## Instructions for Lab #5

The Geochemical Carbon Cycle

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# **Carbon Cycle**

For the following exercises, you will use the GEOCARB model, which simulates the earth's carbon cycle.

The GEOCARB model has two time periods:

- First, it runs for 5 million years with the "Spinup" settings in order to bring the carbon cycle and climate into a steady state.
- Then, at time zero, it abruptly changes the parameters to the "Simulation" settings and also dumps a "spike" of CO<sub>2</sub> into the atmosphere and runs for another 2 million years with the new parameters to see how the climate and carbon cycle adjust to the new parameters and the CO<sub>2</sub> spike.

The quantities that are graphed include:

**pCO2** is the concentration of  $CO_2$  in the atmosphere, in parts per million.

WeatC is the rate of CO<sub>2</sub> being weathered from carbonate rocks and moved to the oceans.

**BurC** is the rate of carbonate being converted into limestone and buried on the ocean floor.

**WeatS** is the rate of SiO<sub>2</sub> being weathered from silicate rocks and moved to the oceans.

**Degas** is the rate at which CO<sub>2</sub> is released to the atmosphere by volcanic activity

**tCO2** is the total amount of CO<sub>2</sub> dissolved in the ocean, adding all of its forms:

$$tco2 = [CO_2] + [H_2CO_3] + [HCO_3 -] + [CO_3^{2-}].$$

**alk** is the ocean alkalinity: the total amount of acid (H<sup>+</sup>) necessary to neutralize the carbonate and bicarbonate in the ocean. The detailed definition is complicated, but to a good approximation, alk =  $[HCO_3-] + 2[CO_3^{2-}]$ . This is not crucial for this lab.

**CO3** is the concentration of dissolved carbonate (CO<sub>3</sub><sup>2-</sup>) in the ocean, in moles per cubic meter. **d13Cocn** is the change in the fraction of the carbon-13 (<sup>13</sup>C) isotope, relative to the more common carbon-12 (<sup>12</sup>C) isotope, in the various forms of carbon dissolved in the ocean water.

**d13Catm** is the change in the fraction of <sup>13</sup>C, relative to <sup>12</sup>C in atmospheric CO<sub>2</sub>.

**Tatm** is the average air temperature.

**Tocn** is the average temperature of ocean water.

#### Note:

In this lab, you will mostly look at pCO2, but in exercise 8.2, you will also look at the weathering.

## Running the GEOCARB model from R

I have provided functions for running the GEOCARB model from R:

To run the model:

```
run_geocarb(filename, co2_spike, degas_spinup, degas_sim,
plants_spinup, plants_sim, land_area_spinup, land_area_sim,
delta_t2x, million_years_ago, mean_latitude_continents)
```

You need to specify filename (the file to save the results in) and co2\_spike (the spike in CO<sub>2</sub> at time zero).

The other parameters will take default values if you don't specify them, but you can override those defaults by giving the parameters a value.

 $degas\_spinup$  and  $degas\_sim$  are the rates of  $CO_2$  degassing from volcanoes for the spinup and simulation phases, in trillions of molecules per year.

plants\_spinup and plants\_sim are TRUE/FALSE values for whether to include the role of plants in weathering (their roots speed up weathering by making soil more permeable and by releasing CO<sub>2</sub> into the soil), and land\_area is the total area of dry land, relative to today. The default values are: degas = 7.5, plants = TRUE, and land\_area = 1.

The geological configuration allows you to look into the distant past, where the continents were in different locations and the sun was not as bright as today.

delta\_t2x is the climate sensitivity (the amount of warming, in degrees Celsius, that results from doubling CO<sub>2</sub>). million\_years\_ago is how many million years ago you want year zero to be and mean\_latitude\_continents is the mean latitude, in degrees, of the continents (today, with most of the continents in the Northern hemisphere, the mean latitude is 30 degrees).

After you run run\_geocarb, you would read the data in with read\_geocarb(filename). This function will return a data frame with the columns year, co2.total, co2.atmos, alkalinity.ocean, delta.13C.ocean, delta.13C.atmos, carbonate.ocean, carbonate.weathering,

silicate.weathering, total.weathering, carbon.burial, degassing.rate, temp.atmos, and temp.ocean.

## **Chapter 8 Exercises**

### Exercise 8.1: Weathering as a function of CO<sub>2</sub>

In the steady state, the rate of weathering must balance the rate of CO<sub>2</sub> degassing from the Earth, from volcanoes and deep-sea vents.

Run a simulation with co2\_spike set to zero, and set the model to increase the degassing rate at time zero (i.e., set degas\_sim to a higher value than degas\_spinup).

- a) Does an increase in CO<sub>2</sub> degassing drive atmospheric CO<sub>2</sub> up or down? How long does it take for CO<sub>2</sub> to stabilize after the degassing increases at time zero?
- b) How can you see that the model balances weathering against CO<sub>2</sub> degassing (**Hint:** what variables would you graph with ggplot?)
- c) Repeat this run with a range of degassing values for the simulation phase and make a table or a graph of the equilibrium CO<sub>2</sub> concentration versus the degassing rate.
  - Does the weathering rate always balance the degassing rate when the CO<sub>2</sub> concentration stabilizes?
- d) Plot the weathering as a function of atmospheric CO<sub>2</sub> concentration, using the data from the model runs you did in part (c).

### Exercise 8.2: Effect of solar intensity on steady-state CO<sub>2</sub> concentration

The rate of weathering is a function of CO<sub>2</sub> concentration and sunlight, and increases when either of those variables increases. The sun used to be less intense than it is today.

Run GEOCARB with the spike set to zero, with the default values of 7.5 for both degas\_spinup and degas\_sim, and with the clock turned back 500 million years to when the sun was cooler than today.

What do you get for the steady state CO<sub>2</sub>? How does this compare to what you get when you run GEOCARB for today's solar intensity? Explain why.

### **Exercise 8.3: The role of plants (Graduate students only)**

The roots of plants accelerate weathering by two processes: First, as they grow, they open up the soil, making it more permeable to air and water. Second, the roots pump CO<sub>2</sub> down into the soil.

Run a simulation with no  $CO_2$  spike at the transition and with no plants in the spinup, but with plants present in the simulation.

a) What happens to the rate of weathering when plants are introduced in year zero? Does it go up or down right after the transition? WHat happens later on?

- b) What happens to atmospheric CO<sub>2</sub>, and why?
- c) When the CO<sub>2</sub> concentration changes, where does the carbon go?

### **Exercise from Chapter 10**

### Exercise 10.1: Long-term fate of fossil fuel CO<sub>2</sub>

Use the GEOCARB model in its default configuration.

- a) Run the model with no CO<sub>2</sub> spike at the transition. What happens to the weathering rates (Silicate, Carbonate, and Total) at the transition from spinup to simulation (i.e., year zero)?
- b) Now set the CO<sub>2</sub> spike at the transition to 1000 GTon.
  - What happens to the weathering at the transition? How does weathering change over time after the transition?
  - How long does it take for CO<sub>2</sub> to roughly stabilize (stop changing)?
- c) In the experiment from (b), how do the rates of total weathering and carbonate burial change over time?
  - Plot what happens from shortly before the transition until 10,000 years afterward (**Hint:** you may want to add the following to your ggplot command: xlim(NA,1E4) to limit the range of the x-axis, or scale\_x\_continuous(limits = c(NA,1E4), labels = comma)) if you also want to format the numbers on the x-axis with commas to indicate thousands and millions.)

How do the two rates change? What do you think is happening to cause this?

• Now plot the carbon burial and total weathering for the range 1 million years to 2 million years. How do the two rates compare?