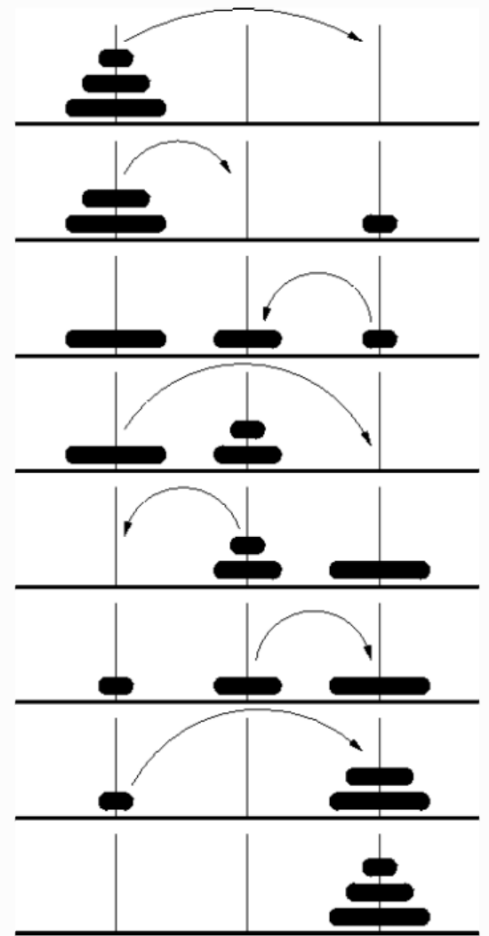


The Towers of Hanoi problem

Rules for Towers of Hanoi. The goal of the puzzle is to move all the disks from the leftmost peg to the rightmost peg, adhering to the following rules: Move only **one disk at a time**. A **larger disk may not be placed on top of a smaller disk**.



(define (domain hanoi-domain)

(:requirements :strips)

(:predicates

(disk ?x) \rightarrow is the x object a disk?

(clear ?x) \rightarrow nothing is on top of the disk x

(on ?x ?y) \rightarrow is x on top of y

(smaller ?x ?y)

)

\rightarrow we can solve this problem with the single move action

(:action move : move the disk from a location to another location

: parameters (?d ?from ?to)

: precondition (and (

input check \rightarrow is it a disk?

(disk ?d) (location ?from) (location ?to)

(smaller ?d ?to) disk should be smaller of target position

(on ?d ?from) disk should be on top of the pile

(clear ?d) nothing is on top of the disk you are moving

(clear ?to) ending position is also clear (?)

)

: effect (and (

(clear ?from)

(on ?d ?to)

(not (on ?d ?from))

(not (clear ?to))

)

)

)

```

(define (problem hanoi-problem)
  (:domain hanoi-domain)
  (:objects d1 d2 d3
            p1 p2 p3)
  )
  (:init

```

```

    (disk d1)(disk d2)(disk d3)
    (on d1 d2)(on d2 d3)
    (on d1 p1)(on d2 p2)(on d3 p1)
    (clear d1)(clear p2)(clear p3)

```



pegs are always bigger

than the disks, so (smaller d1 d2)(smaller d2 d3)(smaller d1 d3)

it is always possible (smaller d1 p1)(smaller d2 p1)(smaller d3 p1)

to move a disk on (smaller d1 p2)(smaller d2 p2)(smaller d3 p2)

an empty peg (smaller d1 p3)(smaller d2 p3)(smaller d3 p3)

)

```

  (: goal (and

```

```

    (on d1 d2)(on d2 d3)

```

```

    (on d3 p3)

```

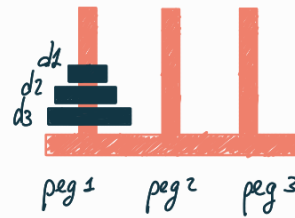


)

)

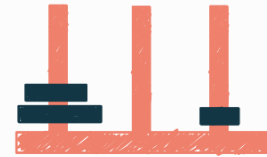
Plan found :

init



move ~~d1~~ d2 peg3

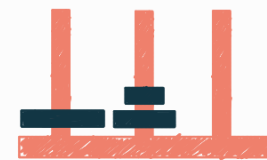
from *to*



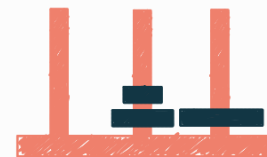
move d2 d3 peg2



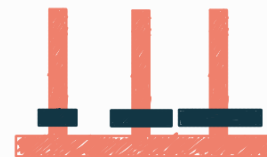
move d1 peg3 d2



move d3 peg1 peg3



move d1 d2 peg1



move d2 peg2 d3



move d1 peg1 d2



goal