

Universality of human microbial dynamics

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Human-associated microbial communities have a crucial role in determining our health and well-being^{1,2}, and this has led to the continuing development of microbiome-based therapies³ such as faecal microbiota transplantation^{4,5}. These microbial communities are very complex, dynamic⁶ and highly personalized ecosystems^{3,7}, exhibiting a high degree of inter-individual variability in both species assemblages⁸ and abundance profiles⁹. It is not known whether the underlying ecological dynamics of these communities, which can be parameterized by growth rates, and intra- and inter-species interactions in population dynamics models¹⁰, are largely host-independent (that is, universal) or host-specific. If the inter-individual variability reflects host-specific dynamics due to differences in host lifestyle¹¹, physiology¹² or genetics¹³, then generic microbiome manipulations may have unintended consequences, rendering them ineffective or even detrimental. Alternatively, microbial ecosystems of different subjects may exhibit universal dynamics, with the inter-individual variability mainly originating from differences in the sets of colonizing species^{7,14}. Here we develop a new computational method to characterize human microbial dynamics. By applying this method to cross-sectional data from two large-scale metagenomic studies—the Human Microbiome Project^{9,15} and the Student Microbiome Project¹⁶—we show that gut and mouth microbiomes display pronounced universal dynamics, whereas communities associated with certain skin sites are probably shaped by differences in the host environment. Notably, the universality of gut microbial dynamics is not observed in subjects with recurrent *Clostridium difficile* infection¹⁷ but is observed in the same set of subjects after faecal microbiota transplantation. These results fundamentally improve our understanding of the processes that shape human microbial ecosystems, and pave the way to designing general microbiome-based therapies¹⁸.

The underlying dynamics of a microbial ecosystem, that is, the ecological interactions that govern its change, equilibrium and stability, can be represented by a population dynamic model

$$\dot{\mathbf{x}}^{(\nu)} = f(\mathbf{x}^{(\nu)}; \Theta^{(\nu)}) \quad (1)$$

which describes the time-dependent abundance profile $\mathbf{x}^{(\nu)}(t) = (x_1^{(\nu)}(t), \dots, x_N^{(\nu)}(t))$ of N microbial species present in a particular body site of subject ν . Here, $f(\mathbf{x}^{(\nu)}; \Theta^{(\nu)})$ is typically a nonlinear function and $\Theta^{(\nu)}$ captures all the ecological parameters, that is, growth rates, and intra- and inter-species interactions. Those parameters may generally depend on host-independent factors, such as biochemical processes and microbial metabolic pathways¹⁹; and on host-specific ones, such as nutrient intake²⁰ and host genetic make-up¹³.

Three fundamental cases could represent the dynamics of M healthy subjects: (1) individual dynamics, in which the ecological parameters are different in different subjects, that is, $\Theta^{(1)} \neq \dots \neq \Theta^{(M)}$; (2) group dynamics, in which subjects can be classified into K groups ($K \ll M$) on the basis of certain host factors and subjects in the same group share the same set of parameters, that is, $\Theta^{(\nu)} = \Theta^P$ for all subjects in

group P ($P = 1, \dots, K$); and (3) universal dynamics, in which all the subjects share the same set of parameters, that is, $\Theta^{(\nu)} = \Theta$ for all subjects. If we represent the ecological parameters, such as the inter-species interactions, in a directed, weighted ecological network, the above three cases can be easily visualized (see Fig. 1).

Despite its crucial consequences, we do not know which case best represents the microbial ecosystems of healthy individuals. Addressing this question is vital for developing microbiome-based therapies^{3,18}. Indeed, if the dynamics are universal, the inter-personal variability stems solely from the different assemblages of colonizing species in different individuals. We can then design

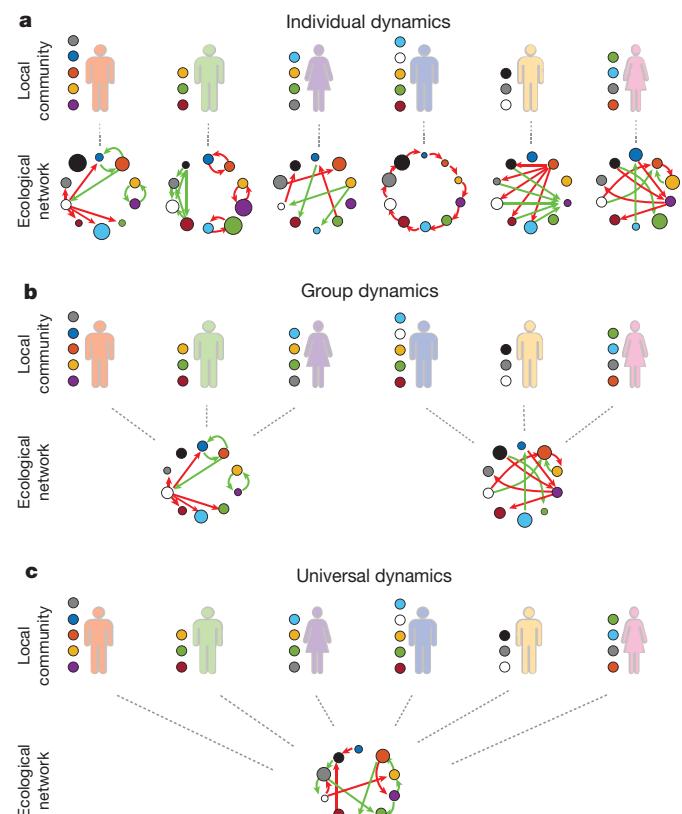


Figure 1 | Alternative scenarios of microbial dynamics across different healthy subjects. Microbial dynamics captured by equation (1) is simply represented by an ecological network, in which nodes represent species (with node sizes proportional to growth rates) and edges represent inter-species interactions (with green and red arrows representing excitatory and inhibitory interactions, respectively). Different subjects typically have different species assemblages, represented by coloured circles near each subject. **a**, The underlying dynamics/network is unique for each subject. **b**, Subjects within the same group share the same dynamics/network that is significantly different from that of other groups. **c**, Different subjects have the same underlying dynamics/network.

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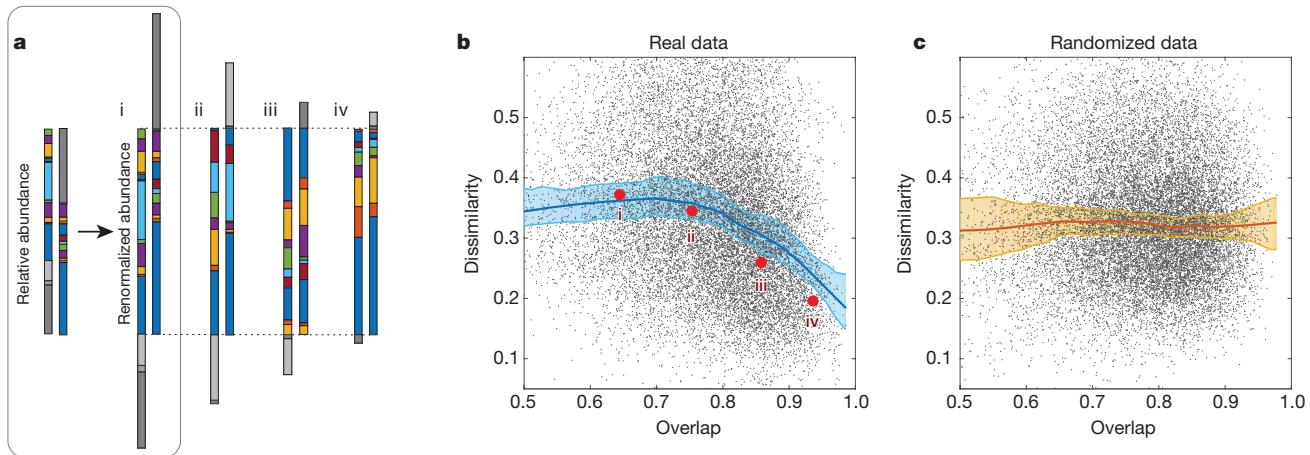


Figure 2 | Higher overlap of microbial communities is associated with lower dissimilarity. **a**, Four gut microbial sample pairs (i–iv) represented by stacked bars at the genus level. For each sample pair, their shared genera are coloured while non-shared genera are shown in grey. **b**, DOC (in dark blue) of microbial sample pairs from the HMP study

general interventions to control the microbial state (in terms of species assemblage and abundance profile) of different individuals. By contrast, if the dynamics are strongly host-specific, we must design truly personalized interventions, which need to consider not only the unique microbial state of an individual but also the unique dynamics of the underlying microbial ecosystem. In addition, host-specific dynamics, if they exist, raise a major safety concern for faecal microbiota transplantation (FMT), because although the healthy microbiota are stable in the donor's gut, they may be shifted to an undesired state in the recipient's gut.

The ideal approach to addressing this fundamental question would be to infer the dynamic model captured by equation (1) for a large number of healthy individuals from temporal metagenomic data, and then compare the system parameters $\Theta^{(\nu)}$ directly. However, empirical parameterization of the exact functional form of $f(x^{(\nu)}; \Theta^{(\nu)})$ is extremely difficult for complex ecological systems. Furthermore, inferring the system parameters typically requires high-quality time series data and well-designed experiments to ensure the system parameters are identifiable²¹. Such data sets are not currently available. A conventional correlation analysis of cross-sectional data cannot address this question either, because it only captures effective (or indirect) interactions and is subject to spurious correlations due to the compositionality of relative abundances in genomic survey data²².

To overcome these issues, we developed a novel method to detect 'fingerprints' of universal microbial dynamics. This is achieved by restricting ourselves to answer the question of whether the dynamics are universal or not, rather than the broader and harder question of what the dynamics are. The key idea is that when comparing microbial communities (samples) from different subjects, we distinguish between two contributors to the inter-individual variability: the difference in species assemblages and the difference in abundance profiles. We quantify those two contributors by: $O(\tilde{x}, \tilde{y})$, the overlap of the species assemblages, calculated from the relative abundances of the shared species; and $D(\hat{x}, \hat{y})$, the dissimilarity between the renormalized abundance profiles of the shared species (see Methods). Note that the two measures (overlap and dissimilarity) are not *a priori* dependent on each other. Indeed, $D(\hat{x}, \hat{y})$ is mathematically not constrained by any value of $O(\tilde{x}, \tilde{y}) > 0$ (see Supplementary Information section 1.2.1 for details). Hence any constraints of $D(\hat{x}, \hat{y})$ by $O(\tilde{x}, \tilde{y})$ observed from real data deserve our attention and may have ecological interpretations (see Fig. 2a, b).

To compare samples systematically from a given microbiome data set, we first calculate the overlap and dissimilarity of all the sample pairs and represent each sample pair as a point in the

($M = 190$ samples). Grey dots represent all the 17,955 sample pairs. **c**, DOC (in dark red) of the randomized samples is flat. In **b** and **c**, and throughout the paper, shaded area indicates the range of the 94% confidence interval (see Methods).

dissimilarity–overlap plane. We then perform nonparametric regression and bootstrap sampling to calculate the dissimilarity–overlap curve (DOC) and its confidence interval (see Fig. 2b and Methods). In the case of (i) individual dynamics, or (ii) universal dynamics but without inter-species interactions, a flat DOC is expected (see Supplementary Information section 1.2.3). By contrast, for systems with universal dynamics and inter-species interactions, we expect the corresponding DOC to display a characteristic feature: a negative slope in the high-overlap region; that is, abundance profiles of sample pairs become more similar as their overlap becomes higher (see Supplementary Information section 1.2 and Extended Data Fig. 1). A negative slope can also be seen in the DOC of microbial communities characterized by group dynamics. The existence of such group dynamics however can be easily detected by standard ordination techniques and clustering analysis^{23,24} and hence ruled out (see Extended Data Fig. 2). Note that the DOC analysis described above is not affected by the compositionality of the genomic survey data and requires neither time series data nor any *a priori* knowledge of the specific ecological dynamics. Instead, it only relies on a few reasonable assumptions (see Methods).

To verify our DOC analysis, we first applied it to synthetic data generated from the canonical generalized Lotka–Volterra (GLV) model, which has been used for predictive modelling of the intestinal microbiota^{25–27}. Extended Data Figure 3 shows that in the case of universal dynamics with strong inter-species interactions, the DOC displays a clear negative slope in the high-overlap region. By contrast, in the case of individual dynamics or universal dynamics without inter-species interactions, a flat DOC is observed.

To verify the DOC analysis directly using real data, we analysed longitudinal gut microbial samples of four healthy individuals from two microbiome studies^{11,28}. For each individual, we expect a highly universal microbial dynamics throughout the period of measurement; that is, the ecological parameters $\Theta^{(\nu)}$ of the corresponding microbial community are largely time-invariant. We found that the DOCS of all four subjects show a clear negative slope in the high-overlap region (Extended Data Fig. 4), consistent with our expectation.

Next, we systematically analysed cross-sectional microbial samples of different body sites from two large-scale metagenomic studies, the Human Microbial Project (HMP)^{9,15} and the Student Microbiome Project (SMP)¹⁶. The results are shown in Fig. 3 and Extended Data Fig. 5. In Fig. 3, for each body site the DOCS calculated from real and randomized samples are shown in dark blue and red, respectively. The overlap distributions of the real between-subjects sample pairs are shown in pink. Note that the characteristic overlap in a particular body

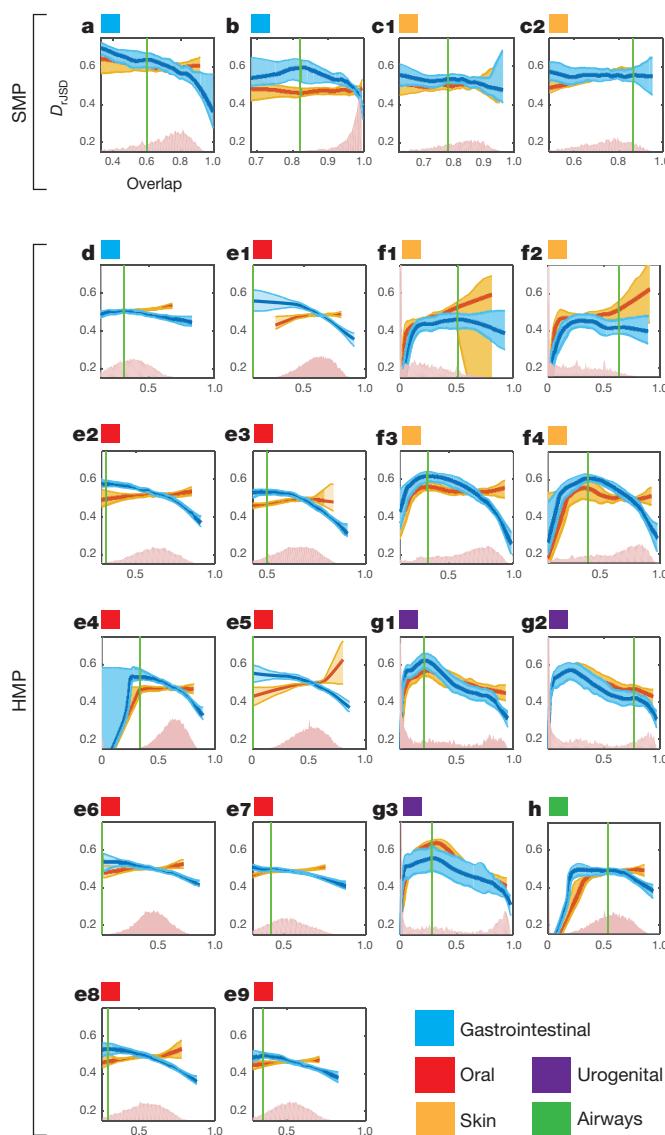


Figure 3 | Detecting universality of microbial dynamics in different body sites. **a–h**, We calculated DOCs for real (dark blue) and randomized (dark red) samples of two data sets: (1) SMP: gut (**a**), tongue (**b**), forehead skin (**c1**), palm skin (**c2**); (2) HMP: gut (**d**), tongue dorsum (**e1**), attached keratinized gingiva (**e2**), buccal mucosa (**e3**), hard palate (**e4**), palatine tonsils (**e5**), subgingival plaque (**e6**), supergingival plaque (**e7**), throat (**e8**), saliva (**e9**), left/right antecubital fossa (**f1/f2**), left/right retroauricular crease (**f3/f4**), vaginal introitus (**g1**), mid-vagina (**g2**), posterior fornix (**g3**), anterior nares (**h**). The overlap distributions of the real between-subjects sample pairs are shown in pink. The vertical green line represents the change point (see Methods).

the two studied data sets (Extended Data Fig. 6). In particular, the negative slope of DOC is most significantly observed in samples from the gut and mouth and least observed in samples from hand skin (palm and elbow). These findings strongly suggest the existence of universal dynamics characterized by inter-species interactions in the gut and mouth microbiomes.

An alternative explanation for the observed negative slope of the DOC for gut and mouth microbiomes of healthy subjects could be that some host factors not only select for the presence of certain microbes but also drive their relative abundances by enforcing certain optimally adapted compositions. To test this alternative explanation, we systematically analysed microbial samples while controlling for the effect of several leading candidates for potential confounding factors, for example, body mass index, age, long-term dietary pattern and stool consistency. We found that as long as their values are in the normal range those factors cannot explain the observed DOC pattern (see Extended Data Figs 7 and 8). Hence, the alternative explanation for the negative slope in DOC is unlikely to be true. Of course, with currently available data sets we cannot possibly account for all other confounders, such as drugs, genetics, inflammation, or their combinations. More data sets will be needed to test this intriguing alternative explanation.

The above results of healthy subjects raise an interesting question: does the universality of microbial dynamics also exist in subjects with disrupted microbiomes? To address this question, we applied the DOC analysis to microbial samples of 17 subjects with recurrent *Clostridium difficile* infection (rCDI) and the same set of subjects after FMT¹⁷. *Clostridium difficile* is an opportunistic pathogen that causes disease worldwide and greatly increases morbidity and mortality in hospitalized patients. Fortunately, FMT is very efficacious in treating patients with rCDI, with pronounced clinical improvement even after a single treatment²⁹. We found that the dissimilarity between rCDI subjects is largely independent of their species overlap, rendering a flat DOC (Fig. 4a). By contrast, after FMT (median, 4 days) the DOC displays a pronounced negative slope in the high-overlap region (Fig. 4b), suggesting a universal gut microbial dynamics. FMT treatments show the flexibility of microbial communities and their adaptation to composition changes. Our result suggests that this adaptive behaviour may be associated with the observed universal microbial dynamics after FMT.

site is different in the two studies. For example, the average overlap between HMP gut samples is about 0.4 and between SMP samples is about 0.75. To account for this fact and to compare the DOCs fairly across different body sites and studies, we used two different measures to quantify the universality (see Methods). Notably, although these two measures quantify different features of the DOC analysis, the body-sites stratification pattern is consistent across the two measures and

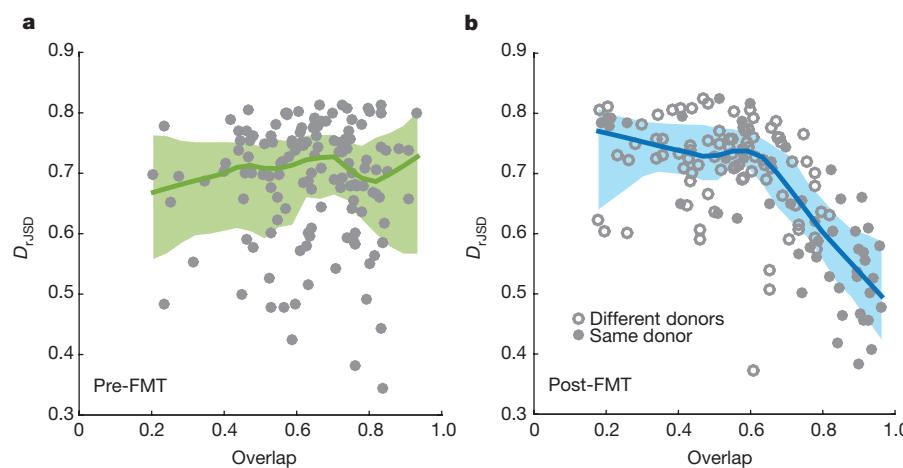


Figure 4 | DOC analysis of human subjects with rCDI. **a**, Before FMT, the DOC (dark green line) of the rCDI subjects is nearly flat. **b**, After FMT, the DOC (dark blue line) displays a pronounced negative slope in the high-overlap region. We denoted a subject pair as a solid (or hollow) circle if the two subjects received FMT from the same donor (or two different donors). Notably, solid circles spread over a wide range of overlap values, suggesting that even if two subjects share the same donor, their post-FMT microbiomes may still display strong inter-individual variability.

Finally, we anticipate that applying our DOC analysis to subjects with other diseases (especially non-gastrointestinal diseases) or infants at different developmental stages will offer deeper insights into how dynamical processes shape human microbial ecosystems. The developed DOC analysis can also be directly applied to other microbial ecosystems—for example, the microbiome of soil, ocean, lakes, phyllosphere/rhizosphere and fermenters—to detect the universality of the underlying ecological dynamics (see Extended Data Fig. 9). This sheds light on the design of more advanced methods to extract dynamical information from microbial data.

Online Content Methods, along with any additional Extended Data display items and Source Data, are available in the online version of the paper; references unique to these sections appear only in the online paper.

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Supplementary Information is available in the online version of the paper.

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Author Contributions Y.-Y.L. conceived and designed the project. A.B. developed the DOC analysis, performed numerical simulations, and analysed all the real data. A.B. and Y.-Y.L. performed analytical calculations. A.B. and V.J.C. performed statistical tests. All authors analysed the results. A.B. and Y.-Y.L. wrote the manuscript. All authors edited the manuscript.

Author Information Reprints and permissions information is available at www.nature.com/reprints. The authors declare no competing financial interests. Readers are welcome to comment on the online version of the paper. Correspondence and requests for materials should be addressed to Y.-Y.L. (yyl@channing.harvard.edu).

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METHODS

All the data sets analysed in this work have been published (see Methods section ‘Human microbiome data sets analysed in this work’ for details). The original experiments and corresponding power analysis have been reported in previous publications.

Overlap between species assemblages. Consider two microbial samples, represented by two abundance vectors $\mathbf{x} = (x_1, \dots, x_N) \in \mathbb{R}^N$ and $\mathbf{y} = (y_1, \dots, y_N) \in \mathbb{R}^N$. For genomic survey data of the human microbiome, only the relative abundances are known. Hence, we are dealing with the relative abundance profiles $\tilde{\mathbf{x}} = (\tilde{x}_1, \dots, \tilde{x}_N)$ and $\tilde{\mathbf{y}} = (\tilde{y}_1, \dots, \tilde{y}_N)$, where $\tilde{x}_i \equiv \frac{x_i}{\sum_{j=1}^N x_j}$ and $\tilde{y}_i \equiv \frac{y_i}{\sum_{j=1}^N y_j}$. To quantify the similarity

of the species assemblages (sets) of the two samples, denoted as $X = \{i \mid x_i > 0\}$ and $Y = \{i \mid y_i > 0\}$, we defined the overlap measure $O(\tilde{\mathbf{x}}, \tilde{\mathbf{y}}) \equiv \sum_{i \in S} \frac{\tilde{x}_i + \tilde{y}_i}{2}$, where

$S \equiv X \cap Y$ is the set of shared species present in both samples. In case S is empty, $O(\tilde{\mathbf{x}}, \tilde{\mathbf{y}}) = 0$. If $S = \{1, \dots, N\}$, that is, all the species in X and Y are shared, then $O(\tilde{\mathbf{x}}, \tilde{\mathbf{y}}) = 1$, but the abundance profiles $\tilde{\mathbf{x}}$ and $\tilde{\mathbf{y}}$ can still be very different. In the extreme case when the relative abundance is the same for all species in X and Y , the overlap measure can be written as a function of the classical Jaccard index. Yet, there are many advantages of using the overlap measure, instead of the Jaccard index, in our analysis (see Supplementary Information section 1.1.4).

Dissimilarity between abundance profiles. To compare the abundance profiles of two samples, we first renormalize the relative abundances of only the shared species (in set S), yielding $\hat{\mathbf{x}} = \{\hat{x}_i\}_{i \in S}$ and $\hat{\mathbf{y}} = \{\hat{y}_i\}_{i \in S}$. Here $\hat{x}_i \equiv \frac{\tilde{x}_i}{\sum_{j \in S} \tilde{x}_j} = \frac{x_i / \sum_{k \in X} x_k}{\sum_{j \in S} x_j / \sum_{k \in X} x_k} = \frac{x_i}{\sum_{j \in S} x_j}$ and \hat{y}_i is defined similarly. This way we remove the spurious dependence between the relative abundances of the shared and the non-shared species. More importantly, this renormalization assures that the calculated dissimilarity measure is mathematically independent of the overlap measure (see Supplementary Information section 1.2.1). The dissimilarity is then evaluated via the root Jensen–Shannon divergence (rJSD) measure

$$D(\hat{\mathbf{x}}, \hat{\mathbf{y}}) = D_{\text{rJSD}}(\hat{\mathbf{x}}, \hat{\mathbf{y}}) \equiv \left[\frac{D_{\text{KL}}(\hat{\mathbf{x}}, \mathbf{m}) + D_{\text{KL}}(\hat{\mathbf{y}}, \mathbf{m})}{2} \right]^{\frac{1}{2}}$$

in which $\mathbf{m} \equiv \frac{\hat{\mathbf{x}} + \hat{\mathbf{y}}}{2}$ and $D_{\text{KL}}(\hat{\mathbf{x}}, \hat{\mathbf{y}}) \equiv \sum_{i \in S} \hat{x}_i \log \frac{\hat{x}_i}{\hat{y}_i}$ is the Kullback–Leibler divergence between $\hat{\mathbf{x}}$ and $\hat{\mathbf{y}}$. The dissimilarity can also be evaluated via any other classical dissimilarity measures in ecology and biology, for example, Bray–Curtis dissimilarity, Yue–Clayton dissimilarity, and the negative Spearman correlation (see Extended Data Fig. 5). In this work, we focused on rJSD because it is a distance metric that satisfies non-negativity, identity, symmetry and triangle inequality (see Supplementary Information section 1.1.1). Comparing sample pairs on the basis of phylogenetic information, for example, using weighted- and unweighted-UniFrac³⁰ as quantitative and qualitative measures, respectively, has the potential to provide better insight on the communities’ dissimilarity–overlap behaviour. However, since the weighted- and unweighted-UniFrac are not mathematically independent, they cannot be trivially integrated into our DOC analysis.

DOC. To compare sample pairs systematically with a wide range of overlap values and analyse their dissimilarity–overlap relations, we calculate the overlap and dissimilarity of all the sample pairs from a given set of microbiome samples and represent each sample pair as a point in the dissimilarity–overlap plane. We then use the robust LOWESS (locally weighted scatterplot smoothing) method, a standard non-parametric regression method that is resistant to outliers, to calculate the DOC.

To get the confidence interval, we use the following bootstrap technique. (1) From a data set of M samples we calculate the overlap and dissimilarity of the $M(M - 1)/2$ sample pairs, represented as $M(M - 1)/2$ points in the overlap–dissimilarity plane. (2) In each bootstrap realization, we resample a new set $K = \{k_1, \dots, k_M\}$ from the M original samples with replacement. Some of the original samples might not be included and some could be sampled more than once. (3) We create a new cloud of points C : a point associated with sample pair (i, j) is included in C only if both $i, j \in K$, while a point is chosen several times if the sample i or j were resampled more than once in K . (4) A new DOC is calculated for C using the robust LOWESS method. We set the smoothing parameter (‘span’) to be 0.2. (5) We repeat steps (2)–(4) T times to create T DOCs. (6) The 3rd and 97th percentiles of the T curves represent the 94% confidence interval for the DOC. In this work, we chose $T = 100$.

Assumptions of the DOC analysis. There are two reasonable assumptions underlying the DOC analysis. First, the abundance profiles of the samples should represent the steady states of the microbial ecosystem and hence the fixed points of the underlying dynamics that satisfy $\dot{\mathbf{x}} = \mathbf{0}$. This assumption is fairly reasonable because human gut microbiota is a relatively resilient ecosystem³, and until the next large perturbation (for example, antibiotic administration or dramatic dietary

change) is introduced, the system remains stable for months and possibly even years^{11,28,31}. Second, if two communities have the same species assemblages and the same abundance profile (steady state), then the two communities have the same microbial dynamics. Mathematically, this is not necessarily true, because different dynamical systems can give rise to an identical steady state or fixed point. Yet, given the large number of species and all the other levels of complexity in their interactions, the possibility of having different dynamics with the same fixed point is very unlikely. Indeed, universal dynamics is the most plausible explanation for the observed pattern, that is, the negative slope of DOC in the high-overlap region.

Limitations of the DOC analysis. We point out that for overlap values close to zero, a positive slope may occur as the artefact of dissimilarity between relative abundance profiles with small number of species (see Fig. 3e, f1–f4, g1–3, h, Extended Data Fig. 10, and Supplementary Information section 1.1.3).

We also emphasize that a flat DOC does not completely rule out the possibility of universal dynamics. For example, the DOC of the gut microbiome samples of rCDI patients is flat (Fig. 4a). There are two possibilities. First, the universality of microbial dynamics found in healthy subjects (Fig. 3a, d) is completely lost in the rCDI subjects, owing to the infection and/or the dysbiosis caused by the extensive inciting antibiotic treatment. Second, the possibly universal microbial dynamics of the rCDI subjects are just undetectable by the DOC analysis. This could be due to the extremely liquid stool samples of the rCDI subjects that suffer from diarrhoea, as stool consistency has been found to be strongly correlated with the gut microbiota compositions^{32,33}. It is also possible that the abundance profiles of rCDI subjects are markedly varying over time and hence do not represent the steady states of the underlying microbial ecosystem (although a mouse infection model does not seem to support this hypothesis³⁴).

If true multi-stability exists, that is, multiple stable states (abundance profiles) are associated with the same set of species present in the same environment, then our DOC analysis may not detect it. However, true multi-stability in human-associated microbial communities has not been demonstrated experimentally, partially because any subtle differences in the species assemblages can drive those microbial communities³⁵.

In summary, our DOC analysis detects universal dynamics under certain conditions. More precisely, it provides a means of discriminating dynamics into universal or possibly universal.

Universality measures and statistical test. Note that the DOCs of different data sets/studies must be compared with caution, especially if the microbial samples were preprocessed by different pipelines³⁶, for example, with different operational taxonomic unit (OTU) clustering thresholds, or different OTU picking methods. As shown in Fig. 3, the characteristic overlap in a particular body site is different in different studies. For example, the average overlap between HMP gut samples is about 0.4 and between SMP samples is about 0.75. To account for this fact and to compare the DOCs fairly across different body sites and studies, we used two different measures to quantify the universality.

(1) f_{ns} . For each cohort we determined the fraction of data points for which the DOC displays a negative slope, denoted as f_{ns} . Specifically, for a given DOC calculated from a cohort of M microbial samples, we first detected the ‘change point’ O_c such that $\frac{dy(O)}{dO} < 0$ for any $O > O_c$, in which $y(O)$ is a smoothed curve of the DOC (for example, using the default ‘smooth’ function of Matlab with moving average over 5 neighbours). Then, f_{ns} is defined as $f_{\text{ns}} = \frac{\text{number of sample pairs with } O > O_c}{\text{total number of sample pairs}}$. In Fig. 3a–h, this is the area of the overlap distribution to the right of the green vertical line (the change point O_c). The results of f_{ns} for different body sites are shown in Extended Data Fig. 6a.

(2) P value. To estimate the slope of the DOC, we used a linear mixed-effects model, which explicitly takes into account the fact that those data points in the dissimilarity–overlap plane are not completely independent (because for a data set of M samples, each sample affects $(M - 1)$ data points). To avoid any potential biases due to the detection of change point, we use data points with overlap larger than the median value, that is 50% of all the data points, for all the data sets (from all the body sites). We repeated this step for 200 bootstrap realizations. The distributions of the slopes for different body sites are shown in Extended Data Fig. 6b. The one-tailed P values are calculated as the fraction of bootstrap realizations with a non-negative slope, and adjusted for multiple comparisons by the procedure of Benjamini and Hochberg³⁷.

We emphasize that those two measures are complementary. In the first measure (f_{ns}), we consider the existence of a negative slope and ask what is the fraction of data points that support it. In the second measure, we consider a fixed fraction of data points (50%) and asked whether a significant negative slope is observed.

Population dynamics model. The GLV model represents the dynamics of N interacting species as a set of ordinary differential equations: $\frac{dx_i}{dt} = r_i x_i + \sum_{j=1}^N a_{ij} x_i x_j$, $i = 1, \dots, N$. Here, r_i is the intrinsic growth rate of species

i , a_{ij} is the interaction strength between species j and i , and $a_{ii}x_i^2$ (with $a_{ii} < 0$) represents the logistic growth term. We considered a microbial ‘sample’ as a steady state of a GLV model parameterized by the growth rate vector $\mathbf{r} = \{r_i\} \in \mathbb{R}^N$ and the interaction matrix $A = (a_{ij}) \in \mathbb{R}^{N \times N}$ and we set $N = 100$ and $a_{ii} = -1$ in our simulations. We generated different ‘cohorts’, each consists of $M = 100$ ‘samples’. The GLV models differ from each other in their specific parameters (r_i and a_{ij}). To achieve that, for each cohort, we first constructed a ‘base’ GLV model (\mathbf{r}^*, A^*) as follows: r_i^* is randomly chosen from the uniform distribution $\mathbb{U}(0, 1)$. a_{ij}^* is randomly chosen from the normal distribution $\mathbb{N}(0, (\bar{\sigma}\sigma_{\max})^2)$, $\bar{\sigma}$ varies between 0 and 1, σ_{\max} is the maximal interaction strength allowed to ensure stability of the ecological system (here $\sigma_{\max} = 0.1$). Then, different GLV models ($\nu = 1, \dots, M$) are generated as random variations of this base model with $r_i^\nu = \varphi_i^\nu r_i^*$ and $a_{ij}^\nu = \phi_j^\nu a_{ij}^*$ where both φ_i^ν and ϕ_j^ν are randomly chosen from a uniform distribution $\mathbb{U}(1 - \delta, 1 + \delta)$ so that the expected values of the parameters of those models in the same cohort are the same as the base model, that is, $E[\mathbf{r}]_\nu = \mathbf{r}^*$ and $E[A]_\nu = A^*$. In other words, all the samples of the same cohort are generated from GLV models that share the same structure and sign pattern of the base interaction matrix A^* . As $\delta \rightarrow 0$ the model parameters become identical in all the GLV models of the same cohort. Thus, $\tilde{\delta} \equiv 1 - \delta$ quantifies the ‘universality’ of the dynamics of those models. Finally, for each cohort, the 100 samples (steady states) were generated by integrating the GLV differential equations with random initial conditions (both initial assemblage and abundance profile are randomly chosen).

Human microbiome data sets analysed in this work. *Longitudinal microbiome data sets.* (1) Two time series of gut microbiome consist of 336 and 131 stool samples, respectively. A 16S rRNA gene-based data set, variable region V4, analysed here at the OTU level. For detailed description of this data set see ref. 28. The data are available at <http://qiita.ucsd.edu> under study ID 550. (2) Two time series of gut microbiome consist of 299 and 180 stool samples, respectively. A 16S rRNA gene-based data set, variable region V4, analysed here at the OTU level. For detailed description of this data set see ref. 11. The data are available in the European Bioinformatics Institute (EBI) European Nucleotide Archive (ENA) under the nucleotide accession number ERP006059.

Cross-sectional microbiome data sets. To compare quantitatively the universality of microbial dynamics in different body sites, we used two large-scale microbiome data sets. (1) Human Microbiome Project (HMP)^{9,15}. A 16S rRNA gene-based data set, variable regions V3 to V5, of the human microbiome from 239 healthy subjects. The data are available at <http://hmpdacc.org/> and are detailed in refs 9, 15. This data set covers 18 body sites in five areas: the oral cavity (nine sites: saliva ($M = 262$), tongue dorsum ($M = 291$), palatine tonsils ($M = 285$), keratinized gingiva ($M = 289$), hard palate ($M = 275$), buccal mucosa ($M = 287$), throat ($M = 283$), and sub- and supragingival plaques ($M = 283$ and $M = 289$, respectively)), the gut (one site: stool ($M = 297$))), the vagina (three sites: introitus ($M = 115$), mid-vagina ($M = 124$), and posterior fornix ($M = 124$))), the nasal cavity (one site: anterior nares ($M = 230$)), and the skin (four sites: left and right antecubital fossae ($M = 161$ and $M = 171$, respectively) and retroauricular creases ($M = 240$ and $M = 257$, respectively)). Full protocols are available on the HMP DACC website (<http://hmpdacc.org/HMMCP>). We performed the DOC analysis at the OUT level. We used a single sample from each subject. In case more than one sample is available, we used the first visit. (2) Student Microbiome Project (SMP). A 16S rRNA gene-based data set, variable region V4 from 85 college-aged adults. The data set covers four body sites: gut ($M = 72$), tongue ($M = 79$), forehead skin ($M = 78$) and palm skin ($M = 60$). In case there are multiple samples measured for one subject, we used the sample

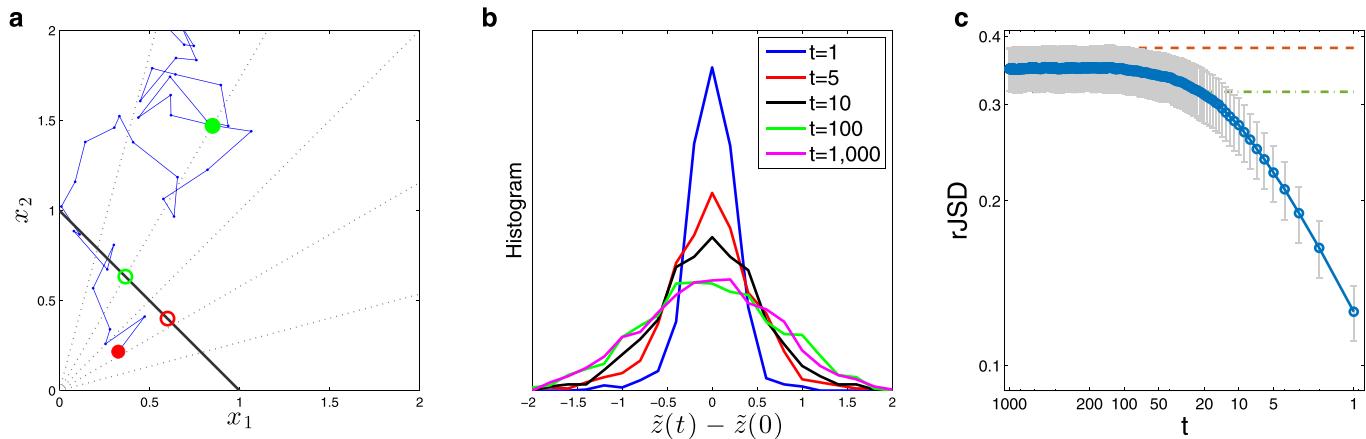
from the first visit. For detailed description of this data set see ref. 16. The data are available at <https://github.com/gregcaporaso/student-microbiome-project/tree/master/otu-tables>.

To rule out several leading candidates of confounding factors in our DOC analysis, we analysed two additional data sets. (3) A data set of healthy volunteers ($M = 98$) from the Cross-sectional Study of Diet and Stool Microbiome Composition (COMBO). Diet information was collected using two questionnaires that queried recent diet (recall) and habitual long-term diet (food frequency questionnaire, FFQ). Stool samples were collected, and DNA samples were analysed by 454/Roche pyrosequencing of the variable region V1–V2 of the 16S rDNA gene segments. We performed the DOC analysis at the OTU level. For detailed description of this data set see ref. 38. (4) A data set of healthy women ($M = 53$), aged 20–55 years (median 42.5), as part of the Flemish Gut Flora Project (FGFP). Stool consistency levels using Bristol stool scale (BSS) scores were self-reported. The V4 region of the 16S rDNA gene was sequenced. We performed the DOC analysis at the OTU level. For detailed description of this data set see ref. 33.

Clinical trial data set. Stool samples of patients with rCDI: before and after FMT. This clinical trial was approved by the Partners Human Research Committee as well as by the US Food and Drug Administration (FDA) (Investigational New Drug application number 15199) and registered at Clinical Trials.gov (NCT01704937). Informed consent was obtained from all participants. Microbial samples from 17 patients with rCDI were analysed in the groups of pre-FMT and post-FMT. Only subjects for whom both pre- and post-FMT samples are available were included. In cases where more than one post-FMT sample is available we included only the first one (median, 4 days after FMT). The V4 region of the 16S rRNA gene was sequenced using an Illumina MiSeq. We performed the DOC analysis at the OTU level. For detailed description of this data set see ref. 17.

Code availability. The Matlab code for computing the DOC and the universality measures as well as an example data set (that is, the data set used to generate Fig. 2b) are freely available at the project webpage: <http://scholar.harvard.edu/yyl/doc> and have been added to the Supplementary Information.

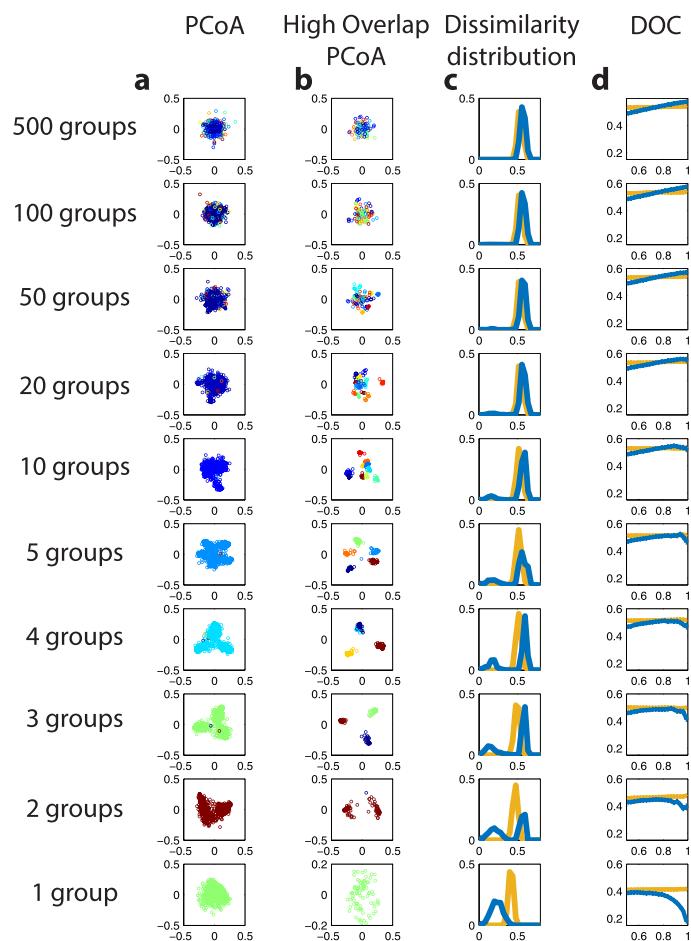
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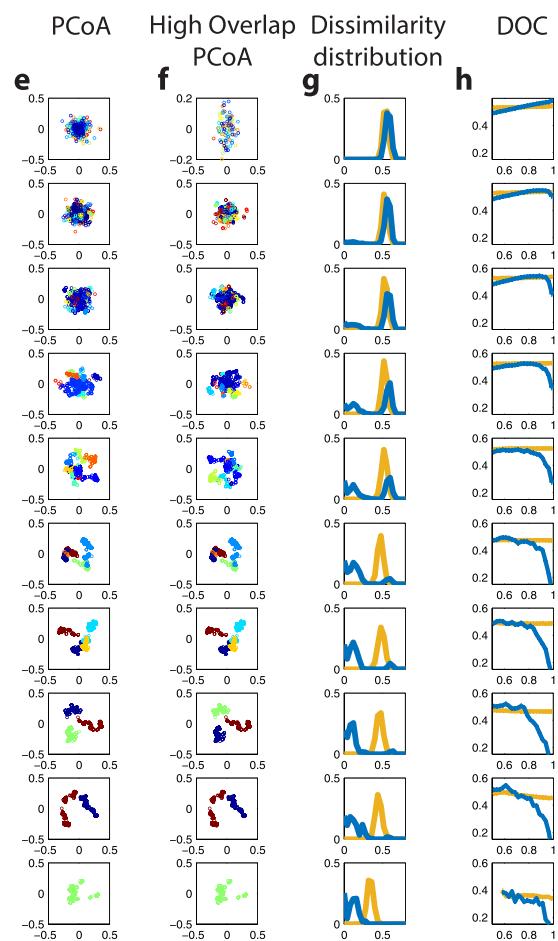
Extended Data Figure 1 | Displacement of normalized N -dimensional random walks. **a**, Trajectory of a two-dimensional random-walk represents the absolute abundance of two species x_1, x_2 . The initial state is marked by a red circle and the first 100 steps are shown. The solid black line is the one-dimensional simplex upon which the locations are projected to obtain the relative abundances \tilde{x}_1, \tilde{x}_2 . The dotted lines starting at the origin represent the projection process: all the points in a dotted line have the same relative abundances and they are all projected to the intersection of the dotted line and the simplex (for example, the solid red and green circles are projected to the red and green open circles, respectively). We define a new coordinate $\tilde{z}(t) \equiv \tilde{x}_2(t) - \tilde{x}_1(t)$ for the location of normalized relative abundance on the simplex. The displacement of the normalized random walk after t steps is then $\tilde{z}(t) - \tilde{z}(0)$, where $\tilde{z}(0)$ is the projected location of the initial state (see, as an example, the distance

between the green and the red open circles in **a**). **b**, Distributions of displacement of an ensemble of 1,000 random walks after t steps ($t = 1, 5, 10, 100, 1,000$). For small t , the displacement distributions depend on t , while for large t ($t = 100, 1,000$) the distributions are the same. **c**, Symbols represent the average displacement of 1,000 N -dimensional normalized random walks (here we set $N = 50$), measured as D_{rJSD} , and the error bars represent the s.d. Each random walk is forced to stay on the positive orthant, that is, if $x_i^{(t)} < 0$ we set $x_i^{(t)} = 0$. D_{rJSD} was calculated using all N coordinates, setting $x_i^{(t)} = 10^{-4}$ as a pseudo count for $x_i^{(t)} = 0$. Where t is small, the distance grows with increasing t ; however, the distance saturates for large t . The dashed red and green lines represent the average distance between two random locations (green) and between the final locations ($x^{(t=1,000)}$) of the random walks (red).

Random collections

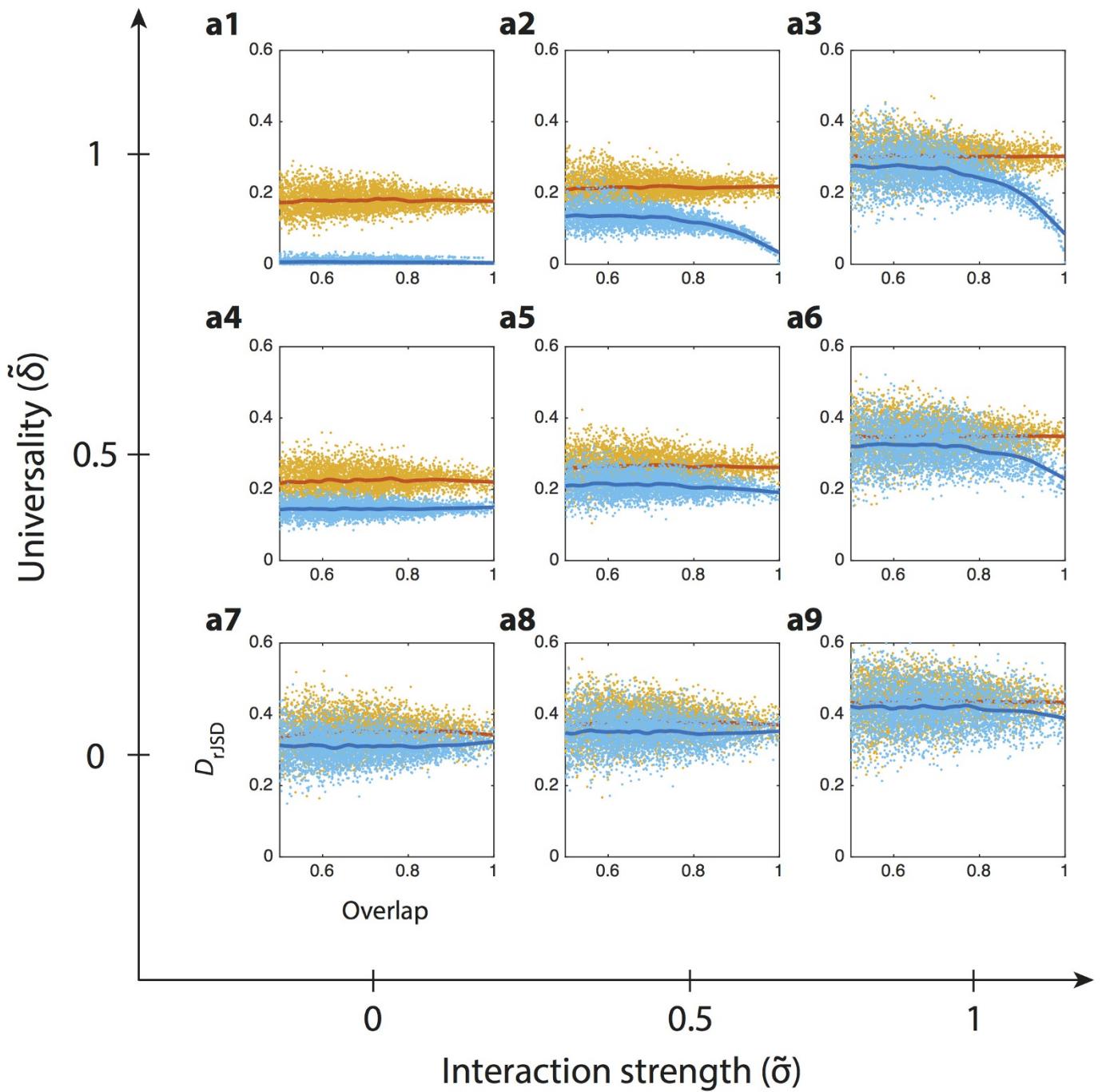


Group based collections



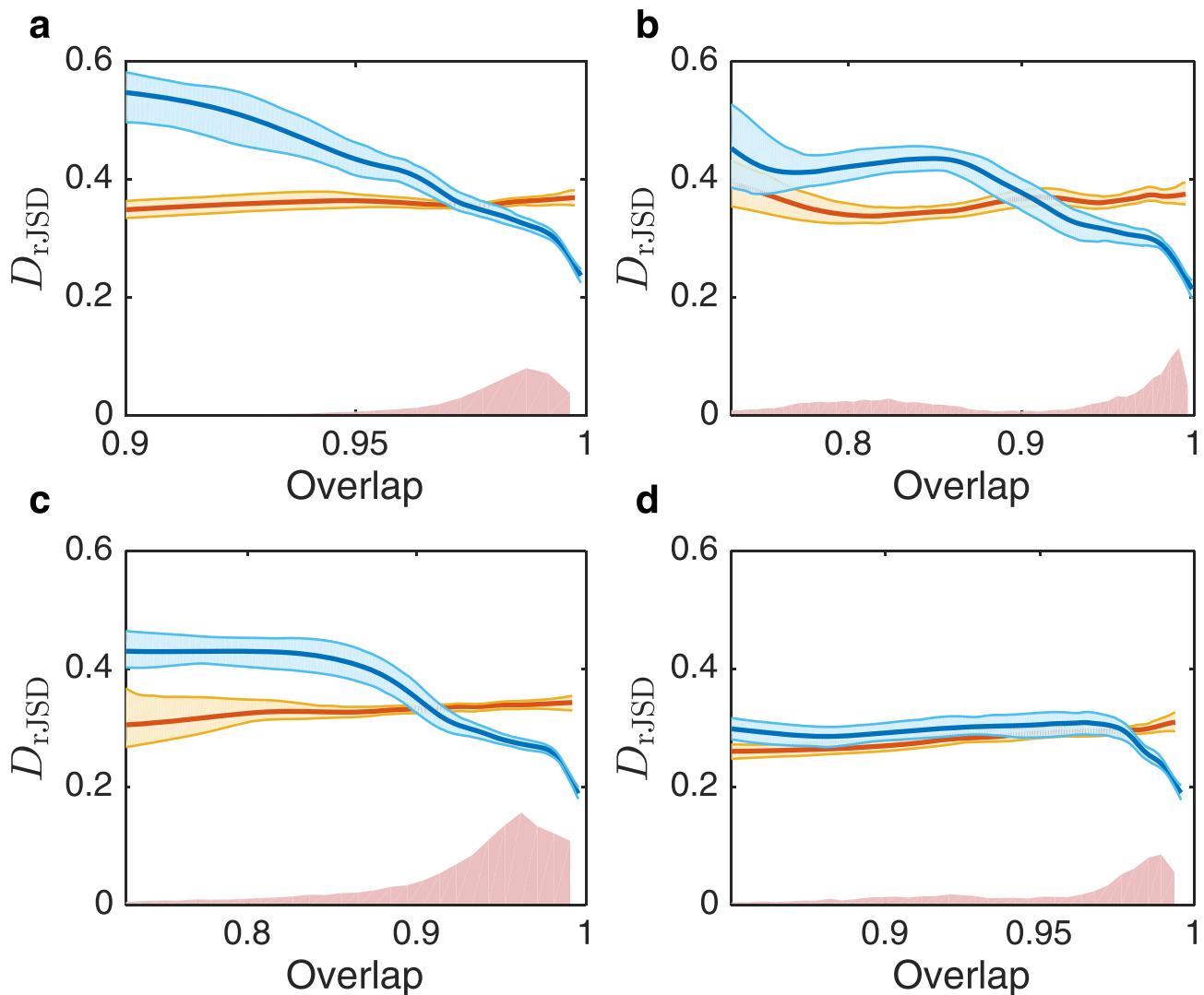
Extended Data Figure 2 | Detection of group dynamics using an ordination technique. **a–h**, In each row, 500 synthetic samples were generated. Samples in the same group were taken from the steady states of the same GLV model of 100 species. The initial species assemblages were determined in two scenarios: at random (**a–d**) or on the basis of the group (**e–h**). In the latter scenario, in each group the species were first randomly ordered and then in each of the samples the first f species were selected and the other been removed (f is randomly chosen from a uniform distribution $\mathcal{U}(20, 100)$). In columns **a** and **e**, a standard ordination technique, that is, principal coordinate analysis (PCoA), was applied. All 500 samples were shown in the plane of the first two principal coordinates (using rJSD as the distance metric) and coloured according to their group. In **b** and **f**, only the samples that have high overlap (>0.95) with at least one other sample were shown. Panels **c** and **g** show the dissimilarity distributions $P(rJSD)$ between the high-overlap sample pairs. Panels **d** and **h** show the DOCs. The ordination technique successfully detects the existence of group dynamics (especially when the number of groups is small). We anticipate that the group dynamics can also be detected by classical clustering analysis. In the scenario of random collections, the PCoA of high-overlap samples, that is, samples that have high overlap (>0.95) with at least one other sample, is doing better than the PCoA of all samples to detect group dynamics, especially for a small number ($\sim 2–10$) of groups. Moreover, for a small number of groups, the dissimilarity distributions $P(rJSD)$ can distinguish between the two scenarios of initial assemblage selection: random or group-based. The ordination technique cannot distinguish between the cases of 500 groups (individual dynamics) and single group (universal dynamics). Those cases can be distinguished by the DOC analysis.

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Extended Data Figure 3 | Detecting universality in population dynamics models. Synthetic microbial samples were calculated as steady states of GLV models (see Methods). The GLV models are generated as cohorts (100 models in each cohort) with different levels of (i) inter-species interaction strength; and (ii) universality, tuned by the parameters $\tilde{\sigma}$ and $\tilde{\delta}$, respectively (see Methods). In each of the 100 models, a random fraction f of the species ($f \sim \mathbb{U}(0, 0.8)$) was initially removed, and the remaining species were initiated with random abundance ($x \sim \mathbb{U}(0, 1)$). The dissimilarity-overlap points of sample pairs in each cohort and of the corresponding randomized samples are shown in light blue and yellow, respectively. The solid curves represent the DOCs calculated using the

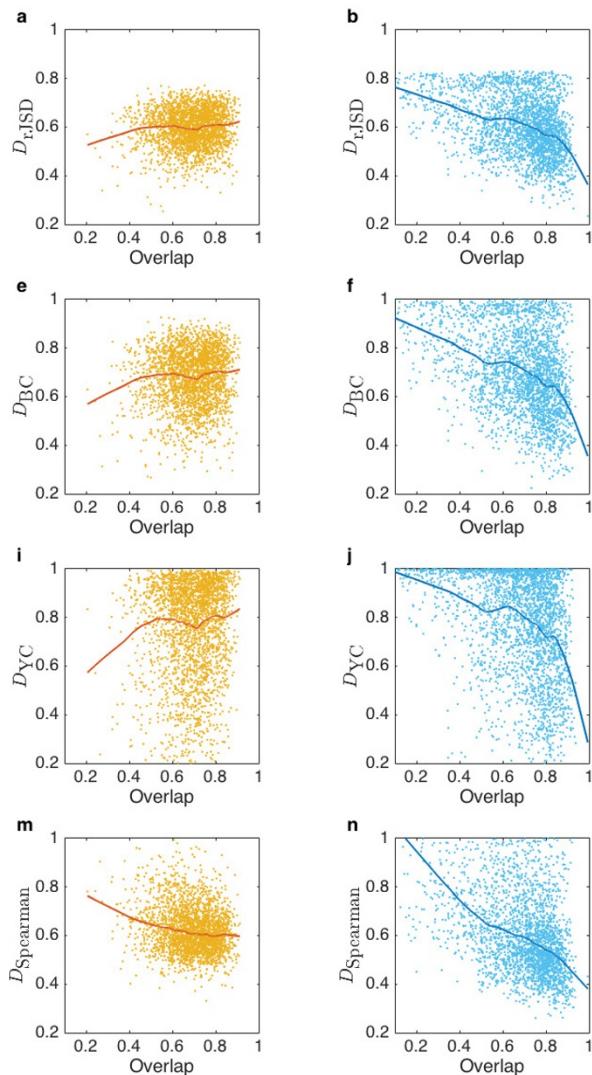
robust LOWESS method. The DOC of cohorts generated by GLV models without inter-species interactions (a1, a4, a7) is flat even in the high-overlap region. This is because, without inter-species interactions, for any sample pair the presence or absence of unique (that is, non-shared) species has no effect on the shared ones. A flat DOC is also observed in the case of individual dynamics (a7, a8, a9), where a higher overlap between sample pairs does not lead to more similar abundance profiles. However, in the case of universal dynamics with strong inter-species interactions (for example, a3), the DOC displays a clear negative slope in the high-overlap region.



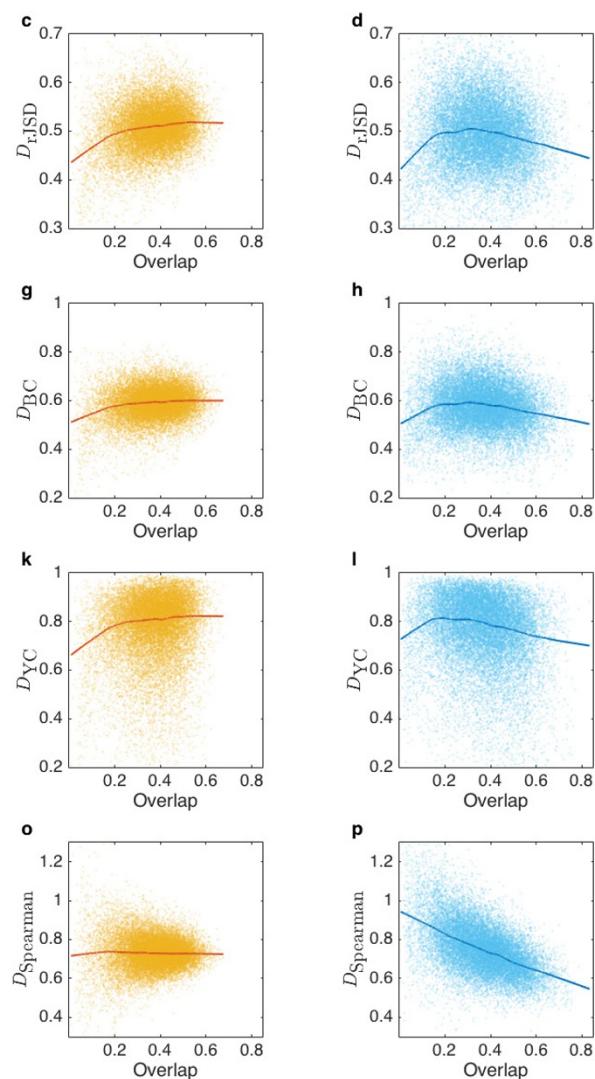
Extended Data Figure 4 | DOC analysis of gut microbiome samples from longitudinal studies. a–d, Sample pairs are selected from four different subjects, with number of samples: $M_a = 299$, $M_b = 180$, $M_c = 336$, $M_d = 131$, respectively. The mean DOCs (calculated from 100 bootstrap realizations using the robust LOWESS method) of each subject and the corresponding randomized samples are shown in dark blue and yellow, respectively. The shaded area indicates the range of the 94% confidence intervals. The overlap distributions are shown in red. For all the four subjects, a clear negative slope of the DOC is observed at the high-overlap

region, indicating largely time-invariant or universal dynamics for each subject throughout the measurement period. This is in marked contrast with the flat DOC of the null model (see Supplementary Information section 1.3). The secondary peak of lower-overlap samples in b (overlap of ~ 0.8) is of sample pairs from two different periods, before and after a *Salmonella* infection, which represent two distinct microbial steady states and thus exhibit a flat DOC. This is consistent with our assumption of time-invariant microbial dynamics for a given healthy individual.

Student Microbiome Project (SMP)

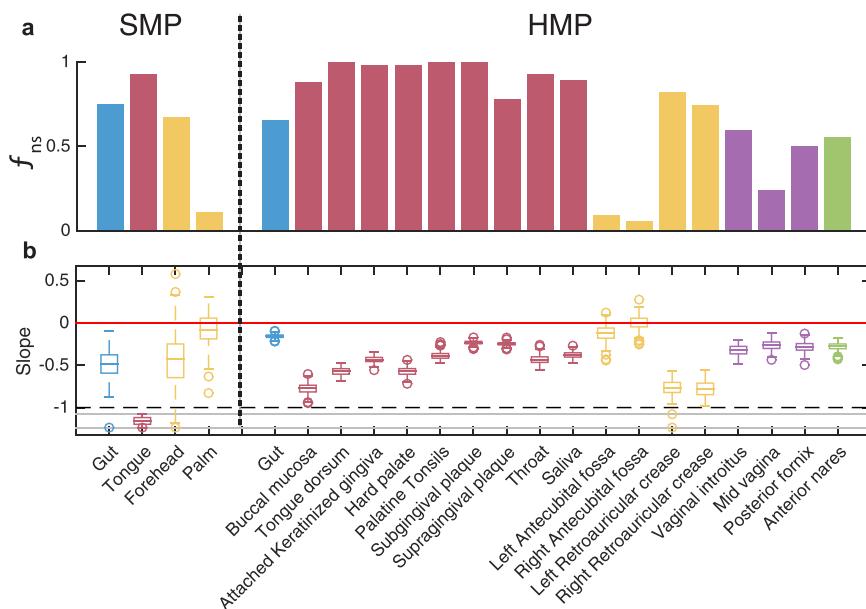


Human Microbiome Project (HMP)



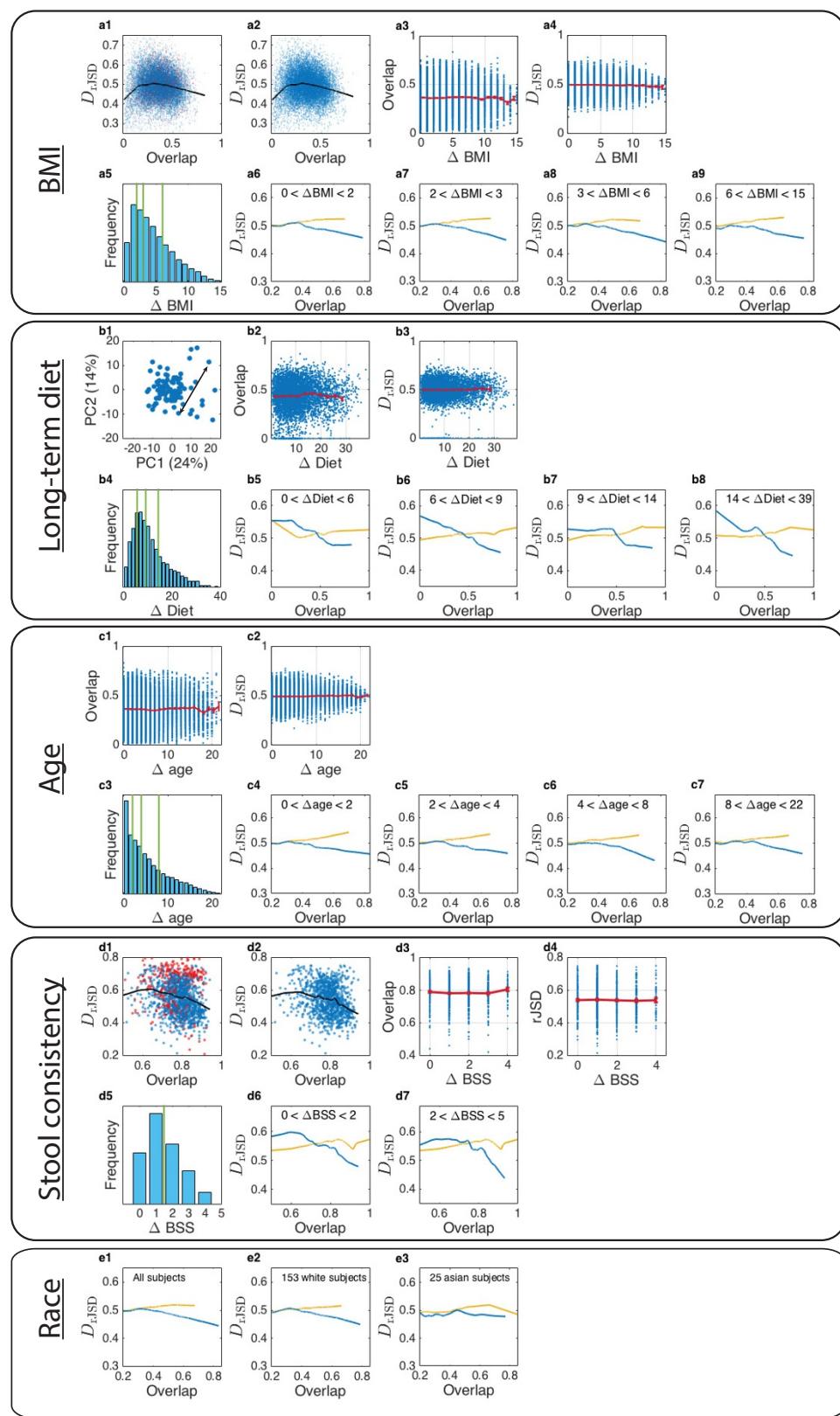
Extended Data Figure 5 | DOC analysis of gut microbiome samples is consistent across different studies and different dissimilarity measures. For two microbiome samples, the dissimilarity of their abundance profiles over shared species can be evaluated by different measures. Weighted measures, such as rJSD, Bray–Curtis (BC) dissimilarity and Yue–Clayton (YC) dissimilarity should be applied to the renormalized abundance profiles, to ensure mathematical independence between the overlap and the dissimilarity measures. Rank-based dissimilarity measures, for

example, negative Spearman correlation (nSC), can be directly applied without renormalization. We used the four dissimilarity measures (rJSD, BC, YC and nSC) to calculate the DOC (using robust LOWESS) of gut microbiome samples from two studies: HMP and SMP. In all cases, we observed a pronounced negative slope in the DOC (dark-blue curve) of real sample pairs (light-blue points) and a flat DOC (orange curve) for the pairs of randomized samples (yellow points).



Extended Data Figure 6 | Quantifying the universality of human microbial dynamics in different body sites. **a**, The fraction (f_{ns}) of data for which a negative slope is observed in Fig. 3. Note that for overlap values close to zero (for example, Fig. 3d, f1–4, g1–3) a positive slope occurs as the artefact of dissimilarity between relative abundance profiles with small number of species (see Supplementary Information section 1.1.3). For gut and mouth, a negative slope of DOC is observed in the two data sets for a broad range of overlap, indicating a significant universality of microbial dynamics in those habitats. By contrast, the negative slope of DOC in the hand's skin microbiome is observed only for a small part of the sample

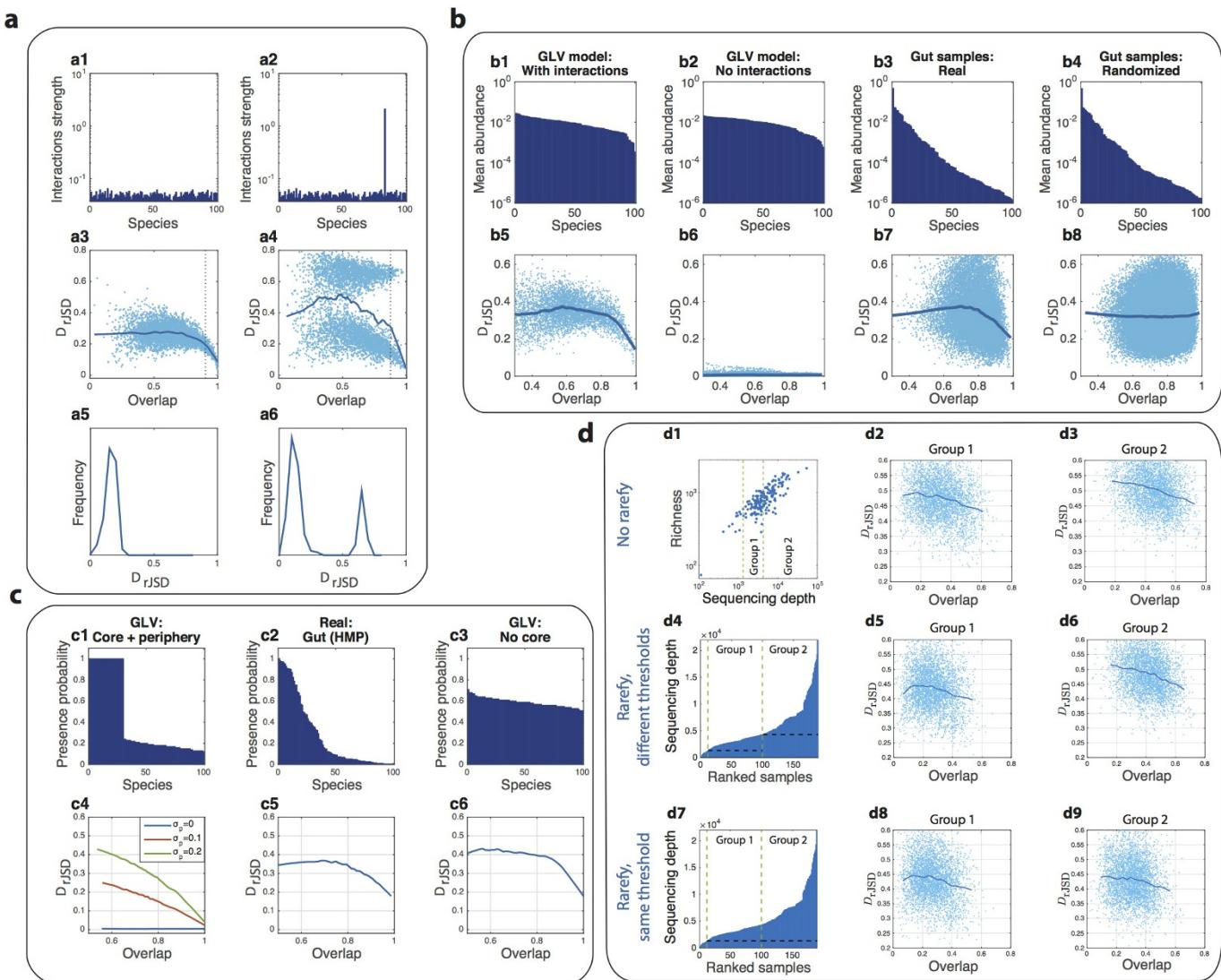
pairs. **b**, Box plot of the slope of DOC calculated from 200 bootstrap realizations. The slope is calculated by fitting a linear mixed-effects model for data points with overlap larger than the median. We report one-tailed P values, calculated as the fraction of bootstrap realizations with a non-negative slope, adjusted for multiple comparisons by the procedure of Benjamini and Hochberg. The null hypothesis of non-negative slope is rejected for all body sites ($P < 1 \times 10^{-2}$) except four skin sites: forehead ($P = 0.099$), palm ($P = 0.377$) in the SMP study and left/right antecubital fossa in the HMP study ($P = 0.099$ and $P = 0.495$).



Extended Data Figure 7 | See next page for caption.

Extended Data Figure 7 | Effects of various host factors on the DOC analysis. **a**, The effect of body mass index (BMI) on the DOC analysis. **a1**, DOC analysis of all gut microbiome sample pairs among 190 subjects from the HMP study. Red points represent samples pairs associated with at least one obese subject (with BMI > 30). **a2**, Same as in **a1**, but 13 obese subjects with BMI > 30 were excluded. **a3**, Blue points represent the gut microbiome samples' overlap and Δ BMI. The red curve is the average (error bars represent the s.e.m.). **a4**, Dissimilarity versus Δ BMI. **a5**, Distribution of Δ BMI values, divided into four groups of equal number of pairs. **a6–a9**, DOC analysis of the sample pairs in each group. **b**, The effect of diet on the DOC analysis. **b1**, Diet difference (Δ diet) between two subjects is defined as the Euclidean distance between their associated diet scores in the two leading principal components PC1 and PC2. In total there are $M = 97$ healthy subjects in the COMBO study³⁸. **b2**, Overlap versus Δ diet. Blue points represent the overlap and Δ diet of all gut microbiome pairs among the 97 subjects from the COMBO study. The red curve is the average (error bars represent the s.e.m.). **b3**, Dissimilarity versus Δ diet. **b4**, Distribution of Δ diet values, divided into four groups of equal number of pairs. **b5–b8**, DOC analysis of the pairs in each group. **c**, The effect of age on the DOC analysis. **c1**, Overlap

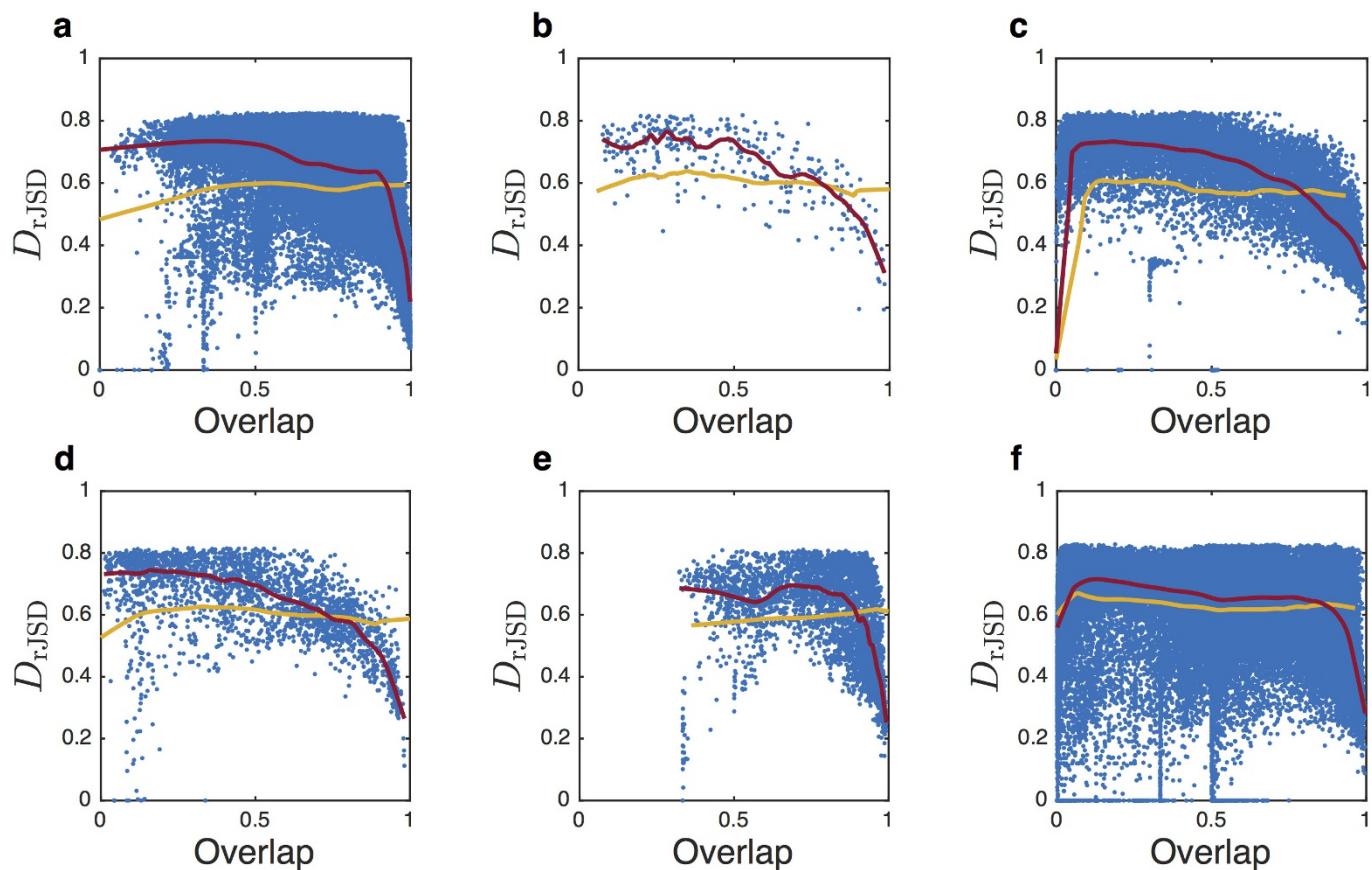
versus Δ diet. Blue points represent the overlap and Δ age of all gut microbiome samples pairs between the 190 subjects from the HMP study. The red curve is the average (error bars represent the s.e.m.). **c2**, Dissimilarity versus Δ age. **c3**, Distribution of Δ age values, divided into four groups of equal number of pairs. **c4–c7**, DOC analysis of the pairs in each group. **d**, The effect of stool consistency on the DOC analysis. **d1**, DOC analysis of all sample pairs. In this data set the subjects have BSS values between 1 and 6. The points (sample pairs) associated with subjects with BSS = 6 (at least one subject has BSS = 6) are coloured in red. The black line is the DOC. **d2**, DOC analysis of all subjects with $BSS < 6$. **d3**, **d4**, Among all subjects with $1 \leq BSS \leq 5$, the overlap and the dissimilarity are independent of Δ BSS. **d5**, Distribution of Δ BSS values for the 46 subjects with $1 \leq BSS \leq 5$. **d6**, **d7**, DOC analysis of the pairs with similar BSS values, $0 \leq \Delta$ BSS ≤ 1 (**d6**), and pairs with more different BSS values, $2 \leq \Delta$ BSS ≤ 4 (**d7**). In both cases, a clear negative slope of the DOC is observed. **e**, The effect of race on the DOC analysis. **e1**, All subjects ($M = 190$). **e2**, **e3**, White subjects ($M = 153$) (**e2**) and Asian subjects ($M = 25$) (**e3**). Note that in the HMP study, stool samples were collected from 153 white subjects, 10 black subjects, 25 Asian subjects, and 2 subjects from other races.



Extended Data Figure 8 | DOC analysis under special conditions.

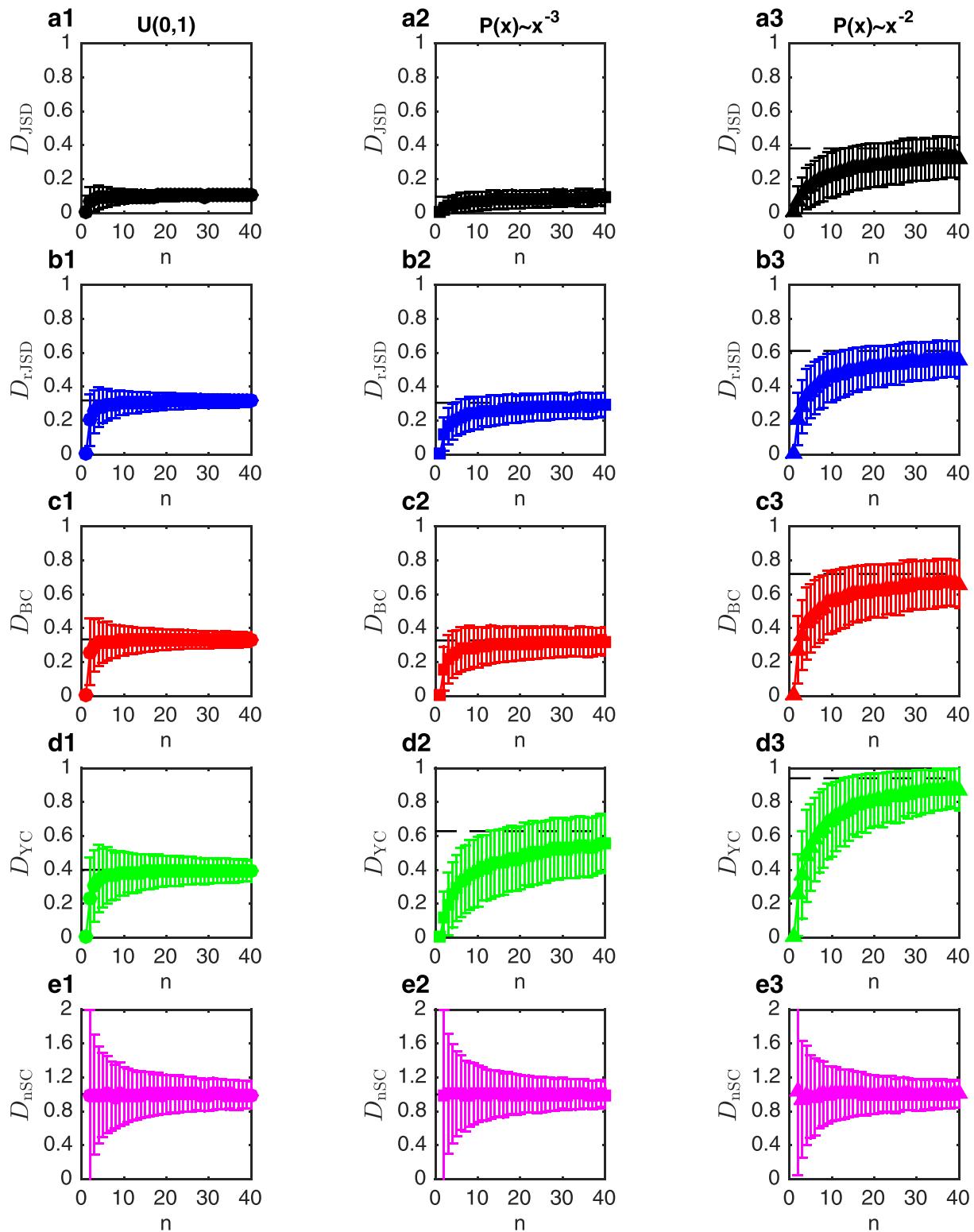
a. The effect of strongly interacting species. A comparison of two GLV models of 100 species with random inter-species interactions. The system parameters were fixed for all the simulated samples ($M = 100$), representing maximal universality. In **a1**, all species have the same characteristic interaction strength, while in **a2**, the inter-species interactions of one species are markedly stronger than all other species, representing a strongly interacting species. The presence/absence of the strongly interacting species markedly affects (either directly or indirectly) the abundance profile of many other species, leading to a pronounced secondary cloud of points in the dissimilarity–overlap plane (**a4**). The effect is the most pronounced in the region of high-overlap (top 5%) pairs, and can be detected by looking at their dissimilarity distributions (**a5, a6**). **b.** DOC behaves the same for samples with uniform or skewed abundance distribution. **b1, b2**, Samples were generated from the steady states of the GLV model with largely uniform abundance distribution (determined mainly by the species growth rates). In the presence of inter-species interactions (**b1**), a negative slope of the DOC is observed. By contrast, in the absence of inter-species interactions (**b2**), a flat DOC is observed. **b3**, Real samples from the gut (from the HMP study, genus level) exhibit a high level of alpha-diversity and a very skewed abundance distribution. A negative slope of the DOC in the high-overlap region is observed. **b4**, The randomized samples preserve the abundance distribution of the real samples but the effect of inter-species interactions is removed, leading to a flat DOC. **c.** Effect of core species and non-interacting periphery species. **c1**, Samples were generated as steady states of the GLV model with $N = 100$ species. The parameters of the GLV model were fixed for all the samples, representing maximal universality. The initial

species assemblages were chosen as follows: 30 species were present in all the samples, representing a set of ‘core species’, and the other 70 ‘peripheral’ species were present with lower probability (mean 0.18, min 0.12, and max 0.24). **c2**, Presence probability of real gut microbial samples, from the HMP at the genus level. Only one genus (Bacteroides) is present in all the samples. **c3**, Species presence probability in a GLV model where all species are present with average probability 0.6. **c4**, The effect of the interactions of the peripheral species. In the GLV model, the inter-species interactions among the core species (core–core) has a characteristic strength $\sigma_{\text{core}} = 0.15$, and both the periphery–periphery and the periphery–core interactions have a characteristic strength σ_p . When $\sigma_p = 0$, that is, the peripheral species do not interact with the core species, the DOC is flat. When $\sigma_p > 0$, the DOC has a negative slope. **c5, c6**, In the case of real gut microbiome samples as well as the GLV model without core species, the DOC has a negative slope in the high-overlap region. **d.** The effect of sequencing depth on the DOC analysis. **d1**, Richness (number of present OTUs) versus sequencing depth of 190 HMP gut samples. 12 subjects with fewer than 1,300 reads per sample were excluded and the remaining 178 were assigned into two groups of $n = 89$ subjects, with average sequencing depth 3,019 and 8,640 reads per sample. **d2, d3**, The characteristic overlap between samples of group 1 is smaller than between samples of group 2. However, DOC analysis of each group shows a clear negative slope. **d4–d6**, Samples of each group were rarefied before analysis with minimal community size of 1,317 and 4,333 in group 1 and 2, respectively, as represented by the black dashed lines in **d4**. **d7–d9**, Samples of both groups were rarefied before analysis with the same minimal community size of 1,317, as represented by the black dashed line in **d7**.



Extended Data Figure 9 | DOC analysis of longitudinal microbiome data from six lakes in Germany³⁹. Data downloaded from <http://qiita.microbio.me>, study ID 945. **a**, Stechlin ($M = 440$). **b**, Haus ($M = 26$). **c**, Tiefwaren ($M = 164$). **d**, Melzer ($M = 68$). **e**, Breiter Luzin ($M = 89$). **f**, Fuchskuhle ($M = 355$). Blue points represent the dissimilarity–overlap values of sample pairs from the same lake. The DOCs of real samples from each lake and that from the corresponding randomized samples are calculated using robust LOWESS and shown in red and yellow,

respectively. For all the six lakes, a clear negative slope is observed for the DOCs of real samples, suggesting universal or time-invariant microbial dynamics for each lake. Differences in the DOC shapes (for example, the moderate DOC slope in **b**, **c** and **d**, in contrast with the steep DOC in **a**, **e** and **f**) deserve a systematic study of those microbial ecosystems. This example clearly demonstrates the applicability of DOC analysis to general microbial ecosystems, for example, soil, ocean, rizosphere/phyllosphere and fermenters.



Extended Data Figure 10 | Average dissimilarity between two normalized random vectors. Two independent vectors x, y of n elements randomly chosen from the uniform distribution $\mathbb{U}(0, 1)$ were generated and then normalized $\hat{x}_i \equiv \frac{x_i}{\sum_{j=1}^n x_j}$ and $\hat{y}_i \equiv \frac{y_i}{\sum_{j=1}^n y_j}$. (Note that in practice all n elements are always shared in x and y , since zeros are very unlikely.) The dissimilarity $D(\hat{x}, \hat{y})$ is then calculated using the five dissimilarity measures (D_{JSD} , $D_{r\text{JSD}}$, D_{BC} , D_{YC} and D_{nSC}). Average dissimilarity and standard deviations of 1,000 pairs are shown in **a1**, **b1**, **c1**, **d1** and **e1**,

for the different measures. The horizontal black dashed line represents the average dissimilarity for $n = 100$. For all the measures here, the dissimilarity displays no n -dependence for $n > 15$, while D_{nSC} is n -independent for any $n > 0$. Similar analysis was performed for vectors whose elements were chosen from power-law distributions $P(x) \sim x^{-\alpha}$ with $\alpha = 3$ (**a2**, **b2**, **c2**, **d2** and **e2**) and $P(x) \sim x^{-\alpha}$ with $\alpha = 2$ (**a3**, **b3**, **c3**, **d3** and **e3**).