TOPIC A

Data

Company: Auto-Motor

• Import 20,000,000 tons of aluminum

• Cost: 23 € / ton

• Total import cost: 460,000,000 €

Revenue 600,000,000 €

• 50% chance of import approval

• If not received: fine 2.5 € / ton

• Total cost of the fine 50.000.000 €

• CEO's estimation: half of the applications are rejected

Decision options

- Direct purchase of ore and wait for approval
- Submit application and purchase if approved
- 70% of the purchase agreement lost by a competitor
- Hire advisors for estimating the approval
- Deal with General Motors

Consulting

		Approval	Rejection
		S1	S2
Positive	E1	0.9	0.4
Negative	E2	0.1	0.6

E1: Positive Report E2: Negative Report

S1: Approval S2: Rejection

Calculation of odds

$$P(S1) = 0, 5$$

 $P(S2) = 0.5$

$$P(E1/S1) = 0.9$$
 $P(E2/S1) = 0.1$ $P(E1/S2) = 0.4$ $P(E2/S2) = 0.6$

$$P(S1 | E1) = 0.69$$

$$P(S2 | E2) = 0.86$$

General Motors

Licensing 90%

- Cost:
- 1000 passenger cars cost 5500 € / piece
- 5% of profits

Non-licensing

- compensation 10.000.000 €
- 45% chance to sell aluminum 4 € / ton
- profit 80.000.000 €

Problem solving

→ Decision tree

Profit: 115.947.500 €

TOPIC B

Data

Dj: demand for each warehouse, where j = 1, ..., 4

Decision Variables

```
Xj: cars transported from factory 1 to warehouse j
```

Yj: project 2 ->

Tj: project 3 -> warehouse j

Sj: cars staying stock in stock j

```
/ * Objective Function * /
```

```
/* Constraints * /
X1 + Y1 + T1-S1 = 300;
X2 + Y2 + T2-S2 = 600;
X3 + Y3 + T3-S3 = 200;
X4 + Y4 + T4-S4 = 400;

X1 + X2 + X3 + X4 = 500;
Y1 + Y2 + Y3 + Y4 = 750;
T1 + T2 + T3 + T4 = 700;
```

Optimal program

	1,570,000	1	Warehouse	4
Warehouse	300 300	-	-	200
Warehouse 2	-	350	200	200
Warehouse 3	-	700	-	-
stock	-	450	-	-

Value of objective function:	1570.00000000			
Actual values of the variables:				
S1	0			
S2	450			
S3	0			
S4	0			
X1	300			
X2	0			
X3	0			
X4	200			
Y1	0			
Y2	350			
Y3	200			
Y4	200			
T1	0			
T2	700			
T3	0			
T4	0			

Profit: 1.570.000