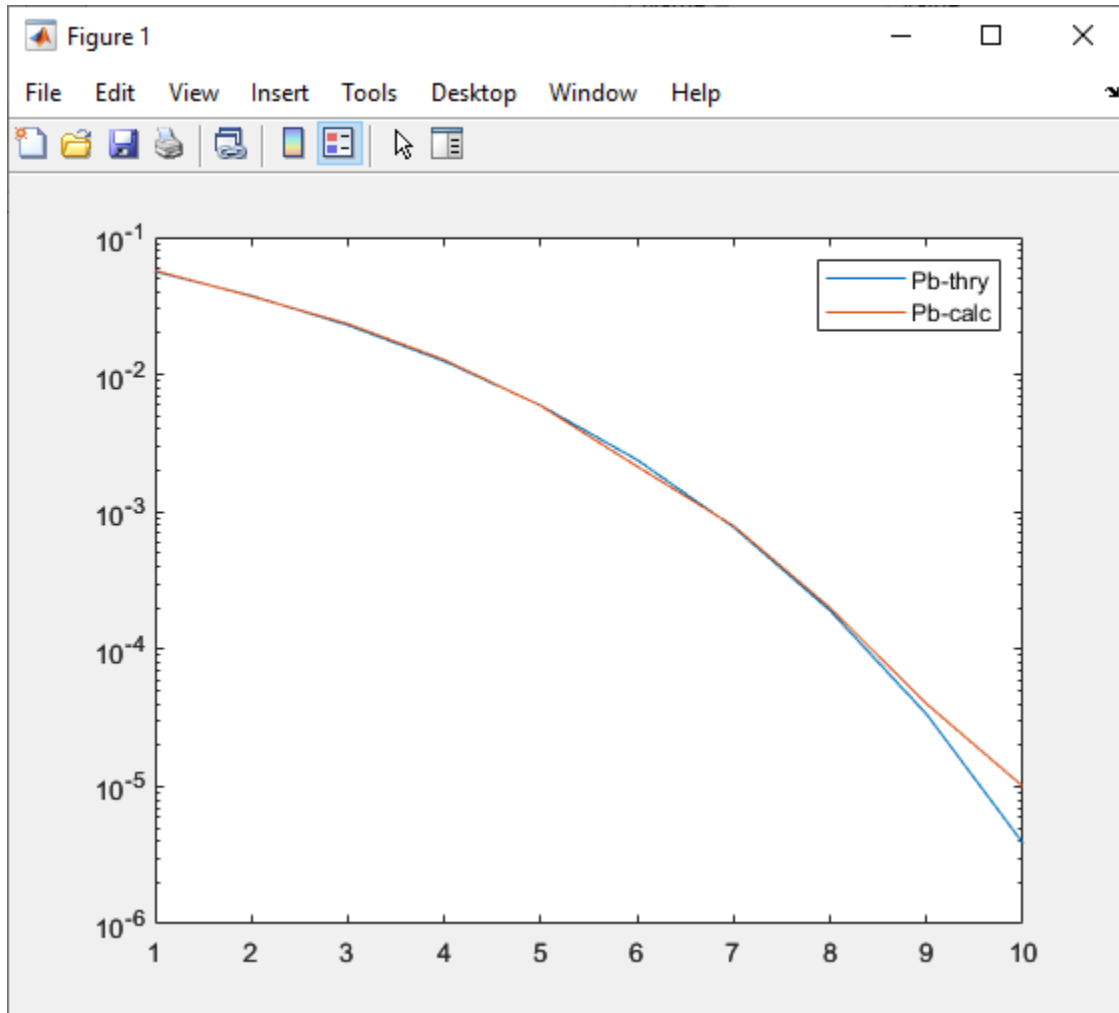


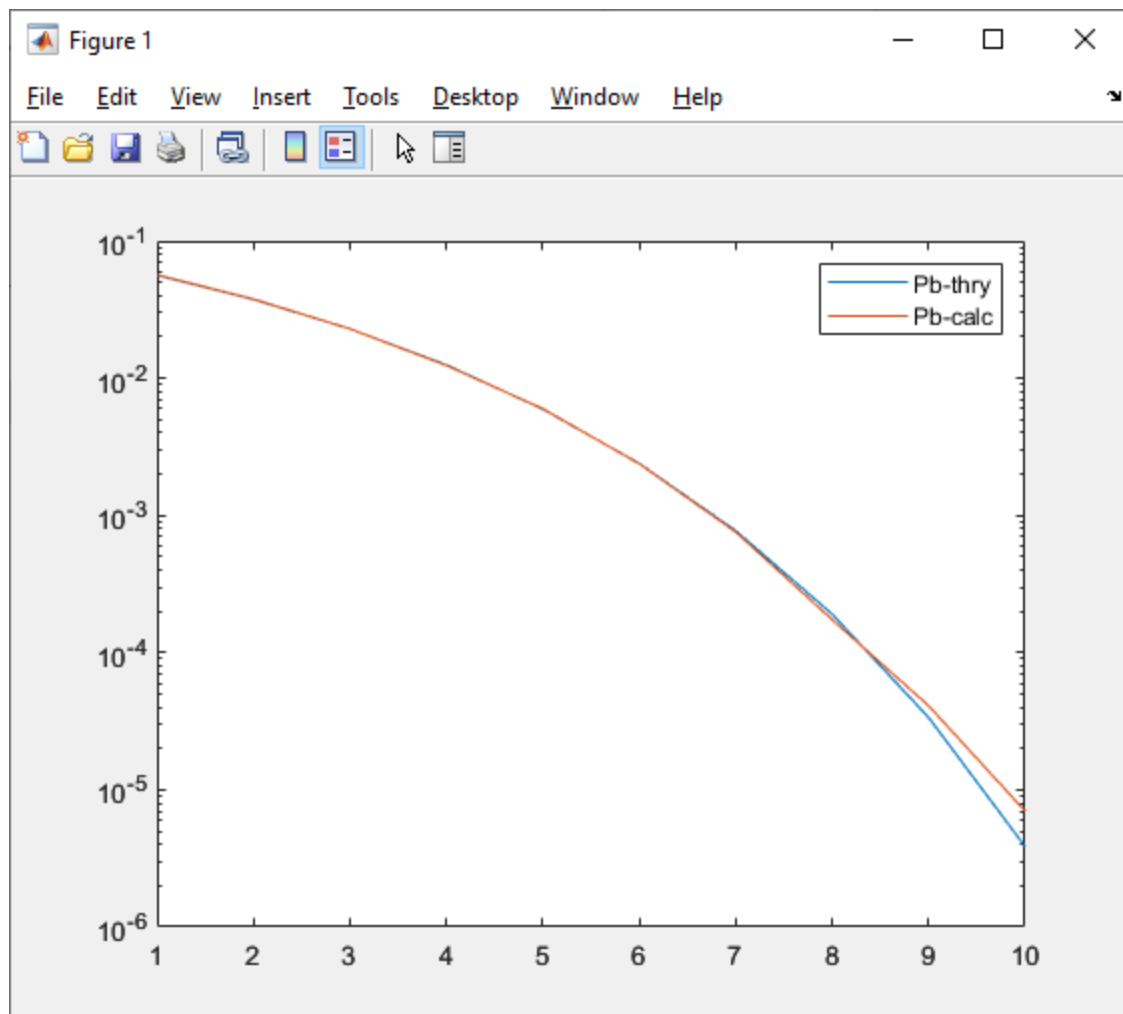
Lab 3

Part 1

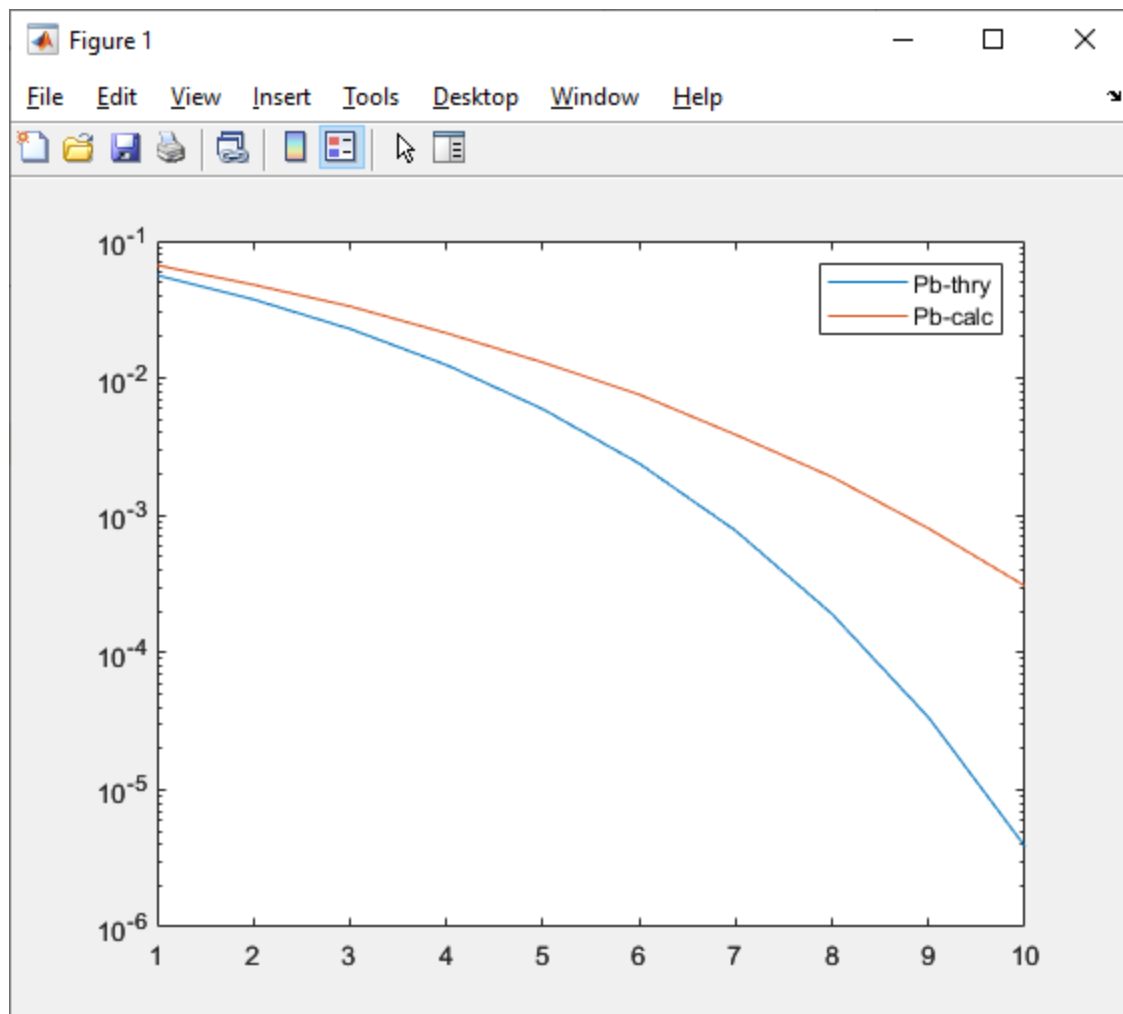
Step 2: Replace the rectangular pulse with a root raised cosine pulse, with a roll-off factor of $\beta=0.5$ and a truncated pulse duration of $L=128$ symbol periods.



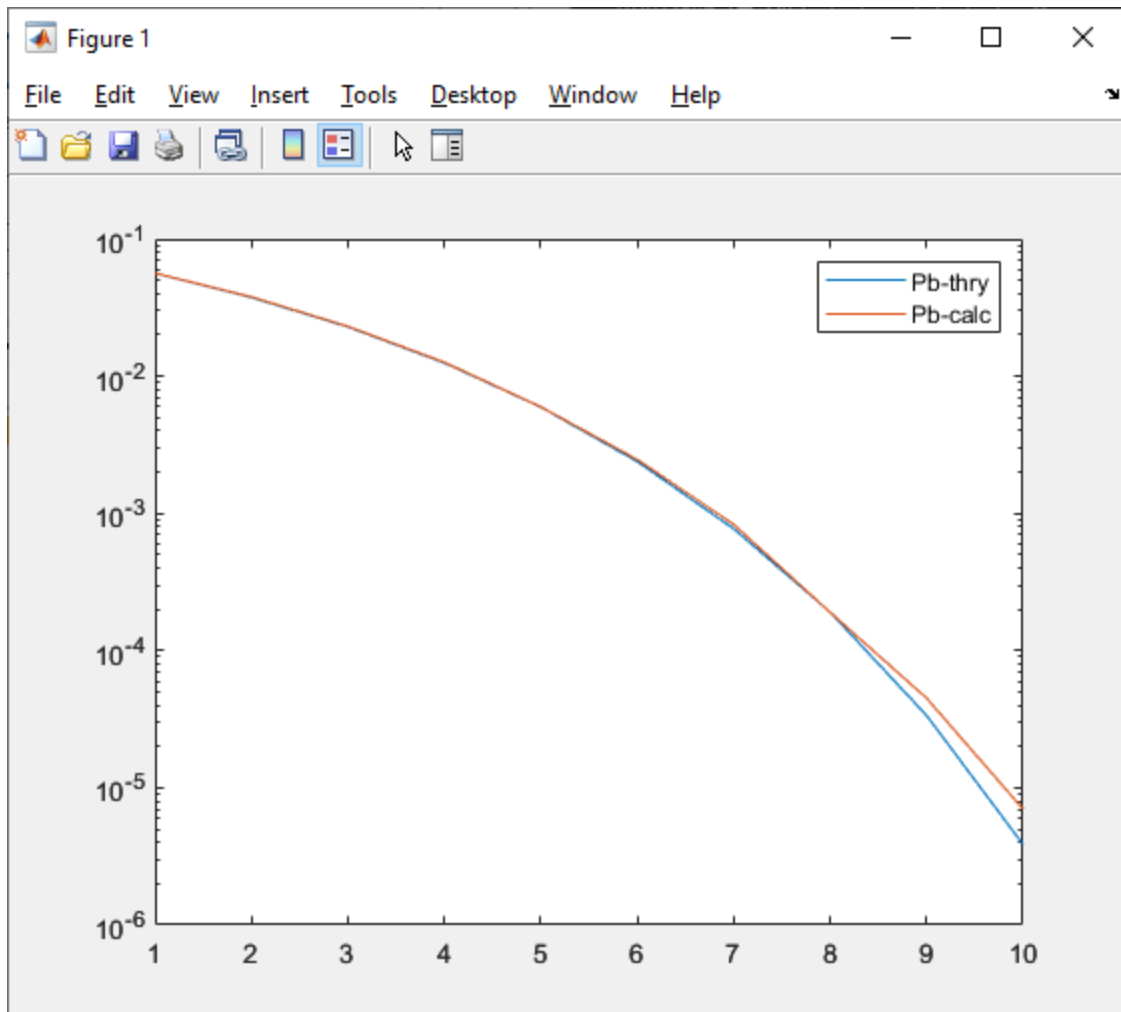
Step 3: Test the simulator in the presence of noise. Increase the message word length to $N_a=1000$ bits and simulate $N_f=1000$ message words. Use $\beta=0.5$, but reduce L to 4. For E_b/N_0 in the range of 0 dB to 10 dB with a step size of 1 dB, plot the BER vs. E_b/N_0 in a graph, along with the theoretical BER for when the channel is not band-limited. The theoretical and experimental bit error rates should be very similar.



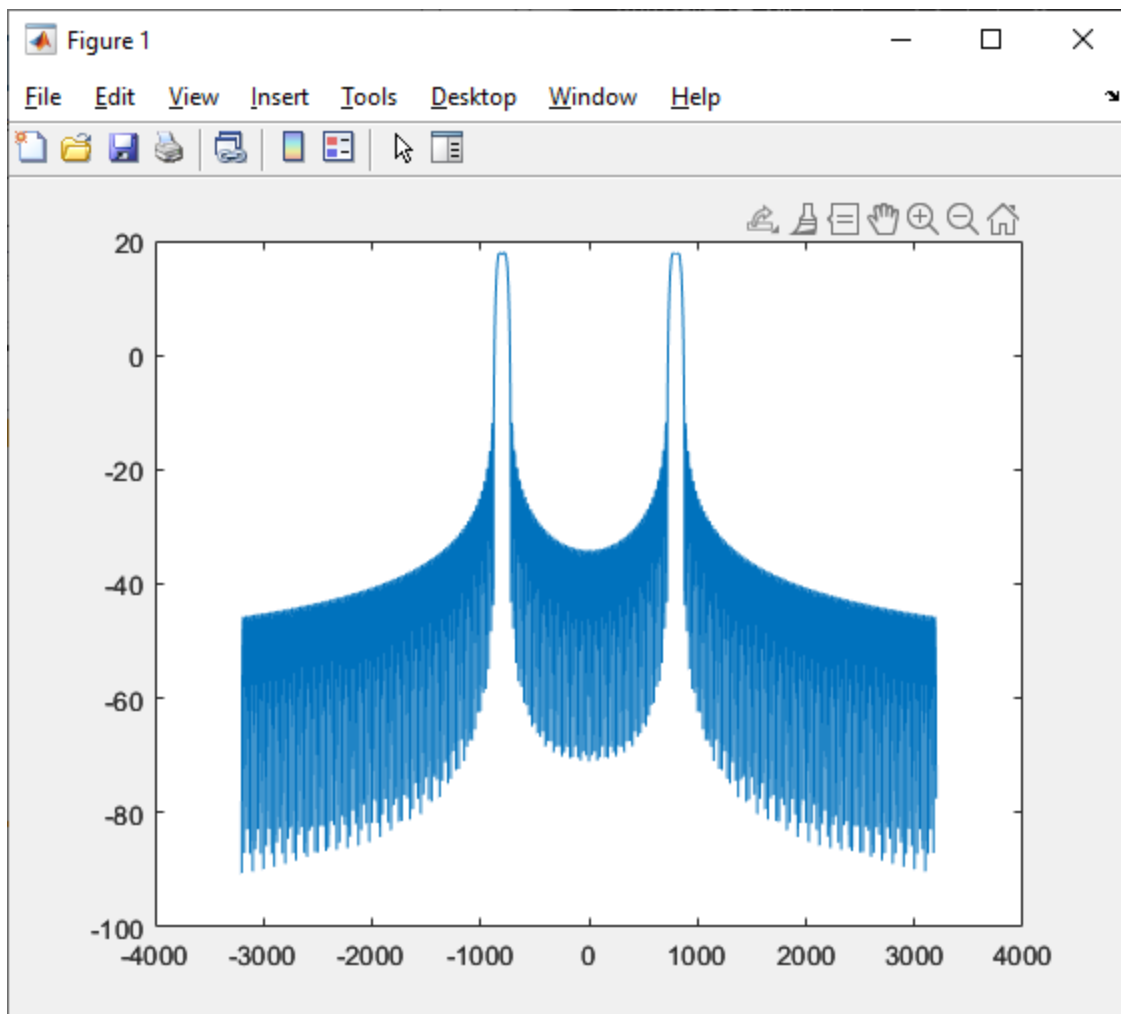
Next, rerun your simulation with $\beta=0.1$ and $L=4$. There should now be a big difference between the theoretical and experimental results.

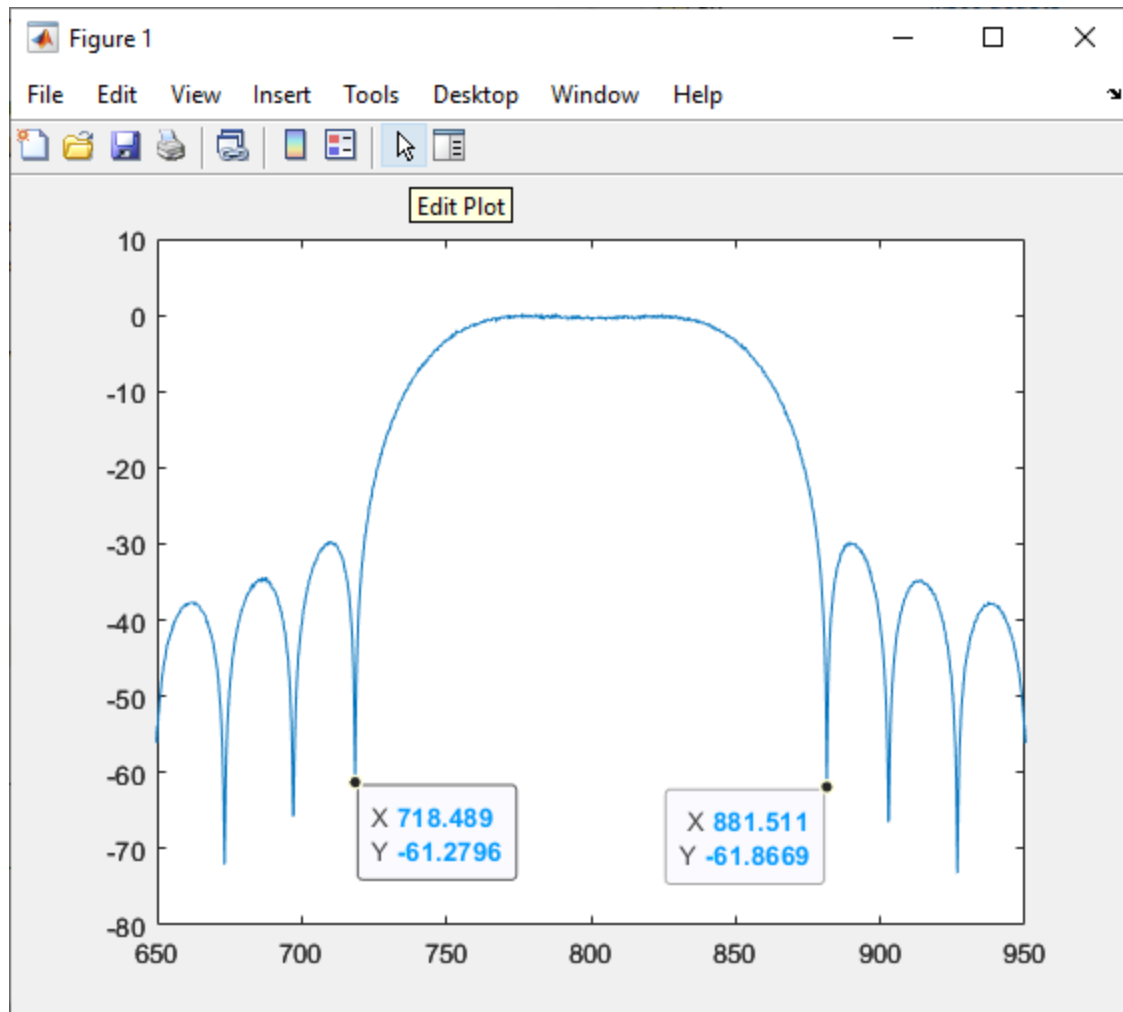


Rerun your simulation with $\beta=0.1$ and $L=16$. The theoretical and experimental results should now match closely.



Step 4: Using the techniques you learned in Lab #1, calculate and plot the power spectral density of the transmitted bandpass signal, $v_c(t)$. Use the following parameters: $N_a=1000$ bits, $T=0.01$ seconds, $\eta=64$ samples per symbol, and a carrier frequency of $f_c=800$ Hz. Use a root raised cosine filter with parameters $\beta=0.5$ and $L=4$. Use $N_f=1000$ frames to get smooth results.

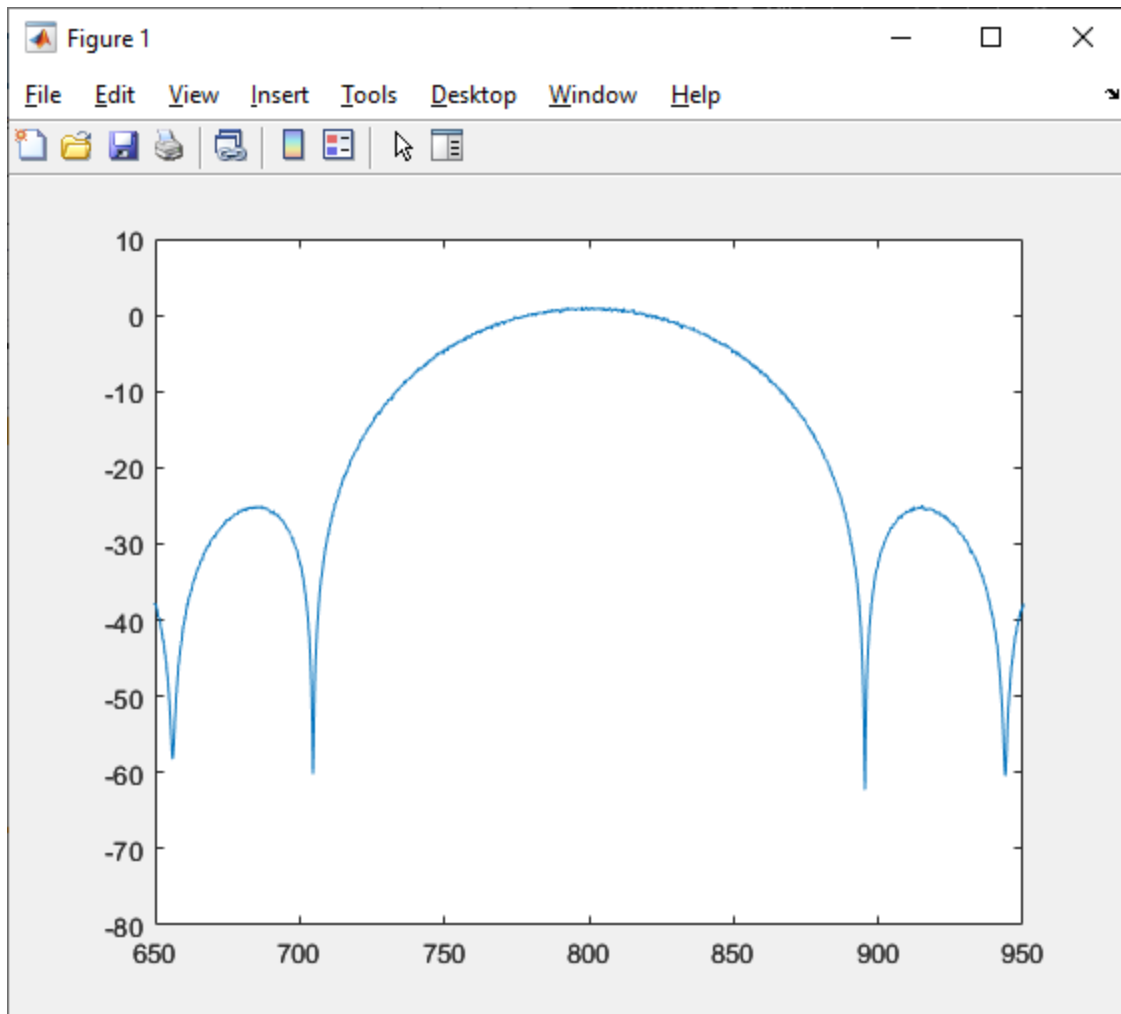




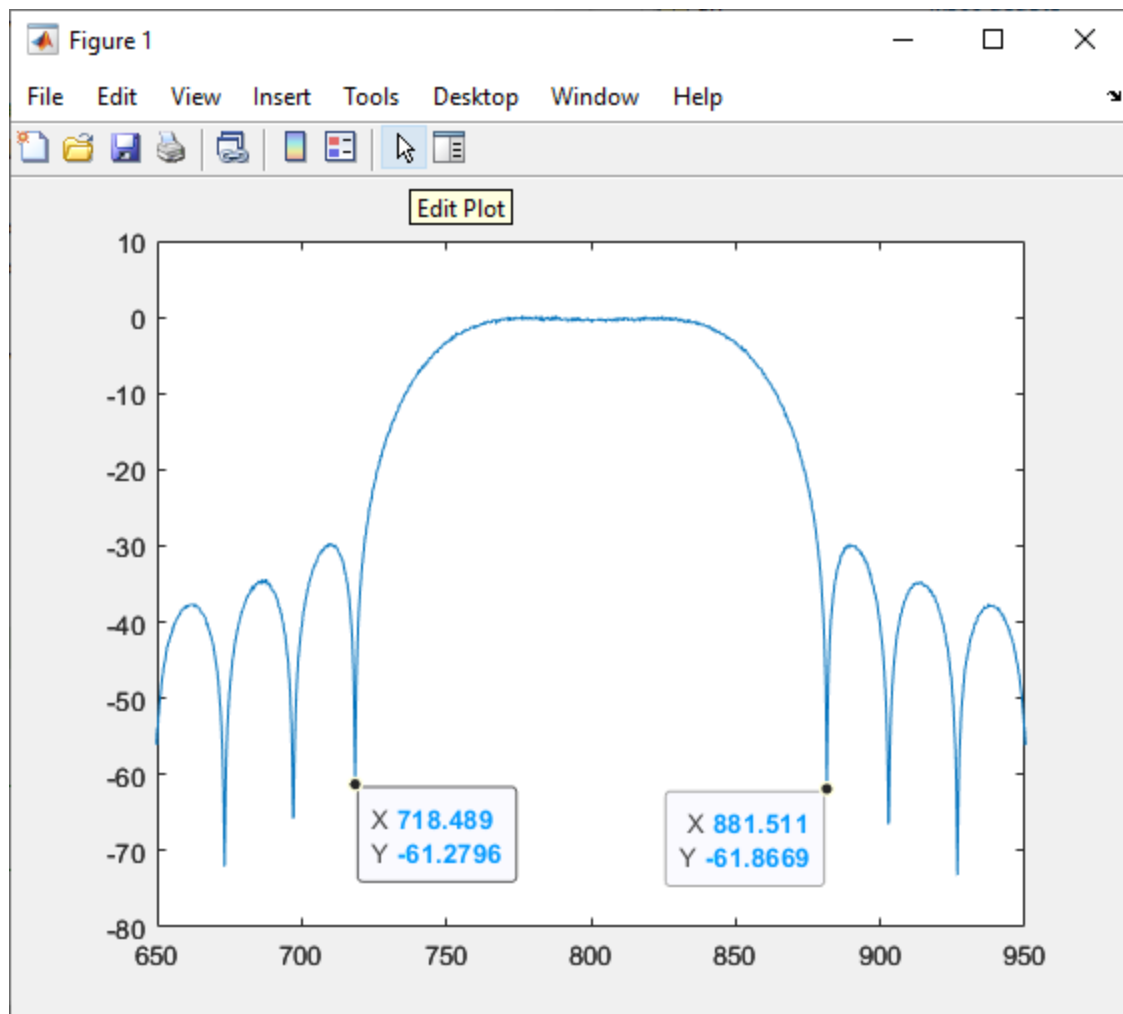
$$(1+\beta)/T = 1.5/0.001 = 150$$

$$881.511 - 718.489 = 163.022$$

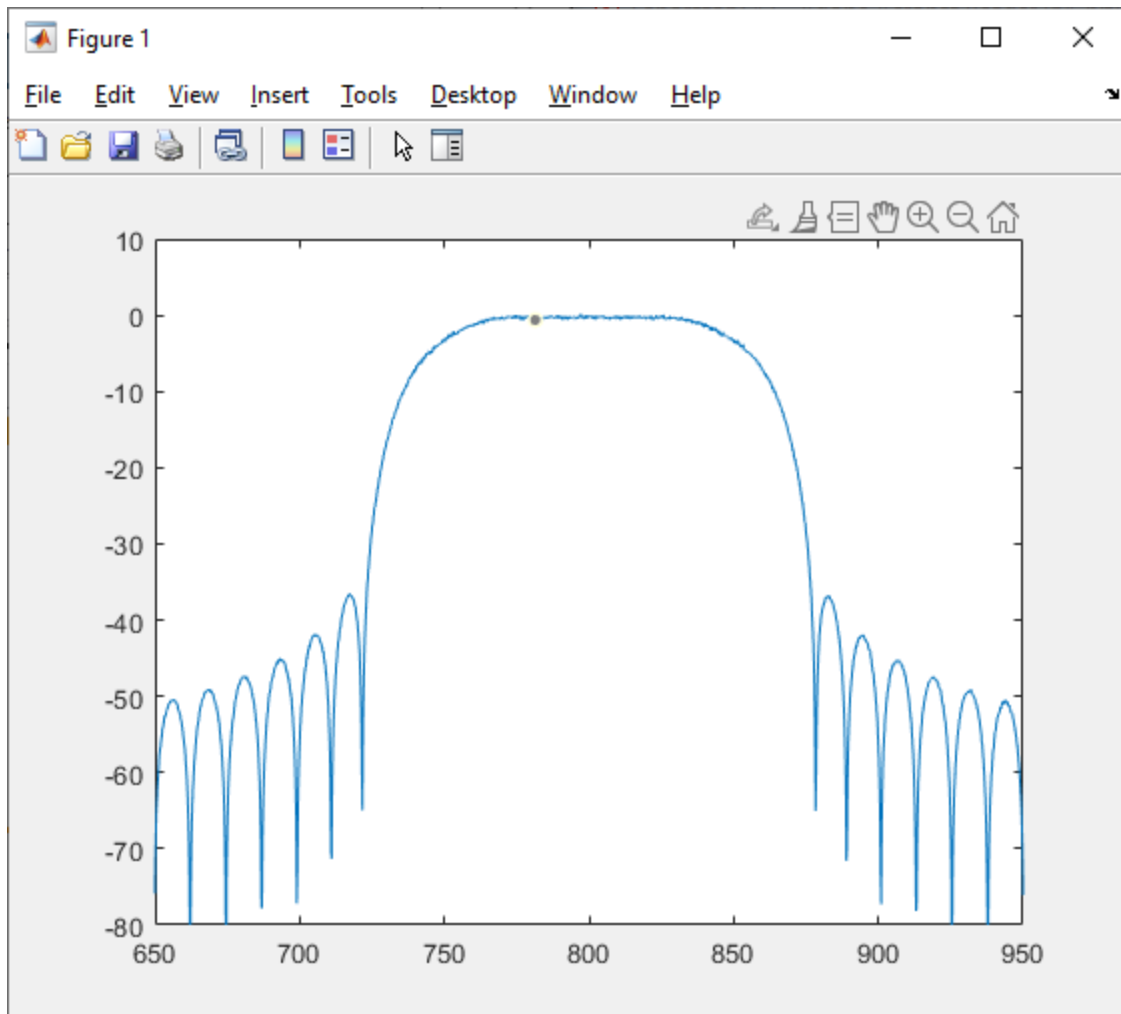
Try changing the parameters a bit to see their effects on the PSD. For $\beta=0.5$, try different values of L (e.g., with $L \in \{2, 4, 8, 32\}$, if possible plotting them all in the same graph). Observe that the sidelobes decrease with larger L , and the null-to-null bandwidth comes closer to $(1+\beta)/T$.



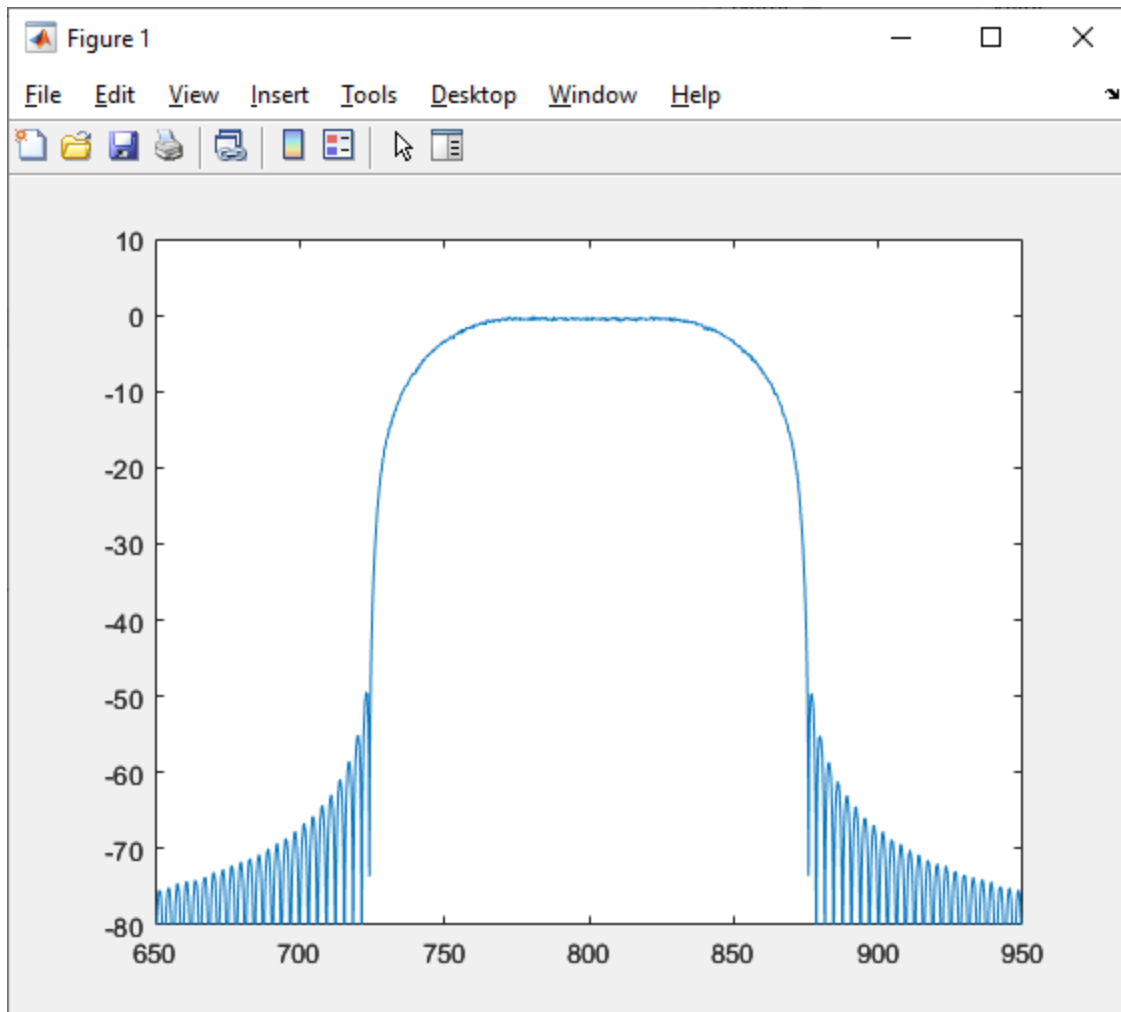
L = 2



L = 4

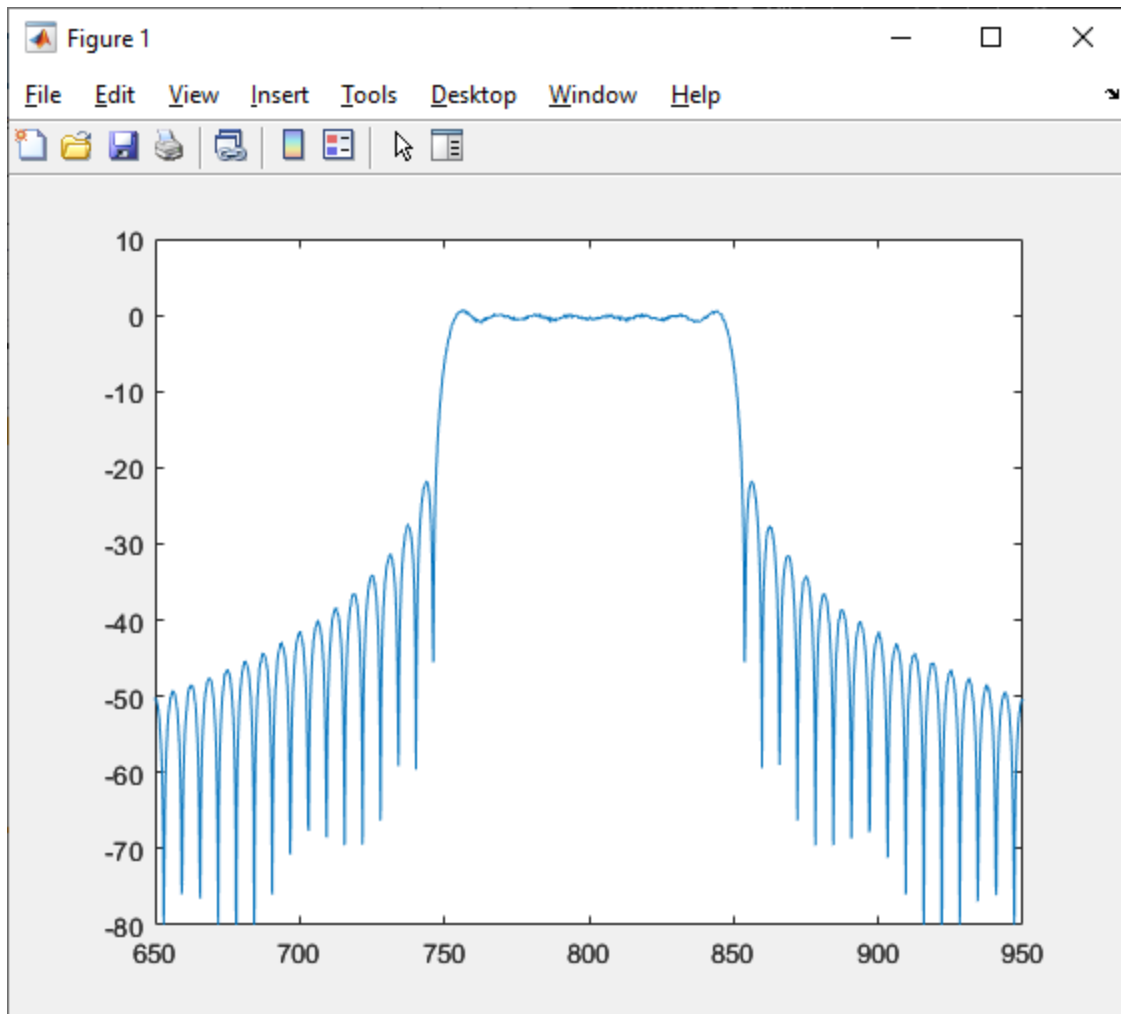


L = 6

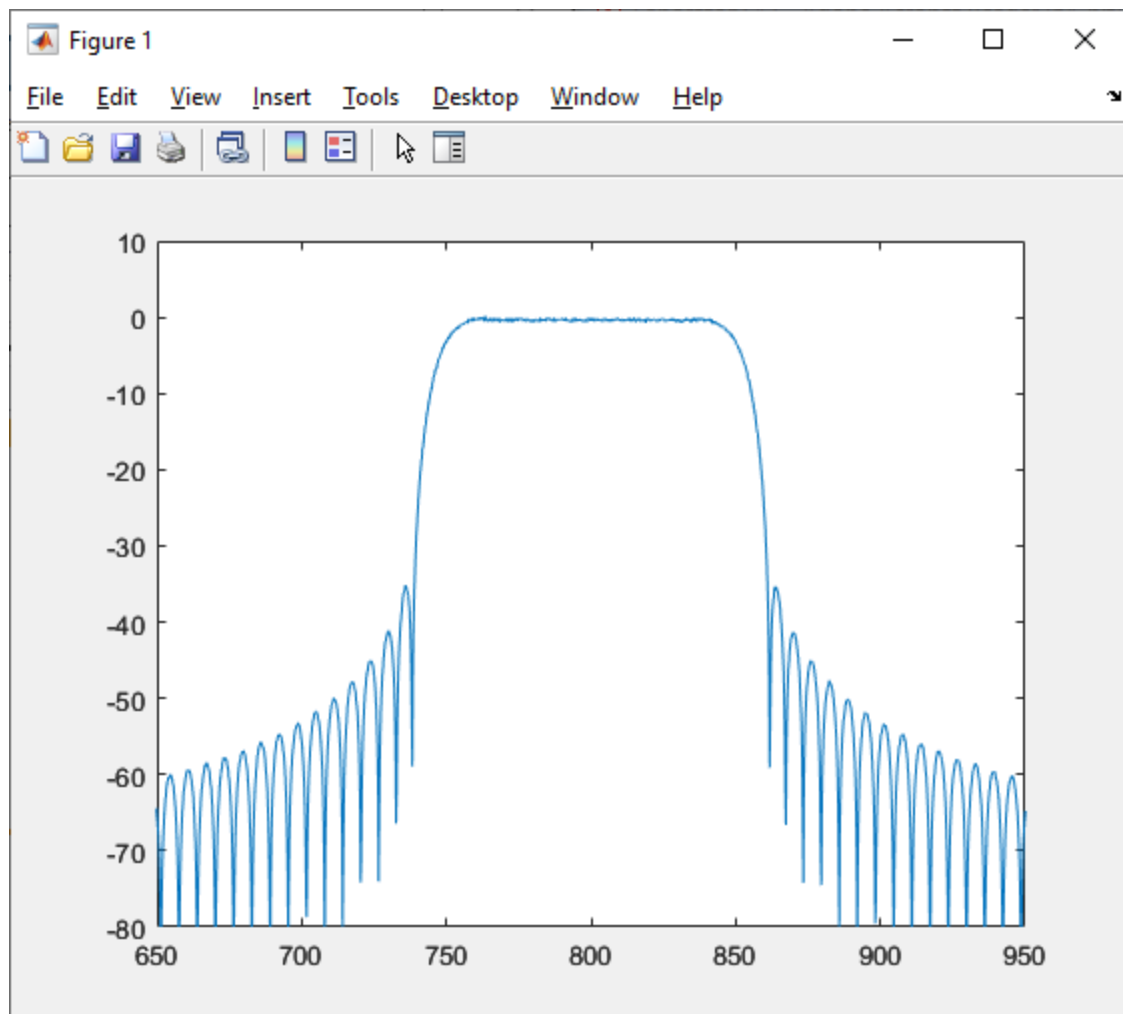


$L = 32$

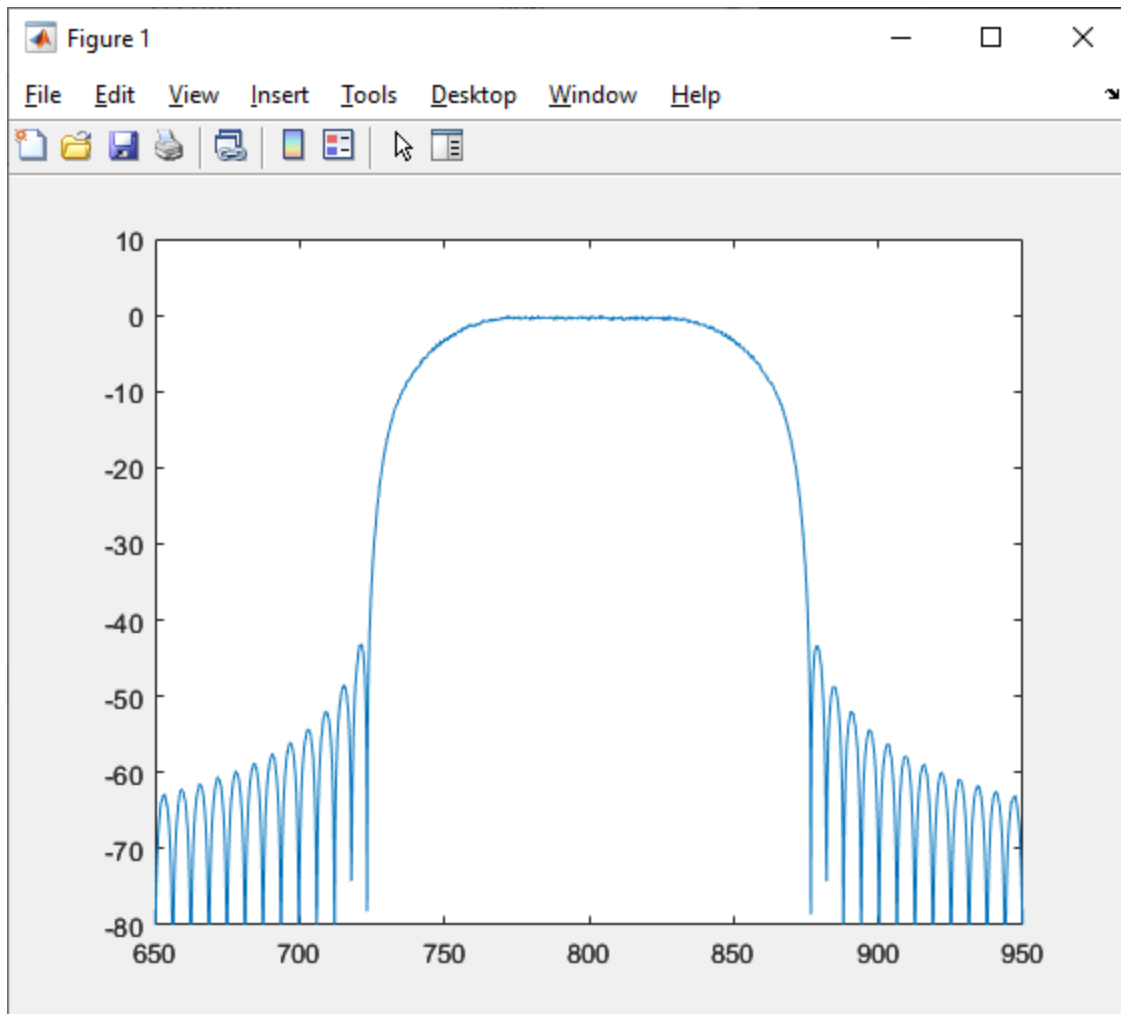
For $L=16$, try different values of β (e.g., with $\beta \in \{0, 0.2, 0.5, 0.8, 1\}$). Observe that the null-to-null bandwidth changes with β , and the sidelobes decrease with larger β .



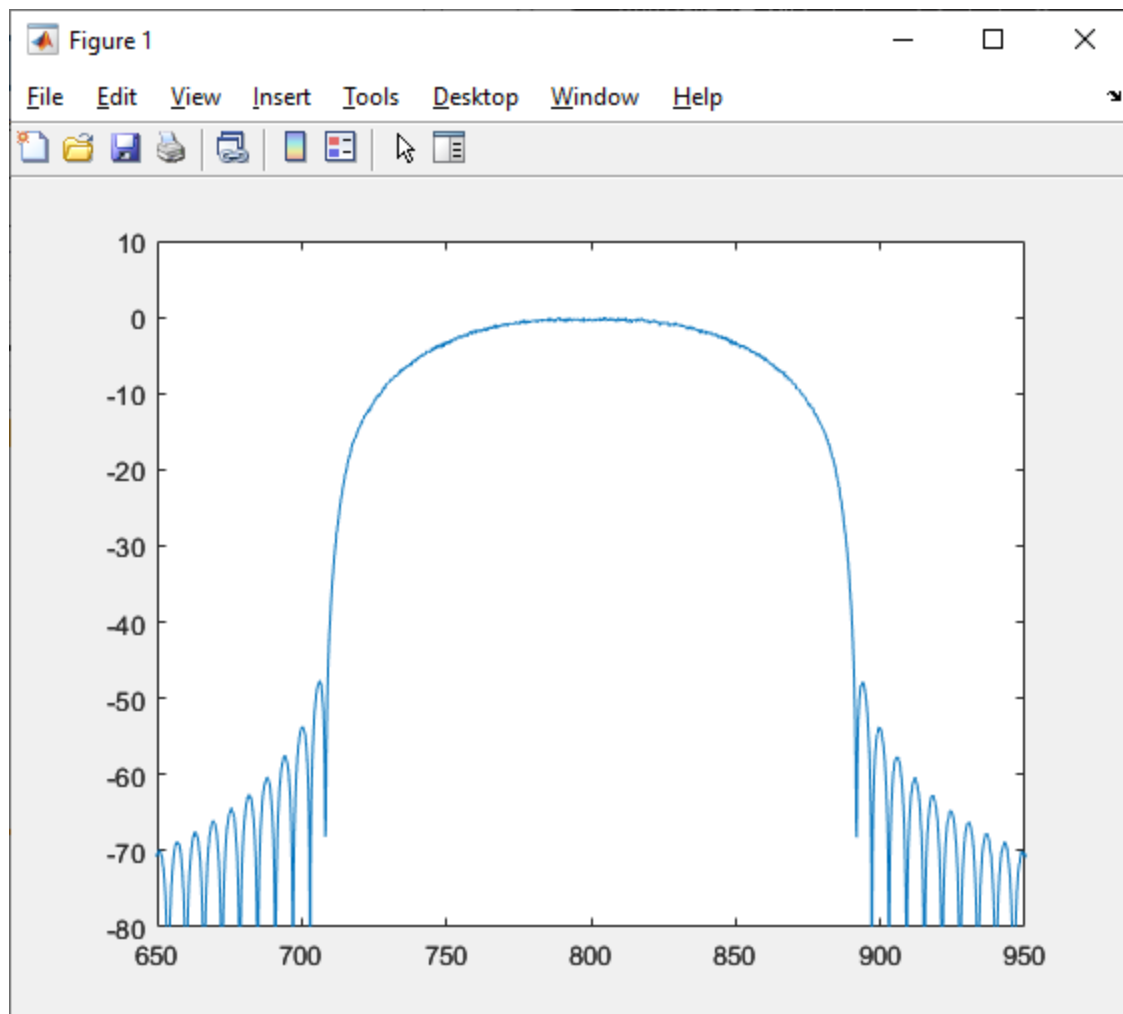
Beta = 0



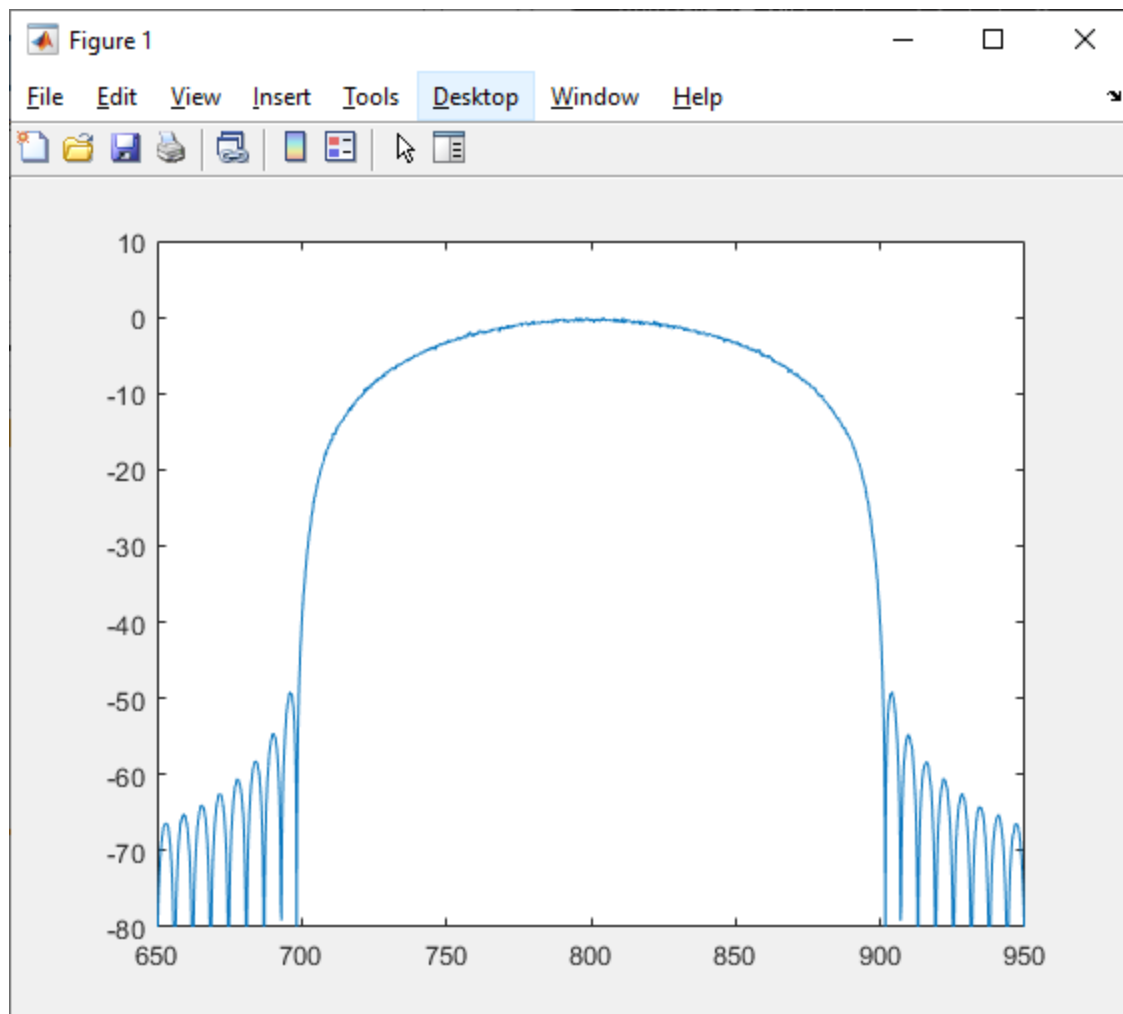
Beta = 0.2



Beta = 0.5

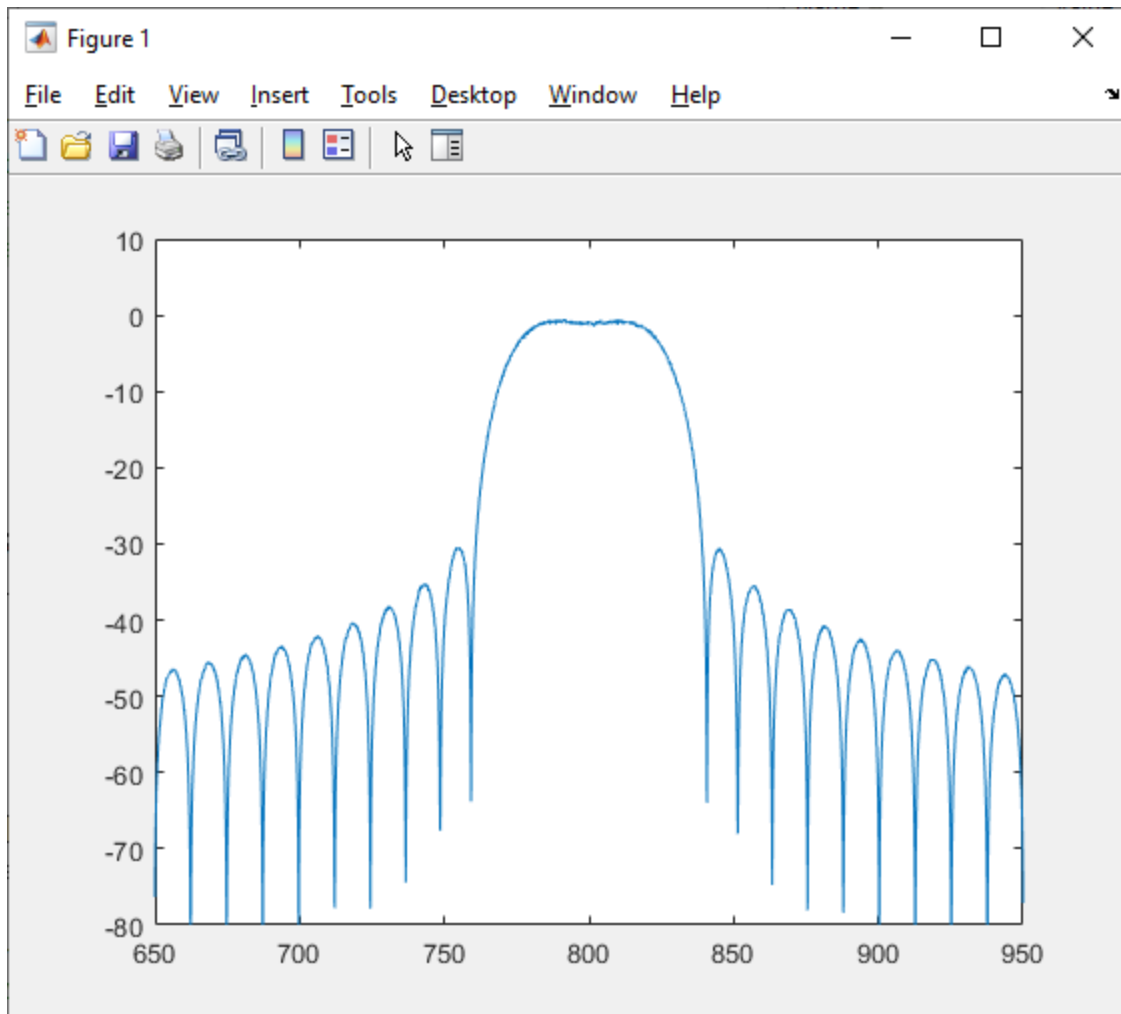


Beta = 0.8

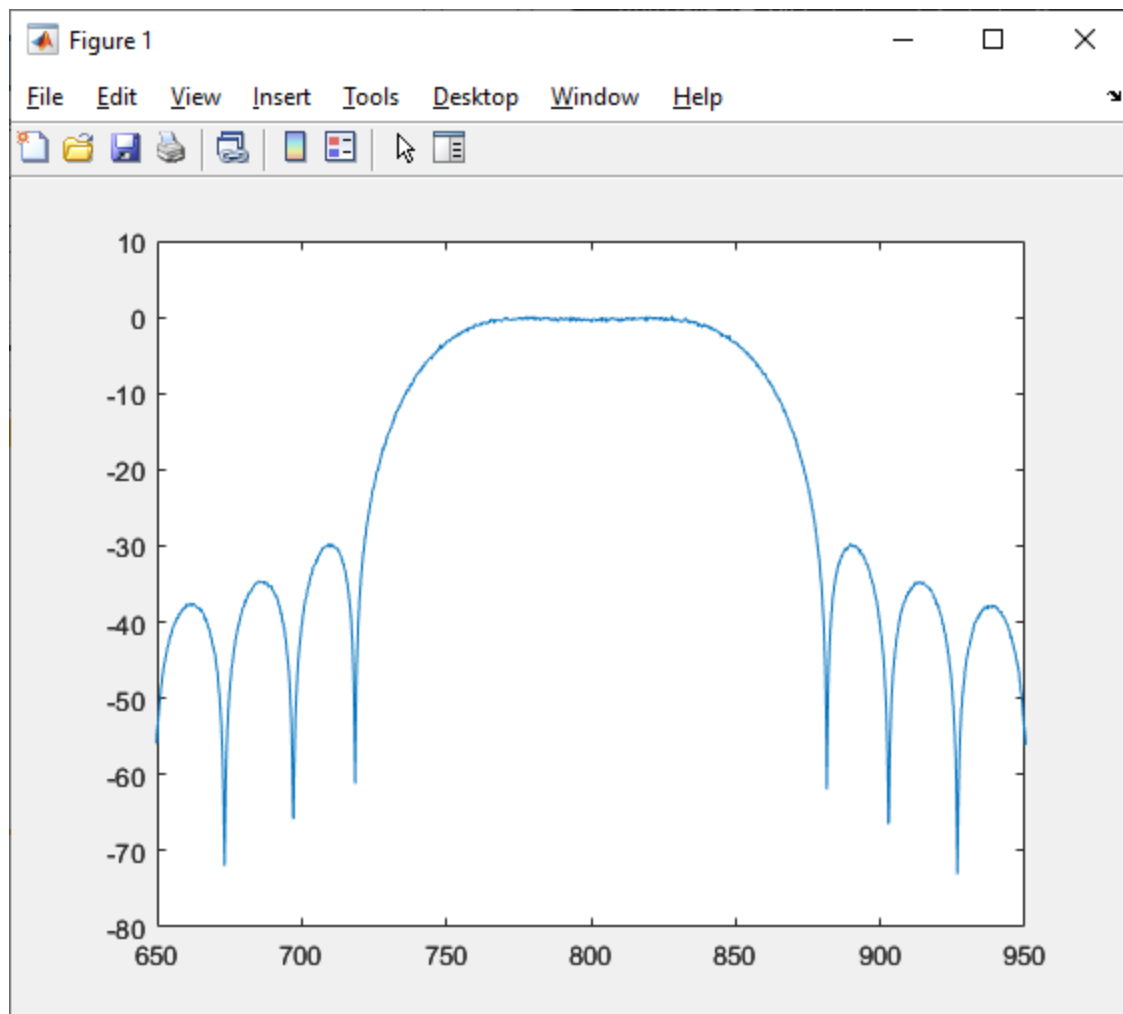


Beta = 1

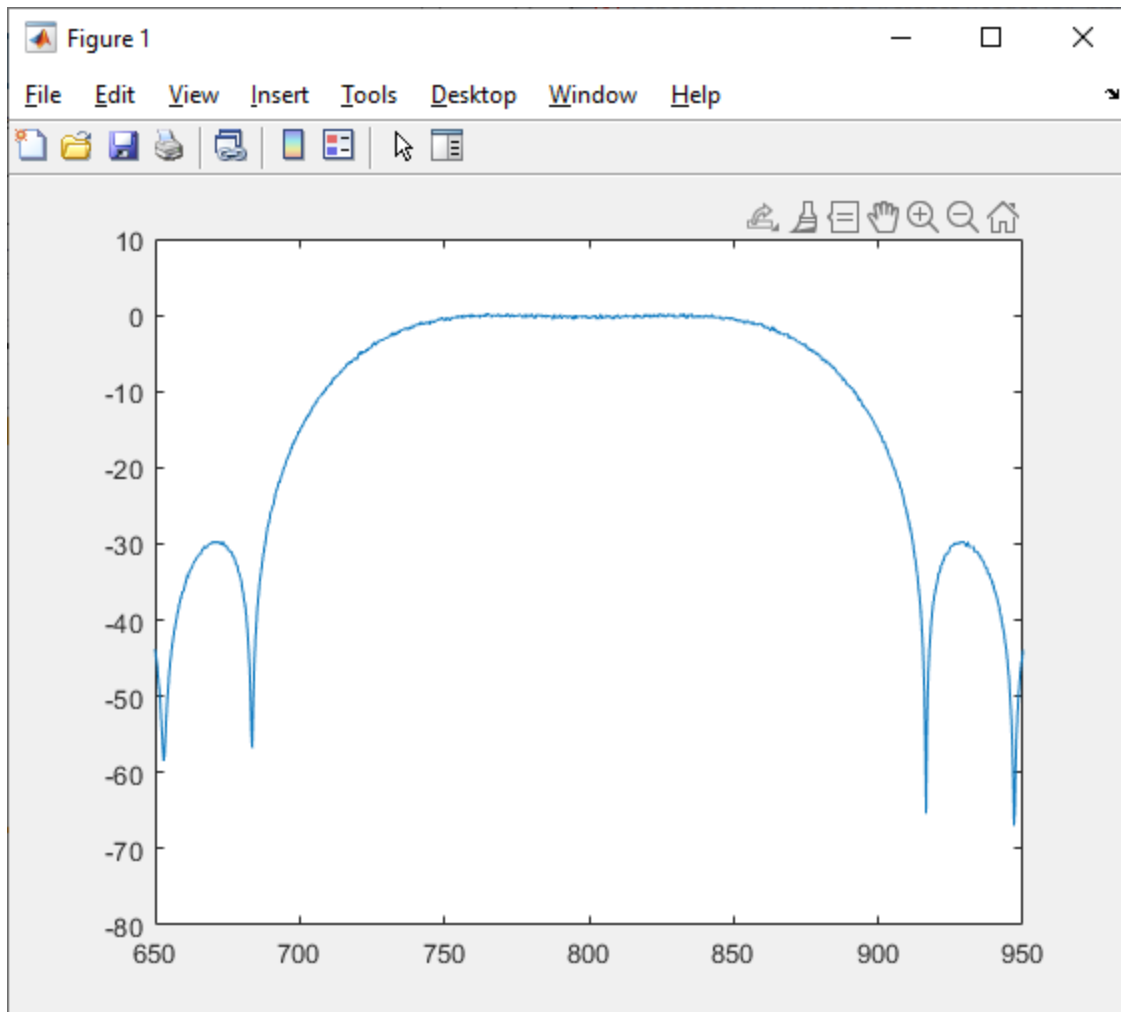
For $L=4$ and $\beta=0.5$, try different values of T (with $T \in \{0.02, 0.01, 0.007\}$).



$T = 0.02$



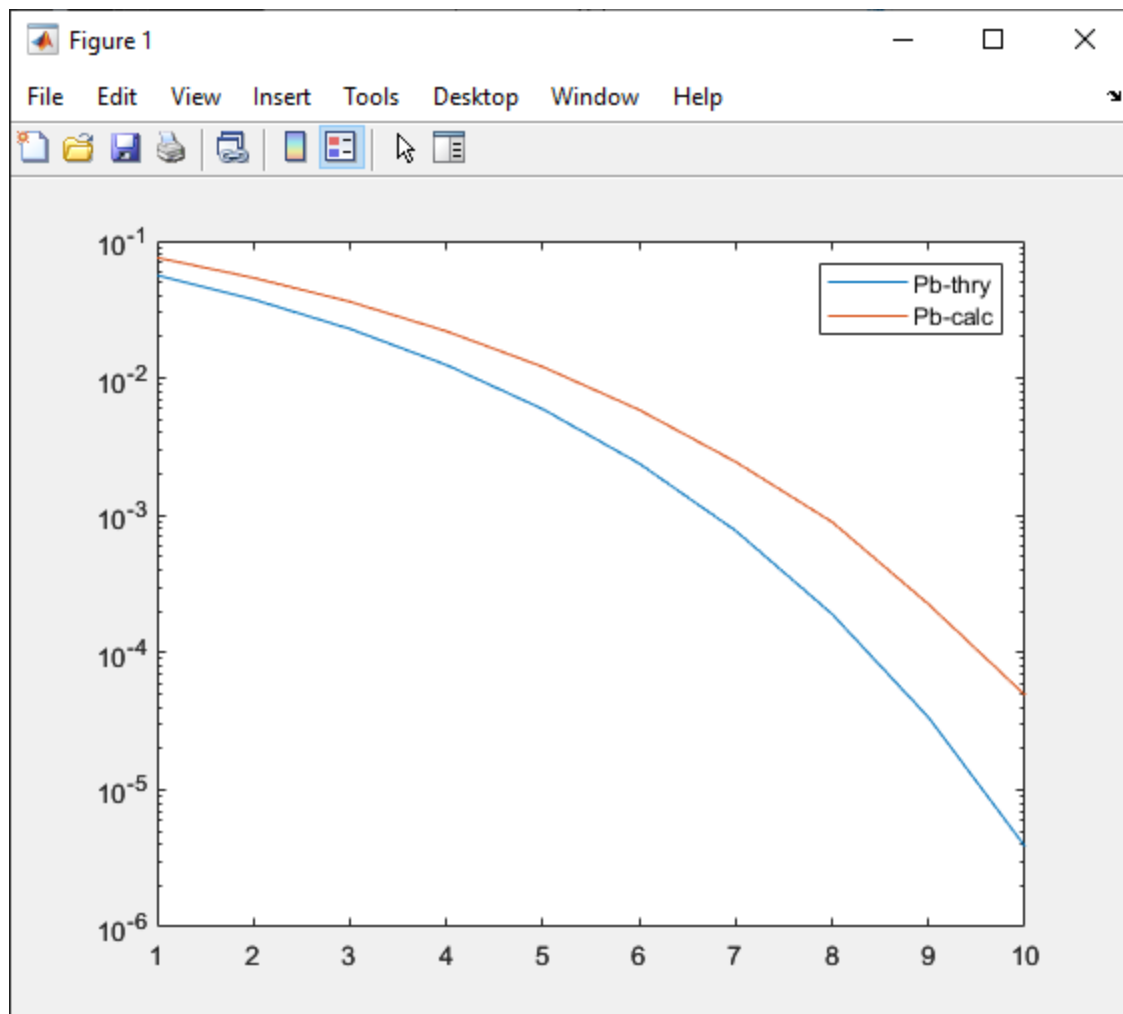
T = 0.01



$T = 0.007$

Part 2

Step 2: Modify your simulator to use a band-limited channel.



Step 3: Run your simulator with $T=0.01$, $\beta=0.5$, and $L=4$. Observe that the performance is nearly identical to the ideal case, while still having a throughput of 200 bits per second.

