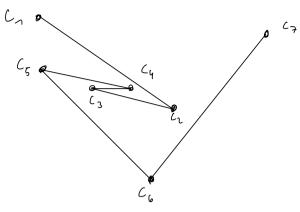
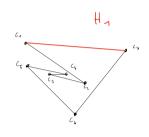
## Counter-Example for old solution

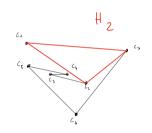




$$\frac{\dot{j}=1}{}$$
  $H_{n}=C_{7},C_{1}$ 

$$\frac{1}{1} = 2$$
  $p = C_{+1}$   $q = C_{-1}$ 

$$C_2$$
 rechts von  $p_1q = c_{71} C_1$ 
 $Vechts$  von  $q_1 C_n = C_{11} C_{7}$ 
 $Vechts$  von beiden



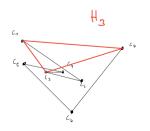
$$H_2 = (7, (3, (2$$

$$j=3$$
  $p=c_1, q=c_2, H_2=c_4, c_4, c_2$ 

rechts von 
$$p_{1}q = c_{1}c_{2}$$

rechts von  $q_{1}c_{1} = c_{2}c_{7}$ 

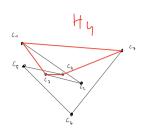
links von beiden



$$H_{2} = (_{7}, (_{3}, (_{3}$$

$$\frac{1=6}{1=6}$$
  $p=c_{11}$   $q=c_{31}$   $H_{3}=c_{71}c_{11}c_{3}$ 

Ch	rec hts	V04	1019	=	c,, c3
	rechls	voh	q, Cn	=	(3, (7
	links	VON	beiden		



Cy links von C, C3

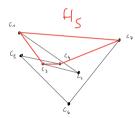
 $H_{\eta} = (_{7}, (_{3}, (_{3}, )_{4})$ 

$$\frac{1}{1} = 5$$
  $p = c_{31}$   $q = c_{4}$   $H_{4} = c_{71}c_{11}c_{31}c_{4}$ 

$$C_s$$
 rechts von  $p_1q = C_{31}C_4$ 

$$rechts von  $q_1C_n = C_{41}C_7$ 

$$links von beiden$$$$



Hs = Hy = (7, Cn, C2, Cn finside the polynom.

Das Problem hier ist, das vir heine Pelynomechen vollen, die die bereits bevechnete konvexe fülle <u>durchsteche</u>n.