

Suggested answers to Week 4,5 assignments

Activity 4.3; Homework 4.1

Activity 4.3

- The semaphore's integer state variable (value) will increase by 1, i.e., the effect of `release()` is *remembered* even if no producers are yet asking for an empty slot.
 - That's why the race condition illustrated on Slide 6.36 won't happen for semaphores.
- The `notify()` will have no effects (since there are no producer threads in the wait set that can be waked up).
 - Hence, the race condition on Slide 6.36 could happen if we called `wait()/notify()` without holding a lock.
- The number of full slots is kept with a counting semaphore itself. So there's no need for a separate count variable.

Homework 4.1

- Attempt 1 is incorrect. It does not satisfy mutual exclusion. Initially, `wantEnter[0] == wantEnter[1] == false`. Consider this interleaving of P0's and P1's execution:
 - P0 tests `wantEnter[1] == false`, exits while loop;
 - P1 tests `wantEnter[0] == false`, exits while loop;
 - P0 sets `wantEnter[0]` to true and enters CS;
 - P1 sets `wantEnter[1]` to true and enters CS;
- Attempt 2 is incorrect. It doesn't satisfy progress (initially, `turn == 0`):
 - P0 does *not* want to enter CS, `turn == 0` indefinitely;
 - P1 wants to enter, indefinitely stuck in while loop (although CS is available) because `turn` is 0;

Homework 4.1 (cont'd)

- According to Peterson's Algorithm, after i exits the critical section (CS), before it can enter again, it must set turn to j . So if j is waiting to enter (i.e., $\text{flag}[j] == \text{true}$), i must now wait at the while loop until after j got its own chance to enter the CS. Hence, j can't be beaten twice in a row, and bounded waiting is satisfied with a bound of 1.