

876 fix value : 0x 8f880000

0 0111111111 0000000000 8888888888 3

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$$c = 0, e = 12\pi, m = 0001 \dots$$

$$A. 0625(10) = 1.000100 \Rightarrow \text{En costs: } (-1)^0 \times 2^{124-127} \times 1,0001.000$$

↳ 32b hex value : 0x C600 0000

loop 410 0 0 0 0 0 0 0 0

23 bits

$$e = 1, e = 140, m = 0.000\ldots 0$$

$$= (-1)^4 \times 2^{13} \times 4,000,000$$

↳ Encode

$$= (1,0) \times 2^{13}$$

= 10 0000 0000 0000 00

1981-87

4) Encod the following numbers as single-precision floating point numbers.

## Homework #4

$$c) 0.4 = 0.01100110011$$

$$\rightarrow 1.100110011 \times 2^{(-2)}$$

$$\rightarrow S = 0, e = 125, m = 10011001100$$

0 011|110|1 100|1100|1100|1100|1100|1100  
3 F C C C C C

32 b hex value : 0x 3E CC CCC

$$d) 256 + 1/512$$

$$1\ 0000\ 0000.\ 0000\ 0000\ 1_{(2)}$$

$$= 1.0000\ 0000\ 0000\ 0000\ 1\dots \times 2^8$$

$$S = 1, e = 135, m = 0000\ 0000\ 0000\ 0000\dots$$

Encode:

1 100|0 01|1 000|0 000|0 1 00|0000|0000|0 000|  
c 3 8 0 4 0 0 0 0

→ 32 b hex value : 0x C3804000

$$e) 2.000976562_{(10)}$$

$$= 10.\ 0000\ 0000\ 01$$

$$= 1.0000\ 0000\ 001\dots \times 2^1$$

$$S = 1, e = 128, m = \underbrace{0000\ 0000}_{23 \text{ bits}}\ 001\dots$$

1 100|0000|0 000|0 000|0 001|0000|0000|0000|  
c 0 0 0 1 0 0 0

→ 32 b hex value = 0x C0001000

5)

Memory Virtualization is a technique used by operating systems to hide the complexity of programs being allocated to dozens of different blocks scattered all over the memory. With virtual memory, programs can assume their memory always starts at 0, keeping things simple and consistent.

Virtual memory takes program addresses and maps them to RAM addresses.

## Role of virtualization in memory protection

Since memory virtualization maps the program's addresses to different addresses in the RAM, or allocate each program its own memory, programs are better isolated from one another and cannot access each other's data

→ This will help protect against malicious software like viruses

→ Program can't corrupt each other

- ⑧ Fragmentation: A process is loaded and removed from memory, the free memory space after removing is broken into pieces
  - ⇒ After some times that process cannot be allocated back to the memory because of small size and the memory block remains unusedThis problem is called fragmentation
- ⑨ Paging: is a non-contiguous allocation in order to reduce the complexity of program

6)

A cache is a hardware or software component that stores data so that future requests for that data can be retrieved faster

### Principle of Locality

- ① Temporal Locality: refers to the reuse of specific data items within a short time frame. After fetching an item from main memory and storing it in cache, any subsequent calls for that data can be done faster as programs running on a processor tend to use the same variables and structures
- ② Spatial Locality: refers to the tendency of data items that will be needed soon to reside in memory locations near or adjacent to items that are needed now. This can be the result of either programmers or compilers clustering items in memory
- ③ Algorithmic Locality: is the tendency of applications to perform operations on related data items though not in any short time period and despite the fact the items are not each other in memory

Since the cache already stores copies of data and instructions from RAM, the CPU don't have to go back to retrieve the data and the data already stored only have to wait to be used by the CPU

b)

br32:

- (1) MOV R1, R0
- (2) MOV R0, #0
- (3) MOV R2, #0x80000000
- (4) MOV R3, #0x00000001

br-loop:

- (5) TST R1, R2
- (6) ORRNE R0, R0, R3
- (7) MOVS R2, R2, LSR #1
- (8) MOV R3, R3, LSL #1
- (9) BNE br-loop
- (10) BX LR

Times	clock	=	total clk
1	x	1	1
1	x	1	1 → Total clocks,
1	x	1	1 $1 \times 4 + 32 \times 4 + 93$
1	x	1	+ 1 + 2
32	x	1	32 = 228
32	x	1	32
32	x	1	32
32	x	1	32
31	x	3	93
1	x	1	1
1	x	2	2

frequency of the clock : 4 GHz

$$T = \frac{1}{f} = \frac{1}{4} = 0.25 \text{ nano sec}$$

$$\Rightarrow \text{execution time} = (0.25)(228) = 57 \text{ nanosec}$$

2) Assume float  $x = 4,194,304$

$$x = 4,194,304 = 2^{22} = 1.0 \times 2^{22}$$

$$\Rightarrow s = 0, e = 149, f = \underbrace{0 \dots 0}_{23 \text{ bits}}$$

$$2^{22} \times 1.0000\ 0000\ 0000\ 0000\ 000$$

The smallest positive number that can be added to  $x$  is 1

The ratio of the large to the smallest single-precision floating point number that can be added together without a loss of accuracy :  $2^{22}$

4) The value of SP is : 0x 2000 1024