# Step and Impulse Response of a RLC Band Pass Filter

Lab 5

Spring 2023

### 1 Purpose

Use Laplace transforms to find the time-domain response of an RLC bandpass filter to impulse and step inputs.

### 2 Deliverables Overview

### 2.1 Part 1

• Two plots that should be identical to each other to be included in the **Data** section of your report.

#### 2.2 Part 2

- One plot to be included in the **Data** section of your report.
- Properly formatted equation for the final value theorem to be included in the **Equations** Used section of your report.

As usual, plots and equations need to be thoroughly discussed in your report.

### 3 Part 1

#### 3.1 Purpose

In this part of the lab, you will plot the impulse response of the circuit given in the prelab in two ways:

- 1. Using the hand-solved time-domain impulse response from the prelab, implemented as a function.
- 2. Using the scipy.signal.impulse() function with the s-domain transfer function from the prelab.

#### 3.2 Deliverables

1. The two plots generated from your code. One figure with two subplots is the best way to plot these. Make sure the x and y axes are the same for both plots.

#### 3.3 Tasks

Note: Both plots from this section should be identical.

- 1. Plot the impulse response h(t) that you found by hand in the prelab assignment from  $0 \le t \le 1.2$  ms.
- 2. Use the scipy.signal.impulse() function to plot the results from  $0 \le t \le 1.2$  ms.

#### 3.3.1 Example Code

The following code implements the Laplace domain transfer function  $H(s) = \frac{s+2}{s^2+3s+8}$ .

```
import scipy.signal as sig
t = np.arange(0, 1.2e-3+steps, steps) #This might already be defined in your code

num = [0, 1, 2] #Creates a matrix for the numerator
den = [1, 3, 8] #Creates a matrix for the denominator

tout, yout = sig.impulse((num, den), T = t)

#Plot tout, yout
```

### 4 Part 2

### 4.1 Purpose

This section uses scipy.signal.step() function to plot the step response of the transfer function H(s). Additionally, the final value theorem will be demonstrated.

#### 4.2 Deliverables

The plot from this section and discussion on the final value theorem.

#### 4.3 Tasks

- 1. Find the step response of H(s) using the scipy.signal.step() function from  $0 \le t \le 1.2$  ms.
- 2. Perform the final value theorem for the step response H(s)u(s) in the Laplace domain. The results need to be included in your report and properly formatted.
- 3. Compare your result to the plot in **Part 1** Task 2 and discuss whether your result makes sense.

## 5 Questions

- 1. Explain the result of the Final Value Theorem from **Part 2** Task 2 in terms of the physical circuit components.
- 2. Leave any feedback on the clarity of the expectations, instructions, and deliverables.