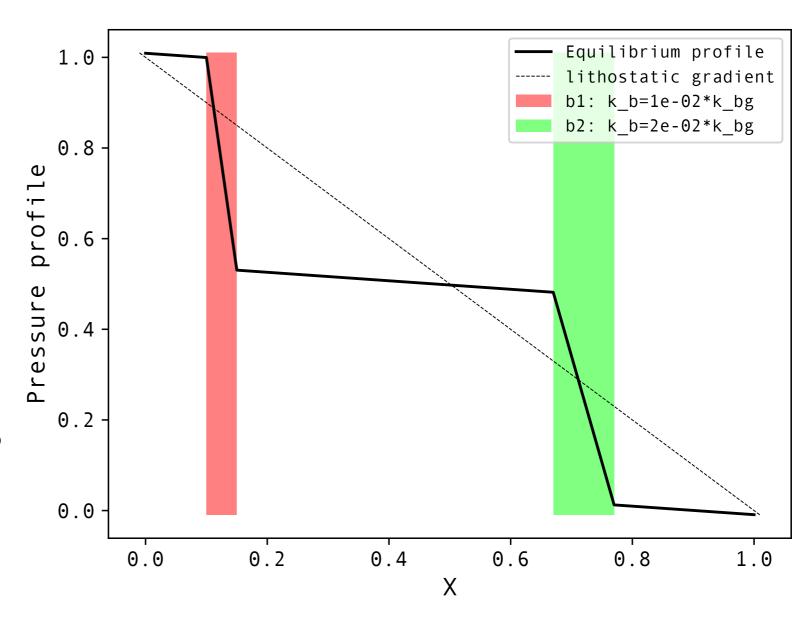
# Around permanent regime

### (a) PP boundaries: equilibrium

In the case where N barriers of width  $w_b$  and permeability  $k_b$  are prevalent in the permanent regime, the equilibrium flux q can be written as:

 $q = dP\_tot * k\_b / mu / (N*w\_b)$ and we can derive an equivalent permeability for the whole domain:  $k\_eff = k\_b * L\_domain / (N*w\_b)$ 

In the case of dynamic (opening/closing) valves, effective  $k_b$  and  $w_b$  could be determined, and used in the previous formulas. Both would be linked to the period of loading and unloading of the valve. This remains to be derived.



## Around permanent regime

### (a) PP boundaries: transient from valve breaking

#### **Experiment:**

- Init. equilibrium pore-pressure profile when 2 valves are closed, but valve nb1 is open (k\_b = k\_bg).
- Observe the propagating transient

#### Observation:

- transient progresses from one valve to the other, to redistribute total dP on background segments and barriers.
- dP across remaining valve is increased (closer to failure?)
- overpressure (above lithostatic gradient) is increased (closer to failure?)

