# 인공지능프로그래밍

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https://github.com/ggorr/Machine-Learning/tree/master/Python

## Matrix

[1. 2.]

float64

(2,)

```
import numpy as np
# vector
x = np.array([1.0, 2.0])
print(x)
print(x.shape)
print(x.dtype)
y = np.array([-1.0, 3.0])
a = x + y
b = 3 * x
c = x * y
d = x / y
e = x ** 2
f = np.sin(x)
g = np.exp(x)
```

```
X = np.array([[1, 2, 3], [4, 5, 6]], 'float32')
print(X)
print(X.shape)
print(X.dtype)
Y = np.array([[-1.0, -2, -3], [7, 8, 9]])
A, B, C, D = X + Y, 3 * X, X * Y, X / Y
E = X ** 2
F, G = np.sin(X), np.exp(X)
# transpose(전치행렬)
Z = A.T
# matrix multiplication(행렬 곱셈)
print(np.matmul(x, X))
print(np.matmul(X, Z))
from numpy.linalg import inv, det
X = np.array([[1., 2.], [3., 4.]])
# determinant(행렬식)
print(det(X))
# inverse matrix(역행렬)
print(inv(X))
```

```
float64
[[1. 2. 3.]
[4. 5. 6.]]
(2, 3)
float32
```

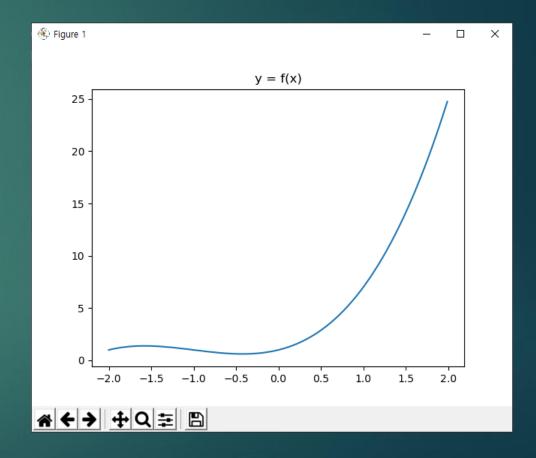
```
[ 9. 12. 15.]
[[ 0. 82.]
[ 0. 199.]]
```

```
-2.00000000000000004
[[-2. 1.]
```

[ 1.5 -0.5]]

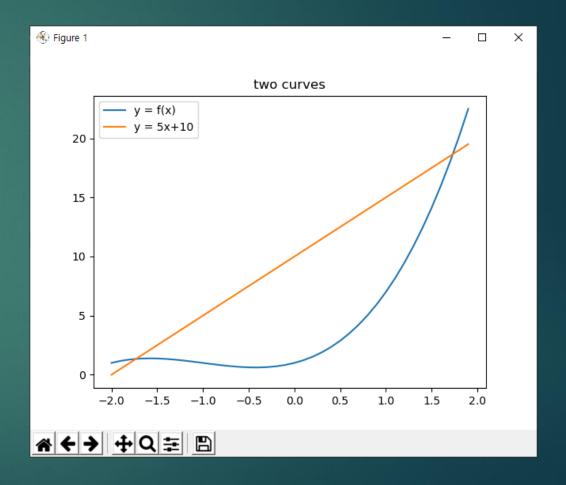
#### Plot2D

```
import numpy as np
import matplotlib.pyplot as plt
def f(x):
    return 1.0 + 2*x+3*x**2+x**3
x = np.arange(-2, 2, 0.1)
# print(x.shape)
y=f(x)
plt.plot(x, y)
plt.title('y = f(x)')
plt.show()
```



## Plot2D

```
import numpy as np
import matplotlib.pyplot as plt
def f(x):
    return 1.0 + 2 * x + 3 * x ** 2 + x ** 3
x = np.arange(-2, 2, 0.1)
# print(x.shape)
y = f(x)
plt.plot(x, y, label='y = f(x)')
plt.plot(x, 5 * x + 10, label='y = 5x + 10')
plt.title('two curves')
plt.legend()
plt.show()
```



#### Plot2D

web search "matplotlib.pyplot.plot"



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#### matplotlib.pyplot.plot

matplotlib.pyplot.plot(#\*args, scalex=True, scaley=True, data=None, #\*#\*kwargs)

Plot y versus x as lines and/or markers.

Call signatures:

```
plot([x], y, [fmt], *, data=None, **kwargs)
plot([x], y, [fmt], [x2], y2, [fmt2], ..., **kwargs)
```

The coordinates of the points or line nodes are given by x, y.

The optional parameter *fmt* is a convenient way for defining basic formatting like color, marker described in the *Notes* section below.

```
>>> plot(x, y)  # plot x and y using default line style and color
>>> plot(x, y, 'bo')  # plot x and y using blue circle markers
>>> plot(y)  # plot y using x as index array 0..N-1
>>> plot(y, 'r+')  # ditto, but with red plusses
```

# Advertising

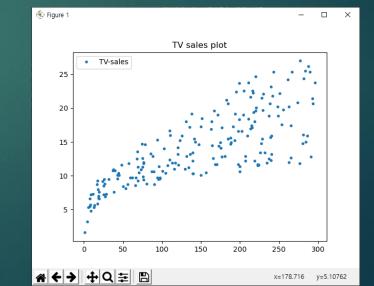
```
import numpy as np
# faculty.marshall.usc.edu/gareth-james/ISL/data.html
# Advertising.csv
f = open('data/Advertising.csv', 'r')
line = f.readline() #.strip()
header = line.split(',')
line = f.readline()
data = []
while len(line) > 0:
    row = [float(s) for s in line.split(',')]
    data.append(row)
    line = f.readline()
f.close()
```

(200, 5)

['', 'TV', 'radio', 'newspaper', 'sales\n']

```
data = np.array(data)
print(header)
print(data.shape)

import matplotlib.pyplot as plt
plt.plot(data[:, 1], data[:, 4], '.', label='TV-sales')
plt.title('TV sales plot')
plt.legend()
plt.show()
```

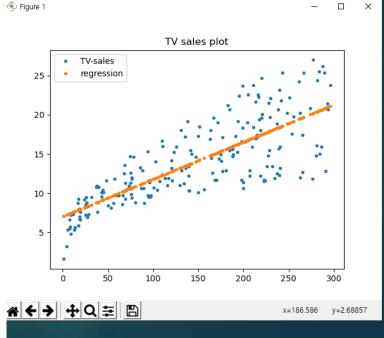


# Advertising - Regression

- predictor: TV
- response: sales

```
ones = np.ones((data.shape[0], 1))
X = np.concatenate((ones, data[:,1:2]), axis=1)
y = data[:, 4:]
A = np.matmul(X.T, X) # X^T X
A = np.linalg.inv(A) # (X^T X)^-1
A = np.matmul(A, X.T) # (X^T X)^{-1} X^T
beta = np.matmul(A, y) # (X^T X)^{-1} X^T y
print(beta)
plt.plot(data[:, 1], data[:, 4], '.', label='TV-sales')
plt.plot(data[:, 1], beta[0]+beta[1]*data[:,1], '.', label='regression')
plt.title('TV sales plot')
plt.legend()
plt.show()
```

[[7.03259355] [0.04753664]]



- ▶ 연습문제 1. linear regression predictors: radio response: sales
- ▶ 연습문제 2. linear regression predictors: TV, radio response: sales
- P 연습문제 3. polynomial regression and plot predictors: TV, TV<sup>2</sup> response: sales plot: regression curve

# Using pandas

```
import pandas as pd
data = pd.read_csv('data/Advertising.csv')
print(data.keys())

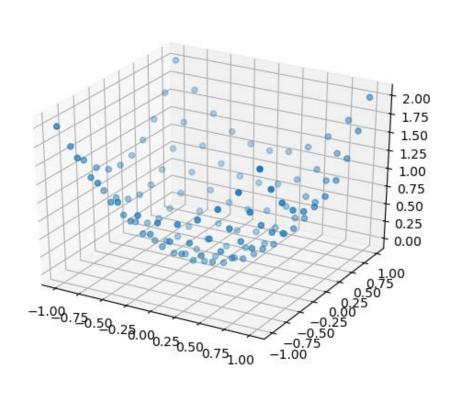
# TV
a = data.TV.values
print(a.shape)
ones = np.ones((a.shape[0], 1))
X = np.concatenate((ones, a.reshape(a.shape[0], 1)), axis=1)
print(X.shape)
```

# Scatter

```
import numpy as np
import matplotlib.pyplot as plt

X = np.linspace(-1, 1, 11)
Y = np.linspace(-1, 1, 11)
X, Y = np.meshgrid(X, Y)
Z = X ** 2 + Y ** 2

fig = plt.figure()
ax = fig.gca(projection='3d')
ax.scatter(X, Y, Z)
plt.show()
```



# numpy.meshgrid

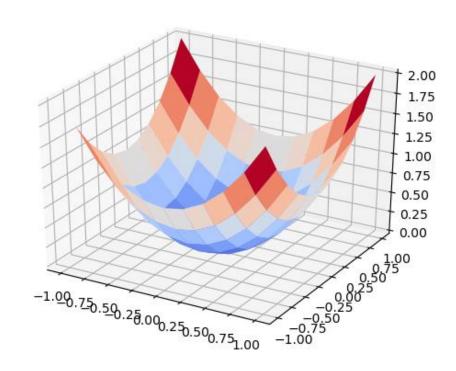
```
X = np.linspace(-1, 1, 5)
Y = np.linspace(-1, 1, 3)
X, Y = np.meshgrid(X, Y)
Z = X ** 2 + Y ** 2
print(X)
print(Y)
```

-0.5	0.	0.5	1.	]
-0.5	0.	0.5	1.	]
-0.5	0.	0.5	1.	]]
-11	1.	-1.]		
0. 0	0. 0.	0.]		
1. 1	. 1.	1.]	]	
	-0.5 -0.5 -11 0. 0	-0.5 0. -0.5 0. -111. 0. 0. 0.	-0.5 0. 0.5 -0.5 0. 0.5 -1111.] 0. 0. 0. 0.]	-

(-1, -1)	(-0.5, -1)	(0, -1)	(0.5, -1)	(1, -1)
(-1, 0)	(-0.5, 0)	(0, 0)	(0.5, 0)	(1, 0)
(-1, 1)	(-0.5, 1)	(0, 1)	(0.5, 1)	(1, 1)

#### Plot3D

```
import numpy as np
import matplotlib.pyplot as plt
from matplotlib import cm
X = np.linspace(-1, 1, 11)
Y = np.linspace(-1, 1, 11)
X, Y = np.meshgrid(X, Y)
Z = X ** 2 + Y ** 2
fig = plt.figure()
ax = fig.gca(projection='3d')
ax.plot_surface(X, Y, Z, cmap=cm.coolwarm)
plt.show()
```

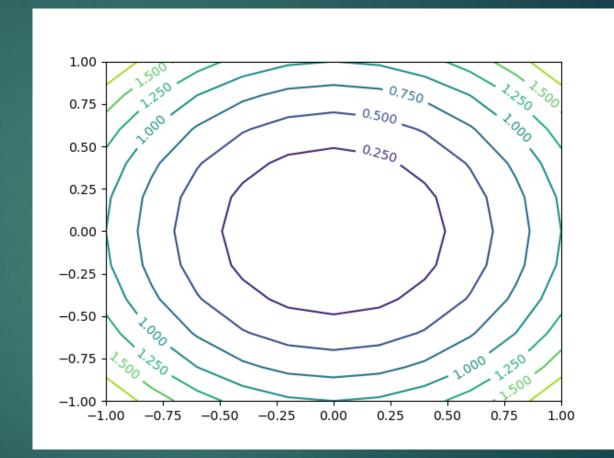


# Contour

```
import numpy as np
import matplotlib.pyplot as plt

X = np.linspace(-1, 1, 11)
Y = np.linspace(-1, 1, 11)
X, Y = np.meshgrid(X, Y)
Z = X ** 2 + Y ** 2

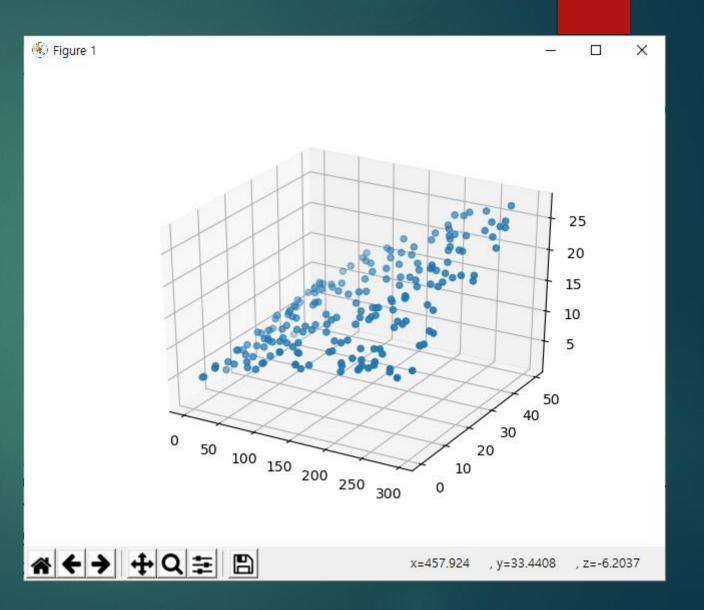
fig = plt.figure()
cs = plt.contour(X, Y, Z)
cs.clabel()
plt.show()
```



#### scatter

```
# TV, radio, sales
import pandas as pd

data = pd.read_csv('data/Advertising.csv')
fig = plt.figure()
ax = fig.add_subplot(projection='3d')
x = data.TV.values
y = data.radio.values
z = data.sales.values
ax.scatter(x, y, z)
plt.show()
```



▶ 연습문제 4. plot z = xy

▶ 연습문제 5. linear regression and 3D plot predictors: TV, radio response: sales plot – surface(plane) and scatter