#### Universidad Industrial de Santander, Colombia Numerical Analysis, 2020-2 Henry Arguello November 18, 2020

# Lab 3. Newton-Raphson Method

#### 1 Instructions

- Make a **pdf** report including the solution to each point of the practice with name Lab3\_name\_lastname.pdf.
- Send the report and all created files in a rar or zip file with name Lab3\_name\_lastname.rar in the Moodle.
- You are allowed to use internet, notes, and .m files that you have created before.

### 2 Purposes

• To implement the Newton-Raphson method in Matlab.

## 3 Implementing

• (2.0 points) Create a Matlab function called  $my\_newton\_function\_name\_lastname()$  to find the root of a function using the Newton-Raphson method. The arguments of the function must be: the function to be evaluated f(x) (as an inline function), the initial point  $[p_0]$ , the derivate of the function f'(x) (as an inline function), and the stopping criteria (the number of iterations or the error). Make a script called  $run\_2a\_name\_lastname.m$  in which you use the created function to find the three roots of the function  $f(x) = x^3 + 13x^2 - 297.5x + 0.00000375e^x$ . You have to choose a proper initial point for each root. For instance,

```
\begin{array}{l} \operatorname{fun} = @ \ XXXXXX; \\ \operatorname{der} = @ \ XXXXXX; \\ p_0 = XX; \\ \operatorname{Iter} = X; \\ \operatorname{root} = \operatorname{my\_newton\_function\_name\_lastname}(\operatorname{fun}, p_0, \operatorname{der}, \operatorname{Iter}); \end{array}
```

- (1.5 points) Modify the function in the previous item such that it prints the values:
  - -k: Number of current iteration
  - $-x_k$ : Value of the root at iteration k
  - $-f(x_k)$ : Value of the function evaluated in  $x_k$
  - $f'(x_k)$ : Value of the derivative evaluated in  $x_k$
  - $-|x_k-x_{k-1}|$ : Absolute error
- (1.5 points) Create a Matlab function called  $my\_visual\_newton\_function\_name\_lastname()$  to visualize the behaviour of the Newton method. The arguments of the function must be: the function to be evaluated f(x) (as an inline function), the initial point  $[p_0]$ , the derivate of the

function, fp(x), and the number of iterations. Make a script called  $run\_2b\_name\_lastname.m$  in which you use the created function to visualize the behavior of the Newton method when solving the exercise in 3 and conclude about the convergence of the method. For instance,

```
\begin{array}{l} \text{fun} = @\ XXXXXXX; \\ \text{der} = @\ XXXXXXX; \\ p_0 = XX; \\ \text{Iter} = XX \\ \text{root=my\_visual\_newton\_function\_name\_lastname}(\text{fun},p_0,\text{der},\text{Iter}); \end{array}
```