

School of Electronics and Telecommunications

Electronics Devices – ET2015E

Tutor: Assoc. Prof. Nguyen Tien Dzung

Department: Electronics and Computer Engineering

Email: tiendungbk@gmail.com; dzung.nguyentien@hust.edu.vn

Mobile: 0988.355.343

Office: 94 Le Thanh Nghi, R102, C-Bulding (Tàì chức)

Chapter 3. Pulse circuits

Outline

3.0. Pulses

3.1. Saturation mode of transistor

3.2. Saturation mode of OPAM

3.3. Comparator

3.4. Bi-stable multivibrator

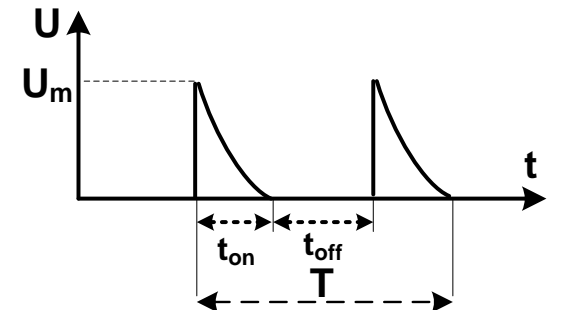
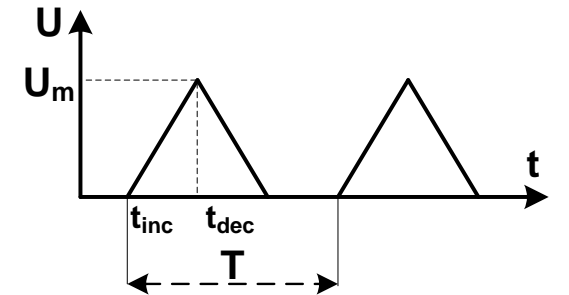
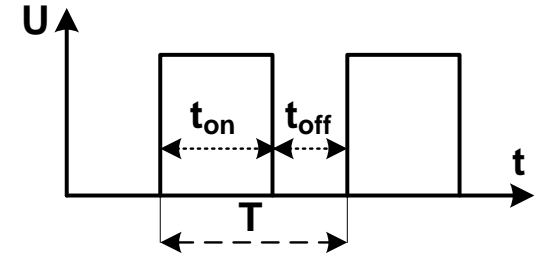
3.5. Monostate multivibrator

3.6. Astate multivibrator

Chapter 3. Pulse circuits (cont.)

3.0. Pulses

- Types of pulse: square, triangle, edge-triggered
- t_{on} : existing time of pulse; t_{off} : non-existing time of pulse
- t_{inc} : increasing ramp of pulse; t_{dec} : decreasing ramp of pulse
- Periodic pulse
- $T = 1/f$ or $f = 1/T$
- Duty cycle: t_{on}/T ; Non-duty cycle: t_{off}/T ; t_{on}/t_{off}
- One-polarity or two-polarity pulse



Chapter 3. Pulse circuits (cont.)

3.1. Saturation mode of transistor

- Transistor as a switch: Output in two distinguished states:

➤ $U_{out} \geq U_H$ when $U_{in} \leq U_L$

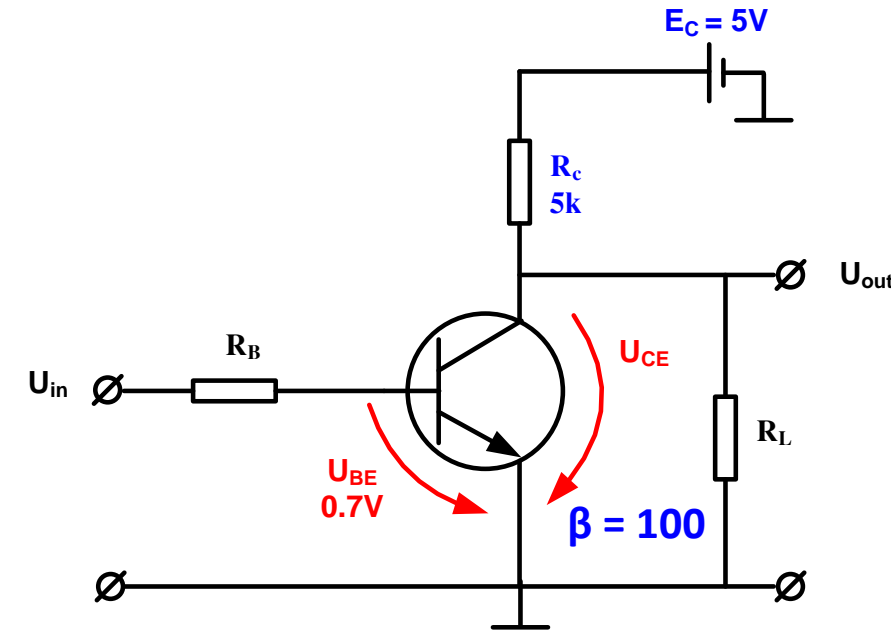
➤ $U_{out} \leq U_H$ when $U_{in} \geq U_L$

- Transition between two stages: 1) Pulse at the input or 2) Periodical transition based on positive feedback

- From EC circuit:

➤ **Saturation:** $I_{C(sat)} = (E_C - U_{CE})/R_C \sim E_C/R_C \Rightarrow I_{B(sat)} = I_C/\beta \Rightarrow U_{CE} = U_{out} \sim 0\text{ V} = U_L$ (Typically $U_L = 10\%E_C$)

➤ **Cut-off:** $I_{Bcut-off} = 0 \Rightarrow I_{Ccut-off} = 0 \Rightarrow U_{CE} = U_{out} = E_C$ (No Load). If $R_C = R_L \Rightarrow U_{out} = E_C/2$ (Typically $U_H = 30\%E_C$)



Example: 1) Determine saturated current I_B and 2) Select R_B to guarantee pulse mode of transistor

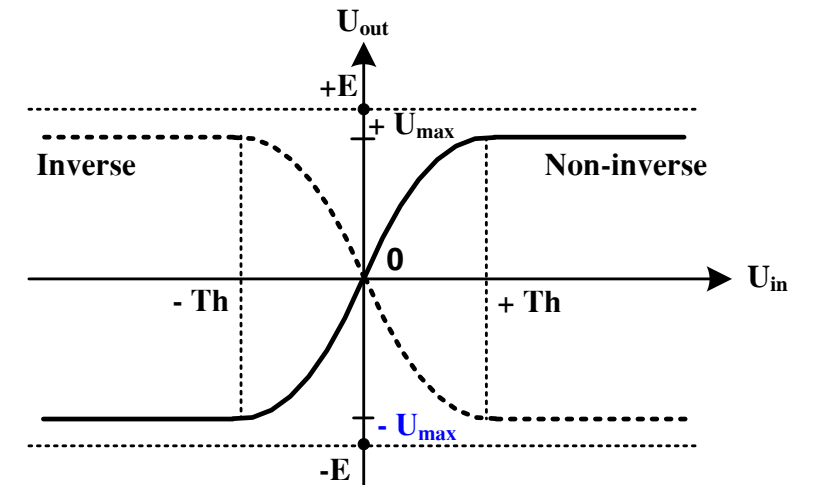
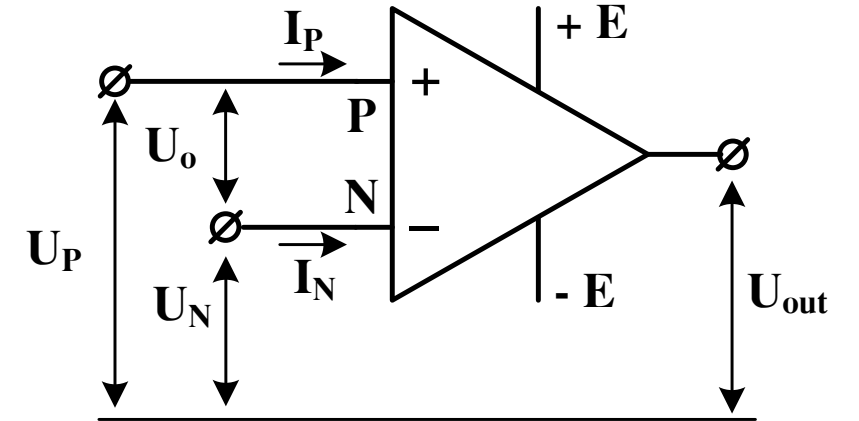
1) $U_H = 0.3E_C = 1.5V = U_{in}$; $U_L = 0.1E_C = 0.1V$; $I_{C(sat)} \sim 5V/5K = 0.1mA \Rightarrow I_{B(sat)} = 0.1mA/100 = 10\mu A$

2) For deep saturation \Rightarrow Select $I_B = 10I_{B(sat)} = 100\mu A \Rightarrow R_B = (U_{in} - U_{BE})/I_B = (1.5V - 0.7V)/100\mu A = 8k\Omega$

Chapter 3. Pulse circuits (cont.)

3.2. Saturation mode of OPAM

- Transfer characteristic: Saturation area and $U_{out} = \pm U_{max}$
 - Since $K_{OPAM} = \infty$ (ideal)
 - $U_P - U_N = U_{out} / K_{OPAM} = 0$
 - ✓ If $U_P > U_N$: Positive saturation
 - ✓ If $U_P < U_N$: Negative saturation
- In high speed transition: Delay between states $\pm U_{max}$



Chapter 3. Pulse circuits (cont.)

3.3. Comparator

- Inverse and non-inverse; operating in saturation mode

➤ **Inverse:** (-) input compared with U_{ref} in (+) input

✓ If $U_0 = U_{ref} - U_{in} > 0 \Rightarrow U_{in} < U_{ref} \Rightarrow U_{out}$ from $+U_{max} \rightarrow -U_{max}$

✓ If $U_0 = U_{ref} - U_{in} < 0 \Rightarrow U_{in} > U_{ref} \Rightarrow U_{out}$ from $-U_{max} \rightarrow +U_{max}$

✓ Transfer characteristic: **based on inverse amplifier**

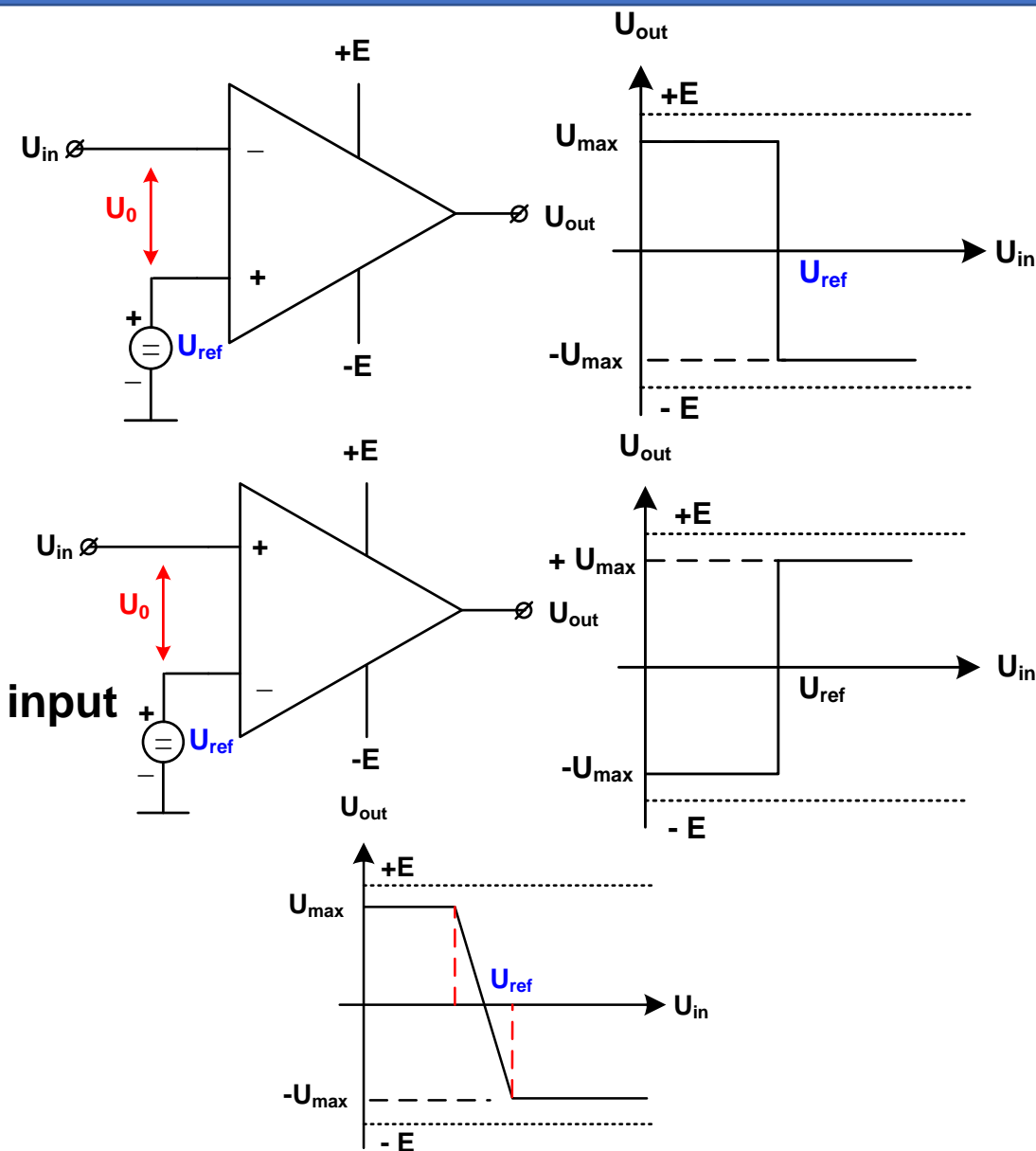
➤ **Non-Inverse:** Non-Inverse (+) input compared with U_{ref} in (-) input

✓ If $U_0 = U_{in} - U_{ref} > 0 \Rightarrow U_{in} > U_{ref} \Rightarrow U_{out}$ from $-U_{max} \rightarrow +U_{max}$

✓ If $U_0 = U_{in} - U_{ref} < 0 \Rightarrow U_{in} < U_{ref} \Rightarrow U_{out}$ from $+U_{max} \rightarrow -U_{max}$

✓ Transfer characteristic: **based on non-inverse amplifier**

- Transition delay



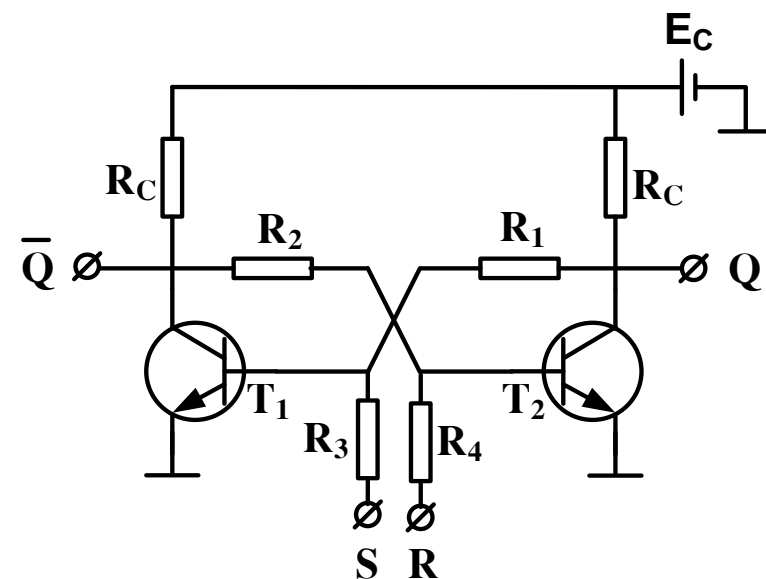
Chapter 3. Pulse circuits (cont.)

3.4. Bi-stable multivibrator:

- **Symmetrical:** RS Trigger using transistor
- **Unsymmetrical:** Schmitt trigger using transistor and OPAM

a) Symmetrical bi-stable multivibrator: RS trigger using Transistor

- Transition between two output stages U_H (1) and U_L (0): apply a pulse
- **State 1:** RS = 10 \rightarrow T_1 saturated ($\bar{Q} = 1$) and T_2 off ($Q = 0$)
- **State 0:** RS = 01 \rightarrow T_2 saturated ($Q = 1$) and T_1 off ($\bar{Q} = 0$)
- **Forbidden state:** RS = 11 \rightarrow T_1 and T_2 are simultaneously saturated or off
- Operation:
 - Apply a pulse to S ($S = 1$): T_1 saturates $\rightarrow \bar{Q} = U_L = 0 \rightarrow$ Feedback to $T_2 \rightarrow T_2$ off $\rightarrow Q = U_H = 1 \rightarrow$ State 1
 - Apply a pulse to R ($R = 1$): T_2 saturates $\rightarrow Q = U_L = 0 \rightarrow$ Feedback to $T_1 \rightarrow T_1$ off $\rightarrow \bar{Q} = U_H = 1 \rightarrow$ State 0



R_n	S_n	Q_{n+1}	\bar{Q}_{n+1}
0	0	Q_n	\bar{Q}_n
0	1	1	0
1	0	0	1
1	1	x	x

Chapter 3. Pulse circuits (cont.)

b1) Unsymmetrical bi-stable multivibrator using transistor:

- **Schmitt trigger using Transistor**

- Initial U_{in} increasing from negative value: T_1 off, T_2 saturated

- ➔ $U_{out} = U_{CE(sat)} = U_{min}$

- U_{in} reaches U_{on} : T_1 saturated leads to T_2 off because of feedback

- ➔ U_{out} changes state from U_{min} to U_{max}

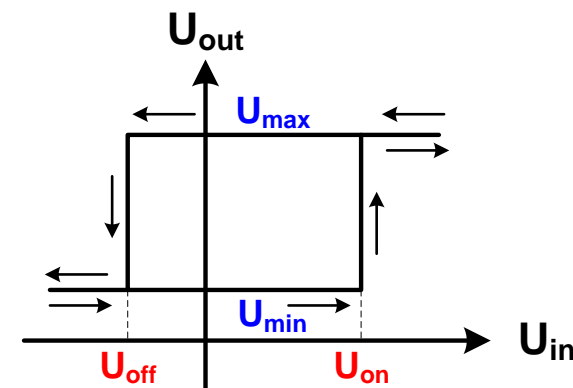
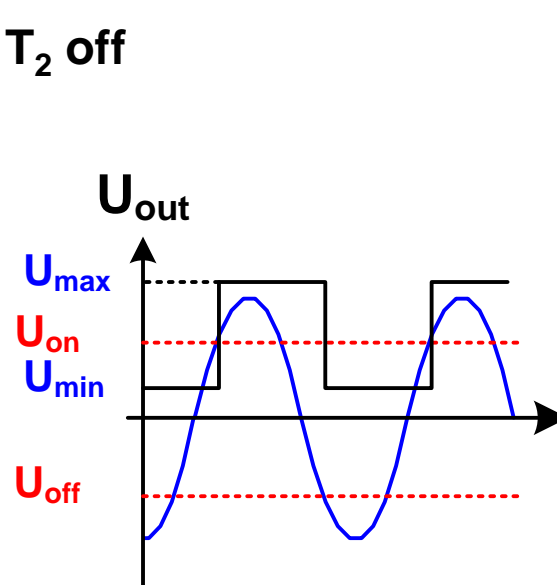
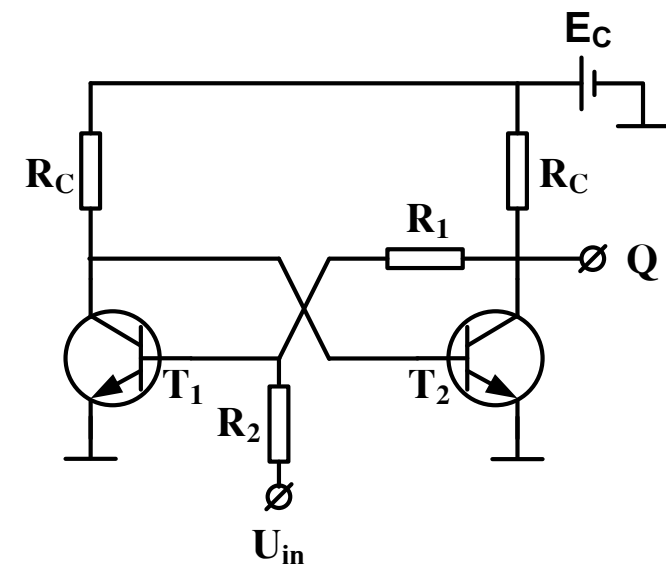
- U_{in} decreases from positive value: T_1 saturated and T_2 off

- ➔ $U_{out} = U_{max}$

- U_{in} reaches U_{off} : T_1 off leads to T_2 saturated

- ➔ U_{out} changes state from U_{max} to U_{min}

EXAMPLE: U_{in} is a sin wave ➔ Output signal?



Chapter 3. Pulse circuits (cont.)

b2) Unsymmetrical bi-stable multivibrator using OPAM:

- **Inverse Schmitt trigger**: using OPAM

- Inverse comparator-based operation: $U_{out} = \pm U_{max}$

- Since $U_{out} = \pm U_{max} \rightarrow U_P = U_{out} R_1 / (R_1 + R_2)$

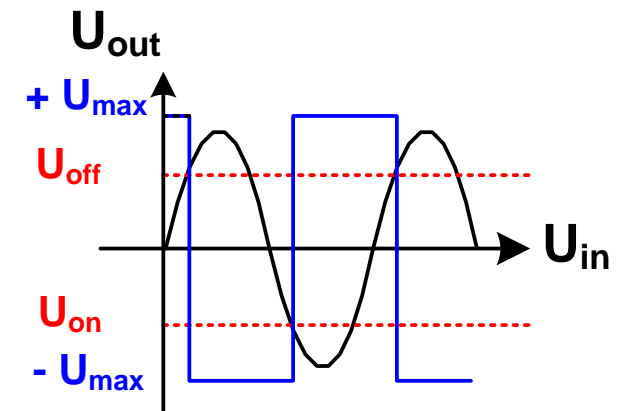
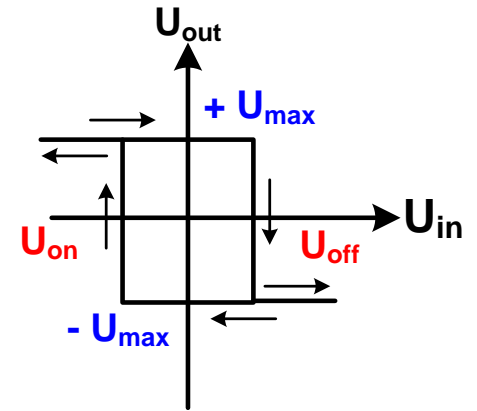
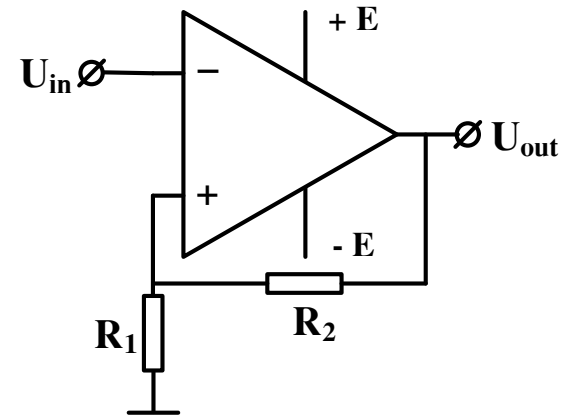
- And $U_{in} = U_N = U_P \rightarrow U_{in} = \pm U_{out} R_1 / (R_1 + R_2)$ or $U_{in} = \pm U_{max} R_1 / (R_1 + R_2) = \pm U_{ref} = \pm \beta U_{max}$, where $\beta = R_1 / (R_1 + R_2)$

- Once $U_0 = U_P - U_N$ zero-crosses, U_{out} changes between $-U_{max} \leftrightarrow +U_{max}$

- Transfer characteristic: refer to that of inverse comparator, where $U_{on} = -U_{ref}$ or $U_{off} = +U_{ref}$

- Switching delay:
$$\Delta U_{delay} = \frac{R_1}{R_1 + R_2} [U_{max} - (-U_{max})] = \frac{R_1}{R_1 + R_2} 2U_{max}$$

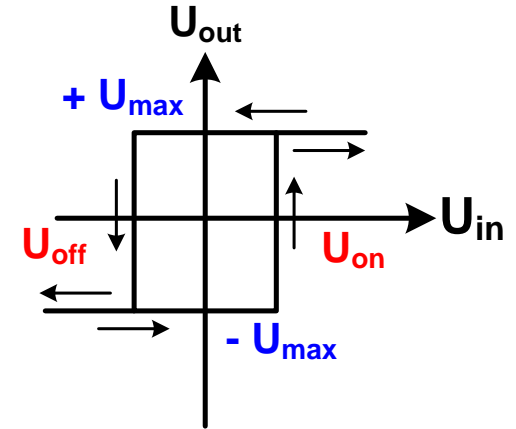
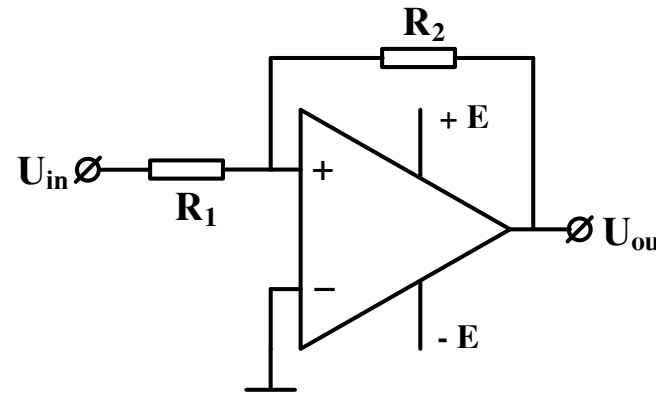
EXAMPLE: Sin input signal applied to inverse Schmitt trigger.
Investigate the output signal .



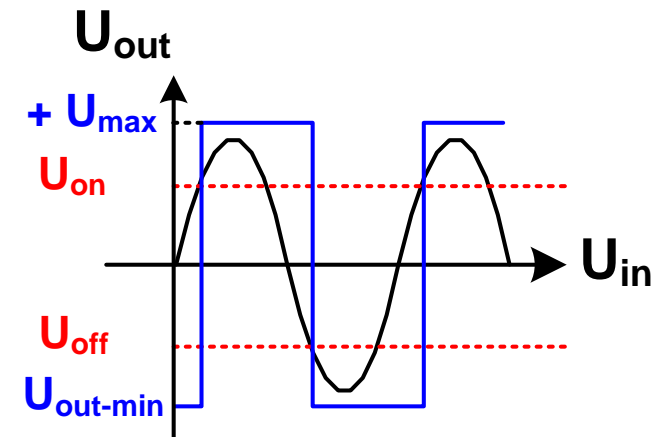
Chapter 3. Pulse circuits (cont.)

- **Non-inverse Schmitt trigger: using OPAM**

- Inverse comparator-based operation: $U_{out} = \pm U_{max}$
- Since $U_{out} = \pm U_{max} \rightarrow$ Let's determine $\pm U_{ref}$
- Since $(U_{in} - U_P)/R_1 = (U_P - U_{out})/R_2$ and $U_P = U_N = 0$
 $\rightarrow U_{in} = -U_{out} (R_1/R_2) = \mp U_{max} (R_1/R_2) = \mp U_{ref}$
- Once $U_{in} - U_{ref}$ zero-crosses, U_{out} changes between $-U_{max} \rightarrow +U_{max}$ and vice versa
- Transfer characteristic: refer to that of non-inverse comparator, where $U_{on} = +U_{ref}$ or $U_{off} = -U_{ref}$
- Switching delay: $\Delta U_{delay} = \frac{R_1}{R_2} [U_{max} - (-U_{max})] = \frac{R_1}{R_2} 2U_{max}$



EXAMPLE: Sin input signal applied to non-inverse Schmitt trigger. Investigate the output signal .



Chapter 3. Pulse circuits (cont.)

3.5. Monostate multivibrator:

- Using transistor

➤ **Stable state: T_1 off, T_2 saturated (0)**

➤ At t_0 , U_{in} as a pulse is applied across R_1 to B_1
➔ T_1 is saturated ➔ U_{C1} decreases from E_C to 0
and passing across R_C to B_2

➤ Therefore U_{B2} decreases from $U_{BE} \rightarrow -E_C$ resulting T_2 off and $U_{C2} = E_C$ (**unstable**)

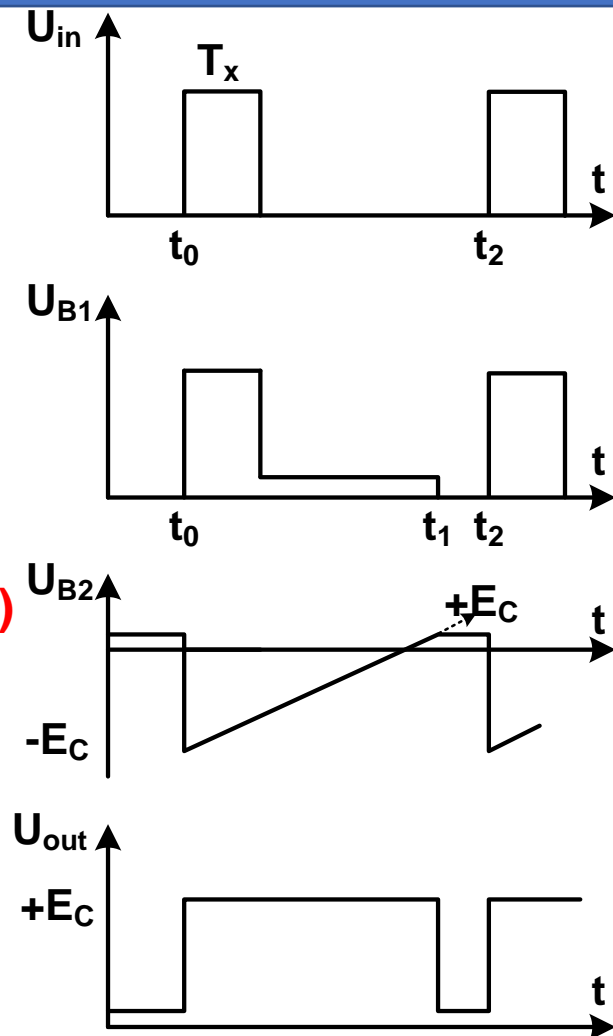
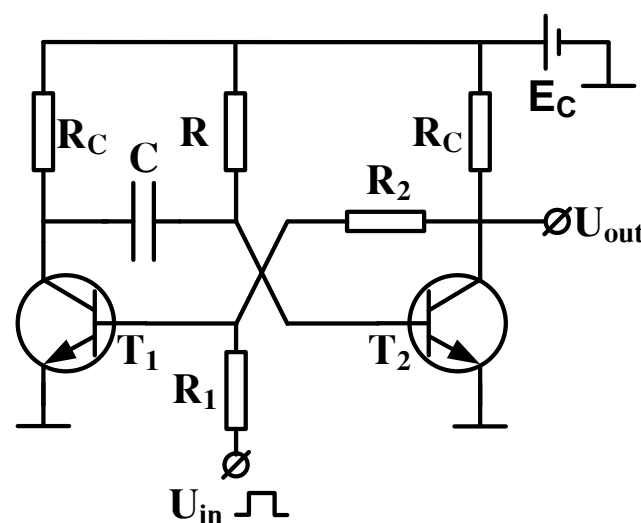
➤ Equation for B_2 while C charging is expressed as: $U_{B2} = E_C[1 - 2e^{(-t/RC)}]$

✓ $U_{B2} = -E_C$ at $t = t_0 \rightarrow t_0 = 0$

✓ $U_{B2} = 0$ at $t_1 \rightarrow t_1 = -RC \ln[(E_C - U_{B2})/2E_C] \sim RC \ln(E_C/2E_C) \sim RC \ln 2 \sim 0.7RC$

➤ Existing pulse time (**duty cycle**): $t_{pulse} = t_1 - t_0 = 0.7RC$

➤ After t_1 , T_2 is saturated again the output fed back across $R_1 R_2$ to $B_1 \rightarrow T_1$ off ➔ **Stable state**



Chapter 3. Pulse circuits (cont.)

- Using OPAM

➤ **Stable state:** $U_{out} = -U_{max}$

➤ **At $t < t_1$:** $U_{out} = -U_{max}$ and $U_C = U_N = 0 \rightarrow$ **Stable state**

$\rightarrow U_P = U_{out} R_1 / (R_1 + R_2) = -U_{max} R_1 / (R_1 + R_2) = +\beta U_{max}$, **D -FB**

➤ **At $t = t_1$:** a pulse $> \beta U_{max}$ applied to P (+)

\rightarrow Output changes from $-U_{max} \rightarrow +U_{max}$ (**unstable**), and $U_P = +\beta U_{max}$

➤ From t_1 to t_2 : C is charged to $+\beta U_{max}$, **D is isolated because of RB**

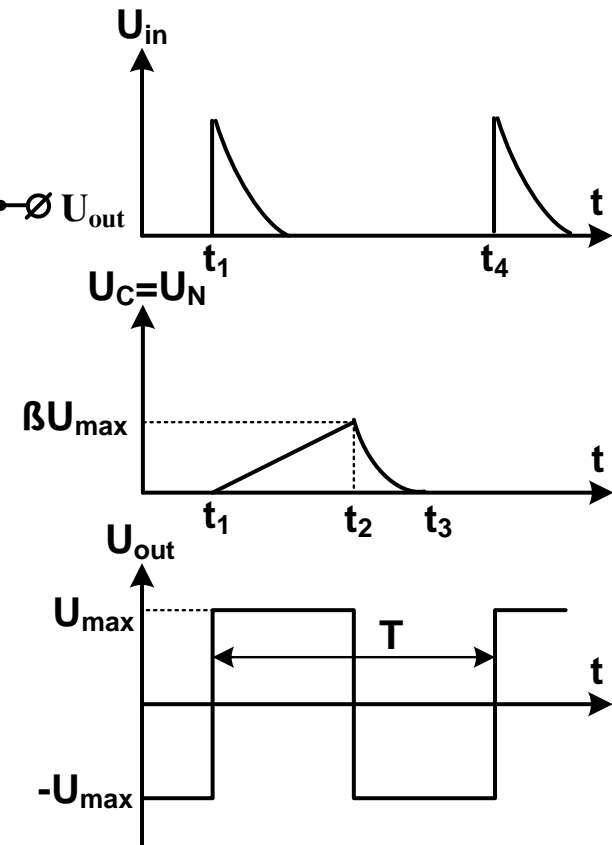
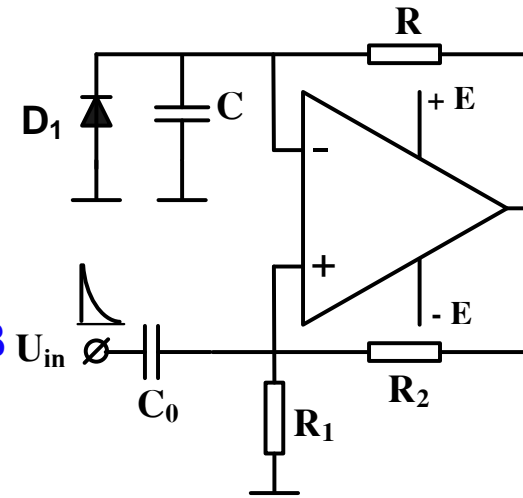
➤ **At $t = t_2$:** Since $U_N = U_P = U_C \rightarrow U_0 = U_P - U_N$ zero-crosses \rightarrow C discharges until t_3

$\rightarrow U_{out}$ changes from $+U_{max} \rightarrow -U_{max} \rightarrow$ **stable state**

➤ $U_C(t) = U_{max}(1 - e^{-t/RC})$. **At $t = t_1$:** $U_C(t_1) = 0$; **At $t = t_2$:** $U_C(t_2) = \beta U_{max} = RC \ln(1 + R_1/R_2) \rightarrow t_{pulse} = t_2 - t_1 = RC \ln(1 + R_1/R_2)$

➤ **At t_3 , C discharges:** $U_C(t) = U_C(\infty) [U(\infty) - U_C(0)] e^{(-t/RC)}$, where $U(\infty) = -U_{max}$, $U_C(0) = U_C(t_2) = +\beta U_{max}$

➤ $U_C(t_3) = 0 \rightarrow t_3 = C$ discharges and $t_3 = -RC \ln[(-U_{max} - 0)/(-U_{max} - \beta U_{max})] = RC \ln(1 + \beta)$



Chapter 3. Pulse circuits (cont.)

3.6. Astable multivibrator

- Using transistor

- Periodical change between the stages 1 and 0

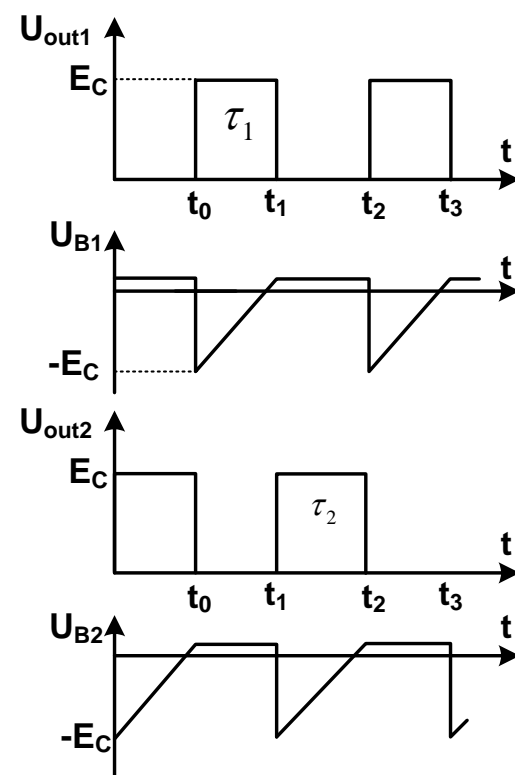
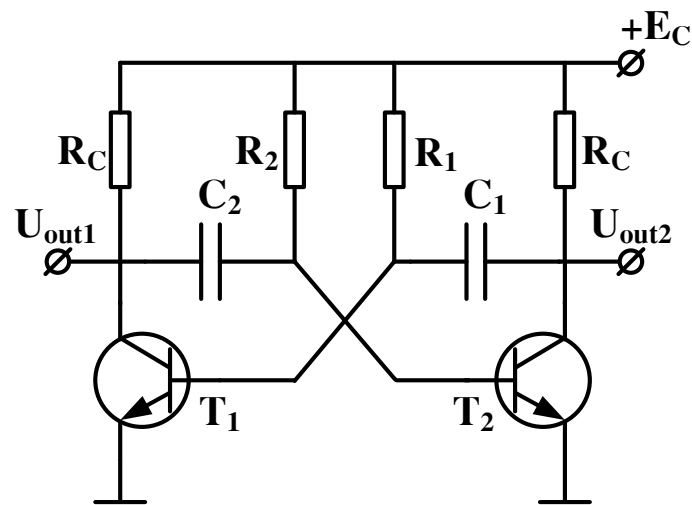
- At $t < t_0$: C_1 is charged to E_C ➔ **Stage 1**

- For $T_1 = t_1 - t_0$: T_1 off, T_2 saturated; C_1 discharges as:
 $+ C_1 \rightarrow T_{CE2} \rightarrow R_1 \rightarrow - C_1 \rightarrow U_{B1}$ goes negative to $-E_C$

- At the same time: C_2 is charged to $+E_C$ as: $+E_C \rightarrow R_C \rightarrow T_{CE2} \rightarrow -E_C$
➔ at t_1 : T_1 saturated, T_2 off ➔ A new state established ➔ **Stage 0**

- For $T_2 = t_2 - t_1$: T_1 off, T_2 saturated; C_2 in turn discharges, operating in similar manner

- Time interval between the stages: $T_1 = 0.7R_1C_1$; $T_2 = 0.7R_2C_2$



Chapter 3. Pulse circuits (cont.)

- Using OPAM

- Periodical change between the stages 1 and 0
Output voltage switches stages between $\pm U_{\max}$

- $U_P = U_{\text{out}} R_1 / (R_1 + R_2) = \pm U_{\max} R_1 / (R_1 + R_2)$

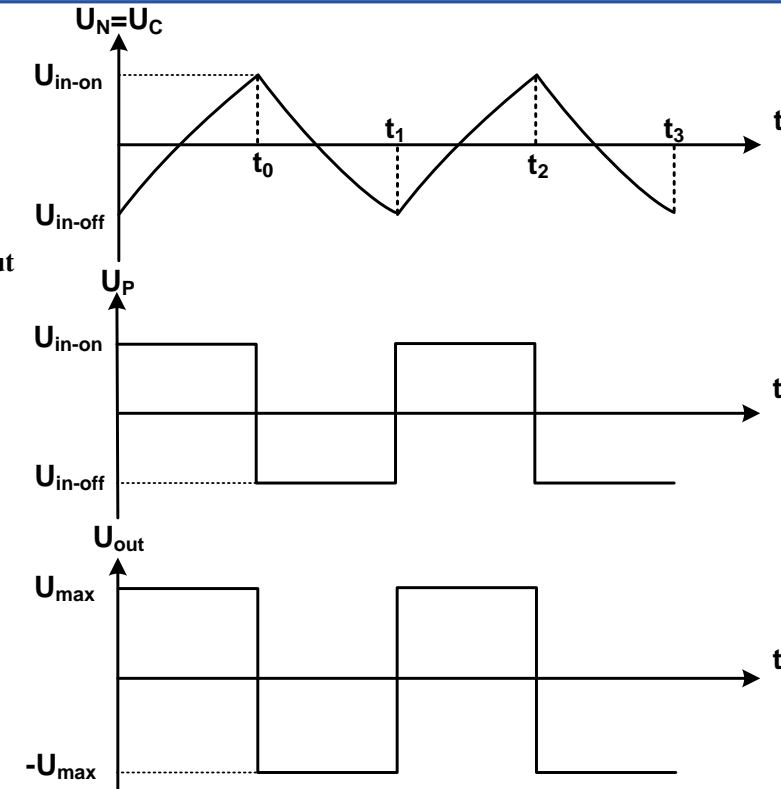
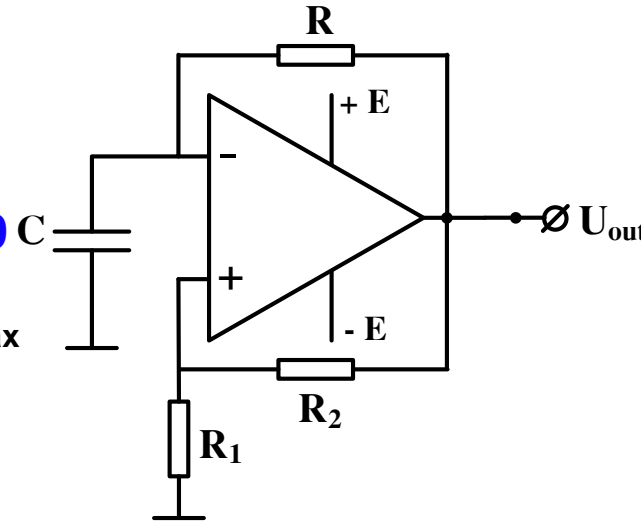
- Since $U_C(t) = U_{\max} [1 + (1 + \beta)e^{-(t/RC)}] = U_N$, where $\beta = R_1 / (R_1 + R_2)$

➔ Stage change occurs when $U_0 = U_P - U_P$ zero-crosses after elapsing time:

$$\tau = RC \ln \left(\frac{1 + \beta}{1 - \beta} \right) = RC \ln \left(1 + \frac{2R_1}{R_2} \right)$$

- The period of output signal: $T = 2\tau = 2RC \ln \left(1 + \frac{2R_1}{R_2} \right)$

- If $R_1 = R_2$: $T = 2RC \ln 3 \approx 2.2RC$



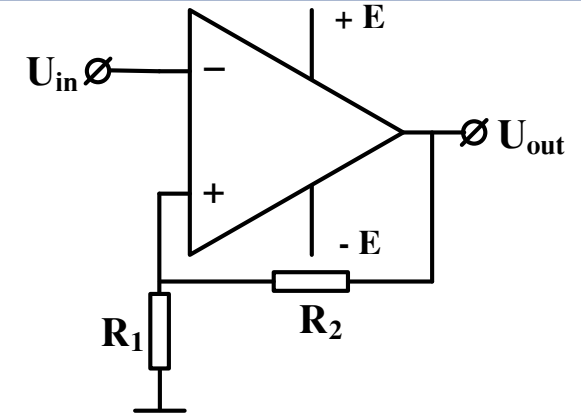
Chapter 3. Pulse circuits (cont.)

EXAMPLE 1: $E = +15\text{V}$; $\pm U_{\text{max}} = \pm 12\text{V}$, $R_1 = 10\text{k}\Omega$, $R_2 = 30\text{k}\Omega$. $U_{\text{in}}(t)$ – a triangle signal with amplitude $\pm 6\text{V}$, $T = 20\text{ms}$

1. Illustrate transfer curves: a) ideal OPAM (trans delay = 0); b) real OPAM with trans delay rate of $0.5\mu\text{s/V}$

2. Demonstrate $U_{\text{out}}(t)$ and its parameters. Determine time transfer delay between $U_{\text{out}}(t)$ and $U_{\text{in}}(t)$ if ideal OPAM

3. Add a **voltage limiter + register** at output to limit output amplitude between $0.6\text{V} \leq U_{\text{out}_m} \leq +5\text{V}$, if $I_{\text{out}} = 10\text{mA}$



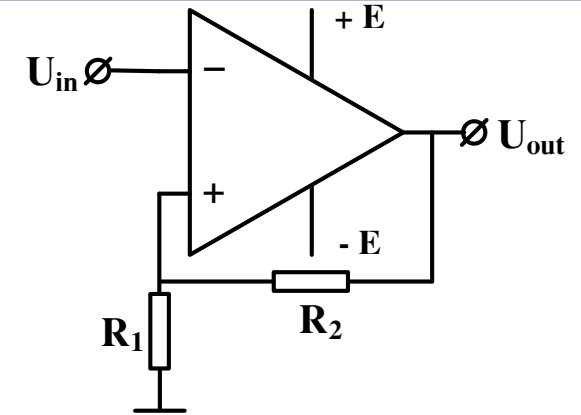
Chapter 3. Pulse circuits (cont.)

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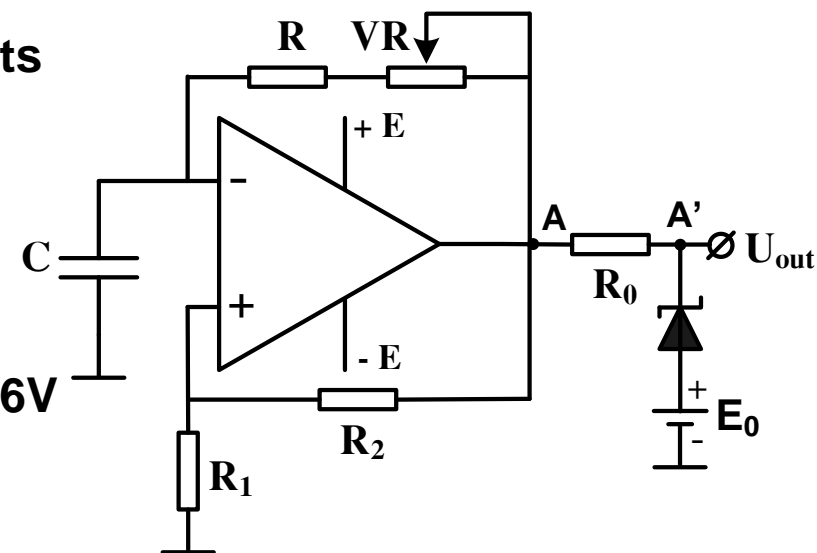
Chapter 3. Pulse circuits (cont.)

EXAMPLE 2: a) Determine function of this circuit and signals at N, P, A points with given $\pm U_{\max}$

b) If $R = 10\text{k}\Omega$, $VR = 0 \rightarrow 10\text{k}\Omega$, $R_1 = R_2 = 9.1\text{k}\Omega$, $C = 0.1\mu\text{F}$, $\pm U_{\max} = \pm 12\text{V}$.

Determine frequency range of signal at A when adjusting VR.

c) Determine signal at A' and R_0 without load, if $U_Z = +5\text{V}$, $I_Z = 10\text{mA}$, $E_0 = +3.6\text{V}$



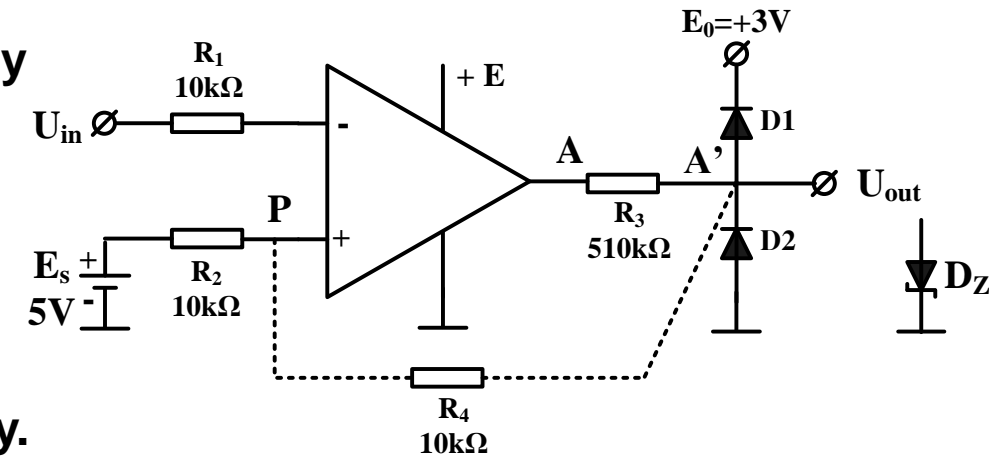
Chapter 3. Pulse circuits (cont.)

- Using OPAM

Chapter 3. Pulse circuits (cont.)

EXAMPLE 3: Given $\pm U_{\max} = \pm 12V$, $U_{D1} = U_{D2} = 0.6V$, without R_4 initially

- Determine function and transfer characteristic
- If polarity of E_0 is subject to change, investigate transfer char.
- If D_2 is replace by D_z . Investigate transfer characteristic.
- Connect R_4 . Determine transfer characteristic and switching delay.

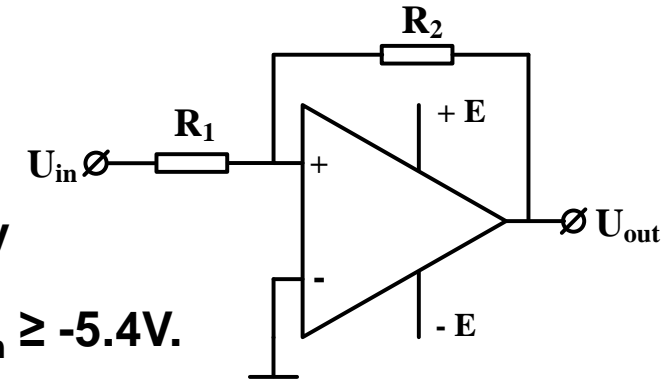


Chapter 3. Pulse circuits (cont.)

Chapter 3. Pulse circuits (cont.)

Example 4: $E = +15\text{V}$; $\pm U_{\text{max}} = \pm 12\text{V}$, $R_1 = 10\text{k}\Omega$, $R_2 = 20\text{k}\Omega$. $U_{\text{in}}(t)$ – a triangle signal with amplitude $\pm 6\text{V}$, $T = 30\text{ms}$

1. Determine output waveform $U_{\text{out}}(t)$ and its parameters: amplitude, period, delay
2. Add a **voltage limiter** at output to limit output amplitude between $+0.6\text{V} \geq U_{\text{out}_m} \geq -5.4\text{V}$.
3. Determine time delay of output switching, if practical OPAM has transfer time delay of 20 ns/V



Chapter 3. Pulse circuits (cont.)

Chapter 3. Pulse circuits (cont.)

Example 5: $E = +15V$; $\pm U_{\max} = \pm 12V$, $R_1 = 15k\Omega$, $R_2 = 60k\Omega$, $R_3 = 20k\Omega$,
 $VR = 0 \rightarrow 40k\Omega$, $C = 0.001\mu F$, $I_Z = 10mA$

1. Determine role of VR and frequency range of output while adjusting VR
2. VR at the right end. Illustrate signals at N, P, A points
3. Explain operation mechanism of R_4 , D, D_Z . Determine R_4 , assuming that the load is very large. Select appropriate D_Z to get output of +5V.

