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Problem 1.

Use `makedist` to create an exponential distribution object. Set the mean (?) to 100.

```
mu = 100;  
pd = makedist('exponential','mu',mu);
```

Problem 2.

What is the formula for the probability density function of this distribution? $Y=f(x|\mu)=1/\mu * \exp(-x/\mu)$;

Problem 3.

Use Matlab to find its mean, median, interquartile range, variance, and standard deviation

```
mean0 = mean(pd)  
median0 = median(pd)  
r = iqr(pd)  
v = var(pd)  
s = std(pd)
```

```
mean0 =
```

```
100
```

```
median0 =
```

```
69.3147
```

```
r =
```

```
109.8612
```

$v =$

10000

$s =$

100

Problem 4.

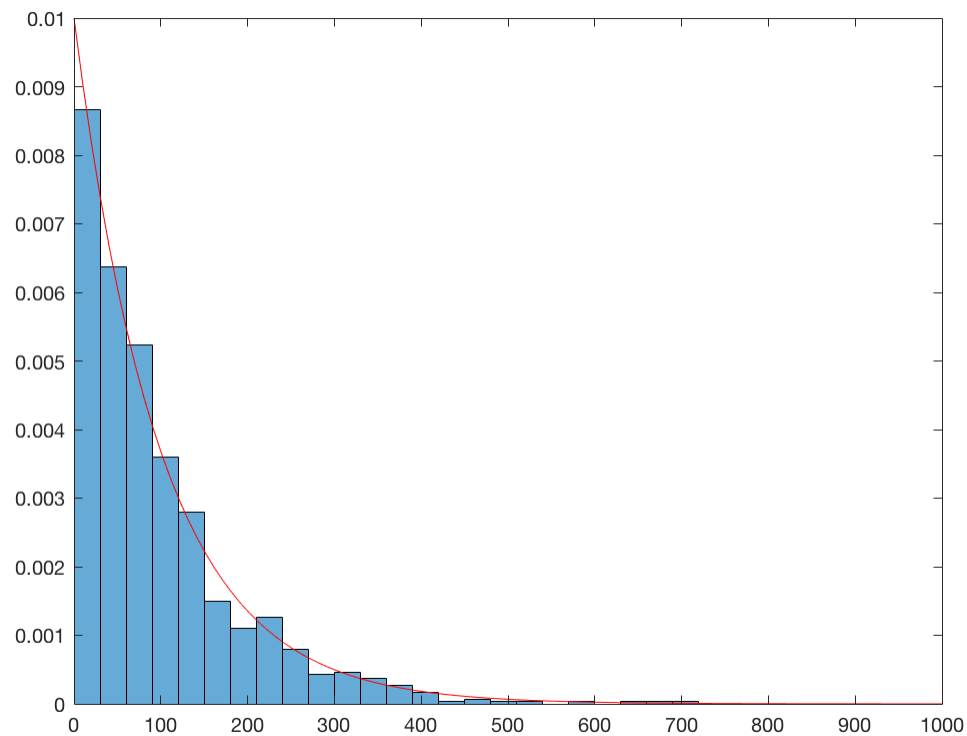
Use Matlab's `random` to generate data sets sampled from this distribution. Create three data sets with 2, 10, and 1000 samples each.

```
set1 = random(pd,2,1);  
set2 = random(pd,10,1);  
set3 = random(pd,1000,1);
```

Problem 5.

Use `histogram` to plot a histogram for the data set with 1000 samples. Overlay this histogram with the pdf (Use `linspace` and `pdf`).

```
histogram(set3, 'Normalization', 'pdf'); hold on;  
x=linspace(0,1000);  
y = pdf(pd,x);  
plot(x,y, 'r'); hold off;
```



Problem 6.

Now use `random` to generate three matrices of samples; one 2×1000 , another 10×1000 , and another 1000×1000 .

```
set4 = random(pd,2,1000);  
set5 = random(pd,10,1000);  
set6 = random(pd,1000,1000);
```

Problem 7.

Compute the sample means. You will get three arrays of size 1×1000 corresponding to averages of samples of size 2, 10, and 1000.

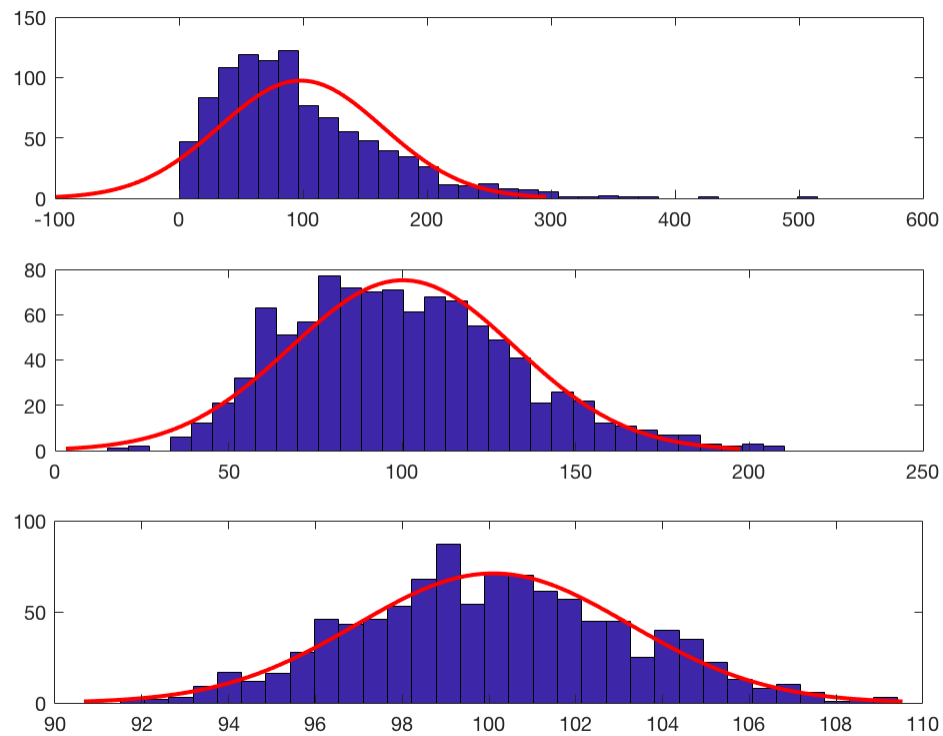
```
m4=mean(set4);  
m5=mean(set5);  
m6=mean(set6);
```

Problem 8.

Plot histograms of each of these arrays of sample means. Overlay the histograms with a Gaussian fit. Hint: `histfit`.

```
subplot(3,1,1);  
histfit(m4);
```

```
subplot(3,1,2);  
histfit(m5);  
subplot(3,1,3);  
histfit(m6)
```



Problem 9.

How does this result relate to the Central Limit Theorem? Theory: Anything that results from the sum of a large number of similar and independent random effects is likely to be normally distributed. The histfit in Problem 8 looks like normally distributed which fits the Central Limit Theorem.

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