lab01

March 30, 2021

1 Introduction to Julia

Contents:

- Introduction to Julia
 - GitHub
 - Work Environment
 - Jupyter Basics
 - Julia Basics

In this lab we will:

- (1) Load the lab GitHub repository locally;
- (2) Set up our work environment by installing Julia and Jupyter;
- (3) Cover Jupyter basics;
- (4) Go over some Julia basics.

The goal is to set up a stable work environment for the rest of the quarter while getting a taste of the Julia language.

Today's material borrows quite a lot from Quantitative Economics with Julia by QuantEcon, so I encourage everyone to check it out for more details.

1.1 GitHub

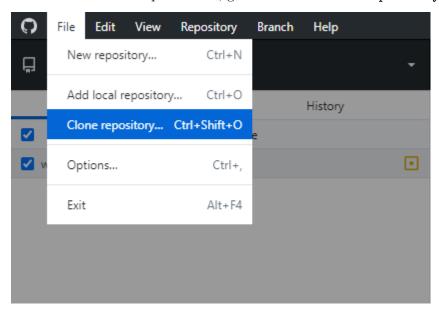
As you might have already noticed, all lab materials for this quarter live on GitHub. I've done so to allow for easy version control and replicability.

Here I will guide you through the bare minimum of the necessary GitHub functionality required to maintain up-to-date access to lab materials.

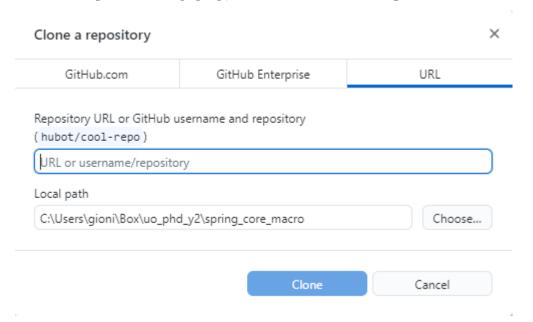
Go to the GitHub website to create an account and register for a student/educator discount (this last part isn't necessary, but can't hurt).

After finishing the above step, download and install GitHub Desktop. Open it and log into your GitHub account locally.

In the GitHub Desktop interface, go to File > Clone Repository:

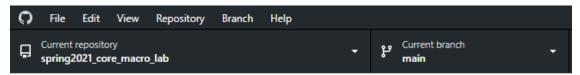


The following box should pop up, in which we need to navigate to the URL tab:

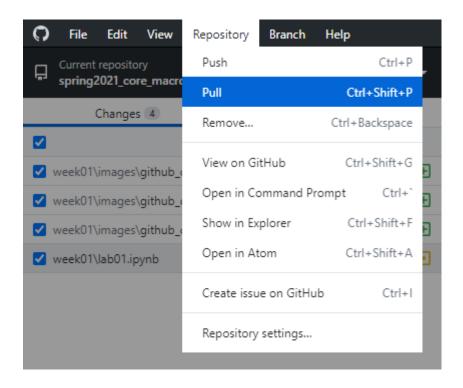


Paste https://github.com/gionikola/spring2021_core_macro_lab.git into the URL, and then choose a folder in which you would like to keep the lab materials.

Once this is done, make sure that the Current repository is set to spring2021_core_macro_lab:



Now we can automatically keep all lab documents up-to-date by periodically opening up GitHub Desktop and going to Repository > Pull:



1.2 Work Environment

To set up the necessary work environment for these labs, we need to do the following three things:

- Download and install Julia;
- Download and install Jupyter;
- "Connect" Jupyter with Julia.

We will first need to download and install the current stable version of Julia by visiting this page and following the instructions for the appropriate operating system.

Then we will need to visit this page to download and install Anaconda, which essentially a package management tool that includes Jupyter. To learn more about Anaconda, read the Wikipedia page.

Once both Julia and Anaconda are installed, we can perform the final step of linking Jupyter with Julia. Open Julia – we should see the following window pop up:



This is the Julia REPL (Read-Evaluate-Print Loop).

Now type] to enter package mode, then type add IJulia.

```
Julia 1.5.4

Documentation: https://docs.julialang.org

Type "?" for help, "]?" for Pkg help.

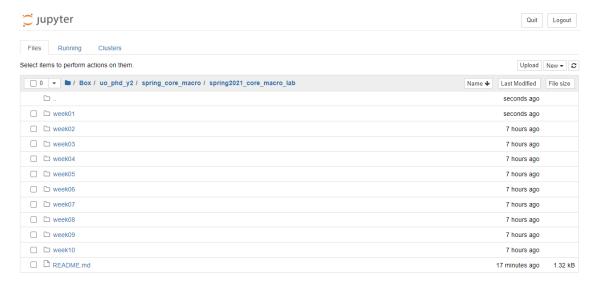
Version 1.5.4 (2021-03-11)

Official https://julialang.org/ release

(@v1.5) pkg> _
```

We then click Enter on the keyboard to run the command. This will install the IJulia kernel, which should automatically link Julia with Jupyter. After the installation is complete, we click Backspace on the keyboard to leave package mode.

We can now type using IJulia; notebook() into the REPL to launch Jupyter Notebook. If this running this command leads to an error or the prompt install Jupyter via Conda, y/n? [y]:, then we can alternatively launch Jupyter Notebook by finding where it lives on our machine and/or typing jupyter notebook into the Anaconda Prompt. In any case, we should see something similar to the following tab open in our web browser (but in a different directory):



We can now manually navigate to our preferred directory (folder) and create new notebooks, along with other types of documents. When we open a document, it will open as a new tab in our web browser.

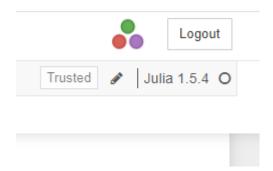
At this point we are all set-up and ready to code!

1.3 Jupyter Basics

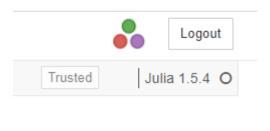
The keyboard shortcuts window says it best: "The Jupyter Notebook has two different keyboard input modes. Edit mode allows you to type code or text into a cell and is indicated by a green cell border. Command mode binds the keyboard to notebook level commands and is indicated by a grey cell border with a blue left margin."

At any given point in time in the Jupyter interface we are either in edit mode or command mode. We can tell which mode we are in using two indicators: (1) the color of the outline around a selected cell, and (2) the presence/absence of a pencil symbol next to the active kernel name at the upper-right corner of the notebook.

If we are in edit mode, then we should see the following:



Otherwise we should see the following:



The following is a list of some very useful shortcuts:

- Esc triggers command mode if currently in edit mode;
- Enter triggers edit mode if currently in command mode;
- Ctrl-Enter runs selected cell;
- Shift-Enter runs selected cell and selects the next cell below;
- Alt-Enter runs selected cell and creates a new cell below;
- D, D deletes selected cell.

Check out more shortcuts by going into command mode and clicking the H key.

There are three types of cells (1) code, (2) Markdown, and (3) raw. We will mostly be interested in code and Markdown cells, so we disregard the final category. We can tell what type of cell we are dealing with by either (1) looking up at our toolbar



or by (2) looking to the left of the cell to check whether there is a In []: present – if so, then we have ourselves a code cell, otherwise it is a Markdown cell.

A couple more useful shortcuts:

- M changes a selected cell type to Markdown if in command mode;
- Y changes a selected cell type to code if in command mode.

Jupyter is simple and intuitive enough that the above should be enough to get us going.

1.4 Julia Basics

1.4.1 Packages

Let us start by loading Julia packages.

```
[5]: using LinearAlgebra # Load LinearAlgebra package using Statistics # Load Statistics package
```

Suppose we do not have the LinearAlgebra package available in our environment.

In this case, loading LinearAlgebra with using will not work, since we first need to install the package using the following code:

```
[8]: using Pkg # Load `Pkg`, which can be used to install packages
Pkg.add("LinearAlgebra") # Install `LinearAlgebra` package
```

Resolving package versions...

No Changes to `C:\Users\gioni\Project.toml`

No Changes to `C:\Users\gioni\Manifest.toml`

We could have alternatively opened the REPL, entered package mode by clicking], and ran add LinearAlgebra.

1.4.2 Simple Data Types

Now that basic package management is out of the way, we can start talking about data types.

Suppose we have randomly-generated variables x and y, and would like to check whether x > y. Let's call this condition A. We can store the status of condition A as a Boolean variable z.

```
[45]: x = randn() # Generate random value `x`
y = randn() # Generate random value `y`
z = x > y # Store status of condition A as variable `z`
message = "x = $(x) and y = $(y), " * "therefore condition A is $(z)."
message
```

[45]: x = -0.41855672790727266 and y = 0.20941356839377148, therefore condition A is false.

Notice that we used the randn() function to generate a random $x, y \in \mathbb{R}$. Furthermore, we generated a string called message by concatenating two separate strings using *. We print the values of variable x, y, and z in message using \$.

Let's confirm that message is indeed a string:

```
[46]: typeof(message)
```

[46]: String

Let's also check the data type of x (and equivalently y):

```
[47]: typeof(x)
```

[47]: Float64

Now let's check the data type of z:

```
[48]: typeof(z)
```

[48]: Bool

So far we've seen strings, floats, and booleans, but we also have integers:

```
[49]: y = 5
typeof(y)
```

[49]: Int64

Since we have a float x and an integer y, let's test out some basic arithmetic operations with them:

```
[51]: @show x + y
@show x - y
@show x * y
@show x / y
@show x - (-y)
@show 3x - 4y
@show x^(-1);
```

```
x + y = 4.581443272092727

x - y = -5.418556727907273

x * y = -2.0927836395363633

x / y = -0.08371134558145453

x - -y = 4.581443272092727

3x - 4y = -21.25567018372182

x ^ -1 = -2.3891624081635614
```

Notice that we used the @show macro the print out equations. Furthermore, we ended the last line of the cell with a; to supress the redundant printing of the output of $x^(-1)$. See what happens when you construct a similar cell without; at the end.

But did you know we can also apply arithmetic operations to booleans?

```
[53]: z1 = true # define a true boolean
z2 = false # define a false boolean
@show z1 + 0
@show z2 + 0
@show z1 + z2
@show x + z1
@show x * z1;
```

```
z1 + 0 = 1

z2 + 0 = 0

z1 + z2 = 1

x + z1 = 0.5814432720927274

x * z1 = -0.41855672790727266
```

Let's give x and y imaginary components, and play around with the resulting imaginary numbers.

```
[60]: @show x = x + 3im
@show y = y + 2im
@show x + y
@show x - y
@show x * y
@show x / y
@show x - (-y)
@show 3x - 4y
@show x^(-1);
```

```
x = x + 3im = -0.41855672790727266 + 9.0im

y = y + 2im = 5 + 6im

x + y = 4.581443272092727 + 15.0im

x - y = -5.418556727907273 + 3.0im

x * y = -56.092783639536364 + 42.48865963255636im

x / y = 0.8509379731223545 + 0.7788744322531742im

x - -y = 4.581443272092727 + 15.0im

3x - 4y = -21.25567018372182 + 3.0im

x ^ -1 = -0.005156214962679721 - 0.1108713146152038im
```

1.4.3 Introduction to Arrays

We can also collect data into arrays.

The output here tells us that a is a one-dimensional array containing Int64 data.

b seems to have the same dimensions as a, but it contains Float64 data instead of integer data. Suppose we try to include multiple data types in a single array:

```
[64]: c = [1, 1.0, true, "text"]
```

This is undesirable, but as we can see – it works.

Let's check out the dimensions and size of array/vector b:

```
[72]: @show ndims(b) # Show dimensions of vector `b` @show size(b); # Show size of vector `b`
```

```
ndims(b) = 1
size(b) = (3,)
```

The above output essentially tells us that b is a vector with 3 entries.

I say that **b** is a vector since a one-dimensional array is equivalent to a vector, while a two-dimensional array is equivalent to a matrix.

We confirm this in the following cell:

```
[73]: @show Array{Float64, 1} == Vector{Float64}
@show Array{Float64, 2} == Matrix{Float64};
```

```
Array{Float64, 1} == Vector{Float64} = true
Array{Float64, 2} == Matrix{Float64} = true
```

There are two different ways we can create a column vector:

```
[75]: col1 = [1, 2, 3]
col2 = [1; 2; 3]
col1 == col2 # Test if both are column vectors
```

[75]: true

We can also create row vectors in the following manner:

```
[77]: row1 = [1 2 3]
```

```
[77]: 1×3 Array{Int64,2}:
1 2 3
```

Let's check the dimensions and size of the row vector row1:

```
[78]: @show ndims(row1) @show size(row1);
```

```
ndims(row1) = 2
size(row1) = (1, 3)
```

According to the above output, row vectors are 2-dimensional – in other words, they are matrices.

Furthermore, unlike column vectors, row vectors are not flat. The above output shows that row1 has one row and three columns.

Let's create a more traditional-looking matrix A:

```
[16]: A = [1 2; 3 4]
```

- [16]: 2×2 Array{Int64,2}:
 - 1 2
 - 3 4

Now let's transpose A:

```
[18]: A'
```

- [18]: 2*2 LinearAlgebra.Adjoint{Int64,Array{Int64,2}}:
 - 1 3
 - 2 4

We can access the second column of A in the following manner:

```
[20]: A[:,2]
```

Analogously, we may access the second row of A in the following manner:

```
[22]: A[2,:]
```

Notice that when we accessed the second row of A, the output was a flat array (column vector).

To may simply transpose it to obtain it in row vector form:

```
[26]: A[2,:]'
```

What if we want to access the (2,2) entry of A?

```
[28]: A'[2,2]
```

[28]: 4

Now let's talk briefly about array creation.

A nice way of creating zero vectors is using the zeros() function:

```
[3]: zeros(2)
```

Similarly, we can use zeros() to create matrices:

```
[5]: zeros(2,2)
```

More generally, we may use the fill() function to create arrays with customized uniform entries:

```
[7]: fill(3, 2, 4)
```

How do we copy an array? Let's try simply using an equality:

```
[8]: x = fill(1, 3) # create vector `x`
y = x # bind `y` to vector `x`
y[2] = 0 # change second entry of `y` to zero
x
```

What we did in the above cell is create a vector \mathbf{x} , bind a new variable \mathbf{y} to \mathbf{x} , and then change the second entry of \mathbf{y} .

We would expect this to alter y and not x, but it turns out this is not the case!

So we can't quite "copy" arrays using a simple equality. Instead we may use the copy() function:

```
[9]: x = fill(1, 3)
y = copy(x)
y[2] = 0
x
```

```
[9]: 3-element Array{Int64,1}:
          1
          1
```

1

Notice that x didn't change, as desired.

What if we don't want to copy an array exactly, but instead create an array of the same data type and size?

For this we can use the similar() function:

```
[12]: x = fill(1, 3)
y = similar(x)
y
```

```
[12]: 3-element Array{Int64,1}: 241270592 145391712 145395680
```

We may also use similar() to change the size while keeping the same data type:

```
[13]: x = fill(1, 3)
y = similar(x, 4)
y
```

```
[13]: 4-element Array{Int64,1}:
2
1
145359361
387677600
```

We may also create a matrix similar to a vector:

```
[29]: x = fill(1, 3)
y = similar(x, 2, 2)
y
```

```
[29]: 2×2 Array{Int64,2}:
232385536 145391776
387794336 379442896
```

- 1.4.4 Array Operations
- **1.4.5** Tuples
- 1.4.6 Broadcasting
- 1.4.7 User-Defined Functions