clustering-R-Exercise

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This mini-project is based on the K-Means exercise from 'R in Action' Go here for the original blog post and solutions http://www.r-bloggers.com/k-means-clustering-from-r-in-action/

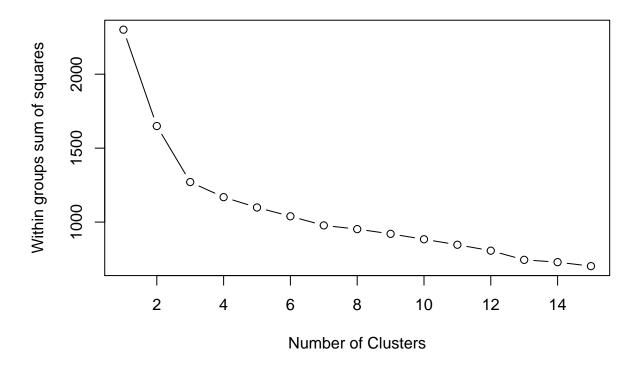
Exercise 1: Remove the first column from the data and scale it using the scale() function Note. I did this instruction at first using wine Type = NULL because Type is the first column, but the last exercise requires using the Type column so Type column

Now we'd like to cluster the data using K-Means. How do we decide how many clusters to use if you don't know that already? We'll try two methods.

Method 1: > A plot of the total within-groups sums of squares against the number of clusters in a K-means solution can be helpful. A bend in the graph can suggest the appropriate number of clusters.

```
wine2 <- wine
                   # that's how I did it, I see on the blog you can also do it
wine2$Type = NULL
# by omitting it from the new definition all as one step df <- scale(wine[-1])
str(wine2)
## 'data.frame':
                   178 obs. of 13 variables:
## $ Alcohol
                    : num 14.2 13.2 13.2 14.4 13.2 ...
                    : num 1.71 1.78 2.36 1.95 2.59 1.76 1.87 2.15 1.64 1.35 ...
## $ Malic
## $ Ash
                    : num 2.43 2.14 2.67 2.5 2.87 2.45 2.45 2.61 2.17 2.27 ...
## $ Alcalinity
                    : num 15.6 11.2 18.6 16.8 21 15.2 14.6 17.6 14 16 ...
## $ Magnesium
                    : int 127 100 101 113 118 112 96 121 97 98 ...
## $ Phenols
                    : num 2.8 2.65 2.8 3.85 2.8 3.27 2.5 2.6 2.8 2.98 ...
## $ Flavanoids
                    : num 3.06 2.76 3.24 3.49 2.69 3.39 2.52 2.51 2.98 3.15 ...
## $ Nonflavanoids : num 0.28 0.26 0.3 0.24 0.39 0.34 0.3 0.31 0.29 0.22 ...
## $ Proanthocyanins: num 2.29 1.28 2.81 2.18 1.82 1.97 1.98 1.25 1.98 1.85 ...
                    : num 5.64 4.38 5.68 7.8 4.32 6.75 5.25 5.05 5.2 7.22 ...
## $ Color
## $ Hue
                    : num 1.04 1.05 1.03 0.86 1.04 1.05 1.02 1.06 1.08 1.01 ...
## $ Dilution
                    : num 3.92 3.4 3.17 3.45 2.93 2.85 3.58 3.58 2.85 3.55 ...
## $ Proline
                    : int 1065 1050 1185 1480 735 1450 1290 1295 1045 1045 ...
# scale it using the scale() function
wine2 <- scale(wine2)</pre>
# Now cluster the data
wssplot <- function(data, nc=15, seed=1234){
                 wss <- (nrow(data)-1)*sum(apply(data,2,var)) # sums variances across
                  # 2nd column of the df in this case wine2
                     for (i in 2:nc){ # here, passing 15 as the limit
                         # as the max. number of clusters to calculate and graph
                   wss[i] <- sum(kmeans(data, centers=i)$withinss)} # kmeans provides
                    # withinss a vector listing within-cluster sum of squares, one component
                    # targeted number of clusters 1 - 15
             plot(1:nc, wss, type="b", xlab="Number of Clusters",
```

```
ylab="Within groups sum of squares")
}
wssplot(wine2)
```



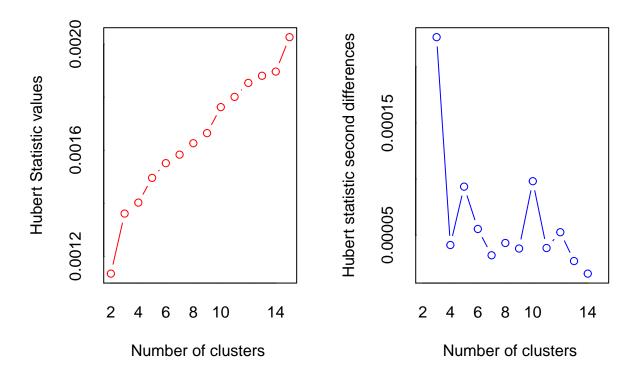
Exercise 2: Questions.

- How many clusters does this method suggest?
- Why does this method work? What's the intuition behind it?
- Look at the code for wssplot() and figure out how it works

Answers.

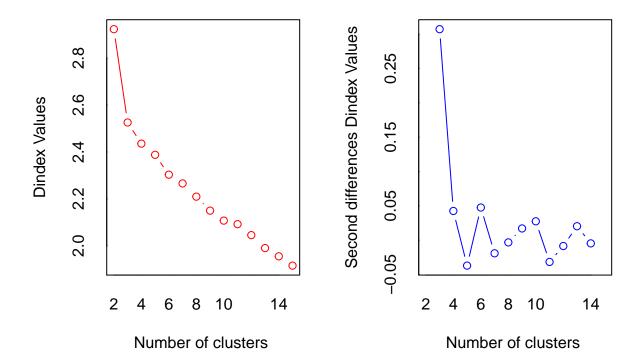
- Two or three clusters would be most efficent, depending on the application.
- The sum of squares indicates the difference between the points in the clusters. Where the tail is flat would indicate not that much differentiation between some of the clusters; where the curve is steep at the start would indicate a great deal of difference contained between the first and second clusters, so the clusters are less meaningful, or a bit eclectic.
- For explanation of the wssplot() code see comments in the code chunk above.

Method 2: Use the NbClust library, which runs many experiments and gives a distribution of potential number of clusters.



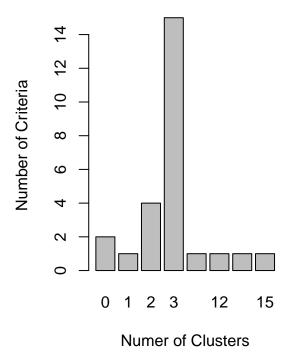
##

*** : The Hubert index is a graphical method of determining the number of clusters. ## In the plot of Hubert index, we seek a significant knee that corresponds to a significant increase of the value of the measure i.e the significant peak in Hubert ## ## index second differences plot.



```
*** : The D index is a graphical method of determining the number of clusters.
                  In the plot of D index, we seek a significant knee (the significant peak in Dindex
##
##
                  second differences plot) that corresponds to a significant increase of the value of
##
                  the measure.
##
  *************************
## * Among all indices:
\#\# * 4 proposed 2 as the best number of clusters
## * 15 proposed 3 as the best number of clusters
## * 1 proposed 10 as the best number of clusters
## * 1 proposed 12 as the best number of clusters
## * 1 proposed 14 as the best number of clusters
## * 1 proposed 15 as the best number of clusters
##
##
                     ***** Conclusion *****
##
## * According to the majority rule, the best number of clusters is 3
##
##
```

lumber of Clusters Chosen by 26 Cı



Exercise 3: How many clusters does this method suggest?

Answer. This method suggests three clusters.

Exercise 4: Once you've picked the number of clusters, run k-means using this number of clusters. Output the result of calling kmeans() into a variable fit.km

```
fit.km <- kmeans(wine2, centers=3, iter.max=1000)
```

Now we want to evaluate how well this clustering does.

Exercise 5: using the table() function, show how the clusters in fit.kmclusterscomparestotheactualwinetypesinwineType. Would you consider this a good clustering?

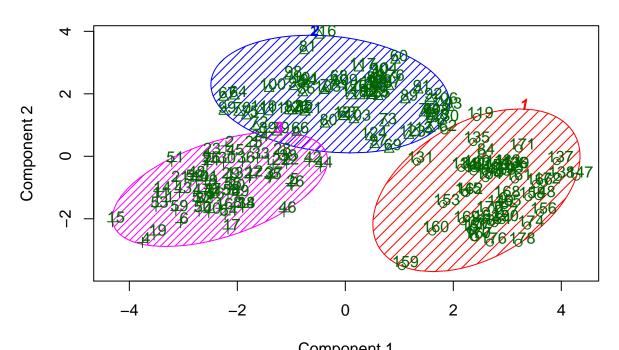
Answer. Yes. I'd say the three types correspond very well with the three clusters: type 1 corresponde 100% to the first cluster, and Type 3 corresponds fully with the second cluster. Type two has a few wines in other categories but 92% of that type are clustered into the third cluster.

Exercise 6:

- Visualize these clusters using function clusplot() from the cluster library
- Would you consider this a good clustering?

Answer. Yes. See plot:

CLUSPLOT(wine2)



Component 1
These two components explain 55.41 % of the point variability.