

AB

$$ED(i, j) = ED(i+1, j+1) \quad \text{if } A[i] = B[j]$$

Insert

$$ED(i, j) = 1 + ED(i, j-1)$$

Antihuman
↑

EDC

ED (shuman, ~~longman~~)

ED

$$ED(C, S) = \dots$$

Antihuman

Antihuman

ED (human, L1000)

12 replace

$$ED(i, j) = 1 + ED(i+1, j+1)$$

Answer
Antihuman

Answer
Antihuman

$\in D$ (human, human)

$$ED(i, j) = \begin{cases} 1 & \text{if } A(i) = B(j) \\ 0 & \text{otherwise} \end{cases}$$

17 min

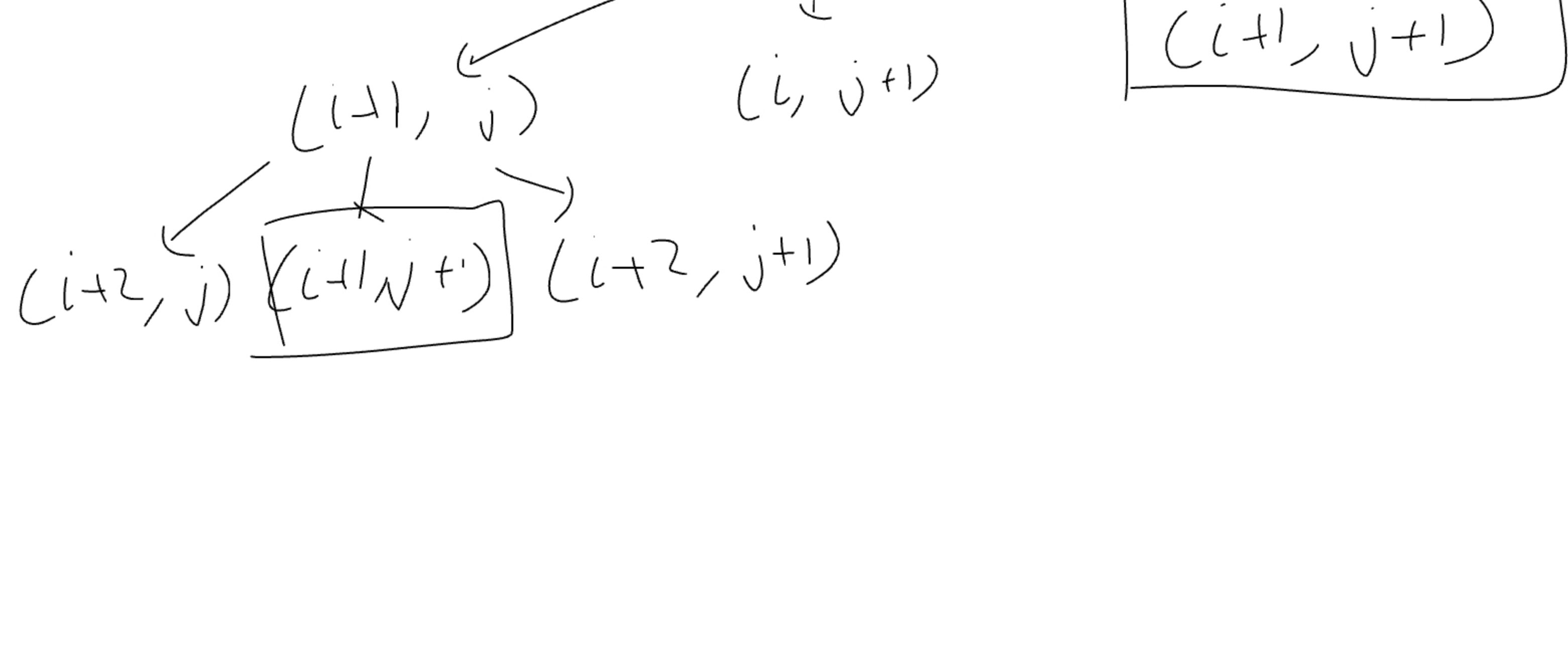
$$\begin{bmatrix} \in \mathcal{D} & (i, j) \\ \in \mathcal{D} & (i+1, j) \\ \in \mathcal{D} & (i+1, j+1) \end{bmatrix}$$

otherwise

Anti

$$n \tau ($$

4-5



2
3
4
5

$$val_{nc} = 104$$

$\begin{bmatrix} \cancel{6} & \cancel{5} & \cancel{3} & \cancel{2} \\ 6, & 5, & 3, & 2 \end{bmatrix}$

value = 10

$[9, 8, 7, 5]$

