reason for this is that the binding of the negative sign is not always obvious. For example, consider

$x^-1/2$

It is not clear whether the exponent should be -1 or -1/2. Hence the following syntax is required.

$x^{(-1/2)}$

In general, parentheses are always required when the exponent is an expression. For example, $x^1/2$ is evaluated as $(x^1)/2$ which is probably not the desired result.

$x^1/2$

 $\frac{1}{2}x$

Using $x^{(1/2)}$ yields the desired result.

$x^{(1/2)}$

 $x^{1/2}$