

机器人 lab1
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Q1

x, y location
u, v vector diagram vector
theta car direction
x(k), y(k) car position at time k
V car's velocity

```
x(k)=V*cos(theta(k))* T+x(k-1); % calculating x  
y(k)=V*sin(theta(k))* T+y(k-1); % calculating y
```

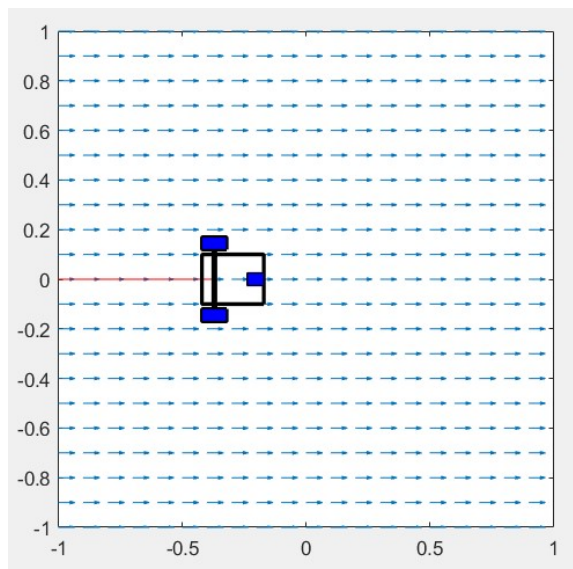
Uniform

Q1.1:

u=c, v=0, c is a constant
theta=0

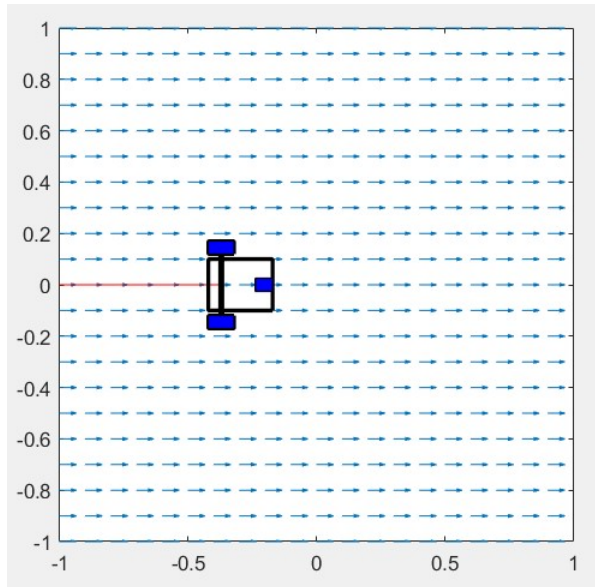
Q1.2

```
[draw_x, draw_y]=meshgrid(-1:.1:1, -1:.1:1);  
draw_u=ones(21, 21);draw_v=zeros(21, 21);  
quiver(draw_x, draw_y, draw_u, draw_v, 0.5);  
hold on
```



Q1.3

```
V=0.5;  
theta(1)=0;  
theta(k)=theta(k-1); % calculating theta
```



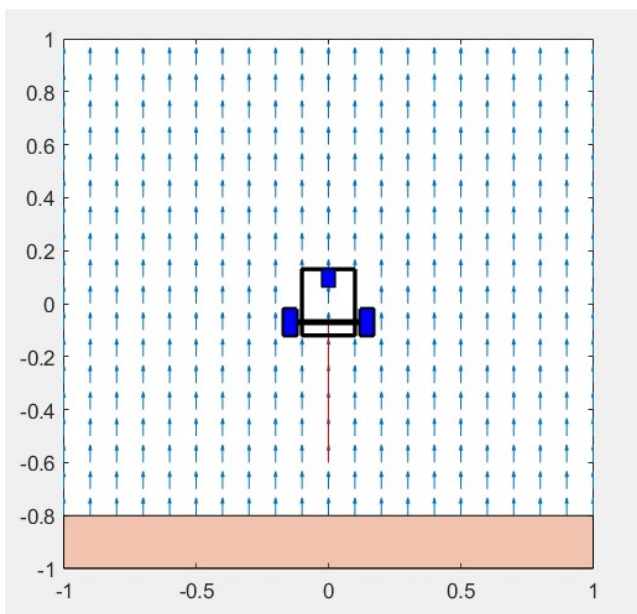
perpendicular

Q1.1

$u=0$, $v=c$, c is a constant
 $\theta = \pi/2$

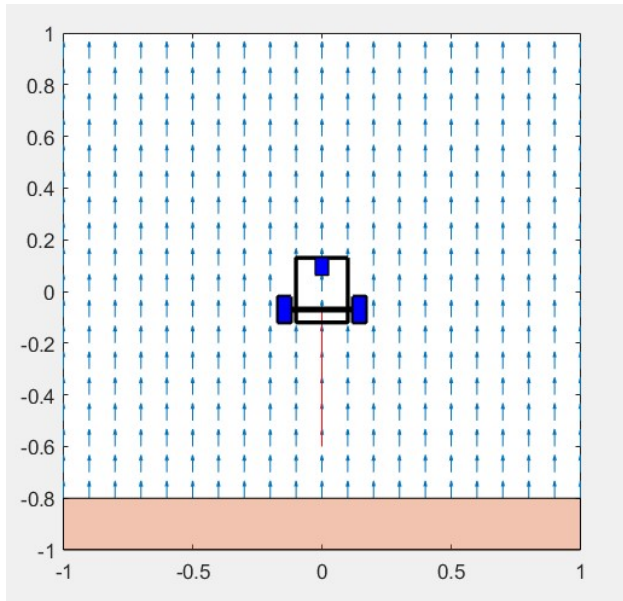
Q1.2

```
[draw_x, draw_y]=meshgrid(-1:.1:1, -1:.1:1);
draw_u=-draw_x;draw_v=-draw_y;
quiver(draw_x, draw_y, draw_u, draw_v, 0.5);
hold on
plot(polyshape([-1 -1 1 1],[-1 -0.8 -0.8 -1]))
hold on
```



Q1.3

$v=0.5$;
 $\theta(2)=\pi/2$; % initialize the state θ
 $\theta(k)=\theta(k-1)$; % calculating θ



attractive

Q1.1

$u=-x; v=-y$

$\theta = \arctan\left(\frac{y(k)}{x(k)}\right) + \frac{\pi}{2} * (\text{sign}(x(k)) + 1)$

$V = \sqrt{x_{k-1}^2 + y_{k-1}^2}$ // increase with distance to center

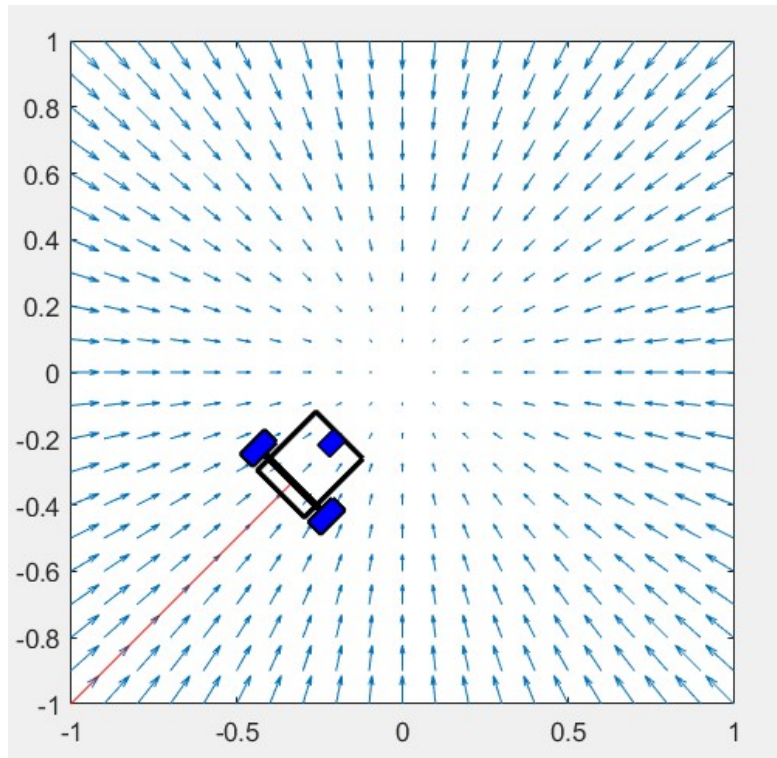
Q1.2

`[draw_x, draw_y]=meshgrid(-1:.1:1, -1:.1:1);`

`draw_u=-draw_x;draw_v=-draw_y;`

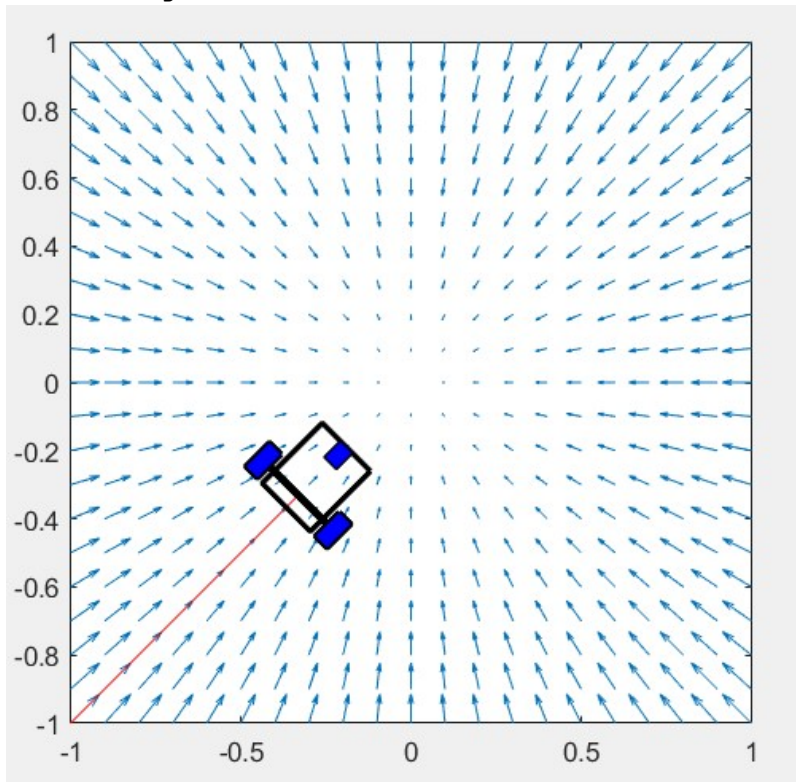
`quiver(draw_x, draw_y, draw_u, draw_v);`

`hold on`



Q1.3

```
V=(x(k-1)^2+y(k-1)^2)^0.5;W=1;
theta(k)=atan(y(k)/x(k))+pi/2*(sign(x(k))+1); %
calculating theta
```



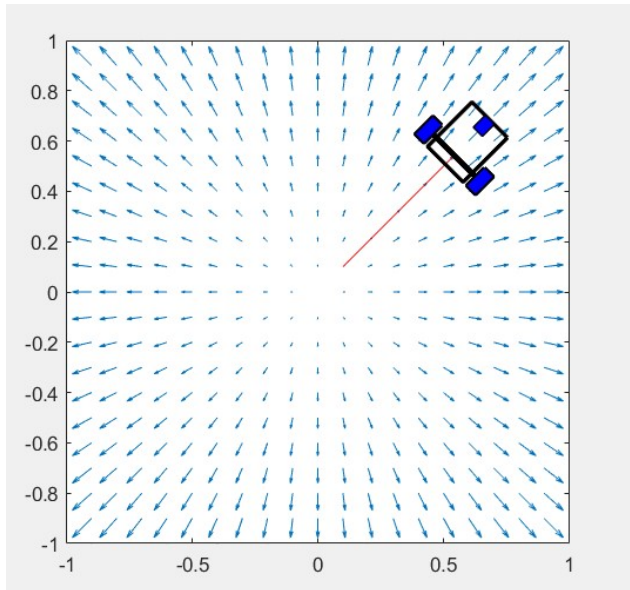
repulse

Q1.1

```
u=x, v=y
theta = arctan( $\frac{y(k)}{x(k)}$ ) +  $\frac{\pi}{2} * (\text{sign}(x(k)) - 1)$  % calculating theta
V =  $\sqrt{x_{k-1}^2 + y_{k-1}^2}$ 
```

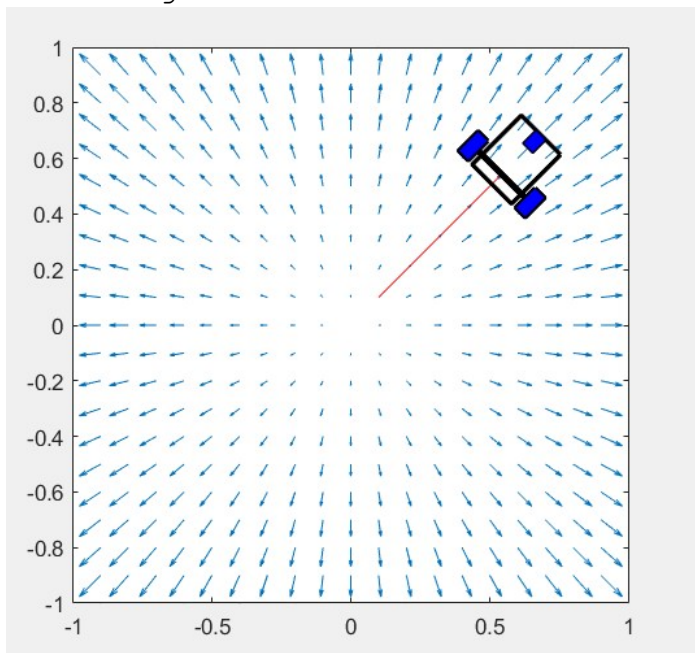
Q1.2

```
[draw_x, draw_y]=meshgrid(-1:.1:1, -1:.1:1);
draw_u=draw_x;draw_v=draw_y;
quiver(draw_x, draw_y, draw_u, draw_v);
hold on
```



Q1.3

```
V=(x(k-1)^2+y(k-1)^2)^0.5;
theta(k)=atan(y(k)/x(k))+pi/2*(sign(x(k))-1); %
calculating theta
```



tangential

Q1.1

We set the center of circle with $(0, 0.5)$

Considering $x = \cos \theta, y = \sin \theta + 0.5$

Then $\frac{dx}{d\theta} = -\sin \theta = -y + 0.5, \frac{dy}{d\theta} = \cos \theta = x$

So we have $u = 0.5 - y, v = x$

$\theta(k) = W \cdot T + \theta(k-1);$

W is the angular velocity

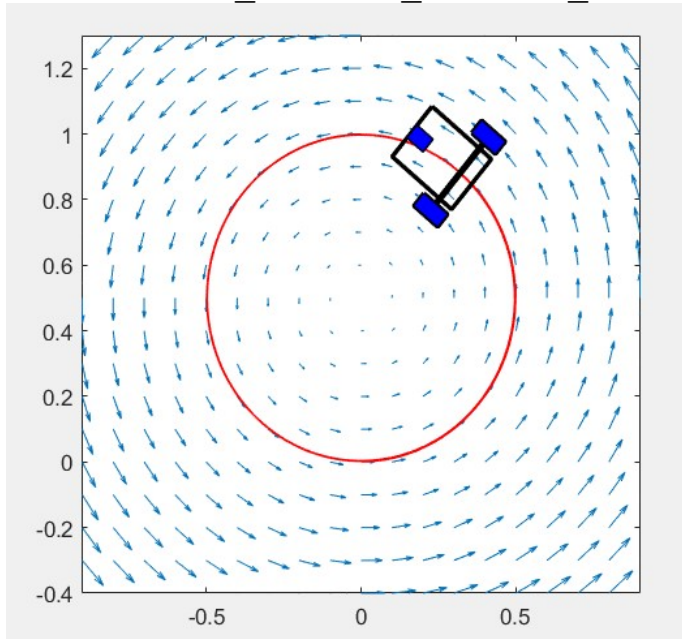
We assume the circle radius is 0.5, so we set $V =$

$$\sqrt{x^2 + (y - 0.5)^2} \text{ and } W=1 \text{ (a constant)}$$

So this could be uniform circular motion

Q1.2

```
[draw_x, draw_y]=meshgrid(-1:.1:1, -.5:.1:1.5);
draw_u=.5-draw_y;draw_v=draw_x;
draw_u=draw_x;draw_v=draw_y;
quiver(draw_x, draw_y, draw_u, draw_v);
```



Q1.3

```
theta(k)=W*T+theta(k-1); % calculating theta
V=(x(k)^2+(y(k)-0.5)^2)^0.5;
```

