Estimating Whether Peoples' Typing Dynamics Change Over Time

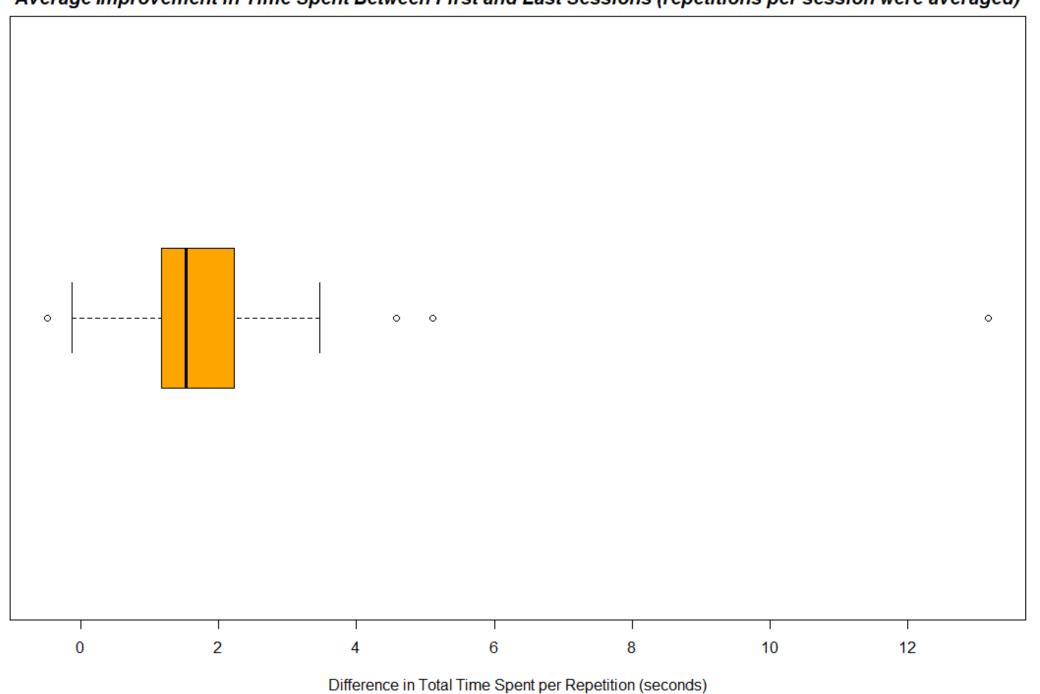
- Analysis by Gavin Gunawardena
- Utilizing a dataset from Estimating Whether People's Typing Dynamics Change Over Time by Carnegie Melon University School of Computer Science

Objective

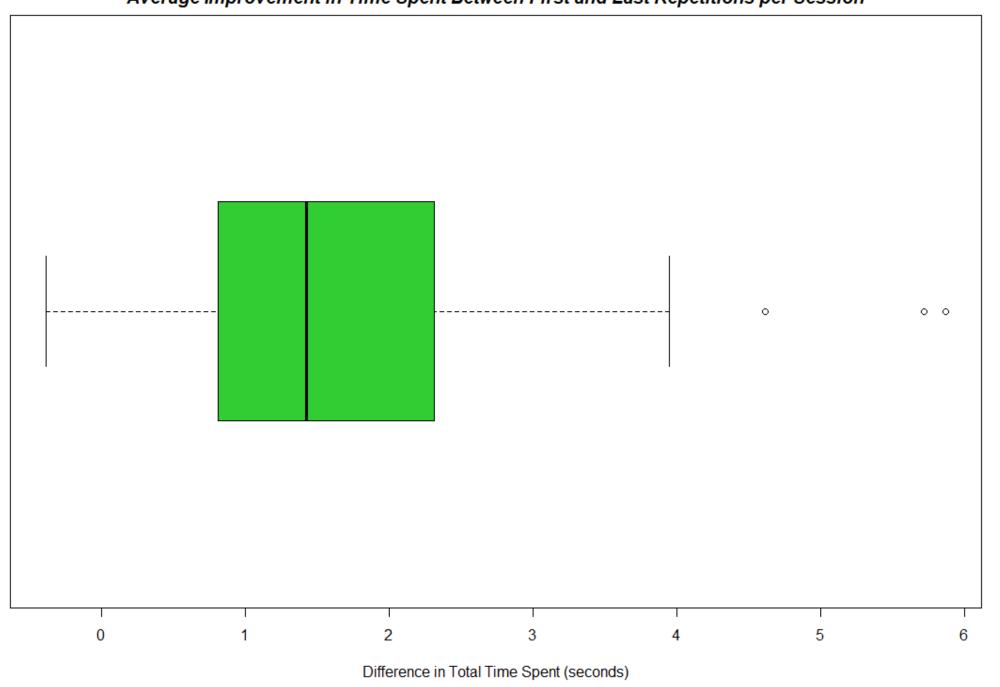
- Attempt to reject the null hypothesis
 - Null Hypothesis: A person's typing dynamics change over time, short term and long term.
- The dataset includes:
 - ▶ 51 subjects attempting to type the password: \(.tie5Roanl\)
 - ► Each subject must type the password 50 times per day, consecutively
 - ▶ This is done in 8 consecutive sessions occurring a day from each other
 - > 31 fields for actions required to type the password and the time that the subject takes to complete the action
- Response Variable:
 - Time taken to type the password
- Assumptions on dataset
 - Cleaned
 - Verified of any typos and entry errors

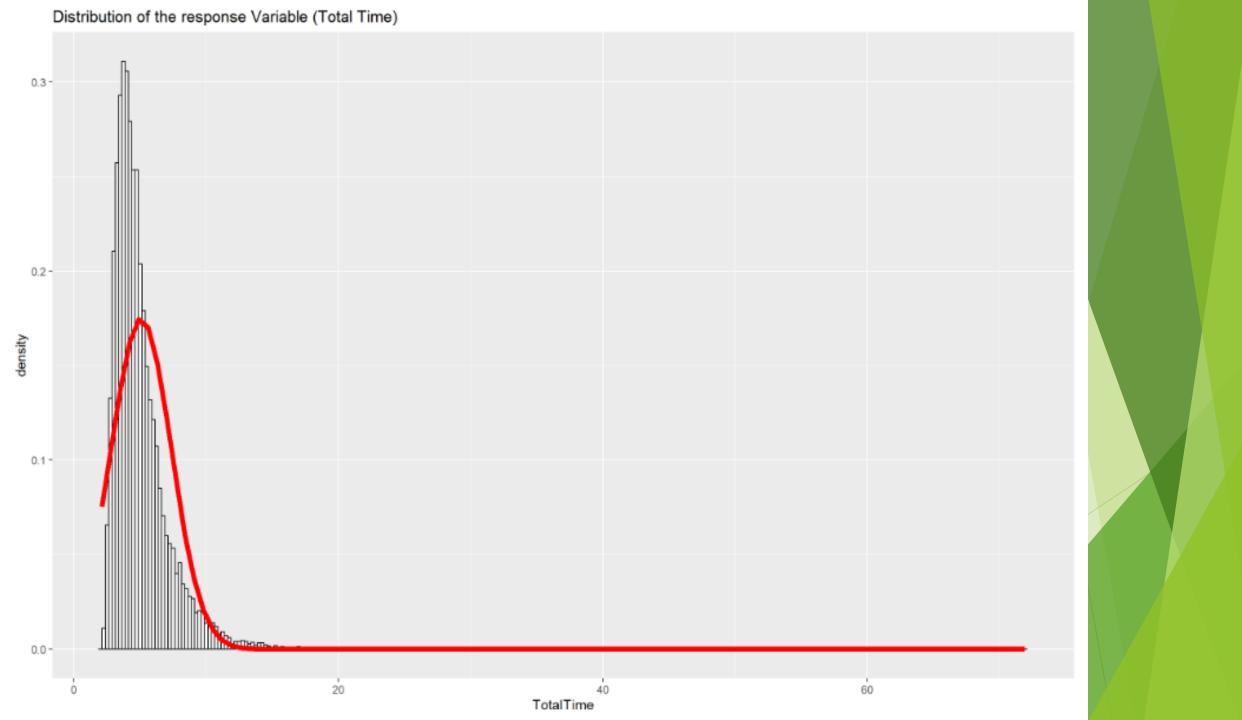
Exploratory Analysis Part 1

- Here I manipulated the dataset in order to create some visualizations of it and obtain insights of what I might expect from my statistical analysis. These were used to get an idea on:
 - Average improvement time on password typing speed between first and last sessions
 - Average improvement time on password typing speed between first and last repetitions within a session
 - ► The distribution of the response variable
- In order to conduct further analysis, I combined the values of the action columns for typing the password to create the column: TotalTime, which will be the response variable



Average Improvement in Time Spent Between First and Last Repetitions per Session





Exploratory Analysis Results Part 1

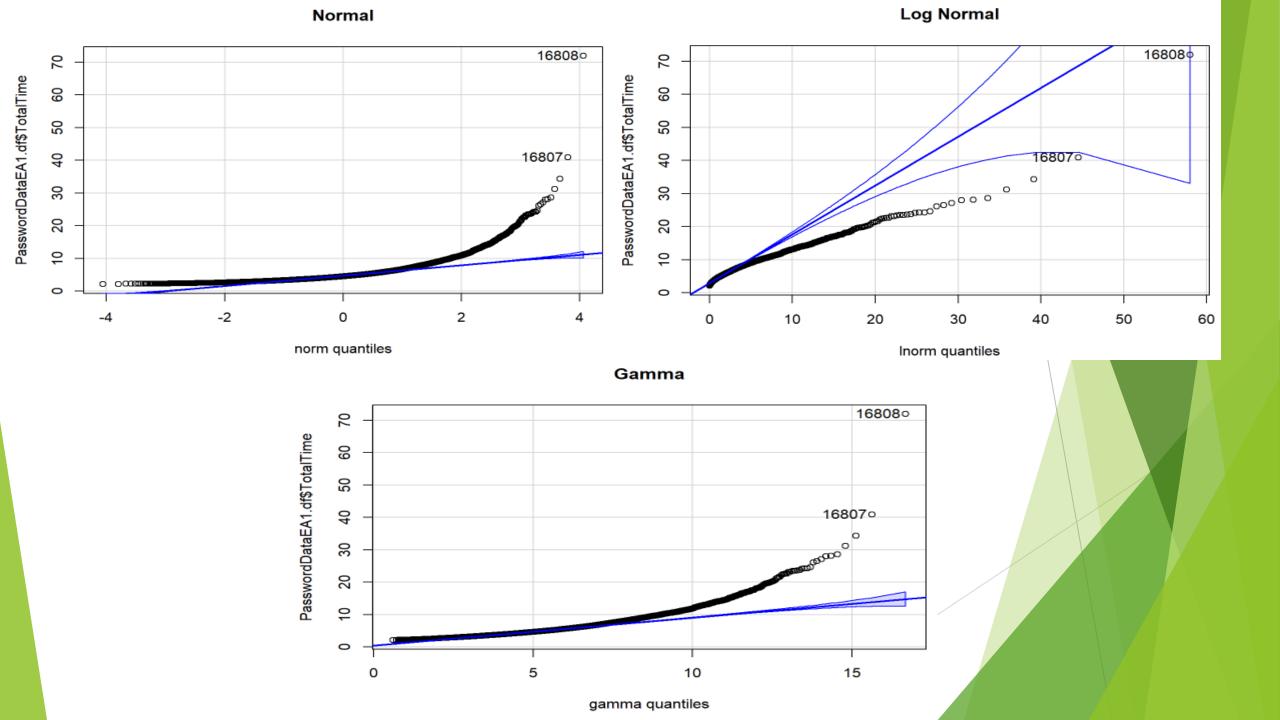
- People do seem to improve in password typing speed as they repeatedly type the password
 - ► This seems to be more prominent between sessions than between repetitions
- ► The response variable, total time to type the password, is not a normal distribution and is heavily skewed to the right
 - ► To preserve the dataset as to not accidentally tamper with results, for this project I've decided to utilize Mixed Effects Models with Penalized Quasi-likelihood to model the data due to its flexibility with abnormal datasets
 - ► Otherwise I would have to transform the response variable to a normal distribution in order to make use of more common methods such as REML and Maximum Likelihood

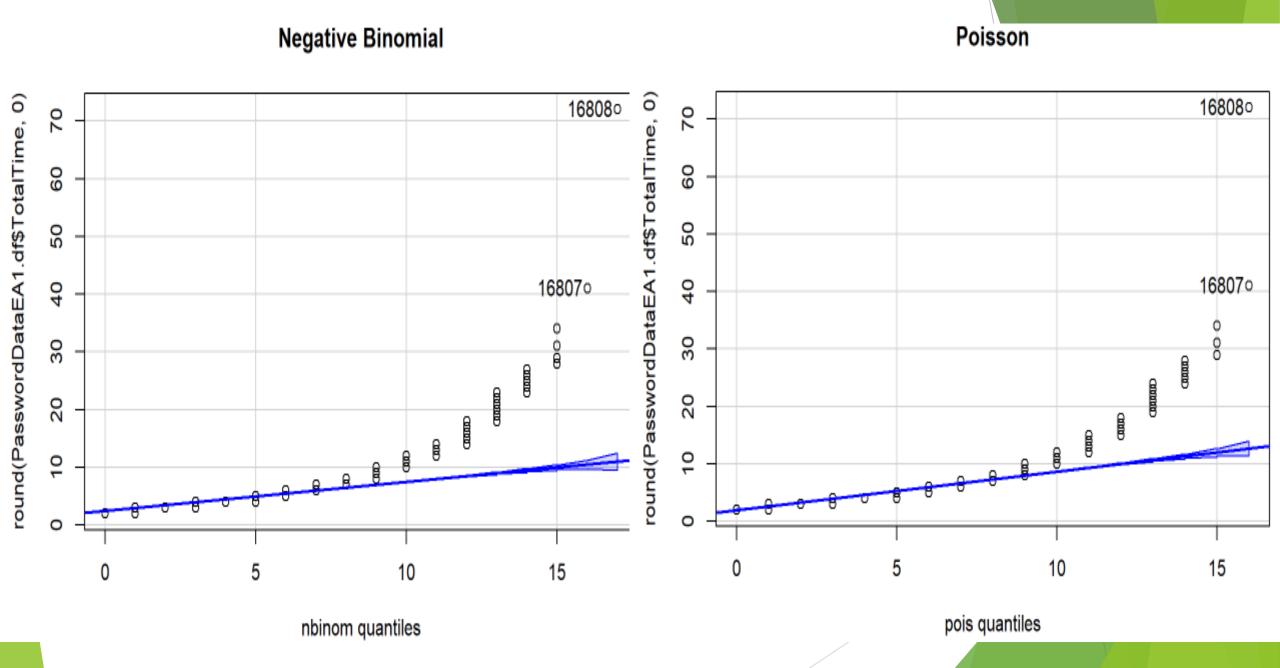
Exploratory Analysis Results Part 1

- Explanation of models and techniques that will be used
 - Random Intercept Model
 - Random Intercept and Slope Model
 - Penalized Quasilikelihood

Exploratory Analysis Part 2

- ► Here I used visualizations via quantile comparison plots to find what distributions best fit the data, as this will be needed in order to pursue my plan of modeling the data with Penalized Quasi-likelihood
- I Tested between:
 - Normal
 - Log Normal
 - Gamma
 - ► Negative Binomial
 - Poisson





Exploratory Analysis Results Part 2

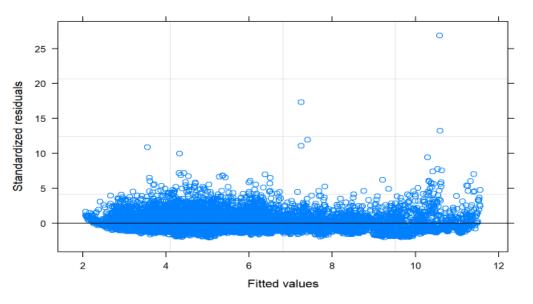
- Negative Binomial, Poisson, and Gamma distributions seem to best fit the response variable
 - ▶ I've decided to continue forward with Gamma as although it is comparable to Negative Binomial and Poisson in its data fit, it does not require that the data be discrete values and is compatible with continuous values which the response variable is made up of.

Statistical Analysis

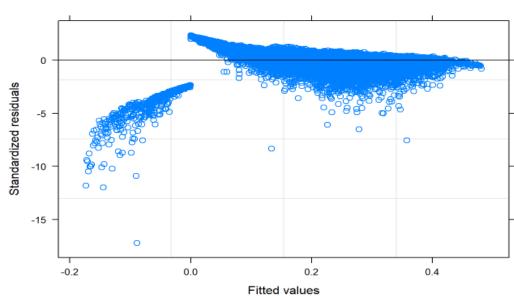
- Here I utilized the glmmPQL function from the LME4 library in R to run a mixed model analysis on the dataset with Penalized Quasi-likelihood
 - Model: Gamma
 - Model Types:
 - ► Random Intercept
 - Random Intercept and Slope
 - Link functions:
 - Identity
 - Inverse
 - Response Variable:
 - ▶ TotalTime represents total time spent to type the password
 - Fixed effects variables:
 - SessionIndex represents session number
 - ▶ Rep represents repetition number
 - Random effects variable:
 - ▶ Subject represents the individual person typing the password

Residuals Charts

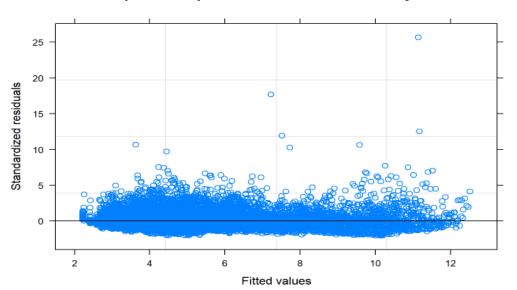




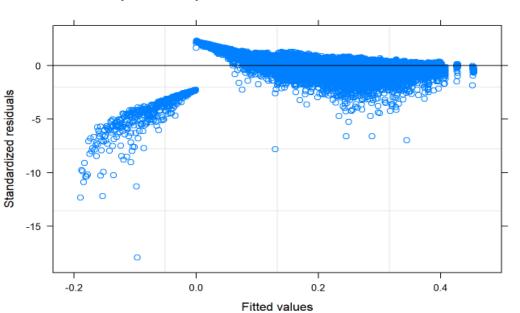
Random Intercept - Gamma Dist with Inverse Link Function



Random Intercept and Slope - Gamma Dist with Identity Link Function



Random Intercept and Slope - Gamma Dist with Inverse Link Function



Statistical Analysis Results

	fixed.effect ϕ	random.effect 崇	family ϕ	fixed.vars 🔷	value 💠	std.error 🍦	t_value 🏺	p_value 🏺
1	TotalTime ~ sessionIndex + rep	1 subject	Gamma(link=identity)	sessionIndex / rep	-0.186639 / -0.007104	0.00293549 / 0.00046170	63.58006 / -15.38636	0/0
2	TotalTime ~ sessionIndex + rep	1 subject	Gamma(link=inverse)	sessionIndex / rep	0.02501722 / 0.00130749	0.000200294 / 0.000011767	124.90233 / 111.11277	0/0
3	TotalTime ~ sessionIndex + rep	1+rep subject	Gamma(link=identity)	sessionIndex / rep	-0.186821 / -0.011385	0.00289161 / 0.00171970	-64.60783 / -6.62033	0/0
4	TotalTime ~ sessionIndex + rep	1+rep subject	Gamma(link=inverse)	sessionIndex / rep	0.02638535 / 0.00050069	0.000222314 / 0.000086832	118.68508 / 5.76625	0/0

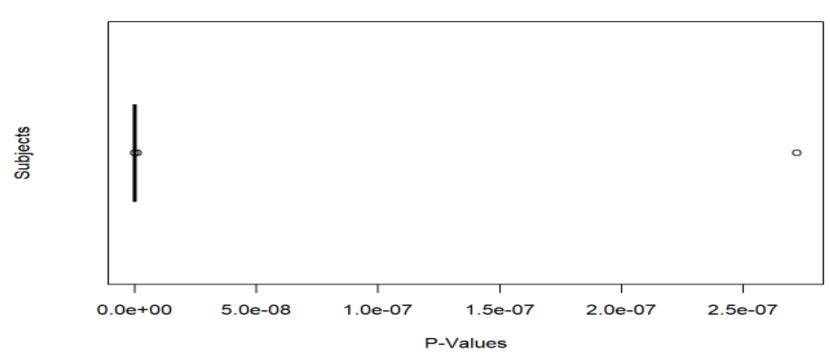
Note: *Green represents models that best fit the dataset

*Fit was measured via residuals charts shown in the previous slide as glmmPQL does
not output AIC, BIC, or Log likelihood values

Post-Hoc Analysis Part 1

- For the post-hoc analysis, I decided to confirm that the data is in fact not a normal distribution via a Shapiro-Wilkes test, as the technique used in the analysis is dependent on the dataset not being normally distributed, as otherwise, different techniques would have been superior.
 - ► This test has a limit on the number of values in can take in at 3500, so I ran this for each subject and outputted a box plot of the results which showed that none of the subjects had normally distributed total times.:

Shapiro Test for Normality by Subject



Post-Hoc Analysis Part 2

- ► Here I tested for an interaction between the two fixed variables by changing the model to include sessionIndex * rep as a fixed effect as shown here:
 - TotalTime ~ sessionIndex*rep + sessionIndex +rep + (1 | subject)
- Results (below) were that there is an interaction between sessionIndex and rep but it has a very small effect on the response variable compared to that of sessionIndex and rep individually

	fixed.effect	random.effect 🖣	family \$	fixed.vars 🝦	value 🍦	std.error 崇	t_value 🏺	p_value 🏺
1	TotalTime ~ sessionIndex*rep + sessionIndex + rep	1 subject	Gamma(link=identity)	sessionIndex	-0.268579	0.00602308	-44.59160	0
2	TotalTime ~ sessionIndex*rep + sessionIndex + rep	1 subject	Gamma(link=identity)	rep	-0.022724	0.00109991	-20.66014	0
3	TotalTime ~ sessionIndex*rep + sessionIndex + rep	1 subject	Gamma(link=identity)	sessionIndex:rep	0.003146	0.00020085	15.66136	0

Conclusion

- ► Time taken to type a password changes over time as one retypes it throughout the day and consecutive days
 - ▶ The change is by about -0.19 per session and -.01 per repetition
- The response variable, total time to type the password, was not normally distributed
- ► There is an interaction between session and repetition in regard to effect on the response variable, total time, but it is small compared to the individual effects of the variables

References

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