

varrank:

an R package for variable ranking based on

mutual information with applications to observed systems epidemiology

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Motivation

- system epidemiology, the typical set of possible variables is large
- Classical approaches for variables selection:¹
 - Prior scientific knowledge: 29%
 - Change of estimate: 18%
 - Stepwise model selection: 16%

No prior model?

Not one outcome experiment?

Summary

- Variable ranking based on a set of variable of importance
- **Model free**
- Flexible implementation of the mRMRe² algorithm
- Mixture of variables (continuous and discrete)
- Discretisation through rule/clustering
- varrank is distributed as an R package

https://CRAN.R-project.org/package=varrank

Results

- Can be used as a ranker/selector
- Multiple variable of importance possible
- Highly parametrizable
- Nice graphical output

Many synergies with network modelling approaches applied to systems epidemiology

Why systemic thinking?







- Systems epidemiology implies contributions at different levels
- Confounding factors
- Complex dependance structure
- Multicollinearity

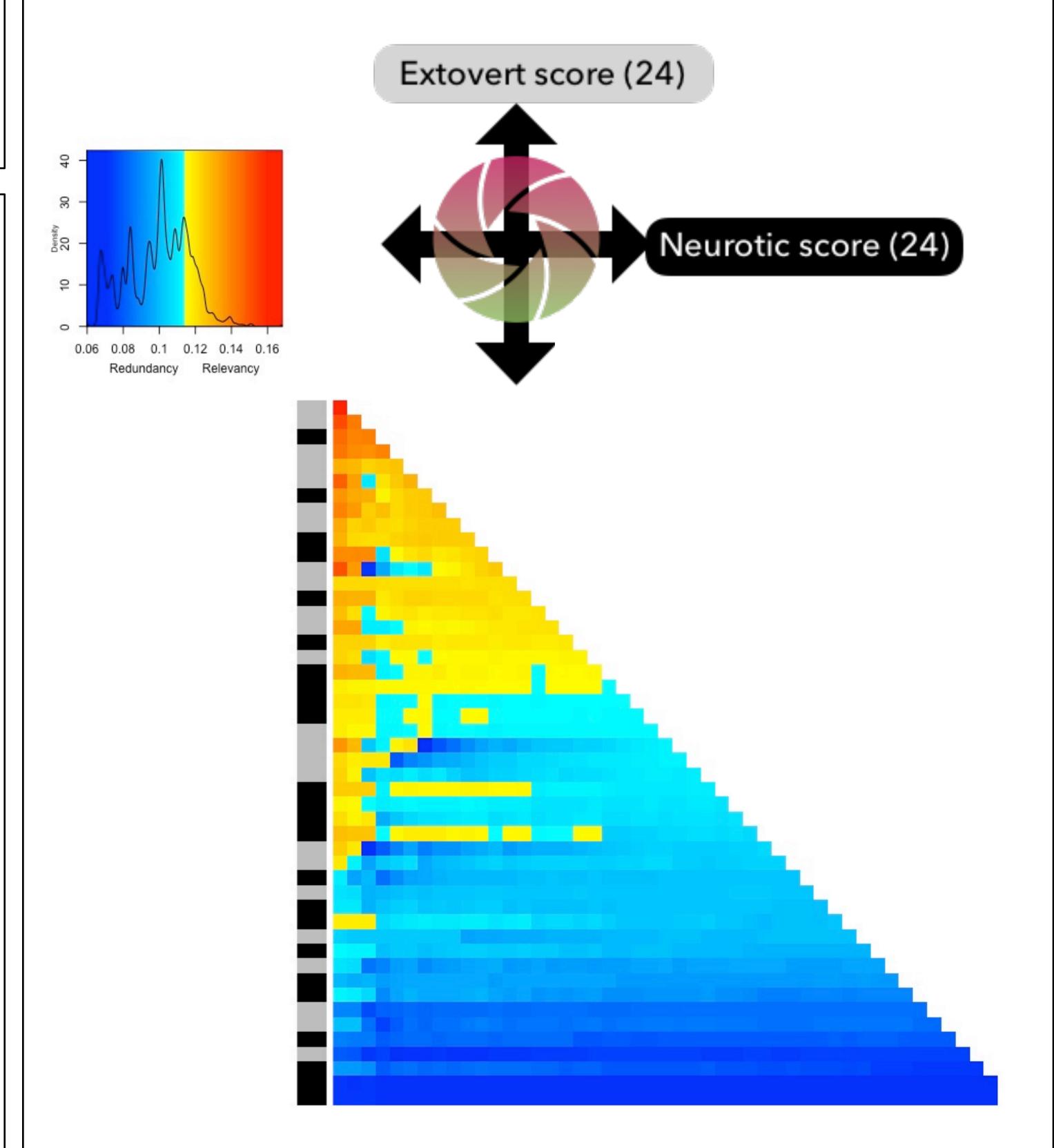
Illustrative example

Eysenck Personality Inventory (EPI)³, is and has been a very frequently administered personality test with 57 measuring two broad emotional dimensions

57 variables, n = 3570 observations (no missing data)

- **Extraversion-Introversion**
- Stability-Neuroticism
- Lie scale (variable of importance)

How to perform variable ranking using varrank? Average amount of information of one RV $H(X) = \sum_{n} P(x_n) \log P(x_n)$ $MI(X;Y) = \sum_{m=1}^{N} \sum_{m=1}^{M} P(x_n; y_m) \log \frac{P(x_n; y_m)}{P(x_n)P(y_m)}$ Mutual dependence between two RV Difference (mid) or quotient (miq) **Greedy search** $score_i = MI(f_i; \mathbf{C}) - \beta \sum \alpha(f_i, f_s, \mathbf{C})MI(f_i; f_s)$ Normalization Redundancy Relevance Estévez and al. (2009) **Discretization** $eta=1/|\mathbf{S}|$ and $lpha(f_i,f_s,\mathbf{C})=rac{1}{\min(\mathrm{H}(f_i),\mathrm{H}(f_s))}$



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