

DFS: A, B, F, M, G, M, N, T

BFS: A, B, D, F, G, I, J, K, M, N, P, Q

GBFS: A, B, G, M, N, T

A\*: A, B, G, D, K, N, B

2. skc  
(k)

$$P(H, S, \neg L, \neg E) =$$

$$P(H) \cdot P(S|H) \cdot P(\neg L|H, S) \cdot P(\neg E|\neg L)$$

$$= 0.1 \cdot 0.3 \cdot 0.1 \cdot 0.9 = 0.0027$$

推理链路  $\text{H} \rightarrow \text{S} \rightarrow \neg \text{L} \rightarrow \neg \text{E}$

3. skc  
(k)

~~1)  $\forall x \exists y (\text{male}(x) \wedge \neg \text{But}(x)) \rightarrow \text{Love}(x, y)$~~

~~1)  $\forall x \exists y (\text{male}(x) \wedge \neg \text{But}(x) \wedge \text{Fe}(y) \wedge \text{Veg}(y)) \rightarrow \text{Love}(x, y)$~~

~~2)  $\forall x \forall y (\text{male}(x) \wedge \text{Fe}(y) \wedge \text{Veg}(y)) \rightarrow \neg \text{Love}(x, y)$~~

CNF

$$1) \forall x \exists y (\neg \text{male}(x) \vee \text{But}(x) \vee \neg \text{Fe}(y) \vee \neg \text{Veg}(y)) \vee \text{Love}(x, y)$$

~~1)  $\neg \text{male}(x), \text{But}(x), \neg \text{Fe}(f(x)), \neg \text{Veg}(f(x)), \text{Love}(x, f(x))$~~

~~2)  $\neg \text{male}(x), \neg \text{Fe}(y), \neg \text{Veg}(y), \neg \text{Love}(f(y), y)$~~

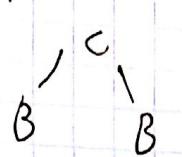
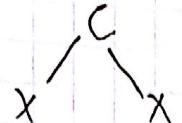
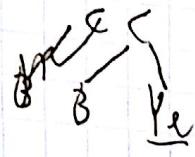
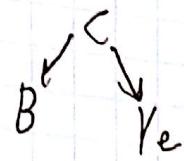
a) 1) W, P    b) 1) B    2)  $\neg P, \neg B, Q$     3) 13, S, U    d) P    e) S

a) 5)  $\neg U, \neg P, \neg Q$     b) 5) U,  $\neg B, \neg S$

6)  $\neg S, \neg U$ c) 4:7)  $\neg U$     5, 3; 8) U    8, 7:9)  $\neg \neg \neg P$ ~~6, 4, 5, 3~~ 3, 4, 5ICP3 ~P>Q

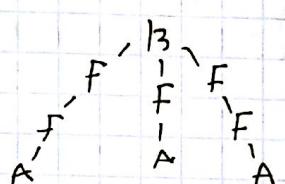
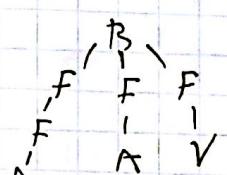
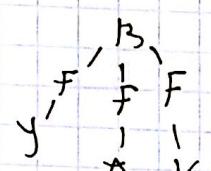
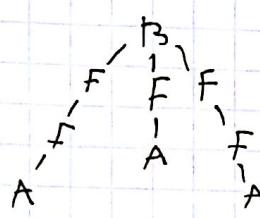
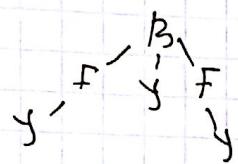
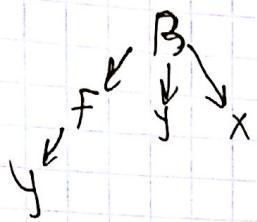
3 size part

1 (2)



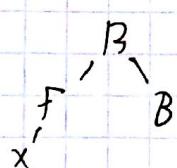
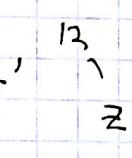
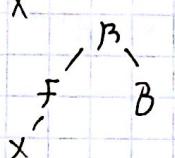
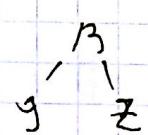
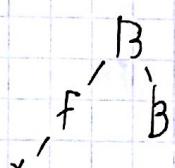
Fail 2.1

2



$B(F(F(A)), F(A), F(F(A)))$

3



$B(F(x), B)$

$$P(c \text{ act}) = 4/8 \quad P(\bar{c} \text{ act}) = 4/8$$

$$\text{Entropy}(c \text{ act}) = 1$$

F1

~~$P(F_1 = A) = 3/4 \quad P(F_1 = B) = 1/4$~~

~~$\begin{aligned} \text{Entropy}(F_1) &= \\ \text{Entropy}(F_1 = A) &= 0.81 \end{aligned}$~~

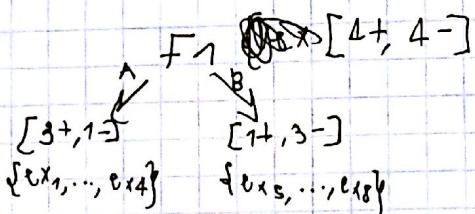
$$\left. \begin{aligned} \frac{F_1}{\text{Entropy}}(F_1 = A) &= 3/4 \dots = 0.81 \\ \text{Entropy}(F_1 = B) &= 1/4 \dots = 0.81 \end{aligned} \right\} \text{gain}_{F_1} = 1 - 0.81 \cdot (4/8) - 0.81 \cdot 4/8 = 0.19$$

F2

$$\left. \begin{aligned} \text{Entropy}(F_2 = C) &= 2/4 \dots = 1 \\ \text{Entropy}(F_2 = D) &= 2/4 \dots = 1 \end{aligned} \right\} \text{gain}_{F_2} = 1 - 0.5 - 0.5 = 0$$

F3

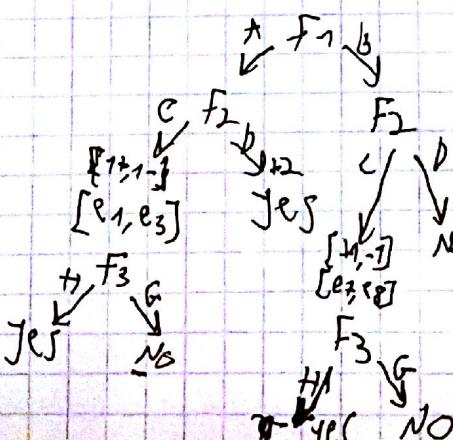
$$\left. \begin{aligned} \text{Entropy}(F_3 = H) &= 2/4 \dots = 1 \\ \text{Entropy}(F_3 = G) &= 2/4 \dots = 1 \end{aligned} \right\} \text{gain}_{F_3} = 0$$



A  
F2

$$\left. \begin{aligned} \text{Entropy}(F_2 = C) &= 1/2 \dots = 1 \\ \text{Entropy}(F_2 = D) &= 1/2 \dots = 0 \end{aligned} \right\} \text{gain}_{F_2} = 0.81 - 0.5 = 0.31$$

$$\left. \begin{aligned} \text{Entropy}(F_3 = H) &= 1/3 \dots = 0 \\ \text{Entropy}(F_3 = G) &= 2/3 \dots = 0.918 \end{aligned} \right\} \text{gain}_{F_3} = 0.81 - 0.918 \cdot 3/4 = 0.121275$$



$$\left. \begin{aligned} \text{Entropy}(F_3 = H) &= 1/3 \dots = 0.918 \\ \text{Entropy}(F_3 = G) &= 0/3 \dots = 0 \end{aligned} \right\} \text{gain}_{F_3} = 0.121275$$

BFS: S, A, B, C, E, G<sub>1</sub>

ID: S | S, A, B, C | S, A, E, G<sub>1</sub>

Greedy: S, B, C, G<sub>3</sub>

A\*: S, B, C, F, D, G<sub>2</sub>

UCS: S, B, A, C, F, D, G<sub>2</sub>

zurück

$$P(O.P=T) = 3/9 \quad P(O.P=F) = 6/9$$

$$\text{Entropy}(O.P) = -3/9 \cdot \log_2(3/9) - 6/9 \cdot \log_2(6/9) = 0.9183$$

F<sub>1</sub>

$$\text{Entropy}(F_1=\alpha) = -1/3 \cdot \log_2(1/3) - 2/3 \cdot \log_2(2/3) = 0$$

$$\text{Entropy}(F_1=b) = -3/4 \cdot \log_2(3/4) - 1/4 \cdot \log_2(1/4) = 0.8113$$

$$\text{Entropy}(F_1=c) = -1/2 \dots = 0$$

$$\text{Gain}(F_1) = 0.9183 - 0.319 - 0.8113 \cdot 4/9 - 0.9183 \cdot 3/9 = 0.5577$$

F<sub>2</sub>

$$\text{Entropy}(F_2=\alpha) = -1/4 \cdot \log_2(1/4) - 3/4 \cdot \log_2(3/4) = 0.8113$$

$$\text{Entropy}(F_2=b) = -1/3 \cdot \log_2(1/3) - 2/3 \cdot \log_2(2/3) = 0.9183$$

$$\text{Entropy}(F_2=c) = -1/2 \cdot \log_2(1/2) - 1/2 \cdot \log_2(1/2) = 1$$

$$\text{Gain}(F_2) = 0.9183 - 0.8113 \cdot 4/9 - 0.9183 \cdot 3/9 - 1 \cdot 2/9 = 0.0294$$

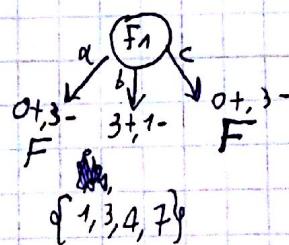
F<sub>3</sub>

$$\text{Entropy}(F_3=\alpha) = -2/5 \cdot \log_2(2/5) - 3/5 \cdot \log_2(3/5) = 0.971$$

$$\text{Entropy}(F_3=b) = -1/1 \dots = 0$$

$$\text{Entropy}(F_3=c) = -1/3 \cdot \log_2(1/3) - 2/3 \cdot \log_2(2/3) = 0.9183$$

$$\text{Gain}(F_3) = 0.9183 - 0.971 \cdot 5/9 - 0 - 0.9183 \cdot 3/9 = 0.073$$



$$\text{Entropy}(F_1 = b) = 0.8113$$

~~$$\text{Gain}(F_2) = 0.8113$$~~

$$\{1, 3, 4, 7\}$$

2 nodes per

$$\text{Entropy}(F_2 = d) = -1/2 \cdot \log_2(1/2) \dots = 1$$

$$\text{Entropy}(F_2 = b) = -1/1 \dots = 0$$

$$\text{Entropy}(F_2 = c) = -1/1 \dots = 0$$

~~$F_3$~~

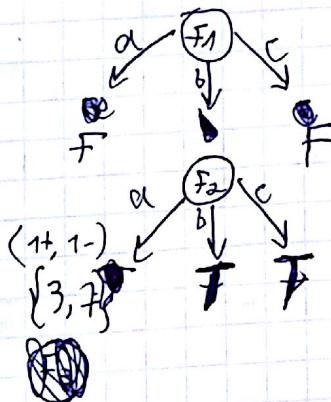
$$\text{Entropy}(F_3 = a) = -2/3 \cdot \log_2(2/3) - 1/3 \cdot \log_2(1/3) = 0.9183$$

$$\text{Entropy}(F_3 = b) = -0/0 = 0$$

$$\text{Entropy}(F_3 = c) = -1/1 \dots = 0$$

$$\text{Gain}(F_2) = 0.8113 - 2/4 = 0.3113$$

$$\left. \begin{array}{l} \text{Gain}(F_3) = 0.8113 - 3/4 \cdot 0.9183 \\ = 0.1226 \end{array} \right\}$$

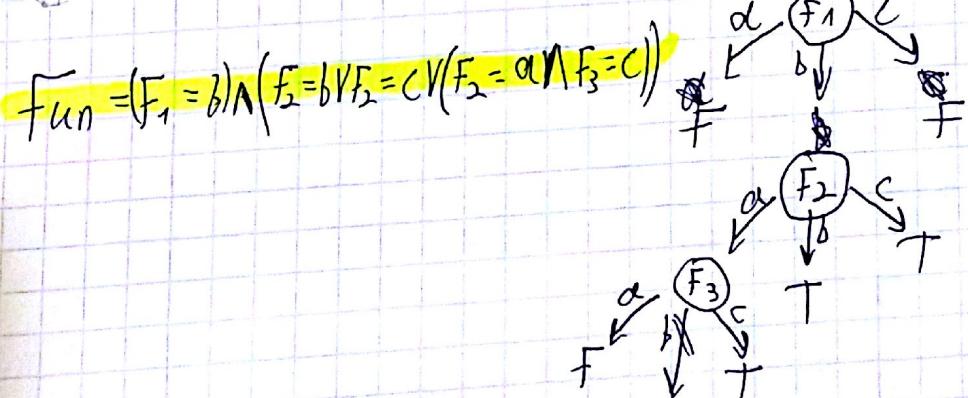


~~$F_3$~~

$$\text{Entropy}(F_3 = a) = -0/1 \dots = 0$$

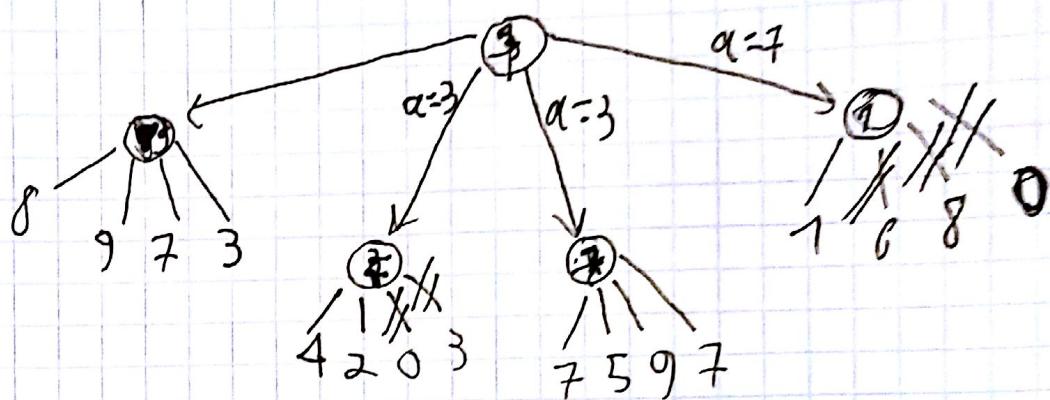
$$\text{Entropy}(F_3 = b) = -0/0 = 0$$

$$\text{Entropy}(F_3 = c) = -1/1 = 0$$

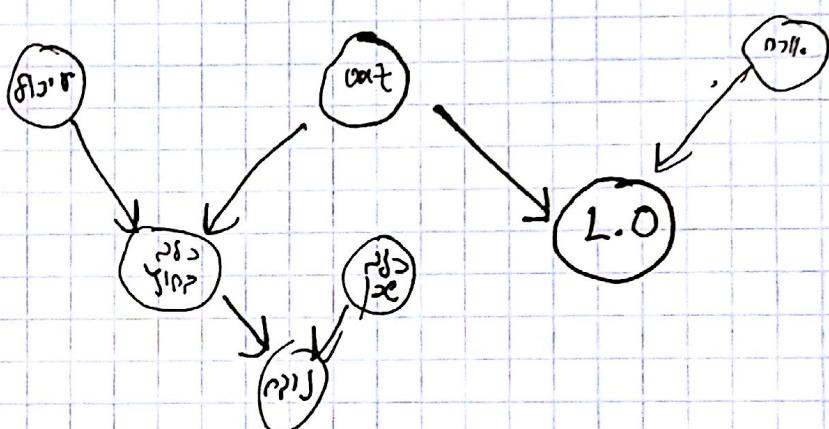


$$E=5, D=0, C=0, B=3, r=5 \rightarrow$$

3 28 kC  
(5) E (k)



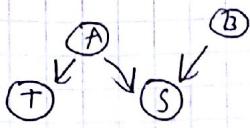
5 28 kC



1. סעיפים

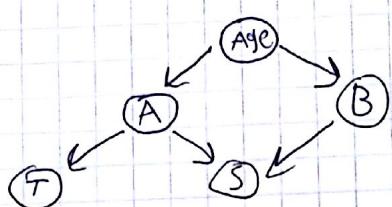
0.1 (k)

(P)

 $P(A \cap S, B, T) = P(A) \cdot P(T|A) \cdot P(B)$ 

$$P(A \cap S, B, T) = \frac{P(A) \cdot P(B) \cdot P(T|A) \cdot P(S|A, B)}{P(B) \cdot (P(S|A, B) \cdot P(A) + P(S|T, B) \cdot P(T|A)) \cdot (P(T|A) \cdot P(A) + P(T|T, B) \cdot P(T))}$$

$$= \frac{0.1 \cdot 0.5 \cdot 1 \cdot 1}{0.5 \cdot (1 \cdot 0.1 + 1 \cdot 0.9)} \cdot (1 \cdot 0.1 + 0.2 \cdot 0.9) = 0.357$$



ב)  $P(B | A \cap S, T)$   
אנו צריכים למצוא את  $P(A \cap S | T)$  ו-  $P(A \cap S | T) / P(A | T)$

min:  $a \geq V - \text{cut}$ , max:  $b \leq V - \text{cut}$  - 2 סעיפים

ק)  $\min \sum_{i=1}^n \text{זרכיא}_i \leq \text{cut}$  ו-  $\max \sum_{i=1}^n \text{זרכיא}_i \geq \text{cut}$ .  
לפיכך  $\text{cut} \leq \sum_{i=1}^n \text{זרכיא}_i \leq \text{cut}$ .  
~~ולפיכך  $\text{cut} \leq \sum_{i=1}^n \text{זרכיא}_i \leq \text{cut}$ .~~  
 ~~$\text{cut} \leq \sum_{i=1}^n \text{זרכיא}_i \leq \text{cut}$ .~~

ז'  $V > 14$ : ז' 2 סעיפים

נ'  $\sum_{i=1}^n \text{זרכיא}_i \geq \text{cut}$ .  $\text{cut} \leq \sum_{i=1}^n \text{זרכיא}_i \leq \text{cut}$ .  
לפיכך  $\text{cut} \leq \sum_{i=1}^n \text{זרכיא}_i \leq \text{cut}$ .  
ולפיכך  $\text{cut} \leq \sum_{i=1}^n \text{זרכיא}_i \leq \text{cut}$ .

ט'. ז'  $(V, W)$  ז'  $(U, L)$ : ז'  $(V, W)$  ז'  $(U, L)$ .  
ז'  $(V, W)$  ז'  $(U, L)$  ז'  $(V, W)$  ז'  $(U, L)$ .

ו'. ז'  $(V, W)$  ז'  $(U, L)$  ז'  $(V, W)$  ז'  $(U, L)$ .  
ז'  $(V, W)$  ז'  $(U, L)$  ז'  $(V, W)$  ז'  $(U, L)$ .

ז': ז'  $(V, W)$  ז'  $(U, L)$  ז'  $(V, W)$  ז'  $(U, L)$ .

ט'. ז'  $(V, W)$  ז'  $(U, L)$  ז'  $(V, W)$  ז'  $(U, L)$ .

$Z = 13, Y = 80, X = 3, W = 4, V = 12, U = 10$  : ז'  $(V, W)$  ז'  $(U, L)$

3 tasks

6 (1c)  
(P)

BFS (P) -  
לעתה נזכיר BFS ו-DFS. BFS בפניהם מתקיים רקורסיבית. גורם זה הוא שDFS מתקיים בדרכו הדרגתית. BFS מתקיים בדרכו הדרגתית.

לעתה נזכיר  $f_n = g_n + h_n$ .  $A^*$  מתקיים אם  $f_n \leq f_{n+1}$ .

לעתה נזכיר נסחף. נסחף מתקיים אם  $h(n) \leq h(n')$  עבור כל  $n < n'$ .

① קיימת דרך מסוימת בין  $n=1$  ו- $n=3$ . א. בדוק אם ניתן למשוך מ- $n=1$  ל- $n=3$  באמצעות סדרת מילויים. ב. מילויים יוצרים כביכול מושג אחד. מילויים יוצרים מושג אחד.

② קיימת דרך מסוימת בין  $n=1$  ו- $n=3$ . א. בדוק אם ניתן למשוך מ- $n=1$  ל- $n=3$  באמצעות סדרת מילויים.

ב. מילויים יוצרים מושג אחד.

מילים וטקסטים:

③ קיימת דרך מסוימת בין  $n=1$  ו- $n=3$ . א. בדוק אם ניתן למשוך מ- $n=1$  ל- $n=3$  באמצעות סדרת מילויים.

ב. מילויים יוצרים מושג אחד.

④ קיימת דרך מסוימת בין  $n=1$  ו- $n=3$ . א. בדוק אם ניתן למשוך מ- $n=1$  ל- $n=3$  באמצעות סדרת מילויים.

ב. מילויים יוצרים מושג אחד.

⑤ קיימת דרך מסוימת בין  $n=1$  ו- $n=3$ . א. בדוק אם ניתן למשוך מ- $n=1$  ל- $n=3$  באמצעות סדרת מילויים.

$$h_5(\text{state}) = 2 \cdot 3 = 6 \quad h^*(\text{state}) = 3 \quad ( \neq )$$

ולכן,

4) dkg

(k)

- 1) ~~Animal(zebra)~~
- 2) ~~Animal(x)~~
- 3) ~~Zebra(x)~~
- 4) ~~HeadOf(h,x)~~
- 5) ~~HeadOf(head, zebra)~~
- 6)  $\text{HeadOf}(h, \text{zebra}) \rightarrow \text{HeadOf}(h, \text{animal})$
- 7)  ~~$\text{HO}(h, \text{zebra}) \vee \text{HO}(h, \text{animal})$~~

(?)

5) dkg



\_objs: east, west, Wolf, goat, cabbage, boat, man  
 predicates: At(side,obj), OnBoat(x), ~~At(west,boat)~~, ~~At(east,boat)~~, empty(Boat), Boat(boat), Goat(goat), Wolf(wolf)

initial state: At(east, wolf)  $\wedge$  At(east, goat)  $\wedge$  At(east, cat)  
 $\wedge$  At(east, boat)  $\wedge$  At(east, boat)



~ ~ - -

187 2014B 102N

13812Q

$h(b) \leq h^*(b)$  (i) 13812Q 102N 102N 102N 102N 102N

D.F.S

$\{S\} \rightarrow \{A, B, C\} \rightarrow \{(D, G), B, C\} \rightarrow \{(F, G), B, C\} \rightarrow \{(G, H), B, C\}$

S, A, D, F, G.

BFS

$\{S\} \rightarrow \{A, B, C\} \rightarrow \{(D, G), B, C\} \rightarrow \{(D, G), (D, E), C\} \rightarrow \{(D, G), (D, E), (B, F, E)\}$   
 $\{(F, G), (D, E), (B, F, E)\}$  S, A, B, C, D, G

IDS

$\{S\} \rightarrow \{S, A, B, C\} \rightarrow \{S, A, B, C, D, G, D, E, B, F, E\}$  S, A, B, C, D, G

GBFS

$\{S\} \rightarrow \{S, A, B, C\} \rightarrow \{S, A, B, (B, F, E)\} \rightarrow \{S, A, B, (B, (C), E)\}$  S, C, F, G

UCS

$\{S\} \rightarrow \{A, B, C\} \rightarrow \{A, B, (B, F, E)\} \rightarrow \{A, (D), (B, F, E)\} \rightarrow \{A, (D), ((E))\}$

~~S, A~~ S, C, B, D, F, A, G S, C, F, G : 8180N

A\*

S, C, B, F, G

S, C, F, G : 8180N

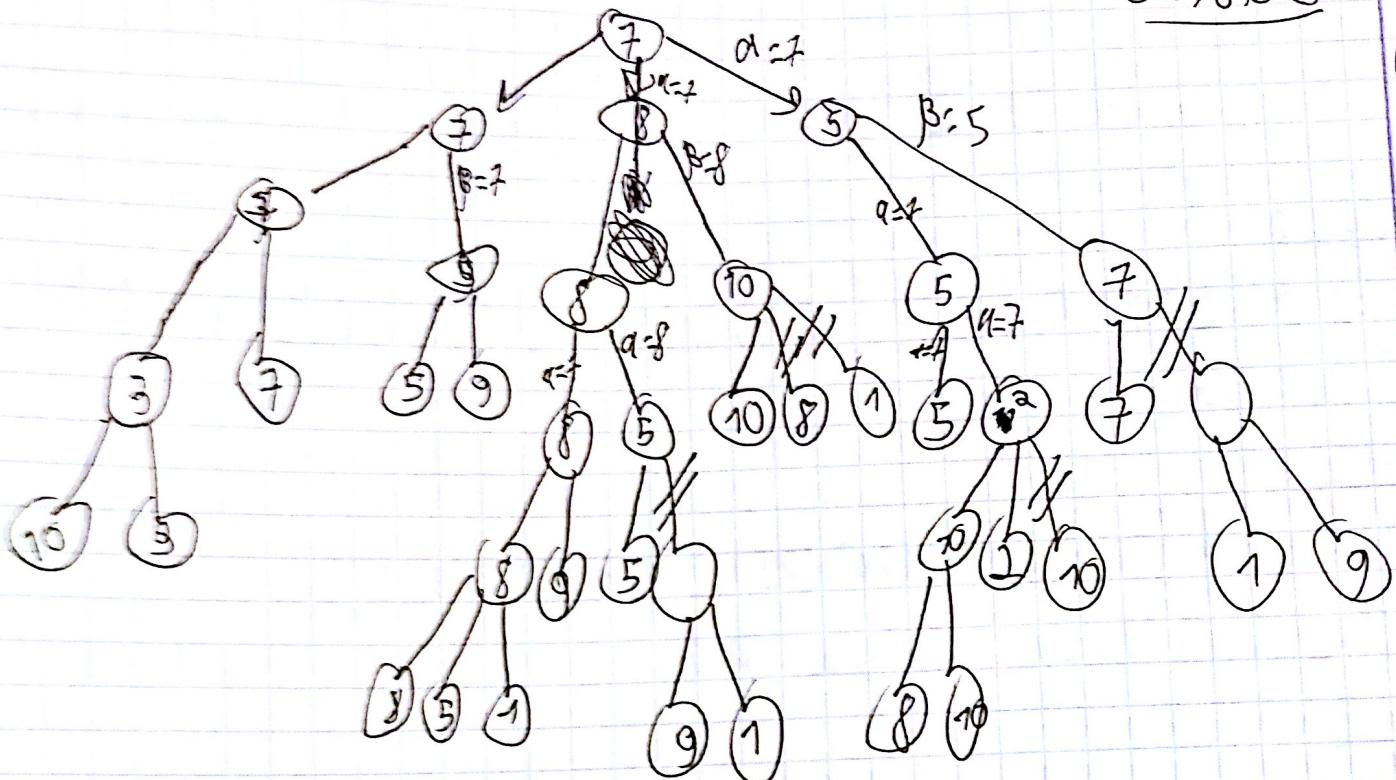
5) dlc

$$P(H, S, T_L, T_E) = 0.1 \cdot 0.1 \cdot 0.3 \cdot 0.9 = 0.0027$$

. 18.7% 1.8 H  $\rightarrow$  L  $\rightarrow$  E 8180N 102N

2) dlc

(b)



B תרשים סעיפים 1 ו 2  
 סעיף 1: מינימום ו מקסימום. קיימות  $\min(A, B)$  ו  $\max(A, B)$ .  
 סעיף 2: אוסף כל הnodes שקיימים בין A ו B.

השאלה מבקשת לרשום את כל nodes שקיימים בין A ו B. אוסף כל nodes שקיימים בין A ו B.

$$\cancel{H_i(L) \vee \cancel{AC(H)}} \wedge \cancel{AC(L)} \wedge \cancel{H_i(H) \vee AC(H)}$$

M87

2014B Jan 2014

3. DLE

$$1) (\cancel{H_i(L)} \wedge \cancel{AC(H)}) \vee (\cancel{AC(L)} \wedge \cancel{H_i(H)}) \quad (1c)$$

$$2) \forall x \ AC(x) \rightarrow \exists H_i(x)$$

$$3) \forall x \ H_i(x) \rightarrow \exists AC(x)$$

$$4) \forall x \ H_i(x) \rightarrow \text{Single}(x)$$

$$5) \forall x \ \text{Kids}(x) \rightarrow \exists \text{Single}(x)$$

$$6) \text{Kids}(L)$$

CNF

$$1) H_i(L), \cancel{AC(\cancel{x})} \quad \text{H}_i(L) \quad (2)$$

$$2) \cancel{H_i(\cancel{x})}, AC(H)$$

$$3) \exists AC(x), \exists H_i(x) \quad 4) \exists H_i(x), \exists AC(x)$$

$$5) \exists H_i(x), \text{Single}(x) \quad 6) \exists \text{Kids}(x), \exists \text{Single}(x)$$

$$7) \text{Kids}(L) \quad 8) \exists \exists \exists AC(L)$$

CNF

$$1, 8: 9) \exists H_i(L) \quad 9, 3: 10) \forall L: \exists AC(L)$$

$$2, 8: 9) \exists AC(H)$$

$$9, 3, 9: 10) \forall H: \exists H_i(H)$$

$$1, 10: 11) \exists H_i(L)$$

$$5, 11: 12) \exists \text{Single}(L)$$

$$6, 12: 13) \exists \text{Kids}(L)$$

$$7, 13: 14) \exists \exists \exists \exists \exists \exists$$

$$1) \forall x \ Hug(x) \oplus \text{full}(x) \quad 2) \vee$$

$$3) \exists x \exists y (\text{full}(x) \wedge \text{Hug}(y)) \rightarrow \text{full}(L) \quad (2)$$

~~E~~

$$\Sigma(S) = 1$$

$$\Sigma(c=T) = \frac{1}{4} \dots = 0.811$$

$$\Sigma(c=F) = \frac{3}{4} \dots = 0.811$$

$$\text{Gain}(c) = 1 - 0.811 \cdot 4/8 \dots = 0.189$$

$$\frac{F}{\Sigma(F=T)} = \frac{1}{2} = 1$$

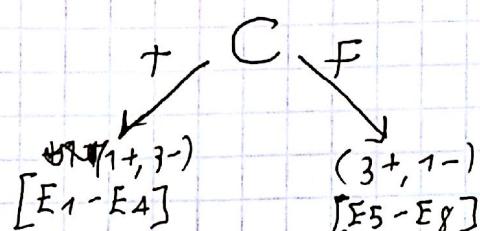
$$\Sigma(F=F) = \frac{3}{6} = 1$$

$$G(F) = 0$$

$$\frac{L}{\Sigma(L=L)} = \frac{2}{4} = 1$$

$$\Sigma(L=F) = \frac{2}{4} = 1$$

$$G(L) = 0$$



$$\underline{C=T}$$

$$\frac{E}{\Sigma(F=T)} = \frac{1}{1} = 0$$

$$\Sigma(F=F) = \frac{3}{3} = 0$$

$$G(F) = 0.811$$

$$\underline{C=F}$$

$$\frac{E}{\Sigma(F=F)} = \frac{0}{1} = 0$$

$$\Sigma(F=T) = \frac{3}{3} = 0$$

$$G(F) = 0.811$$

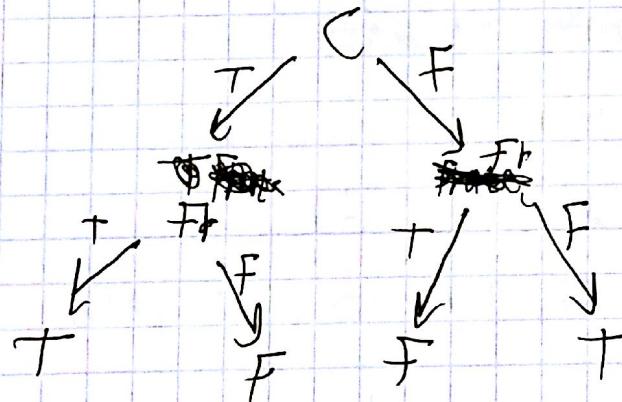
$$\frac{L}{\Sigma(L=L)} = \frac{1}{2} = 1$$

$$\frac{L}{\Sigma(L=F)} = \frac{1}{2} = 1$$

$$G(L) = 0.811 - 0.5 = 0.311$$

$$\frac{L}{\Sigma(L=F)} = \frac{1}{2} = 1$$

$$G(L) = 0.811 - 0.5 = 0.311$$



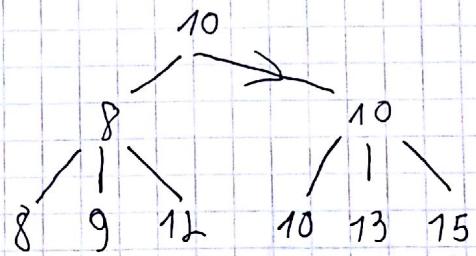
$F \Leftarrow \text{bias} \wedge T \Leftarrow \text{not global}$  (2)

ד.ס נפקוד - מועד 1 2014

1 מיל

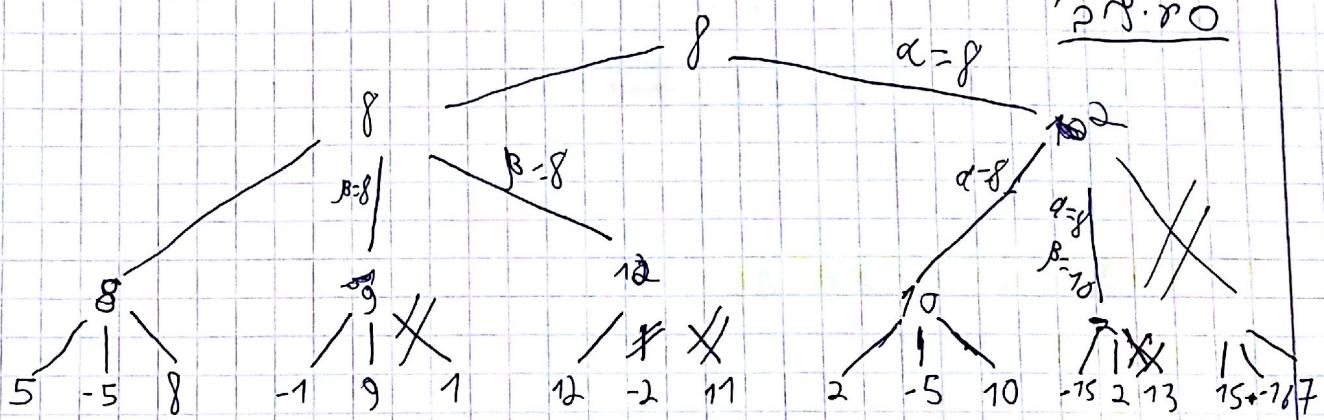
'lc פ.ס

.10. נ.ז.



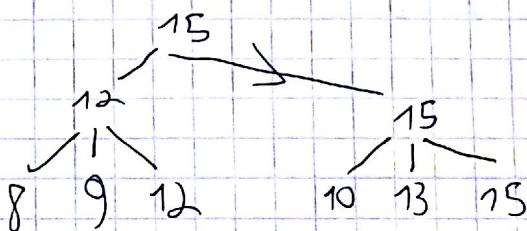
'lc פ.ס

$\alpha = 8$



'lc פ.ס

.15. נ.ז.



ר.ס.ס : 'lc פ.ס

2)  $\exists x \forall y$

' $\exists x \forall y$ '

- 1)  $\text{food}(x) \rightarrow \text{Love}(\text{Dani}, x)$
- 2)  $\text{food}(\text{banana})$
- 3)  $\text{food}(\text{cheese})$
- 4)  $\forall x \forall y (\text{eat}(x, y) \rightarrow \neg \text{Die}(x)) \rightarrow \text{food}(y)$
- 5)  $\neg \text{eat}(\text{Yuval}, \text{Peanut}) \rightarrow \neg \text{Die}(\text{Yuval})$
- 6)  $\forall x \text{eat}(\text{Yuval}, x) \rightarrow \text{eat}(\text{Hilal}, x)$

' $\exists x \forall y$ '

- 1)  $\neg \text{food}(y) \vee \text{Love}(\text{Dani}, y)$
- 2)  $\text{Food}(\text{banana})$
- 3)  $\text{Food}(\text{cheese})$
- 4)  $\neg (\neg \text{eat}(x, y) \vee \neg \text{Die}(x)) \vee \text{Food}(y)$
- 4a)  $\text{Food}(y) \vee \text{eat}(x, y)$
- 4b)  $\text{Food}(y) \vee \text{Die}(x)$
- 5)  $\neg \text{eat}(\text{Yuval}, \text{peanut}) \vee \neg \text{Die}(\text{Yuval})$
- 6)  $\neg \text{eat}(\text{Yuval}, x) \vee \text{eat}(\text{Hilal}, x)$
- C 7)  $\neg (\text{Love}(\text{Dani}, \text{Peanut}))$

16p7 ~ 17p 2 18.86

2. Afk e pen

'2 19.80

1, 4a = 8) Love(Dan; y), eat(<sup>Dan;</sup> x, y)

5, 4b = 9) foot(peanut), eat(youval, peanut)

4c, g = 10) foot(peanut)

1, 10 = 11) Love(Dan;, peanut)

1, 7 = 12) no

3 Afk C

Afkc & 1c 19.80

Afkc & 1c 19.80

Var = x, y, z Dom x = {red, green} Dom y = {red, green}

Dom z = {red, green, blue}

~~C<sub>1</sub> & XAY~~

C<sub>1</sub> & (x = g & y = g)  $\oplus$  (x = g & z = g)  $\oplus$  (y = g, z = g)

4.2.8.2

'b' n.s. ro

$$\begin{aligned} P(A) &= P(A|G) \cdot P(G) + P(A|\neg G) \cdot P(\neg G) \\ &= 1 \cdot 0.1 + 0.1 \cdot 0.9 = 0.19 \end{aligned}$$

2.8.20

$$\begin{aligned} P(A|B) &= P(A|S, B) \cdot P(S) + P(A|\neg S, B) \cdot P(\neg S) \\ &= \frac{P(S|A, B) \cdot P(A)}{P(S)} + \frac{P(\neg S|A, B) \cdot P(A)}{P(\neg S)} \cdot P(\neg S) \\ &= 1 \cdot 0.19 + 0 = 0.19 \end{aligned}$$

'2' n.s. ro

$$\cancel{P(A|S, B) = P(A|S) = \frac{P(S|A) \cdot P(A)}{P(S)}}$$

$$\begin{aligned} &= \frac{P(S|A, B) \cdot P(A) + P(\neg S|A, B) \cdot P(\neg A)}{P(S)} \cdot P(A) \\ &\approx \frac{(1 \cdot 0.4 + 0.9 \cdot 0.6) \cdot 0.19}{P(S)} \\ &= \frac{P(S|A, B) \cdot P(B) \cdot P(A)}{P(S)} + \end{aligned}$$

PENS - 4 JAHRE  
12 ₩ 8.00

$$P(A|S, B) = \frac{P(S|A, B) \cdot P(A) \cdot P(B)}{P(S) \cdot P(S|B)}$$

$$\begin{aligned} P(S|B) &= (P(S|A, B) \cdot P(A) + P(S|\neg A, B) \cdot P(\neg A)) \cdot P(B) \\ &= (1 \cdot 0.19 + 0.8 \cdot 0.81) \cdot 0.4 = 0.8352 \end{aligned}$$

$$P(S|A, B) \cdot P(A) \cdot P(B) = 1 \cdot 0.19 \cdot 0.4 = 0.076$$

$$P(A|S, B) = \frac{0.076}{0.3352} = 0.2267$$

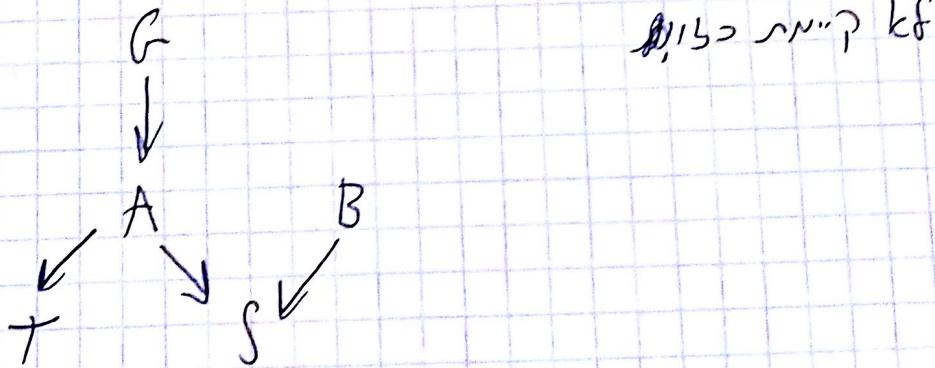
'3 ₩ 8.00

$$P(g|A) = \frac{P(A|G) \cdot P(G)}{P(A)} = \frac{1 \cdot 0.1}{0.19} = 0.5263$$

'2 ₩ 8.00

$$P(g|B) = 0.1$$

'1 ₩ 8.00



5. Blie

$$P(\text{Tree} = A) = 4/8$$

$$P(\text{Tree} = O) = 4/8$$

$$\text{Entropy}(\text{Tree}) = -4/8 \cdot \log_2(4/8) - 4/8 \cdot \log_2(4/8) = 1$$

1110 = H

$$H = 1110 : \text{Entropy}(1110) = -\frac{3}{8} \cdot \log_2(\frac{3}{8}) - \frac{1}{8} \cdot \log_2(\frac{1}{8}) = 0$$

\*  $H = 1111 : \text{Entropy}(1111) = -\frac{1}{2} \cdot \log_2(\frac{1}{2}) - \frac{1}{2} \cdot \log_2(\frac{1}{2}) = 1$

$$H = 110 : \text{Entropy}(110) = -\frac{1}{3} \cdot \log_2(\frac{1}{3}) - \frac{2}{3} \cdot \log_2(\frac{2}{3}) = 0$$

$$\text{Gain}(H) = \cancel{4/8} \cdot 1 - \frac{3}{8} \cdot 0 - \frac{1}{8} \cdot 1 - \frac{3}{8} \cdot 0 = 0.75$$

1110 = C

$$C = 1110 : \text{Entropy}(1110) = -\frac{1}{4} \dots = 1$$

$$C = 1111 : \text{Entropy}(1111) = -\frac{1}{4} \dots = 1$$

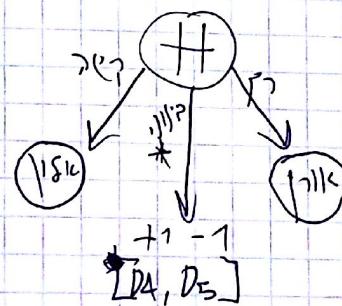
$$\text{Gain}(C) = 1 - \frac{1}{4} \cdot 1 - \frac{1}{4} \cdot 1 = 0$$

1100 = f

$$f = 1100 : \text{Entropy}(1100) = \frac{1}{4} \dots = 1$$

$$f = 1101 : \text{Entropy}(1101) = \frac{1}{4} \dots = 1$$

$$\text{Gain}(f) = 0$$



~~Gain(f) = 0~~

$$C = 1110 : \text{Entropy}(1110) = -\frac{1}{2} \dots = 1$$

$$C = 1111 : \text{Entropy}(1111) = 0$$

$$\text{Gain}(C) = 1 - \frac{1}{2} \cdot 1 - 1 = 0$$

$$t = 1100 : \text{ent} = 0$$

$$t = 1101 : \text{ent} = 0$$

$$\text{ent} = 0$$



1.7.8ke

(k)

- 1)  $\text{Pad}(\text{Lak}) \quad \cancel{\exists G.D(x)}$
- 2)  $\text{Master}(\text{Dan}, \text{Lak}) \quad \cancel{\forall G.D(x)}$
- 3)  $\text{Day}(\text{sunday}) \quad \exists \forall x \text{Lab}(x) \rightarrow G.D(x)$
- 4)  $\neg \text{Warm}(\text{sunday}) \quad \exists \forall x (\text{Pad}(x) \wedge \text{Train}(x)) \rightarrow G.D(x)$
- 5)  $\text{Train}(l)$
- 6)  $\cancel{\exists \forall x G.D(x) \wedge \text{Loc}(x, z)}$
- 7)  $\forall x, y, z (G.D(x) \wedge \text{Master}(y, x) \wedge \text{Loc}(y, z)) \rightarrow \text{Loc}(x, z)$
- 8)  $(\text{Day}(\text{sunday}) \wedge \text{Warm}(\text{sun})) \rightarrow \text{Loc}(\text{Dan}, \text{mall})$
- 9)  $(\text{Day}(\text{sunday}) \wedge \neg \text{Warm}(\text{sunday})) \rightarrow \text{Loc}(\text{Dan}, \text{park})$

(l)

CNF

- 1)  $\neg \text{Lab}(x), \neg G.D(x) \quad \exists \forall x \neg \text{Pad}(x), \neg \text{Train}(x), G.D(x)$
- 2)  $\neg \text{G.D}(x), \neg \text{master}(y, x), \neg \text{Loc}(y, z), \text{Loc}(x, z)$
- 3)  $\neg \text{Day}(\text{sunday}), \neg \text{Warm}(\text{sun}), \text{Loc}(\text{Dan}, \text{mall})$
- 4)  $\neg \text{Day}(\text{sunday}), \neg \text{Warm}(\text{sunday}), \text{Loc}(\text{Dan}, \text{park})$
- 5)  $\neg \text{Loc}(\text{Laki}, \text{park})$

(m)

8+11; 12)  $x/\text{Laki}, z/\text{park} : \neg \text{G.D}(\text{Laki}), \neg \text{master}(y, \text{Laki}), \neg \text{Loc}(y, \text{park})$ 2+12; 13)  $y/\text{Dan} : \neg \text{G.D}(\text{Laki}), \neg \text{Loc}(\text{Dan}, \text{park})$ 1+5+7; 14)  $x/\text{Laki} : \neg G.D(\text{Laki})$ 

- 14, 13; 15)  $\neg \text{Loc}(\text{Dan}, \text{park}) \quad \} \quad \text{11.10}$
- 3, 4, 10; 16)  $\text{Loc}(\text{Dan}, \text{park}) \quad \}$

$$\text{Entropy}(\text{Exp}) = -\frac{1}{3} \cdot \log_2\left(\frac{1}{3}\right) - \frac{2}{3} \cdot \log_2\left(\frac{2}{3}\right) = 1$$

- r1.1  
278kC

(1c)

$$\text{Entropy}(G = \text{inc}) = -\frac{1}{3} \cdot \log_2\left(\frac{1}{3}\right) - \frac{2}{3} \cdot \log_2\left(\frac{2}{3}\right) = 0.918$$

$$\text{Entropy}(G = \text{not}) = -\frac{2}{3} \cdot \log_2\left(\frac{2}{3}\right) - \frac{1}{3} \cdot \log_2\left(\frac{1}{3}\right) = 0.918$$

$$\text{Shad Gain}(G) = 1 - 0.918 \cdot \frac{1}{3} - 0.918 \cdot \frac{2}{3} = 0.082$$

### Camera

$$\text{Entropy}(C_{\text{am}} = \text{inc}) = -\frac{2}{3} \cdot \log_2\left(\frac{2}{3}\right) - \frac{1}{3} \cdot \log_2\left(\frac{1}{3}\right) = 0.918$$

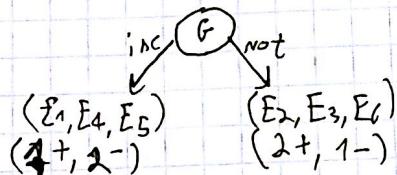
$$\text{Entropy}(C_{\text{am}} = \text{not}) = -\frac{1}{3} \dots = 0.918 \quad g(\text{cam}) = 0.082$$

### Internet

$$\text{Entropy}(I_{\text{nt}} = \text{inc}) = -\frac{2}{3} \dots = 0.918 \quad g = 0.082$$

$$\text{Entropy}(I_{\text{nt}} = \text{not}) = -\frac{1}{3} \dots = 0.918$$

כלורינס Game  $\Rightarrow$  מילוקי גוף יפה נילע Gain מושג מינימלי של ג'



G = inc

### camera

$$E(C_{\text{am}} = \text{inc}) = \frac{1}{1} \dots = 0 \quad g(\text{cam}) = 0.918$$

$$E(C_{\text{am}} = \text{not}) = \frac{0}{2} \dots = 0$$

G = not

### camera

$$E(C_{\text{am}} = \text{inc}) = \frac{1}{1} \dots = 1$$

$$E(C_{\text{am}} = \text{not}) = \frac{1}{1} \dots = 0$$

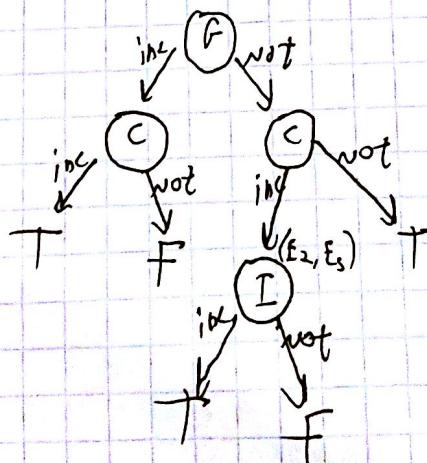
$$g(\text{cam}) = 0.918 - 1 \cdot \frac{1}{3} = 0.612$$

### Internet

$$E(I_{\text{nt}} = \text{inc}) = \frac{1}{2} \dots = 1 \quad g(\text{int}) = 0.612$$

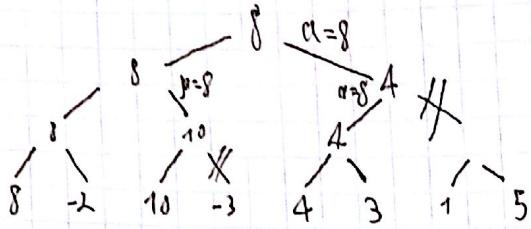
$$E(I_{\text{nt}} = \text{not}) = \frac{0}{1} \dots = 0$$

$$g(\text{int}) = 0.918 - 1 \cdot \frac{2}{3} - \frac{1}{3} = 0.612$$



grade

(k)

~~OBST~~ ~~OBST~~ .  $9 \leq A$ 

: 1122 (P)

(E)

4 grade

85

(k)

d, e, i, j

(P)

(E)

	$y_8$	$y_9$	$y_{10}$	$y_{11}$	$D_8$	$D_9$	$D_{10}$	$D_{11}$
F	X	X	X	X	2O	X	X	X
H	X	X	X	X	X	X	3O	X
P	5O	X	4X	4X	2X	X	3X	4X
S	X	X	X	X	X	O	X	X
T	X	X	2O	X	X	X	X	X

- (3)

F (P)

- (1)

	$y_8$	$y_9$	$y_{10}$	$y_{11}$	$D_8$	$D_9$	$D_{10}$	$D_{11}$
F	X	X	X	X	X	X	X	X
H	X	X	X	X	X	X	X	X
P	.	X	X	X	X	X	X	X
S	X	X	X	X	X	O	X	X
T	X	X	.	X	X	X	X	X

$$\begin{aligned} F &= D_8, H = D_{10} \\ P &= y_8, S = D_9 \\ T &= y_{10} \end{aligned}$$

12 (1)

5. a) k e  
(K)  
(P)

$$P(-e, -s, -m, -B) = 0.6 \cdot 0.9 \cdot 0.9 \cdot 0.9 = 0.4374$$

$$P(M|S, B, e) =$$

$$\cancel{P(S|M)} \Rightarrow P(S|E, M) = 1 \quad P(B|M) = 1 \quad P(E) = 0.4$$

$$P(M|S, B, e) = \frac{P(M|S) \cdot P(S)}{P(M)} \cdot \frac{P(M|B) \cdot P(B)}{P(B)} \quad P(S|E) = 0.1 + 0.8 \cdot 0.9 = \frac{0.82}{0.92}$$
$$P(B) = 0.1 + 0.1 \cdot 0.9 = 0.19$$

$$= \frac{P(S|M) \cdot P(M)}{P(S)} \cdot \frac{P(B|M) \cdot P(m)}{P(B)}$$

$$= \frac{\cancel{1} \cdot 0.1}{\cancel{0.82}} \cdot \frac{1 \cdot 0.1}{\cancel{0.19}} = \underline{\underline{0.0642}}$$

Slbungsmaßzahlen | 7.5 C S  $\leftarrow$  m  $\rightarrow$  B | E  $\rightarrow$  S  $\leftarrow$  M Maßzahlen, kg (E) |  
 $P(E, M) = n(E) = 0.4 | 0.61$  für M | S (3)

$$\frac{0.1 \cdot 1 \cdot 1 \cdot 0.4}{0.4 \cdot (0.1 \cdot 1 \cdot 1 + 0.9 \cdot 0.8 \cdot 0.1)} = \underline{\underline{0.5814}} \quad (\approx)$$

81 A 2013 Jan  
22skc

$$P(H, S, \neg L, \neg E) = P(H) \cdot P(S|H) \cdot N(\neg L|H, S) \cdot P(\neg E|\neg L) \quad (1)$$

$$P(H) = 0.1 \quad P(\neg L|H, S) = \cancel{0.1} \cdot 0.1 \quad = 0.002 \cancel{7}$$

$$P(S|H) = 0.3 \quad P(\neg E|\neg L) < 0.9$$

$$N(H, S, \neg L, \neg E) = 0.0027$$

$$\cancel{P(E|L)} = 0.6 \quad P(E|L, H) = 0.9 \cdot 0.3 = 0.27 \quad ? \rightarrow 0.112 \quad (2)$$

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