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#####  
# analysis.r #  
# Giammario Fulco #  
#####  
  
setwd ("~/Desktop/Homework/analysis")  
  
library(MASS)  
##### CREATING THE DATA FRAME FOR INPUT DATA #####  
  
lv1<-c(-1,1)  
dm<-expand.grid (A=lv1,B=lv1,C=lv1,D=lv1,E=lv1)  
dm<-data.frame(StdOrder=c(1:nrow (dm)), dm)  
dm<-data.frame(RunOrder=sample(nrow(dm)), dm)  
dm<-dm[order(dm$RunOrder),]  
data<-  
c(40.606,0.003,0.003,0.003,41.304,0.004,0.006,0.004,40.25,47.286,42.002,0.002,0.004,0.01,47.303,0.004,0.002,0.01,0.004,0.003,0.005,0.003,0.002,45.935,0.009,0.003,0.004,0.005,0.003,0.003,0.003,  
df<-data.frame(dm,Data=data)  
#write.table(df,"~/Desktop/Homework/analysis/data_.dat",row=F)  
  
##### ANALYSIS #####  
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#####  
  
##### MODEL 1 #####  
df.lm<-lm(Data~A*B*C*D*E,d=df)  
  
# Daniel ' s method : p l o t t h e e f f e c t s  
effect<-as.vector(df.lm$effect)[2:length(df.lm$eff)]  
qn<-qqnorm(effect,datax=T,ylab="EffectQuantiles")  
qqline(effect,datax = T)  
text(qn$x,qn$y,lab=names(df.lm$eff)[2:length(df.lm$eff)],pos=4)  
  
# ##### MODEL 2 #####  
  
# First model, after Daniel ' s method  
df.lm2<-lm(Data~(A+B+C+D+E), d=df)  
anova(df.lm2)  
hist(df.lm2$residuals,main="Histogram of residuals for LinearModel 2",xlab="Residuals")  
shapiro.test(df.lm2$residuals) #<0.05 -> not normal  
qqnorm(df.lm2$residuals)  
qqline(df.lm2$residuals)  
plot(jitter(df.lm2$fit),df.lm2$residuals,xlab="Fitted Values",ylab="Residuals",main="Fitted Value Pattern")  
  
# ##### MODEL 3 #####  
  
df.lm3<-lm(Data~(A+B+C+D+E)^2,d=df)  
anova(df.lm3)  
hist(df.lm3$residuals,main="Histogram ofresiduals for Linear Model 3 " , xlab = "Residuals")  
shapiro.test(df.lm3$residuals)  
qqnorm(df.lm3$residuals)  
qqline(df.lm3$residuals)  
plot(jitter(df.lm3$fit),df.lm3$residuals,xlab="Fitted Values" ,ylab="Residuals" , main=" Fitted Value Pattern")  
stdres<-rstandard(df.lm3)  
plot(stdres,ylim=c(-3,3), ylab="Standardized Residuals" , main="Standardized residuals distribution")  
#1 sigma  
abline(h=1, col="green")  
abline(h=-1,col="green")  
#2 sigma  
abline(h=2,col="orange")  
abline(h=-2,col="orange")  
#3 sigma  
abline(h=3,col="red")  
abline(h=-3,col="red" )  
plot(density(stdres),ylim=c(0,0.7),main="Standardized Residuals PDF" )  
curve(dnorm(x),add=T,col="red")  
  
##### MODEL 4 #####  
# Fourth model.  
df.lm4<-lm(Data~((A+B+C+D+E)^3),d=df)  
anova(df.lm4)  
hist(df.lm4$residuals,main="Histogram of residuals for Linear Model 4 " , xlab = "Residuals")  
shapiro.test(df.lm4$residuals)  
qqnorm(df.lm4$residuals)  
qqline(df.lm4$residuals)  
plot(jitter(df.lm4$fit),df.lm4$residuals,xlab="Fitted Values ",ylab="Residuals",main="Fitted Value Pattern")  
stdres4<-rstandard(df.lm4)  
plot(stdres4,ylim=c(-3,3),ylab="Standardized Residuals",main="Standardized residuals distribution")  
#1 sigma  
abline(h=1,col="green")  
abline(h=-1,col="green")  
#2 sigma  
abline(h=2,col="orange")  
abline(h=-2,col="orange")  
#3 sigma  
abline(h=3,col="red")  
abline(h=-3,col="red")  
plot(density(stdres4),ylim=c(0,0.4),main="Standardized Residuals PDF" )  
curve(dnorm(x),add=T,col="red")  
  
# BoxCox  
w<-df[1:32,1]  
m<-df[1:32,2]  
j<-df[1:32,3]  
t<-df[1:32,4]  
g<-df[1:32,5]  
y<-data  
x<-(w+m+j+t+g)^3  
#run the box-cox transformation  
bc<-boxcox(y~x)  
(lambda<-bc$x[which.max(bc$y)])  
#final model  
df.lm7<-lm(Data^(lambda)~(A+B+C+D+E)^3, d=df)  
#NORMALITY CHECKS (MAC)  
# Shapiro milk test to check the normality  
hist(df.lm7$res, xlab="Residuals",main ="Hist of Residuals")  
shapiro.test(df.lm7$res)  
# add noise  
plot(jitter(df.lm7$fitted),df.lm7$res)  
#QQ plot to check the normality of the residuals is fair  
qqnorm(df.lm7$residuals)  
qqline(df.lm7$residuals)  
#anova  
anova(df.lm7)  
  
##### TESTING #####  
# Fourth model without E factor.  
df.lm5<-lm(Data~((A+B+C+D)^3),d=df)  
anova(df.lm5)  
shapiro.test(df.lm5$residuals)  
  
# Third model whitout E factor.  
df.lm6<-lm(Data~((A+B+C+D)^2),d=df)  
anova(df.lm6)  
shapiro.test(df.lm6$residuals)  
  
##### INTERACTION PLOTS #####  
  
interaction.plot(df$A,df$B,data, xlab="Processor", ylab= "data",trace.label="Language")  
interaction.plot(df$A,df$E,data, xlab="Processor", ylab= "data",trace.label="Datatype")  
interaction.plot(df$B,df$E,data, xlab="Programming Language", ylab= "data",trace.label="Datatype")
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interaction.plot(df$C,df$D,data, xlab="Length of the Vector", ylab= "data",trace.label="Dimensions")

##### CONTOUR PLOTS #####
library(lattice)
CPU<-seq(-1,1,0.1)
Length<-seq(-1,1,0.1)
g <- expand.grid(A = CPU,B=df$B, C =Length, D = df$D,E=df$E)
g$data <- predict(df.lm7,g)

contourplot(data~A*C, data = g[g$B==1,], cuts = 10, region = T, xlab = "CPU", ylab = "Length", main = "Contourplot Matlab")
contourplot(data~A*C, data = g[g$B==-1,], cuts = 10, region = T, xlab = "CPU", ylab = "Length", main = "Contourplot C++")
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