

# Valid anagram

part 2 using hash table - optimal

class Solution:

```
def valid_anagram(self, s: str, t: str) -> bool:
```

```
    if len(s) != len(t):  
        return False
```

```
    count = [0] * 26
```

```
    for i in range(len(s)):
```

```
        count[ord(s[i]) - ord("a")] += 1
```

```
        count[ord(t[i]) - ord("a")] -= 1
```

```
    for val in count:
```

```
        if val != 0:
```

```
            return False
```

```
    return True
```

```
print(Solution().valid_anagram(s="racecar", t="car race"))
```

! Info: the `ord()` function returns the number representing the unicode.

- Step 1:

self  $\rightarrow$  solution instance

s  $\rightarrow$  "racecar"

t  $\rightarrow$  "car race"

- Step 2: (`count[0] * 26`): (26 letters alphabet)

count  $\rightarrow$  [0, 0, 0, 0, 0, 0, 0, 0, ..., 0] <sup>26 times</sup>

- Step 3: (for i in range(len(s)))  
i  $\rightarrow$  0

- Step 4: (`count[ord(s[i]) - ord("a")] += 1`)

`ord(s[i])`  $\rightarrow$  `ord("r")`  $\rightarrow$  114

`ord("a")`  $\rightarrow$  97

`count[17] = count[17] + 1  $\Rightarrow$`

count  $\rightarrow$  [0, 0, 0, 0, ..., 0, 1, 0, 0, ..., 0]

- Step 5: (`count[ord(t[i]) - ord("a")] -= 1`)

`ord(t[i])`  $\rightarrow$  `ord("c")`  $\rightarrow$  99

`count[2] -= 1  $\Rightarrow$  count[0, 0, -1, 0, ..., 0]`

- Step 6 :  $i$  increase by 1  
 $i \rightarrow 1$

- Step 7 (  $\text{count}[\text{ord}(s[i]) - \text{ord}('a')] += 1$  )  
 $\text{ord}('a') - \text{ord}('a') = 0$   
 $\text{count}[1, 0, -1, \dots, 1, \dots, 0]$

- Step 8 (  $\text{count}[\text{ord}(t[i]) - \text{ord}('a')] -= 1$  )  
 $\text{ord}('a') - \text{ord}('a') = 0 \Rightarrow -= 1$   
 $\text{count}[0, 0, -1, \dots, 1, \dots, 0]$

everything is repeating  $\rightarrow \rightarrow \rightarrow$

- Step 9:  
 $i \rightarrow 2$

- Step 10:  
 $\text{ord}('c') - \text{ord}('a') = 2 \Rightarrow += 1$   
 $\text{count}[0, 0, 0, \dots, 1, \dots, 0]$

- Step 11:  
 $\text{ord}('z') - \text{ord}('a') = 17 \Rightarrow -= 1$   
 $\text{count}[0, 0, 0, 0, \dots, 0, \dots, 0]$

eventually we end up with the list "count" having zero's everywhere

- Step x:

$i \rightarrow 6$  (last number)

- Step y:

$$\text{ord}("z") - \text{ord}("a") = 17 \Rightarrow + = 1$$

count at index 17 was -1  $\Rightarrow$  becoming 0

- Step z:

$$\text{ord}("e") - \text{ord}("a") \Rightarrow 101 - 97 \Rightarrow 4 \Rightarrow - = 1$$

count at index 4 was 1  $\Rightarrow$  becoming zero

we end up with count  $[0, 0, 0, 0 \dots 0]$

- Last step we check if val is different than zero, and we get to return True.