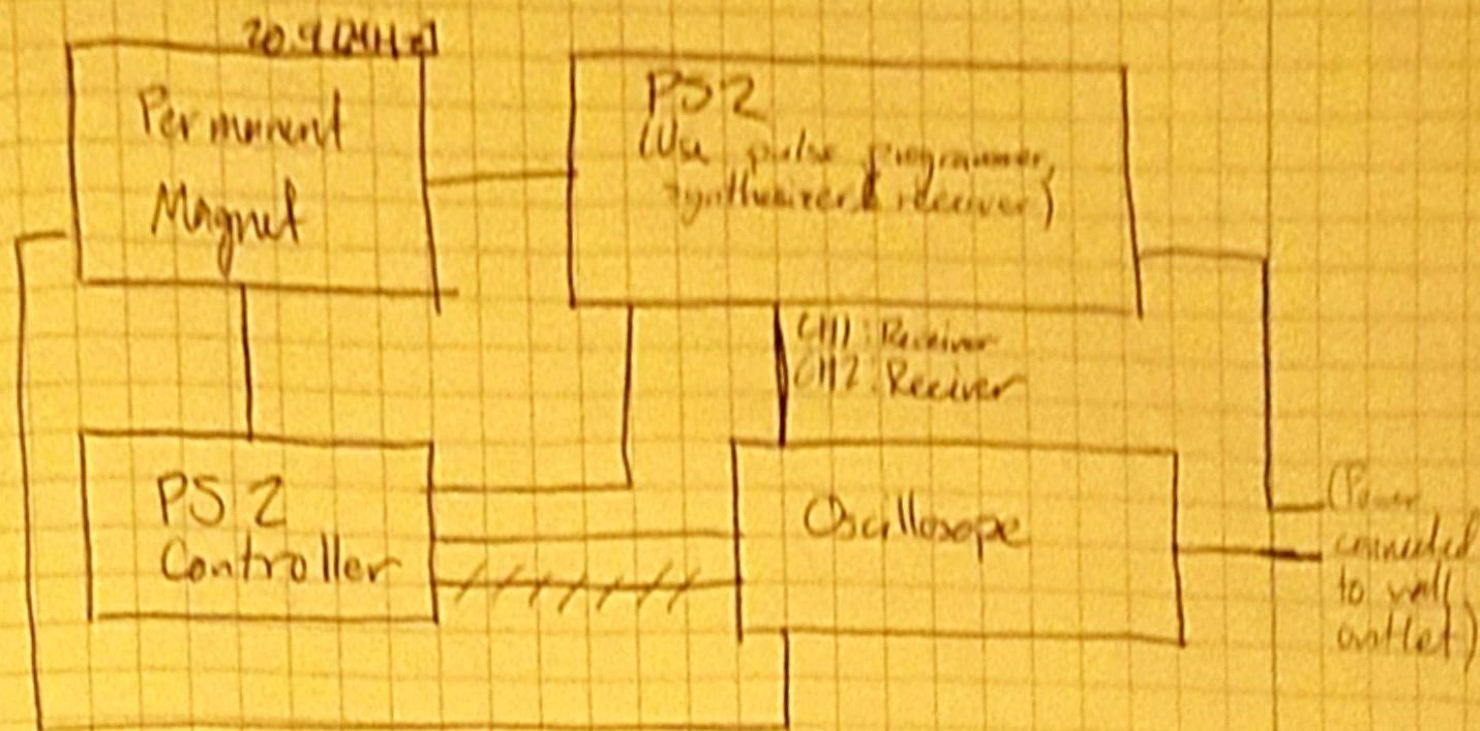


# NMR Setup

57



## For Presenting:

Main Idea: Kitt: 2 - Spin-Lattice and Spin-Relaxation Times  
Glass: 1 - Magnetic Resonance

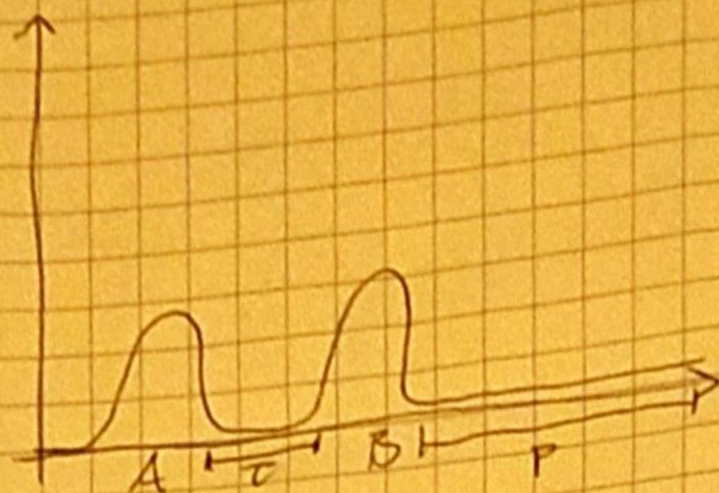
Equipment: Kitt: 2 - Delay Time  
Glass: 1 - Pulsed NMR Spectroscopy

Data Analysis: Kitt: 2 - Delay must be 10x relaxation time. Why?  
Glass: 1

## Procedure Steps.

- 1) Power on!
- 2) Samples may need to be remade (week 1 only)
- 3) Set up oscilloscope - Vertical scale 1V, sweep 2 $\mu$ s/division, multi-edge, (printout)
- 4) Reel-to-arm, green = cold. Set temp so light is off. Lock in.
- 5) Close loop until done. (Then resume printout)
- 6) Tune the magnet - pickup coil at 39 [mm] from stops, probe on CH1 1-36 [V]
- 7) Set magnetic field, then lock down.



NMR  
Notes

< More No.  
↑ Hyperfine interaction

If we have more than 5 [mm] in the tube, the sample will see a non-uniform field (as field is uniform only over a small range).

CH1: Free Induction Decay

CH2: Beat between resonance & frequency.

Larmor Frequency depends on frequency spin and field.

(20.92646

CH1 - uniformity; CH2 - resonance

→  $90^\circ$  pulse flips spin into xy plane  
→  $180^\circ$  pulse flips spins into opposite state

→ TOTAL spin. If  $\sim 1/2$  are up and  $1/2$  are down  $\rightarrow$  net 0

→ Spins move to xy, but continue to precess around the z-axis with the same frequency.

Over time, spins will try to realign. When all spins are up, we have maximum signal. A  $180^\circ$  pulse would give a signal initially.

Electron Larmor frequencies are high enough and anti. but are small enough that electrons don't significantly affect our data.



NMR

Week 2

Trial 1

$$f = 20.92222 \text{ MHz}$$

$$f = 20.92181$$

$$X = 0, Y = 0, Z = 1.05, Z^2 = 1.52$$

$$A_m = 3.02 \text{ } [\mu\text{s}] \text{ } 6.6$$

$$X = 0.9, Y = 0.77$$

$$Z = 1.14, Z^2 = 1.67$$

$$f = 20.92172 \text{ MHz}$$

$$A = 3.4 \text{ } [\mu\text{s}], B = 3.14 \text{ } [\mu\text{s}]$$

$$A \text{ is } 180^\circ, B \text{ is } 90^\circ$$

~~Week 3 for X, Y, Z, Z^2~~

Week 3 Trial 1 (TZ)

$$F = 20.92372$$

$$X = 0.4, Y = -2.2, Z = 1.05, Z^2 = 1.10$$

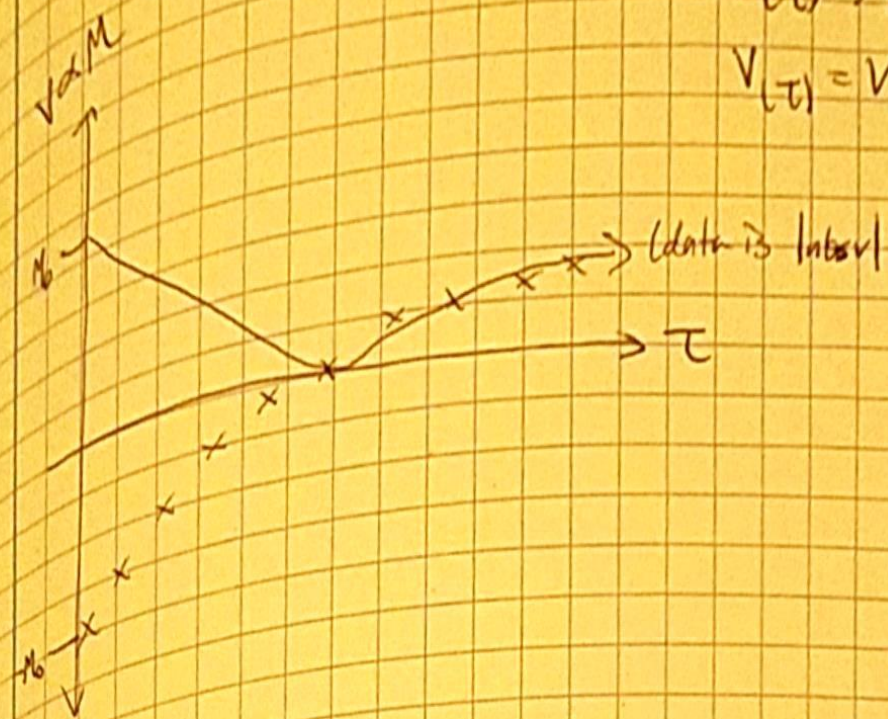
$$A = 3.20 \text{ } [\mu\text{s}]$$

R/H

$$B = 6.80 \text{ } [\mu\text{s}]$$

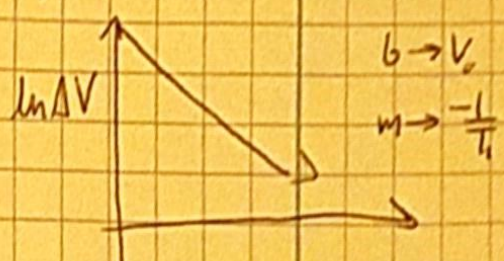
$$M_c(t) = M_0 (1 - 2e^{-t/\tau_1})$$

$$V_c(t) = V_0 (1 - 2e^{-t/\tau_1})$$



$$V_0 - V_c = 2e^{-t/\tau_1}$$

$$\ln(\Delta V) = \ln(2V_0) - \frac{t}{\tau_1}$$



|            |        |        |
|------------|--------|--------|
| $\tau$ [s] | 0.0001 | 0.0002 |
| $V_p$ [V]  | 3.4    |        |

Excel!

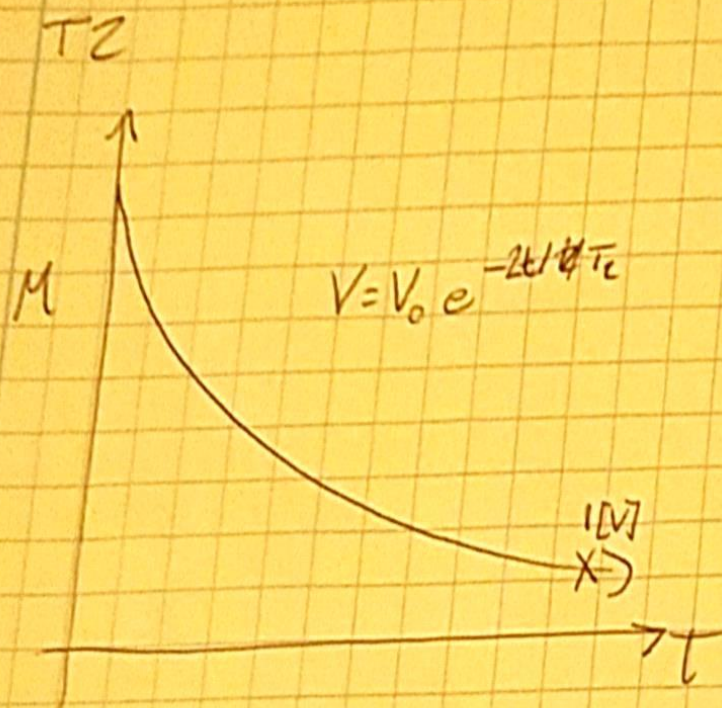
with graphs

T1:

$$T2 = 500 \text{ } [\text{ms}]$$

$$T2 = 500 \text{ } [\text{ms}] \pm 0.7 \text{ } [\text{ms}]$$

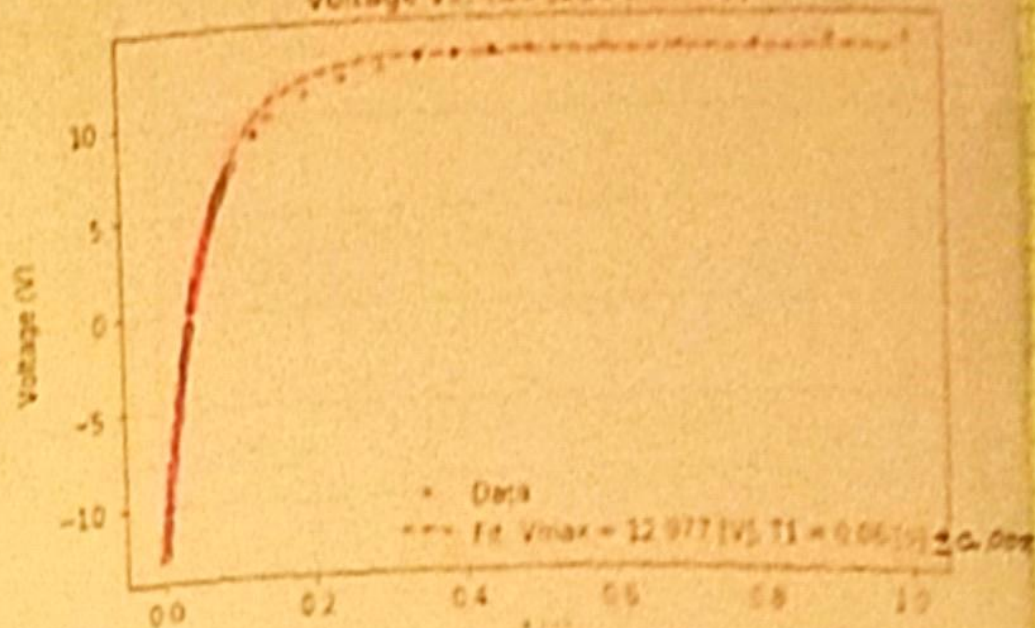




(No need for converting  
V to M; they're  
proportional)



Voltage vs. Tau [180 then 90]



Voltage vs. Tau [90 then 180]

