

# Single Stellar Population Production of Nitrogen

James W. Johnson

## *Production Timescales Relative to Fe*

Using  $y_{\text{N}}^{\text{CC}} = 5 \times 10^{-4}$ , the AGB star yields of N from the FRUITY database (Cristallo et al., 2011), and supernova yields of Fe as in Johnson & Weinberg (2020) and Weinberg et al. (2017) (i.e.  $y_{\text{Fe}}^{\text{CC}} = 0.0012$  and  $y_{\text{Fe}}^{\text{Ia}} = 0.0017$ ), **what is the net production of N and Fe as a function of stellar population age and metallicity?**

Figure 1 shows the net production of N and Fe as a function of stellar population age and metallicity. Since Fe has metallicity-independent yields under these assumptions, it's plotted with only one curve, whereas N has different production timescales at different metallicities. In general, the CCSN yields of N under these assumptions make up a substantially larger fraction of the N production than the CCSN yields of Fe does for its production. This means that the characteristic timescales for N production are significantly shorter than for Fe.

The AGB yields of N are also significantly weighted toward high masses such that even at solar metallicity,  $\gtrsim 90\%$  of the N production is complete by the time the population is  $\tau = 1$  Gyr old. Although the fractional yields are higher for more massive AGB stars, this does not mean that the total N produced in low-mass AGB stars is lower than that produced by high mass AGB stars due to the steep nature of the initial mass function. In a window of progenitor mass  $[m, m + dm]$  at a metallicity  $Z$ , the total mass of N produced is given by:

$$dm_{\text{N}} = y(m|Z)m \frac{dN}{dm} = y(m|Z)\xi m^{1-\alpha} \quad (1)$$

where  $\alpha$  is the power-law index of the IMF. If the production at two masses  $m_1$  and  $m_2$  are comparable, then the scaling of the yield  $y$  with progenitor mass can be derived:

$$dm_{\text{N}}|_{m=m_1} = dm_{\text{N}}|_{m=m_2} \quad (2a)$$

$$\implies y(m_1|Z)\xi m_1^{1-\alpha} = y(m_2|Z)\xi m_2^{1-\alpha} \quad (2b)$$

$$\implies \frac{y(m_1|Z)}{y(m_2|Z)} = \left(\frac{m_1}{m_2}\right)^{\alpha-1} \quad (2c)$$

This demonstrates that if the IMF-integrated mass production of any element in AGB stars is to be mass-independent, then the yield must scale with 1 less than the power-law index of the IMF at masses of  $M \gtrsim 1 M_{\odot}$ . If the IMF has a slope of  $\alpha = 2.3$  at these masses, then the yield must scale with  $m^{\beta}$  where  $\beta \geq 1.3$ . Any higher, and the IMF-integrated net production is more biased toward high mass stars, and conversely toward low mass stars for lower values of  $\beta$ . Based on these investigations of the Cristallo et al. (2011) yields (see ../yields/yields.pdf), it appears that  $\beta \approx 1$  for nitrogen, indicating the IMF-integrated production is actually dominated by low-mass stars.

*How can the production be dominated by high-mass stars if the IMF-integrated yields are dominated by low-mass stars?* This appears to be due to the long lifetimes of low mass stars. It's one thing for low mass stars to contribute significantly to a given yield, but only those with lifetimes on the order of a hubble time or shorter are going to enrich the ISM.

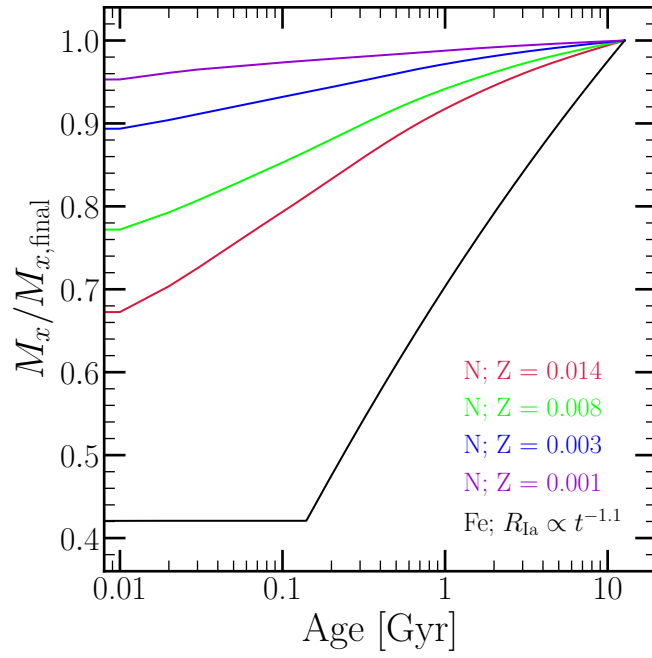


Figure 1: Net mass of N (colored lines) and Fe (black) as a function of stellar population age and metallicity (color-coded according to legend for N), in units of the mass produced at  $\tau = 12.2$  Gyr.

# Bibliography

Cristallo S., et al., 2011, [ApJS](#), [197](#), [17](#)

Johnson J. W., Weinberg D. H., 2020, [MNRAS](#), [498](#), [1364](#)

Weinberg D. H., Andrews B. H., Freudenburg J., 2017, [ApJ](#), [837](#), [183](#)